

PyDTS: A Toolkit for Deep Time-Series Prediction

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AIMS & GOAL

The heart of machine learning and AI is signal processing and the language of its modelling is mathematics.

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- Structure of the talk
 - Presentation: 30 min
 - Questions: 20 min
 - Toolkit: 10 min
- This talk will be about
 - Providing a cooking receipt for time-series modeling -> Architecture
 - How to systematically improve the architecture -> Methodology
 - How to interpret the results
- This talk will not be about
 - The fanciest solution for time-series modeling -> Generalised solution
 - Generative models and transformers

Content

- 1) Short Introduction
- 2) PyDTS an Overview
- 3) Exemplary Workflow
- 4) Advanced Functionalities
- 5) Outlook and Conclusion

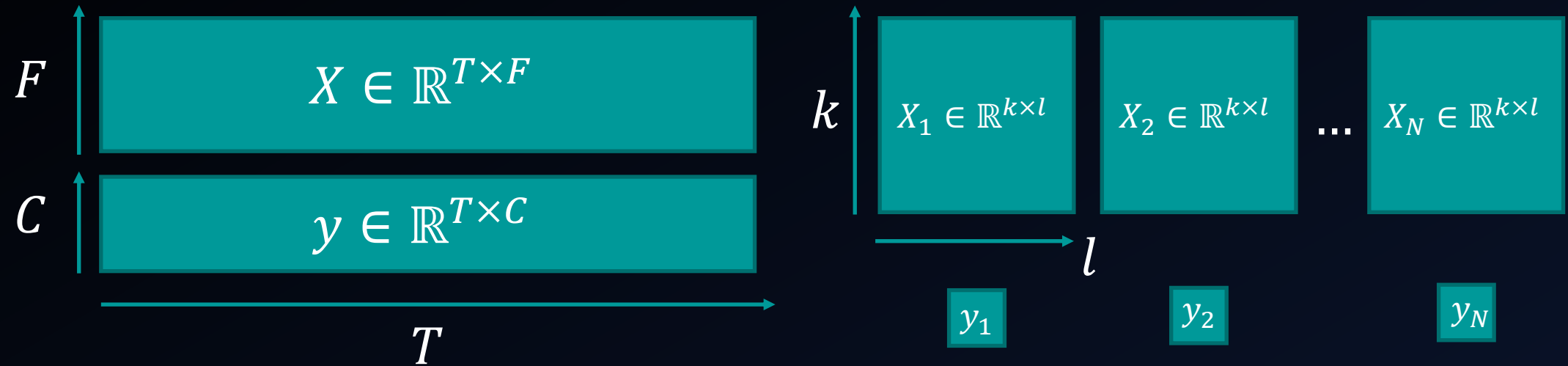


A

SHORT INTRODUCTION



Modeling Domain (Relation to the physical problem)



TEMPORAL DOMAIN

- Natural language processing
- Time series forecasting
- Non-linear regression

SPATIAL DOMAIN

- Image recognition
- Image to image learning
- Spatial transformers

Modeling Approaches (Relation to the solution)

Property	Statistics	Linear Algebra	Machine Learning
Runtime	+	0	-
Memory	+	0	-
Interpretation	0	+	-
Dimension	-	0	+
Transfer	-	0	+
Non-linear	-	0	+
Parameter	+	0	-
Data	0	+	-

[2]-[4]

DESCRIPTION

- Statistical Modeling
 - Autoregressions
 - Moving average processes
- Linear Algebra Modeling
 - State space systems and discrete PDE
 - Matrix and Tensor factorisations
- Machine/Deep Learning
 - Generic regression
 - Generic classification

Modeling Improvement (Relation to the performance)

ARCHITECTURAL LEVEL

- Feedback
- Pre-processing
- Post-processing

FEATURE LEVEL

- Time-Domain
- Frequency-Domain
- Statistical

LAYER OR SOLVER LEVEL

- Loss functions
- Learning rate updates
- Convergence criteria
- New layers

Model Applications (Areas where we should use ML)

ILL-DEFINED PROBLEMS

Physical model and boundary conditions are known, but system equations are ill-defined

- Inverse Problems
- Blind Sources
- Separations

MODEL OR BOUNDARY FREE PROBLEMS

Physical model or its boundary condition are unknown or cannot be predicted.

- Medical monitoring
- Anomaly detection
- Transfer learning

HUMAN LIKE PROBLEMS

Input and output is generated by humans, thus neither a model or boundary conditions exist.

