Notations

- The symbol const for const.
- The symbol oldsymbol for function returned value.
- Template class parameters lead by outlined character. For example: T, Key, Compare. Interpreted in template definition context.
- Sometimes class, typename dropped.
- Template class parameters dropped, thus C sometimes used instead of $C(\mathbb{T})$.
- "See example" by \(\bar{\Bar} \), its output by \(\bar{\Bar} \).

Containers

2.1Pair

#include <utility>

```
template\langle \text{class } \mathbb{T}1, \text{ class } \mathbb{T}2 \rangle
struct pair {
         \mathbb{T}_1 first; \mathbb{T}_2 second;
         pair() {}
         pair(\underline{\text{const}} T1& a, \underline{\text{const}} T2& b):
                first(a), second(b) {}
```

2.1.1 Types

pair::first_type pair::second_type

2.1.2 Functions & Operators

See also 2.2.3. $\operatorname{pair}\langle \mathbb{T}1,\mathbb{T}2\rangle$ $\mathbf{make_pair}(\underline{\mathtt{const}} \ \mathbb{T}1\&, \underline{\mathtt{const}} \ \mathbb{T}2\&);$

Containers — Common

Here X is any of {vector, deque, list, set, multiset, map, multimap}

2.2.1 Types

X::value_type X::reference X::const_reference X::iterator X::const_iterator X::reverse_iterator X::const_reverse_iterator X::difference_type X::size_type Iterators reference value_type (See 6).

2.2.2 Members & Operators

```
X::X();
X::X(\subseteq X\&);
X::~X();
X\& X::operator=(\underbrace{const} X\&);
X::iterator
                                   X::\mathbf{begin}():
                                   X::\mathbf{begin}()
X::const_iterator
                                                       const :
X::iterator
                                   X::\mathbf{end}():
                                   X::end()
X::const_iterator
                                                       const;
X::reverse\_iterator
                                   X::\mathbf{rbegin}();
X::const_reverse_iterator X::rbegin()
                                                       const :
X::reverse iterator
                                   X::\mathbf{rend}();
X::const_reverse_iterator X::rend()
                                                       const:
X::size_type X::size() \frac{\text{const}}{\text{c}};
X::size\_type \quad X::max\_size() \stackrel{const}{=};
bool
                  X::\mathbf{emptv}() \subseteq \mathsf{const};
void
                  X::swap(X\& x);
```

2.2.3 Comparison Operators

X v, w. X may also be pair (2.1). $v \rightarrow$

All done lexicographically and ∽bool.

2.3Sequence Containers

S is any of {vector, deque, list}

2.3.1 Constructors

void X::clear();

```
S::S(S::size_type
      \underline{\text{const}} S::value_type& t);
S::S(S::const_iterator first.
                                     1 3 7.2, 7.3
     S::const_iterator last):
```

2.3.2 Members

```
S::iterator // inserted copy
S::insert(S::iterator
                                before.
          const S::value_type&
                               val);
S::iterator // inserted copy
S::insert(S::iterator
                                before.
          S::size_type
                                nVal.
          const S::value_type&
S::iterator // inserted copy
S::insert(S::iterator
                             before.
          S::const_iterator first,
          S::const_iterator last):
S:iterator S::erase(S::iterator position);
```

```
S:iterator S::erase(S::const_iterator first,
                      S::const_iterator last):
void S::\mathbf{push\_back}(\underline{\mathsf{const}} S::\mathsf{value\_type} \& x);
void S::pop_back();
S::reference S::front();
S::const_reference S::front() const :
S::reference S::back();
S::const_reference S::back() const_reference S::back()
2.4 Vector
#include <vector>
```

See also 2.2 and 2.3.

```
template \langle \text{class } \mathbb{T},
             class Alloc=allocator)
class vector:
```

```
size_type vector::capacity() const;
void vector::reserve(size_type n);
vector::reference
vector::operator[](size_type i);
vector::const_reference
vector::operator[](size_type i) \stackrel{\text{const}}{=};
F 7.1.
```

2.5 Deque

#include <deque>

```
template \langle \text{class } \mathbb{T}.
             class Alloc=allocator
class deque;
```

Has all of **vector** functionality (see 2.4). void deque::**push_front**(\subseteq T& x); void deque::pop_front();

2.6 List

#include <list>

```
template \langle \text{class } \mathbb{T},
                class Alloc=allocator)
class \mathbf{list}:
```

```
See also 2.2 and 2.3.
void list::pop_front();
void list::push_front(\subseteq \mathbb{T} \& x);
void // move all x (&x \neq this) before pos
list::splice(iterator pos, list\langle \mathbb{T} \rangle \& x); \mathbb{F}^{7.2}
void // move x's xElemPos before pos
list::splice (iterator pos,
                 \operatorname{list}\langle \mathbb{T}\rangle \& x,
                iterator xElemPos); $\sigma 7.2$
```

```
void // move x's [xFirst,xLast] before pos
list::splice (iterator pos,
                \operatorname{list}\langle \mathbb{T}\rangle \& x
                iterator xFirst.
                                          F7.2
                iterator
                            xLast);
void list::remove(\underline{\text{const}} \mathbb{T}\& value);
void list::remove_if(Predicate pred):
 // after call: \forall this iterator p, *p \neq *(p+1)
void list::unique(); // remove repeats
void // as before but, \neg binPred(*p, *(p+1))
list::unique(BinaryPredicate binPred):
 // Assuming both this and x sorted
void list::merge(list\langle \mathbb{T} \rangle \& x);
 // merge and assume sorted by cmp
void list::\mathbf{merge}(\operatorname{list}\langle \mathbb{T}\rangle \&\ x,\ \mathbb{C}\operatorname{ompare}\ cmp);
void list::reverse();
void list::sort():
void list::\mathbf{sort}(\mathbb{C}\mathsf{ompare}\ cmp);
2.7 Sorted Associative
```

```
Here A any of
   {set, multiset, map, multimap}.
```

2.7.1 Types

```
For A=[multi]set, columns are the same
 A::kev_tvpe
                  A::value_tvpe
 A::keycompare A::value_compare
```

2.7.2 Constructors

```
A::A(\mathbb{C}ompare c = \mathbb{C}ompare())
A::A(A::const_iterator first.
      A::const_iterator last,
      Compare
                            c = \mathbb{C}ompare()):
```

2.7.3 Members

```
A:: \mathbf{key\_comp}() \subseteq \mathbf{sonst};
A::kevcompare
A::value_compare A::value_comp() const :
A::iterator
A::insert(A::iterator
                                            hint,
              const A::value_tvpe& val):
void A::insert(A::iterator first,
                      A::iterator last):
A::size_type // # erased
A::erase(\stackrel{\text{const}}{=} A::key_type& k);
void A::erase(A::iterator p):
void A::erase(A::iterator first,
                     A::iterator last):
A::size_type
A::count(\underline{\text{const}} A::key_type& k) \underline{\text{const}};
A::iterator A::find(\stackrel{\text{const}}{=} A::key_type& k) \stackrel{\text{const}}{=};
```

