

One Day Workshop

Interactive Lecture & Hands on Session

Introduction to Data Science and Machine Learning

Jobin Wilson



For Students and Faculty Members of NIT Calicut



>>>> Agenda

- Introduction to Data Science and Machine Learning
- Types of Learning Algorithms
- Supervised Learning Algorithms
- Unsupervised Learning Algorithms
- Neural Networks and Deep Learning
- Large Scale Machine Learning in Practice



>>>> What is Data Science?

• Finding answers to questions that one cares about using systems, processes and scientific methods on data.

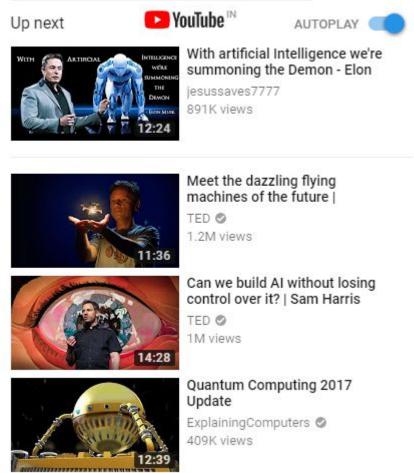


Image adapted from CS 109 (Hanspeter Pfister & Joe Blitzstein)



>>>> Recommender Systems

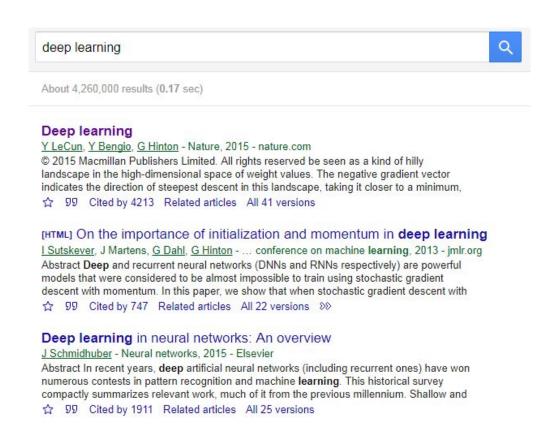


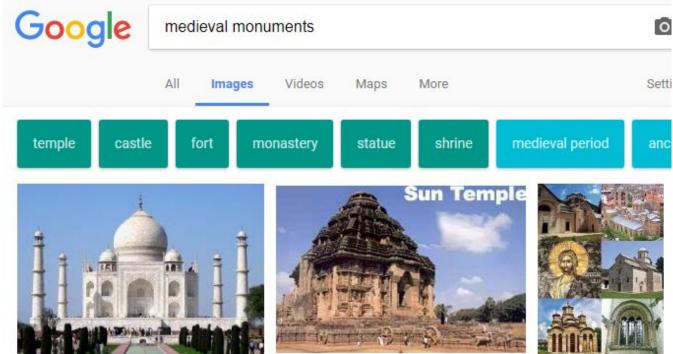


Recommending Content – "Wisdom of Crowds"



>>>> Information Retrieval

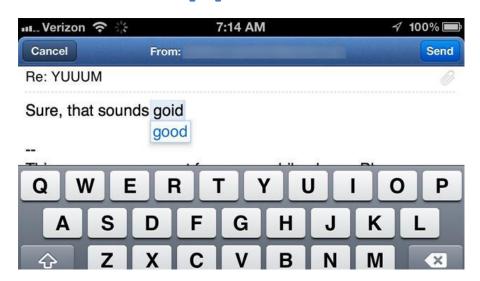




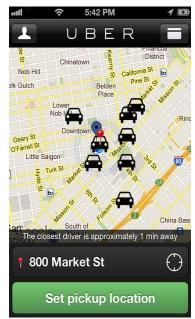
Search – "Cut through the Clutter"



>>>> Other Applications













People you may know



madhan selvan Software Quality Engineer -Research and Development at O Suresh kumar and 16 others

Connect



Sweena Jiju HR at Flytxt O Sajil A and 66 others

Connect



Pranjalya Singh Masters Student at Indian Institute of Technology, Delhi O Paulson Vincent and 1 other

Connect





>>>> Data Science in Media

SCIENTIFIC $\mathbf{AMERICAN}^{\scriptscriptstyle\mathsf{M}}$





How a Computer Program Helpe Reveal J. K. Rowling as Author o Cuckoo's Calling

Author of the Harry Potter books has a distinct linguistic signature

By Patrick Juola | August 20, 2013

"The man who wrote the note is a German. Do you note the peculiar construction of this sentence?" These were the words of Sherlock Holmes in "A Scandal in Bohemia," analyzing a note from a client,



This is the Brahmastra Rahul Gandhi will hurl at PM Modi

ET Online | Oct 09, 2017, 05.04 PM IST



















Has the Congress found the Brahmastra for the next general elections? Perhaps it has, if one goes by reports that Congress is in touch with Big Data firm Cambridge Analytica that helped US President Donald Trump win last year.

Governor



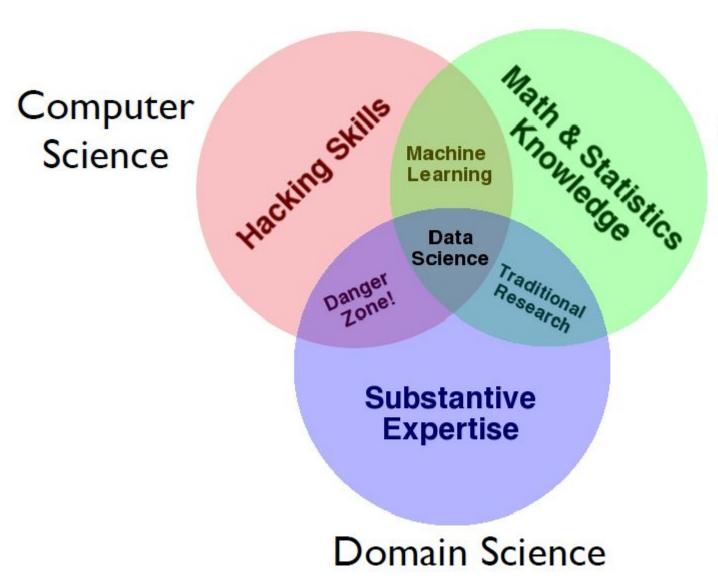
FiveThirtyEight blogger predicted the outcome in all 50 states, assuming Barack Obama's Florida victory is confirmed

guardian.co.uk, Wednesday 7 November 2012 10.45 EST





>>>> Data Science



Statistics

Drew Conway



>>>> Who is a Data Scientist?

- "A data scientist is someone who knows more statistics than a computer scientist and more computer science than a statistician." Joshua Blumenstock
- "Data Scientist = statistician + programmer + coach + storyteller + artist" Shlomo Aragmon
- "A data scientist is that unique blend of skills that can both unlock the insights of data and tell a fantastic story via the data" — DJ Patil



>>>> Data Science - A hybrid Discipline!

