# RECOMMENDER SYSTEM (PHASE 2) BY GROUP 2

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# **ABSTRACT**

Multimedia objects cannot be stored with all available features due to dimensionality curse and cost factor. Initial step for any multimedia database design is feature selection or dimensionality reduction. Vector space model is an algebraic model for representing text documents (and any objects, in general) as <u>vectors</u> of identifiers, such as, for example, index terms. It is used in <u>information filtering</u>, <u>information retrieval</u>, <u>indexing</u> and relevancy rankings. This project aims in obtaining discriminating tag vectors for given inputs in a database so that it can be used for feature selection or dimensionality reduction. Once data has been reduced then other operations such as clustering and classification can be done.

**Keywords**: term frequency; inverse document frequency; PCA; SVD; LDA; Page Rank; Tensor;

#### INTRODUCTION

#### **TERMINOLOGY**

- Term A term is any feature of an object in a vector space or dataset [2]
- Document A document is an object that can have many features or terms [2]
- Term Frequency (TF) It is the raw count of a term in a document, i.e. the number of times that term t occurs in document d [4]
- Inverse Document Frequency (TF-IDF) It is a measure of how much information the word provides, that is, whether the term is common or rare across all documents D [4]
- Pandas It is a powerful Python data analytics toolkit. It is used to read input files, process and store results as csv file
- Data Frame It is a 2-dimensional labeled data structure with columns of potentially different types. It is like a spreadsheet or SQL table
- Tensor It is an array of arbitrary dimension. [2]

#### **GOAL DESCRIPTION**

The goal of this project is to learn the steps involved in representing the higher dimension data into lower dimension by various dimensionality reduction techniques. The goal of each task is as follows

- The goal in task 1a is to find top 4 latent semantics using PCA and SVD on TF-IDF space of tags and LDA on TF space of tags
- The goal in task 1b is to find top 4 latent semantics using PCA and SVD on TF-IDF space of actors and LDA on TF space of actors
- The goal of task 1c is to find and rank the 10 most similar actors by comparing the
  actor's TF-IDF tag vector. The input for this task which is an actor id will be given as
  input by the user. Also, we are free to use either PCA or SVD or LDA for dimensionality
  reduction and retrieve top 5 latent semantics to map the actor points in the tag vector
  space.
- The goal of task 1d is to find and rank the 10 most related actor who have not acted in the given movie by comparing the movie's TF-IDF tag vectors. The input to this task which is a movie id will be given by user. Also, we are free to use either PCA or SVD or LDA for dimensionality reduction and retrieve top 5 latent semantics to map the movie point in the tag vector space.
- The goal of task 2a is to from actor-actor similarity matrix, perform SVD on it and then form non overlapping groups according to memberships to top 3 latent semantics in the actor space.
- The goal of task 2b is to from co-actor-co-actor matrix, perform SVD on it and then form non overlapping groups according to memberships to top 3 latent semantics in the actor space.

- The goal of task 2c is to create an actor-movie-year tensor and perform CP on it, with target rank equal to 5. The top 5 latent semantics and clusters for actor, movie and year need to be reported.
- The goal of task 3a is to from actor-actor similarity matrix, and use it to find 10 most related actors using Random Walk with Restarts.
- The goal of task 3b is to from actor-actor similarity matrix, and use it to find 10 most related actors using Random Walk with Restarts.
- The goal of task 4 is to recommend the user 5 movies to watch based on the information provided. This information could be list of movies which he had previously watched. Based on this information we need to recommend top 5 similar movies that relate to these parameters.

#### **ASSUMPTIONS**

- The files in Input directory is hard coded in the program. Any change in file name will not work
- The column names in each input files are also hard coded. Any change in column names will not work
- Task 1c
  - Run the program by typing python task1c.py <actor-id>
  - o <actor-id> is any valid actor id in the database
- Task 1d
  - Run the program by typing python task1d.py <movie-id>
  - o <movie-id> is any valid movie id in the database
- Task 4
  - o Run the program by typing python task4.py <movie-id> <movie-id> .. <movie-id>
  - o <movie-id> is any valid movie id in the database

#### DESCRIPTION OF THE IMPLEMENTATION

The implementation of all tasks is done using Python. As discussed in project phase 1, TF-IDF stands for "Term Frequency, Inverse Document Frequency". It is a way to score the importance of words (or "terms") in a document based on how frequently they appear across multiple documents. A common formula for IDF is as below:

$$idf(\text{term}) = \ln\left(\frac{n_{\text{documents}}}{n_{\text{documents containing term}}}\right)$$

# TASK 1A

In this task, we need an input matrix of genre vs TF-IDF of tag vectors on which dimensionality reduction is applied using PCA, SVD and LDA. After applying dimensionality reduction, top four new semantics should be reported.

#### **Get Input matrix**

In case of PCA and SVD, for the input matrix, TF-IDF for each genre is calculated in tag space. All these vectors are appended together to form a N x M matrix, where N is number of genres and M is number of tags in the dataset. Understandably, a number of cells will be 0 as every genre might not have a relationship with a tag. In such cases we are assigning 0 value to such cells.

For LDA, input matrix is computed by taking into account TF values on the tag space for each genre.

#### **PCA** on input matrix

Python's library sklearn is used for decomposition computations on the input matrix. The function 'fit' is used to load the model with number of latent features (n\_components) selected as 4 and SVD solver selected to be 'full'. Function transform applies the model to the N  $\times$  M dataset where N = number of objects and M = number of old features. It returns an N  $\times$  K matrix where K = number of latent semantics after dimensionality reduction, which is also the left factor matrix or U as taught in the class. 'Components\_' returns the right factor matrix (K  $\times$  M) or the rV matrix.

```
pca_tags = decomposition.PCA(n_components=4, svd_solver = full)
pca_tags.fit(df_tags)
pca_tags_left_factor_matrix = pca_tags.transform(df_tags)
pca_tags_right_factor_matrix = pca_tags.components_
```

#### **SVD** on input matrix

The function 'fit' is used to load the SVD model with number of latent features (n\_components) selected as 4 and n\_iter, which denotes number of iterations is set to 7. Function transform applies the SVD model to the N x M original dataset where N = number of objects and M = number of old features. It returns an N x K matrix where K = number of latent semantics after dimensionality reduction, which is also the left factor matrix or U as taught in the class. 'Components\_' returns the right factor matrix (K x M) or the V matrix.

```
svd_tags = TruncatedSVD(n_components=4, n_iter=7, random_state=42)
svd_tags.fit(df_tags)
svd_tags_left_actor_matrix = svd_genre.fit_transform(df_tags)
svd_tags_right_actor_matrix = svd_genre.components_
```

#### LDA on input matrix

For LDA, we are computing matrix on the term frequency space of vectors. Again, function 'fit' is used to load the LDA model with number of latent features (n\_components) selected as 4 and number of iterations set to 10. Function transform applies the model to the N x M dataset where N = number of objects and M = number of old features. It returns an N x K matrix where K = number of latent semantics after probabilistic dimensionality reduction.

