

```

directorio = Directory[ ]
directorio
ftest[z_] = Piecewise[{{1, 0 ≥ Re[z]}, {0, Re[z] ≤ 0}}]
función a trozos parte real parte real

```

```

Attributes[ftest] = {Listable}
atributos listable

```

(* szego.wls obtains the system of arcs related with the root of a paraorthogonal polynomial and write it as arcosalpha *)

```

n = 100; T = 2 * Pi;
número pi
(* Choice the Model

```

```

Get["Dropbox/articulo2023/cardan.wls"]
recibe
Get["Dropbox/articulo2023/kepler.wls"]
recibe
Get["Dropbox/articulo2023/random.wls"]
recibe
*)
Get["Dropbox/articulo2023/szego.wls"]
recibe

```

```

(* arcos.wls obtains all the system of arcs related with arcosalpha in the sense of the paper and the related nodal systems *)
Get["Dropbox/atypeofinterpolation2023/arcos.wls"]
recibe

```

```

(* derivadas.wls obtains the derivatives used in the paper for a nodal system in T *)
listaalpha = alphaW2n;
listaaarcosalpha = arcosalphaW2n;
Get["Dropbox/atypeofinterpolation2023/derivadas.wls"];
recibe

```

```

derivadasalphaW2n = derivadas;
derivadassegundalphaW2n =
    derivadas * factoresderivadassegundas;

```

(* same comment as before *)

```

listaalpha = alphaYn;
listaarcosalpha = arcosalphaYn;
Get["Dropbox/atypeofinterpolation2023/derivadas.wls"];

```

```

derivadasalphaYn = derivadas;
derivadassegundasalphaYn =
  derivadas * factoresderivadassegundas;

```

```

(* same comment as before *)
listaalpha = alphaZn;
listaarcosalpha = arcosalphaZn;
Get["Dropbox/atypeofinterpolation2023/derivadas.wls"];
derivadasalphaZn = derivadas;
derivadassegundasalphaZn =
  derivadas * factoresderivadassegundas;

```

```

(* u and v in the sense of the paper *)
u = ftest[alphaW2n];

```

```

(* semi Hermite and semi Hermite-
Fejer interpolants using the barycentric formulae*)

```

```
Print[1000]
```

```


```

```
SHFejer[z_] =
```

$$\left(\sum_{k=1}^n \left(\frac{\text{alphapwp}[[2, k]] \times \text{derivadasalphaZn}[[k]] \times u[[2, k]]}{(z - \text{alphaW2n}[[2, k]]) (\text{derivadasalphaW2n}[[2, k]])^2} + \right. \right. \\
 \left. \left(\text{alphapwp}[[2, k-1]] / \right. \right. \\
 \left. \left((z - \text{alphaW2n}[[2, k-1]]) \text{derivadasalphaW2n}[[2, k-1]] \times \right. \right. \\
 \left. \left. \text{derivadasalphaYn}[[k]] \right) \right) \left(\frac{1}{(z - \text{alphaW2n}[[2, k-1]])} - \right. \\
 \left. \frac{\text{derivadassegundasalphaW2n}[[2, k-1]]}{2 \text{derivadasalphaW2n}[[2, k-1]]} - \right. \\
 \left. \frac{\text{derivadassegundasalphaYn}[[k]]}{2 \text{derivadasalphaYn}[[k]]} + \frac{3n}{2} \right) u[[2, k-1]] \Bigg) / \\
 \left(\sum_{k=1}^n \left(\frac{\text{alphapwp}[[2, k]] \times \text{derivadasalphaZn}[[k]]}{(z - \text{alphaW2n}[[2, k]]) (\text{derivadasalphaW2n}[[2, k]])^2} + \right. \right. \\
 \left. \left(\text{alphapwp}[[2, k-1]] / \right. \right.$$

$$\left((z - \alpha W_{2n}^{[2k-1]}) \operatorname{derivadasalpha} W_{2n}^{[2k-1]} \times \operatorname{derivadasalpha} Y_n^{[k]} \right) \left(\frac{1}{(z - \alpha W_{2n}^{[2k-1]})} - \frac{\operatorname{derivadassegundasalpha} W_{2n}^{[2k-1]}}{2 \operatorname{derivadasalpha} W_{2n}^{[2k-1]}} - \frac{\operatorname{derivadassegundasalpha} Y_n^{[k]}}{2 \operatorname{derivadasalpha} Y_n^{[k]}} + \frac{3n}{2} \right) \Bigg);$$

```
BB1 = Plot[ {Re[SHFejer[E^(I x)]], Re[ftest[E^(I x)] ]},
  {x, Pi/2 - Pi/16, Pi/2 + Pi/16}, PlotPoints → 800,
  PlotStyle → {{Red, Thickness[.001]},
    {Black, Thickness[.001]}}, AspectRatio → 5/7]
```

```
CC = Plot[ {Re[SHFejer[E^(I x)]], Re[ftest[E^(I x)] ]},
  {x, 0, 2 Pi}, PlotPoints → 800,
  PlotStyle → {{Red, Thickness[.001]},
    {Black, Thickness[.001]}}, AspectRatio → 5/7]
```

```
Out[118]=
/Users/eliasberriochoaesnaola
```

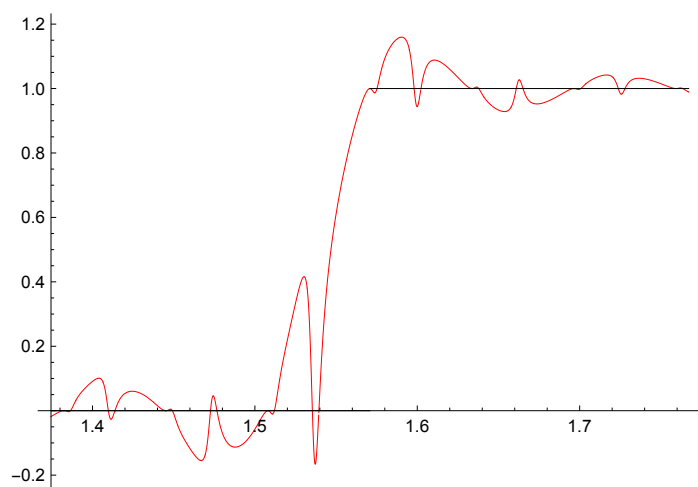
```
Out[119]=
{ 1  0 ≥ Re[z]
  0  True
```

Out[120]=

{Listable}

1000

Out[139]=



Out[140]=

