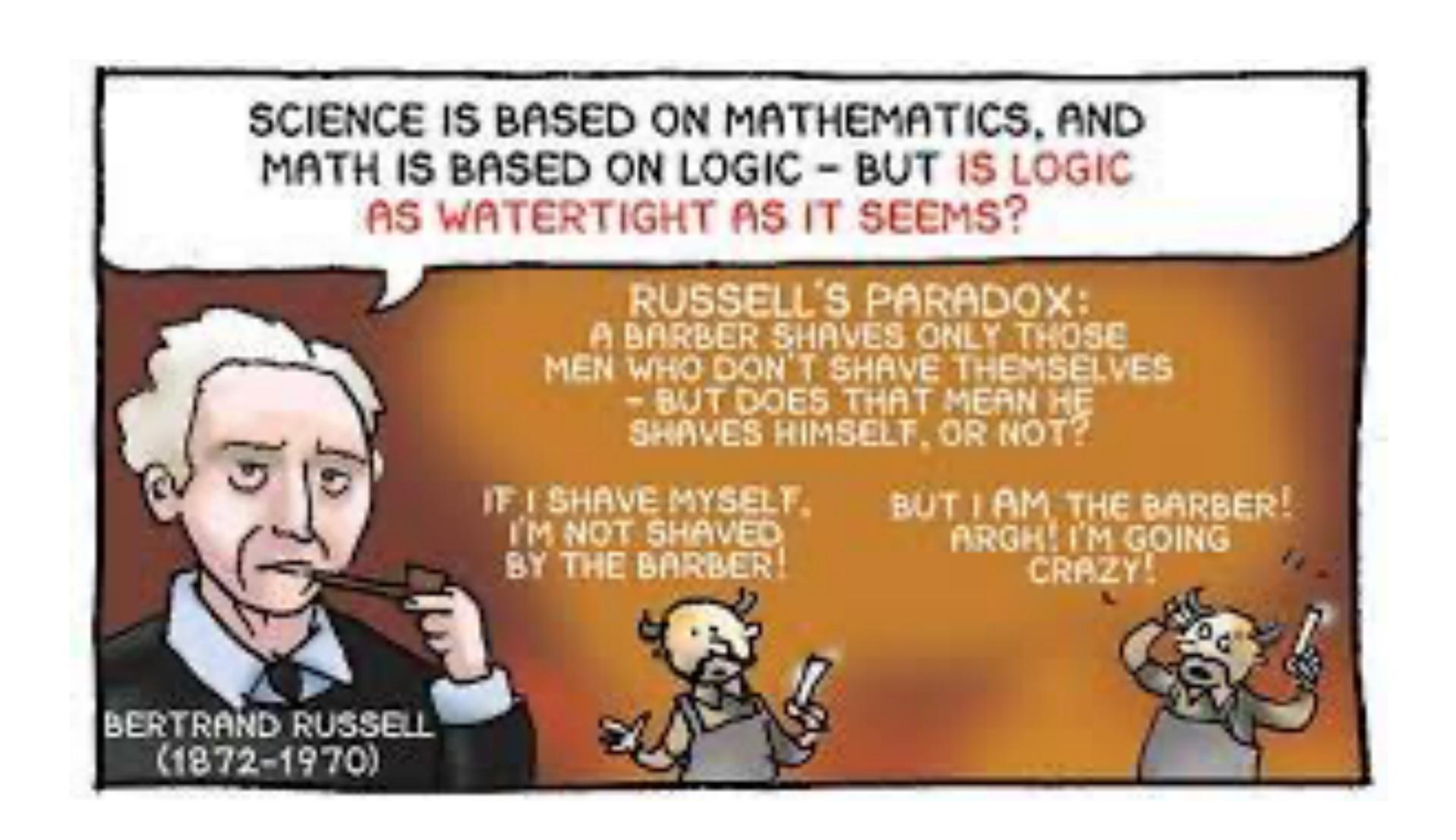


## ALGORITHM ENGINEERING

Lecture 0:
A Short Tale of Modern Computing and Rise of Algorithm Engineering

M. Oğuzhan Külekci - <u>kulekci@itu.edu.tr</u>

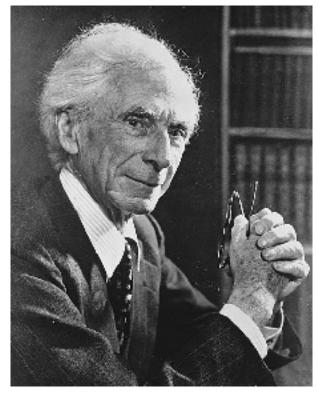
# THE QUESTION THAT EVENTUALLY LED TO THE DEVELOPMENT OF COMPUTING MACHINES ???



