+ Code - + Text

Business Understanding:

• In the lending industry, accurately assessing the creditworthiness of loan applicants is crucial for minimizing default risks and maximizing profitability. Financial institutions need reliable models to evaluate loan applications efficiently while maintaining fair lending practices.

Problem Statement:

The problem revolves around building a predictive model to determine whether a loan application should be approved or denied based on various applicant attributes and financial indicators.

Objectives:

- · Develop a predictive model to assess loan approval likelihood accurately.
- · Identify key factors influencing loan approval decisions.
- Enhance the efficiency and fairness of the loan approval process.

Success Metrics:

- · Accuracy of the predictive model.
- Precision, recall, and F1-score for each class (approved and denied).
- · Reduction in default rates and increased loan approval rates.
- · Model robustness and generalization ability.

```
#Importing Library
import pandas as pd
import numpy as np
from sklearn import preprocessing
from sklearn.preprocessing import LabelEncoder
import matplotlib.pyplot as plt
import seaborn as sn
from sklearn.preprocessing import StandardScaler, LabelEncoder
from sklearn.impute import SimpleImputer
from sklearn import metrics
from \ sklearn.linear\_model \ import \ LogisticRegression
from sklearn.metrics import accuracy_score
from \ sklearn.ensemble \ import \ Random Forest Classifier
from sklearn.metrics import accuracy_score
from sklearn.model_selection import GridSearchCV
from sklearn.ensemble import GradientBoostingClassifier
from sklearn.metrics import accuracy_score, classification_report, confusion_matrix
from sklearn.model_selection import train_test_split
from sklearn.tree import plot_tree
# prompt: provide a code to read the train and test csv files
# Read the train CSV file
train_data = pd.read_csv('/content/train.csv')
# Read the test CSV file
test_data = pd.read_csv('/content/test.csv')
# prompt: view the variables in the train dataset
train_data.head(10)
```

	Loan_ID	Gender	Married	Dependents	Education	Self_Employed	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Amount_
0	LP001002	Male	No	0	Graduate	No	5849	0.0	NaN	
1	LP001003	Male	Yes	1	Graduate	No	4583	1508.0	128.0	
2	LP001005	Male	Yes	0	Graduate	Yes	3000	0.0	66.0	
3	LP001006	Male	Yes	0	Not Graduate	No	2583	2358.0	120.0	
4	LP001008	Male	No	0	Graduate	No	6000	0.0	141.0	
5	LP001011	Male	Yes	2	Graduate	Yes	5417	4196.0	267.0	
6	LP001013	Male	Yes	0	Not	No	2333	1516.0	95.0	

Grauuate

7	LP001014	Male	Yes	3+	Graduate	No	3036	2504.0	158.0
8	LP001018	Male	Yes	2	Graduate	No	4006	1526.0	168.0
9	LP001020	Male	Yes	1	Graduate	No	12841	10968.0	349.0

Next steps: Generate code with train_data View recommended plots

prompt: Using dataframe train_data: view the information within the train Dataset

train_data.info()

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 614 entries, 0 to 613
Data columns (total 13 columns):

#	Column	Non-Null Count	Dtype
0	Loan_ID	614 non-null	object
1	Gender	601 non-null	object
2	Married	611 non-null	object
3	Dependents	599 non-null	object
4	Education	614 non-null	object
5	Self_Employed	582 non-null	object
6	ApplicantIncome	614 non-null	int64
7	CoapplicantIncome	614 non-null	float64
8	LoanAmount	592 non-null	float64
9	Loan_Amount_Term	600 non-null	float64
10	Credit_History	564 non-null	float64
11	Property_Area	614 non-null	object
12	Loan_Status	614 non-null	object
dtype	es: float64(4), int6	64(1), object(8)	
memor	ry usage: 62.5+ KB		

prompt: describing the train dataset
train_data.describe()

	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Amount_Term	Credit_History	-
count	614.000000	614.000000	592.000000	600.00000	564.000000	th
mean	5403.459283	1621.245798	146.412162	342.00000	0.842199	
std	6109.041673	2926.248369	85.587325	65.12041	0.364878	
min	150.000000	0.000000	9.000000	12.00000	0.000000	
25%	2877.500000	0.000000	100.000000	360.00000	1.000000	
50%	3812.500000	1188.500000	128.000000	360.00000	1.000000	
75%	5795.000000	2297.250000	168.000000	360.00000	1.000000	
max	81000.000000	41667.000000	700.000000	480.00000	1.000000	

Inference

• The code above provides an out put on the mean, standard deviation and the percentiles within the dataset

prompt: Get the unique values and their frequency of variable Property_Area
train_data['Property_Area'].value_counts()

