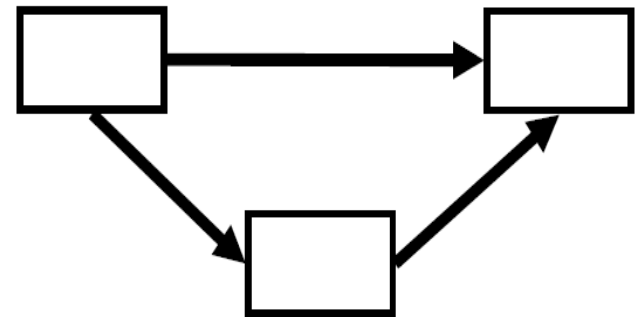
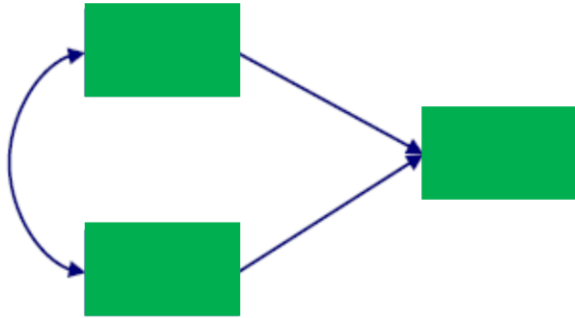


STRUCTURAL EQUATION MODELING (SEM)

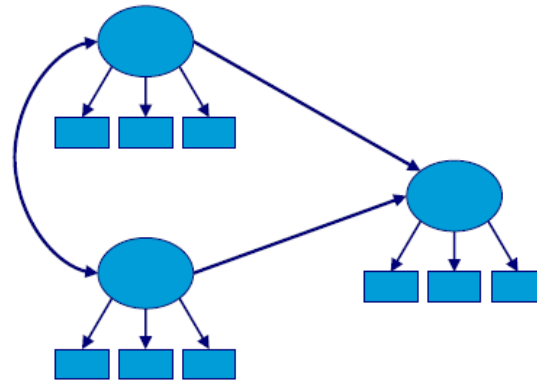
- Provides a framework for learning about casual processes
- The use of 2 or more structural equations to model multivariate relationships
- Evaluation of networks of direct and indirect effects



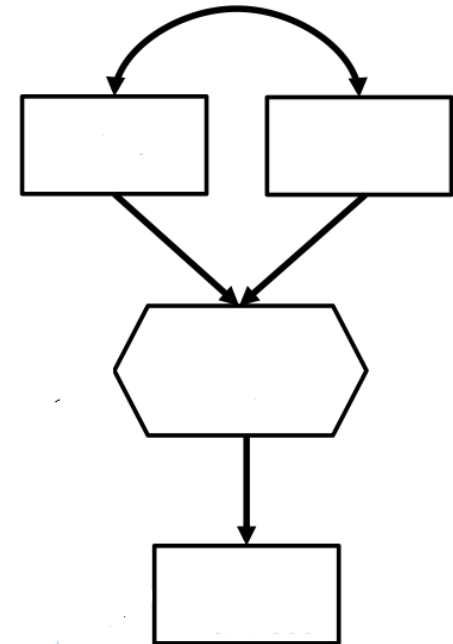
STRUCTURAL EQUATION MODELING (SEM)



