

# Sky City

## Problem ID: city

There are  $n$  buildings and  $n - 1$  undirected roads connecting the buildings such that the network of roads forms a tree.

Outside every building there is a vehicle that you can rent. The cost of the vehicle at building  $i$  is  $c_i$  per unit distance travelled, and additionally a base cost of  $r_i$  to rent. So if you choose to rent the vehicle and travel  $d$  units distance, the rental costs you a total of  $dc_i + r_i$ .

The problem is to calculate the minimum cost to travel from building 1 to building  $i$  for all  $i$ . For each travel calculation, you should move through the shortest path, i.e. the simple path from building 1 to  $i$ .

### Input

Your program will receive input from standard input.

The first line contains a positive integer  $n$  representing the number of buildings.

In the following  $n - 1$  lines, the  $i$ -th line contains integers  $x_i$ ,  $y_i$ , and  $d_i$ , indicating that there is a road from buildings  $x_i$  and  $y_i$  of length  $d_i$ .

In the following  $n$  lines, the  $i$ -th line describes the cost parameters of the vehicle outside building  $i$ ,  $c_i$  and  $r_i$ , representing the cost per unit distance travelled and cost to rent, respectively.

### Output

Your program should write to standard output.

Print exactly one line containing  $n - 1$  integers. The  $i$ -th integer should be the minimum cost required to travel from building 1 to building  $i + 1$ .

### Constraints

- $2 \leq n \leq 2 \cdot 10^5$
- $1 \leq x_i, y_i \leq n; 1 \leq d_i \leq 10^4$
- $x_i \neq y_i$
- The given graph forms a tree
- $1 \leq c_i \leq 10^9; 0 \leq r_i \leq 10^9$ .

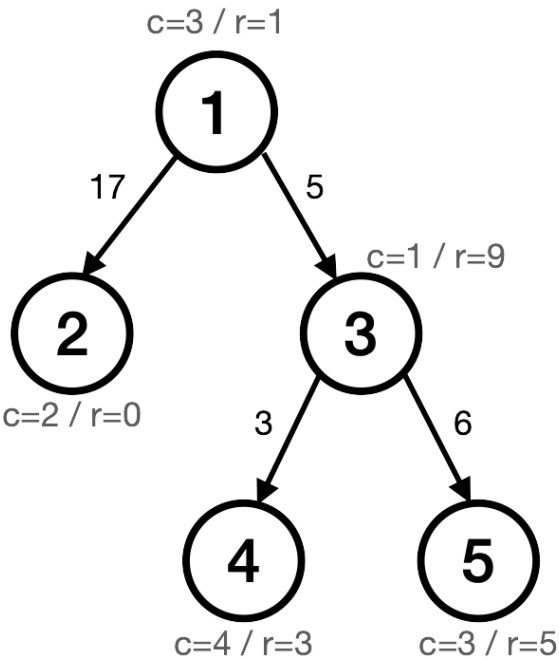
### Subtasks

You will get points for each subtask when you pass all of the testcases of the subtask.

1.  $n \leq 10^3$  (19 points)
2. The given tree is linear and rooted at building 1 (32 points)
3. No additional constraints (49 points)

Sample Explanation

The city in Sample Input 1 is shown below:



- The minimum cost to travel to building 2 is  $1 + 3 \times 17 = 52$ .
- The minimum cost to travel to building 3 is  $1 + 3 \times 5 = 16$ .
- The minimum cost to travel to building 4 is  $1 + 3 \times 8 = 25$ .
- The minimum cost to travel to building 5 is  $16 + 9 + 1 \times 6 = 31$ .

Sample Input 1	Sample Output 1
5 2 1 17 1 3 5 3 4 3 5 3 6 3 1 2 0 1 9 4 3 3 5	52 16 25 31