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Open-Domain Metaphor Interpretation: Distributional Semantics for Bayesian Pragmatics

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Keywords: metaphor, informativity, Bayesian pragmatics, distributional semantics

ABSTRACT

Humans interpret metaphors, like *Time is a thief* or *My lawyer is a shark*, with relative ease, incorporating contextual knowledge to determine which aspects of the predicate (*thief*, *shark*) are true of the subject (*time*, *my lawyer*). One theory of the process underlying metaphor interpretation, proposed by Grice (1975), is that a listener reasons about an informative speaker (who in turn reasons about the listener) to update their beliefs about the subject and the relevant dimensional of meaning.

This reasoning process can be modeled probabilistically in the *Rational Speech Acts framework* (Frank & Goodman, 2012). However, previous instantiations of these models have required a hand-specified semantics, restricting the generality of the model and the scope of empirical investigation into the effectiveness of pragmatic reasoning for metaphor interpretation.

We present a method to combine empirically learned word embeddings with a Rational Speech Acts model of metaphor. This allows us to interpret open domain predicative and adjectival metaphors without manually stipulating the denotations of the words they contain. We find a significant preference in human judgments for our model over a comparable word embedding model without explicit pragmatic reasoning.

INTRODUCTION

Metaphor presents a compelling theoretical challenge for the understanding of meaning in natural language. On hearing (1) in a context where the subject, Jane, is known to be a consultant, a listener might infer that Jane is not literally a soldier, but rather that she shares certain attributes with soldiers (perhaps determination, endurance, or ruthlessness).

(1) Jane is a soldier

The Gricean view of metaphor takes the meaning conveyed by (1) in a given context to be the result of a process of *pragmatic reasoning*, about a speaker who is trying to communicate truthfully, informatively, and relevantly. That is, the listener attempts to jointly deduce what Jane must be like and what aspect of Jane is plausibly relevant, such that the speaker would have chosen the predicate *soldier* over other alternatives.

Modeling metaphor Obtaining metaphorical interpretations for utterances like (1) is within the scope of a formalization of Gricean reasoning, the *Rational Speech Acts* (RSA) framework (Frank & Goodman, 2012). This framework models pragmatic interpretation and production of language via probabilistic models of speakers and listeners, who reason

about each other in a nested fashion, with the assumption of cooperativity and a shared semantics.

Kao, Bergen, and Goodman (2014) extend the framework by introducing a new model, L_1^Q , which is able to interpret metaphors. It does so by the mechanism of *projection functions*¹ which dictate the dimension of the world that the speaker cares about communicating. This, in turn, allows for a model of a listener which jointly determines the state of the world (e.g. what Jane is like) and the aspect of the world the speaker cares to communicate (e.g. Jane's determination). Crucially, this listener assumes an informative speaker: one whose choice of utterance maximizes the probability of communicating the world w to the speaker's model of the listener, up to the projection q .

This model provides an account of predicative metaphors (those of the form *A is a B*) and adjective-noun (AN) metaphors (like *fiery temper*). However, in order to generate predictions from the model, previous instantiations of the model have required the manual construction of a semantics for the words involved, restricting the model's scalability.

Our contribution By adapting an RSA model of non-literal meaning to a word embedding (distributional) semantics, we obtain a system capable of interpreting open domain predicative and adjectival metaphors, without the need for hand-specified word meanings. This adaption requires a generalization of projection functions to a vector space setting, and a novel inference algorithm to calculate the now continuous posterior distribution of L_1^Q . This permits what is to our knowledge the first open domain evaluation of an RSA model of pragmatic reasoning. We show that our model of metaphor interpretation significantly outperforms a baseline which uses a word embedding semantics without explicit pragmatic reasoning.

OVERVIEW OF METAPHOR

Metaphor exists in many syntactic forms. For present purposes, we focus on copular predicates (e.g. *Jane is a soldier*) and AN noun phrases (e.g. *fiery temper*). We refer to the predicated or modified noun (*Jane*, *temper*) as the *target* of the metaphor and the predicate or adjective (*soldier*, *fiery*) as the *source* (see Lakoff and Johnson (1980) for the more general sense of these terms).