Input command format: "python GenreLatentSematics.py tag <model> <genre>"

**Sample Input command 1:** python GenreLatentSematics.py tag pca Thriller

#### **Output:**

```
[ishans-air:Phase2 ishandikshit$ python GenreLatentSematics.py tag pca Thriller
-----TAG PCA-----
[-0.07884957 -0.08011425 0.30275781 -0.0204338 ]

Most contributing features per latent semantic:
Latent semantic 1: magic computer animation harry potter animation
Latent semantic 2: world war ii best war films magic musicians
Latent semantic 3: violent cannibalism psychology serial killer
Latent semantic 4: zombies comedy espionage buddy movie
```

Sample Input command 2: python GenreLatentSematics.py tag Ida Action

#### **Output:**

```
[ishans-air:Phase2 ishandikshit$ python GenreLatentSematics.py tag lda Action ----TAG LDA----
[ 0.11360466  0.65791705  0.11406699  0.1144113 ]

Most contributing features per latent semantic:
Latent semantic 1: pointless action time travel hilarious
Latent semantic 2: heroine in tight suit comic book superhero action
Latent semantic 3: interesting best war films family atmospheric
Latent semantic 4: cgi comic book world war ii best war films
```

# TASK 1B

In this task, we need an input matrix of genre vs TF-IDF of actor vectors on which dimensionality reduction is applied using PCA. After applying PCA, top four new semantics should be reported.

#### **Get Input matrix**

In case of PCA and SVD, for the input matrix, TF-IDF for each genre is calculated in actor space. All these vectors are appended together to form a N x M matrix, where N is number of genres and M is number of actors in the dataset. Understandably, a number of cells will be 0 as every genre might not have a relationship with an actor. In such cases we are assigning 0 value to such cells.

For LDA, input matrix is computed by taking into account TF values on the actor space for each genre.

#### Apply PCA, SVD and LDA on input matrix

Again, similar to task 1a, python's library sklearn is used for decomposition computations on the input matrix. The difference being, in this task the input matrix consists of genre vectors in actor space instead of tag space as in program 1a.

Python's library sklearn is used for decomposition computations on the input matrix.

Input command format: "python GenreLatentSematics.py actor <model> <genre>"

**Sample Input Command 1:** python GenreLatentSematics.py actor pca Thriller

#### Output:

```
lishans-air:Phase2 ishandikshit$ python GenreLatentSematics.py actor pca Thriller
-----ACTOR PCA----
[-0.08892204  0.01785428  0.2121926  -0.06925541]

Most contributing features per latent semantic:
Latent semantic 1: Bradshaw, Terry Bonham Carter, Helena Cardellini, Linda Carman, Michael
Latent semantic 2: Astin, Sean Thomas, Eddie Kaye Sisto, Jeremy Page, Ellen
Latent semantic 3: Smith, Soloman K. Paetkau, David Brooks, Avery Campbell, Jeremie
Latent semantic 4: Walken, Christopher Duke, Bill LL Cool J Lamont, Ceilidh
```

Sample Input Command 2: python GenreLatentSematics.py actor Ida Action

#### Output:

# TASK 1C

#### **Get Input matrix**

For any given new data set Actor's TF-IDF tag vectors are calculated first using methods discussed in Phase 1 project. This model was stored in a csv file which has actor id, tags associated with this actor and its corresponding TF-IDF weights. This is used to calculate actor's tag vector. The cell where an actor has no tag will be assigned as zero. Thus, our input matrix will have all actors in rows and all tags in column and its corresponding TF-IDF values. Then we apply PCA method to reduce the dimensionality of the data.

#### **Apply PCA on this input matrix**

- · Find the covariance matrix from the input matrix
- Get Eigen values and Eigen vectors as pairs from this covariance matrix.
- These pairs are sorted based on Eigen values in descending order. We cannot assume always the Eigen decomposition will give sorted Eigen values and Eigen vector pair. If the TF-IDF values are not normalized then we get random or unsorted Eigen value vector pair
- · We decide number of dimensions to keep based on the values obtained from a factor called "explained variance". This is calculated as follows
- Total\_sum = sum(eig\_vals)
- Exp\_var = [(index / tot) \* 100 for index in eig\_vals]
- o cum\_var\_exp = np.cumsum(var\_exp)
- The explained variance tells us how much information (variance) can be attributed to each of the principal components. In order to hold 100% of variance we keep the threshold as 100 for this cum var exp and keep adding top dimensions until this number is reached
- Here, we are reducing the m-dimensional feature space to a k-dimensional feature subspace (k<<m), by choosing the "top k" eigenvectors with the highest eigenvalues

#### Find Similar actor

Our points in new vector space represents the actors. If two points are closer we assume they are related in tag space and are considered similar. We use scipy package to compute Euclidean distance between the given actor id and all actor id in the reduced dimension space. We sort the distance array in ascending order and get first 10 values.

#### Output

The output represents related actor with their id and the distance between given actor. Here we try to maintain 90% of original variance in the reduced new dimension. We get 90% of variance when we add 19 latent semantics.

Reducing no of dimensions from 79 to 19

Top 10 related actors to the given actor Moore, Julianne

Visnjic, Goran (2392683) 0.0191177027673 Leary, Denis (1297720) 0.0202263033826 Griffiths, Richard (878356) 0.0203894364335 Ferris, Pam (2946264) 0.0216299061296 Oldman, Gary (1698048) 0.0346555952291 Duncan, Michael Clarke (623809) 0.0371645945286 Cheadle, Don (396877) 0.0387176277124 Shaw, Fiona (3704908) 0.0421134032147 Berry, Halle (2665816) 0.0494554830881 Liotta, Ray (1342347) 0.0519833928436

Here we have further reduced the dimensions to only 5. This will not capture 90% variance but good enough for comparing similarities between objects.

Reducing no of dimensions from 79 to 5

Top 10 related actors to the given actor Moore, Julianne

Phifer, Mekhi (1792455) 0.00175902296454
Farrell, Colin (692749) 0.00214410110528
Griffiths, Richard (878356) 0.00254233877029
Leary, Denis (1297720) 0.00321651226306
Jackman, Hugh (1069742) 0.0042481415093
Paetkau, David (1726318) 0.00427898396788
Berry, Halle (2665816) 0.00543501466018
Buscemi, Steve (316365) 0.00585679147518
Shalhoub, Tony (2082212) 0.00603031030233
Bright, Cameron (277151) 0.00654493625875

### TASK 1D

#### **Get Input matrix**

For any given new data set Movie's TF-IDF tag vectors are calculated first using methods discussed in Phase 1 project. This model was stored in a csv file which has movie id, tags associated with this movie and its corresponding TF-IDF weights. This is used to calculate movie's tag vector. The cell where a movie has no tag will be assigned as zero. Thus, our input matrix will have all movies in rows and all tags in column and its corresponding TF-IDF values. Then we apply PCA method to reduce the dimensionality of the data.

#### Apply PCA on this input matrix

- Find the covariance matrix from the input matrix
- Get Eigen values and Eigen vectors as pairs from this covariance matrix.
- These pairs are sorted based on Eigen values in descending order. We cannot assume always the Eigen decomposition will give sorted Eigen values and Eigen vector pair. If

- the TF-IDF values are not normalized then we get random or unsorted Eigen value vector pair
- We decide number of dimensions to keep based on the values obtained from a factor called "explained variance". This is calculated as follows
  - o Total\_sum = sum(eig\_vals)
  - o Exp\_var = [(index / tot) \* 100 for index in eig\_vals]
  - o cum var exp = np.cumsum(var exp)
- The explained variance tells us how much information (variance) can be attributed to each of the principal components. In order to hold 100% of variance we keep the threshold as 100 for this cum\_var\_exp and keep adding top dimensions until this number is reached
- Here, we are reducing the m-dimensional feature space to a k-dimensional feature subspace (k<<m), by choosing the "top k" eigenvectors with the highest eigenvalues

#### Find Similar actor

- Our points in new vector space represents the movies. If two points are closer we
  assume they are related in tag space and are considered similar. We use scipy package
  to compute Euclidean distance between the given movie id and all movie id in the
  reduced dimension space. We sort the distance array in ascending order and get similar
  actors who have not acted in the given movie as follows
- From the similar movie get the actors who have acted in this movie
- Select the actor with lower actor rank and check if he has not acted in the given movie and if so select this candidate as related actor.
- Repeat this process until you get 10 related actors

#### Output

The output represents related actor with their id and the distance between given movie. Here we try to maintain 90% of original variance in the reduced new dimension. We get 90% of variance when we add 18 latent semantics.