# Mathematical Roots of Computability 1870 - 1940



Georg Cantor 1845-1917 SET THEORY - 1874



Bertrand Russell 1872-1970

**RUSSEL PARADOX - 1901** 

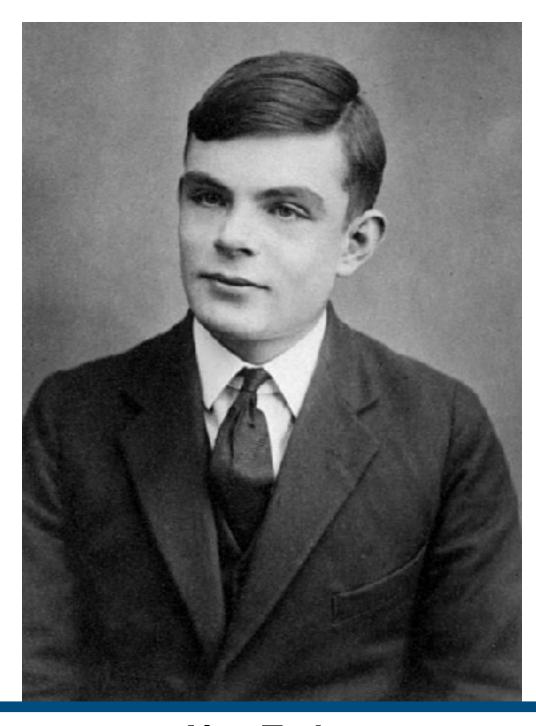


David Hilbert 1862-1943 MATHEMATICAL LOGIC - 1921



Kurt Gödel 1906 - 1978

Incompleteness - 1931



1870-1940 LOGICS, SET THEORIES

RUSSELL TO GODEL

**Alan Turing 1912-1954** 

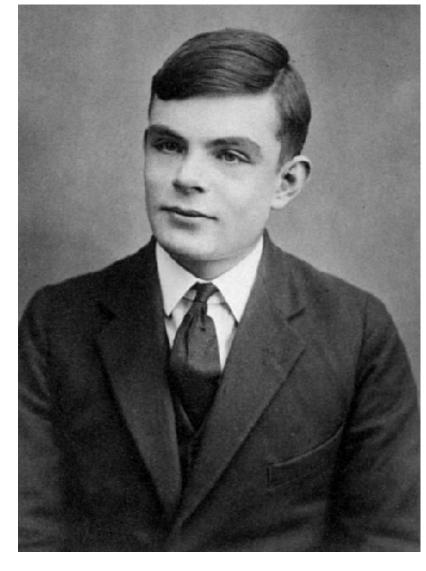
**Undecidability - 1936** 

#### FIRST PROGRAMMABLE COMPUTING MACHINES 1940 - 1950



Alanzo Church 1903 - 1995

 $\lambda - calculus$ 



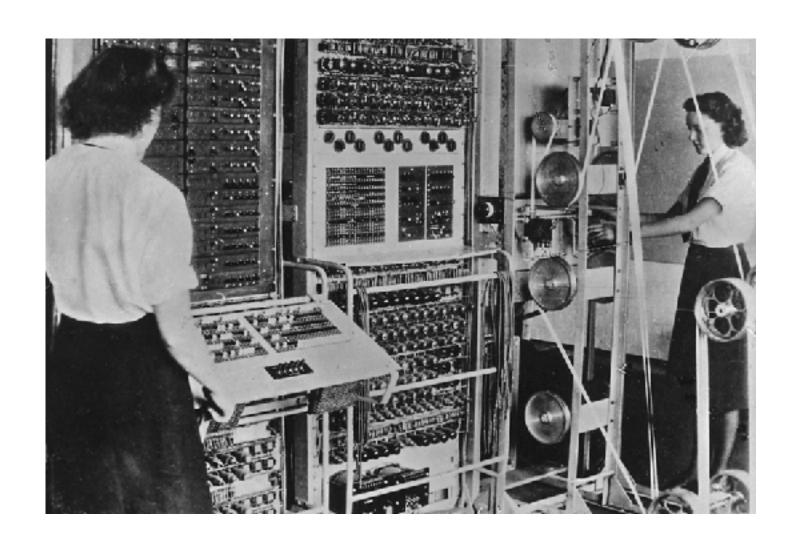
Alan Turing 1912-1954

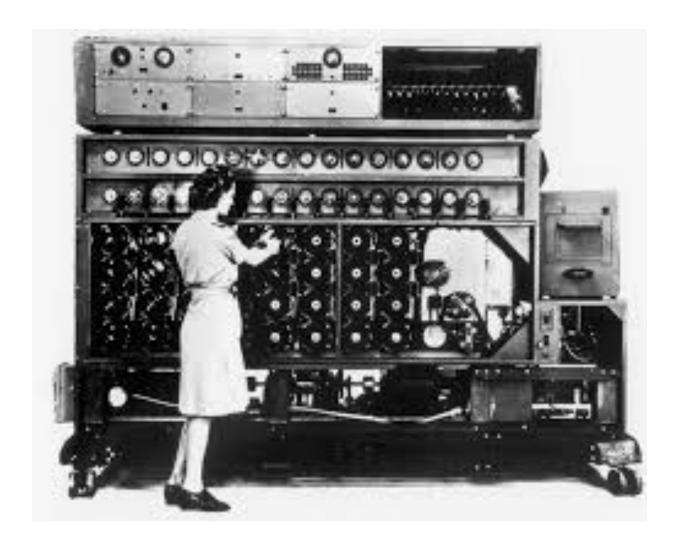
Turing Machine

1936