For a given metaphor, only certain properties of the target are described by the source, and which these are depend on the metaphor and the context. For instance, (2), said of a sleeping dog, could convey that it is unresponsive, but said of a large alert dog, could convey that it is heavy.

- (2) The dog is a rock.

While certain metaphors are conventional - comparing someone to a lion tends to connote bravery - examples like (2) suggest that the interpretation of a metaphor is contextually dependent. The benefit of the Gricean view of metaphor is the ability to explain this dependence on context, in a way which takes into account an underlying semantics (e.g. the conventional meanings of *dog* and *rock*).

¹ These are often referred to in RSA literature as *Questions under Discussion*.

A BAYESIAN MODEL OF METAPHOR INTERPRETATION

The Rational Speech Acts framework (RSA) provides an elegant and practical way of formalizing Gricean pragmatics as nested Bayesian inference (Frank & Goodman, 2012).

In this framework, listeners and speakers are represented as conditional probability distributions. Speakers are distributions $P(U|W)$ over possible utterances given worlds, and listeners distributions $P(W|U)$ over possible worlds given utterances, where W is the set of possible states, and U is the set of utterances available to a speaker. The most basic version of RSA (Frank & Goodman, 2012) is incapable of interpreting metaphors, due to the strict assumption that the speaker's utterances are literally true. To address this, Kao et al. (2014) proposes a model L_1^Q , defined in (5).

$$\begin{aligned} (3) \quad & L_0(w|u) \propto \llbracket u \rrbracket(w) \cdot P_L(w) \\ (4) \quad & S_1(u|w, q) \propto \sum_{w'} \delta_{q(w)=q(w')} \cdot L_0(w'|u) \\ (5) \quad & L_1^Q(w, q|u) \propto S_1(u|q, w) \cdot P_L(w) \cdot P_{L_Q}(q) \end{aligned}$$

The literal listener L_0 represents a model of a listener that, given an utterance $u \in U$ updates their belief about the world $w \in W$ in accordance with the semantics $\llbracket \cdot \rrbracket$ and their prior P_L . This semantics, usually a function $U \rightarrow (W \rightarrow \{0, 1\})$, represents the conventional association between states w and utterances u which the speaker and listener take as given.

Projections Functions $q \in Q$ formalize the notion of picking a particular *aspect* or *dimension* of w . Formally, they are surjective functions out of W .

The informative speaker S_1 has a state w they want to communicate, and reasons about L_0 , preferring utterances u which maximize the L_0 posterior probability on w , up to the aspect of w specified by q . If q is the identity function, $S_1(u|w) \propto L_0(w|u)$, and is thus a model of a speaker who prefers to choose the most informative utterance available.

The pragmatic listener L_1^Q jointly infers values for w and q . The key dynamic is that the listener may hear an utterance u and infer a pair (w, q) where u is semantically incompatible with w (i.e. $\llbracket u \rrbracket(w) = 0$) but where u conveys some aspect of w as determined by q .

We can view L_1^Q as a model of metaphor interpretation as follows, using the example in (6). The goal of the speaker is to communicate a state w along dimension q , representing what John is like along a certain dimension. To this end, they choose a predicate u , here *shark*. The goal of the listener on hearing (6) is to infer w as well as the *dimension* of w that the speaker cares about.

(6) John is a shark.

To make this precise, and derive predictions from L_1^Q , five things must be provided: a set W of states, a set U of utterances, a set Q of projections, a prior P_L representing the listener's uncertainty over W , and a semantics $\llbracket \cdot \rrbracket$. (We assume throughout that the prior P_{L_Q} over Q is uniform.) Jointly, we say that these determine an *interpretation* of L_1^Q .

One possible interpretation, similar to what is provided by Kao et al. (2014), treats points in the state space W as n-tuples of truth values, corresponding to Boolean properties

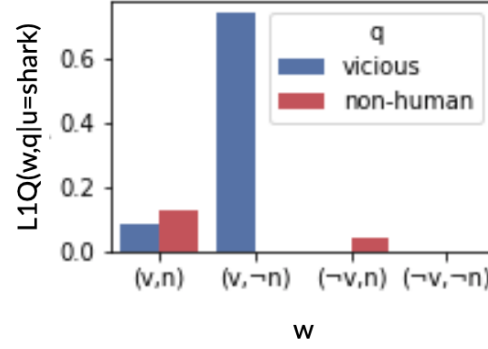


Figure 1: Figure showing the posterior distribution of L_1^Q on hearing *shark*. v and n abbreviate the Boolean variables *vicious* and *non-human* respectively.