Reducing no of dimensions from 79 to 18

Top 10 related actors who have not acted in Harry Potter and the Prisoner of Azkaban

Hopkins, Anthony (1014988) 0.00890299208358
Travolta, John (2312401) 0.0136221318109
Romano, Ray (1953875) 0.0206112524488
Affleck, Ben (17838) 0.0307561520245
Wen, Ming-Na (3900269) 0.0758153092027
Polley, Sarah (3558986) 0.356634192265
Chan, Jackie (386263) 0.803964280647
Larter, Ali (3257358) 0.954205614168
Ryan, Meg (3650577) 1.17005270086
Kinnear, Greg (1198397) 1.20637389104

Here we have further reduced the dimensions to only 5. This will not capture 90% variance but good enough for comparing similarities between objects.

Reducing no of dimensions from 79 to 5

Top 10 related actors who have not acted in Harry Potter and the Prisoner of Azkaban

Travolta, John (2312401) 0.000322803761417
Hopkins, Anthony (1014988) 0.00213172117268
Romano, Ray (1953875) 0.00424068475324
Affleck, Ben (17838) 0.00499542889141
Wen, Ming-Na (3900269) 0.0119905010356
Polley, Sarah (3558986) 0.0232484524967
Larter, Ali (3257358) 0.0240443358665
Ryan, Meg (3650577) 0.0269510764118
Kinnear, Greg (1198397) 0.0287618281719
Schwarzenegger, Arnold (2055016) 0.0300046630835

#### TASK 2

# TASK 2A

Filename: task2a.py

#### Goals:

- 1. creates an actor-actor similarity matrix (using tag vectors)
- 2. performs SVD on this actor-actor similarity matrix
- 3. reports the top-3 latent semantics, in the actor space, underlying this actor-actor similarity matrix
- 4. partitions the actors into 3 non-overlapping groups based on their degrees of memberships to these 3 semantics

#### Pretask:

#### Imports:

# this function is from phase 1 and is used to get the tfidf weights for tags found for each actor import print actor vector as pav

# sklearn decomposition is used for performing SVD import sklearn.decomposition as sd

# sklearn clustering is used for kmeans clustering import sklearn.cluster as sc

# numpy is used for finding covariance for mahalanobis distance import numpy as np

# dataframes is a pre-task for the first phase that gives access to the datased import dataframes as df

# these are distance metrics that are being used # user can choose from each of these metrics to get similarity matrix

```
from sklearn.metrics.pairwise import manhattan_distances from sklearn.metrics.pairwise import cosine_similarity from sklearn.metrics.pairwise import cosine_distances from sklearn.metrics.pairwise import distance
```

Generation of the tag vectors for each actor is a prerequisite for the first task. The function used is from phase 1 in the file is given below:

```
# to generate the actor vs tag matrix
# where each actor is one row and is represented in terms of thidf of tags
# that has appeared for that particular actor
def get actor tag matrix (consider zero tag vectors=True):
 # getting tfidf tags for all vectors (this function was written in phase 1)
 actor_data = pav.get_tf_idf_for_all_actors()
 tag_vector = {}
 actor_vector = {}
 actor list = []
 actor count = 0
 tag_count = 0
 # generating a list of all actors present in the dataset to associate with the matrix
  # the index of the actorid is the same as the index/row number in the actor tag matrix
 for actor_datum in actor_data:
    if not actor vector.has key(actor datum['actorid']):
       actor_vector[actor_datum['actorid']] = actor_count
       actor_list.append(actor_datum['actorid'])
       actor count += 1
    if not tag vector.has key(actor datum['tag']):
       tag_vector[actor_datum['tag']] = tag_count
       tag count += 1
 # check if the user wants to ignore zero tag actors
 if consider zero tag vectors:
    # if user wants to keep the actors with no tags
    # adds the user tags to the list
    for actor in df.movie actors data['actorid'].unique():
       if not actor_vector.has_key(actor):
         actor vector[actor] = actor count
         actor list.append(actor)
         actor_count += 1
 actor_tag_matrix = [[[] for _ in range(tag_count)] for _ in range(len(actor_list))]
  # generating the actor_tag matrix from tag vectors received above
  for actor datum in actor data:
    actor index = actor vector.get(int(actor datum['actorid']))
    tag_index = tag_vector.get(str(actor_datum['tag']))
    actor_tag_matrix[actor_index][tag_index] = float(actor_datum['tfidfweight'])
```

```
# filling 0 for all tag values that were not present in the actor for the given row
for row_index in range(len(actor_tag_matrix)):
    for column_index in range(len(actor_tag_matrix[row_index])):
        if not actor_tag_matrix[row_index][column_index]:
            actor_tag_matrix[row_index][column_index] = 0
return actor_list, actor_tag_matrix
```

This part does not contain any mathematical assumptions or formulation. Here, tags with their weights for each actor are converted into an actor vs tag matrix where actors are rows and tags are columns.

**Goal 1:** creates an actor-actor similarity matrix (using tag vectors) Code:

```
# generates the actor-actor similarity matrix based on the distances between their tags
# this is capable of generating similarity matrix using a total of
# 4 different distance/similarity measures
# all distance measures consider either inverse or 1/measure to get similarity
# metric instead of distance measure
def get_actor_actor_similarity_matrix(similarity_measure=3, consider_zero_tag_vectors=True):
 actor_list, actor_tag_matrix = __get_actor_tag_matrix__(consider_zero_tag_vectors)
 actor_actor_similarity_matrix = [[[] for _ in range(len(actor_tag_matrix))]
                      for _ in range(len(actor_tag_matrix))]
 if similarity measure == 0:
    # inverse of manhattan distance matrix generation
    actor actor similarity matrix = \
       __get_similarity_from_distance_matrix__(manhattan_distances(actor_tag_matrix))
 elif similarity measure == 1:
    # cosine similarity matrix generation
    actor_actor_similarity_matrix = cosine_similarity(actor_tag_matrix)
  elif similarity measure == 2:
    # inverse of cosine distance matrix generation
    actor_actor_similarity_matrix = \
       __get_similarity_from_distance_matrix__(cosine_distances(actor_tag_matrix))
  elif similarity measure == 3:
    # mahalanobis distance calculation but the distance value is inverted i.e 1/value
    # once the distance is calculated and put in the similarity metric
    cov_matrix = np.cov(np.transpose(actor_tag_matrix))
    for actor index in range(len(actor tag matrix)):
      for actor index 2 in range(len(actor tag matrix)):
         dist = distance.mahalanobis(u=actor_tag_matrix[actor_index],
```

```
v=actor_tag_matrix[actor_index_2],
                         VI=cov matrix)
       if dist == 0:
          actor_actor_similarity_matrix[actor_index][actor_index_2] = 1
       else:
          actor_actor_similarity_matrix[actor_index][actor_index_2] = 1/(1 + dist)
else:
  # Euclidean distance measure
  # uses the distance function given above that returns reciprocal values of distance
  # making it mimic a similarity measure
  for actor_index in range(len(actor_tag_matrix)):
    for actor index 2 in range(len(actor tag matrix)):
       dist = get actor actor euclidean similarity (
          actor_tag_matrix[actor_index],
          actor tag matrix[actor index 2])
       actor_actor_similarity_matrix[actor_index][actor_index_2] = dist
return actor_list, actor_actor_similarity_matrix
```

#### **Explanation:**

Actor actor similarity matrix is calculated using 5 different distance/similarity metrics namely Euclidean distance, Mahalanobis distance, Cosine similarity, Cosine distance and Manhattan distance.

