ΜΥΕ028- ΥΠΟΛΟΓΙΣΤΙΚΗ ΟΡΑΣΗ

ΣΥΝΟΛΟ ΑΣΚΗΣΕΩΝ 2

ΤΣΟΠΟΥΡΙΔΗΣ ΓΡΗΓΟΡΙΟΣ, ΑΜ:3358

Άσκηση 2:

a)
$$3f^{T}x + 3$$

$$\frac{\partial}{\partial x}(3f^{T}x + 3) = 3\frac{\partial}{\partial x}(f^{T}x + 3) = 3f\frac{\partial}{\partial x}(x) = 3f$$

Για x = [x1,x2,...,xn]

$$\frac{\partial}{\partial x}x = 1$$
 διότι $\frac{\partial}{\partial x}x = [\frac{\partial}{\partial x_1}x_1, \frac{\partial}{\partial x_n}x_n]$

β)
$$5||x||^{2} + 2f^{T}x + x^{T}(D+3I)f + 8f^{T}D^{T}f$$

$$\frac{\partial}{\partial x}(5||x||^{2} + 2f^{T}x + x^{T}(D+3I)f + 8f^{T}D^{T}f) = 5 * 2x + 2f + (D+3I)f = 10x + 2f$$

$$Df + 3If$$

γ) Αρχικά η παράγωγος:

g'(x) =
$$f + \frac{1}{2}(DD^T + 3I)x + \frac{1}{2}((3I)^T + DD^T)x$$

g'(x) = $f + \frac{1}{2}x[(DD^T + 3I) + ((3I)^T + DD^T)]$
Apá yia g'(x) = 0:
 $\frac{-f}{2} = x[(DD^T + 3I) + ((3I)^T + DD^T)] \iff$

$$\frac{-f}{2[(DD^T + 3I) + ((3I)^T + DD^T)]} = \chi$$