$w \subset P$. We refer to this as a *set theoretic* interpretation of L_1^Q . We give a very simple example below, for $P = \{\text{vicious}, \text{non-human}\}$:

- $P_L = \{(\text{vicious} = T, \text{non-human} = T) : 0.075,$
 $(\text{vicious} = T, \text{non-human} = F) : 0.675,$
 $(\text{vicious} = F, \text{non-human} = T) : 0.025,$
 $(\text{vicious} = F, \text{non-human} = F) : 0.225\}$
- $U = \{\text{shark}, \text{silence}\}$
- $Q = \{q_{\text{vicious}} = \lambda(x, y) : x, \quad q_{\text{non-human}} = \lambda(x, y) : y\}$

We assume a semantics $\llbracket \cdot \rrbracket$ in which *shark* is compatible only with (vicious, non-human), and *silence* is compatible with every state. Note that the projections map each tuple to its value at a single property.

The results of L_1^Q hearing *shark* are shown in figure 1. The key fact to note is that the prior belief that John is not literally an animal leads L_1^Q to conclude that the speaker cares about conveying the viciousness dimension (i.e. projection q_{vicious}), and that John is vicious.

Importantly, L_1^Q can do more than simply using prior knowledge to interpret literally false statements in a flexible way. It is also capable of reasoning about alternative utterances: for instance, suppose we add a third property, *quickness*, so that *shark* is compatible only with (vicious = T, non-human = T, quick = T), and also add a third utterance, *hummingbird*, compatible with only (vicious = F, non-human = T, quick = T).

In this second example, when L_1^Q hears *shark*, it infers that John is more likely vicious than quick. This is because a speaker who wanted to communicate that John is vicious would only be able to use the utterance *shark*, whereas a speaker who wanted to communicate that John is quick would be able to choose between either *shark* or *hummingbird*. The utterance *shark* is therefore more likely to have been produced by the speaker trying to communicate John's viciousness.

L_1^Q can also model AN metaphors in a similar way. For instance, for a phrase like *fiery temper*, we say that the goal of a listener is to decide what is true of the temper in question given that the speaker has modified it with *fiery*.

DISTRIBUTIONAL SEMANTICS

From a linguistic corpus, it is possible to obtain a mapping from words to points in a high-dimensional vector space that has the property that semantic similarity of a pair of words a and b corresponds to a metric, such as cosine distance, between the vectors \vec{a} and \vec{b} .

Mappings of this sort, commonly referred to as *word embeddings* or *distributional models of word meaning*, can be obtained either by dimensionality reduction of a co-occurrence matrix (Pennington, Socher, & Manning, 2014), or by extracting the weights of a statistical model (Devlin, Chang, Lee, & Toutanova, 2018; Mikolov, Sutskever, Chen, Corrado, & Dean, 2013; Peters et al., 2018) trained on a separate task.

In either case, word embeddings provide a way to empirically obtain fine grained connotations of lexical items (Mikolov et al., 2013), and have been used effectively in a number of NLP tasks (Dai & Le, 2015; Radford, Narasimhan, Salimans, & Sutskever, 2018). They have also been used to compute vectorial representations of phrases and sentences (Coecke, Sadrzadeh, & Clark, 2010; Socher et al., 2013).

Metaphor is an obvious candidate for approaches that use distributional semantics: a wide variety of attempts have been made to leverage the information inherent in pre-trained word vectors for the detection, interpretation and paraphrase of metaphor (see Shutova (2016) for an overview of proposed systems.).

Our hypothesis is that, while the information in high quality word embeddings captures important aspects of meaning, a cognitively realistic model of metaphor interpretation should also incorporate Gricean reasoning, of the sort formalized in the RSA framework. We now explain how L_1^Q can be combined with a distributional model of word meaning.

BAYESIAN PRAGMATICS WITH A DISTRIBUTIONAL SEMANTICS

The set-theoretic interpretation of L_1^Q takes states $w \in W$ to be sets of properties describing the source of the given metaphor, and a semantics to be a function $U \rightarrow (W \rightarrow \{0, 1\})$.