As you can see that these distance metrics do not represent similarity, I have used a way of converting distance to similarity as given in the stackexchange answer here: <a href="https://stats.stackexchange.com/questions/158279/how-i-can-convert-distance-euclidean-to-sim-ilarity-score">https://stats.stackexchange.com/questions/158279/how-i-can-convert-distance-euclidean-to-sim-ilarity-score</a>.

Formula used for conversion of distance to similarity: If d(p1,p2) represents the euclidean distance from point p1 to point p2s(p1,p2) = 1/1 + d(p1,p2)

# **Goal 2:** performs SVD on this actor-actor similarity matrix **Code:**

```
# performs SVD to get actor against latent semantic matrix
# using the actor-actor similarity metric generated above

def __get_actor_latent_matrix__(similarity_measure, consider_zero_tag_vectors=True):
    actor_list, actor_tag_matrix = \
        get_actor_actor_similarity_matrix(similarity_measure, consider_zero_tag_vectors)
    svd = sd.TruncatedSVD(n_components=3)
    svd.fit(actor_tag_matrix)
    semantics = []
```

#### **Explanation:**

We have used the following line

```
svd = sd.TruncatedSVD(n_components=3)
```

to get the function from scikit.decomposition package that performs SVD and generates output with 3 components. The code given below

```
svd.fit(actor tag matrix)
```

is used to generate the model on the actor tag matrix generated before. The code given below svd.transform(actor\_tag\_matrix)

is used to output the transformed matrix that has 3 columns and rows same as the number of actors.

**Goal 3:** reports the top-3 latent semantics, in the actor space, underlying this actor-actor similarity matrix

#### Code:

```
# generating the semantics in terms of actors and their importance
# present in each of the calculated semantics
for i in range(len(svd.components_)):
    semantics.append({})
    for actor in range(len(svd.components_[i])):
        semantics[i][actor list[actor]] = svd.components [i][actor]
```

#### **Explanation:**

The line below svd.components\_ provides a list of latent semantics where each semantic is a list of the actual semantics, actors in our case, and a value that is a measure of strength of membership of that actual semantic in the latent semantic. In simpler words, each value defines how important an actor in defining the latent semantic.

**Goal 4:** partitions the actors into 3 non-overlapping groups based on their degrees of memberships to these 3 semantics

#### Code:

```
# k means clustering is done to put the actors into 3 clusters based on
# their distances with respect to the latent semantics generated above.
def get_clusters(similarity_measure, consider_zero_tag_vectors=True):
    semantics, actor_list, latent_matrix = __get_actor_latent_matrix__(similarity_measure, consider_zero_tag_vectors)

# scikit clustering is used for kmean clustering
kmeans = sc.KMeans(n_clusters=3)
kmeans.fit(latent_matrix)
kmeans.transform(latent_matrix)
print "Total number of Actors: ", len(latent_matrix)
```

```
# separating clusters into 2-D arrays for easy representation later
cluster1 = []
cluster1_actors = []
cluster2 = []
cluster2_actors = []
cluster3 = []
cluster3_actors = []
for label in range(len(kmeans.labels_)):
  if kmeans.labels_[label] == 0:
     cluster1.append(latent matrix[label])
     cluster1_actors.append(actor_list[label])
  if kmeans.labels_[label] == 1:
     cluster2.append(latent matrix[label])
     cluster2_actors.append(actor_list[label])
  if kmeans.labels_[label] == 2:
     cluster3.append(latent matrix[label])
     cluster3_actors.append(actor_list[label])
# clusters is a list of three clusters
# each of these three clusters are a list of actorids
clusters = [cluster1, cluster2, cluster3]
# cluster actors is a list of three clusters
# each of these three clusters are a list of actor names
cluster_actors = [cluster1_actors, cluster2_actors, cluster3_actors]
return semantics, cluster_actors, clusters
```

#### **Explanation:**

The code given below

```
kmeans = sc.KMeans(n_clusters=3)
kmeans.fit(latent_matrix)
kmeans.transform(latent_matrix)
```

uses scikit's clustering package to perform kmean clustering. We used n\_clusters=3 so that it outputs 3 clusters.

kmeans.labels\_

is used to get a matrix that determines what cluster each actor was placed in.

#### **Output:**

The output of this is present in the Outputs folder and since it is really big, it can not be made a part of this report. Some insights are that cosine distance worked really well to get the similarity matrix. Mahalanobis distance also performed well as compared to euclidean and manhattan distance. Some sensible clusters could be seen when using Mahalanobis distance and cosine distance metrics and when the actors with 0 tfidf weights for all tags were ignored. Otherwise all these actors just became part of one of the clusters who were closest to the origin point (zero vector) of the vector space.

# TASK 2B

#### Goals:

- Form a co-actor co-actor matrix.
- Perform Singular Value Decomposition on the co-actor co-actor matrix
- Report the top 3 latent semantics in the reduced space of actors
- Partition the actors into 3 non-overlapping groups based on their membership to the latent semantics

For forming the co-actor-co-actor matrix:

- 1. A dictionary is formed having key values as actor id and list of movies played by that actor as values.
- 2. For every 2 actors in the database an intersection between their key-value pairs is computed.
- 3. The count of this key value pair is stored in the corresponding row of the co-actor-co-actor matrix

The function used for computing this matrix is symmetric and hence the matrix will also be symmetric, i.e.

co\_co(a1,a2)=co\_co(a2,a1)

Singular valued Decomposition(SVD) reduces the space by preserving data. Eigen decomposition reduces the dimensionality of data without scaling

Let D= Data matrix

Then SVD will decompose it into 3 matrices:

D= U \* S \* VT

U= Left factor matrix that represents objects in the reduced space of latent semantics

S= A diagonal matrix having squares of eigenvalues corresponding to latent semantics arranged in descending order

VT= Right Factor matrix that represents the latent semantics in terms of the features.

Since the matrix is symmetric,

The columns in U and the rows in V will be the same.

We use the eigenvalues in S matrix for choosing the top latent semantics we want to preserve.

We implement the SVD decomposition using the scikit-learn svd package.

svd = TruncatedSVD(n\_components=3,algorithm='arpack')

This will form a model for Singular Valued Decomposition. Since n\_components=3 we indicate that we want to retain the top 3 latent semantics of data.

```
The we use, svd.fit(co_co)
```

This function fits the Latent Semantic Indexing model to our co-actor-co-actor matrix.

```
Further, we perform dec=svd.fit transform(co co)
```

This function will perform dimensionality reduction on the matrix and return the data matrix that has 3 components.

```
l.e. if input= [ n_objects, n_features]
    output=[n_objects,n_components]
```

Since we have included the number of components as the input to the model, the function will give us back the mapping of actors onto the reduced space represented by top 3 latent semantics

Further we need to form non- overlapping groups according to membership of objects to these 3 latent semantics.

We will use k-means clustering for forming these non- overlapping groups.

```
kmeans = KMeans(n clusters=3, random state=0).fit(dec)
```

We pass number of clusters as 3 and seed as 0. This will group data based on membership to these latent semantics.

