

# The first NMR experiment

August 23, 2011

## 1 Relaxation time calculation results

During the results processing the following relaxation times were calculated:  $T_1$ ,  $T_2$ ,  $T_2^*$  moreover gyromagnetic ratio constant  $\gamma$ . We will cover up shortly the calculation process for each one of them:

- firstly, the gyromagnetic ratio was calculated out of the given experiment data, after  $\omega_o$  (the Larmor precession frequency) was found by the following formula:  $\gamma = \frac{\omega_o}{B_0}$
- then, out of FID decay slope (after single  $\frac{\pi}{2}$  pulse)  $T_2^*$  value was evaluated, by detecting the FID peak and fitting the exponential curve
- next,  $T_1$  was calculated by fitting the results of inversion recovery experiment into the curve of  $M_{\perp}(T_I) = |M_0(1 - 2e^{-T_I/T_1})|$  and ignoring the  $T_2^*$  influence
- at last  $T_2$  was found out of two experiment datasets (CP and CPMG) by finding the points on the signal envelope, calculating the logarithm and fitting them into the linear model

Figure 1: Gyromagnetic ratio calculation results

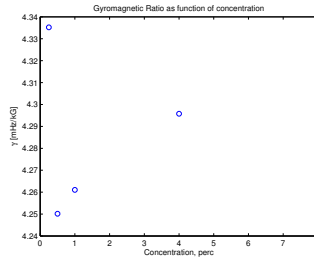
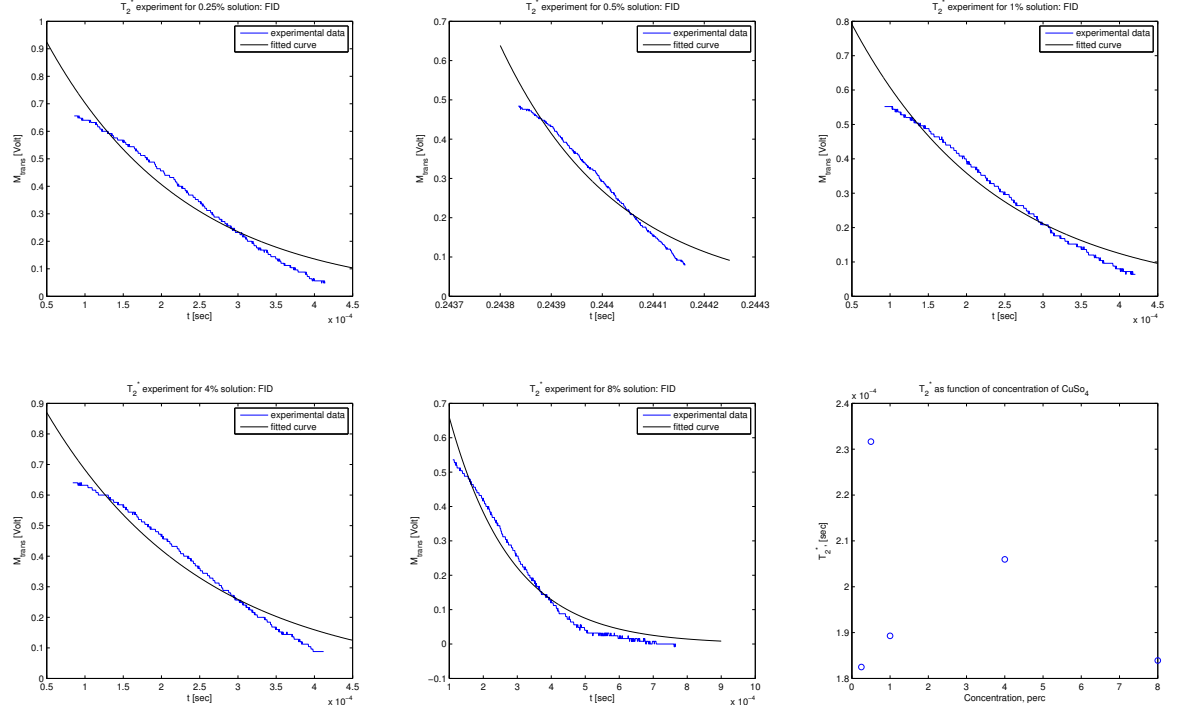


