

THE UNIVERSITY OF MELBOURNE
COMP90020: DISTRIBUTED ALGORITHMS
Question Pool, SM1 2021

1 Clock Synchronization

Question 1

[Exam18/19]

Consider two asynchronous distributed systems AS_1 and AS_2 . Cristian's algorithm is used in both systems to synchronize clocks. In AS_1 , the minimum transmission delay T_{min} is estimated to be 0.3 seconds and process p_1 records a round trip time T_{round} of 1.6 seconds. In AS_2 , T_{min} is estimated to be 1.2 seconds and p_2 records a round trip time of 2.8 seconds. Which process can achieve a higher accuracy? Explain your answer.

Question 2

[new]

If we know that event a happened before event b in absolute physical time, will either the Berkeley algorithm or Cristian's algorithm guarantee that the timestamp of a is less than the timestamp for b ? Explain your answer.

Question 3

[new]

Cristian's clock synchronization algorithm assumes symmetric message transmission delays; that is, the transmission delay of the request message (m_r) is expected to be the same as the transmission delay of the response message (m_t). This is not true in all networks. How would you modify the formula for setting a process's clock (C_p) if the transmission delay of the request message is 3 times longer than the transmission delay of the response message? Show your calculations and notations clearly.

Question 4

[new]

Cristian's clock synchronization algorithm assumes symmetric message transmission delays; that is, the transmission delay of the request message is expected to be the same as the transmission delay of the response message. This is not true in all networks.

1. Reformulate the algorithm to accommodate asymmetric delays, where C_s is the server's time, T_{m_r} is the time the request was sent, T_{m_t} is the time the response was received, B_u is the upstream bandwidth from the process to the server, B_d is the downstream bandwidth from the server to the process. Assume all messages are of size M .
2. Assume a network with X downstream bandwidth and X upstream bandwidth. A process makes a request at time X and gets a response X msec later. If the time on the server is X , what would the process set its clock to? [change X for actual values]

Question 5

[new]

A process's clock reads X . The server's clock reads Y when they synchronize using the Berkeley algorithm. Assume message delays are negligible. What does the process set its clock to after synchronization?

Question 6

[new]

A client's clock reads X . The server's clock reads Y when they synchronize using Cristian's algorithm. Assume message delays are negligible. What does the process set its clock to after synchronization?

Question 7

[Sample19 4]

Using Cristian's method for synchronizing clocks where we use a time server, we record the round-trip time and the timestamp returned by the server as 4 sec and 9:55:28, respectively. What time should we set the local clock to? What is the accuracy of this setting? What is the accuracy of the setting if we know for a fact that minimum round trip time is 1 sec. Show your calculations and notation clearly.

2 Logical Time

Question 8

[new]

Assign Lamport timestamps to the following events: [give diagram with events and some timestamps]

Question 9

[new]

Assign Vector timestamps to the following events: [give diagram with events and some timestamps]

Question 10

[new]

Which set of events is concurrent? [multiple choice, give sets of 2 or 3 vector timestamps]

Question 11

[Exam18/19 4]

Assume we have three processes: p_1 , p_2 and p_3 . Each process can only communicate with another single process (multicasting or broadcasting is not allowed). Is it possible to construct a sequence of events that only consists of send events (denoted as s_i) and receive events (denoted as r_i) such that all three processes are concurrent and all have Lamport clock values that are equal to 3? Note that we assume that every process has to send and receive at least one message. If your answer is yes, provide an example sequence for all 3 processes. If your answer is no, explain why.

3 Global States and Snapshots

Question 12

[new]

examples of linearization, consistent/inconsistent cut, etc.

Question 13**[Exam18 4]**

Do we have to assume in the Chandy-Lamport snapshot algorithm that all channels are FIFO to ensure that the recorded global state is consistent? Explain your answer.

Question 14**[new]**

In the Chandy-Lamport snapshot algorithm, the marker sending rule states that after recording its state, a process must send a marker on every outgoing channel before sending out any other messages.

- (option a) Explain the importance of this rule. To help your answer, illustrate with an example what would happen if after recording its state, a process was allowed to send application messages before sending out the marker.
- (option b) Explain why the marker must be sent before any other messages. Give an example to illustrate your answer.

Question 15**[Exam19 2]**

Is it true that in a consistent snapshot, all the recorded local states of processes are concurrent? Explain your answer.

4 Mutual Exclusion

Question 16**[Exam18/19 4]**

Is the following statement true? In the Ricart-Agrawala algorithm, the critical section is accessed according to the order of increasing timestamps. Explain your answer.