A:: $lower_bound(\underbrace{const} A::kev_type\& k) \underbrace{const} ;$ A::upper_bound($\underline{\text{const}}$ A::kev_type& k) $\underline{\text{const}}$; pair (A::iterator, A::iterator) // see 4.3.1 A::equal_range($\stackrel{\text{const}}{=}$ A::kev_type& k) $\stackrel{\text{const}}{=}$:

2.8Set

#include <set>

```
template (class Kev.
         class Compare=less(Key).
         class Alloc=allocator
class set:
```

See also 2.2 and 2.7.

```
set::set(\underbrace{const} \mathbb{C}ompare\& cmp = \mathbb{C}ompare());
pair(set::iterator, bool) // bool = if new
set::insert(\underbrace{const} set::value\_type\& x);
```

Multiset

#include <multiset.h>

```
template (class Key,
             class \mathbb{C}ompare=less\langle \mathbb{K}ey\rangle,
             class Alloc=allocator)
class multiset:
```

See also 2.2 and 2.7.

```
multiset::multiset(
       \underline{\text{const}} \mathbb{C} ompare \& cmp = \mathbb{C} ompare());
```

```
multiset::multiset(
      InputIterator first,
      InputIterator last,
      \underline{\text{const}} \mathbb{C} \text{ompare} \& cmp = \mathbb{C} \text{ompare}());
```

multiset::iterator // inserted copy $multiset::insert(\underbrace{const} multiset::value_type\& x);$

2.10Map

#include <map>

```
template class Key, class T,
             class \mathbb{C}ompare=less\langle \mathbb{K}ey\rangle,
             class Alloc=allocator
class map;
```

See also 2.2 and 2.7.

2.10.1 Types

 $map::value_type$ // $pair\langle \underline{const} \ \mathbb{K}ey, \mathbb{T} \rangle$

2.10.2 Members

```
map::map(
       \underline{\text{const}} Compare& cmp = \text{Compare}();
pair(map::iterator, bool) // bool = if new
map::insert(\underbrace{const} map::value\_type\& x);
\mathbb{T}& map:operator[](\underline{\text{const}} map::key_type&);
map::const_iterator
map::lower_bound(
      \underline{\text{const}} map::key_type& k) \underline{\text{const}};
map::const iterator
map::upper_bound(
      \underline{\underline{\text{const}}} map::key_type& k) \underline{\underline{\text{const}}};
pair(map::const_iterator, map::const_iterator)
map::equal_range(
```

Example

 $\underline{\text{const}}$ map::kev_type& k) $\underline{\text{const}}$;

```
typedef map<string, int> MSI;
MSI nam2num;
nam2num.insert(MSI::value_type("one", 1));
nam2num.insert(MSI::value_type("two", 2));
nam2num.insert(MSI::value_type("three", 3));
int n3 = nam2num["one"] + nam2num["two"];
cout << n3 << " called ";
for (MSI::const_iterator i = nam2num.begin();
     i != nam2num.end(); ++i)
  if ((*i).second == n3)
    {cout << (*i).first << endl;}
```

3 called three

2.11 Multimap

#include <multimap.h>

```
template class Key, class T,
             class \mathbb{C}ompare=less\langle \mathbb{K}ey\rangle,
             class Alloc=allocator
class multimap:
```

See also 2.2 and 2.7.

2.11.1 Types

multimap::value_type // pair $\langle \text{const} \mathbb{K} \text{ey}, \mathbb{T} \rangle$

2.11.2 Members

```
multimap::multimap(
       \underline{\text{const}} \mathbb{C} om pare \& cmp = \mathbb{C} om pare());
```

multimap::multimap(

```
InputIterator first,
InputIterator
                          last,
\underline{\text{const}} \mathbb{C} \text{ompare} \& cmp = \mathbb{C} \text{ompare}():
```

```
multimap::const_iterator
multimap::lower_bound(
            \underline{\text{const}} multimap::key_type& k) \underline{\text{const}};
multimap::const_iterator
multimap::upper_bound(
            \underline{\text{const}} multimap::key_type& k) \underline{\text{const}};
pair/multimap::const_iterator.
      multimap::const_iterator
multimap::equal_range(
            \underline{\text{const}} multimap::kev_type& k) \underline{\text{const}};
```

Container Adaptors

Stack Adaptor

```
#include <stack>
```

```
template \langle \text{class } \mathbb{T} \rangle
                     class \mathbb{C}ontainer=deque\langle \mathbb{T} \rangle
class stack:
```

Default constructor. Container must have back(), push_back(), pop_back(). So vector, list and deque can be used.

```
bool stack::empty() const :
```

```
Container::size_type stack::size() const :
stack::push(const Container::value_type& x);
void stack::pop();
```

const Container::value_type& $stack::top() \stackrel{const}{=} :$

void Container::value_type& stack::top():

Comparision Operators

```
bool operator==(\underline{\text{const}} stack& s0,
                       const stack& s1);
bool operator<(const stack& s0,
                     const stack& s1);
```

Queue Adaptor

#include <queue>

```
template\langle class T,
                class \mathbb{C}ontainer=deque\langle \mathbb{T} \rangle
class queue:
```

Default constructor. Container must have empty(), size(), back(), front(), push_back() and pop_front(). So list and deque can be

```
bool queue::empty() const;
```

```
Container::size_type queue::size() const;
```

```
void
queue::push(const Container::value_type& x);
void queue::pop();
const Container::value_type&
queue::front() <sup>const</sup>;
Container::value_type& queue::front();
const Container::value_type&
queue::back() \subseteq sin :
Container::value_type& queue::back();
Comparision Operators
bool operator==(\underline{\text{const}} queue& q0,
                        \underline{\underline{\text{const}}} queue& q1);
bool operator\leq (\underline{\text{const}} \text{ queue \& } q0,
                      \subseteq queue& q1);
```

Priority Queue

#include <queue>

```
template \langle \text{class } \mathbb{T},
                   class \mathbb{C}ontainer=vector\langle \mathbb{T} \rangle.
                   class \mathbb{C}ompare=less\langle \mathbb{T} \rangle
class priority_queue;
```

Container must provide random access iterator and have empty(), size(), front(), push_back() and pop_back(). So vector and deque can be

Mostly implemented as heap.

3.3.1 Constructors

```
explicit priority_queue::priority_queue(
      \underline{\text{const}} \mathbb{C} ompare \& comp=\mathbb{C} ompare());
priority_queue::priority_queue(
      InputIterator first,
      InputIterator last.
      \underline{\text{const}} \mathbb{C} ompare \& comp = \mathbb{C} ompare());
```

3.3.2 Members

```
bool priority_queue::empty() const ;
Container::size_type
priority_queue::size() const;
const Container::value_type&
priority_queue::top() const;
Container::value_type& priority_queue::top();
void priority_queue::push(
          const Container::value_type& x);
void priority_queue::pop();
No comparision operators.
```

4 Algorithms

#include <algorithm>

 ${\bf STL}$ algorithms use iterator type parameters. Their names suggest their category (See 6.1).

