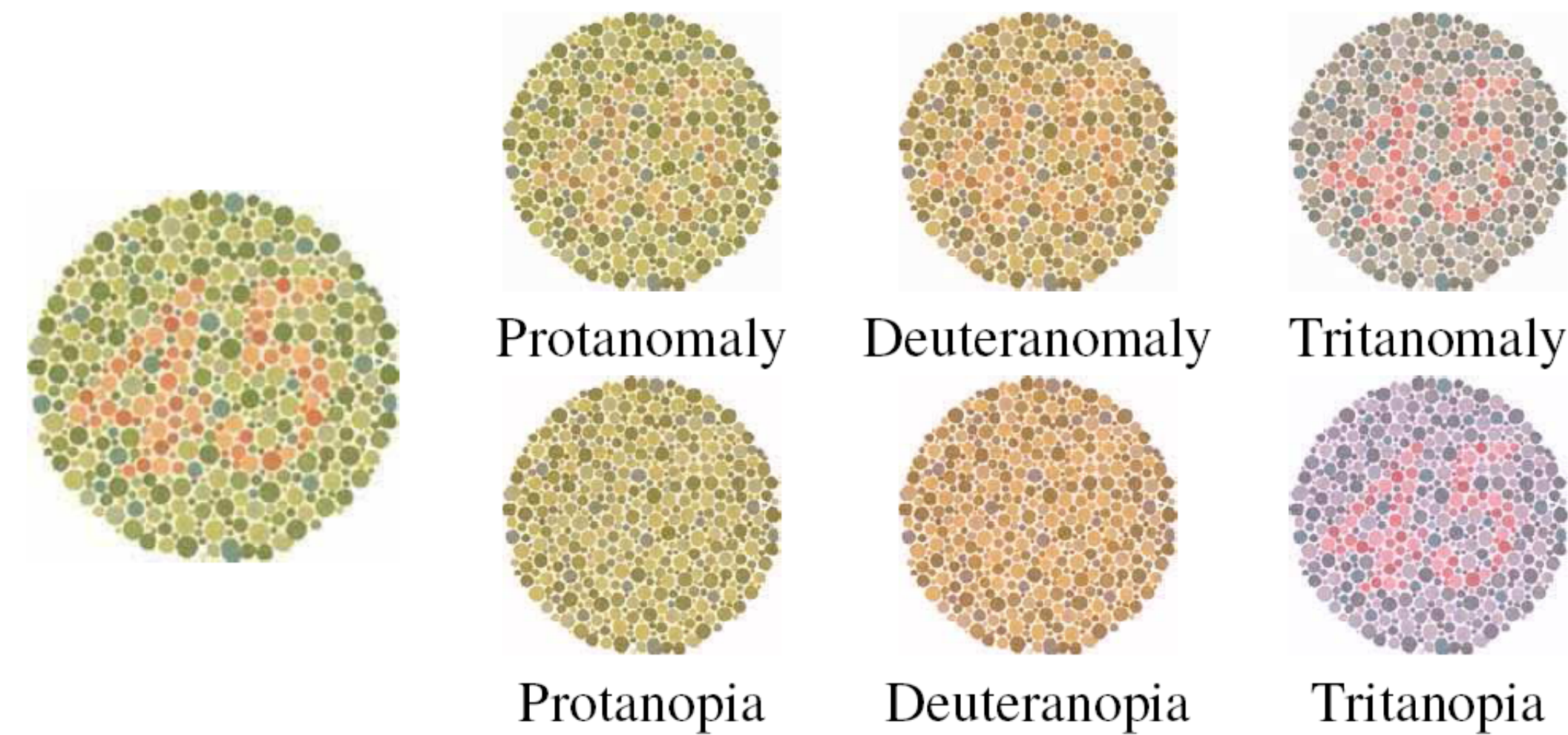


Problem

- People with color vision deficiency (CVD) have difficulty in distinguishing between some colors.
- How the colorblind perceive colors?



Background

- CVD results from partial or complete loss of function of one or more types of cone cells.
- Simulation of color perception of people with CVD [1]
- Related works addressing CVD accessibility:
 - ▶ Guidelines for designers to avoid ambiguous color combinations
 - ▶ (Semi-)automatic methods for recoloring images

Contributions

- Generalize the concept of key colors in a image
- Propose to measure the contrast between two key colors by the symmetric KL divergence
- Interpolate colors to ensure local smoothness with a few key colors