Observed variables = Path analysis



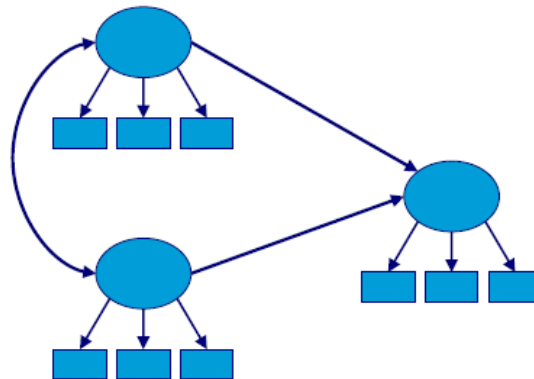
Latent variables



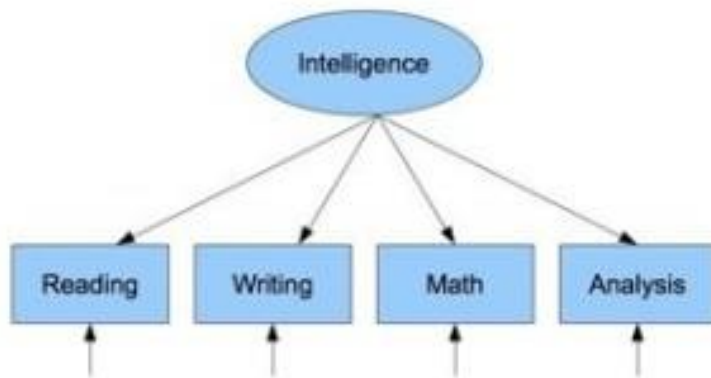
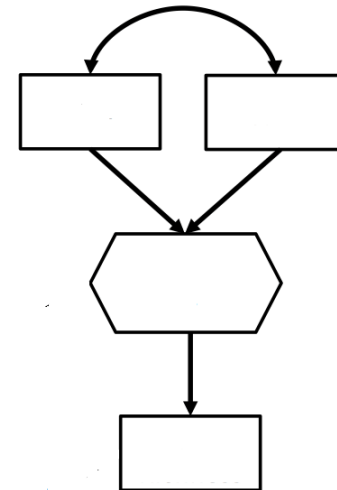
Composite variables

STRUCTURAL EQUATION MODELING (SEM)