- Text
- Audio
- Images



B

PYDTS AN OVERVIEW [5]

Considered Problems

PROBLEM DESCRIPTION

- Denoising
- Forecasting
- Non-linear Modeling
- Anomaly Detection
- Degradation Modeling

MATHEMATICAL FORMULATION

- $y(t) = x(t) + \epsilon$
- $y(t) = \alpha y(t-1) + \beta x(t) + \epsilon$
- $y(t) = f_{\theta}(x(t))$
- $y(t) = \varphi(f_{\theta}(x(t)))$
- $y(t) = y_0 + \beta x(t) + \epsilon$

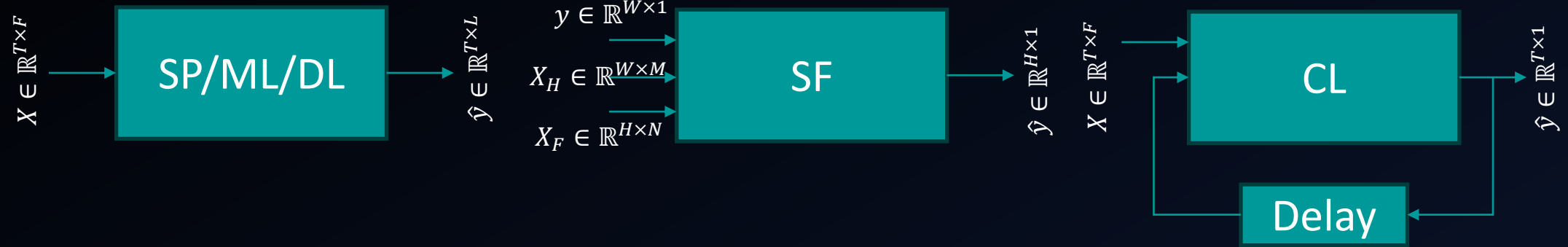
Implemented high-level architecture



MATHEMATICAL FORMULATION

- True Function: $y(t) = f_\theta(x(t))$
 - Approx. Function: $\hat{y}(t) = g(x(t))$ s.t. $\min \|y - \hat{y}\|_2^2$
- } $g \approx f_\theta$

Model Configurations



OPEN LOOP

- Input (X)
 - T samples
 - F features
- Output (y)
 - T samples
 - L channels

SHORT FORECAST

- Input (y, X_H, X_F)
 - W previous samples
 - W exogenous samples
 - H horizon samples
- Output (y)
 - H horizon samples

CLOSED LOOP

- Input (X, y)
 - T samples
 - F features
 - Delayed Output
- Output
 - T samples with 1 channel