Semiurban 233 Urban 202 Rural 179

Name: Property_Area, dtype: int64

Distribution of non numerical Variables and understanding their distribution in numerical values

prompt: checking for missing values

train_data.isnull().sum()

 Loan_ID
 0

 Gender
 13

 Married
 3

 Dependents
 15

Education Self_Employed 32 ApplicantIncome CoapplicantIncome 22 LoanAmount Loan Amount Term 14 Credit_History 50 Property_Area 0 Loan_Status 0 dtype: int64

Create a copy of the dataset to preserve the original cleaned_train_data = train_data.copy()

Remove missing values from columns except 'Loan_ID'
cleaned_train_data.dropna(subset=cleaned_train_data.columns.difference(['Loan_ID']), inplace=True)

Reset index after dropping rows
cleaned_train_data.reset_index(drop=True, inplace=True)

Check the new shape of the dataset
print("Shape after removing missing values:", cleaned_train_data.shape)

cleaned_train_data.head(10)

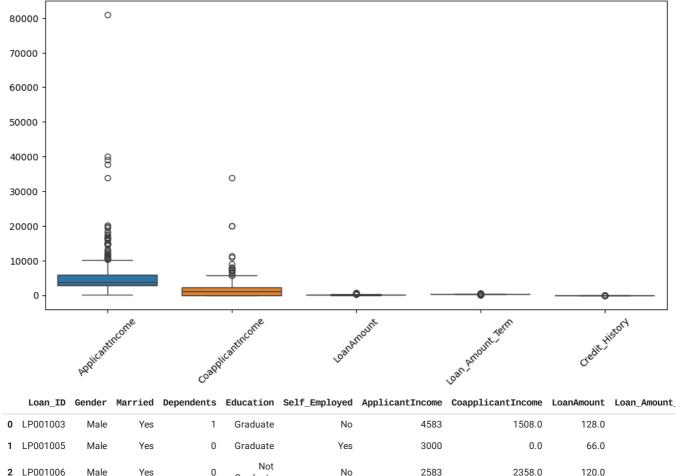
Shape after removing missing values: (480, 13)

	Loan_ID	Gender	Married	Dependents	Education	Self_Employed	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Amount_
0	LP001003	Male	Yes	1	Graduate	No	4583	1508.0	128.0	
1	LP001005	Male	Yes	0	Graduate	Yes	3000	0.0	66.0	
2	LP001006	Male	Yes	0	Not Graduate	No	2583	2358.0	120.0	
3	LP001008	Male	No	0	Graduate	No	6000	0.0	141.0	
4	LP001011	Male	Yes	2	Graduate	Yes	5417	4196.0	267.0	
5	LP001013	Male	Yes	0	Not Graduate	No	2333	1516.0	95.0	
6	LP001014	Male	Yes	3+	Graduate	No	3036	2504.0	158.0	
7	LP001018	Male	Yes	2	Graduate	No	4006	1526.0	168.0	
8	LP001020	Male	Yes	1	Graduate	No	12841	10968.0	349.0	
9	LP001024	Male	Yes	2	Graduate	No	3200	700.0	70.0	

Next steps: Generate code with cleaned_train_data View recommended plots

prompt: checking for outliers and plotting a Box plot as a visual

Check for outliers using a box plot
plt.figure(figsize=(12,6))
sn.boxplot(data=cleaned_train_data, orient="v")
plt.xticks(rotation=45)
plt.show()
cleaned_train_data.head()



2	LP001006	iviale	Yes	U	Graduate	NO	2583	2358.0	120.0
3	LP001008	Male	No	0	Graduate	No	6000	0.0	141.0
4	LP001011	Male	Yes	2	Graduate	Yes	5417	4196.0	267.0

Next steps:

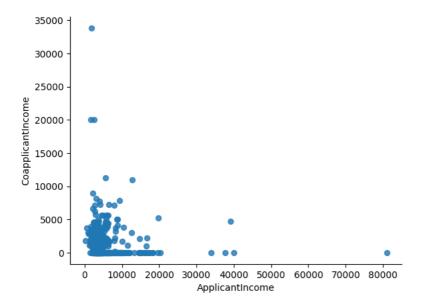
Generate code with cleaned_train_data



ApplicantIncome vs CoapplicantIncome

@title ApplicantIncome vs CoapplicantIncome

from matplotlib import pyplot as plt
cleaned_train_data.plot(kind='scatter', x='ApplicantIncome', y='CoapplicantIncome', s=32, alpha=.8)
plt.gca().spines[['top', 'right',]].set_visible(False)