For abbreviation, the clause —

template $\langle \text{class } \mathbb{F}\text{oo}, \ldots \rangle$ is dropped. The outlined leading character can suggest the template context.

Note: When looking at two sequences: $S_1 = [first_1, last_1)$ and $S_2 = [first_2, ?)$ or $S_2 = [?, last_2)$ — caller is responsible that function will not overflow S_2 .

4.1 Query Algorithms

InputIterator // first i so i==last or *i==val $\mathbf{find}(InputIterator first,$

InputIterator last,

 $\underline{\text{const}} \ \mathbb{T}$ val); $\mathbb{R}^7.2$

InputIterator // first i so i==last or pred(i)
find_if(InputIterator first,

InputIterator last,

Predicate pred); $\mathfrak{P}7.7$

ForwardIterator // first duplicate adjacent_find(ForwardIterator first,
ForwardIterator last):

ForwardIterator // first binPred-duplicate
adjacent_find(ForwardIterator first,
ForwardIterator last,
BinaryPredicate binPred);

 $\begin{array}{cccc} \text{void} & \textit{//} & \textit{n} = \textit{\#} \ \text{equal val} \\ \textbf{count}(\mathbb{F} \text{orwardIterator} & \textit{first}, \\ \mathbb{F} \text{orwardIterator} & \textit{last}, \\ & & \underbrace{\text{const}}_{} \mathbb{T} & \textit{val}, \\ \mathbb{S} \text{ize} \& & \textit{n}) \text{:} \end{array}$

void // n = # satisfying pred count_if(ForwardIterator first, ForwardIterator last, Predicate pred.

Size& n);

InputIterator1 last1, InputIterator2 first2);

// Si-pointing to first binPred-mismatch
pair(InputIterator1, InputIterator2)
mismatch(InputIterator1 first1,

InputIterator1 last1,
InputIterator2 first2,
BinaryPredicate binPred);

bool
equal(InputIterator1 first1,
InputIterator1 last1,
InputIterator2 first2);

bool

equal(InputIterator1 first1,
InputIterator1 last1,
InputIterator2 first2,

BinaryPredicate binPred);

 $/\!/$ $[first_2, last_2) \sqsubseteq [first_1, last_1)$ \mathbb{F} orwardIterator1

 $\mathbf{search}(\underline{\mathbb{F}}\mathtt{orwardIterator1} \quad \mathit{first1},$

ForwardIterator1 last1, ForwardIterator2 first2,

ForwardIterator2 last2);

// $[first_2, last_2) \sqsubseteq binPred [first_1, last_1)$ ForwardIterator1

search(ForwardIterator1 first1,

 \mathbb{F} orwardIterator1 last1,

ForwardIterator2 first2, ForwardIterator2 last2,

BinaryPredicate binPred);

4.2 Mutating Algorithms

InputIterator last1,

OutputIterator first2);

 $// \sim last_2 - (last_1 - first_1)$

BidirectionalIterator2 copy_backward(

BidirectionalIterator1 first1,

BidirectionalIterator1 last1,
BidirectionalIterator2 last2):

void **swap**($\mathbb{T}\& x$, $\mathbb{T}\& y$);

ForwardIterator2 // \backsim first₂ + #[first₁, last₁) swap_ranges(ForwardIterator1 first1,

ForwardIterator1 last1,
ForwardIterator2 first2):

InputIterator last,

OutputIterator result,

UnaryOperation op); $\mathfrak{P}7.6$

void $\mathbf{replace}(\mathbb{F}\text{orwardIterator} \quad first, \\ \mathbb{F}\text{orwardIterator} \quad last, \\ \underline{\underline{\text{const}}} \quad \mathbb{T}\& \quad oldVal, \\ \underline{\underline{\text{const}}} \quad \mathbb{T}\& \quad newVal):$

void

replace_if(ForwardIterator first,
ForwardIterator last,
Predicate& pred,
const T& newVal):

 \mathbb{O} utputIterator $/\!/ \sim result_2 + \#[first, last)$ replace_copy(\mathbb{I} nputIterator first, \mathbb{I} nputIterator last.

Unput Iterator Country T& const T& cold Val, const T& new Val);

OutputIterator // as above but using pred replace_copy_if(InputIterator first, InputIterator last.

Unput Iterator Court Predicate Predicate Predicate Predicate Pred, new Val);

void fill(ForwardIterator first,
ForwardIterator last,
one T& value):

void fill_n(ForwardIterator first, Size n, const T& value):

void // by calling gen()
generate(ForwardIterator first.

ForwardIterator last, \mathbb{G} enerator gen);

void // n calls to gen() $generate_n(\mathbb{F}orwardIterator first,$

Size n, G enerator gen):

All variants of **remove** and **unique** return iterator to new end or past last copied.

ForwardIterator // [...,last) is all value remove(ForwardIterator first,
ForwardIterator last,

ForwardIterator last, $\underbrace{\text{const}}_{} \mathbb{T} \& \text{value}$;

```
ForwardIterator // as above but using pred remove_if(ForwardIterator first,
ForwardIterator last,
```

© utputIterator // as above but using pred remove_copy_if(InputIterator first,
InputIterator last,
O utputIterator result,
Predicate pred):

All variants of **unique** template functions remove *consecutive* (*binPred-*) duplicates. Thus usefull after sort (See 4.3).

ForwardIterator // [...,last) gets repetitions unique(ForwardIterator first,
ForwardIterator last):

ForwardIterator // as above but using binPred unique(ForwardIterator first,

ForwardIterator last,
BinaryPredicate binPred);

OutputIterator // as above but using binPred unique_copy(InputIterator first,
InputIterator last.

Inputiterator last,

OutputIterator result,

BinaryPredicate binPred);

void

reverse(BidirectionalIterator first,
BidirectionalIterator last):

OutputIterator // \(\simeq \) past last copied

reverse_copy(\(\mathbb{B} \) idirectionalIterator \(last, \)

OutputIterator \(result);

void // with first moved to middle rotate(ForwardIterator first, ForwardIterator middle, ForwardIterator last);

OutputIterator // first to middle position rotate_copy(ForwardIterator first,
ForwardIterator middle,
ForwardIterator lost