Figure 2:  $T_2^*$  calculation results



## 2 Noise

As the following results predict there is no actual way to model the noise distribution due to low sensitivity of oscilloscope comparing with the noise levels. No autocorrelation is observed as well. Thus the only use of the raw noise data could be by evaluating the zero-offset of the data by calculating the mean noise level, when  $t \rightarrow \infty$  and attenuating our data accordingly. The one could suppose that the application of low-pass filter (such as for example moving average filter) could improve the SNR, yet in this case one may think the resulting values are affected as well. Interestingly as it could be seen in the results, while applying moving average filter on the CPMG results, as the filter length grows and its smoothing features being emphasized and the fit goodness is improved significantly only the tiniest change in  $T_2$  values could be observed.

In the same time the usage of MA-filter (LP FIR) has an another effect on the  $T_2^*$  experiment results. Here both the fit goodness and the measured values remained almost intact. The possible cause for this is the error source in this experiment, which does not probably find its source in the oscilloscope noises and sampling errors.

Figure 3:  $T_1$  calculation results

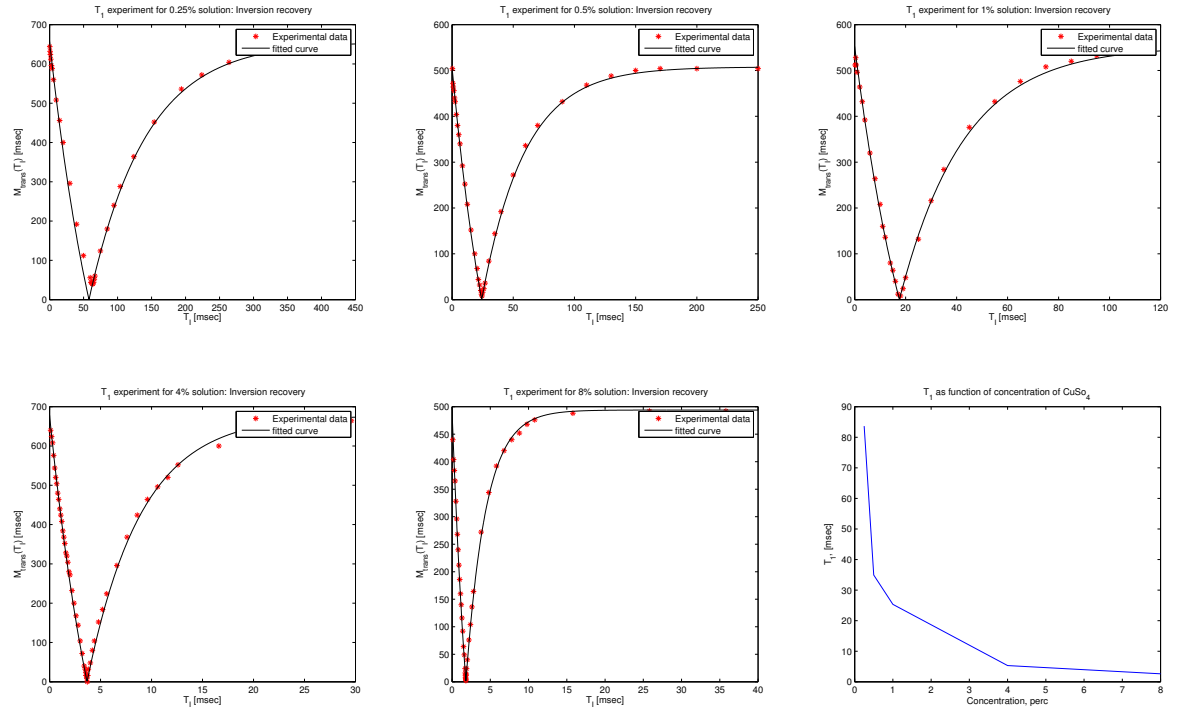


Figure 4:  $T_2$  calculation results using CP sequence

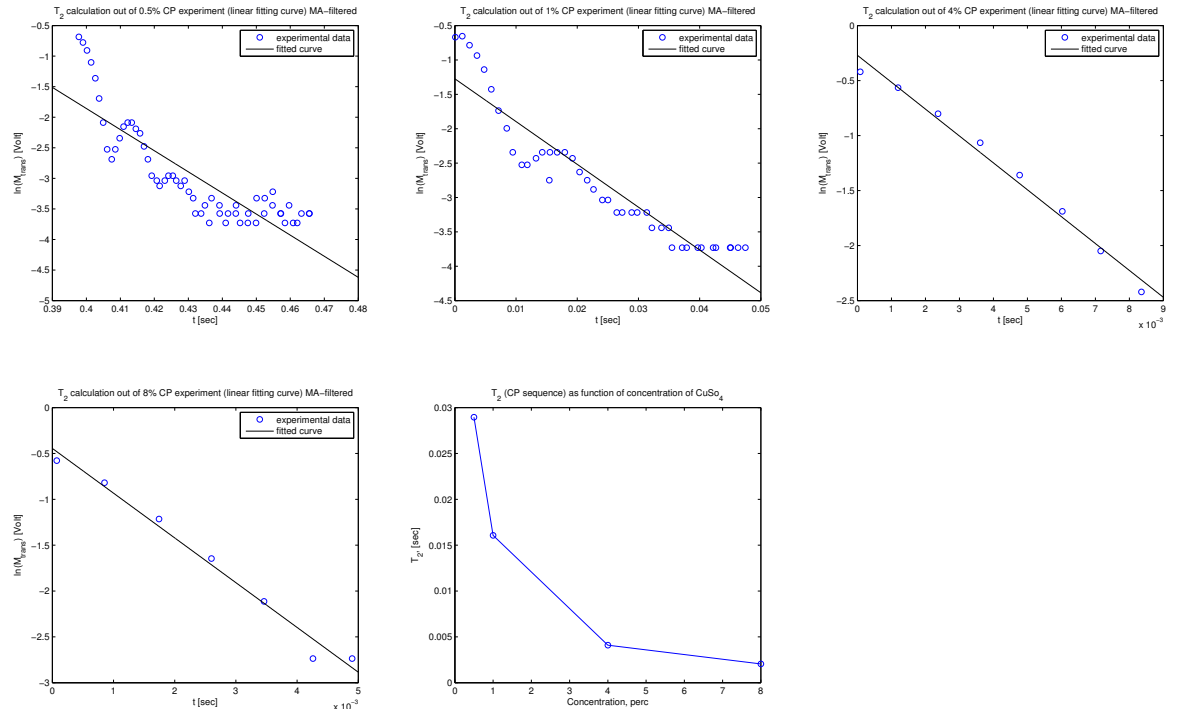