~ EDA

Understanding Distribution of Categorical Variables

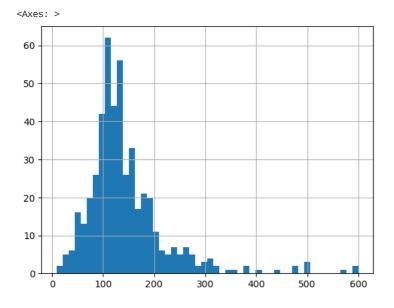
cleaned_train_data.head()

	Loan_ID	Gender	Married	Dependents	Education	Self_Employed	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Amount_
0	LP001003	Male	Yes	1	Graduate	No	4583	1508.0	128.0	
1	LP001005	Male	Yes	0	Graduate	Yes	3000	0.0	66.0	
2	LP001006	Male	Yes	0	Not Graduate	No	2583	2358.0	120.0	
3	LP001008	Male	No	0	Graduate	No	6000	0.0	141.0	
4	LP001011	Male	Yes	2	Graduate	Yes	5417	4196.0	267.0	

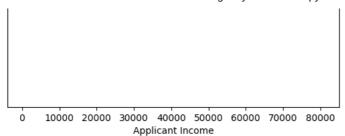
Next steps: Generate code with cleaned_train_data View recommended plots

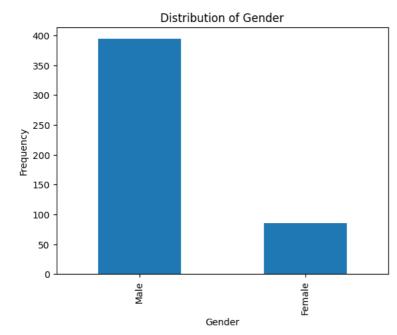
Histogram of variable LoanAmount

cleaned_train_data['LoanAmount'].hist(bins=50)

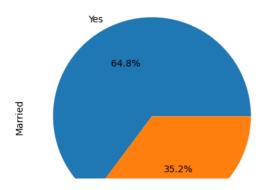


```
# prompt: visualize distribution of variables
# Histogram of variable LoanAmount
cleaned_train_data['LoanAmount'].hist(bins=50)
plt.xlabel('Loan Amount')
plt.ylabel('Frequency')
plt.title('Distribution of Loan Amount')
plt.show()
# Box plot of variable ApplicantIncome
cleaned_train_data['ApplicantIncome'].plot(kind='box', vert=False)
plt.xlabel('Applicant Income')
plt.title('Distribution of Applicant Income')
plt.show()
# Bar chart of variable Gender
cleaned_train_data['Gender'].value_counts().plot(kind='bar')
plt.xlabel('Gender')
plt.ylabel('Frequency')
plt.title('Distribution of Gender')
plt.show()
# Pie chart of variable Married
cleaned_train_data['Married'].value_counts().plot(kind='pie', autopct='%1.1f%'')
plt.title('Distribution of Marital Status')
plt.show()
```





Distribution of Marital Status



Inferences

Certainly! Here are some inferences based on the output of the provided code:

- 1. Histogram of Loan Amount:
 - o The histogram shows the distribution of loan amounts across the dataset.
 - It appears that the majority of loan amounts fall within a certain range, with a peak around a specific value.
 - o There might be some variability in loan amounts, with a few loans being significantly larger or smaller than the majority.
- 2. Box plot of Applicant Income:
 - The box plot displays the distribution of applicant incomes.
 - The box plot shows the median, quartiles, and any outliers in the applicant income data.
 - There may be some outliers present in the applicant income distribution, as indicated by data points beyond the whiskers of the box plot.
- 3. Bar chart of Gender:
 - The bar chart illustrates the distribution of gender in the dataset.
 - It shows the frequency of each gender category (e.g., male and female).
 - It appears that there are more entries for one gender compared to the other, indicating an imbalance in the dataset with respect to gender.
- 4. Pie chart of Married:
 - $\circ~$ The pie chart displays the distribution of marital status in the dataset.
 - $\circ~$ It shows the proportion of married and unmarried individuals.
 - The majority of individuals in the dataset are either married or unmarried, with one category being more prevalent than the other.

```
# prompt: showing the correlation of variable and using a heat map as a visual

# Calculate the correlation matrix
corr_matrix = cleaned_train_data.corr()

# Create a heatmap of the correlation matrix
plt.figure(figsize=(10, 8))
sn.heatmap(corr_matrix, annot=True, cmap="YlGnBu")
plt.title("Correlation Matrix")
plt.show()

# **Inferences**

# # The heatmap displays the correlation coefficients between different variables in the dataset.

# - Positive correlation: Variables with positive correlation coefficients tend to move in the same direction. For example, if one
# - Negative correlation: Variables with negative correlation coefficients tend to move in opposite directions. For example, if on
# - Strong correlation: The strength of the correlation is indicated by the intensity of the color in the heatmap. Darker colors r
# - No correlation: Variables with correlation coefficients close to zero have little or no linear relationship.
```