Compare

OutputIterator result);

comp);

comp);

void	\mathbb{R} andom Access Iterator	equal_range returns iterators pair that	bool $/\!/ S_1 \supseteq S_2$
$\mathbf{random_shuffle}($	partial_sort_copy(lower_bound and upper_bound return.	includes(InputIterator1 first1,
\mathbb{R} and om Access Iterator $first,$	InputIterator first,		InputIterator1 last1,
\mathbb{R} andom AccessIterator $result$):	InputIterator last,	$\operatorname{pair}\langle \mathbb{F}orwardIterator, \mathbb{F}orwardIterator angle$	Input It erator 2 first 2,
<i>''</i>	· · · · · · · · · · · · · · · · · · ·	equal_range(ForwardIterator first,	InputIterator2 last2);
void // $\operatorname{\textit{rand}}()$ returns double in $[0,1)$	\mathbb{R} andom AccessIterator $resultFirst$,	ForwardIterator last,	Imputiterator2 last2);
${f random_shuffle}($	\mathbb{R} andom AccessIterator $resultLast,$	$\subseteq \text{const}$ \mathbb{T} & value):	bool // as above but using comp
\mathbb{R} andom AccessIterator $first$,	\mathbb{C} ompare $comp$);	== 1 & value),	includes(InputIterator1 first1,
\mathbb{R} andom AccessIterator $last$,	Let $n = position - first$, $nth_element$	$pair(\mathbb{F}orwardIterator, \mathbb{F}orwardIterator)$	InputIterator last1,
\mathbb{R} andomGenerator $rand$):	partitions [first, last) into: $L = [first, position)$,	equal_range(ForwardIterator first,	_ •
Mandom Generator Tand),	$e_n, R = [position + 1, last)$ such that	·	InputIterator2 first2,
$\mathbb B$ idirectionalIterator // begin with true	$\forall l \in L, \forall r \in R l \not > e_n \le r.$		Input Iterator 2 $last 2$,
$\mathbf{partition}(\mathbb{B} \text{ idirectional Iterator} \mathit{first},$		\mathbb{T} value,	\mathbb{C} ompare $comp$);
\mathbb{B} idirectional Iterator $last$,	void	\mathbb{C} ompare $comp$);	Out + Th + // C + C + +
	nth_element(1	\mathbb{O} utput Iterator $/\!\!/ S_1 \cup S_2$, \sim past end
\mathbb{P} redicate $pred);$	\mathbb{R} and om Access Iterator first,	1.5	$\mathbf{set_union}(\underline{\mathbb{I}}_{\mathtt{nputIterator1}} \mathit{first1},$
$\mathbb B$ idirectionalIterator // begin with true	\mathbb{R} andom Access Iterator $position$,	400 34	InputIterator1 $last1$,
stable_partition(\mathbb{R} andom AccessIterator $last$);	4.3.2 Merge	InputIterator2 first2,
BidirectionalIterator first.	//		InputIterator2 last2,
/	void // as above but using $comp(e_i, e_j)$	Assuming $S_1 = [first_1, last_1)$ and	OutputIterator result);
$\mathbb B$ idirectionalIterator $last,$	nth_element($S_2 = [first_2, last_2)$ are sorted, stably merge them	- "
\mathbb{P} redicate $pred);$	\mathbb{R} andom AccessIterator first,	into [result, result + N) where $N = S_1 + S_2 $.	OutputIterator // as above but using comp
	\mathbb{R} andom AccessIterator position,	OutputIterator	set_union(InputIterator1 first1,
4.3 Sort and Application	\mathbb{R} andom AccessIterator $last$,	merge(InputIterator1 first1,	InputIterator1 last1,
11	\mathbb{C}_{ompare} $comp$);	,	InputIterator2 first2,
$\operatorname{void} \ \mathbf{sort}(\mathbb{R} \mathtt{andomAccessIterator} \ \ \mathit{first},$	Compare comp),	$ \mathbb{I} $ nputIterator1 $last1$,	
\mathbb{R} andom Access Iterator $last$);	4.3.1 Binary Search	In put It erator 2 first 2 ,	InputIterator2 last2,
mandom Accessive ator last);	1.6.1 Billary Scaron	InputIterator 2 $last 2$,	\mathbb{O} ut put It erator result,
void $\mathbf{sort}(\mathbb{R}$ andom $AccessIterator$ first,	bool	\mathbb{O} utputIterator $result$);	\mathbb{C} ompare $comp$);
\mathbb{R} andom Access Iterator $last$,	binary_search(ForwardIterator first,		OutputIterator // $S_1 \cap S_2$, \sim past end
$\mathfrak{P}7.3$ Compare $comp$);	ForwardIterator last.	\mathbb{O} utputIterator	
· · · · · · · · · · · · · · · · · · ·		$\mathbf{merge}(\mathbb{I}nputIterator1 \mathit{first1},$	$set_intersection(InputIterator1 first1,$
void	$\underline{\underline{const}} \ \mathbb{T} \& \qquad \qquad value);$	InputIterator1 last1,	InputIterator1 last1,
$\mathbf{stable_sort}(\mathbb{R}$ andom AccessIterator $\mathit{first},$	bool	InputIterator2 first2,	InputIterator2 first2,
\mathbb{R} andom Access Iterator $last$);	binary_search(ForwardIterator first,	Input Iterator 2 last 2,	InputIterator2 last2,
**	ForwardIterator last,	Output Iterator result.	OutputIterator result
void	const T& value.	· /	
$\mathbf{stable_sort}(\underline{\mathbb{R}}$ andom \mathbf{A} ccessIterator $\mathit{first},$		\mathbb{C} ompare $comp$);	OutputIterator // as above but using comp
\mathbb{R} and om Access I terator $last,$	\mathbb{C} ompare $comp$);	void // ranges [first,middle) [middle,last)	set_intersection(InputIterator1 first1,
\mathbb{C} ompare $comp$);	ForwardIterator	inplace_merge(// into [first,last)	InputIterator1 last1,
. 1 // [6] , 1 //]	lower_bound(ForwardIterator first.	BidirectionalIterator first,	InputIterator2 first2,
void // [first,middle) sorted,	ForwardIterator last,	Bidirectionaliterator mist, Bidirectionaliterator middle.	InputIterator last2,
partial_sort(// [middle,last) eq-greater		_ ′	
\mathbb{R} and om Access Iterator $first,$	const 'l'& value);	\mathbb{B} idirectionalIterator $last);$	OutputIterator result.
$\mathbb R$ andom Access Iterator $middle,$	ForwardIterator	void // as above but using comp	\mathbb{C} ompare $comp$)
\mathbb{R} andom AccessIterator $last);$	$lower_bound(\mathbb{F}orwardIterator first,$	inplace_merge(\mathbb{O} utputIterator // $S_1 \setminus S_2$, \sim past end
:1 // / / / / /	ForwardIterator last,	BidirectionalIterator first,	set_difference(InputIterator1 first1,
void $/\!/$ as above but using $comp(e_i, e_j)$	const T& value,	_ ′	\ <u> </u>
partial_sort(~	\mathbb{B} idirectionalIterator $middle$,	InputIterator1 last1,
$\mathbb R$ and om Access Iterator $first,$	\mathbb{C} ompare $comp$);	\mathbb{B} idirectionalIterator $last$,	$ \underline{\mathbb{I}}$ nputIterator2 first2,
$\mathbb R$ andom Access Iterator $middle,$	ForwardIterator	\mathbb{C} ompare $comp$);	InputIterator 2 $last 2$,
\mathbb{R} andom AccessIterator $last,$	$upper_bound(\mathbb{F}orwardIterator first,$		OutputIterator result);
Compare $comp$);	ForwardIterator last,	4.3.3 Functions on Sets	
_	const T& value):		OutputIterator // as above but using comp
$\mathbb R$ andom AccessIterator // post last sorted		Can work on <i>sorted associcative</i> containers (see	set_difference(InputIterator1 first1,
$\mathbf{partial_sort_copy}($	ForwardIterator	2.7). For multiset the interpretation of —	InputIterator $last1$,
Input Iterator $first$,	upper_bound(ForwardIterator first,	union, intersection and difference is by:	InputIterator2 first2,
InputIterator $last$,	ForwardIterator last,	maximum, minimum and substraction of	InputIterator2 last2,
\mathbb{R} andom AccessIterator resultFirst,	const T& value.	occurrences respectably.	OutputIterator result,
Random AccessIterator resultLast):	Compare comp):	Let $S_i = [first_i, last_i)$ for $i = 1, 2$.	Compare comp):
manuomaccessi eldi lesuntasti	Compare compi:		UIIIDAIE COMDI:

 $\mathbb{C}_{\text{ompare}}$

comp);

 \mathbb{R} andom AccessIterator resultLast);

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\mathbb{O} utputIterator $/\!/ S_1 \triangle S_2$, \sim past end set_symmetric_difference(\mathbb{I} nputIterator1 $first1$,	
$\cline{Lorentz}$ nputIterator2 first2,	
InputIterator2 $last2$,	
\mathbb{O} ut put Iterator $result);$	
OutputIterator // as above but using set_symmetric_difference(InputIterator1 first1,	comp
InputIterator1 last1,	
InputIterator first2,	
InputIterator2 last2,	
OutputIterator result,	
\mathbb{C}_{ompare} comp);	
4.3.4 Heap	
$egin{array}{ll} { m void} & /\!\!/ & ({\it last}-1) \ {\it is pushed} \ & { m push_heap}(\mathbb{R}{ m andomAccessIterator} \ & \mathbb{R}{ m andomAccessIterator} \end{array}$	first, last);
void // as above but using comp push_heap(RandomAccessIterator RandomAccessIterator Compare	first, last, comp);
\mathbb{R} and om Access Iterator	first, last);
Random AccessIterator	first, last, comp);
$\begin{array}{ll} \text{void} & \textit{// [first,last) arbitrary ordered} \\ \mathbf{make_heap}(\mathbb{R} \texttt{andomAccessIterator} \\ \mathbb{R} \texttt{andomAccessIterator} \end{array}$	first, last);
void // as above but using comp make_heap(RandomAccessIterator RandomAccessIterator Compare	first, last, comp);
\mathbb{R} and om Access Iterator	first, last);

```
4.3.5 Min and Max
\underline{\text{const}} \mathbb{T}& \min(\underline{\text{const}} \mathbb{T}& x0, \underline{\text{const}} \mathbb{T}& x1);
\underline{\text{const}} \ \mathbb{T} \& \ \mathbf{min}(\underline{\text{const}} \ \mathbb{T} \& \ x0,
                   const T\& x1.
                   Compare comp);
\underline{\text{const}} \mathbb{T}& \mathbf{max}(\underline{\text{const}} \mathbb{T}& x0, \underline{\text{const}} \mathbb{T}& x1);
\underline{\text{const}} \ \mathbb{T} \& \ \mathbf{max}(\underline{\text{const}} \ \mathbb{T} \& \ x0,
                   \underline{\underline{const}} \ \mathbb{T} \& \qquad x1.
                   Compare comp);
ForwardIterator
min_element(ForwardIterator first,
                     ForwardIterator last):
\mathbb{F}orwardIterator
min_element(ForwardIterator first,
                     ForwardIterator last.
                     Compare
                                            comp);
ForwardIterator
max_element(ForwardIterator first.
                      ForwardIterator last):
\mathbb{F}orwardIterator
max_element(ForwardIterator first,
                      ForwardIterator last.
                     Compare
                                             comp);
4.3.6 Permutations
To get all permutations, start with ascending
sequence end with descending.
bool // ∽ iff available
next_permutation(
      \mathbb{B} idirectionalIterator first,
      \mathbb{B} idirectionalIterator last):
bool // as above but using comp
next_permutation(
      BidirectionalIterator first,
      \mathbb{B} idirectionalIterator last,
      Compare
                                    comp);
bool // ∽ iff available
prev_permutation(
      BidirectionalIterator first,
      \mathbb{B} idirectionalIterator last):
bool // as above but using comp
prev_permutation(
      BidirectionalIterator first,
      BidirectionalIterator last.
      Compare
                                    comp);
```

```
4.3.7 Lexicographic Order
bool lexicographical_compare(
          InputIterator1 first1,
          InputIterator1 last1,
          InputIterator2 first2,
         InputIterator2 last2);
bool lexicographical_compare(
          InputIterator1 first1,
          InputIterator1 last1,
          InputIterator2 first2.
         InputIterator2 last2,
          Compare
                          comp):
       Computational
#include < numeric >
\mathbb{T} // \sum_{[first,last)} $\infty 7.6
accumulate(InputIterator first,
              InputIterator last.
                              init Val):
\mathbb{T} // as above but using binop
accumulate(InputIterator
                                  first,
              InputIterator
                                  last,
                                  init Val.
               \mathbb{B} inaryOperation binop);
InputIterator1 last1,
                  InputIterator2 first2,
                                  init Val);
\mathbb{T} // Similar, using \sum^{(sum)} and 	imes_{mult}
inner\_product(InputIterator1)
                  InputIterator1
                                     last1,
                  InputIterator2
                                     first2,
                                     initVal.
                  \mathbb{B} inaryOperation sum,
                  \mathbb{B} inaryOperation mult);
OutputIterator // r_k = \sum_{i=first}^{first+k} e_i
partial_sum(InputIterator
               InputIterator
               OutputIterator result);
Output Iterator // as above but using binop
partial_sum(
     InputIterator
                        first,
     Input Iterator
                        last,
     OutputIterator
                        result,
     \mathbb{B} inaryOperation binop);
```

```
\mathbb{O} utputIterator /\!/ \ r_k = s_k - s_{k-1} for k > 0
adjacent_difference(
      InputIterator
                            first,
     InputIterator
      OutputIterator result);
Output Iterator // as above but using binop
adjacent_difference(
     InputIterator
                               first.
     InputIterator
                               last,
      OutputIterator
                               result.
      BinaryOperation binop);
       Function Objects
#include < functional>
         template(class Arg, class Result)
        struct unary_function {
            typedef Arg argument_type:
            typedef Result result_type;}
Derived unary objects:
struct negate\langle \mathbb{T} \rangle:
struct logical_not\langle \mathbb{T} \rangle;
F 7.6
  template (class Arg1, class Arg2,
               class Result)
  struct binary_function {
    typedef Arg1 first_argument_type;
    typedef Arg2 second_argument_type;
    typedef Result result_type;}
Following derived template objects accept two
operands. Result obvious by the name.
struct plus\langle \mathbb{T} \rangle:
struct minus\langle \mathbb{T} \rangle;
struct multiplies\langle \mathbb{T} \rangle;
struct divides \langle \mathbb{T} \rangle;
struct \mathbf{modulus}\langle \mathbb{T} \rangle:
struct equal_to\langle \mathbb{T} \rangle;
struct not_equal_to\langle \mathbb{T} \rangle;
struct greater\langle \mathbb{T} \rangle:
struct \operatorname{less}\langle \mathbb{T} \rangle;
struct greater_equal\langle \mathbb{T} \rangle;
struct less_equal\langle \mathbb{T} \rangle;
struct logical_and\langle \mathbb{T} \rangle
struct logical_or\langle \mathbb{T} \rangle;
```

void // as above but using comp

Compare

 $sort_{heap}(\mathbb{R}andomAccessIterator first,$

Random AccessIterator last,

comp);