Operating Modes

CONVENTIONAL REGRESSION

- Constant Split
- K-Fold Validation
- Transfer Learning

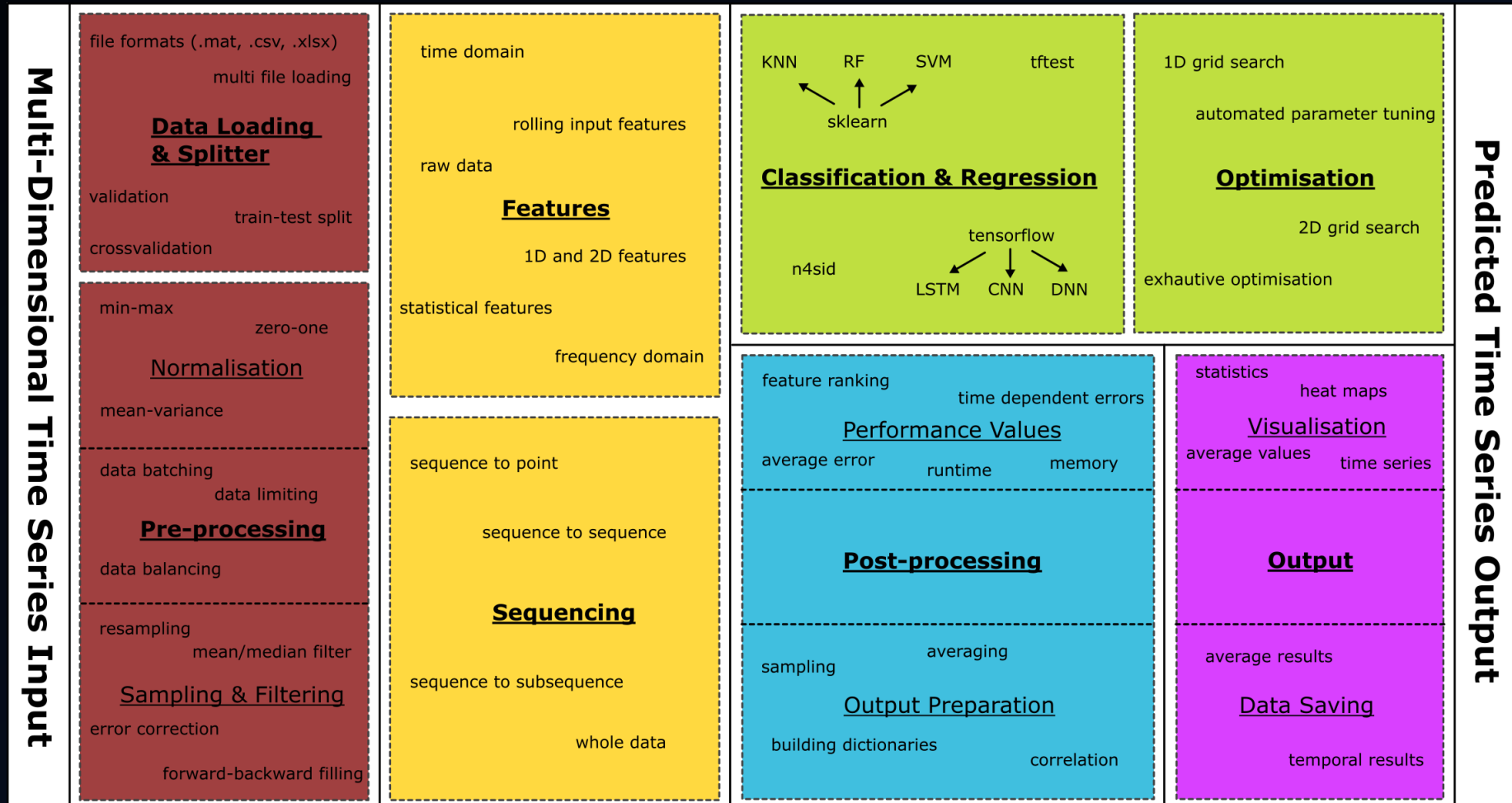
EXHAUSTIVE GRID SEARCH

- Window Length
- Sampling
- Filtering

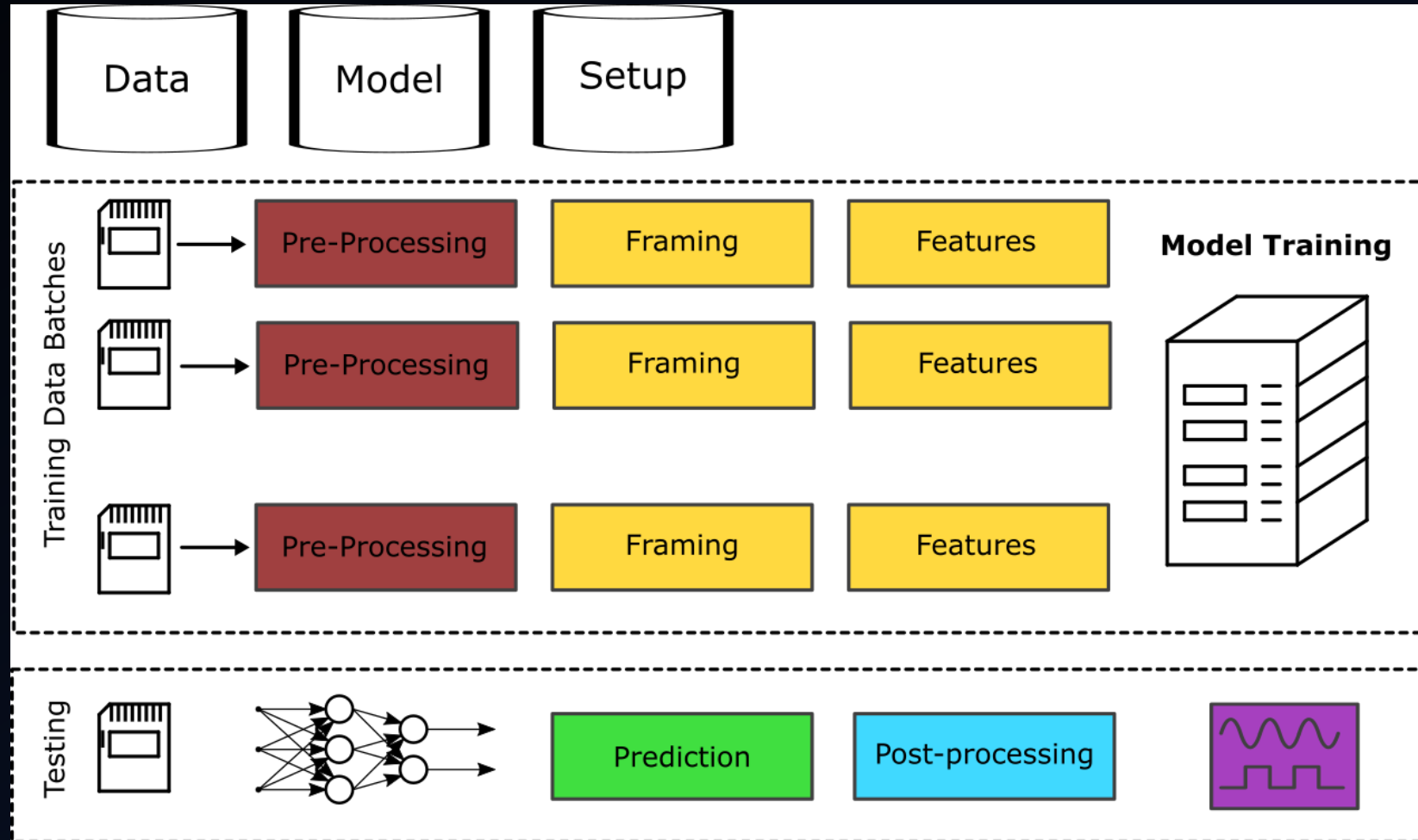
HYPERPARAMETER OPTIMISATION

- Number Layers
- Number Neurons
- Activation Fnc.

Included Modules




Data Pipeline





C

EXEMPLARY WORKFLOW



Problem Description



DESCRIPTION

Based on the observation of previous three years of regenerative energy generation the aim is to predict the generation of the following year.

- Inputs
 - Average Temperature ($^{\circ}\text{C}$)
 - Average Solar Irradiance (W/m^2)
 - Average Wind speed (m/sec)
- Outputs
 - Regenerative solar generation (MWh)
 - Regenerative wind generation (MWh)