Latent variables

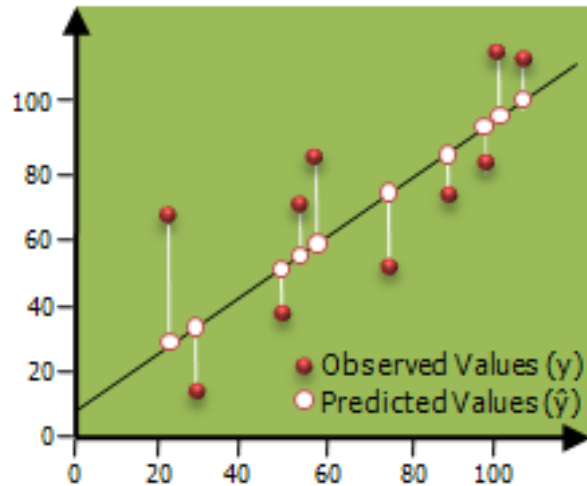


Composite variables

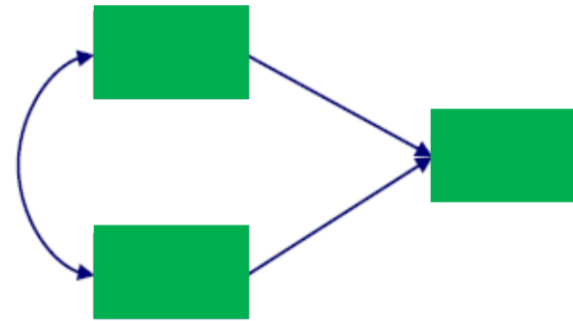


IVI: density, frequency, dominance
CEC: pH, MO, atomic weights of elements

SEM WITH OBSERVED VARIABLES: OR PATH ANALYSIS



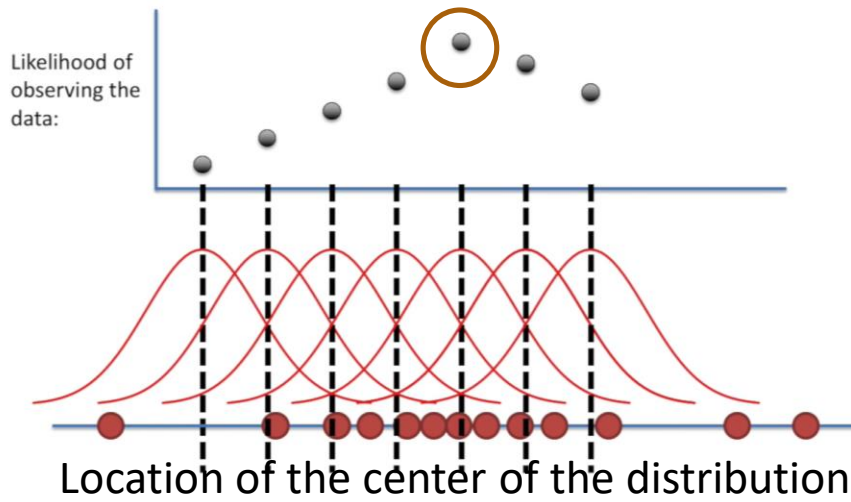
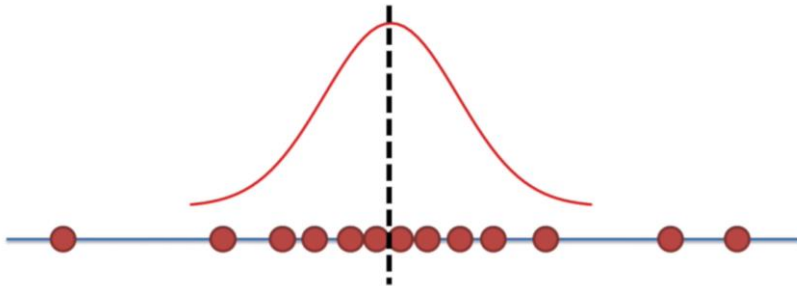
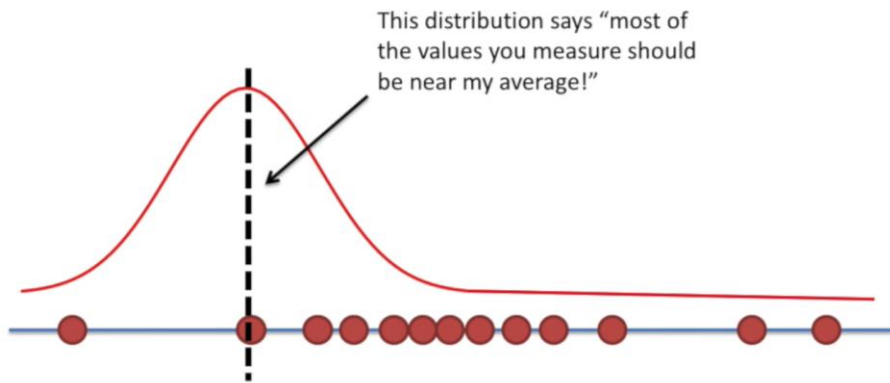
Classical path analysis:
Ordinary least squares



Modern path analysis in SEM:
Maximum likelihood

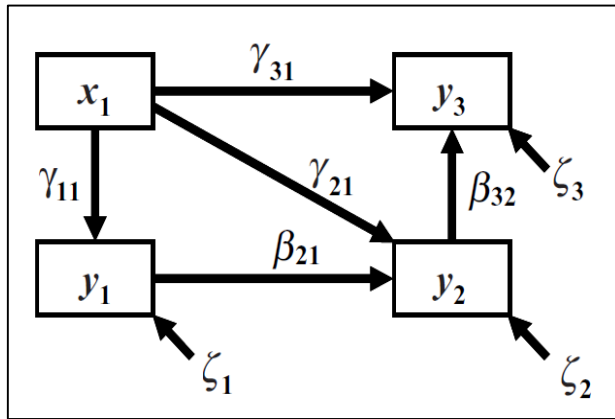
is a method of [estimating](#) the [parameters](#) of a [statistical model](#) given observations, by finding the parameter values that maximize the [likelihood](#) of making the observations given the parameters.