<ipython-input-85-7cdbda0d79a4>:4: FutureWarning: The default value of numeric_only in DataFrame.corr is deprecated. In a futu
corr_matrix = cleaned_train_data.corr()



[#] Compute the correlation matrix
correlation_matrix = cleaned_train_data.corr()

<ipython-input-86-9b3935f39e33>:2: FutureWarning: The default value of numeric_only in DataFrame.corr is deprecated. In a futu
correlation_matrix = cleaned_train_data.corr()

	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Amount_Term	Credit_History	
ApplicantIncome	1.000000	-0.112588	0.495310	-0.010838	-0.056152	ili
CoapplicantIncome	-0.112588	1.000000	0.190740	-0.005775	-0.008692	
LoanAmount	0.495310	0.190740	1.000000	0.050867	-0.040773	
Loan_Amount_Term	-0.010838	-0.005775	0.050867	1.000000	0.032937	
Credit_History	-0.056152	-0.008692	-0.040773	0.032937	1.000000	

Next steps: Generate code with correlation_matrix View recommended plots

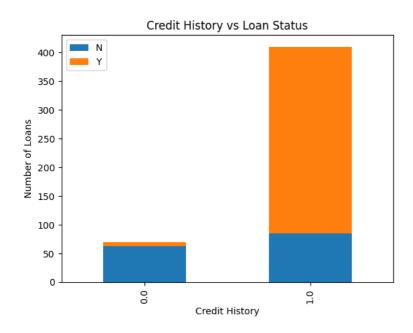
Print the results
print("Loan Approval Rates in Absolute Numbers:")
print(loan_approval_counts)

[#] Print the correlation matrix
correlation_matrix.head()

 $[\]ensuremath{\textit{\#}}$ prompt: Loan approval rates in absolute numbers

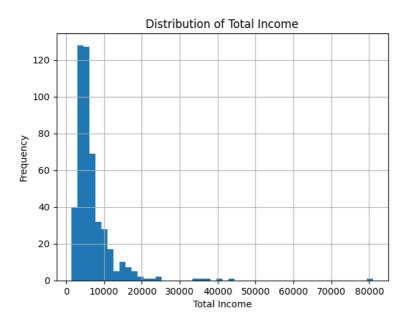
[#] Count the number of approved and rejected loans
loan_approval_counts = cleaned_train_data['Loan_Status'].value_counts()

```
Loan Approval Rates in Absolute Numbers:
          332
         148
    Name: Loan_Status, dtype: int64
# prompt: credit history and loan status
# Create a cross-tabulation of Credit_History and Loan_Status
\verb|credit_history_vs_loan_status| = pd.crosstab(cleaned_train_data['Credit_History'], cleaned_train_data['Loan_Status'])|
# Display the cross-tabulation
print("Cross-Tabulation of Credit History and Loan Status:")
print(credit_history_vs_loan_status)
# Calculate the percentage of approved loans for each credit history category
credit_history_approval_rates = credit_history_vs_loan_status['Y'] / (credit_history_vs_loan_status['Y'] + credit_history_vs_loan_status['Y']
# Display the approval rates
print("\nLoan Approval Rates by Credit History:")
print(credit_history_approval_rates)
    Cross-Tabulation of Credit History and Loan Status:
     Loan_Status
                      Ν
     Credit_History
    0.0
                     63
                     85 325
    Loan Approval Rates by Credit History:
    Credit_History
            0.100000
    0.0
    1.0
            0.792683
    dtype: float64
# prompt: visual showing credit history Vs Loan status
# Create a stacked bar chart of Credit_History vs Loan_Status
credit_history_vs_loan_status.plot(kind='bar', stacked=True)
# Set the title and labels
plt.title('Credit History vs Loan Status')
plt.xlabel('Credit History')
plt.ylabel('Number of Loans')
# Display the legend
plt.legend()
# Display the plot
plt.show()
```



```
# prompt: Add both ApplicantIncome and CoapplicantIncome to TotalIncome and look at the distribution of the total income
# Calculate Total Income
cleaned_train_data['TotalIncome'] = cleaned_train_data['ApplicantIncome'] + cleaned_train_data['CoapplicantIncome']
```

