

ETC3550/ETC5550

Applied forecasting

Week 2: Time series graphics



Outline

- 1 dplyr functions
- 2 Time series graphics
- 3 Seasonality and cyclicity
- 4 Scatterplots
- 5 White noise and random walks
- 6 Lag plots and ACFs

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dplyr functions

- filter: choose rows
- select: choose columns
- mutate: make new columns
- group_by: group rows
- summarise: summarise across groups
- reframe: summarise multiple rows across groups

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Time series graphics

- Time plots: `autoplot()`
- Seasonal plots: `gg_season()`
- Seasonal subseries plots: `gg_subseries()`
- Lag plots: `gg_lag()`
- ACF plots: `ACF()` | `> autoplot()`

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Time series patterns

Trend pattern exists when there is a long-term increase or decrease in the data.

Seasonal pattern exists when a series is influenced by seasonal factors (e.g., the quarter of the year, the month, or day of the week).

Cyclic pattern exists when data exhibit rises and falls that are *not of fixed period* (duration usually of at least 2 years).

Time series components

Differences between seasonal and cyclic patterns:

- seasonal pattern constant length; cyclic pattern variable length
- average length of cycle longer than length of seasonal pattern
- magnitude of cycle more variable than magnitude of seasonal pattern

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The timing of peaks and troughs is predictable with seasonal data, but unpredictable in the long term with cyclic data.

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White noise and random walks

White noise

$\varepsilon_t \sim$ independent and identically distributed with mean zero and constant variance.

Random walks

$$y_t = y_{t-1} + \varepsilon_t$$

where ε_t is a white noise variable.

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Sampling distribution of autocorrelations

Sampling distribution of r_k for white noise data is asymptotically $N(0, 1/T)$.

Sampling distribution of autocorrelations

Sampling distribution of r_k for white noise data is asymptotically $N(0, 1/T)$.

- 95% of all r_k for white noise must lie within $\pm 1.96/\sqrt{T}$.
- If this is not the case, the series is probably not WN.
- Common to plot lines at $\pm 1.96/\sqrt{T}$ when plotting ACF. These are the **critical values**.

Trend and seasonality in ACF plots

- When data have a trend, the autocorrelations for small lags tend to be large and positive.
- When data are seasonal, the autocorrelations will be larger at the seasonal lags (i.e., at multiples of the seasonal frequency)
- When data are trended and seasonal, you see a combination of these effects.