Finally we will display the top 3 latent semantics and the 3 grouping we have formed

Input command:

Command Prompt

C:\Users\Administrator\phase2\imdbdatabasedmovieretrieval\Phase2>python task2b.py

Sample Output:

FIRS	T LATENT	SEMANTIC	
	actorid	name	ls1
74	2312401	Travolta, John	4.199235e+00
129	1292135	Lawrence, Martin	3.029133e+00
18	2532241	Zahn, Steve	2.623163e+00
19	3076964	Hayek, Salma	1.590910e+00
278	45899	Allen, Tim	1.320083e+00
279	1395789	Macy, William H.	1.320083e+00
75	2665816	Berry, Halle	1.291174e+00
116	2520743	Yoakam, Dwight	1.104499e+00
127	621487	Duke, Bill	1.032253e+00
128	702631	Feore, Colm	1.032253e+00
72	396877	Cheadle, Don	1.002688e+00
73	1069742	Jackman, Hugh	1.002688e+00
145	1072668	Jackson, Samuel L.	9.382318e-01
213	2369664	Vaughn, Vince	9.382318e-01
146	3471294	Nielsen, Connie	9.382318e-01
144	511361	Daly, Tim	9.382318e-01
214	3813562	Thurman, Uma	9.382318e-01
212	377600	Cedric the Entertainer	9.382318e-01
218	2823711	Cruz, PenÃ@lope	8.213136e-01
17	2495559	Wood, Elijah	7.695967e-01
16	837734	Goldblum, Jeff	7.695967e-01
223	1323070	Levi, Zachary	6.767968e-01

SECO	ND LATENT	SEMANTIC	
3200	actorid	name	1s2
18		Zahn, Steve	
19	3076964	Hayek, Salma	
116	2520743	Yoakam, Dwight	
218	2823711	Cruz, PenÃ@lope	
17	2495559	Wood, Elijah	
16	837734	Goldblum, Jeff	
118	3763705	Stewart, Kristen	8.780981e-01
117	2963551	Foster, Jodie	8.780981e-01
127	621487	Duke, Bill	7.512033e-01
128	702631	Feore, Colm	7.512033e-01
115	2454190	Whitaker, Forest	6.484780e-01
129	1292135	Lawrence, Martin	2.628292e-01
303	319124	Butler, Gerard	2.296201e-01
161	225715	Bleu, Corbin	2.296201e-01
163	2647481	Beals, Jennifer	2.296201e-01
162	2274023	Thieriot, Max	2.296201e-01
305	2706646	Breslin, Abigail	2.296201e-01
304	353746	Carman, Michael	2.296201e-01
224	3301462	Long, Nia	6.872908e-02
223	1323070	Levi. Zacharv	6.872908e-02

THIRD LATENT SEMANTIC			
	actorid	name	
123	61523	Anderson, Anthony	
24	1329956	Li, Jet	
142	591435	DMX	
143	3116114	Hu, Kelly	
173	3762843	Stevenson, Cynthia	
124	1681146	O'Connell, Jerry	
125	2411110	Walken, Christopher	
171	1606367	Muniz, Frankie	
126	3890203	Warren, Estella	
172	3747431	Spearritt, Hannah	
26	2494359	Wong, Russell	
25	2427896	Washington, Isaiah	
27	2557253	Aaliyah	
18	2532241	Zahn, Steve	
40	1793283	Phillippe, Ryan	
42	2805709	Cook, Rachael Leigh	
19	3076964	Hayek, Salma	
7.4	2212461	Inavolta John	

#### Output for clusters:

```
GROUP2:
['Cheadle, Don', 'Jackman, Hugh', 'Travolta, John', 'Berry, Halle', 'Lawrence, Martin', 'Daly, Tim', 'Jackson, Samuel L.
', 'Nielsen, Connie', 'Cedric the Entertainer', 'Vaughn, Vince', 'Thurman, Uma', 'Allen, Tim', 'Macy, William H.']
GROUP3:
['Goldblum, Jeff', 'Wood, Elijah', 'Zahn, Steve', 'Hayek, Salma', 'Yoakam, Dwight', 'Duke, Bill', 'Feore, Colm', 'Cruz,
PenÃ@lope']
```

# TASK 2C

#### **Create tensor**

To create the actor-movie-year tensor, data from the csv files are used. Pandas is used to merge the files, and the dataframe is converted into a 3D matrix, where actor name, movie name and year are the features. This matrix is converted into 1D numpy arrays and duplicates are removed. The tensor element value is stored as 1 if the actor-movie-year triple exists, otherwise 0 is stored. The code below implements this:

This numpy array is converted into a dense tensor using the scikit-tensor (sktensor) library.

# **Performing CP**

Once the tensor is formed, CP is performed on it, using the sktensor library function cp\_als. The input parameters given are the tensor, its target rank (equal to 5), and init=random indicates that the factor matrices are initialized randomly. This function returns the 3 factor matrices, the fit of the transformation, number of iterations taken to reach this output, and the time taken during each iteration.

```
tensor = dtensor(T)

# Decompose tensor using CP-ALS
U, fit, itr, exectimes = cp_als(tensor, 5, init='random')
print U
```

#### Displaying the latent semantics

The top-5 latent semantics for actor, movie and year have to be reported. For this, we consider the three factor matrices given by CP and display them in descending order of their latent features. We perform this for all three factor matrices, actor, movie and year.

```
latent_semantics_year = pd.DataFrame(columns=['year', 'ls1', 'ls2', 'ls3', 'ls4', 'ls5'])
latent_semantics_year['year'] = year
latent_semantics_year['lsl'] = U[0][:, 0]
latent_semantics_year['1s2'] = U[0][:, 1]
latent_semantics_year['ls3'] = U[0][:, 2]
latent_semantics_year['ls4'] = U[0][:, 3]
latent semantics year['ls5'] = U[0][:, 4]
print 'Latent Semantic for Year sorted by LS1'
lsl = latent_semantics_year.sort_values(by='lsl', ascending=False)
print 1sl
print 'Latent Semantic for Year sorted by LS2'
1s2 = latent_semantics_year.sort_values(by='1s2', ascending=False)
print 1s2
print 'Latent Semantic for Year sorted by LS3'
1s3 = latent semantics year.sort values(by='1s3', ascending=False)
print 1s3
print 'Latent Semantic for Year sorted by LS4'
1s4 = latent semantics year.sort values(by='ls4', ascending=False)
print 'Latent Semantic for Year sorted by LS5'
1s5 = latent semantics year.sort values(by='ls5', ascending=False)
print 1s5
```

#### Find non-overlapping groupings

To find the non-overlapping groupings for the factor matrices, we have used KMeans. We implemented KMeans using the sklearn library, giving the number of clusters (equal to 5), and giving seed as 0. The output would be a list of the cluster each element would belong to, with range being 1-5. We then display the different clusters in separate lists.

```
# Clusters for year
kmeans_year = KMeans(n_clusters=5, random_state=0).fit(U[0])

cl = []
c2 = []
c3 = []
c4 = []
c5 = []

for i in range(0, len(kmeans_year.labels_) - 1):
    if kmeans_year.labels_[i] == 0:
        cl.append(year[i])
    elif kmeans_year.labels_[i] == 1:
        c2.append(year[i])
    elif kmeans_year.labels_[i] == 2:
        c3.append(year[i])
    elif kmeans_year.labels_[i] == 3:
        c4.append(year[i])
    elif kmeans_year.labels_[i] == 4:
        c5.append(year[i])

print 'Cluster 1:'
print cl
print 'Cluster 2:'
print c2
```