We now introduce a *vectorial* interpretation of L_1^Q . Importantly, this requires no modification to equations (3-5). The crucial difference is that our state space W is now not just a set, but a vector space determined by a word embedding $E : U \rightarrow W$, so that elements $\vec{w} \in W$ are vectors.² For our application of the model, we assume U is a set of adjectives.

The listener's prior In the set-theoretic interpretation of L_1^Q , with finite W , a discrete prior P_L over W sufficed. In the present case, where W is necessarily infinite (ranging over all real-valued vectors), we use a multivariate spherical Gaussian distribution, which can be parametrized by a vector $\vec{\mu}$ for the mean and a single scalar σ (the value of every diagonal entry of the covariance matrix). We define the prior over projections P_{L_Q} to be uniform.

$$(7) \quad P_L(w) = P_{\mathcal{N}}(w | \mu = E(\text{target}), \sigma = \sigma_1)$$

² We note that this generalization is natural, since the set-theoretic interpretation of L_1^Q can be viewed as a special case of the vectorial interpretation, for a vector space over the Boolean field (rather than the real field). That is, consider an n -tuple of Booleans w as a vector of 0s and 1s, with P providing the basis of the space.

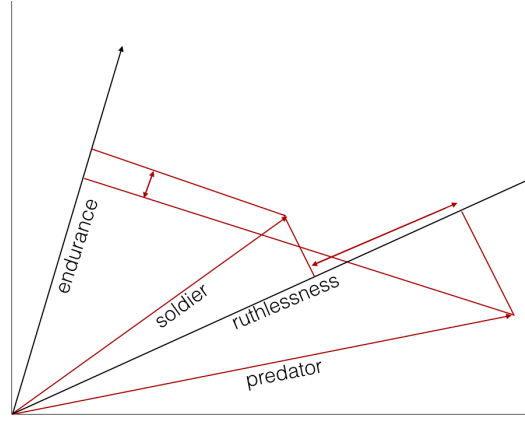


Figure 2: In this hand-constructed 2D example, vectors for $\overrightarrow{\text{soldier}}$ and $\overrightarrow{\text{predator}}$ are mapped onto subspaces given by $\overrightarrow{\text{endurance}}$ and $\overrightarrow{\text{ruthlessness}}$.

We can view P_L as representing uncertainty over the position of the entity or concept that the target noun (e.g. *man* in “The man is a shark”) represents. The goal of the speaker is to convey a position in the space to the listener, and the goal of the listener is to infer what this position is. In this sense, a spatial reference game is being played (Golland, Liang, & Klein, 2010), in an abstract word embedding space.³

The multidimensional Gaussian distribution weights most heavily those points nearest to its mean. By setting the mean of the prior as $E(\text{target})$, we encode the listener’s assumption that the meaning the speaker wishes to communicate is in the neighborhood of the source noun. σ_1 is a hyperparameter of the model.

The semantics A word embedding space has no explicit representation of truth. That is to say, while we can compare the similarity of a noun and an adjective according to a variety of metrics, we do not have a means of categorically determining the compatibility of that adjective and noun.

As far as our model is concerned, this is not a problem since the definition of L_0 in (3) requires only that the semantics $\llbracket \cdot \rrbracket$ be a function $U \rightarrow (W \rightarrow \mathbb{R})$. We can define such a function as follows, with σ_2 as a hyperparameter:

$$(8) \quad \llbracket u \rrbracket(w) = P_{\mathcal{N}}(w | \mu = E(\text{source}), \sigma = \sigma_2)$$

The result of this definition is that the value of $\llbracket u \rrbracket(w)$ is a real number which decreases with the Euclidean distance between u and w . The advantage of defining a semantics in this way is that both the prior of L_0 , shown in (7) and the likelihood, namely the semantics shown in (8), have the form of Gaussian distributions, which allows for a closed form solution of L_0 .

³ Our vectorial semantics bears comparison to the *conceptual space* semantics of Gärdenfors (2004), as well as the proposal for metaphor comprehension offered by (Kintsch, 2000).