Initial Parameters

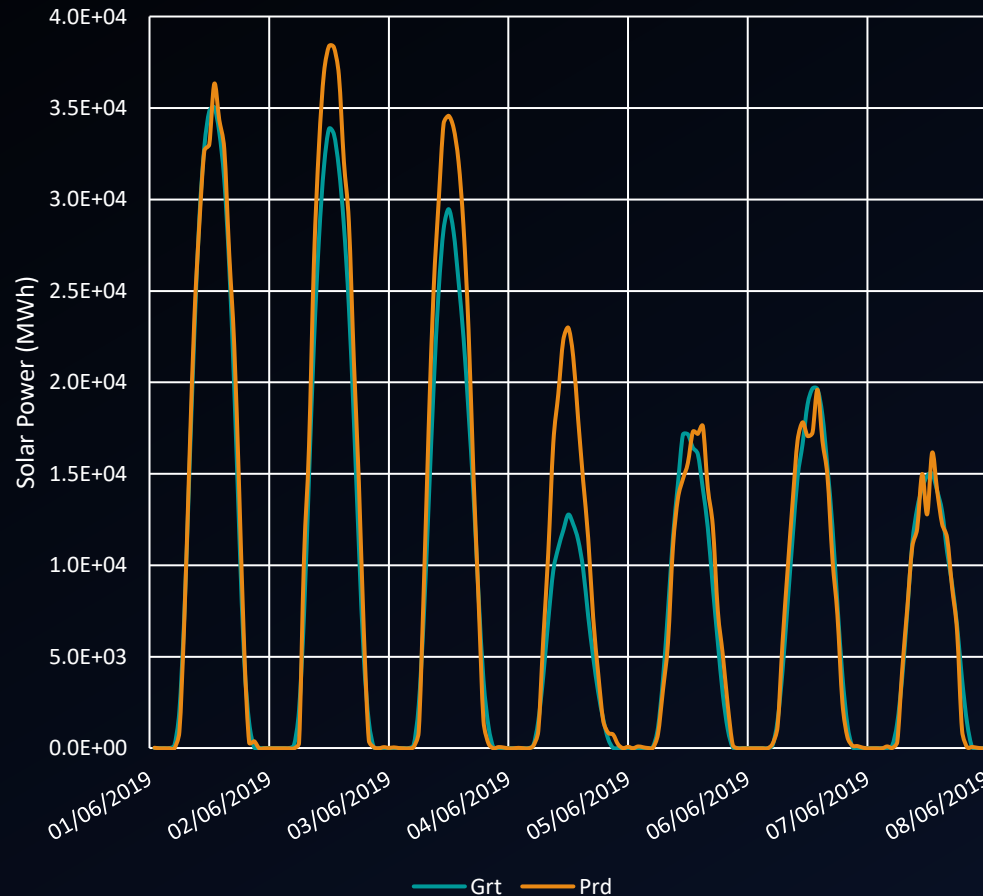
INPUT PARAMETERS AND CONFIGURATION

- Sampling rate: 60 min
- Window length: 24 samples (24 hrs)
- Overlap: 23 samples
- Method: Seq2Point
- Focus sample: Last (causal)
- Normalisation X: mean-std
- Normalisation y: 0-1

MODEL AND HYPERPARAMETERS

- Model: DNN (3-layers, 32-nodes)
- Solver: Adam
- Epochs: 100 (15 patience)
- Loss: MAE
- Batch: 1000
- Learning rate: $1e-3$
- Beta: 0.9 / 0.999

Initial Results (Solar)



DESCRIPTION

- General good correlation between true and predicted values
- Two types of errors
 - Average error (mismatch in the predicted energy)
 - Shape error (mismatch in the shape of the predicted energy)

Optimisation by “Thinking”

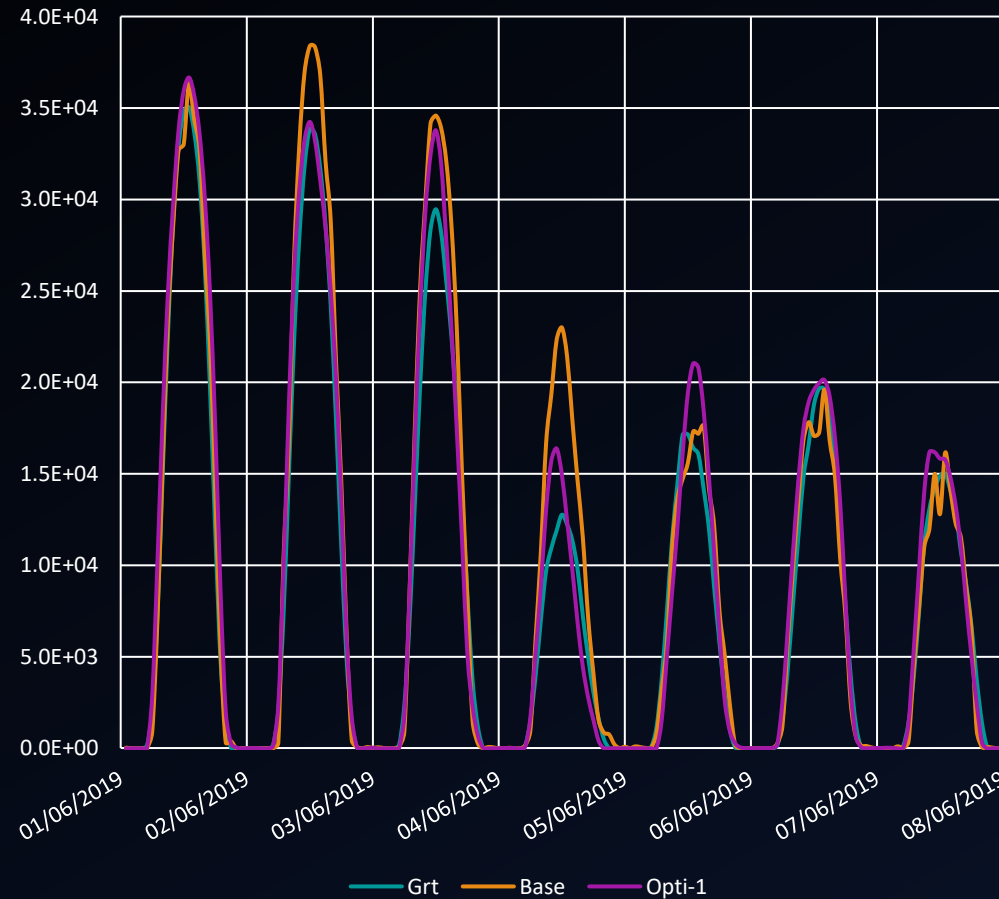
WINDOW LENGTH

- Observation: error shows daily and yearly temporal influence
- Reason: solar irradiance has a short term cycle (1 day) and a long term cycle (1 year)
- Action: input window length (12 hrs = 12 samples)