# Output Partial output for latent semantics for year

```
Latent Semantic for Year sorted by LS1
                 lsl
                              1s2
                                            1s3
                                                         1s4
                                                                       1s5
  year
2 2002 1.000000e+00 1.132057e-58 -4.413251e-41 8.206121e-24 7.386783e-44
8 2008 4.532263e-28 -7.035240e-28 1.163310e-46 1.798467e-52 1.291149e-43
0 2000 6.236474e-42 -4.783227e-20 1.000000e+00 -1.571635e-17 5.819407e-19
  2001 2.213998e-81 8.517752e-23 -1.408450e-41 -5.579430e-57
                                                              7.060845e-37
5 2005 1.897657e-83 1.997902e-24 -3.303626e-43 -4.782229e-59 5.819296e-39
  2007 -5.128560e-44 9.845279e-01 -2.119686e-19 1.292433e-19 -1.807017e-16
3 2003 -7.502768e-43 -4.443814e-17 2.763730e-19 1.890750e-18 1.000000e+00
6 2006 -1.911639e-24 3.922185e-23 -1.132008e-17 1.000000e+00 1.622211e-20
4 2004 -2.047080e-24 -5.685955e-34 1.258442e-35 5.809868e-37 6.680577e-17
Latent Semantic for Year sorted by LS2
   year
                 131
                              152
                                            183
                                                          134
                                                                       185
7 2007 -5.128560e-44 9.845279e-01 -2.119686e-19 1.292433e-19 -1.807017e-16
1 2001 2.213998e-81 8.517752e-23 -1.408450e-41 -5.579430e-57 7.060845e-37
6 2006 -1.911639e-24 3.922185e-23 -1.132008e-17 1.000000e+00 1.622211e-20
5 2005 1.897657e-83 1.997902e-24 -3.303626e-43 -4.782229e-59 5.819296e-39
2 2002 1.000000e+00 1.132057e-58 -4.413251e-41 8.206121e-24
                                                              7.386783e-44
4 2004 -2.047080e-24 -5.685955e-34 1.258442e-35 5.809868e-37 6.680577e-17
  2008 4.532263e-28 -7.035240e-28 1.163310e-46 1.798467e-52
                                                              1.291149e-43
0 2000 6.236474e-42 -4.783227e-20 1.000000e+00 -1.571635e-17 5.819407e-19
  2003 -7.502768e-43 -4.443814e-17 2.763730e-19 1.890750e-18 1.000000e+00
```

#### Partial output for movie groupings

```
Cluster 1:
['Charlie and the Chocolate Factory', 'Dungeons & Dragons', 'Hot Fuzz', 'Cradle 2 the Grave', 'Enemy at the Gate Cluster 2:
['Over the Hedge', "Big Momma's House 2", 'When a Stranger Calls', 'Eight Below', 'Bandidas', 'Ultraviolet', 'As Cluster 3:
['Epic Movie', 'Hannibal Rising', 'Freedom Writers', 'Wild Hogs']
Cluster 4:
['Romeo Must Die', 'Erin Brockovich', 'Chain of Fools', 'Wonder Boys', 'Trois', 'Digimon: The Movie', 'U-571']
Cluster 5:
['Full Frontal', 'Rollerball', 'Ice Age', 'All About the Benjamins', 'State Property', 'Clubhouse Detectives in
```

# TASK 2D

In this task, a tensor should be created, in which for any triple of movie-tag-rating, if a movie has that tag and the rating in greater than the average rating of the movie, the value at that index is 1 or else, it's 0. CP-decomposition also has to be performed on this tensor to report the top five latent semantics related to the three modes - movie, tag and rating. And finally, to create five non-overlapping groups of movie, tag and rating have to be formed, based on the latent semantics. The implementation of this task is done in Python 2.7 and the major libraries used

are sktensor for tensor creation and CP-decomposition and sklearn.cluster for forming non-overlapping groups in the last step using KMeans.

#### Step 1 - Formation of the tensor

In order to create a tensor, dictionaries are used to create a 3D matrix. First all the unique movies, tags and ratings are taken. The average rating for each movie has also been calculated, based on the ratings given by all the users. Then two dictionaries are created, both of which have movie as the key. As for the values for these dictionaries, for each movie in the dictionary, all possible unique tags associated with it are taken for the first dictionary and all unique ratings a movie has received from all users for the second one. Using these dictionaries, combinations of all possible triples for movie-tag-rating are made and these triples are appropriately assigned 1's and 0's, also considering the average rating of a movie.

```
for i in movieList:
   if i in movieRatingDict:
        if i in movieTagDict:
            movieTags = movieTagDict[i]
            rList = movieRatingDict[i]
            for j in movieTags:
                for k in rList:
                    mIndex = movieListDictInverse[i]
                    tIndex = tagListDictInverse[j]
                    rIndex = ratingListDictInverse[k]
                    avgRatingValue = avgRatingDict[i][0]
                    if k >= avgRatingValue:
                        T[mIndex, tIndex, rIndex] = 1
                        arrayofvalues.append([mIndex,tIndex,rIndex])
                    else:
                        T[mIndex, tIndex, rIndex] = 0
```

Sktensor's dtensor is used to convert the 3D numpy array to a tensor.

```
# building the tensor using sktensor
tensor = dtensor(T)
```

#### **Step 2 - CP-Decomposition**

CP is performed using ALS(Alternating Least Squares). The function cp\_als (from sktensor) is used to perform CP on the tensor obtained from step 1, with the rank set to be 5. The initialization of factor matrices takes place randomly.

```
# applying CP-decomposition with ALS(Alternating Least Squares)
U, fit, itr, exectimes = cp_als(tensor, 5, init='random')
print U
```

#### Step 3 - Report top 5 latent semantics

The factor matrices obtained in step 2 are used in this step to obtain the top 5 latent semantics. We have displayed the latent semantics for all the three modes - movie, tag and rating. For each of them, we have extracted the latent semantics from their corresponding factor matrix. For

a particular mode, we considered each of the latent semantics, and displayed the results, sorted by each one of them.

```
# Latent Semantics for Movies
latent semantics movie = pd.DataFrame(columns=['movie', 'ls1', 'ls2', 'ls3', 'ls4', 'ls5'])
latent_semantics_movie['movie'] = movieList
latent semantics movie['ls1'] = U[0][:, 0]
latent_semantics_movie['ls2'] = U[0][:, 1]
latent semantics_movie['ls3'] = U[0][:, 2]
latent_semantics_movie['ls4'] = U[0][:, 3]
latent semantics movie['ls5'] = U[0][:, 4]
print 'Latent semantic for movie sorted by LS1'
lsl = latent_semantics_movie.sort_values(by='ls1', ascending=False)
print 1sl
print 'Latent semantic for movie sorted by LS2'
1s2 = latent semantics movie.sort values(by='1s2', ascending=False)
print 1s2
print 'Latent semantic for movie sorted by LS3'
1s3 = latent semantics movie.sort values(by='ls3', ascending=False)
print 'Latent semantic for movie sorted by LS4'
1 = latent semantics movie.sort values(by='ls4', ascending=False)
print 1s4
print 'Latent semantic for movie sorted by LS5'
1s5 = latent semantics movie.sort values(by='ls5', ascending=False)
```

This is done for tag and rating as well.