Projections Finally, we need to supply an notion of a projection function q that is defined on our vector space, and to specify a set Q of such projections. For this, we use linear projections⁴ along a vector (or hyperplane) \vec{v} capturing the degree to which each \vec{w} extends along \vec{v} , ignoring orthogonal dimensions. Geometrically, it can be thought of as dropping a line from an input vector \vec{w} at a right angle onto \vec{v} , as depicted in figure 2.

In practice, we restrict ourselves to projections along a vector, rather than a larger subspace. To obtain a set Q of projections, we first note that since the denotations of words are vectors in W , any word parametrizes a linear projection q . For instance, we can think of the word *vicious* as parameterizing a *viciousness* projection, which measures how far the denotations of all other points in the space fall along $\vec{vicious}$. We choose Q as a set of gradable adjectives, so that the projection of a noun n onto \vec{v} amounts to asking: to what extent is n v ?

INFERENCE

Because $P_L(w)$ is a continuous distribution in the vectorial interpretation of L_1^Q , inference by enumeration is no longer possible, and either analytic or approximate methods are required. We employ a mix of the two; the L_0 and S_1 posteriors can be calculated analytically, while L_1^Q requires us to develop an approximate inference algorithm.⁵ We describe this algorithm in parts, working up from the L_0 .

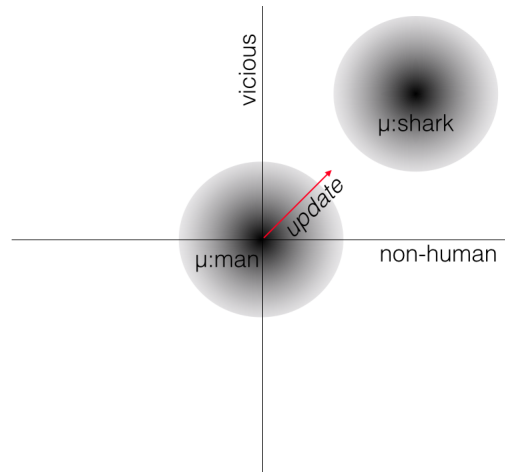


Figure 3: 2D depiction of vectorial L_0 , for $\vec{man} = (0,0)$ and $\vec{shark} = (1,1)$.

L_0 Inference Intuitively, the vectorial interpretation of L_0 amounts to the process shown in figure 3, where a ball, corresponding to the prior, is moved in the direction of the point cor-

⁴ To see why this is the natural analogue of the projection functions used in the set-theoretic interpretation of L_1^Q , note that when viewed as vectors in a vector space over the Boolean field, projection functions are precisely linear projections. Alternatively, note that in either case, projections q are idempotent maps ($W \rightarrow W$).

⁵ Inference for all our models is implemented in Tensorflow, and will be made publicly available.

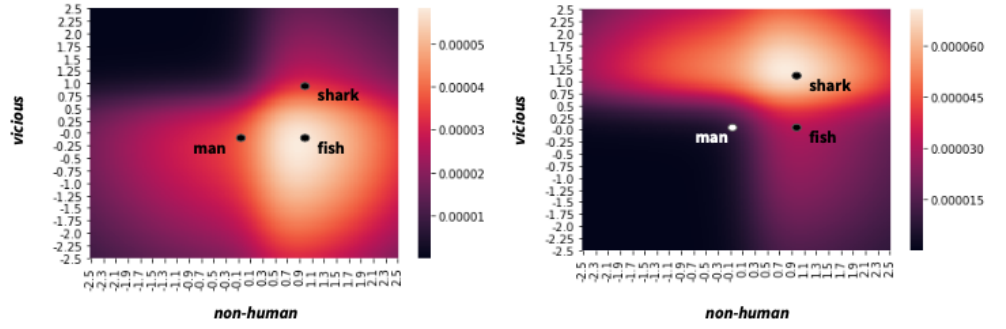


Figure 4: Heatmaps visualizing the inferred L_1^Q marginal posterior over worlds given *fish* (left) and *shark* (right), with $U = \{man, shark, fish\}$, hand-chosen denotations overlaid, and $\sigma_1 = 5.0, \sigma_2 = 0.5$.