A function on the natural numbers can be calculated by an effective method if and only if it is computable by a Turing machine





**BOMBE** 

**COLOSSUS** 

1942 - 1945 BLETCHLEY PARK - LONDON, UK



ENIGMA
II. WORLD WAR
CRYPTO MACHINE

#### **EARLY YEARS 1950 - 1960**

Computers appeared as new commercial devices, and ignited the "computing business", (have a look to <a href="https://en.wikipedia.org/wiki/Timeline\_of\_computing">https://en.wikipedia.org/wiki/Timeline\_of\_computing</a> for more details...)

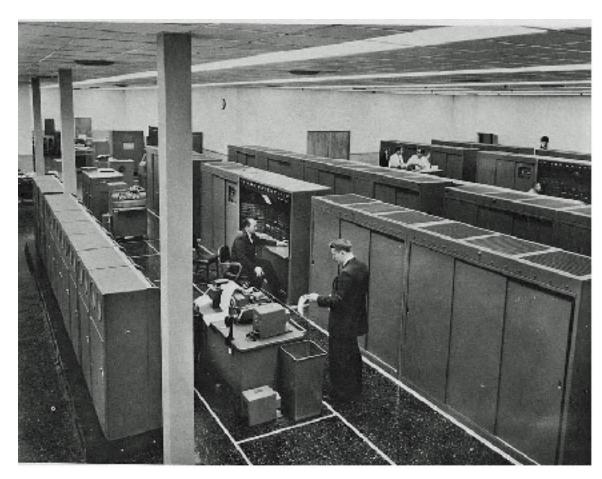
Computer Programming:

Machine Codes

Assembly Language

**-**

Modern programming languages FORTRAN'54, ALGOL'60, (later PASCAL'70, C'73, C++'82, JAVA'91, PYTHON'9, ...)