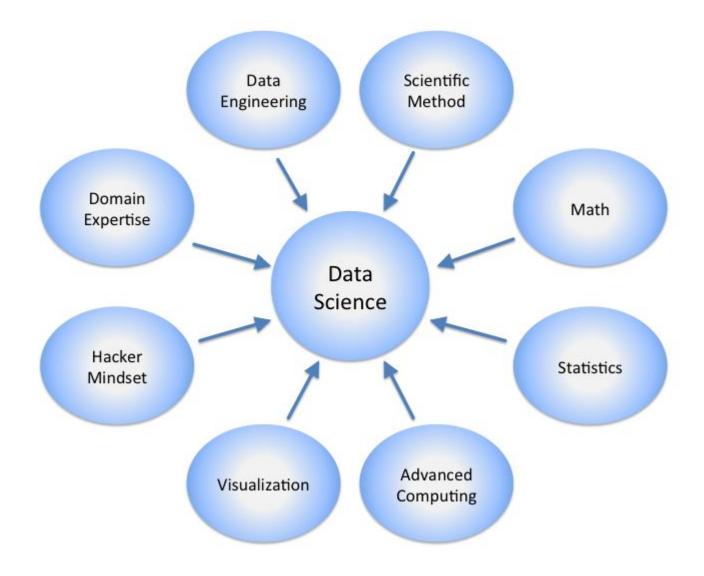


Image Source: http://en.wikibooks.org/

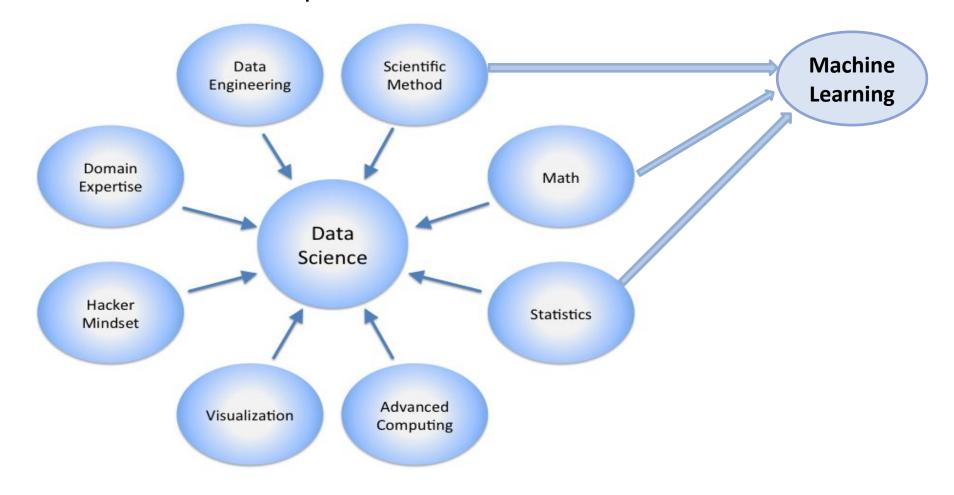


>>>> A Data Science Pipeline



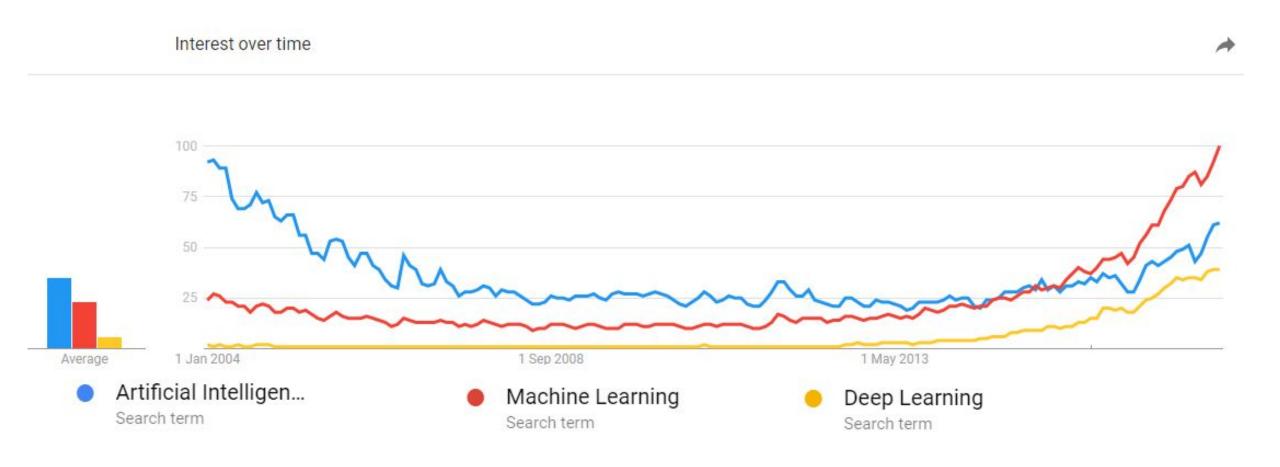
>>>> Data Science vs. Machine Learning

Machine Learning deals with developing algorithms to automatically learn from the data and make future predictions.





>>>> AI, Machine Learning, Deep Learning over the years!



Source: Google Trends

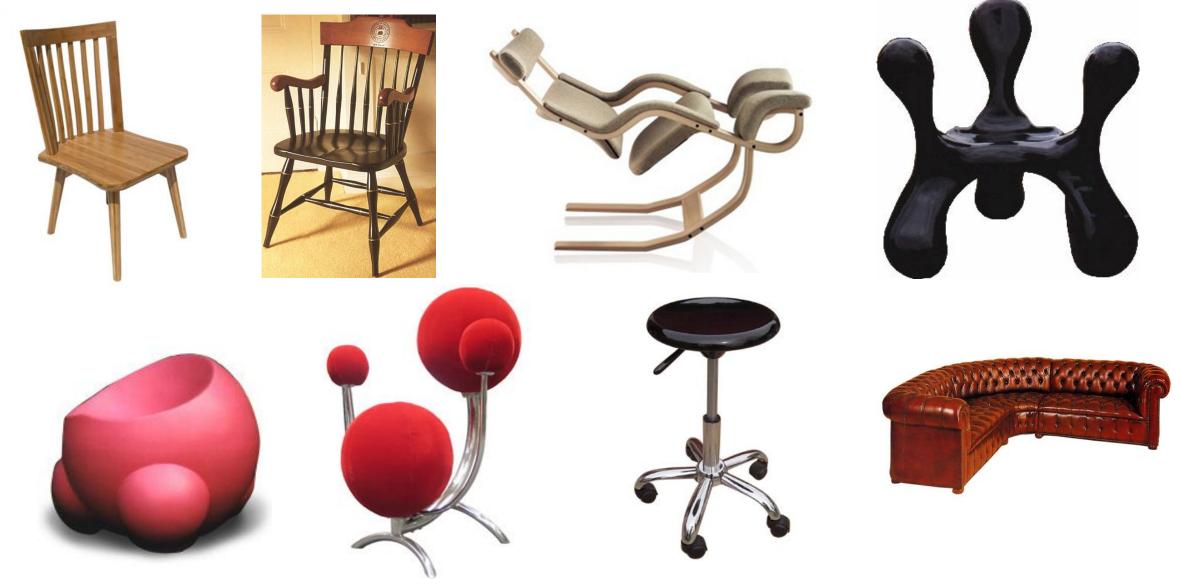


>>>> What is Involved in Intelligence?

- Ability to interact with the world vision, speech, motion, manipulation etc.
- Ability to model the world and to reason about it
- Ability to learn and adapt continuously

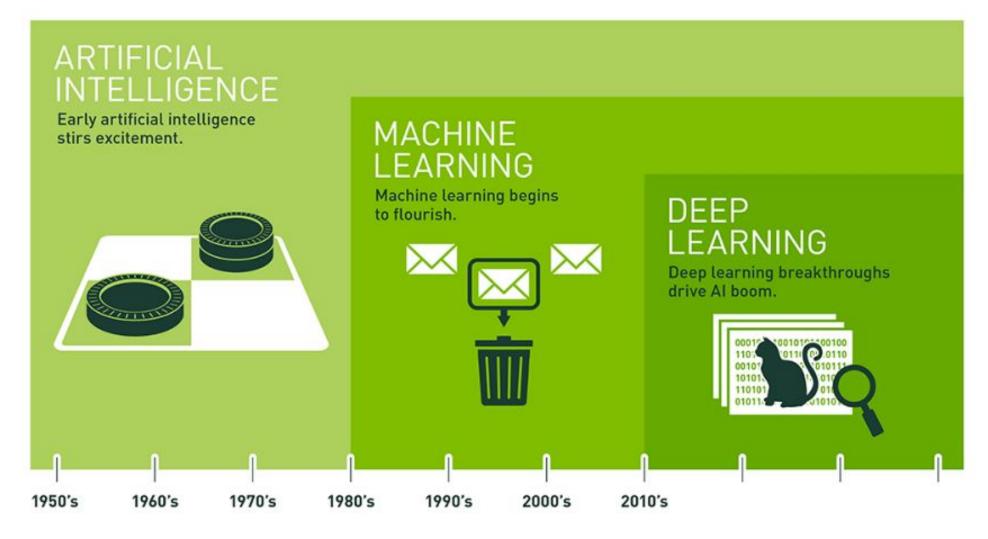


>>>> Why AI is a hard problem?





>>>> AI, Machine Learning & Deep Learning



Since an early flush of optimism in the 1950s, smaller subsets of artificial intelligence – first machine learning, then deep learning, a subset of machine learning – have created ever larger disruptions.

Source: https://goo.gl/W3YUvy



>>>> Artificial Intelligence

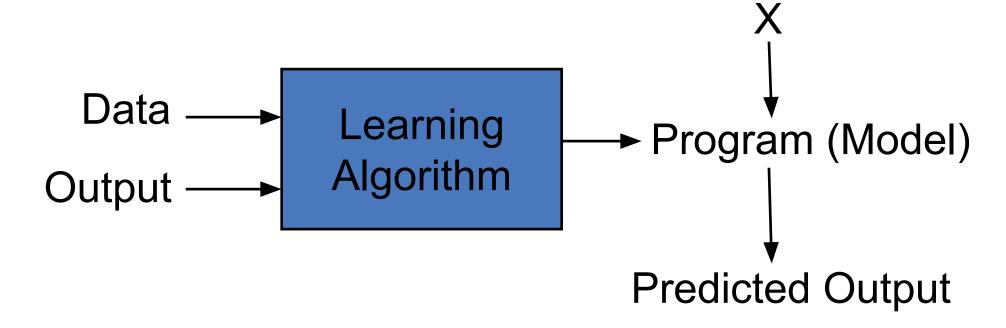
- Machine that mimics a "cognitive" function of human mind
- Genesis: Dartmouth workshop of 1956
- The Big Dream "General AI" (strong AI) [The movie stuff ⊙]
- The reality "Narrow AI" (weak AI) [e.g. Apple Siri, Self driving cars etc.]
- The Giants
 - Allen Newell (CMU), Herbert Simon (CMU), John McCarthy (MIT), Marvin Minsky (MIT), Arthur Samuel (IBM)



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>>>> Machine Learning

- Using algorithms to analyze data, learn from it, and then make a prediction about some phenomenon of interest
- Ability to learn without being explicitly programmed

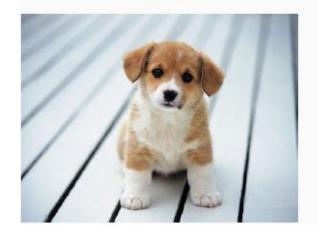


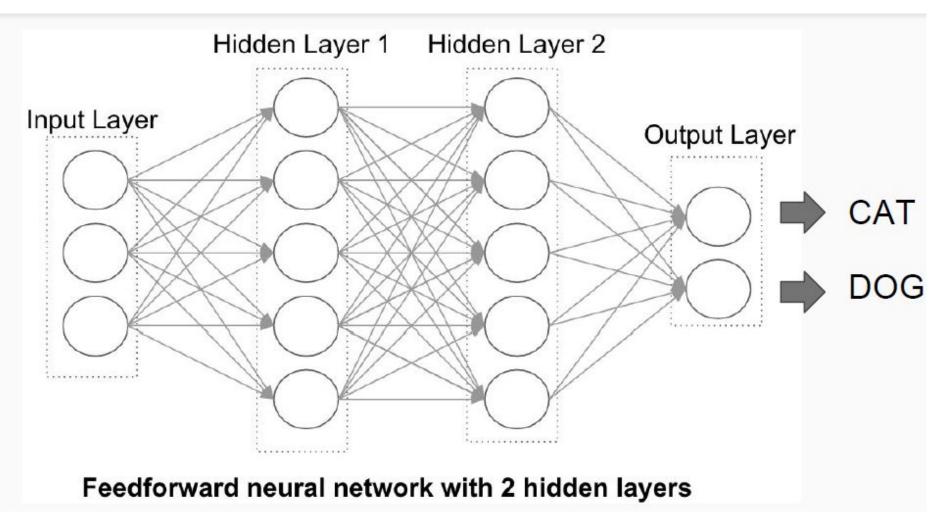


>>>> Deep Learning



VS





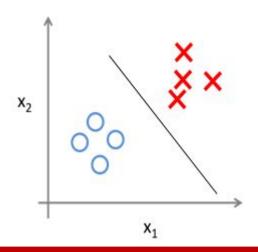
Source: Antonio Spadaro's slides from PyCon Italia 2017