responding to the received utterance. To calculate L_0 analytically, we make use of Gaussian conjugacy. When the prior P_L is defined as in Equation 7, and the semantic interpretation is defined as in Equation 8, then conjugacy implies that the listener posterior is given by:

$$(9) \quad L_0(w|u) = P_{\mathcal{N}}(w|\mu = \frac{\sigma_1^2\sigma_2^2}{\sigma_1^2+\sigma_2^2} \cdot (\frac{E(target)}{\sigma_1^2} + \frac{E(source)}{\sigma_2^2}), \sigma = \frac{\sigma_1^2\sigma_2^2}{\sigma_1^2+\sigma_2^2})$$

S₁ Inference The speaker is defined by Equation 4, which in the continuous case can be rewritten as:

$$(10) \quad S_1(u|w, q) \propto \int_{w'} \delta_{q(w)=q(w')} \cdot L_0(w'|u)$$

This integral is computing the marginal probability of w_q , the projection of world w onto QUD vector q . From Equation 9, $L_0(\cdot|u)$ is a normally distributed random variable, and therefore projection of this random variable onto a linear subspace is also normally distributed, providing a closed-form solution to S_1 .

L₁ Inference The L_1 posterior is a joint distribution over one continuous and one discrete random variable. Because of the linear structure of the problem, we are able to devise a near-exact inference algorithm for the marginal distribution over QUDs in Q , derived as follows:

$$\begin{aligned} L_1(q|u) &= \int_{\mathbb{R}^n} L_1(w, q|u) dw = \frac{1}{K} P_{L_Q}(q) \int_{\mathbb{R}^n} P_L(w) S_1(u|w, q) dw \\ &= \frac{1}{K} P_{L_Q}(q) \int_{\mathbb{R}^n} P_L(w_q, w^\perp) S_1(u|w_q, q) dw = \frac{1}{K} P_{L_Q}(q) \int_{\mathbb{R}^n} P_L(w_q) P_L(w^\perp) S_1(u|w_q, q) dw \\ &= \frac{1}{K} P_{L_Q}(q) \int_{Q^\perp} P_L(w^\perp) dw^\perp \int_Q P_L(w_q) S_1(u|w_q, q) dw_q \\ &= \frac{1}{K} P_{L_Q}(q) \int_Q P_L(w_q) S_1(u|w_q, q) dw_q \end{aligned}$$

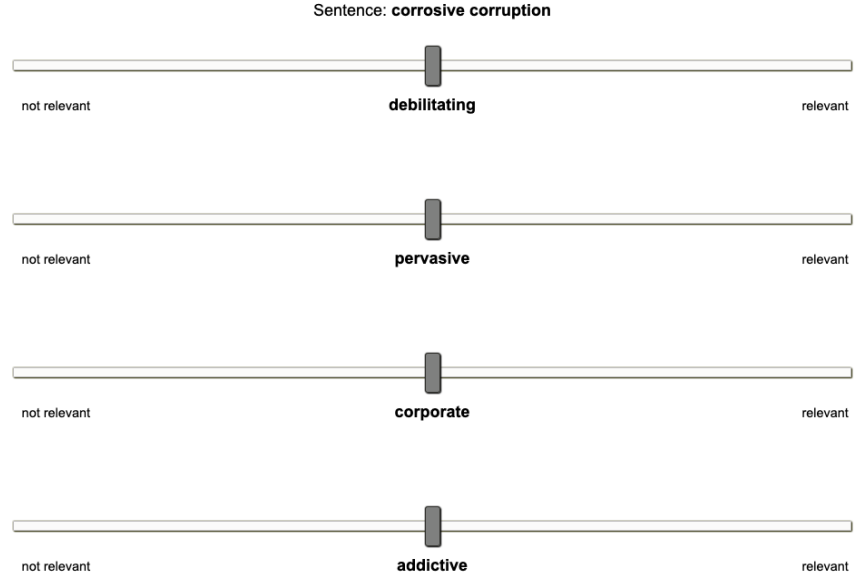


Figure 5: An item in the experiment. Item order, and in-item order of the 4 adjectives from L_1^Q and baseline models is randomized.