UNIVAC 1103 (1953)

### TOWARDS A NEW SCIENTIFIC DISCIPLINE (1960 - 1970)

ON THE COMPUTATIONAL COMPLEXITY OF ALGORITHMS

J. HARTMANIS AND R. E. STEARNS

1. Introduction. In his celebrated paper [1], A. M. Turing investigated the computability of sequences (functions) by mechanical procedures and showed that the set of sequences can be partitioned into computable and noncomputable sequences. One finds, however, that some computable sequences are very easy to compute whereas other computable sequences seem to have an inherent complexity that makes them difficult to compute. In this paper, we investigate a scheme of classifying sequences according to how hard they are to compute. This scheme puts a rich structure on the computable sequences and a variety of theorems are established. Furthermore, this scheme can be generalized to classify numbers, functions, or recognition problems according to their computational complexity.

Hartmanis & Stearn'1965: Time and space complexity analysis of algorithms

#### PATHS, TREES, AND FLOWERS

JACK EDMONDS

2. Digression. An explanation is due on the use of the words "efficient algorithm." First, what I present is a conceptual description of an algorithm and not a particular formalized algorithm or "code."

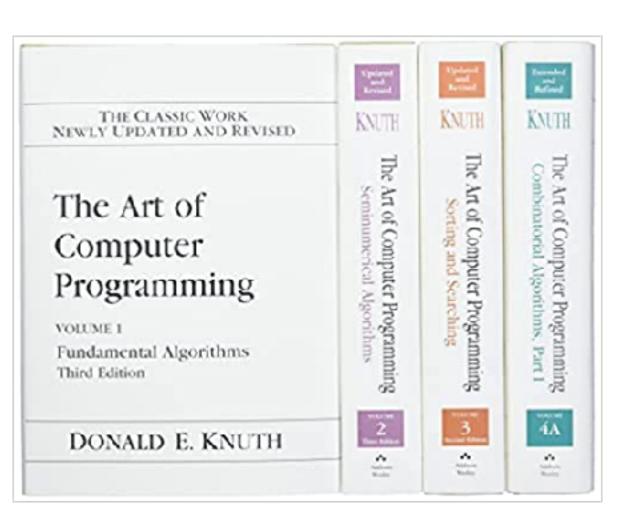
For practical purposes computational details are vital. However, my purpose is only to show as attractively as I can that there is an efficient algorithm. According to the dictionary, "efficient" means "adequate in operation or performance." This is roughly the meaning I want—in the sense that it is conceivable for maximum matching to have no efficient algorithm. Perhaps a better word is "good."

I am claiming, as a mathematical result, the existence of a good algorithm for finding a maximum cardinality matching in a graph.

There is an obvious finite algorithm, but that algorithm increases in difficulty exponentially with the size of the graph. It is by no means obvious whether or not there exists an algorithm whose difficulty increases only algebraically with the size of the graph.

The mathematical significance of this paper rests largely on the assumption that the two preceding sentences have mathematical meaning. I am not prepared to set up the machinery necessary to give them formal meaning, nor

#### Edmunds'65: Definition of Efficient Algorithm



1962(start)-1971

### PEN-PAPER ERA IN ALGORITHMS & THEORY (up to late 80s)



Stephan Cook 1971 (3-SAT)



Leonid Levin 1971



197221 new hard problems

NP-Hard

NP-Hard

NP-Hard P = NP  $P \neq NP$   $P \neq NP$   $P \neq NP$ 

Some computational problems are really hard, and many amazing relations between them

Developments in many sub-divisions of computer science: parallel algorithms, external memory, randomization, approximation, etc....

## GAP BETWEEN THEORY AND PRACTICE (up to late 90s)

! Personal computers! Everyone can purchase.



Software industry developing very fast! More and more digitization in daily life...

Theory and practice were flowing in different rivers.

Practice was not in big need for theory, and theory was not much interested in practice.