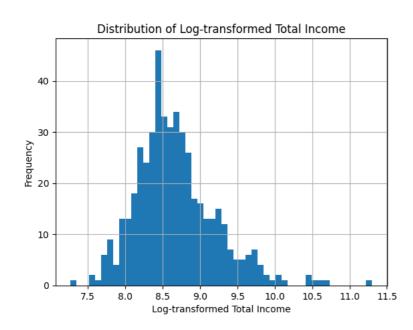
```
# Histogram of Total Income
cleaned_train_data['TotalIncome'].hist(bins=50)
plt.xlabel('Total Income')
plt.ylabel('Frequency')
plt.title('Distribution of Total Income')
plt.show()
```



Inferences

• The extreme values are practically possible, i.e. some people might apply for high value loans due to specific needs. So instead of treating them as outliers, let's try a log transformation to nullify their effect:

```
# prompt: performing log transformation on the total income and visualizing the distribution
# Log transformation of Total Income
cleaned_train_data['TotalIncome_Log'] = np.log(cleaned_train_data['TotalIncome'])
# Histogram of Log-transformed Total Income
cleaned_train_data['TotalIncome_Log'].hist(bins=50)
plt.xlabel('Log-transformed Total Income')
plt.ylabel('Frequency')
plt.title('Distribution of Log-transformed Total Income')
plt.show()
```



• sklearn requires all inputs to be numeric, we should convert all our categorical variables into numeric by encoding the categories. Before that we will fill all the missing values in the dataset.

```
# prompt: Adding total Income to our Data Set and displaying the data set
cleaned_train_data['TotalIncome'] = cleaned_train_data['ApplicantIncome'] + cleaned_train_data['CoapplicantIncome']
cleaned_train_data.head()
```

	Loan_ID	Gender	Married	Dependents	Education	Self_Employed	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Amount_
0	LP001003	Male	Yes	1	Graduate	No	4583	1508.0	128.0	
1	LP001005	Male	Yes	0	Graduate	Yes	3000	0.0	66.0	
2	LP001006	Male	Yes	0	Not Graduate	No	2583	2358.0	120.0	
3	LP001008	Male	No	0	Graduate	No	6000	0.0	141.0	
4	LP001011	Male	Yes	2	Graduate	Yes	5417	4196.0	267.0	

```
Next steps:
             Generate code with cleaned_train_data
                                                    View recommended plots
# prompt: Filling in the missing values in the dataset and conducting Encoding
# Fill missing values with the mean of the column
cleaned_train_data.fillna(cleaned_train_data.mean(), inplace=True)
# Encode categorical variables
label_encoder = LabelEncoder()
cleaned_train_data['Gender'] = label_encoder.fit_transform(cleaned_train_data['Gender'])
cleaned_train_data['Married'] = label_encoder.fit_transform(cleaned_train_data['Married'])
cleaned_train_data['Dependents'] = label_encoder.fit_transform(cleaned_train_data['Dependents'])
cleaned_train_data['Education'] = label_encoder.fit_transform(cleaned_train_data['Education'])
cleaned_train_data['Self_Employed'] = label_encoder.fit_transform(cleaned_train_data['Self_Employed'])
cleaned_train_data['Property_Area'] = label_encoder.fit_transform(cleaned_train_data['Property_Area'])
cleaned_train_data['Loan_Status'] = label_encoder.fit_transform(cleaned_train_data['Loan_Status'])
# Print the updated dataset
cleaned_train_data.head()
```

<ipython-input-93-17988452be66>:4: FutureWarning: The default value of numeric_only in DataFrame.mean is deprecated. In a futu
cleaned_train_data.fillna(cleaned_train_data.mean(), inplace=True)

	Loan_ID	Gender	Married	Dependents	Education	Self_Employed	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Amount_
0	LP001003	1	1	1	0	0	4583	1508.0	128.0	
1	LP001005	1	1	0	0	1	3000	0.0	66.0	
2	LP001006	1	1	0	1	0	2583	2358.0	120.0	
3	LP001008	1	0	0	0	0	6000	0.0	141.0	
4	LP001011	1	1	2	0	1	5417	4196.0	267.0	

Next steps: Generate code with cleaned_train_data

• View recommended plots

Inferences

- The encoding of categorical variables allows the inclusion of these features in predictive models.
 - Filling missing values with the mean helps in maintaining data integrity and ensuring that there are no NaN values that might cause issues during modeling