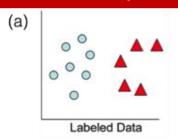
Types of Learning

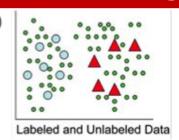


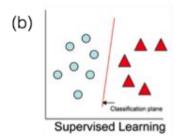
Supervised Learning

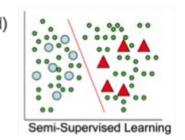


Semi Supervised Learning

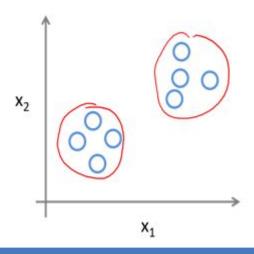




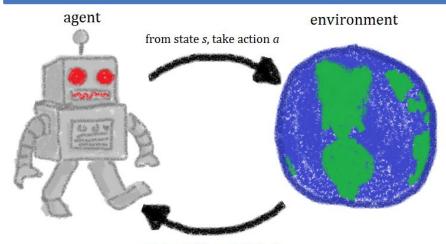




Unsupervised Learning



Reinforcement Learning



>>>> Basic Terminology

- Instances: Items for learning or prediction (e.g., emails, images etc.)
- **Features**: Attributes (typically numeric) to represent observations (e.g. keywords, pixel intensities etc.)
- Labels: class assigned to observations (e.g., spam/ham, malignant/benign etc.)
- Training and Test Data
 - Training data used to training a model
 - Test data used to evaluate the model



>>>> Supervised Learning

- Given several examples of a function (X, F(X))
- **Predict** value of *F(X)* for new examples *X*
 - Classification if F(X) is discrete
 - Regression if F(X) is continuous

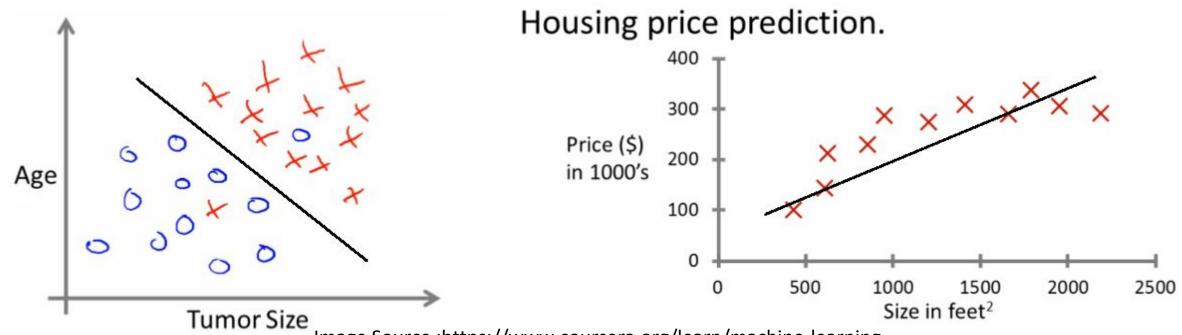
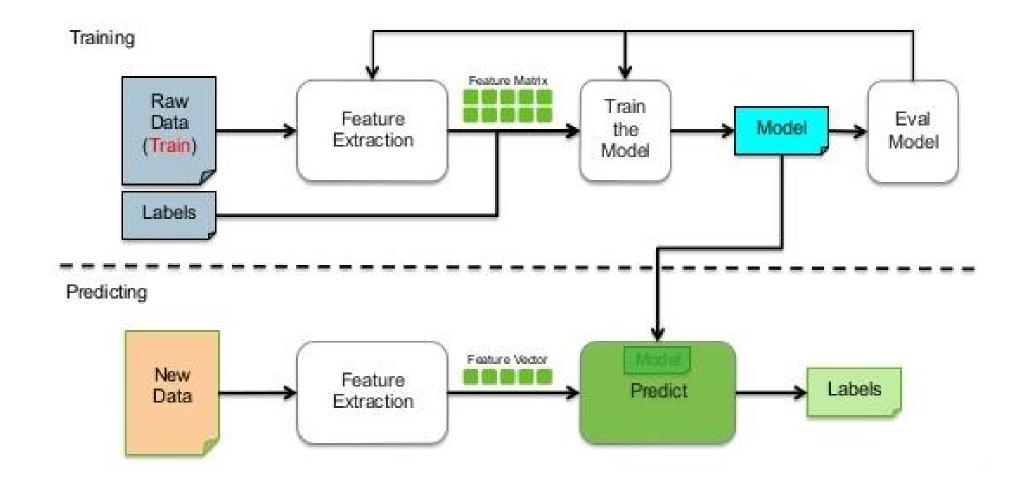


Image Source :https://www.coursera.org/learn/machine-learning

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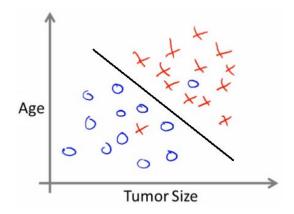
>>>> Supervised Learning Workflow



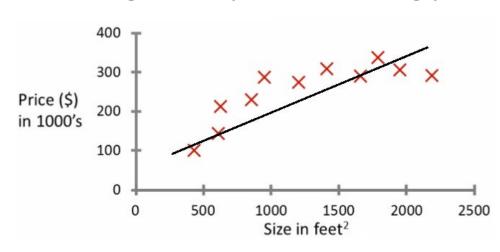


>>>> Supervised Learning Algorithms

- *Classification*. Prediction is a discrete label; e.g. spam classification
 - Naïve Bayes
 - K-Nearest Neighbor
 - Logistic Regression
 - Decision Tree
 - Support Vector Machine



- *Regression*. Prediction is a real value; e.g. stock prices, housing prices
 - Linear Regression
 - K-Nearest Neighbor
 - Decision Tree Regression





>>>> Naïve Bayes Classification

Bayes' Theorem

$$P(A|B) = \frac{P(B|A)P(A)}{P(B)}.$$

- P(A) initial degree of belief in A (Prior)
- P(B|A) degree of belief in B, given A is observed (likelihood)
- P(B) evidence
- P(A|B) degree of belief in A, given B is observed (posterior)



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>>>> Worked Out Example

Assuming the following training data, is "free discount" SPAM?

Message	Class
free movie tickets	SPAM
going for movie	HAM
free watch offer	SPAM
i am free	HAM
rolex watch discount	SPAM

$$P(SPAM) = 3/5 = 0.6$$

$$P(HAM) = 1.0 - P(SPAM) = 0.4$$

$$P(SPAM \mid WORD) = \frac{P(WORD \mid SPAM).P(SPAM)}{P(WORD \mid SPAM).P(SPAM) + P(WORD \mid HAM).P(HAM)}$$



>>>> Worked Out Example..contd.

Keyword	Spam(S)	Ham (H)
tickets	1	0
for	0	1
offer	1	0
i	0	1
movie	1	1
am	0	1
watch	2	0
rolex	1	0
free	2	1
discount	1	0
going	0	1

P(free | S) =
$$2/9 = 0.22$$
 and P(free | H) = $1/6 = 0.16$
P(discount | S) = $1/9 = 0.11$ and P(discount | H) = $0/6 = 0$
Vocabulary size = 11

After Laplace Smoothing

$$P(free | S) = (2+1) / (9+11) = 0.15$$
 and $P(free | H) = (1+1) / (6+11) = 0.12$
 $P(discount | S) = (1+1) / (9+11) = 0.10$ and $P(discount | H) = (0+1)/(6+11) = 0.06$

P(S | "free discount") = P(free | S). P(discount | S).P(S) / (P(free | S). P(discount | S).P(S) + P(free | H). P(discount | H).P(H))

$$P(S | "free discount") = 0.15*0.10*0.6 / (0.15*0.10*0.6 + 0.12*0.06*0.4)$$

= 0.009 / (0.009 + 0.00288) = **0.7575**

P(H| "free discount") = 0.12*0.06*0.4/(0.12*.06*0.4+0.15*0.10*0.6) = 0.2424



>>>> Instance Based Learning: K Nearest Neighbors

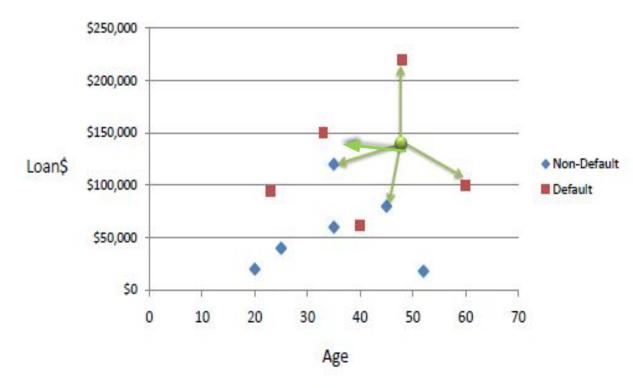
• **Task**: Given the following data, predict if a person (48, \$140,000) is likely to Default?

Age	Loan Amount	Class
20	\$24,000	Non-Default
23	\$95,000	Default
25	\$40,000	Non-Default
35	\$60,000	Non-Default
32	\$150,000	Default
35	\$120,000	Non-Default
40	\$65,000	Default
45	\$72,000	Non-Default
53	\$20,000	Non-Default
48	\$223,000	Default
60	\$100,000	Default
48	\$140,000	?