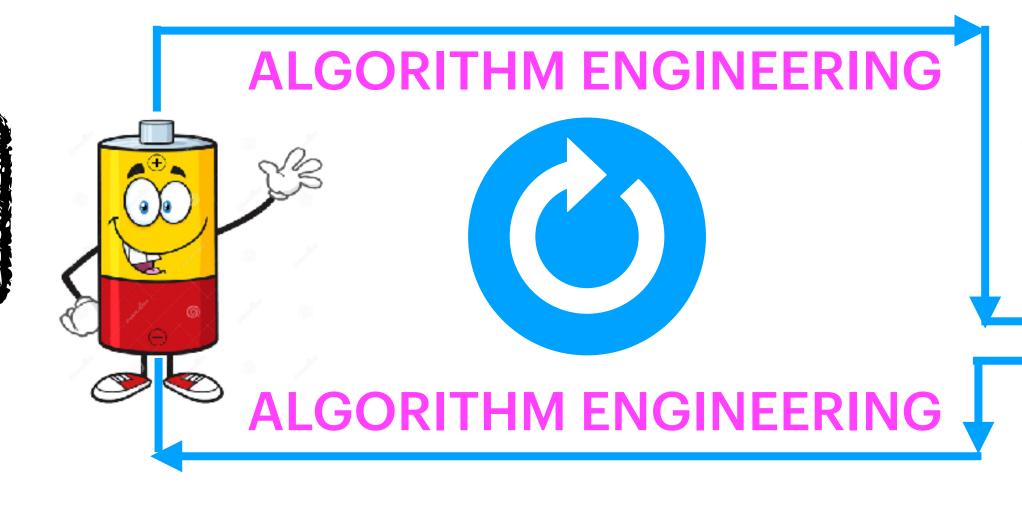
However, the gap between theory and practice became apparent.

### **ALGORITHM ENGINEERING PARADIGM (2000 - ...)**

Previous hypotheses and assumptions turning into realities due to mainly:

- Data deluge and ever increasing digitization
- Advances on computing platforms and processor technology
- Increasing need of theoretical results in practical applications

Theory & Algorithms



Software Engineering Practice

#### Workshop on Algorithm Engineering

Venice, Italy

September 11-13, 1997

Now, it is ESA- Track B, experimental algorithms

**ALENEX 99** 



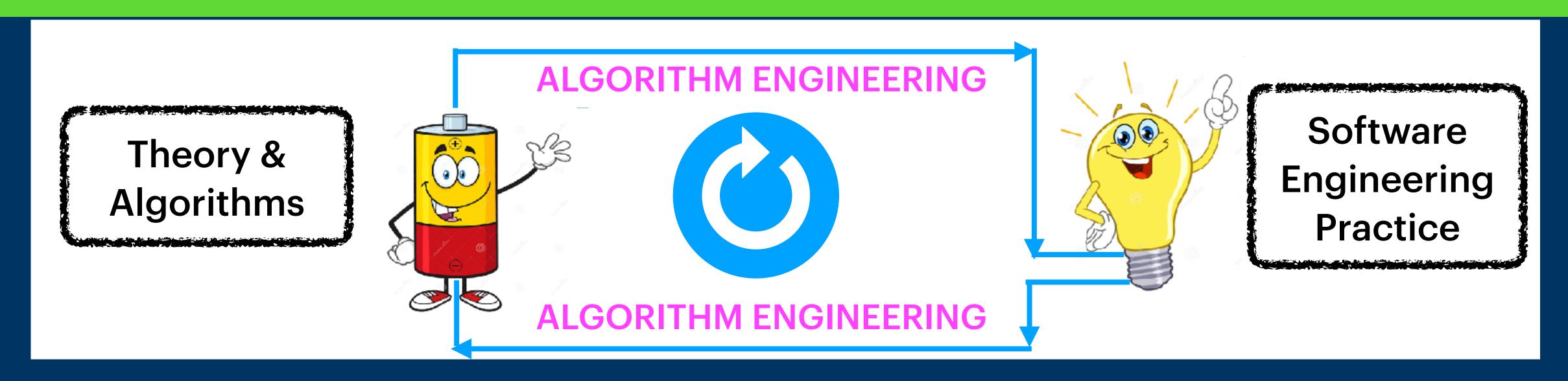
Workshop on Algorithm Engineering and Experimentation

January 15-16, 1999 Omni Hotel, Baltimore, Maryland



Workshop on Experimental Algorithms - WEA, (2001, Riga) Now, Symposiumn on Experimental Algorithms

## NEXT LECTURE ...



## ALGORITHM ENGINEERING

# Lecture 1: Introduction to Experimental Algorithms

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