5.1 Function Adaptors

5.1.1 Negators

template(class Predicate)

binary_function(

bool):

class unary_negate: public

 \mathbb{P} redicate::first_argument_type,

Predicate::second_argument_type);

unary_function(\mathbb{P}redicate::argument_type,

5.1.2 Binders

```
template (class  peration) class binder1st: public unary_function (  peration::second_argument_type,  peration::result_type);

binder1st::binder1st(  op, const  peration& op, const  peration::first_argument_type  y);

// argument_type from unary_function
 peration::result_type
binder1st::operator()(  const  binder1st::argument_type  x);
```

```
template (class  peration)
class binder2nd: public
unary_function(
 peration::first_argument_type,
 peration::result_type);
```

5.1.3 Pointers to Functions

```
template(class Arg, class Result) class pointer_to_unary_function: public unary_function(Arg, Result);
```

pointer_to_unary_function $\langle Arg, Result \rangle$ **ptr_fun**(Result(*x)(Arg));

```
template<class Arg1, class Arg2,
class Result>
class pointer_to_binary_function:
public binary_function(Arg1, Arg2,
Result);
```

```
pointer_to_binary_function\langle \text{Arg1}, \text{Arg2}, \text{Result} \rangle

ptr_fun(Result(*x)(Arg1, Arg2));
```

6 Iterators

#include <iterator>

6.1 Iterators Categories

Here, we will use:

- X iterator type.
- a, b iterator values.
- r iterator reference (X& r).
- t a value type T.

Imposed by empty struct tags.

6.1.1 Input, Output, Forward

```
struct input_iterator_tag {} $\square$ truct output_iterator_tag {} struct forward_iterator_tag {}
```

In table follows requirements check list for Input, Output and Forward iterators.

Expression; Requirements		Ι	O	\mathbf{F}
X() X u	might be singular			•
X(a)	⇒X(a) == a	•		•
	*a=t ⇔ *X(a)=t		•	
X u(a) X u=a	⇒ u == a	•		•
	u copy of a		•	
a==b	equivalence relation	•		•
a!=b	⇔! (a==b)	•		•
r = a	⇒ r == a			•
*a	convertible to T.	•		•
	a==b ⇔ *a==*b			
*a=t	(for forward, if X mutable)		•	•
++r	result is dereferenceable or past-the-end. &r == &++r	•	•	•
	convertible to const X&	•	•	
	convertible to X&			•
	r==s⇔ ++r==++s			
r++	convertible to X&	•	•	•
	$\Leftrightarrow \{X \text{ x=r;++r;return x;}\}$			
*++r	convertible to T	•	•	ullet
*r++				

™ 7.7.

6.1.2 Bidirectional Iterators

struct bidirectional_iterator_tag {}
The forward requirements and:

```
--r Convertible to \underline{cons} X&. If \exists r=++s then --r refers same as s. &r==&--r. --(++r)==r. (--r == --s \Rightarrow r==s. r-- \Leftrightarrow {X x=r; --r; return x;}.
```

6.1.3 Random Access Iterator

struct random_access_iterator_tag {}

The **bidirectional** requirements and (m,n iterator's distance (integral) value):

```
r+=n ⇔ {for (m=n; m-->0; ++r);
for (m=n; m++<0; --r);
return r;} //but time = O(1).
a+n ⇔ n+a ⇔ {X x=a; return a+=n]}
r-=n ⇔ r += -n.
a-n ⇔ a+(-n).
b-a Returns iterator's distance value n, such that a+n == b.
a[n] ⇔ *(a+n).
a<br/>b Convertible to bool, < total ordering.
a<br/>b Convertible to bool, > opposite to <.
a<=b ⇔ !(a>b).
```

6.2 Stream Iterators

```
template \langle \text{class } \mathbb{T}.
            class Distance=ptrdiff_t)
 class istream_iterator:
       public iterator(input_iterator_tag, T, Distance);
 // end of stream №7.4
istream_iterator::istream_iterator();
istream_iterator::istream_iterator(
     istream & s); \mathbb{F}^{7.4}
istream_iterator::istream_iterator(
     \underline{\text{const}} istream_iterator(\mathbb{T}, \mathbb{D} istance)&);
istream_iterator:: istream_iterator():
const T& istream_iterator::operator*() const:
istream\_iterator \& // Read and store <math>\mathbb{T} value
istream_iterator::operator++() const ;
bool // all end-of-streams are equal
operator == (const istream_iterator,
                const istream_iterator);
 template(class \mathbb{T})
 class ostream_iterator:
       public iterator (output_iterator_tag, void, ...);
 // If delim \neq 0 add after each write
ostream_iterator::ostream_iterator(
     ostream& s,
     \underline{\text{const}} char* delim=0);
ostream_iterator::ostream_iterator(
     \frac{\text{const}}{\text{ostream\_iterator } s};
```

ostream_iterator& // Assign & write (*o=t)

ostream_iterator::operator*() const :

ostream_iterator::operator=(

ostream_iterator& // No-op

ostream_iterator& // No-op

 $\stackrel{\text{const}}{=}$ ostream_iterator s);

ostream_iterator::**operator++**();

ostream_iterator::**operator++**(int);

ostream_iterator&

F 7.4.

bind1st($\stackrel{\text{const}}{=} \mathbb{O}$ peration & op, $\stackrel{\text{const}}{=} \mathbb{T} \& x$);

binder1st(O peration)

6.3 Typedefs & Adaptors

6.3.1 Traits

```
\begin{array}{lll} template(\mathbb{I}) \\ class \ \textbf{iterator\_traits} \ \{ \\ & \mathbb{I} :: iterator\_category \\ & \textbf{iterator\_category}; \\ & \mathbb{I} :: value\_type & \textbf{value\_type}; \\ & \mathbb{I} :: difference\_type & \textbf{difference\_type}; \\ & \mathbb{I} :: pointer & \textbf{pointer}; \\ & \mathbb{I} :: reference & \textbf{reference}; \} \end{array}
```