>>>> KNN Classifier

You are what you resemble!



$$distance = \sqrt{(age1 - age2)^2 + (loan1 - loan2)^2}$$

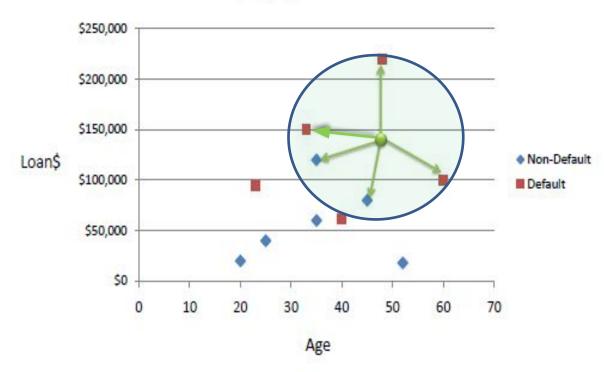
$$e. g. \sqrt{(32 - 48)^2 + (150000 - 140000)^2} = 10000.01$$

age	loan_amt	label	distance
48	140000	?	0.00
32	150000	Default	10000.01
35	120000	Non-Default	20000.00
60	100000	Default	40000.00
23	95000	Default	45000.01
45	72000	Non-Default	68000.00
40	65000	Default	75000.00
35	60000	Non-Default	80000.00
48	223000	Default	83000.00
25	40000	Non-Default	100000.00
20	24000	Non-Default	116000.00
53	20000	Non-Default	120000.00

>>>> KNN Prediction

- Find the 5 nearest neighbors and take a majority vote
- Could also "weigh" the votes
- Take care of feature normalization

$$\hat{f}(x_q) \leftarrow \frac{\sum_{i=1}^k w_i f(x_i)}{\sum_{i=1}^k w_i}$$



Age	Loan Amount	Class
20	\$24,000	Non-Default
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25	\$40,000	Non-Default
35	\$60,000	Non-Default
32	\$150,000	Default
35	\$120,000	Non-Default
40	\$65,000	Default
45	\$72,000	Non-Default
53	\$20,000	Non-Default
48	\$223,000	Default
60	\$100,000	Default
48	\$140,000	<u> </u>
		—

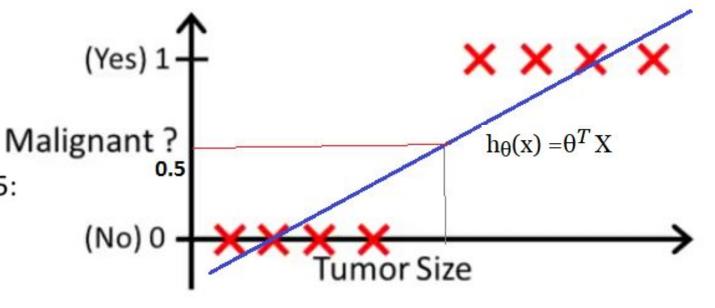
Default



>>>> Logistic Regression – Intuition

- Given features X ,estimate y; where $y \in \{0,1\}$
- Option 1:

Assume a line as $h_{\theta}(x) = \theta^T X$



Threshold classifier output $h_{\theta}(x)$ at 0.5:

If
$$h_{\theta}(x) \geq 0.5$$
, predict "y = 1"

If
$$h_{\theta}(x) < 0.5$$
, predict "y = 0"

- But function not bounded between [0,1];
- Outliers could easily change decision boundary
- What to do?

Image Source: https://www.coursera.org/learn/machine-learning

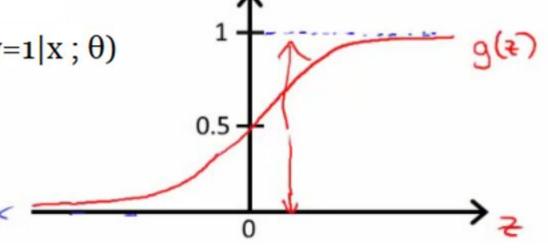
>>>> Logistic Regression - Hypothesis

- Hypothesis : $h_{\theta}(x) = g(\theta^T x) = \frac{1}{1 + e^{-\theta^T x}}$
- Logistic Function / Sigmoid $g(z) = \frac{1}{1 + e^{-z}}$
- Probabilistic Interpretation : $h_{\theta}(x) = P(y=1|x;\theta)$

$$P(y=1|x;\theta) + P(y=0|x;\theta) = 1$$

 $P(y=0|x;\theta) = 1 - P(y=1|x;\theta)$

• g(z) > 0.5 when z >= 0



Decision boundary will be a line/hyperplane; when $z = (\theta^T x) > 0$ then g(z) > 0.5; so predict y=1

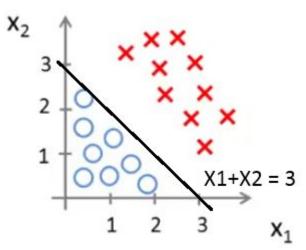
Image Source: https://www.coursera.org/learn/machine-learning © 2015 Flytxt. All rights reserved





>>>> Logistic Regression – Toy Example

- Hypothesis: $h_{\theta}(x) = g(\theta_0 + \theta_1 x_1 + \theta_2 x_2)$
- Decision boundary: y = 1 if -3 + x1 + x2 >= 0
- Does this work? (2,1) => class 0, (4,2) => class 1



Wait...how did we get the equation of the decision boundary?



Image Source: https://www.coursera.org/learn/machine-learning

>>>> Optimizing a Cost Function

Cost Function:

$$J(\theta) = \frac{1}{m} \sum_{i=1}^{m} \operatorname{Cost}(h_{\theta}(x^{(i)}), y^{(i)})$$

$$\operatorname{Cost}(h_{\theta}(x), y) = -\log(h_{\theta}(x)) \quad \text{if } y = 1$$

$$\operatorname{Cost}(h_{\theta}(x), y) = -\log(1 - h_{\theta}(x)) \quad \text{if } y = 0$$

Compact Form :
$$J(\theta) = -\frac{1}{m} \sum_{i=1}^{m} [y^{(i)} \log(h_{\theta}(x^{(i)})) + (1 - y^{(i)}) \log(1 - h_{\theta}(x^{(i)}))]$$

Minimize the cost using gradient descend

Repeat {
$$\theta_j := \theta_j - \alpha \frac{\partial}{\partial \theta_i} J(\theta)$$
 }

• Update rule :
$$_{Repeat \{ \theta_j := \theta_j - \frac{\alpha}{m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})x_j^{(i)} \}}$$
 (simultaneously update)

Adapted from :https://www.coursera.org/learn/machine-learning



>>>> Logistic Regression Algorithm

• Given: training examples (x_i, y_i) , $i = 1 \dots m$ let $\theta = (0, 0 ... 0) \in \mathbb{R}^n$ repeat until convergence { $d = (0,0 \dots 0) \in \mathbb{R}^n$ for i = 1 ... m { $y_i' = \frac{1}{1 + e^{-\theta^T x_i}}$ $error = y_i - y_i'$ $d = d + error * x_i$ $\theta = \theta - \alpha * d$



>>>> Classifier Evaluation

• Precision, Recall and F-Measure : widely used (Task: predicting tumor)

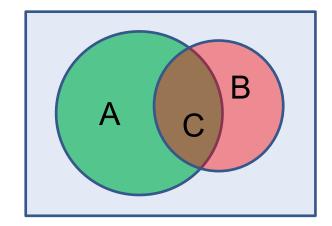
A = Set of Predicted Tumor Patients

B = Set of Actual Tumor Patients

C = Set of Tumor Patients correctly Predicted

Precision = |C|/|A|

Recall = |C|/|B|



• F-Measure (or F1 Score) - harmonic mean of Precision and Recall

$$F_1 = 2 \cdot \frac{\text{precision} \cdot \text{recall}}{1}$$

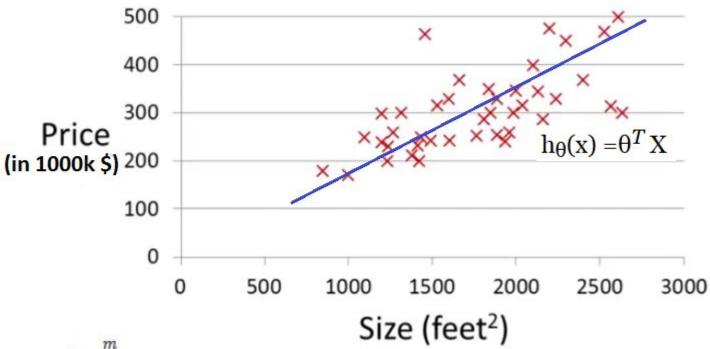
 $F_1 = 2 \cdot \frac{\text{precision} \cdot \text{recall}}{\text{Precisionout}}$ • A high F-Measur শুর্ভান্ত তেওঁ প্রতিবাধন বিভাগের বিভাগের



>>>> Linear Regression – Intuition

• Given features X ,estimate y; where $y \in R$

- Assume a line as $h_{\theta}(x) = \theta^T X$ $h_{\theta}(x) = \theta_0 + \theta_1 * size$
- Choose θ_0 and θ_1 such that $h_{\theta}(x_i)$ is as close to y_i



Cost function to minimize: $J(\theta_0, \theta_1) = \frac{1}{2m} \sum_{i=1}^{m} (h_{\theta}(x_i) - y_i)^2$

Image Source :https://www.coursera.org/learn/machine-learning



>>>> Optimization - Intuition

Have some function $J(\theta_0, \theta_1)$

Want
$$\min_{\theta_0,\theta_1} J(\theta_0,\theta_1)$$

Outline:

- Start with some $heta_0, heta_1$
- Keep changing $heta_0, heta_1$ to reduce $J(heta_0, heta_1)$ until we hopefully end up at a minimum

flyrxr >>>>

Source :https://www.coursera.org/learn/machine-learning



Second - Intuition

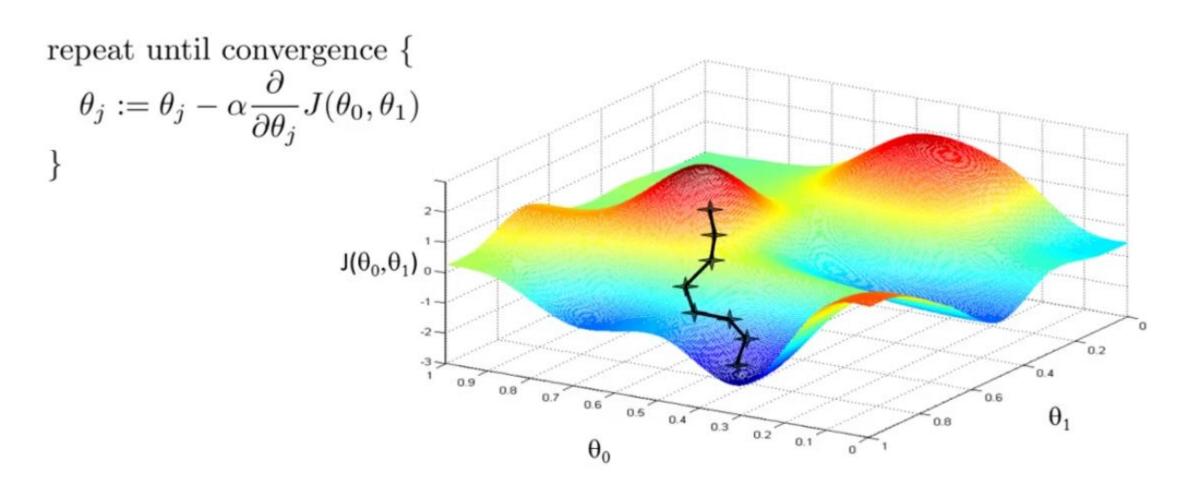


Image Source: https://www.coursera.org/learn/machine-learning



>>>> Linear Regression – Update Rule

Update Rule repeat until convergence: {

$$\theta_0 := \theta_0 - \alpha \frac{1}{m} \sum_{i=1}^m (h_\theta(x_i) - y_i)$$

$$\theta_1 := \theta_1 - \alpha \frac{1}{m} \sum_{i=1}^m ((h_\theta(x_i) - y_i)x_i)$$
}