MODEL ARCHITECTURE

- Observation: error distribution is not mean centred
- Reason: additional PV capacity is added, which is cannot be captured by the DNN
- Action: adding two LSTM layers to capture long term changes

Optimisation by “Thinking” (Opti-1)



DESCRIPTION

- Significant improvement over baseline system
 - Average error reduced
 - Shape is modelled better
- Only for the 5th of June the performance decreased



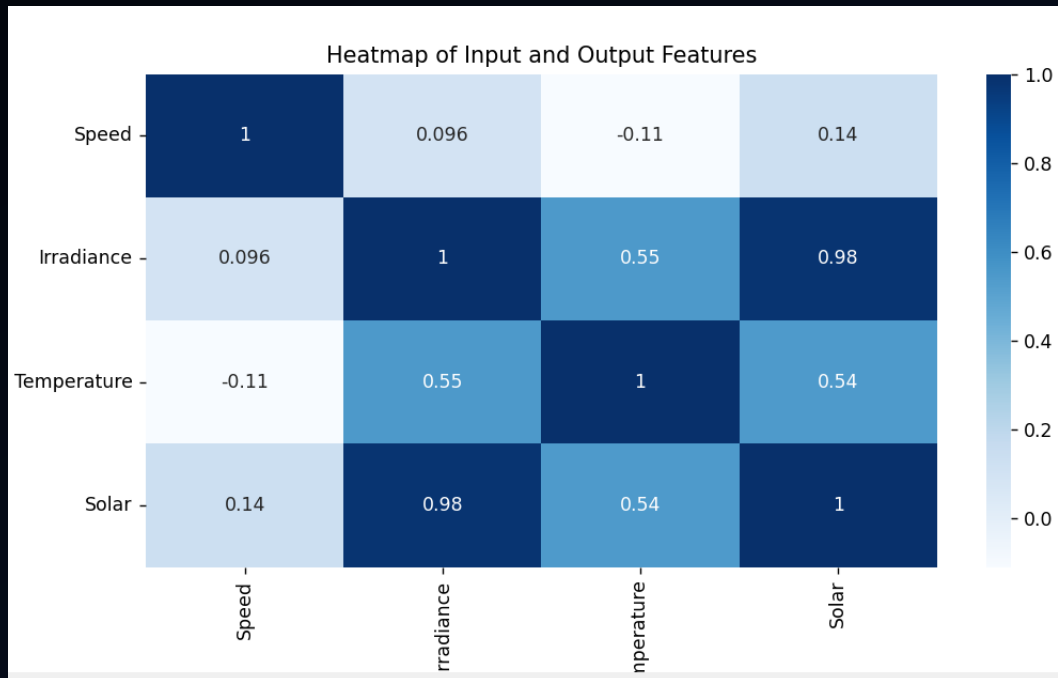
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ADVANCED FUNCTIONALITIES



