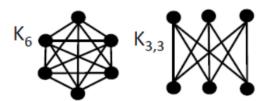
CN Quiz2

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1. Write pros and cons of "edge list" and "adjacency matrix".

, and the same and		
	pros	cons
edge list	 Simple constructions Saving memory space (<n^2)< li=""> </n^2)<>	 Difficult to tell where is a edge. Have to list all the nodes to check the edges. Not that easy to add/delete and edge.
adjacency matrix	 Easy to judge whether there is an edge between two nodes. Fast access time to check an edge. Easy to add/delete an edge. 	1. Difficult constructions 2.Waste of memory space when the graph is sparse. O(N^2)

2. Are these planar? Why?



 K_6 : It is NOT a planar network because it cannot be turned into without having edges cross. The graph can be made from K_5 by adding a node which connected to other 5 nodes, so we can say it is an expansion of K_5 , which is definitely not a planar.

 $K_{3.3}$: This is also NOT a planar network, because $K_{3.3}$ has the same nodes and edges like graph UG (shown in slides). It's just a transformation of UG, so according to Kuratowski's theorem, it is not a planar.

3. Compute mean degree, density and L_3 of the right net: $\frac{3}{4}$

Since $\sum_{i=1}^{n} k_i = 2m$, we can easily know from the graph that number of edges m=4,

So, we can calculate mean degree:
$$c = \frac{1}{4} \sum_{i=1}^4 ki = \frac{8}{4} = 2$$

After that we can get the density
$$\rho=\frac{2m}{n(n-1)}=\frac{2}{3}$$

We need
$$A^3$$
 to calculate L_3 :
$$A^3 = \begin{bmatrix} 0 & 1 & 0 & 0 \\ 1 & 0 & 1 & 1 \\ 0 & 1 & 0 & 1 \\ 0 & 1 & 1 & 0 \end{bmatrix}^3 = \begin{bmatrix} 0 & 3 & 1 & 1 \\ 3 & 2 & 4 & 4 \\ 1 & 4 & 2 & 3 \\ 1 & 4 & 3 & 2 \end{bmatrix}$$

At last, we can get L_3 according to : $L_3 = \sum_{i=1}^n [A^3]_{ii} = 0 + 2 + 2 + 2 = 6$