Why?

$$\frac{\partial}{\partial \theta_{j}} J(\theta) = \frac{\partial}{\partial \theta_{j}} \frac{1}{2} (h_{\theta}(x) - y)^{2}$$

$$= 2 \cdot \frac{1}{2} (h_{\theta}(x) - y) \cdot \frac{\partial}{\partial \theta_{j}} (h_{\theta}(x) - y)$$

$$= (h_{\theta}(x) - y) \cdot \frac{\partial}{\partial \theta_{j}} \left(\sum_{i=0}^{n} \theta_{i} x_{i} - y \right)$$

$$= (h_{\theta}(x) - y) x_{j}$$

Image Source :https://www.coursera.org/learn/machine-learning



>>>> Linear Regression Algorithm

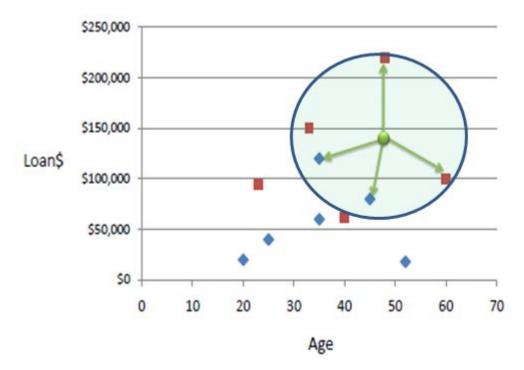
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>>>> KNN Regression

- Find the K nearest neighbors and take an average
- Could also take a weighted average
- Take care of feature normalization

$$\hat{f}(x_q) \leftarrow \frac{\sum_{i=1}^k w_i f(x_i)}{\sum_{i=1}^k w_i}$$



Age	Loan Amount	Annual Income
20	\$24,000	\$100,000
23	\$95,000	\$65,000
25	\$40,000	\$95,000
35	\$60,000	\$85,000
32	\$150,000	\$100,000
35	\$120,000	\$95,000
40	\$65,000	\$120,000
45	\$72,000	\$20,000
53	\$20,000	\$200,000
48	\$223,000	\$50,000
60	\$100,000	\$300,000
48	\$140,000	???

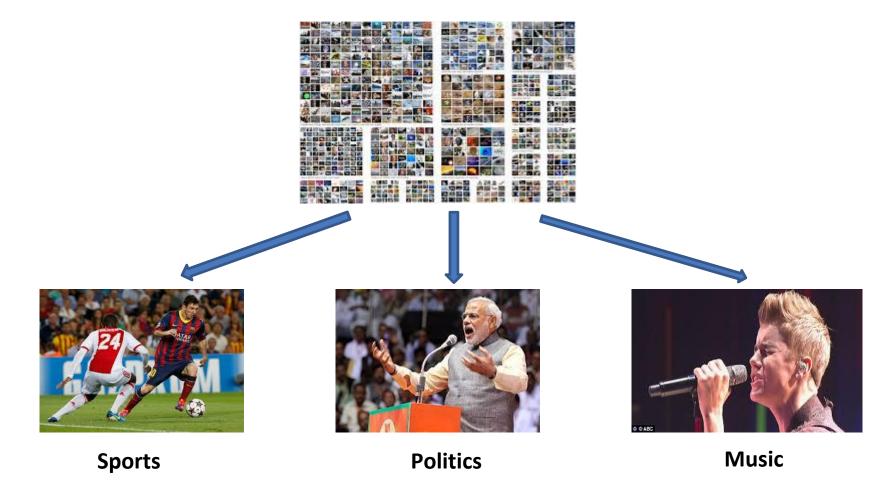


>>>> Unsupervised Learning

- Find hidden structure / regularity in unlabeled data
- **Clustering** grouping objects such that objects within same group are more similar than those across groups
- **Dimensionality Reduction** given data points in *n* dimensions, represent them in *d* dimensions with minimal information loss, such that *d* < *n*



>>>> Clustering Example

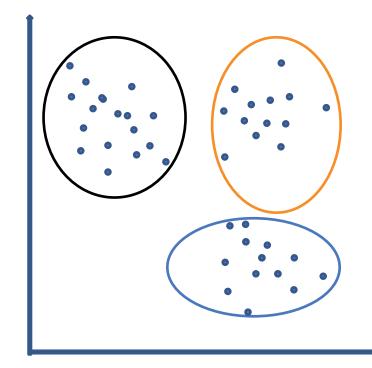


Clustering News Articles



>>>> K-Means Clustering Algorithm

- Finding K natural groups in the dataset; high intra-cluster similarity & low inter-cluster similarity
- Similarity measured by a metric (e.g. Euclidian distance, cosine distance)

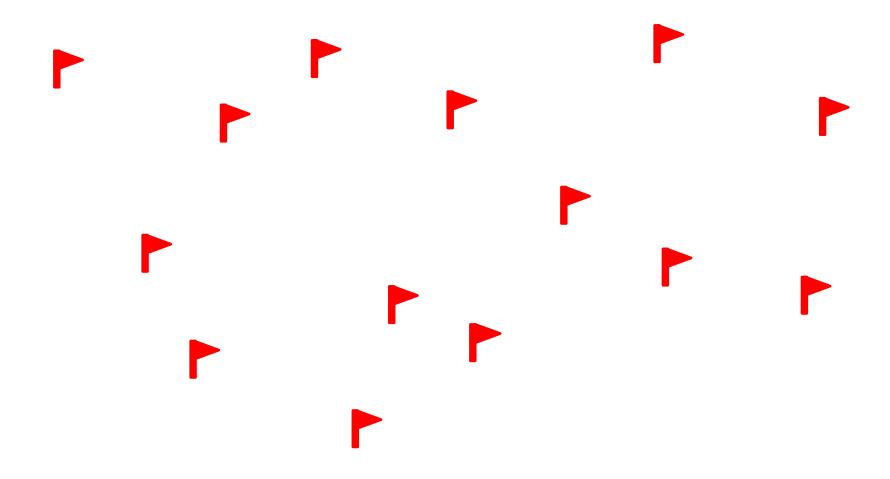


if $\mathbf{p} = (p_1, p_2)$ and $\mathbf{q} = (q_1, q_2)$ then the Euclidian distance is given by

$$d(\mathbf{p}, \mathbf{q}) = \sqrt{(p_1 - q_1)^2 + (p_2 - q_2)^2}.$$

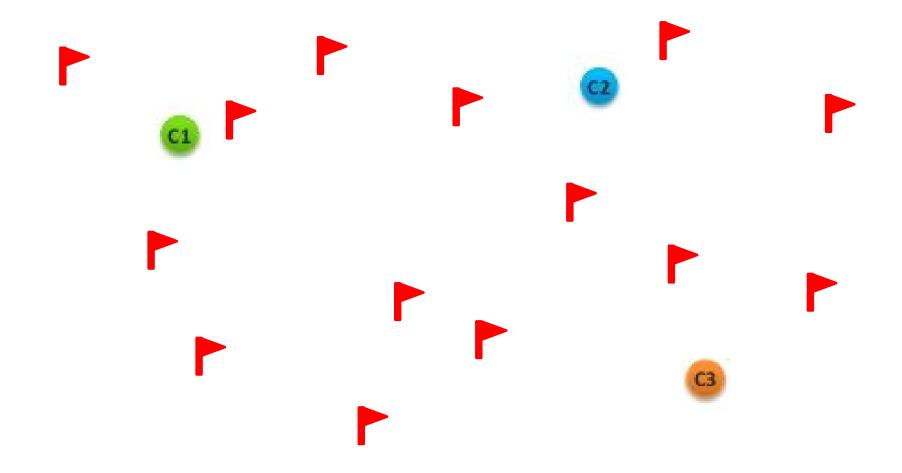
>>>> K-Means Intuition: deciding warehouse location

