																							to-\$
																							[81-0]
																						[30-0]	
																					[29-0]		
																					28-0] 		
																			[27-0]			[27-2]	
																			[26-0]			[26-2]	[26-3]
																		<u></u>					
																		[25-0]		[25-2]		[25-3]	[25-4]
																	[24-0]			[24-2]	[24-3]		[24-4]
															[23-0]			12	[23-2]	[23-3]	1	4]	
															[22-0]			[22-2]			1 [22-4]	[22-5]	
													[2]-	1			21-2]	[21-3]		[21-4]		$v_2^3[21$	-0]
													[20-0]			[20-2]		[20-3]			[20-5]	$[20\text{-}6] + v_{\frac{3}{2}}^{3}[20\text{-}6]$ $[20\text{-}6]$	
															4	1							
												[19-0]			[19-2]	[19-3]		[19-4]		[19-5]	03/2[19-0]		[19-7]
											[18-0]			[18-2]		[18-3]	[18-4]		[18-5]	$[18-6] + v_2[18-6]$		[18-7]	$v_2^3[18-2]$
										[17-0]			[17-2]	[17-3]		[17-4]		[17-5]	v ₂ (17-0)	[17-6]	[17-7]	$ \begin{bmatrix} 17-2 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix} $	8] $v_2^3[17-3]$
																		$[16\text{-}6]+v_2^3[16\text{-}0]$			[16-8]		$v_2^3[16-3]$
									[16-0]				[16-2]				[16-5]	[16-6]		[16-7]	$v_2^3[16-2]$	[15-9]	[16-9]
								[15-0]			[15-2]		[15-3]	[15-4]		[15-5]	$v_2^3[15-0]$	[15-6]	[15-7]		$v_3^{2}[15-2]$ $v_2^{3}[1]$	-3] $\nu_3[15-3]$	
								0]		[14-2]		[14-3]	[14-4]		[14-5]	$[14-6]+v_{2}^{3}[14-0]$ $[14-6]$		[14-7]	√3 [14-		$v_2^3[14-3]$ [14-9]	$v_3[14-3]$ $v_2^3[14-4]$	
																			[13-8]	[13-9]			$v_2 [13\text{-}9] + 2 v_2^3 [13\text{-}5]$
						[13-0]			[13-2]		[13-3]	[13-4]			v ₂ [[3-0]	[13-6]		[13-7]	$v_3^{[13-2]}$	$v_3^{2}[\bar{1}3\text{-}3]$ $v_3[13\text{-}3]$			^{v2}
									[12-2]	[12-3]			[12-5]		[12-6]	[12-7]		$v_2^3[12-2]$	[12-9]	$= \overline{v}_3[\overline{1}2\text{-}3]$	[12-4]	$v_2^3[12\text{-}5]$	
					[11-0]		[11-2]		[11.3]	[11-4]			$v_{2}^{3}[11-0]$				$[11-8] \\ v_{3}[11-2]$	v_2^3 [11-3] v_3 [[11-9]	$\overline{v_3}[\overline{11-4}]$	v_{2} [11-9]+2 v_{2}^{3} [1'	$v_2[11-9]$ $v_2^6[11-0]$	$v_2^3[11\text{-}6]$
													$[10\text{-}6] + v_2^3[10\text{-}0]$			[10-8]	$v_2^3[10\text{-}3]$						
				[10-0]					[10-3]	[10-4]	[10-5]		[10-6]	[10-7]	[9-8]	3[10-2]	[9-9]		$v_2^{\sigma}[10-4]$	$v_{2}^{2}[10-5]$]+2 $v_{3}^{3}[9-5]$		$v_{2}^{2}[10 ext{-}0] =v_{3}[10 ext{-}6]$	
			[9-0]			[9-2]	[9-3]		[9-4]		[9-5]	$v_2^3[9\text{-}0]$ [9-6]		=======		v_2^3 [9-3]	· [9-3]			v_{2} [9-9] v_{2}^{6} [9-0]	$v_2^3[9\text{-}6]$	v_2^3 [9-	-7]
