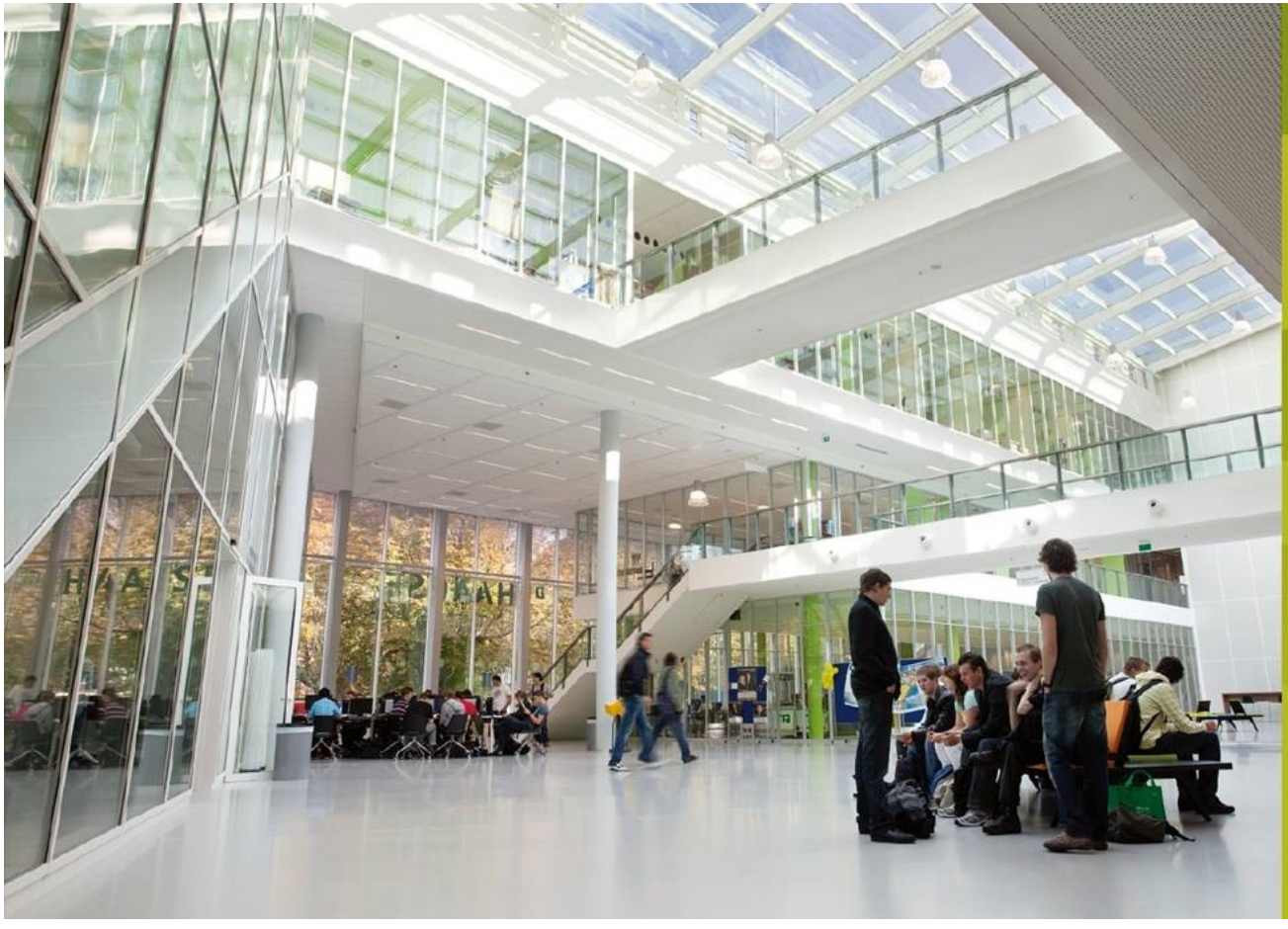

Academie voor Technology, Innovation & Society Delft
Academie voor ICT & Media

Digitale Systemen

Jesse op den Brouw
VAK/2021-2022

DE HAAGSE HOGESCHOOL

There Is No Largest Prime Number

Theorem

There is no largest prime number.

1. Suppose p were the largest prime number.

4. But $q + 1$ is greater than 1, thus divisible by some prime number not in the first p numbers.

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3. Then $q + 1$ is not divisible by any of them.
4. But $q + 1$ is greater than 1, thus divisible by some prime number not in the first p numbers.

Formula

- The formula is:

$$[F(x)]_a^b = \int_a^b x^2 + 2x + 1 \, \mathrm{d}x$$

$$\zeta(s) = \sum_{n=1}^{\infty} \frac{1}{n^s}$$

Itemize

En nu wat tekst.

- one
  - one
    - one
- two

En weer wat tekst

Enumerate

Tekst

1. een
2. twee
    . een
    . twee