• Task: Set up 3 warehouses, given the following delivery points



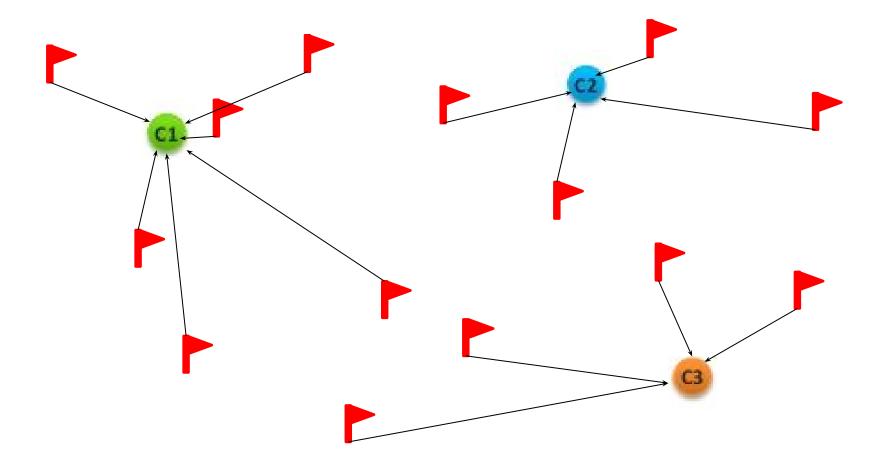


• Initialization: randomly assigns cluster centers



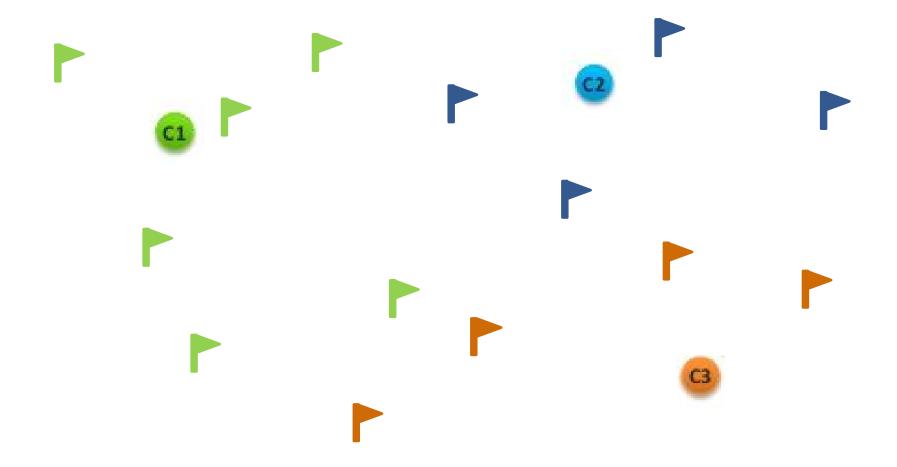


• Assign each point to its nearest cluster center



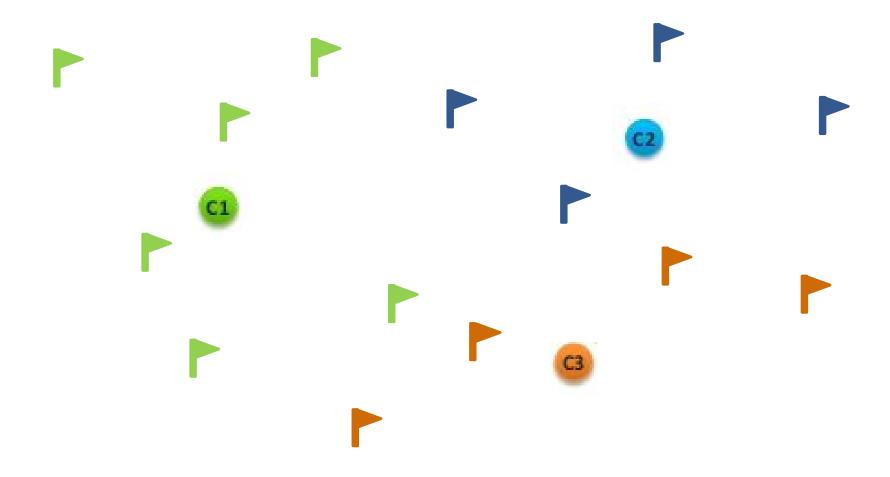


• Assign each point to its nearest cluster center



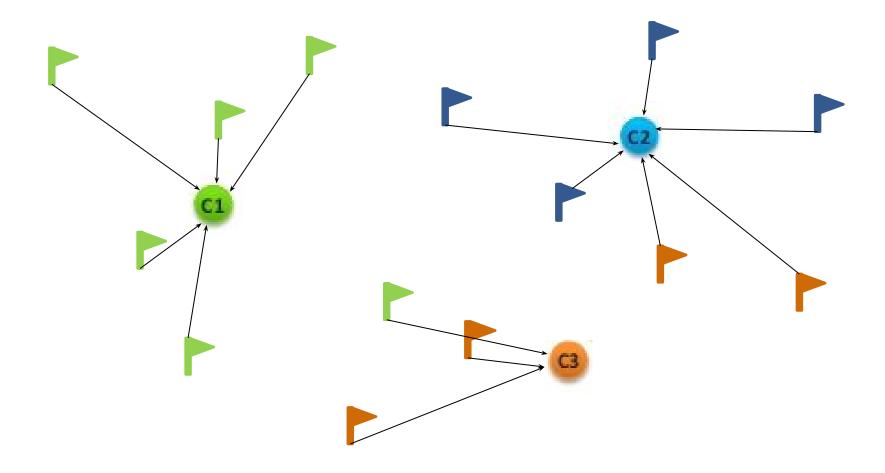


• Calculate centroids based on current allocation; shift cluster centers to centroids



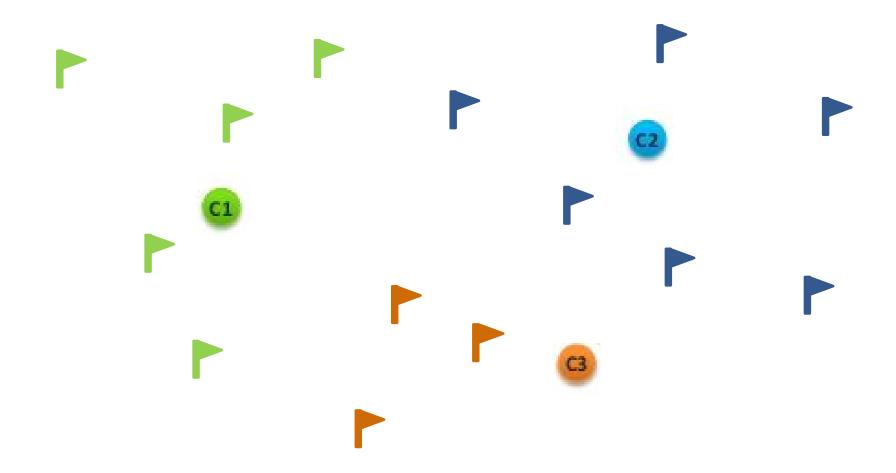


• Re-assign each point to its nearest cluster center



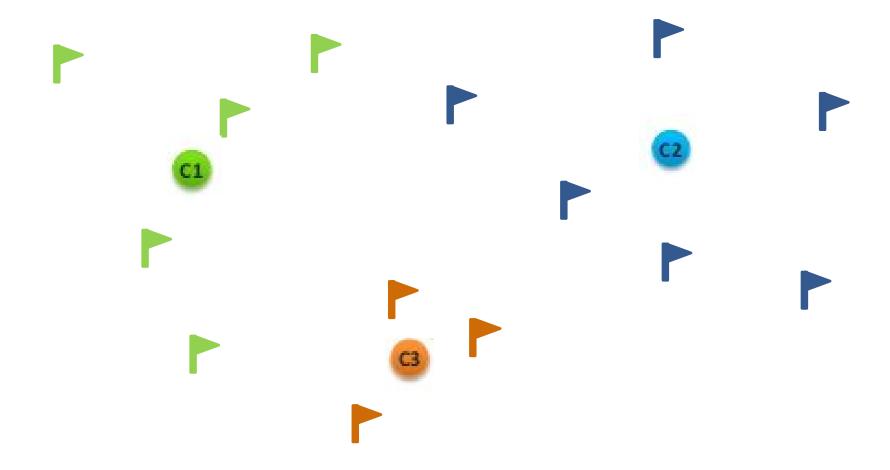


• Form new clusters



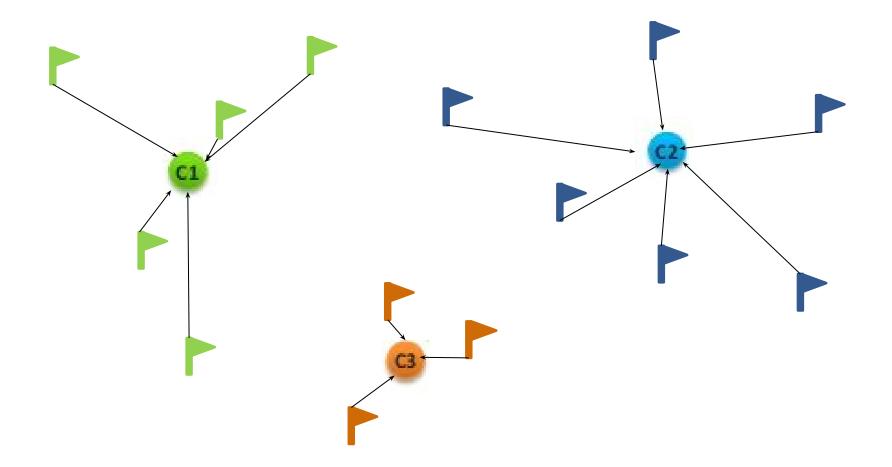


• Re-calculate cluster centers again



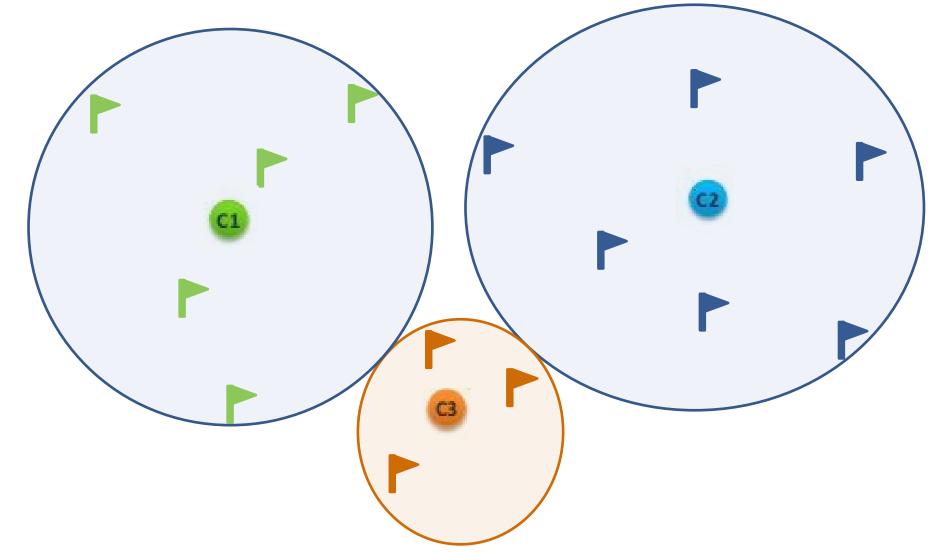


• Re-assign each point to its nearest cluster center





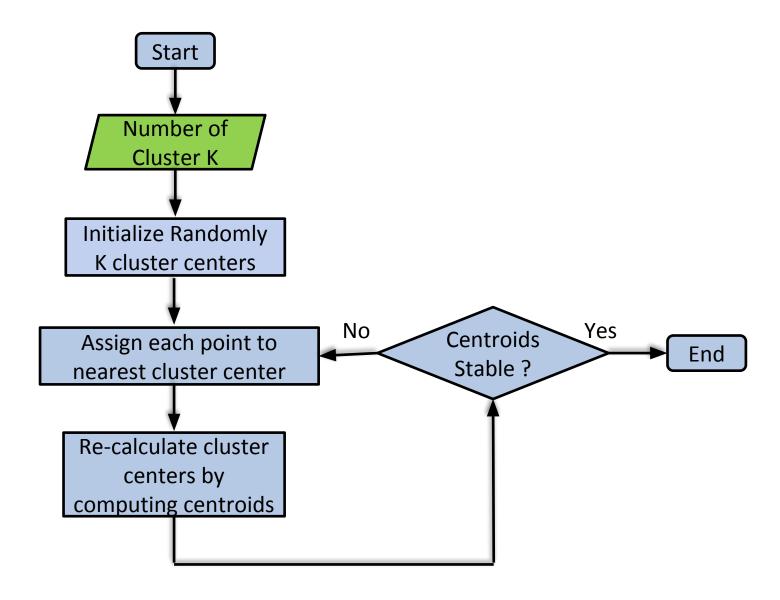
• Convergence check - No reassignments of points => final 3 clusters