Pointer specilaizations: Pointer specilaizations: 7.8

```
\begin{array}{ll} \operatorname{template}\langle \mathbb{T} \rangle \\ \operatorname{class} \ \operatorname{\mathbf{iterator\_traits}} \langle \mathbb{T}^* \rangle \ \{ \\ \operatorname{random.access.iterator\_tag} \\ \operatorname{\mathbf{iterator\_category}} \ ; \\ \mathbb{T} & \operatorname{\mathbf{value\_type}}; \\ \operatorname{ptrdiff\_t} & \operatorname{\mathbf{difference\_type}}; \\ \mathbb{T}^* & \operatorname{\mathbf{pointer}}; \\ \mathbb{T} \& & \operatorname{\mathbf{reference}}; \} \end{array}
```

6.3.2 Reverse Iterator

Transform $[i \not, j) \mapsto [j-1, i-1)$.

```
template(Iter)
class reverse_iterator : public iterator(
iterator_traits(Iter)::iterator_category,
iterator_traits(Iter)::value_type,
iterator_traits(Iter)::difference_type,
iterator_traits(Iter)::pointer,
iterator_traits(Iter)::reference);
```

```
Denote
  RI = reverse\_iterator
  AI = \mathbb{R} and om AccessIterator.
Abbreviate:
typedef RI<AI, \mathbb{T},
             Reference. Distance self:
 // Default constructor ⇒ singular value
self::RI();
explicit // Adaptor Constructor
self::RI(\mathbb{A}\mathbb{I}i);
AI \text{ self::} \mathbf{base}(); // adpatee's position
 // so that: &*(RI(i)) == &*(i-1) Reference
self::operator*();
self // position to & return base()-1
RI::operator++():
self& // return old position and move
RI::operator++(int); // to base()-1
self // position to & return base()+1
RI::operator--():
self& // return old position and move
RI::operator--(int); // to base()+1
bool // \Leftrightarrow s0.base() == s1.base()
operator==(\frac{\text{const}}{\text{self} \& s0}, \frac{\text{const}}{\text{self} \& s1});
reverse_iterator Specific
self // returned value positioned at base()-n
reverse_iterator::operator+(
      \mathbb{D} istance n) \frac{\text{const}}{n};
self& // change & return position to base()-n
reverse iterator::operator+=(\mathbb{D} istance n):
self // returned value positioned at base()+n
reverse_iterator::operator-(
      \mathbb{D} istance n) const :
self& // change & return position to base()+n
reverse_iterator::operator-=(\mathbb{D} istance n):
Reference // *(*this + n)
reverse_iterator::operator[](\mathbb{D} istance n);
\mathbb{D} istance // r0.base() - r1.base()
operator (\stackrel{\text{const}}{=} \text{ self} \& r0, \stackrel{\text{const}}{=} \text{ self} \& r1);
self // n + r.base()
operator-(\mathbb{D}istance n, \stackrel{\mathsf{const}}{=} self& r):
```

bool // r0.base() < r1.base()

operator $<(\underline{\text{const}} \text{ self} \& r0, \underline{\text{const}} \text{ self} \& r1);$

```
6.3.3 Insert Iterators
```

```
template(class Container)
class back_insert_iterator:
public output_iterator;
```

template(class Container)
class front_insert_iterator:
public output_iterator;

template(class Container)
class insert_iterator:
public output_iterator;

```
Here \mathbb{T} will denote the \mathbb{C}ontainer::value_type. Constructors
explicit // \exists \mathbb{C}ontainer::push_back(\underline{\underline{const}} \mathbb{T}&)
back_insert_iterator::back_insert_iterator(
```

Container& x); explicit // \exists Container:: $push_front(\underline{uonst}$ $\top \&)$ front_insert_iterator::front_insert_iterator(

or Inslter = insert_iterator insFunc = insert

Member Functions & Operators

```
Inslter& // calls x.insFunc(val)
Inslter::operator=(const T& val);
Inslter& // return *this
Inslter::operator*();
Inslter& // no-op, just return *this
Inslter::operator++();
Inslter& // no-op, just return *this
Inslter::operator++(int);
```

Template Function

```
Insiter // return Insiter(\mathbb{C}ontainer)(x)
iterMaker(\mathbb{C}ontainer& x);
// return insert_iterator(\mathbb{C}ontainer)
insert_iterator(\mathbb{C}ontainer)
inserter(\mathbb{C}ontainer& x, \mathbb{I}terator i);
```

7 Examples

```
7.1 Vector
```

```
// safe get
int vi(const vector<unsigned>& v, int i)
{ return(i < (int)v.size() ? (int)v[i] : -1);}
// safe set
void vin(vector<int>& v, unsigned i, int n) {
  int nAdd = i - v.size() + 1;
  if (nAdd>0) v.insert(v.end(), nAdd, n);
   else v[i] = n:
7.2 List Splice
void 1Show(ostream& os, const list<int>& 1) {
 ostream_iterator<int> osi(os, " ");
 copy(1.begin(), 1.end(), osi); os<<endl;}</pre>
void lmShow(ostream& os, const char* msg,
           const list<int>& 1,
           const list<int>& m) {
 os << msg << (m.size() ? ":\n" : ": ");
 1Show(os, 1);
 if (m.size()) 1Show(os, m): } // lmShow
list<int>::iterator p(list<int>& 1, int val)
{ return find(l.begin(), l.end(), val);}
 static int prim[] = \{2, 3, 5, 7\}:
 static int perf[] = {6, 28, 496};
 const list<int> lPrimes(prim+0, prim+4);
 const list<int> 1Perfects(perf+0, perf+3);
 list<int> 1(1Primes), m(1Perfects);
 lmShow(cout, "primes & perfects", 1, m);
 1.splice(l.begin(), m);
 lmShow(cout, "splice(l.beg, m)", 1, m);
 1 = 1Primes: m = 1Perfects:
 1.splice(1.begin(), m, p(m, 28));
 lmShow(cout, "splice(1.beg, m, ^28)", 1, m);
 m.erase(m.begin(), m.end()): // <=>m.clear()
 1 = 1Primes:
1.splice(p(1, 3), 1, p(1, 5));
 lmShow(cout, "5 before 3", 1, m);
 1 = 1Primes;
 1.splice(1.begin(), 1, p(1, 7), 1.end());
 lmShow(cout, "tail to head", 1, m);
 1 = 1Primes:
1.splice(1.end(), 1, 1.begin(), p(1, 3));
 lmShow(cout, "head to tail", 1, m);
(A)
primes & perfects:
2 3 5 7
6 28 496
splice(1.beg, m): 6 28 496 2 3 5 7
splice(1.beg, m, ^28):
28 2 3 5 7
6 496
5 before 3: 2 5 3 7
tail to head: 7 2 3 5
head to tail: 3 5 7 2
```