Choosing Input Features

FEATURE CORRELATION



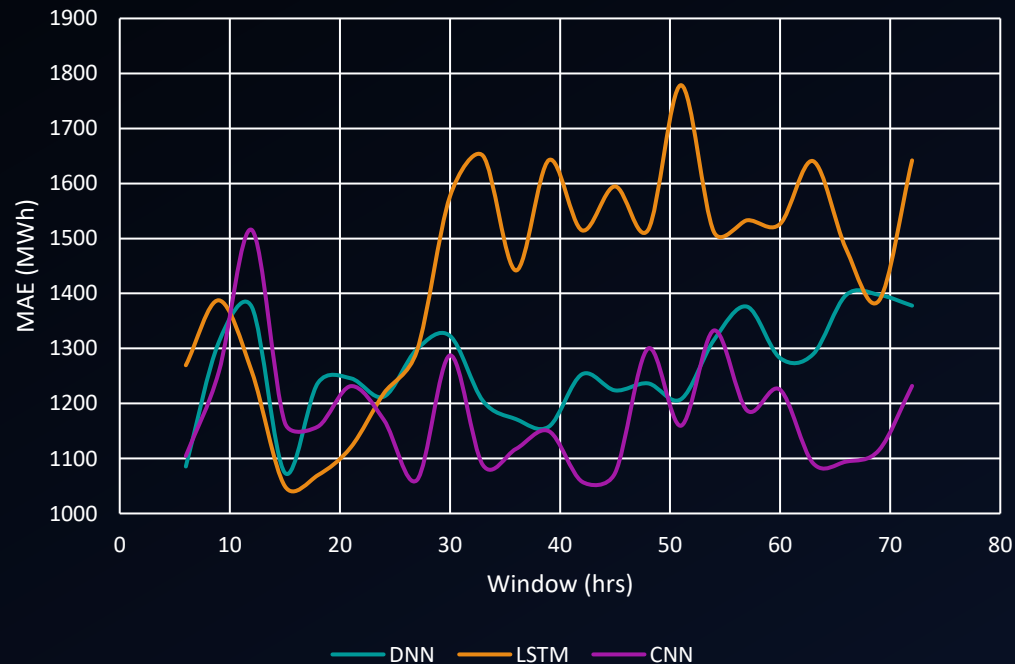
DESCRIPTION

Feature ranking methods rank the importance of a input with respect to the output

- Linear techniques: PCA, Cor
- Non-linear techniques: RF
- Leave-One-Out: ReliefF [1]

Optimising Input Parameters (Opti 2)

OPTIMISATION SPACE



DESCRIPTION

- Input window length is varied
 - Minimum: 3 hrs (3 samples)
 - Maximum: 72 hrs (72 samples)
 - Step: 3 hrs (3 samples)
- Best solution
 - 15 hrs (15 samples)
 - Shortest window capturing a full day of sunshine during summer

Optimising Model Architecture (Opti 3)

OPTIMISED ARCHITECTURE

LSTM(15, 48)

LSTM(15, 64)

LSTM(112)

DNN(96)

DNN(1)

DESCRIPTION

- Number of LSTM layers (1 – 3)
- Number of DNN layers (1 – 4)
- Number of Neurons (16 – 256)
- Dropout (0.0 – 0.5)
- Learning rate (1e-5 – 1e-2)
- 16-1024 Batch Size

Optimal Results (Solar): Average

IMPROVEMENTS

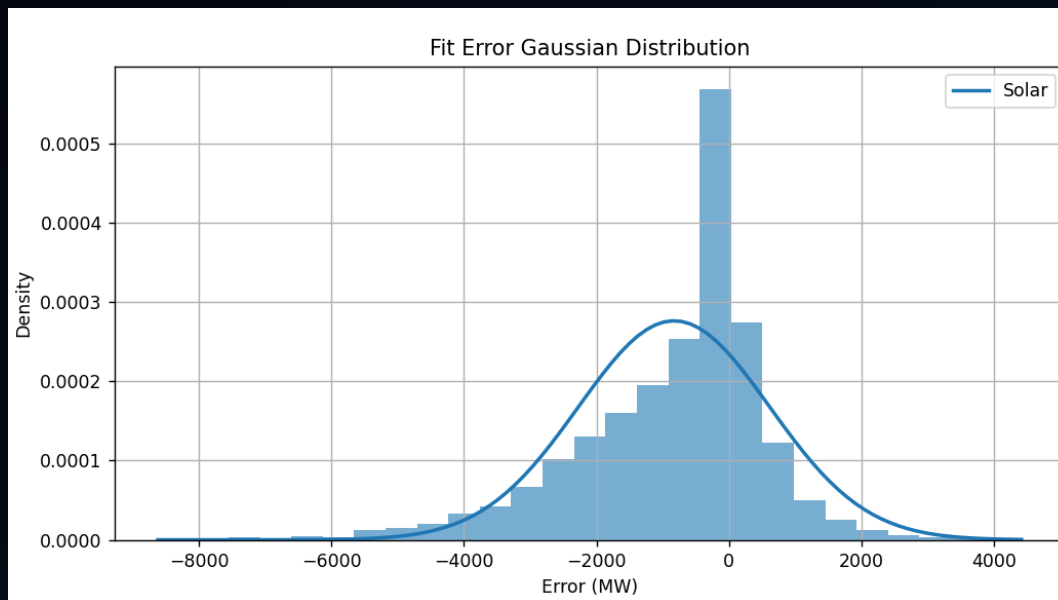
	Base	Opti 1	Opti 2	Opti 3
MAE	1212.7	912.4	718.1	640.9
RMSE	2142.5	1670.8	1339.3	1252.9
SAE	11.54%	8.22%	8.30%	8.50%
TECA	89.07%	91.78%	93.53%	94.22%
R ²	93.58%	96.09%	97.49%	97.80%