Modelling

Logistic Regression Analysis

• it will show the sign and magnitude of coefficients provide information about the direction and strength of the relationship between each variable and the target variable

```
#Model Training
# Define X variables
X = cleaned_train_data[['Education', 'Gender', 'Married', 'TotalIncome',
```

```
'ApplicantIncome', 'CoapplicantIncome', 'LoanAmount',
                        'Loan_Amount_Term', 'Credit_History', 'Property_Area']]
# Encode categorical variables (if needed)
X = pd.get_dummies(X, columns=['Education', 'Gender', 'Married', 'Property_Area'], drop_first=True)
# prompt: Defining the y variable and Split data into train and test sets
# Define y variable
y = cleaned_train_data['Loan_Status']
# Split data into train and test sets
from sklearn.model_selection import train_test_split
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=0)
# prompt: Internalizing the logistic regression Model and Train the Model
# Instantiate a Logistic Regression model
logistic_model = LogisticRegression()
# Fit the model to the training data
logistic_model.fit(X_train, y_train)
     LogisticRegression
     LogisticRegression()
# Fit the logistic regression model
logistic_model.fit(X_train, y_train)
# Access the coefficients of the model
coefficients = logistic_model.coef_[0]
# Access the intercept of the model
intercept = logistic_model.intercept_[0]
# Make predictions on the test set
y_pred = logistic_model.predict(X_test)
# Get the predicted probabilities for each class
y_pred_proba = logistic_model.predict_proba(X_test)
# Evaluate accuracy
accuracy = accuracy_score(y_test, y_pred)
# Print accuracy
print("Accuracy:", accuracy)
    Accuracy: 0.77083333333333334
```

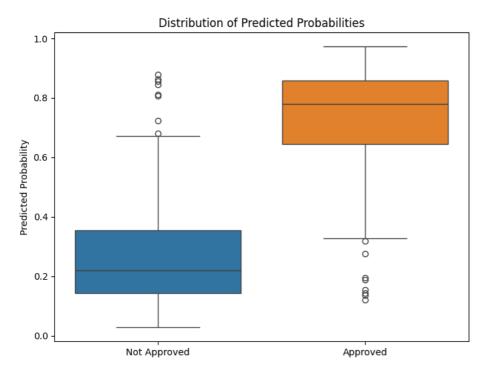
• The accuracy of the logistic regression model on the test set is approximately 77.08%. This indicates that the model correctly predicts the loan status (approved or not) for about 77.08% of the test instances

- Education: The coefficient is close to zero (-1.54880284e-05), suggesting that education level has minimal impact on the likelihood of loan approval.
- Gender: The coefficient is positive (3.49427730e-05), indicating that being male slightly increases the log odds of loan approval.
- Married: The coefficient is negative (-5.04308022e-05), suggesting that being married slightly decreases the log odds of loan approval.
- TotalIncome: The coefficient is negative (-2.65215521e-03), indicating that higher total income decreases the log odds of loan approval.
- ApplicantIncome, CoapplicantIncome, LoanAmount, Loan_Amount_Term, Credit_History, Property_Area: Positive coefficients for these
 variables suggest that higher values of these features increase the log odds of loan approval.

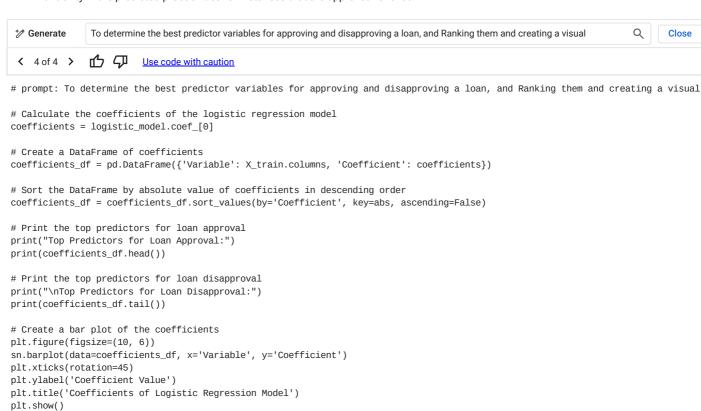
```
#The predicted probabilities for each class (0: Not approved, 1: Approved) for each observation in the test set
# Print intercept
print("Intercept:", intercept)
# Print predicted probabilities
print("Predicted probabilities:", y_pred_proba)
      [0.25203713 0.74796287]
      [0.09127683 0.90872317]
      [0.29783053 0.70216947]
      [0.20909649 0.79090351]
      [0.37317683 0.62682317]
      [0.68154753 0.31845247]
      [0.33911511 0.66088489]
      [0.04517329 0.95482671]
      [0.19174762 0.80825238]
      [0.3065286 0.6934714]
      [0.11178556 0.88821444]
      [0.17428659 0.82571341]
      [0.17165096 0.82834904]
      [0.31499799 0.68500201]
      [0.29700723 0.70299277]
      [0.17308019 0.82691981]
      [0.20659261 0.79340739]
      [0.03694399 0.96305601]
      [0.39381448 0.60618552]
      [0.09162906 0.90837094]
      [0.33092281 0.66907719]
      [0.31076231 0.68923769]
      [0.54619897 0.45380103]
      [0.85698036 0.14301964]
      [0.81155984 0.18844016]
      [0.80621895 0.19378105]
      [0.08716844 0.91283156]
      [0.3619378 0.6380622 ]
      [0.52477213 0.47522787]
      [0.20695406 0.79304594]
      [0.37679915 0.62320085]
      [0.14328471 0.85671529]
      [0.25758911 0.74241089]
      [0.12832752 0.87167248]
      [0.11146728 0.88853272]
      [0.06322266 0.93677734]
      [0.05780565 0.94219435]
      [0.05930507 0.94069493]
      [0.26870488 0.73129512]
      [0.60932205 0.39067795]
      [0.2175568 0.7824432 ]
      [0.21993803 0.78006197]
      [0.10876395 0.89123605]
      [0.2541959 0.7458041 ]
      [0.1949522 0.8050478 ]
      [0.45447478 0.54552522]
      [0.13791938 0.86208062]
      [0.10157431 0.89842569]
      [0.35280797 0.64719203]
      [0.67222753 0.32777247]
      [0.42114877 0.57885123]
      [0.40673328 0.59326672]
      [0.87873303 0.12126697]
      [0.21993144 0.78006856]
      [0.2307633 0.7692367
      [0.72382904 0.27617096]
      [0.22060888 0.77939112]
      [0.86306005 0.13693995]
      [0 39392848 0 60607152]
```

