# BB512/BB612 - Week V

```
suppressPackageStartupMessages(library(Biobase))
suppressPackageStartupMessages(library(bladderbatch))
suppressPackageStartupMessages(library(sva))
```

#### Data

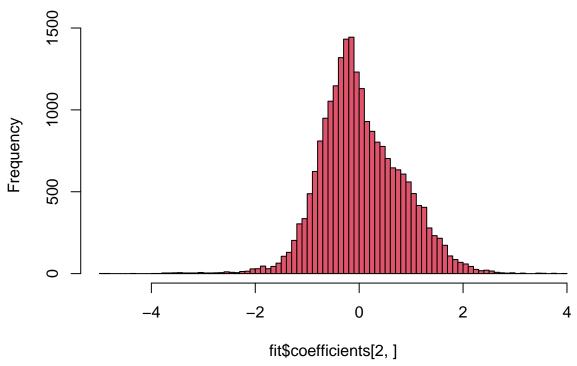
The analyses are based on gene expression data from a bladder cancer study: Gene expression in the urinary bladder: a common carcinoma in situ gene expression signature exists disregarding histopathological classification. The data can be loaded from the bladderbatch data package.

```
data(bladderdata)
pheno <- pData(bladderEset)</pre>
edata <- exprs(bladderEset)</pre>
head(pheno)
##
                 sample outcome batch cancer
## GSM71019.CEL
                          Normal
                                      3 Normal
                                      2 Normal
## GSM71020.CEL
                         Normal
## GSM71021.CEL
                      3
                         Normal
                                      2 Normal
## GSM71022.CEL
                         Normal
                                      3 Normal
## GSM71023.CEL
                         Normal
                                      3 Normal
## GSM71024.CEL
                                      3 Normal
                         Normal
table(pheno$outcome)
##
##
     Biopsy
                 mTCC
                        Normal sTCC-CIS sTCC+CIS
                   12
##
                                       16
                                                12
table(pheno$cancer)
##
## Biopsy Cancer Normal
##
        9
               40
```

## Adjusting for batch effects with a linear model

```
mod <- model.matrix(~as.factor(cancer) + as.factor(batch), data=pheno)
fit <- lm.fit(mod, t(edata))
hist(fit$coefficients[2, ], col = 2, breaks = 100)</pre>
```





This will only work if the batch effects aren't too highly correlated with the outcome:

```
table(pheno$cancer, pheno$batch)
```

```
## ## 1 2 3 4 5 ## Biopsy 0 0 0 5 4 ## Cancer 11 14 0 0 15 ## Normal 0 4 4 0 0
```

### Adjusting for batch effects with Combat

Another approach is to use Combat. Combat returns a "cleaned" data matrix after batch effects have been removed. Here we pass a model matrix with any known adjustment variables and a second parameter that is the batch variable.

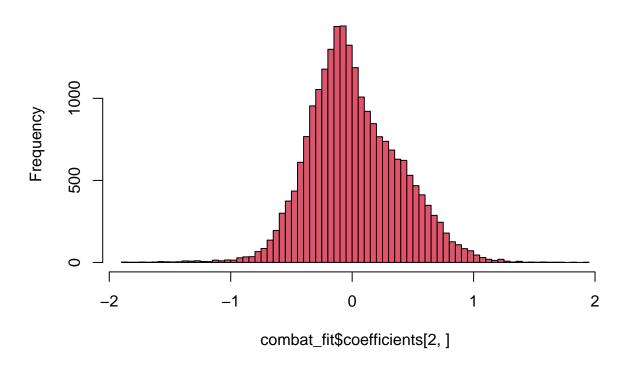
```
batch <- pheno$batch
modcombat <- model.matrix(~1, data=pheno)
modcancer <- model.matrix(~cancer, data=pheno)
combat_edata <- ComBat(dat = edata, batch = batch, mod = modcombat, par.prior = TRUE, prior.plots = FAL
## Found5batches
## Adjusting forOcovariate(s) or covariate level(s)</pre>
```

## Fitting L/S model and finding priors

## Standardizing Data across genes

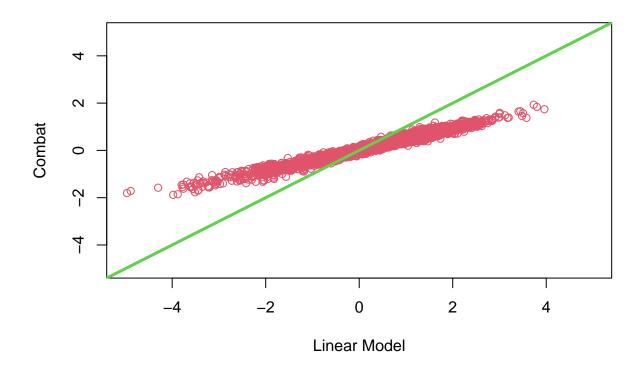
```
## Finding parametric adjustments
## Adjusting the Data
combat_fit <- lm.fit(modcancer, t(combat_edata))
hist(combat_fit$coefficients[2,], col = 2, breaks = 100)</pre>
```