DESCRIPTION

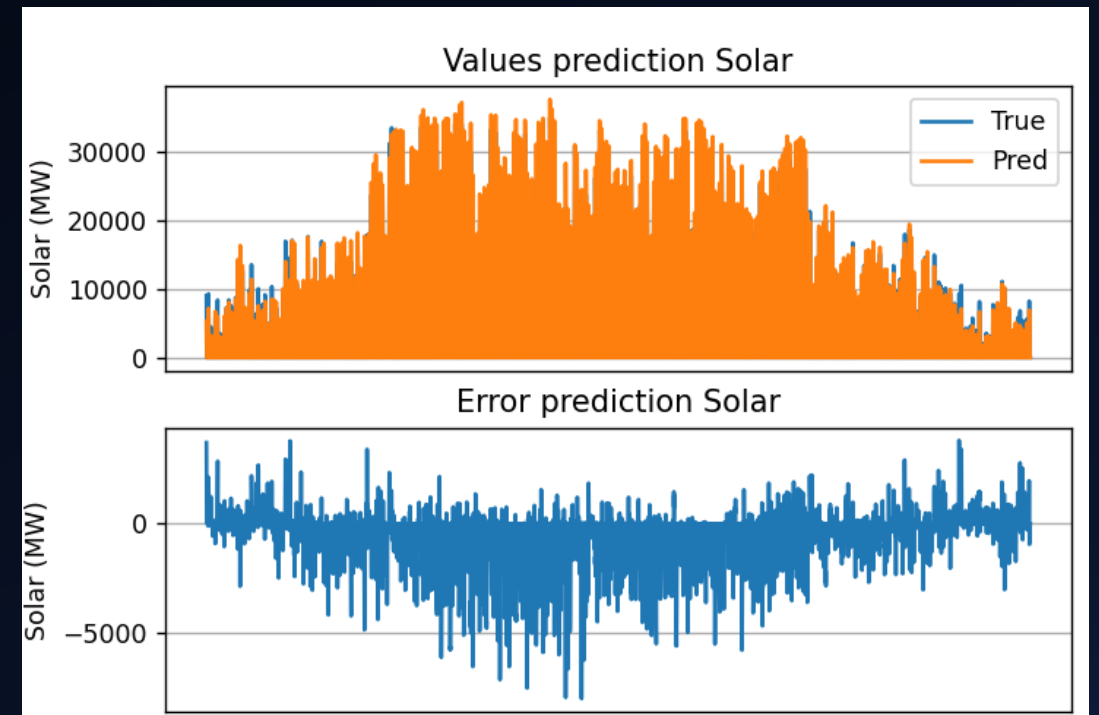
- Strategic optimisation leads to almost 50% reduction of error for MAE and RMSE
- SAE cannot be improved due to installation of new capacity
- Signal correlations for TECA and R² are increasing by 4-5%

Optimal Results (Solar): Time Domain

ERROR DISTRIBUTION



TIME DOMAIN ERROR





E

OUTLOOK AND CONCLUSION



Outlook and Conclusion

WHAT IT CAN DO

- Serve as a baseline system for time-series problems
- Help to understand correlations and select features
- Optimise existing architectures and parameters

WHAT IT CANNOT DO

- Does not produce cutting edge results
- Does not release you from thinking about your problem
- Does not support yet generative models and transformers

References

- [1] Robnik-Šikonja, M.; Kononenko, I. Theoretical and empirical analysis of ReliefF and RReliefF. *Mach. Learn.* 2003, 53, 23–69.
- [2] Zheng, H.S.; Liu, Y.Y.; Hsu, C.F.; Yeh, T.T. StreamNet: Memory-Efficient Streaming Tiny Deep Learning Inference on the Microcontroller. In *Proceedings of the Thirty-Seventh Conference on Neural Information Processing Systems*, 2023.
- [3] Schirmer, P.A.; Mporas, I. Device and Time Invariant Features for Transferable Non-Intrusive Load Monitoring. *IEEE Open Access J. Power Energy* 2022, 9, 121–130.
- [4] Chen, X.W.; Lin, X. Big Data Deep Learning: Challenges and Perspectives. *IEEE Access* 2014, 2, 514–525.
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