Question 17**[Exam19 3]**

Explain in detail how Maekawa's voting algorithm ensures the safety condition.

Question 18**[new]**

maekawa and voting sets, what would happen if one of the conditions was not met...

Question 19**[new]**

maekawa and deadlocks

Question 20**[Book]**

Give an example execution of the ring-based algorithm to show that processes are not necessarily granted entry to the critical section in happened-before order.

Question 21**[Book]**

In a certain system, each process typically uses a critical section many times before another process requires it. Explain why Ricart and Agrawala's multicast-based mutual exclusion algorithm is inefficient for this case, and describe how to improve its performance. Does your adaptation satisfy liveness condition ME2?

Question 22**[new]**

Assume the Bully algorithm as seen in the lectures is implemented in an asynchronous distributed system. Discuss the implications of doing this in terms of safety. Use an example to illustrate your answer.

Question 23**[Exam18 4]**

The Bully algorithm is not guaranteed to meet the safety condition. The algorithm assumes that each process's failure detector is reliable. Which condition, safety or liveness, may not be guaranteed if a failure detector is unreliable? Explain what could happen for an unreliable failure detector.

Question 24**[new]**

Suppose the Ricart and Agrawala's algorithm for mutual exclusion is implemented incorrectly – instead of labeling requests with $\langle T_i, P_i \rangle$ it labels them with $\langle P_i, T_i \rangle$. The rest of the algorithm is unchanged. Does this algorithm still satisfy safety, liveness, and ordering? Explain your answer.

Question 25**[Exam18/19 4]**

Is the following statement true? in the Ricart-Agrawala algorithm, the critical section is accessed according to the order of increasing timestamps. Explain your answer.

Question 26**[new]**

maekawa and voting sets, what would happen if one of the conditions was not met

Question 27**[new]**

Consider a synchronous distributed system with 5 processes, p_1, p_2, p_3, p_4 , and p_5 . p_5 is currently the coordinator and when p_5 crashes, it is p_2 that notices the coordinator is down. Suppose the Bully algorithm is used to elect a new coordinator by choosing the process with the largest identifier

(i.e., $p_1 < p_2 < p_3 < p_4 < p_5$). Assume there are no failures in the system during the election run. Show the set of all messages that are sent during the election run. Clearly indicate for each message the sending process, the receiving process, and the type of message (i.e., election, coordinator, or answer).

Question 28

[new]

Discuss the limitations of using an unreliable failure detector to enable the ring-based leader election algorithm seen in the lectures to tolerate crash failures. Consider two cases in your answer, i) the process with the highest ID in the system crashes during an election run, ii) a process with an ID that is not the highest ID in the system crashes during an election run.

Question 29

[new]

Consider a distributed system with 5 processes arranged in a logical ring with unidirectional clockwise communication links as shown in Figure ??.

Considering the ring-based leader election algorithm we discussed in the lectures, what would the bandwidth consumption be (i.e., the number of exchanged messages) if all 5 processes initiated an election at the same time? Explain your answer.

What would the bandwidth consumption be if the ring was arranged as shown in Figure ?? and all 5 processes initiated an election at the same time? Explain your answer.

Question 30

[new]

number of messages in ring-based election when every process initiates the algorithm, students to identify best and worst cases (see question above).

Question 31

[Sample19 4]

Explain, briefly, what happens if two processes simultaneously start elections using the ring-based election algorithm that we saw in class. Is this a problem for the algorithm?

Question 32

[new]

Consider the ring-based election algorithm we saw in class. Explain why participating processes can safely suppress (i.e., do not forward) election messages that contain IDs smaller than their own. Explain what would happen if the algorithm did not have this rule in place and i) multiple processes initiated an election simultaneously, ii) a single process initiated an election.

Question 33

[new]

- Version 1. Consider the ring-based election algorithm we saw in class. Explain in which situation would a participating process receive an election message with an ID smaller than

its own. Explain why participating processes can safely suppress (i.e., do not forward) election messages that contain IDs smaller than their own. Explain what would happen if the algorithm did not have this rule in place.

- Version 2. Consider the ring-based election algorithm we saw in class. Explain why participating processes can safely suppress (i.e., do not forward) election messages that contain IDs smaller than their own. Explain what would happen if the algorithm did not have this rule in place and i) multiple processes initiated an election simultaneously, ii) a single process initiated a single election.

Question 34

[new]

Assume the Bully algorithm as seen in the lectures is implemented in an asynchronous distributed system. Discuss the implications of doing this in terms of safety. Use an example to illustrate your answer.