K-Means Flowchart





>>>> K-Means Algorithm

- 1. Initialize cluster centroids $\mu_1, \mu_2, \dots, \mu_k \in \mathbb{R}^n$ randomly.
- 2. Repeat until convergence: {

For every i, set

$$c^{(i)} := \arg\min_{j} ||x^{(i)} - \mu_j||^2.$$

For each j, set

$$\mu_j := \frac{\sum_{i=1}^m 1\{c^{(i)} = j\}x^{(i)}}{\sum_{i=1}^m 1\{c^{(i)} = j\}}.$$

}

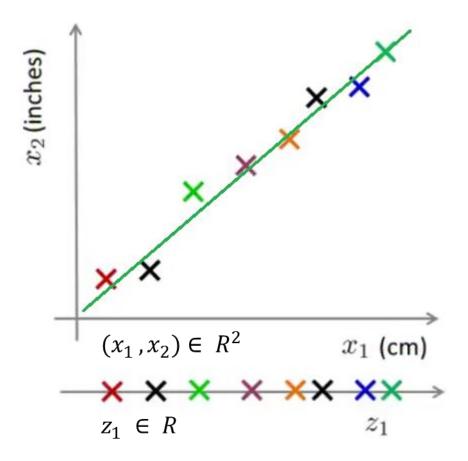
Image Source: http://stanford.edu/~cpiech/cs221/handouts/kmeans.html



>>>> Dimensionality Reduction - Intuition

Compact representation of data, minimize information loss

Discover "intrinsic dimensionality" (e.g. text representation)



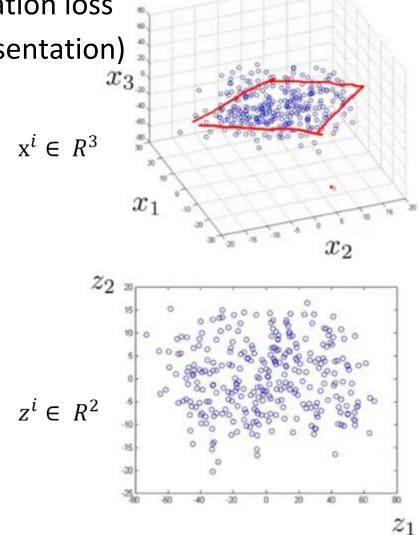


Image Source: https://www.coursera.org/learn/machine-learning



>>>> Principal Component Analysis (PCA)

- Project to lower dimension; minimize projection error
- U1 or U2?

Why U1 is better?

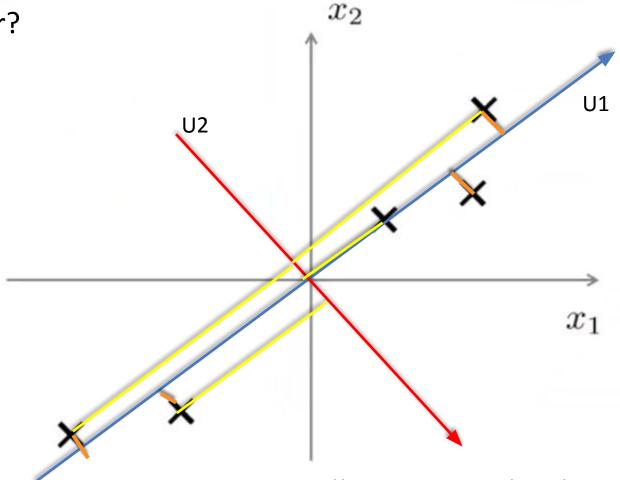


Image adapted from: https://www.coursera.org/learn/machine-learning



>>>> PCA: Finding the basis

- Mean normalization
 - From training data $x^{(1)}, x^{(2)}, \ldots, x^{(m)}$, calculate mean $\mu_j = \frac{1}{m} \sum_{i=1}^{m} x_j^{(i)}$
 - Zero centering : $x_j^{(i)} = x_j \mu_{j\cdot}$ (could optionally scale with max-min or std. deviation)
- Calculate covariance matrix: $\Sigma = \frac{1}{m} \sum_{i=1}^{n} (x^{(i)})(x^{(i)})^T$, vectored form = $\frac{1}{m} X^T X$
 - Note: it is an n x n matrix
- Calculate Eigen vectors : [U,S,V] = svd(sigma); U is n x n matrix

$$U = \begin{bmatrix} | & | & | \\ u^{(1)} & u^{(2)} & \dots & u^{(n)} \\ | & | & | \end{bmatrix} \in \mathbb{R}^{n \times n}$$



>>>> PCA: Projection & Reconstruction

- Reduce dimensionality by projecting to the new basis $U_{reduce} \in R^{n \times k}$ $z = U_{reduce}^T \times x$, since $x \in R^{n \times 1}$, $z \in R^{k \times 1}$
- Reconstruction: $x_{aprox} = U_{reduce} \times z$; $x_{aprox} \in R^{n \times 1}$

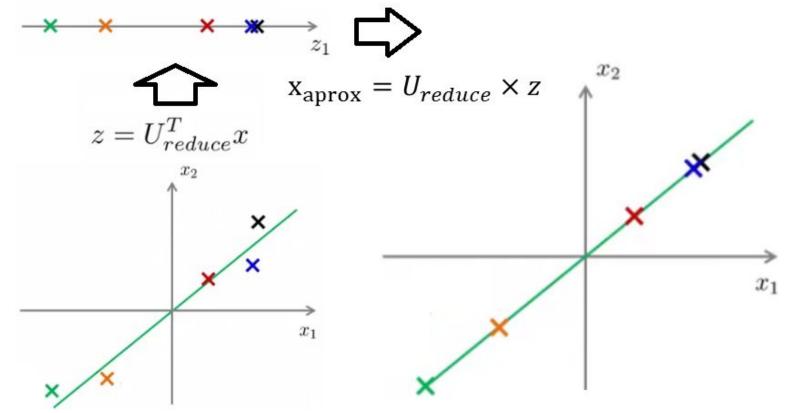


Image adapted from: https://www.coursera.org/learn/machine-learning



>>>> Choosing number of Principal Components

- Intuition:
 - PCA tries to minimize averaged squared projection error
 - Data is zero centered, so variance in data would be $rac{1}{m}\sum_{i=1}^{m}\|x^{(i)}\|^2$
- Ratio of averaged squared projection error to total variance to be as small as possible

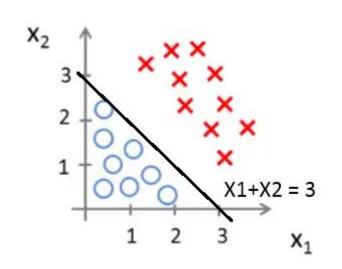
$$\frac{\frac{1}{m} \sum_{i=1}^{m} \|x^{(i)} - x_{approx}^{(i)}\|^2}{\frac{1}{m} \sum_{i=1}^{m} \|x^{(i)}\|^2} \le 0.01$$
 (1%)

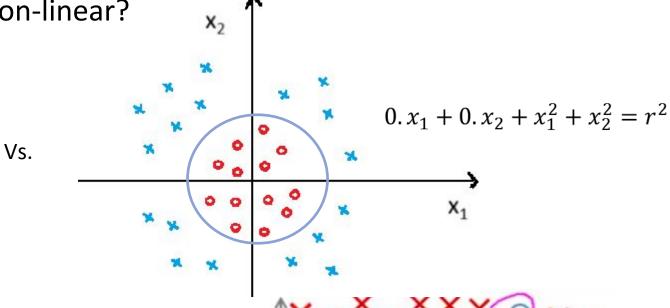
- Iteratively changing k and calculating this ratio is costly; what to do?
- Eigen value indicative of variance explained by corresponding eigen vector
 - Contribution from ith eigen vector = $\frac{\lambda_i}{\sum_{i=1}^n \lambda_i}$



>>>> Neural Networks & Deep Learning: Intuition

What if decision boundary is non-linear?





- A bit more complex case? $g(w_1.x_1 + w_2.x_2 + w_3.x_1x_2 + w_4.x_1^2x_2 + w_5.x_1x_2^2....)$
- Dimensionality much larger in practice
 - Which higher order terms to choose?