#### Step 4 - Formation of non-overlapping groups

In the final step, clusters of movie, tag and ratings are formed. KMeans algorithm is used for this purpose. The library used is sklearn. The number of clusters is given as 5. For each of this five clusters, a set of values are taken which belong to that group. No values are repeated. The output is shown in the form of arrays for each cluster.

```
# Clusters for movie
kmeans_movie = KMeans(n_clusters=5, random_state=0).fit(U[0])
c1 = []
c2 = []
c3 = []
c4 = []
c5 = []
```

The first line in the above snapshot actually forms the clusters. A value in the range of 1-5(0-4 to be technical), has been assigned to all the values in the list of movies(tags/rating). But for better viewing of results and for better understanding, the 5 arrays are taken. Using simple comparison, the set is partitioned into five different groupings. The same thing is done for the case of tags and ratings.

```
for i in range(0, len(kmeans_movie.labels_) - 1):
    if kmeans_movie.labels_[i] == 0:
        cl.append(movieList[i])
    elif kmeans_movie.labels_[i] == 1:
        c2.append(movieList[i])
    elif kmeans_movie.labels_[i] == 2:
        c3.append(movieList[i])
    elif kmeans_movie.labels_[i] == 3:
        c4.append(movieList[i])
    elif kmeans_movie.labels_[i] == 4:
        c5.append(movieList[i])
```

#### **Outputs:**

#### Cluster for Movies(Partial for better viewing)

```
Movie clusters -->
Cluster 1:
['Erin Brockovich', 'U-571', 'Final Fantasy: The Spirits Within', 'Rollerball', 'Cluster 2:
['Harry Potter and the Prisoner of Azkaban']
Cluster 3:
['Dawn of the Dead', 'Swordfish']
Cluster 4:
['Ice Age', 'Hannibal']
Cluster 5:
['Daredevil']
```

#### **Cluster for Tags**

```
Tag Clusters -->
Cluster 1:
['zombies', 'directorial debut', 'zombie', 'nudity (topless - brief)', 'remake', 'serial kil
Cluster 2:
['action', 'comic book', 'heroine in tight suit', 'superhero', 'dark', 'marvel', 'bad acting
Cluster 3:
['boxing', 'dumb but funny', 'gore', 'slapstick', 'hilarious', 'violent', 'motorcycle', 'poi
Cluster 4:
['video game adaptation', 'computer animation', 'anime', 'fish', 'sci-fi', 'cgi']
Cluster 5:
['talking animals', 'disney', 'animation', 'redemption', 'animated', 'cartoon']
```

#### Cluster for Ratings (Only 5 ratings[1,2,3,4,5])

```
Rating Clusters -->
Cluster 1:
[2]
Cluster 2:
[4, 5]
Cluster 3:
[3]
Cluster 4:
[]
Cluster 5:
[]
```

### TASK 3

# TASK 3A

#### Goals:

- Create an actor-similarity matrix using tag vectors in the data.
- Given a seed of set actors that user is interested in, we have to find 10 most related actors to these actors using random walk with restarts.

#### Task 3b

#### Goals:

- Create a co-actor-co-actor matrix based on number.of movies two actors have acted together in.
- Given a seed of set actors that user is interested in, we have to find 10 most related actors to these actors using random walk with restarts.

For both task 3a and task 3b we have to rank actors based on their relationships which could be either:

- 1. Similarity between actor
- 2. Co-acting relationship between actors.

In addition since we have a set of seed actors, we will have to use the concept of personalized pagerank(PPR) which is implemented using random walk with restarts.(RWR)

First let's examine a research paper that uses a similar concept for another application:

In the paper titled Automatic multimedia cross-modal correlation discovery by J.-Y. Pan, H.-J. Yang, C. Faloutsos, and P. Duygulu the technique of random walk is used for assigning captions to images, videos or audio clips[7]

Suppose there are 3 images:

A: captions c1,c2,c3,c4 B: captions c3,c4,c5,c6

C :no captions

- We need to assign captions to C
- We know relationships between A,B,C and based on those relationships we need to assign captions.

Now, we can achieve this using a random walk with restarts approach

- We store the similarity values of A, B and C in a matrix called as affinity matrix.
- By normalizing the affinity matrix we can convert it into a transition matrix that signifies the contribution of each caption to its affinity measure.
- Finally we can implement a random walker that takes C as the seed node and computes the ranks of captions of A and B with respect to C.
- Among those ranked captions, we can then choose the top k desired captions for the image C.

The computation of personalized pageranks using random walk with restarts is done using the formula:

#### P = (alpha) G P + (1-alpha) S

- In a random walk for personalized pagerank, the matrix G is the transition matrix that stores the normalized affinity values for all nodes in the data.
- 'A random walker must always keep walking'- this is the idea used for construction of the formula.
- With a probability of alpha the random walker follows the graph and finds pageranks of nodes.
- But there may arise a situation that there are no more paths possible if a random walker reaches a dead end.
- Hence with a probability of 1-alpha the random walker jumps to any arbitrary node
- But for Random walk with restarts we are provided with a set of seed nodes that a user cared about.
- Hence the jumps with probability of 1-alpha are made to the seed nodes instead of any arbitrary nodes.
- Alpha is known as the teleportation probability and S is the teleportation seed vector
- Thus a random walk will indicate to us the importance of other nodes in the graph with respect to the seed nodes.
- We usually iteratively refine the pagerank using random walker until the error has converged to minimum.
- In the paper mentioned before it was experimentally found that alpha values between
   0.8 and 0.9 give better results for RWR.[7]

### **Description of implementation:**

#### Task 3a and b:

For forming the actor-actor similarity matrix:

The actor-actor similarity matrix was taken as output from part 2a

For forming the co-actor-co-actor matrix:

- 1. A dictionary is formed having key values as actor id and list of movies played by that actor as values.
- 2. For every 2 actors in the database an intersection between their key-value pairs is computed.
- 3. The count of this key value pair is stored in the corresponding row of the co-actor-co-actor matrix

The function used for computing this matrix is symmetric and hence the matrix will also be symmetric, i.e.

```
co co(a1,a2)=co co(a2,a1)
```

We take seed nodes from the command line using the code segment:

```
#READING THE SEED ACTOR LIST
seed_size=len(sys.argv)-1
seed=[]
for i in range(0,seed_size):
    seed.append(int(sys.argv[i+1]))
```

We form a seed vector by assigning the values to the seed teleportation vector:

```
#FORMING THE TELEPORTATION SEED VECTOR
seed_vector=np.zeros(len(actor_list))
for i in range(0,len(actor_list)):
    for j in range(0,seed_size):
        if(actor_list[i]==seed[j]):
            seed_vector[i]=1
            continue
seed_vector=seed_vector/seed_size ##
```

For computing personalized pageranks we will need to convert the co-actor-co-actor matrix into a transition matrix

This can be done by normalizing the columns of the co-actor-co-actor matrix:

```
#NORMALIZING THE COLUMNS OF GRAPH TO MAKE TRANSITION MATRIX transition=co_co/co_co.sum(axis=0)
```

As mentioned before alpha should be between 0.8 and 0.9. Thus we have chosen it as 0.85 and maximum allowed error as 0.001:

```
#INITIALIZING PARAMETERS
alpha=0.85
maxerr=0.001
```

Now we find pageranks using the parameters and transition matrix and keep using the random walker until the error is tolerable.

Thus we are refining the pageranks by restarting at our seed nodes:

```
#ITERATIVELY COMPUTING PAGERANKS
while np.sum(np.abs(pr1-pr0)) > maxerr:
    pr0=pr1
    pr1=alpha*np.dot(transition,pr1)+(1-alpha)*seed_vector
```

Finally we display the top 10 related actors to the seed actors:

```
#FINDING THE TOP 10 RELATED ACTORS
related_actors=pageranks[(-pageranks.actorid.isin(seed))]
print(related_actors.head(n=10))
```

**3a Input:** python task3a.py 1342347 396877 623809 3704908 2392683

#### 3a Ouput:

Please input 1-5 to choose the similarity/distance measure to use for finding similarity:

- 1: Manhattan Distance
- 2: Cosine Similarity
- 3: Cosine Distance
- 4: Mahalanobis Distance
- 5: Euclidean Distance

Note: Anything besides these will automatically consider Cosine Similarity

Enter here: 4

Do you want to ignore actors with whom no tags were associated? O to ignore, anything else to include: O

```
actorid pagerank
                                 name
48 1698048 0.010895
                     [Oldman, Gary]
75 2665816 0.010869
                       [Berry, Halle]
80 2946264 0.010820
                       [Ferris, Pam]
20 692749 0.010713 [Farrell, Colin]
22 713207 0.010689 [Fiennes, Joseph]
        316365 0.010686 [Buscemi, Steve]
41 1297720 0.010684
                     [Leary, Denis]
50 1792455 0.010605
                       [Phifer, Mekhi]
49 1726318 0.010551 [Paetkau, David]
24 721841 0.010509
                        [Fisher, Tom]
```

This output was chosen on the bases of only actors that had tags associated with it and Mahalanobis distance was used.