Here K is a normalizing constant, $w, q \in \mathbb{R}^n$, and w_q is the projection of w onto the vector q . Q is the subspace of \mathbb{R}^n spanned by the vector q , and Q^\perp is the orthogonal complement of Q . The vector w^\perp is the projection of vector w onto the subspace Q^\perp . The final equation is a one-dimensional integral, and can be computed using a discrete approximation.⁶ The constant K can be found from the constraint $\sum_q L_1(q|u) = 1$.

Figure 4 provides a visualization of the L_1^Q posterior in a simple 2D case corresponding to the example used for the set-theoretic example in figure 1.

Interpreting results from L_1^Q

We now have an algorithm for approximating the posterior distribution of L_1^Q after hearing a metaphor u . We convert this into an interpretable prediction by selecting the adjectives $q \in Q$ which have high probability under the marginal posterior distribution over Q as interpretations of the metaphor.

EXPERIMENTAL EVALUATION

In order to test our model on human judgments, we design an experiment which compares the L_1^Q interpretations of metaphors to a baseline model which uses word embeddings but no pragmatic reasoning.

⁶ We use a Gaussian approximation, which easily generalizes to the setting of multi-dimensional QUDs.

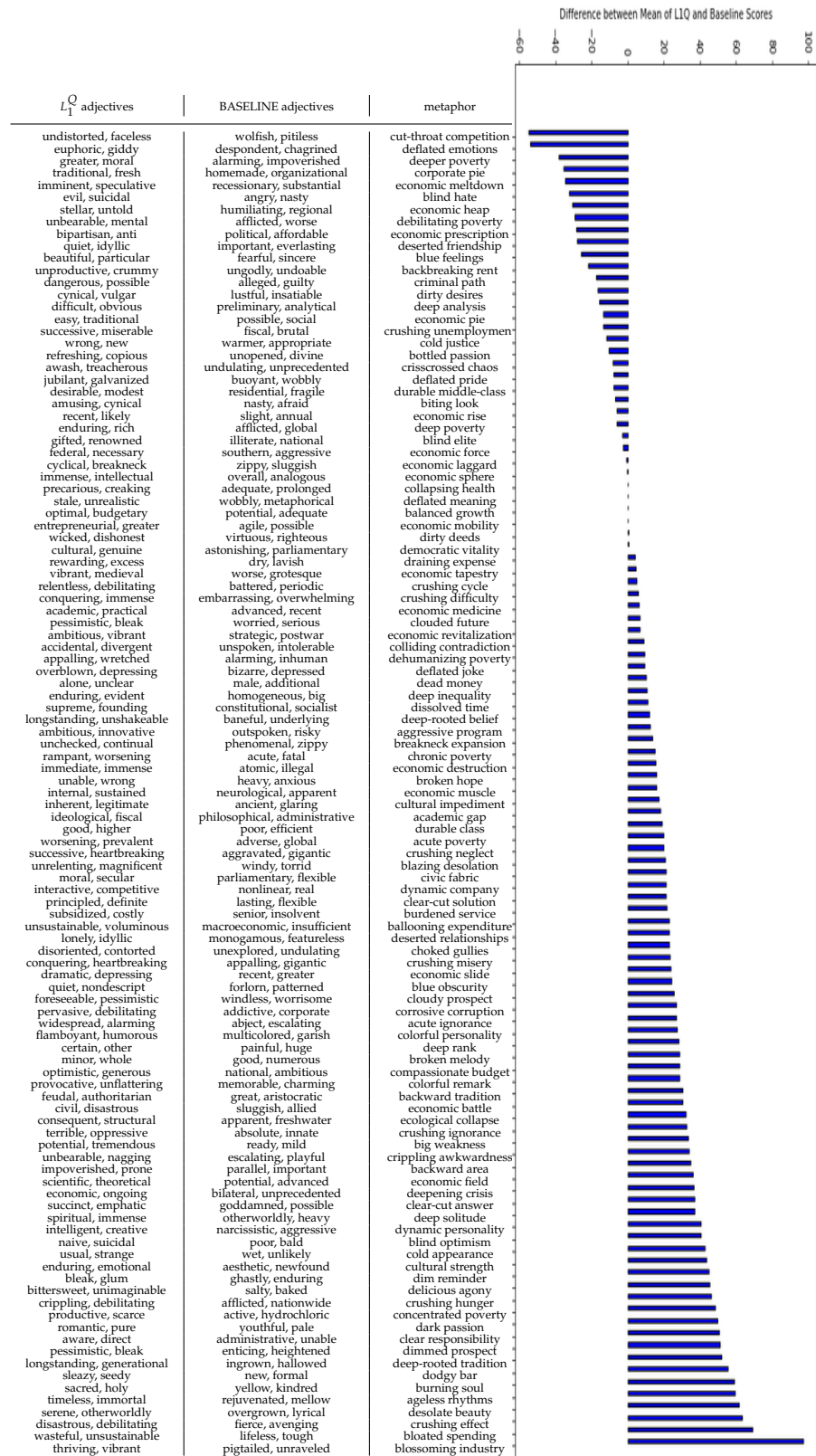


Figure 6: The 109 metaphors used in the experiment, and baseline and L_1^Q interpretations. Bar positions right of center indicate a preference for the pragmatic model.

Experimental Design Tsvetkov, Boytsov, Gershman, Nyberg, and Dyer (2014) provides a corpus of ~ 800 AN metaphors, gathered by human annotators, from which we select ~ 100 of the least frequent by bigram count⁷ for our experiment, in order to filter out conventionalized metaphors. Our full set of 109 metaphors is shown in figure 6.

In our experiment, each participant is shown a series of 12 metaphors, selected randomly from the total 109. For each metaphor, they are asked to rate on a slider four adjectives representing interpretations of the metaphor, of which two are selected by L_1^Q and two from a baseline model (details below). An example is shown in figure 5.

The experiment was run on Mechanical Turk, with 99 participants, all of whom are native English speakers. Participants who failed to follow instructions on a test item were excluded, leaving 60 participants (analyses remain significant if all participants are included).

Baseline model The aim of our experiment is to determine whether pragmatic reasoning results in better interpretations of metaphors, according to human judgments. As such, a natural baseline model to compare against is a model with a distributional semantics that does not make use of the pragmatic reasoning process inherent in L_1^Q .