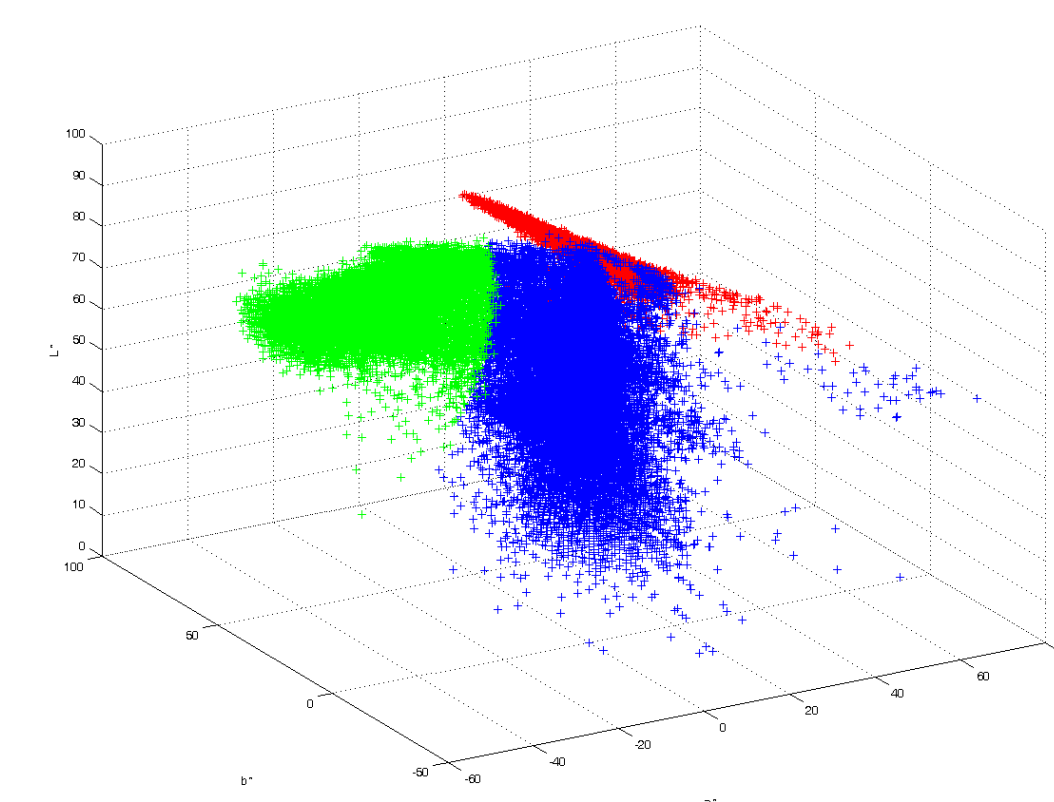
Reference

- 1 H. Brettel, F. Vienot, and J.D. Mollon, "Computerized simulation of color appearance for dichromats", J. Optic. Soc. Amer. A, 1997.
- 2 L. Jefferson and R. Harvey, "Accommodating color blind computer users," in ACM SIGACCESS, 2006.

The Proposed Algorithm

Image Representation via Gaussian Mixture Modeling

- ▶ Use the CIEL*a*b* color space
- ▶ Approximate the distribution by K Gaussians: $p(\mathbf{x}|\Theta) = \sum_{i=1}^K \omega_i \mathbf{G}_i(\mathbf{x}|\theta_i)$
- ▶ Learn the parameters by the Expectation-Maximization (EM) algorithm
- ▶ Select the optimal number of K by the Minimum Description Length (MDL) principle



Target Distance

- ▶ Generalize the concept of key colors from "point" to "cluster".
- ▶ Use symmetric Kullback-Leibler (KL) divergence as our dissimilarity measure The symmetric KL divergence: $D_{sKL}(\mathbf{G}_i, \mathbf{G}_j) = D_{KL}(\mathbf{G}_i||\mathbf{G}_j) + D_{KL}(\mathbf{G}_j||\mathbf{G}_i)$
- ▶ For Gaussians, analytical solutions exists

$$D_{sKL}(\mathbf{G}_i, \mathbf{G}_j) = (\mu_i - \mu_j)^T (\Sigma_i^{-1} + \Sigma_j^{-1}) (\mu_i - \mu_j) + \text{tr}(\Sigma_i \Sigma_j^{-1} + \Sigma_j^{-1} \Sigma_i - 2I)$$

Optimization

- ▶ Define the color mapping functions $M_i(\cdot), i = 1, \dots, K$
- ▶ The error introduced by the i_{th} and j_{th} key colors:

$$E_{i,j} = [D_{sKL}(\mathbf{G}_i, \mathbf{G}_j) - D_{sKL}(\text{Sim}(M_i(\mathbf{G}_i)), \text{Sim}(M_j(\mathbf{G}_j)))]^2$$

- ▶ Introduce weights for each color values: $\alpha_j = \|\mathbf{x}_j - \text{Sim}(\mathbf{x}_j)\|$
- ▶ Obtain weight for each cluster:

$$\lambda_i = \frac{\sum_{j=1}^N \alpha_j p(i|\mathbf{x}_j, \Theta)}{\sum_{i=1}^K \sum_{j=1}^N \alpha_j p(i|\mathbf{x}_j, \Theta)}$$

- ▶ Rewrite the objective function

$$E = \sum_{i=1}^K \sum_{j=i+1}^K (\lambda_i + \lambda_j) E_{i,j}.$$

- ▶ Minimize the objective function via direct search optimization method.