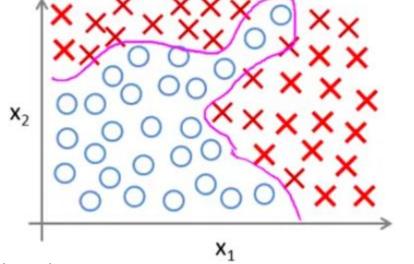


Image adapted from: https://www.coursera.org/learn/machine-learning



>>>> A practical problem: Computer Vision

- A 50x50 greyscale image => 2500 features
- A 50x50 RGB image => 7500 features
- Even 2 feature combinations are tricky
 - 2500 features = > around 3123750 features ($\approx \frac{n^2}{2}$)
 - 7500 features => around 28121250 features
- Simple linear hypothesis is not sufficient
 - Option 1: Careful feature engineering (e.g. SIFT, HOG etc.)
 - Option 2: Neural networks model complex non-linear hypothesis in high dimensions

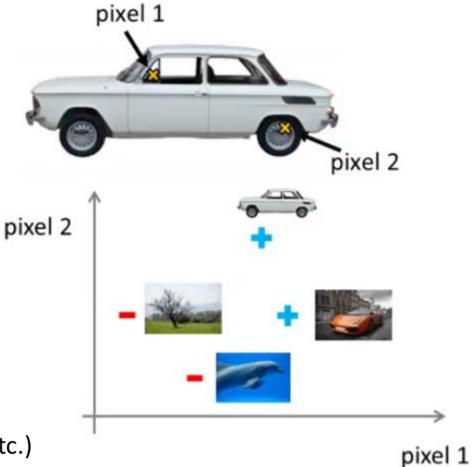


Image adapted from: https://www.coursera.org/learn/machine-learning

flyrxr >>>>

>>>> Logistic Unit

- Input is X (feature vector)
- Parameter vector/weight is theta

$$x = \begin{bmatrix} x_0 \\ x_1 \\ x_2 \\ x_3 \end{bmatrix} \theta = \begin{bmatrix} \theta_0 \\ \theta_1 \\ \theta_2 \\ \theta_3 \end{bmatrix}$$
 bias = +1
$$h_{\theta}(x)$$

$$h_{\theta}(x) = g(\theta^T x) = \frac{1}{1 + e^{-\theta^T x}}$$



>>>> Neural Network

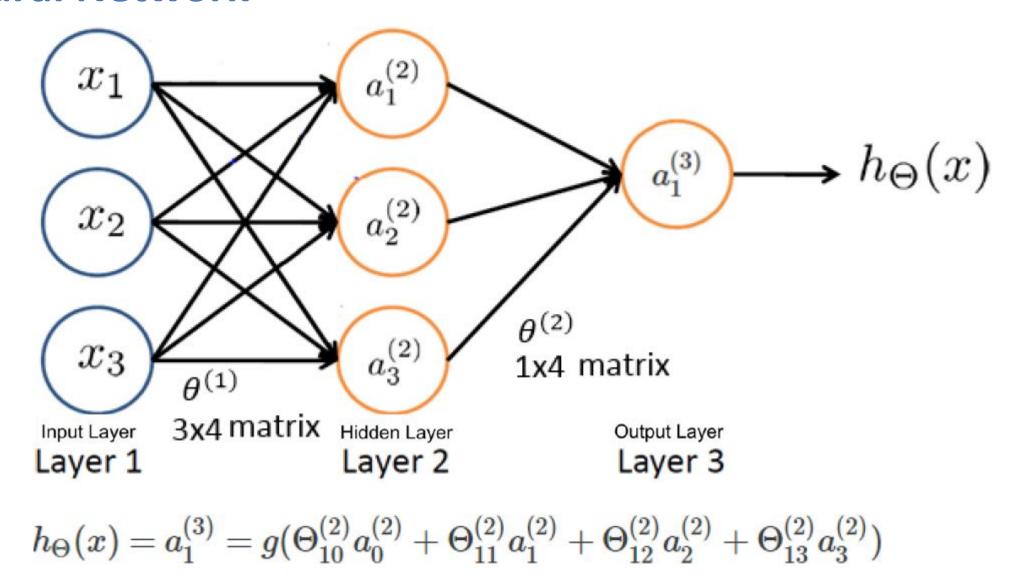


Image adapted from: https://www.coursera.org/learn/machine-learning



>>>> Model Internals

- Forward propagation from input to prediction
- Back propagation from prediction to error, and finally to weight correction
 - Calculate final error, and back-calculate error associated with each neuron from preceding layer
- Cost function (multi-class): $h_{\Theta}(x) \in \mathbb{R}^K$ $(h_{\Theta}(x))_i = i^{th}$ output

$$J(\Theta) = -\frac{1}{m} \left[\sum_{i=1}^{m} \sum_{k=1}^{K} y_k^{(i)} \log(h_{\Theta}(x^{(i)}))_k + (1 - y_k^{(i)}) \log(1 - (h_{\Theta}(x^{(i)}))_k) \right] + \frac{\lambda}{2m} \sum_{l=1}^{L-1} \sum_{i=1}^{s_l} \sum_{j=1}^{s_{l+1}} (\Theta_{ji}^{(l)})^2$$

Optimize cost function using gradient descend to obtain weights



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>>>> Large scale ML != learning + parallelism

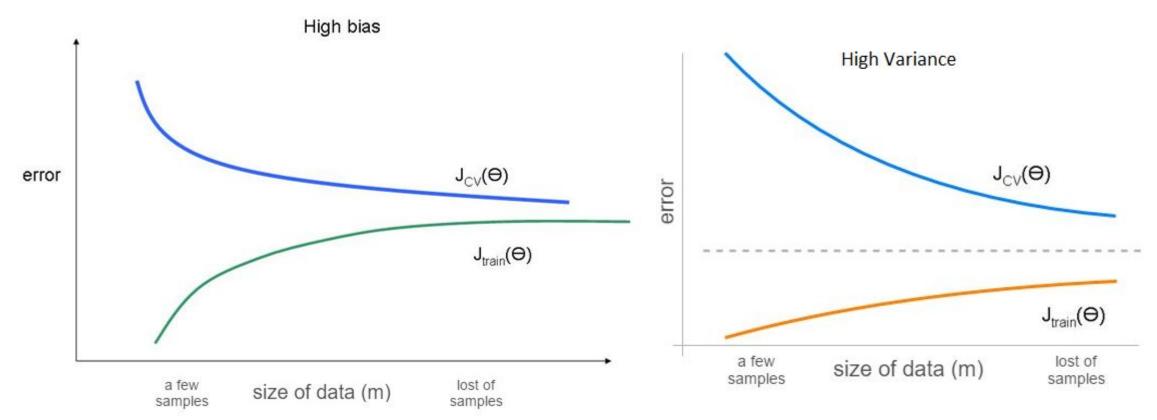
- Many millions of examples & many millions of features (e.g. web scale spam mgmt.)
- Some steps are parallelizable
 - Data pre-processing & extraction
 - Normalization
 - Model quality evaluation
- What about the learning step? It depends!
 - Naïve Bayes only counting business, so easily parallelizable
 - Closed form matrix calculations (e.g. Normal Equations for linear regression difficult)
 - Optimization using gradient descend (Stochastic Gradient Descend can help)
- Approximation is the key (e.g. Random projections, approx. gradient etc.)



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>>>> Sampling vs. Full data

- Cant I sample a few instances (say 5000) from millions, and train?
 - Depends on the learning curve



Simply adding more data will not help Increase features & then train on large data

Adding data would likely improve the model



>>>> Gradient Descent vs. Stochastic Gradient Descend (SGD)

Consider optimizing linear regression cost function using gradient descend

Repeat { Gradient calculation won't scale as m grows large
$$\theta_j := \theta_j - \alpha \frac{1}{m} \sum_{i=1}^m (h_\theta(x^{(i)}) - y^{(i)}) x_j^{(i)}$$
 (for every $j = 0, \dots, n$) 1. Randomly shuffle (reorder) training examples

• SGD to rescue

2. Repeat { // A few times (say 1..5) for $i \coloneqq 1, \dots, m$ { $\theta_j := \theta_j - \alpha(h_\theta(x^{(i)}) - y^{(i)})x_j^{(i)}$ (for every $j = 0, \dots, n$)

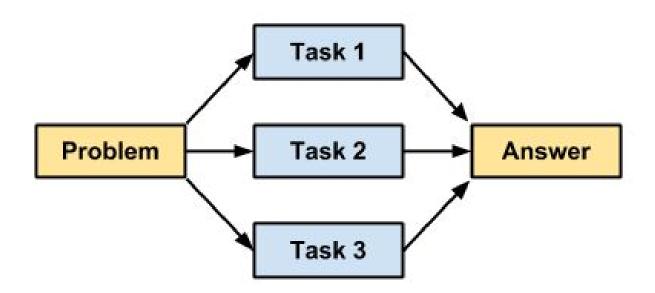
Gradient calculated



>>>> Distributed Learning & Map-Reduce

• Divide & conquer + commutativity of addition => very powerful!

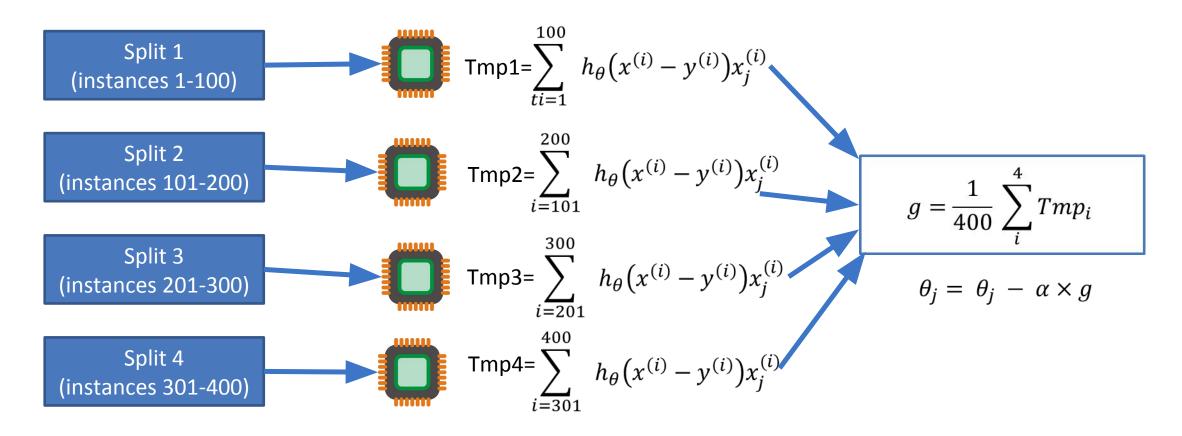
 Many learning algorithms can be expressed as computing sum of functions over training instances





>>>> Parallelizing Batch Gradient Descent

- Assume 400 instances, gradient calculation involves $\frac{1}{400}\sum_{i=1}^{400}(h_{\theta}(x^{(i)})-y^{(i)})x_{j}^{(i)}$
 - Parallelizing on 4 machines / cores to yield approx. 4X improvement





>>>> Key References

- CS 109 Data Science, Harvard University, http://cs109.github.io/2015/
- Machine Learning, Coursera, https://www.coursera.org/learn/machine-learning
- http://stanford.edu/~cpiech/cs221/handouts/kmeans.html
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- https://www.pycon.it/media/conference/slides/ai-e-machine-learning-cosa-bisog na-sapere.pdf



Thank You