7.3 Compare Object Sort

```
class ModN {
public:
 ModN(unsigned m): _m(m) {}
 bool operator ()(const unsigned& u0,
                   const unsigned& u1)
       {return ((u0 % _m) < (u1 % _m));}
 private: unsigned _m;
}; // ModN
 ostream_iterator<unsigned> oi(cout, " ");
 unsigned q[6];
 for (int n=6, i=n-1; i>=0; n=i--)
   q[i] = n*n*n*n;
 cout<<"four-powers: ";</pre>
 copy(q + 0, q + 6, oi);
 for (unsigned b=10; b<=1000; b *= 10) {
 vector<unsigned> sq(q + 0, q + 6);
 sort(sq.begin(), sq.end(), ModN(b));
 cout<<endl<<"sort mod "<<setw(4)<<b<<": ";</pre>
 copy(sq.begin(), sq.end(), oi);
 } cout << endl;
(A) IIII
four-powers: 1 16 81 256 625 1296
sort mod 10: 1 81 625 16 256 1296
```

7.4 Stream Iterators

sort mod 100: 1 16 625 256 81 1296

sort mod 1000: 1 16 81 256 1296 625

```
void unitRoots(int n) {
 cout << "unit " << n << "-roots:" << endl;</pre>
 vector<complex<float> > roots;
 float arg = 2.*M_PI/(float)n;
 complex<float> r, r1 = polar((float)1., arg);
 for (r = r1; --n; r *= r1)
  roots.push_back(r);
 copy(roots.begin(), roots.end(),
      ostream_iterator<complex<float> >(cout,
} // unitRoots
 {ofstream o("primes.txt"); o << "2 3 5";}
 ifstream pream("primes.txt");
 vector<int> p;
 istream_iterator<int> priter(pream);
 istream_iterator<int> eosi;
 copy(priter, eosi, back_inserter(p));
 for_each(p.begin(), p.end(), unitRoots);
(A) IIII
unit 2-roots:
(-1.000, -0.000)
unit 3-roots:
(-0.500, 0.866)
(-0.500, -0.866)
unit 5-roots:
(0.309, 0.951)
(-0.809, 0.588)
```

```
(-0.809, -0.588)
(0.309, -0.951)
7.5 Binary Search
// first 5 Fibonacci
static int fb5[] = \{1, 1, 2, 3, 5\};
for (int n = 0; n \le 6; ++n) {
  pair<int*,int*> p =
     equal_range(fb5, fb5+5, n);
  cout<< n <<":["<< p.first-fb5 <<','
                 << p.second-fb5 <<") ";
  if (n==3 || n==6) cout << endl:
0:[0,0) 1:[0,2) 2:[2,3) 3:[3,4)
4: [4,4) 5: [4,5) 6: [5,5)
       Transform & Numeric
template <class T>
class AbsPwr : public unary_function<T, T> {
   AbsPwr(T p): _p(p) {}
   T operator()(const T& x) const
      { return pow(fabs(x), _p); }
private: T _p;
}; // AbsPwr
template<typename InpIter> float
normNP(InpIter xb, InpIter xe, float p) {
 vector<float> vf;
  transform(xb, xe, back_inserter(vf),
           AbsPwr<float>(p > 0. ? p : 1.));
 return((p > 0.)
  ? pow(accumulate(vf.begin(), vf.end(), 0.),
 : *(max_element(vf.begin(), vf.end())));
} // normNP
float distNP(const float* x, const float* y,
            unsigned n, float p) {
 vector<float> diff;
 transform(x, x + n, y, back_inserter(diff),
           minus<float>()):
 return normNP(diff.begin(), diff.end(), p);
} // distNP
float x3y4[] = {3., 4., 0.};
float z12[] = \{0., 0., 12.\};
float p[] = {1., 2., M_PI, 0.};
for (int i=0: i<4: ++i) {
 float d = distNP(x3y4, z12, 3, p[i]);
 cout << "d_{" << p[i] << "}=" << d << endl;
(A) IIIII
d_{1}=19
d {2}=13
```

d_{3.14159}=12.1676

 $d_{0}=12$

7.7 Iterator and Binder

```
// self-refering int
class Interator : public
  iterator<input_iterator_tag, int, size_t> {
  int _n;
 public:
  Interator(int n=0) : _n(n) {}
  int operator*() const {return _n;}
  Interator& operator++() {
    ++_n; return *this; }
  Interator operator++(int) {
   Interator t(*this);
    ++_n; return t;}
}; // Interator
bool operator == (const Interator& i0,
                const Interator& i1)
{ return (*i0 == *i1); }
bool operator!=(const Interator& i0,
                const Interator& i1)
{ return !(i0 == i1); }
struct Fermat: public
    binary_function<int, int, bool> {
  Fermat(int p=2) : n(p) {}
  int nPower(int t) const { // t^n
    int i=n, tn=1;
    while (i--) tn *= t;
    return tn; } // nPower
  int nRoot(int t) const {
   return (int)pow(t +.1, 1./n); }
  int xNyN(int x, int y) const {
    return(nPower(x)+nPower(y)); }
  bool operator()(int x, int y) const {
    int zn = xNyN(x, y), z = nRoot(zn);
    return(zn == nPower(z)); }
}; // Fermat
 for (int n=2; n<=Mp; ++n) {
   Fermat fermat(n);
   for (int x=1: x<Mx: ++x) {
     binder1st<Fermat>
       fx = bind1st(fermat, x);
     Interator iy(x), iyEnd(My);
     while ((iy = find_if(++iy, iyEnd, fx))
            != ivEnd) {
       int y = *iy,
        z = fermat.nRoot(fermat.xNyN(x, y));
       cout << x << '^' << n << " + "
            << y << ',' << n << " = "
            << z << '^' << n << endl;
       if (n>2)
         cout << "Fermat is wrong!" << endl;</pre>
 }
3^2 + 4^2 = 5^2
5^2 + 12^2 = 13^2
6^2 + 8^2 = 10^2
7^2 + 24^2 = 25^2
```

7.8 Iterator Traits

```
template <class Itr>
typename iterator_traits<Itr>::value_type
mid(Itr b, Itr e, input_iterator_tag) {
 cout << "mid(general):\n";</pre>
 Itr bm(b); bool next = false;
 for (; b != e; ++b, next = !next) {
   if (next) { ++bm; }
 return *bm;
} // mid<input>
template <class Itr>
typename iterator_traits<Itr>::value_type
mid(Itr b, Itr e,
   random_access_iterator_tag) {
 cout << "mid(random):\n";</pre>
 Itr bm = b + (e - b)/2;
 return *bm:
} // mid<random>
template <class Itr>
typename iterator_traits<Itr>::value_type
mid(Itr b, Itr e) {
 iterator_traits<Itr>::iterator_category t;
 mid(b, e, t);
} // mid
template <class Ctr>
void fillmid(Ctr& ctr) {
 static int perfects[5] =
   {6, 14, 496, 8128, 33550336},
    *pb = &perfects[0];
  ctr.insert(ctr.end(), pb, pb + 5);
 int m = mid(ctr.begin(), ctr.end());
 cout << "mid=" << m << "\n":
} // fillmid
 list<int> 1; vector<int> v;
 fillmid(1): fillmid(v):
(A) IIII
mid(general):
mid=496
mid(random):
mid=496
```