Figure 5:  $T_2$  calculation results using CPMG sequence

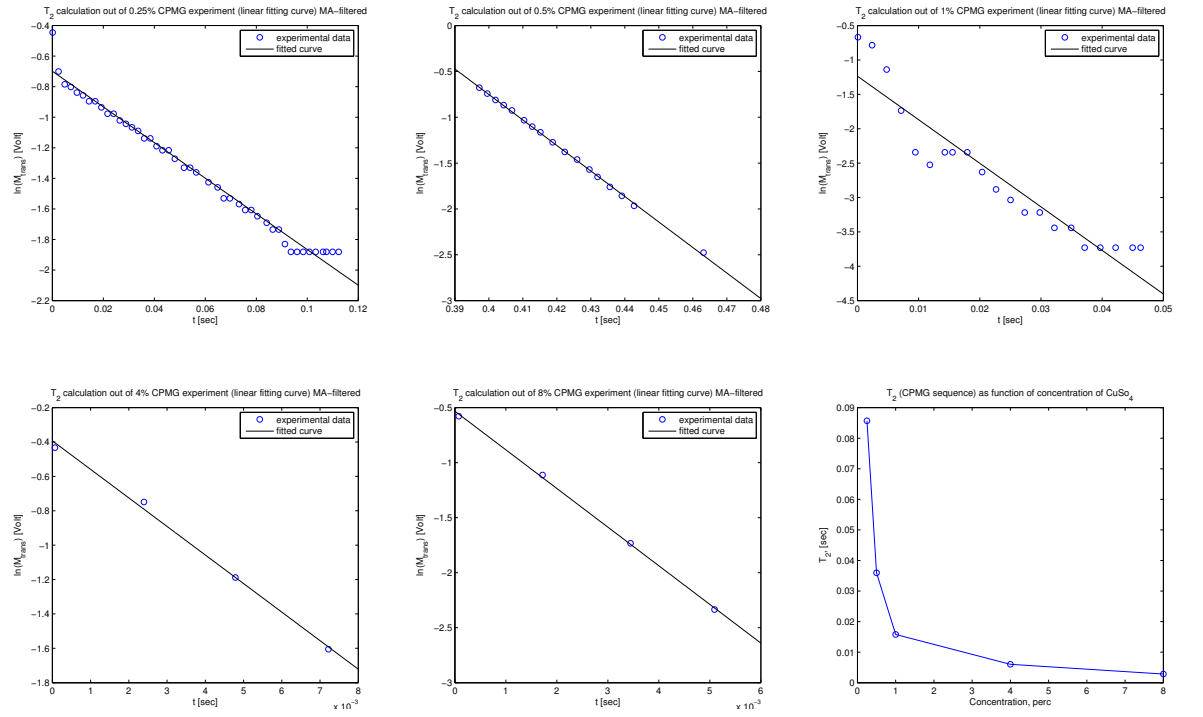


Figure 6:  $T_2$  CPMG experiment results after 3 points MA-filter

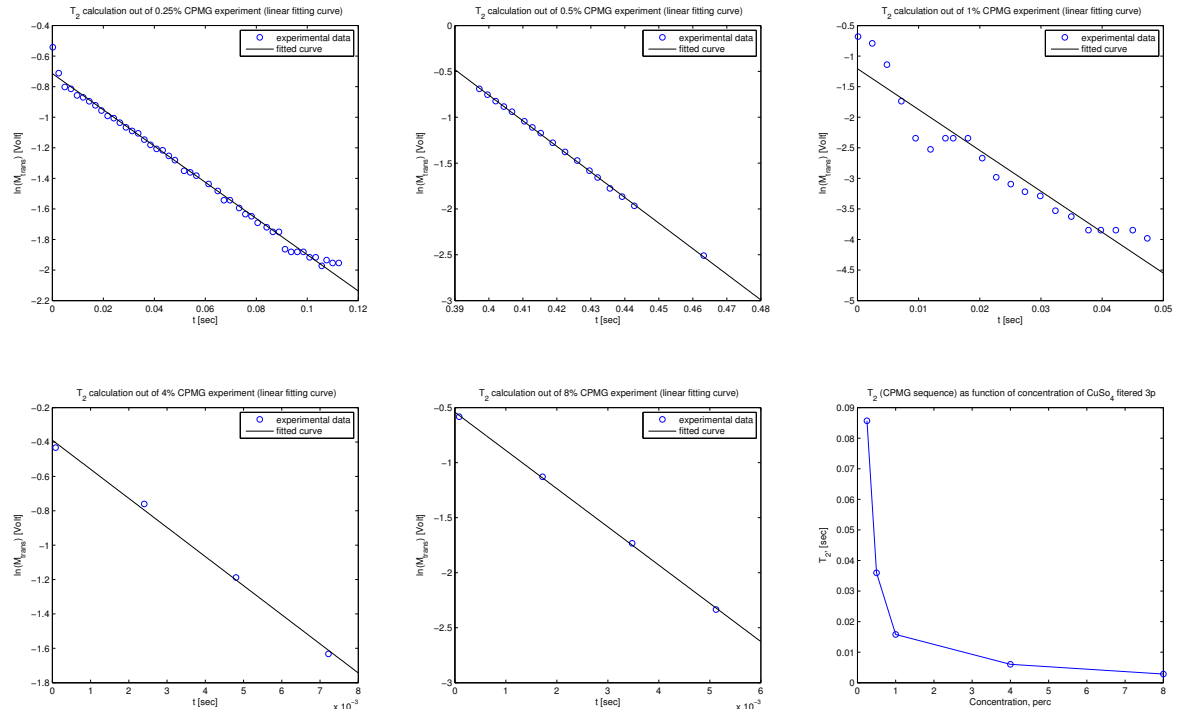


Figure 7:  $T_2$  CPMG experiment results after 5 points MA-filter

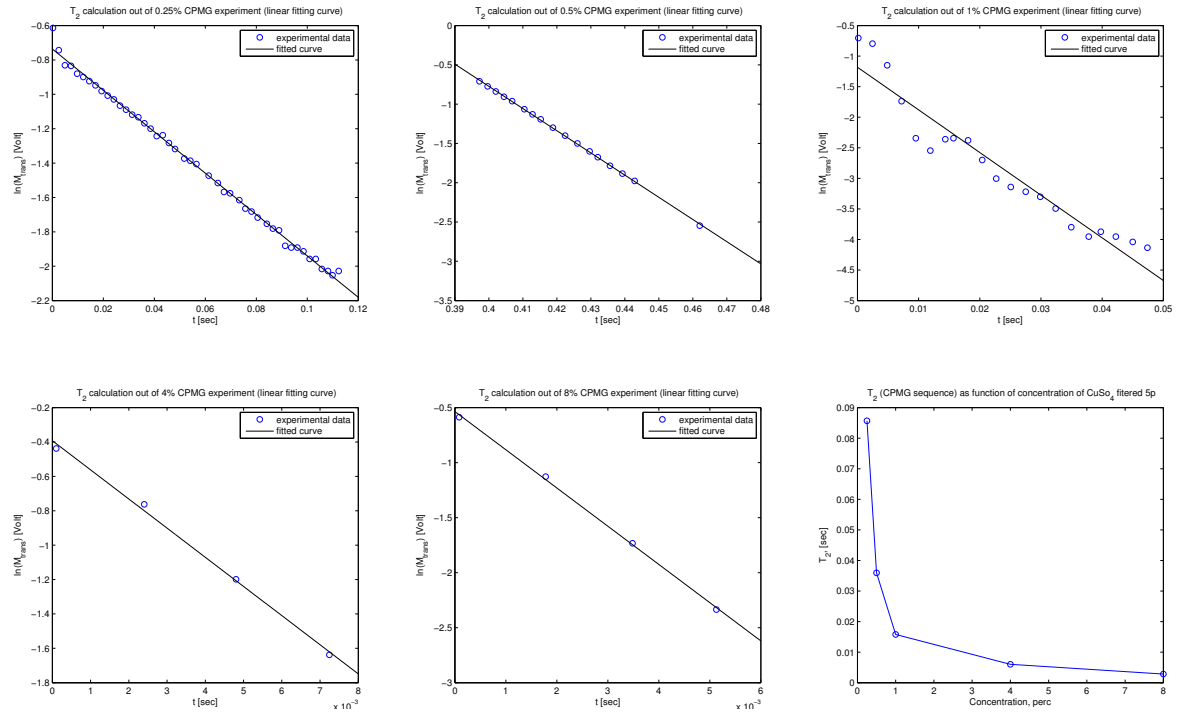


Figure 8:  $T_2$  as function of concentration and filter length

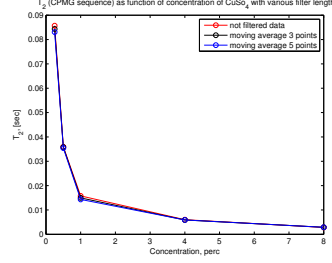
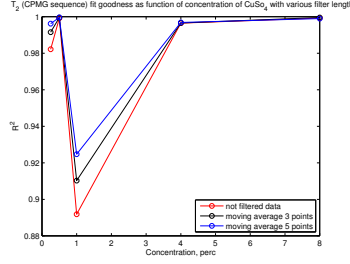