# Histogram of combat\_fit\$coefficients[2,]



## Comparing Combat and linear adjustment

We can compare the estimated coefficients from Combat and linear adjustment by looking at the right coefficients for each model:

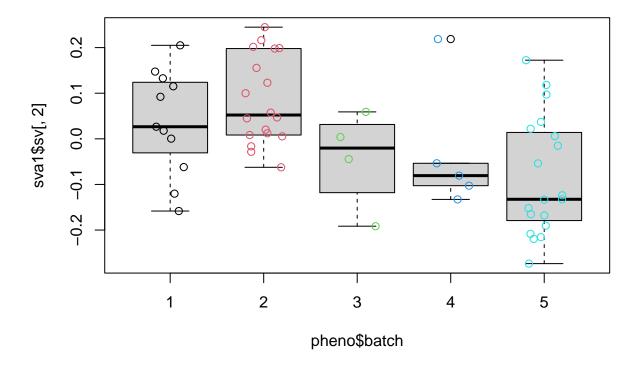


#### Adjusting for batch effects with sva

First we need to estimate the surrogate variables. To do this, we need to build a model with any known adjustment variables and the variable we care about mod and another model with only the adjustment variables mod0. Here, we won't adjust for anything to see if sva can "discover" the batch effect.

```
mod <- model.matrix(~cancer, data = pheno)</pre>
mod0 <- model.matrix(~1, data = pheno)</pre>
sva1 <- sva(edata, mod, mod0, n.sv=2)</pre>
## Number of significant surrogate variables is: 2
## Iteration (out of 5 ):1 2 3 4 5
See if any of the variables correlate with batch:
summary(lm(sva1$sv ~ pheno$batch))
## Response Y1 :
##
## Call:
  lm(formula = Y1 ~ pheno$batch)
##
##
   Residuals:
##
        Min
                   1Q
                        Median
                                       3Q
                                               Max
##
   -0.26953 -0.11076 0.00787 0.10399
##
## Coefficients:
```

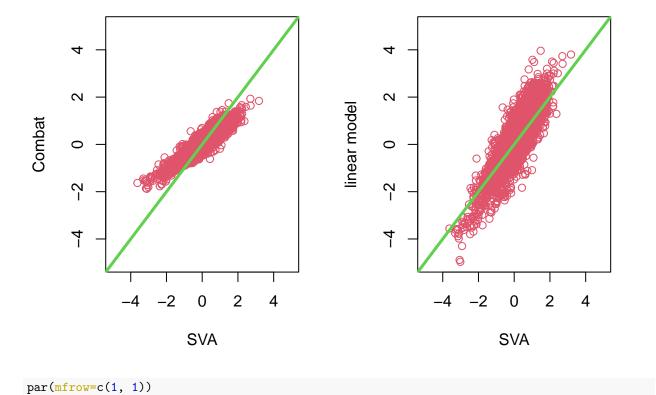
```
Estimate Std. Error t value Pr(>|t|)
## (Intercept) -0.01847
                          0.03869
                                    -0.48
                                              0.64
## pheno$batch 0.00605
                          0.01125
                                     0.54
                                              0.59
##
## Residual standard error: 0.134 on 55 degrees of freedom
## Multiple R-squared: 0.00523,
                                   Adjusted R-squared: -0.0129
## F-statistic: 0.289 on 1 and 55 DF, p-value: 0.593
##
##
## Response Y2 :
##
## Call:
## lm(formula = Y2 ~ pheno$batch)
##
## Residuals:
##
      Min
               1Q Median
                               ЗQ
                                      Max
## -0.2397 -0.0747 -0.0216 0.0812 0.2563
## Coefficients:
              Estimate Std. Error t value Pr(>|t|)
##
## (Intercept) 0.12111
                          0.03416
                                     3.55 0.00081 ***
## pheno$batch -0.03967
                          0.00993
                                    -3.99 0.00019 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 0.119 on 55 degrees of freedom
## Multiple R-squared: 0.225, Adjusted R-squared: 0.211
## F-statistic:
                16 on 1 and 55 DF, p-value: 0.000194
boxplot(sva1$sv[,2] ~ pheno$batch)
points(sva1$sv[,2] ~ jitter(as.numeric(pheno$batch)), col=as.numeric(pheno$batch))
```



Add the surrogate variables to the model matrix and perform the model fit:

```
modsv <- cbind(mod,sva1$sv)
fitsv <- lm.fit(modsv, t(edata))</pre>
```

Compare the fit from surrogate variable analysis to the other two:



Read more about bath effect corections on the sva vignette