			[8-0]			[8-2]		[8-4]	[8-5]		$[8-6] + v_2^3[8-0]$ [8-6]		[8-7]	[8-8] v ² / ₂ [8-2]	$v_2^3[8-3]$ [8-9]	v ₃ [8-3]	$v_2^3[8-4]$	$v_{2}^{3}[8-5]$		$v_2^6[8-0]$	ν ₃ [8-6]	v ₃ [8-7]	$v_2^6[8-2]$
		17-01		17-21		17-31	47-41		77-5)	377.01		77-7	[7-8]	v_2^3 [7-3]	[7-9]	120[7-4]		$v_2[7-9] + 2v_2^3[7-5]$	877.01		.3(5.7)	v_{1} [7-10]	$v_3[7-8]$ $[7-11]$
				(1.5)			11.4		eta_2^3	02[(-0]		[6-8]	v_3^{3} [6-3]		v3[7-3]			[6-10]	v ₃ [6-6]	[6-12]	02[1-1]	$\begin{bmatrix} v_2^2 & v_3 & [7-2] \\ & & & & & & & & & & & & & & & & & & $	v_2^6 [7-3]
	[6-0]			[6-2]	[6-3]	[6-4]	[6-	5]	[6-6]	[6-7]		$v_2^3 ext{[6-2]}$	[6-9]		$v_2^3[6\text{-}4]$	v_2^3 [6-5]	v_3 [6-5]	$v_{2}^{2}=v_{2}^{2}=v_{3}^{2}=v_{4}^{2}=v_{5$	[6-11]	v ₃ [6-7]	v_2^6 [6-2]	v_{3} [6-8] v_{2}^{6} [6-3]	$v_2^3v_3$ [6-3]
	[5-0]		[5-2]	[5-3]	[5-4]			v_2^3 [5-0]	[5-6]	$eta_2 x_5 \gamma_{[5-7]}$		[5-8] v_3 [5-2] v_2^3 [5-3]	v ₃ [5-9]	v ₃ [5-4]		v_2^3 [5-5] v_2 [5-9]	v_2^6 [5-0]	$v_2^3[5-6]$ [5-12]	$v_2^3[5-7]$	$v_2^3v_3$ [5-2]	$v_2^6 [\text{5-3}]$	$v_2^3v_3$ [5-3]	17]
[4-0]			2	eta_2^2		$\beta_2\beta_{3/3}$	$[4-6]+v_{\frac{3}{2}}[4-0]$			[4-7]		[4-8]	$v_{3}[4-3]$ $v_{3}[4-4]$	v3 (4-5)	$v_3[4.5]$	$\begin{bmatrix} 4-11 \end{bmatrix}$ $0 \begin{bmatrix} 4-10 \end{bmatrix}$ $\begin{bmatrix} 2 & 3 \end{bmatrix}$ $\begin{bmatrix} 4 & 2 \end{bmatrix}$	[4-12]		$v_2^6[4-2]$	[4-15]	(4-16) [4-17]	ng [4-4]	
						$\langle x_{57} \rangle$	$(\beta_{3/3}^2 = [4-6])$			v_{2}^{3} [4-2] v_{2}^{3} [3-3]			V2(1-1)	V2[1 V]	[3-10]	$v_{\bar{0}}v_{\bar{2}}^{2}[4-6]$ [3-11]		$v_2^3v_3$	23[3-2] [3-14]		$v_{2}^{4}v_{3}^{4}[4-3]$ $v_{2}^{4}v_{3}^{4}[4-3]$	V21. 1	
	[3-2]	R	(3-4) (3-4)			[3-5] v_2^3 [3-0]			β-	v ₃ [3-2]	v ₃ [3-3]	Be		$v_0v_2[3-8]$	$v_1^{5}[3-8]$ $v_1[3-10]$	v_0 [3-12]	v_1^3 [3-10]	$v_2^{oldsymbol{6}}[3\text{-}2]$	v_2^6 [3-3]	$v_2^3v_3$ [3-3]	•		$v_0v_1v_2v_3^2$ [3-2]
	[2-2]	P3/3 [2-3]	[2-4] $[2-4]$ $[2-4]$			v_0^2 [2-5]			v_2^3 [2-2]	$v_0^2[2-6]$ $v_1^2v_3[2-2]$	$v_1^3 v_3[2-2]$	2]		$v_1^4v_3[2-4] \ egin{array}{c} eta_7,eta_{9/9} \ \end{array}$	[2-8]	$v_1[2-8]$ $v_0^2[2-9]$	$v_1^3[28] \\ v_2^6[22]$	$v_1^4[2 ext{-}8]$	$v_0^2 v_1 v_2 {\scriptstyle [2\text{-}8]} \\ v_1^6 {\scriptstyle [2}$	$v_1^7[ext{2-8}]$			$v_1^7v_2[28]$
11, v _{11*-v} j	· viti-oi	υδ[1-2]	-112-01	. 01 (1-0)	of troi	o 1 (x-o)	21 (* 2)	$v_{\hat{0}}^{\sim}v_{1}v_{2}^{\sigma}[1^{-}0]$	-1 ()		I re- ex	1 1	v ₁ (* v ₁	<u> </u>	»1 (x-o)	-1 (- 3)		1		1 i	$v_1^{\bullet \circ}v_1^{\dagger \circ}v_2^{\circ}[\mathbb{I}$ =0]	-1 (r o)	