### Sample input:

python task3b.py <actorid1> <actorid2>.....



## Sample output:

name	pagerank	actorid	
Travolta, John	0.000048	2312401	74
Anderson, Anthony	0.000039	61523	123
Ice Cube	0.000039	1049512	101
Lawrence, Martin	0.000036	1292135	129
Zahn, Steve	0.000036	2532241	18
Downey Jr., Robert	0.000028	608635	13
Wilson, Owen	0.000028	2481470	137
Rhames, Ving	0.000028	1907368	78
Slater, Christian	0.000028	2131839	54
Penn, Kal	0.000028	1771318	261

#### TASK 4

To recommend top similar movies to users based on his previous history we need 2 types of input matrix which compares movies in the space of tags and actors in the space of tags. From this we will be able to get both similar movies and also via similar actor.

#### **Get Input matrix**

For any given new data set Actor's TF-IDF tag vectors and Movie's tag vectors are calculated first using methods discussed in Phase 1 project. This model was stored in a csv file which has actor id/movie id, tags associated with this actor and its corresponding TF-IDF weights. This is used to calculate actor's or movie's tag vector. The cell where an actor/movie has no tag will be assigned as zero. Thus, our input matrix will have all actors in rows and all tags in column and its corresponding TF-IDF values. Then we apply PCA method to reduce the dimensionality of the data.

#### **Apply PCA on this input matrix**

We have decided to go with PCA for dimensionality reduction because when we consider similarities between objects, it makes more sense to preserve the variance than the data. Step by step implementation of PCA [6] is as follows

- Find the covariance matrix from both actors and movie's tag vectors matrix
- Get eigenvalues and eigenvectors as pairs from this covariance matrix.
- These pairs are sorted based on eigenvalues in descending order. We cannot assume always the Eigen decomposition will give sorted Eigen values and Eigen vector pair. If the TF-IDF values are not normalized then we get random or unsorted Eigen value vector pair
- We decide number of dimensions to keep based on the values obtained from a factor called "explained variance". This is calculated as follows
  - Total sum = sum(eig vals)
  - o Exp\_var = [(index / tot) \* 100 for index in eig\_vals]
  - o cum\_var\_exp = np.cumsum(var\_exp)
- The explained variance tells us how much information (variance) can be attributed to each of the principal components. In order to hold 100% of variance we keep the threshold as 100 for this cum\_var\_exp and keep adding top dimensions until this number is reached
- Here, we are reducing the m-dimensional feature space to a k-dimensional feature subspace (k<<m), by choosing the "top k" eigenvectors with the highest eigenvalues

#### **Find Similar Movies**

- For each given movie id as input we calculate distance (Euclidean) between each point which will be a movie object in the reduced dimension space
- For each given movie id as input we get the actor with highest rank. Keeping this as base point we calculate the distances (Euclidean) between each point which will be an

- actor object in the reduced dimension space. We then reverse map these related actors to their movie
- Combine the movies obtained from above two steps and combine into a single set without duplicates. Now these movies are somehow related to the inputted movies either by actors or by movie content
- This set of movies might contain movies under genre that were of no interest to the user.
   This information can be extracted by retrieving genres of input movie ids and remove movies that do not fall under this set of genres.
- We keep track of number of times a movie is selected as related movie. This means if
  user has watch two movies and a new movie is selected as similar to both these two
  movies then count of the new movie becomes two.
- We also retrieve rating of all selected movies and year of release of these selected movies
- Based on these 3 factors (count, rating, year) we sort the list and retrieve top 5 movies. If two movies have same count then we compare it with rating and if this is also equal we go for year of release.

#### Output

Here user has watched "Enemy at the Gates" and "Collateral Damage" movie which was given as input. The movies are ranked based on count, rating and year as shown in the output and all movies are related to either Action movies or related based on actor.

	movieid	moviename	count	rating	year
0	4057	Hannibal	8	3	2001
1	4252	Swordfish	4	3	2001
2	7247	Dawn of the Dead	2	4	2004
3	6057	Shanghai Knights	2	4	2003
4	7202	Against the Ropes	2	3	2004

#### SYSTEM REQUIREMENTS

- Windows/ mac OS X/ Linux
- RAM 4GB or higher to run Python
- Computer should have Python installed in it
- Computer should have scikit-learn, scikit-tensor, numpy, numpy+mkl and pandas libraries installed in it. These can be installed using pip on terminal/command line, or with direct download of respective .whl files.
- The execution of the project was done on mac OS X El Capitan, Windows 10 and Linux Kali 17.2.

#### RELATED WORKS

- According to author Kuan Liu [8] Similarity Learning for High-Dimensional Sparse Data talks about an efficient approach to get similarity functions for sparse high dimensional data. Similarity can be perceived as a combination of sparse basis elements that only operate on two features then Frank-Wolfe algorithm is used. This approach showed to be robust, efficient and effective on real world data. This can be used a more general preprocessing technique before applying other machine learning algorithms.
- According to Sebastian Raschka [6] in most of the machine learning algorithms the size of the dataset is the main problem or bottleneck for the performance. Using PCA in these datasets we can identify patterns in data and also determine how one data is related to other data. Also, when strong correlation between data points exists, the attempt to reduce the dimensionality comes into picture. PCA will play a fine role in this area. According to the author finding the directions of maximum variance in high-dimensional data and project it onto a smaller dimensional subspace while retaining most of the information is all about PCA. According to the author the steps involved in PCA are Standardize the data, obtain eigenvalues and eigenvector from the covariance matrix, sort the eigenvalues in descending order and chose k eigenvalues out of m dimensions, construct and new projection matrix from the selected k eigenvectors.
- According to author in Huang, Feiping Nie, Heng Huang [9] A New Simplex Sparse
  Learning Model to Measure Data Similarity for Clustering has suggested the use of
  properly defined constraints on the dataset to compute similarity/distance/afiniti between
  two datasets. This parameter free setting automatically produces the Laplacian graph
  and provides an efficient algorithm to solve the optimization problem. They proposed a
  spectral clustering (non parameterized) method robust to scale inconsistency and data
  noise. The projected gradient method was accelerated using a combination of Newton
  method for root finding and auxiliary variable.
- Hu, D.J., 2009. Latent dirichlet allocation for text, images, and music. University of California, San Diego. Retrieved April, 26, p.2013.
   The paper is concentrated around exploring approaches rather than just bag-of-words to achieve more realistic models for classification of multimedia objects.
- The paper by D. Surian, N. Liu, D. Lo, H. Tong, E. P. Lim and C. Faloutsos, titled "Recommending People in Developers' Collaboration Network," 2011 18th Working Conference on Reverse Engineering, Limerick, 2011, pp. 379-388. doi: 10.1109/WCRE.2011.53 proposes an application of Random Walk with restarts technique Based on an input developer, a list of top developers is recommended, that are most compatible based on their programming language skills, past projects and project categories they have worked on before, via a random walk with restart procedure.

#### CONCLUSION

The goal of the project for phase 2 is met. The information extracted from given data set is used to learn different concepts such as feature selection or dimensionality reduction in multimedia data retrieval and query optimization.

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