- For each observation, there are two predicted probabilities: one for class 0 (Not approved) and one for class 1 (Approved).
- The predicted probability for class 1 represents the model's confidence in predicting that the loan will be approved for that particular observation.
- High predicted probabilities of class 1 suggest a high likelihood of loan approval, while low predicted probabilities suggest a low likelihood of approval.

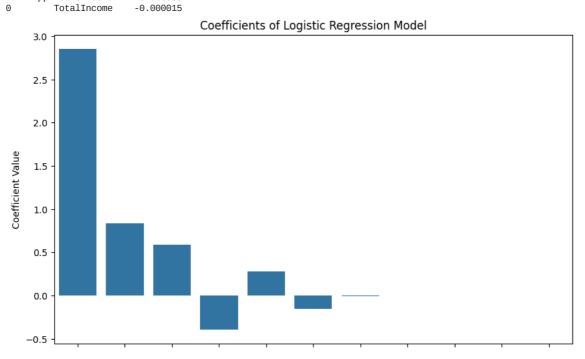
plt.ylabel('Predicted Probability')
plt.title('Distribution of Predicted Probabilities')
plt.show()



- The box plot for the "Not approved" class (class 0) show a lower median and a narrower interquartile range compared to the "Approved" class (class 1). This suggests that the model is generally more confident in predicting instances that are not approved for a loan.
- Conversely, the box plot for the "Approved" class (class 1) exhibit a higher median and a wider interquartile range, indicating more variability in the predicted probabilities for instances that are approved for a loan.



```
Top Predictors for Loan Approval:
          Variable Coefficient
    Credit History
                       2.854144
9
  Property_Area_1
                       0.834336
8
                       0.591432
         Married 1
6
       Education_1
                      -0.393530
          Gender_1
                       0.278310
Top Predictors for Loan Disapproval:
            Variable Coefficient
4
    Loan_Amount_Term
                        -0.005595
                         -0.002652
3
          LoanAmount
2
  CoapplicantIncome
                         -0.000050
     ApplicantIncome
                         0.000035
1
```



Top Predictors for Loan Approval:

- Credit_History: The variable "Credit_History" has the highest positive coefficient, indicating that having a good credit history significantly increases the likelihood of loan approval.
- Property_Area: The variable "Property_Area" with the highest coefficient indicates that certain property areas (encoded as "Property_Area_1") have a positive impact on loan approval. This suggests that properties in specific areas may have higher chances of loan approval.
- Married: Being married (encoded as "Married_1") has a positive coefficient, implying that married individuals are more likely to get loan approval compared to unmarried individuals.
- Education: Surprisingly, the variable "Education" with a coefficient for graduate education (encoded as "Education_1") has a negative coefficient. This suggests that being a graduate might slightly reduce the chances of loan approval.
- Gender: The variable "Gender" with a positive coefficient for male (encoded as "Gender_1") indicates that being male might slightly increase the chances of loan approval.