Gaussian Mapping for Interpolation

- ▶ Compute the transformed colors using

$$T(\mathbf{x}_j)^H = \mathbf{x}_j^H + \sum_{i=1}^K p(i|\mathbf{x}_j, \Theta) (M_i(\mu_i)^H - \mu_i^H)$$

Future Directions

- Relax the assumption of Gaussian distribution (e.g., use non-parametric modeling)
- More principled optimization procedure
- Subjective evaluation

Experimental Results

Sample results



Figure: (a) Original images. (b) Simulated views of the original images for protanopia (first row), deuteranopia (second row), and tritanopia (third row). (c) Simulation results of the re-colored images.

Comparison with [2]

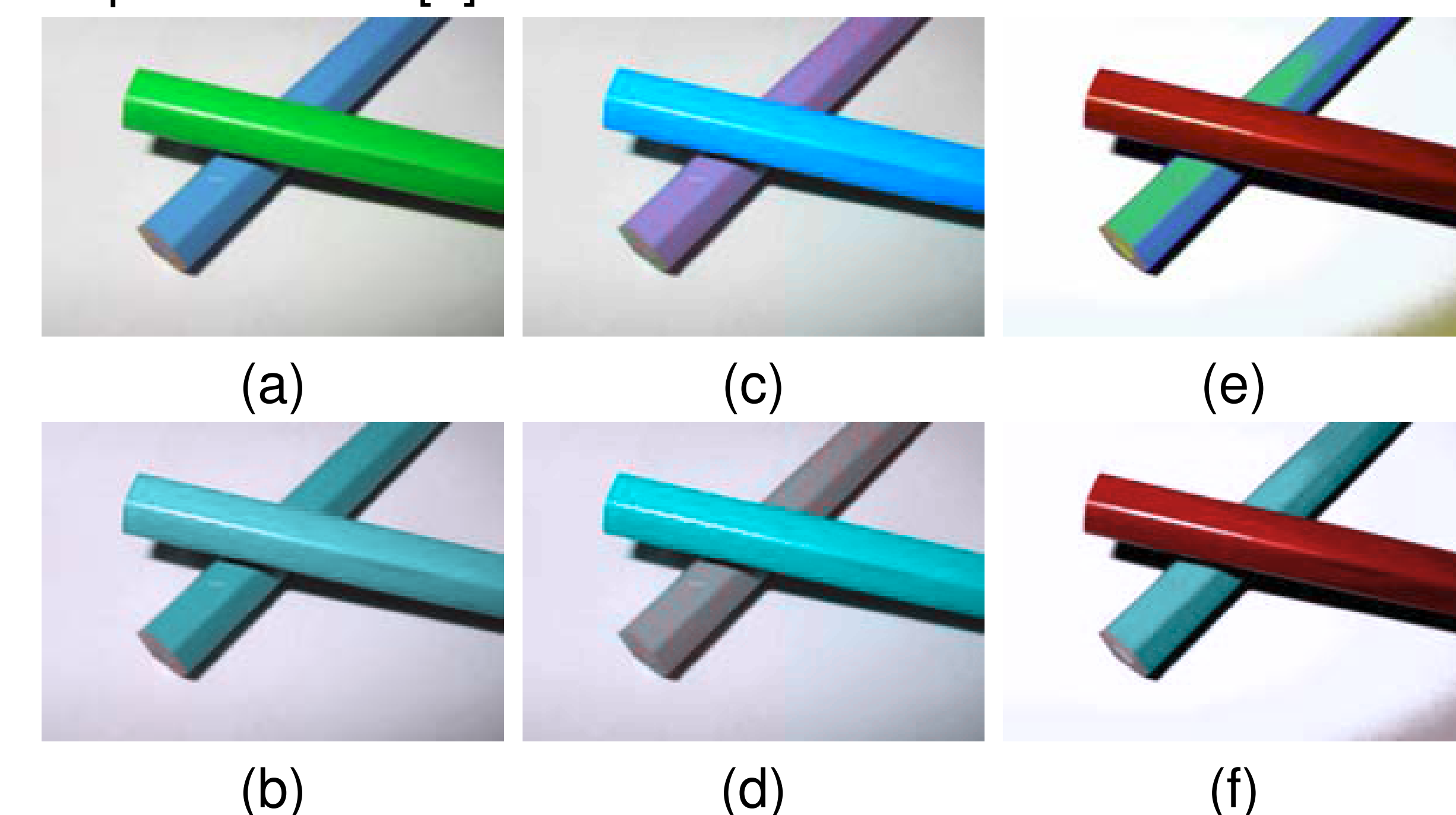


Figure: Comparison with [2]. (a) The original image. (b) The simulated view of (a) for tritanopia. (c)(d) The re-colored result by the proposed method and its simulated view. (e)(f) The re-colored result by [2] and its simulated view.