(or...discuss safety in the bully algorithm if T is not accurate, give examples)

Question 35

[new]

Discuss the limitations of using an unreliable failure detector to enable the ring-based leader election algorithm seen in the lectures to tolerate crash failures. Consider two cases in your answer, i) the process with the highest ID in the system crashes during an election run, ii) a process with an ID that is not the highest ID in the system crashes during an election run.

5 Multicast

Question 36

[Book 4]

Suggest how to adapt the causally ordered multicast protocol to handle overlapping groups.

Question 37

[Sample19 4]

The figure below (Figure 1) shows some multicast messages happening for three processes on different machines. Is the ordering of these multicast messages CO, FIFO and/or TO? Explain your answer.

Question 38

[Exam19 3]

Name all properties of a TO (totally ordered) reliable multicast.

Question 39

[Exam18/19 4]

Assume we implement causal ordering using vector timestamps for processes that belong to group g . If process p_3 receives a message $\langle m, V_g^2 = [4, 6, 2] \rangle$ from process p_2 at vector timestamp

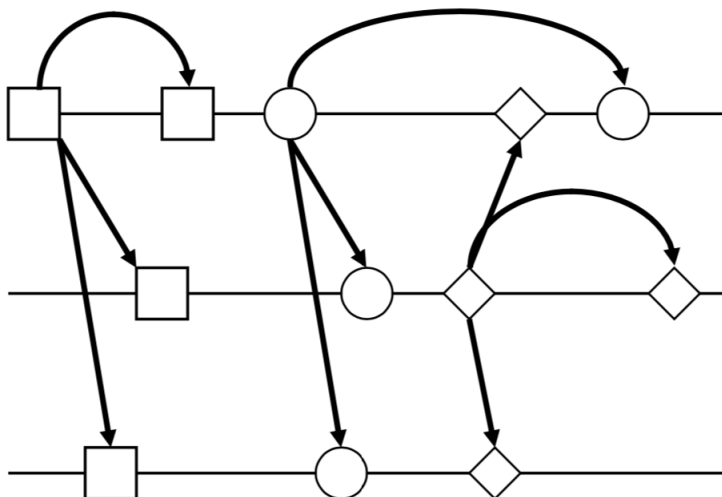


Figure 1: Ordered multicast example

$V3g = [3, 5, 2]$, can p_3 B-deliver the message? Explain your answer.

Question 40

[new]

Is the following statement true or false for the implementation of reliable multicast using basic multicast seen in the lectures:

If a process multicasts a message to a group, either all processes in the group deliver the message, or none do.

Justify your answer. If it is true, show why. If it is false, show a counterexample.

Question 41

[new]

Consider a distributed system that connects every pair of processes through a communication channel. Channels are reliable and guarantee that messages arrive in FIFO order. Assume processes do not fail and that a process delivers a message to itself before sending it out to any other process.

1. If B-multicast was used in this system, would FIFO, causal, and/or total ordering be guaranteed? Justify your answer by explaining why an ordering is guaranteed, or by presenting an example that demonstrates why it is not.
2. If R-multicast was used in this system, would FIFO, causal, and/or total ordering be guaranteed? Justify your answer by explaining why an ordering is guaranteed, or by presenting an example that demonstrates why it is not.

Question 42**[new]**

Consider a distributed system with 2 processes, p_1 and p_2 , connected through a communication channel. The channel is reliable and guarantees that messages arrive in FIFO order. Assume processes do not fail and that a process delivers a message to itself before sending it out to any other process. If B-multicast was used in this system, would FIFO, causal, and/or total ordering be guaranteed? Justify your answer by explaining why an ordering is guaranteed, or by presenting an example that demonstrates why it is not.

Question 43**[Sample19 4]**

In the following reliable multicast algorithm (Figure 2) that we saw in class, explain briefly what would happen if we were to have ‘R-deliver m ’ before the ‘if ($q \neq p$) then...’ statement.

On initialization

Received := {};

For process p to R-multicast message m to group g

B-multicast(g, m); // $p \in g$ is included as a destination

On B-deliver(m) at process q with $g = \text{group}(m)$

if ($m \notin \text{Received}$)

then

Received := *Received* \cup { m };

if ($q \neq p$) then B-multicast(g, m); end if

R-deliver m ;

end if

Figure 2: Reliable multicast algorithm

Question 44**[new]**

total causal, or total fifo ordering

Question 45**[new]**

ordered multicast for more than one group

Question 46**[new]**

show that causal does not imply total, show that total does not imply causal, show that fifo does not imply causal, show that causal implies fifo