Figure 9:  $T_2$  fit goodness as function of concentration and filter length



### 3 Errors

The errors during the gyromagnetic ratio calculation are as could be seen in the table.

### 4 Conclusions & Discussion

As we have seen as the concentration of  $\text{CuSO}_4$  increases the values of  $T_1$  and  $T_2$  decrease. It could be explained by the fact that the increase in the number and the strength of hydrogen bonds decreases the relaxation constants. The atom that is involved in the hydrogen bond lacks mobility and thus tends to transfer its energy in somewhat slower rate. As well no relation has been found between

Table 1: Gyromagnetic ratio errors evaluation

$C$ [%]	$\Delta\omega_0$ [mHz]	$B_0$ [kG]	$\Delta\gamma$ $\frac{\text{mHz}}{\text{kG}}$
8	$5.9e^{-4}$	0.0260	0.1103
4	$1.4e^{-4}$	0.09	0.3866
1	0.00104	0.03	0.1278
0.5	$9.5e^{-4}$	0.022	0.0935
0.25	0.0013	0.05	0.2168



Table 2: Goodness of fit and error for  $T_1$ 

$C$ [%]	$\Delta V(\Delta T_1)$ [mV]	$R^2$
8	2	0.995090479788588
4	8	0.998373866290817
1	8	0.997606683891853
0.5	4	0.997373659484487
0.25	4	0.998523365234285

Table 3: Goodness of fit and error for  $T_2^*$ 

$C$ [%]	$\Delta V(\Delta T_1)$ [mV]	$R^2$
8	8	0.947153769510568
4	8	0.954733389385057
1	8	0.962159888407492
0.5	4	0.950465317124662
0.25	8	0.971028338239175

Table 4: Goodness of fit and error for  $T_2$  (CP)

$C$ [%]	$\Delta V(\Delta T_1)$ [mV]	$R^2$
8	8	0.727050183648995
4	8	0.880960532707183
1	8	0.986442306447831
0.5	4	0.982985382999466

Table 5: Goodness of fit and error for  $T_2$  (CPMG)

$C$ [%]	$\Delta V(\Delta T_1)$ [mV]	$R^2$
8	8	0.982205667211536
4	8	0.999220823241915
1	8	0.891864392054010
0.5	4	0.996526977690483
0.25	8	0.999281421640704

Figure 10:  $T_2^*$  as function of concentration and filter length

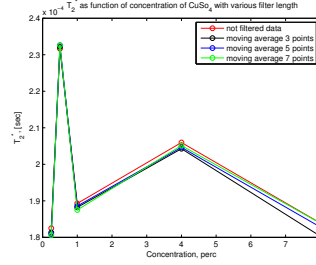
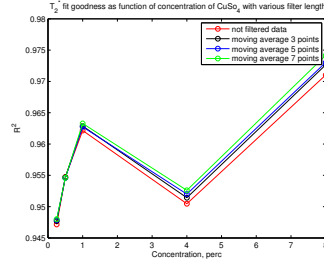


Figure 11:  $T_2^*$  fit goodness as function of concentration and filter length



the values of  $\gamma$  and  $T_2^*$  and the solution concentration. The result is obvious due to the facts that gyromagnetic ratio is constant for each imaged atom (Hg in our case). As well  $T_2^*$  is solely related to the magnet inhomogeneity defined by its properties. Yet it could be seen that there is a connection between these 2 values, the fact that remains to be explained.