

Answer

To show that formula Inv is not an inductive invariant, consider a step that starts with control at d and x equal to y . I believe the simplest inductive invariant that implies $PartialCorrectness$ is:

$$\wedge Inv$$

$$\wedge (pc = \text{"d"}) \Rightarrow (x \neq y)$$

[CLOSE](#)