No.1 Soal Big Oh dari T(N)

24 September 2020

7:00

0() x & y

x cari yo growth-ny a tertinggi

Execution time sebuah algoritma dinyatakan dalam fungsi: $f(x,y) = 3x^2 + x \log 5 + y \log x + x$, dimana x dan y merupakan input algoritma tersebut. Apa notasi Big-O untuk f(x, y)?

Select one:

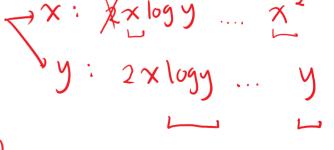
$$\bigcirc$$
 d. O(x² + x)

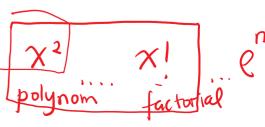
$$f(x,y) = 3x^2 + x \log 5 + y \log x + y$$

O (log N)
by default cara baca & SDA
adlh basis 2

?
$$[y \log x + x \log y] = f(x,y)$$
, x ? $y \log x$ $x \log y$
 $O(x,y) = x \log y + y \log x$ y ? $y \log x$ $x \log y$

$$f(x,y)=x^{2}+y$$
 $O(x,y)=x^{2}+y$





growth: Slower faster responsetine: faster slower

f(x,y) = y log x

No.2 Soal Matching Big Oh

24 September 2020 Berapa kompleksitas dari algoritma di bawah ini? Int N -infinite anjap =) tdk ada Q while(N >= 0){ System.out.println(N); Choose... V fact (N) b)choose... • \ redukt N /= 3; N Choose. O(N^3) 22 O(N^3) O(N) O(N) static int factorial(int N){ rokurh f. O(N^2) N/g 0 if(N <= 1) return 1; berapax O(N^2) O(1) return factorial(N - 1) * N; funginga O(log N) O(1) dipanjil O(log N) O(10N) O(10N) O(2^N) varit. O(N) O(2^N) for(int i = 0; i < N; i++)bar. geom. Choose... •for(int j = 0; j < N; j++){ \sim ar \downarrow O(N)Choose ratio: b n[i][j] = 0;O(N^3) •for(int k = 0; k < N; k++){ \sim) arl}, O(N)n[i][j] += a[i][k] * b[k][j];O(N) O(N^2) O(1) O(N) = logN O(log N) O(10N) O(2^N) int[] N = new int[5]; y takada loup Choose... V if(N.length > 0) N[0] = 100;Choose O(N^3) O(N) O(N^2) O(1) O(log N) O(10N) O(2^N) Choose... v Choose N fib(N) 1 O(N^3) O(N) static int fibonacci(int N){ O(N^2) 16(N-1) fib(N-2) >)if(N == 1 || N == 2) return 1; O(1) else return fibonacci(N - 2) + fibonacci(N - 1); O(log N) (N-1)d O(10N) O(2^N) $\begin{cases}
\int_{\text{for(int i = 0; i < N; i++)}} \underbrace{} \\
\end{cases}$ Varit. N f1b(1)/f1b(2) System.out.println("print something"); 1 [for(int j = 0; j < 10; j++){ } flk oba var forbild System.out.println("print anything"); O(10)=0(1) 2N Choose... V growth _ exponental O(N^3) O(N) O(N^2) O(1) O(log N) O(10N) O(2^N) linear log N

for loop arit & geom.

for (int
$$i=1$$
; $i < N$; $i+=10$)

1, 11 , 21 , 31 ,arit.

negled: discolir

for (int $j=1$; $j < N$; $j+=3$)

(og N^{1} , 3 , 9 , 27 , geom. Important distantian

Note that $O(N \log N)$

For (int $j=1$; $j < N$; $j+=10$)

 $O(N) = N + \log N$

for (int $j=1$; $j < N$; $j+=3$)

 $O(N) = N + \log N$
 $O(N) = N + \log N$