Random Forest Classifier Model

Random Forest is an ensemble learning technique that builds multiple decision trees during training and combines their predictions to
improve accuracy and reduce overfitting. It's known for handling both categorical and numerical data well, making it suitable for datasets
with a mix of variable. Random Forest can capture complex relationships between features and target variables, making it a powerful tool
for classification tasks.

```
# Define X and y variables
X = cleaned_train_data.drop(columns=['Loan_Status', 'Loan_ID']) # Features
y = cleaned_train_data['Loan_Status'] # Target variable

# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
```

```
# Initialize the Random Forest Classifier
rf_classifier = RandomForestClassifier(random_state=42)
# Train the model
rf_classifier.fit(X_train, y_train)
# Make predictions on the test set
y_pred = rf_classifier.predict(X_test)
# Evaluate accuracy
accuracy = accuracy_score(y_test, y_pred)
print("Accuracy:", accuracy)

Accuracy: 0.802083333333333334
```

The Random Forest Classifier achieved an accuracy of approximately 80.21% on the test data. This means that the model correctly
predicted the loan approval status for around 80.21% of the applicants in the test dataset

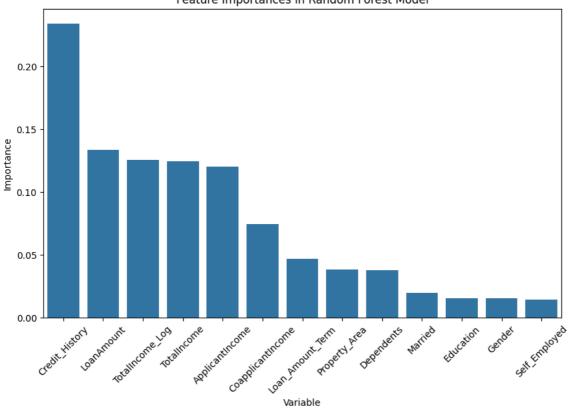
```
# **Hyperparameter Tuning**
# Define the hyperparameter grid
param_grid = {
    'n_estimators': [100, 200, 300],
    'max_depth': [None, 10, 20, 30],
    'min_samples_split': [2, 5, 10],
    'min_samples_leaf': [1, 2, 4],
    'bootstrap': [True, False]
}
# Perform grid search cross-validation
grid_search = GridSearchCV(estimator=rf_classifier, param_grid=param_grid, cv=5, n_jobs=-1, verbose=2)
grid_search.fit(X_train, y_train)
# Get the best parameters
best_params = grid_search.best_params_
# Update the Random Forest Classifier with the best parameters
rf_classifier = RandomForestClassifier(**best_params, random_state=42)
# Train the model with the best parameters
rf_classifier.fit(X_train, y_train)
# Evaluate the model on the test set
y_pred = rf_classifier.predict(X_test)
accuracy = accuracy_score(y_test, y_pred)
print("Accuracy after hyperparameter tuning:", accuracy)
# **Feature Importance**
# Get feature importances
importances = rf_classifier.feature_importances_
# Create a DataFrame of feature importances
feature_importances_df = pd.DataFrame({'Variable': X_train.columns, 'Importance': importances})
# Sort the DataFrame by importance in descending order
feature_importances_df = feature_importances_df.sort_values(by='Importance', ascending=False)
# Print the top predictors for loan approval
print("\nTop Predictors for Loan Approval:")
print(feature_importances_df.head())
# Create a bar plot of the feature importances
plt.figure(figsize=(10, 6))
sn.barplot(data=feature_importances_df, x='Variable', y='Importance')
plt.xticks(rotation=45)
plt.ylabel('Importance')
plt.title('Feature Importances in Random Forest Model')
plt.show()
\ensuremath{\text{\#}} Analyze the distribution of important features
for feature in feature_importances_df['Variable'].head():
    plt.figure(figsize=(8, 6))
    sn.histplot(cleaned_train_data[feature], kde=True)
    plt.title(f'Distribution of {feature}')
    plt.show()
```

Fitting 5 folds for each of 216 candidates, totalling 1080 fits Accuracy after hyperparameter tuning: 0.8020833333333333

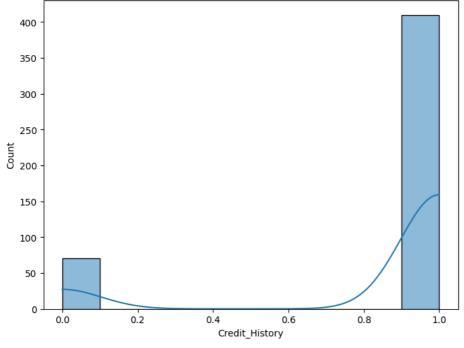
Top Predictors for Loan Approval:

	Variable	Importance
9	Credit_History	0.234038
7	LoanAmount	0.133597
12	TotalIncome_Log	0.125476
11	TotalIncome	0.124512
5	ApplicantIncome	0.120260









Distribution of LoanAmount