Our baseline model is defined as follows: for a given metaphor of the form $(a\ n)$, we take the mean of the adjective a and noun n . The two nearest (measured by cosine distance) adjectives q to this mean are our baseline interpretations for the metaphor. We use the mean (a weighted sum) in light of the effectiveness of vector addition in deriving representations of phrasal and sentence meanings from constituent words (Grefenstette, 2013; Mitchell & Lapata, 2010; Socher et al., 2013). Cosine distance is a standard metric of similarity used for word embeddings (Pennington et al., 2014).

L_1^Q hyperparameters We use the largest available (300 dimensional) GloVe vectors, as our word embedding E . For each AN metaphor $(a\ n)$, we specify U as a set of 101 alternative utterances, consisting of a and 100 of the nearest adjectives (by cosine distance) to n . These adjectives are chosen from the set of the 1425 adjectives with concreteness ranking > 3.0 in the concreteness corpus of (Brysbaert, Warriner, & Kuperman, 2014), to exclude abstract nouns.

Similarly, we select a set Q of projections corresponding to the hundred closest adjectives to the mean of the subject and predicate (the method of adjective choice in the baseline model), and take P_{L_Q} to be a uniform distribution over Q .

By tuning on an independent validation set of hand-selected metaphors, we choose $\sigma_1 = \sigma_2 = 0.1$. We select the adjectives corresponding to the two projections with highest marginal posterior mass under L_1^Q as the interpretations provided from our model in the experiment.

Analysis The results, shown in figure 6, were analyzed using a mixed-effects model with random slopes and intercepts for items and participants. The target interpretations were rated significantly higher than the baseline interpretations ($\beta=13.8$, $t=5.3$, $p<0.001$).

⁷ N-gram data from the Corpus of Contemporary American English (Davies, 2011).

DISCUSSION

We have shown that it is possible to scale Bayesian pragmatic reasoning to a distributional semantics and by so doing to obtain a model of metaphor interpretation. Our evaluation, the first such open domain test of an RSA model of interpretation, indicates that the principles of pragmatic reasoning continue to operate at this scale, and are key to obtaining human-like interpretations of metaphors. We see this as an important step towards a cognitively accurate and computationally tractable model of pragmatic language interpretation and production in general.

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