Understanding maximum likelihood

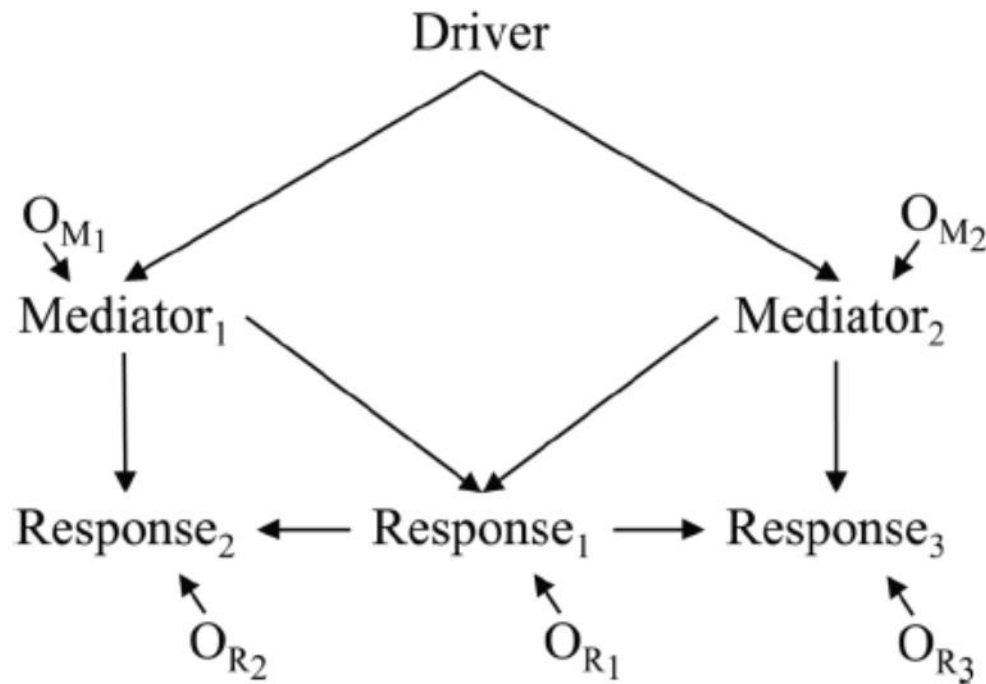


We want the location that "maximizes the likelihood" of observing the weights we measured

In SEM data informs the model and no the other way around



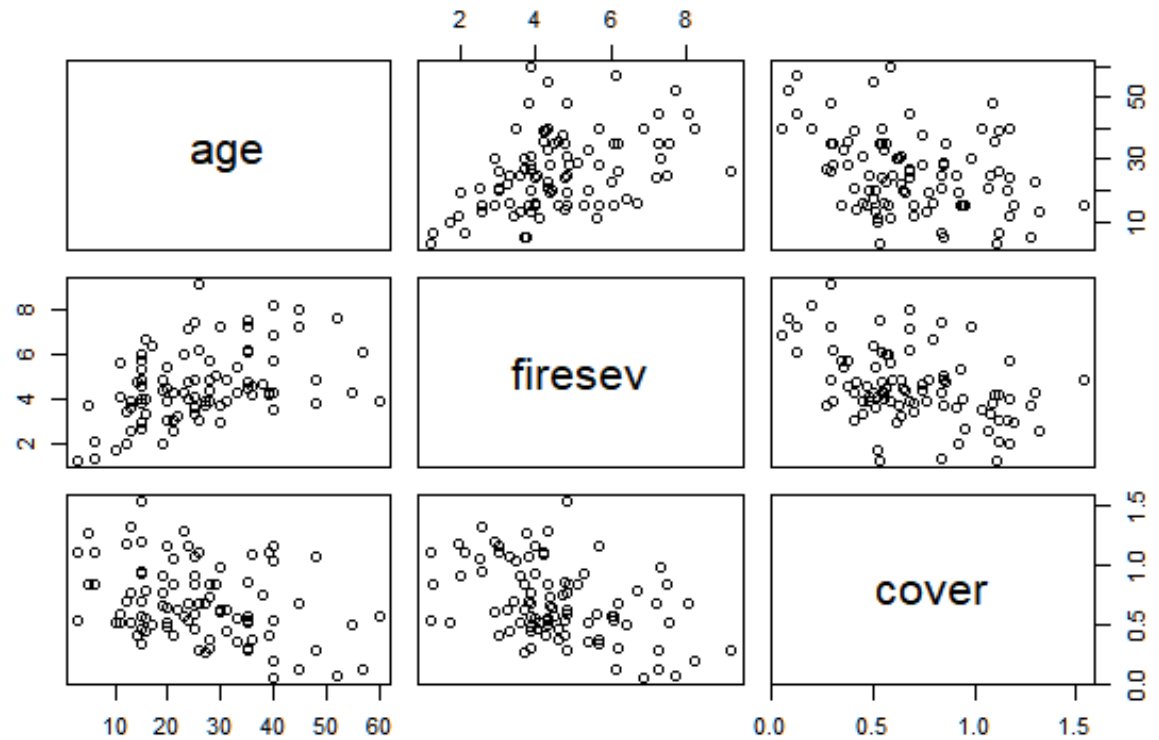
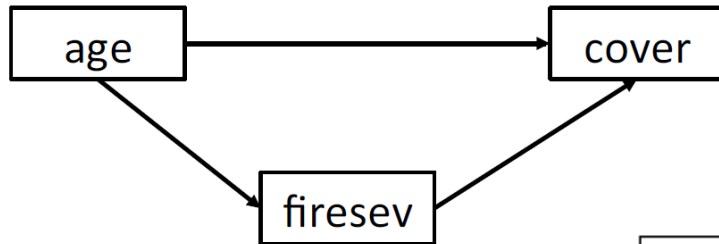
Understanding mediation



Hypothetical causal

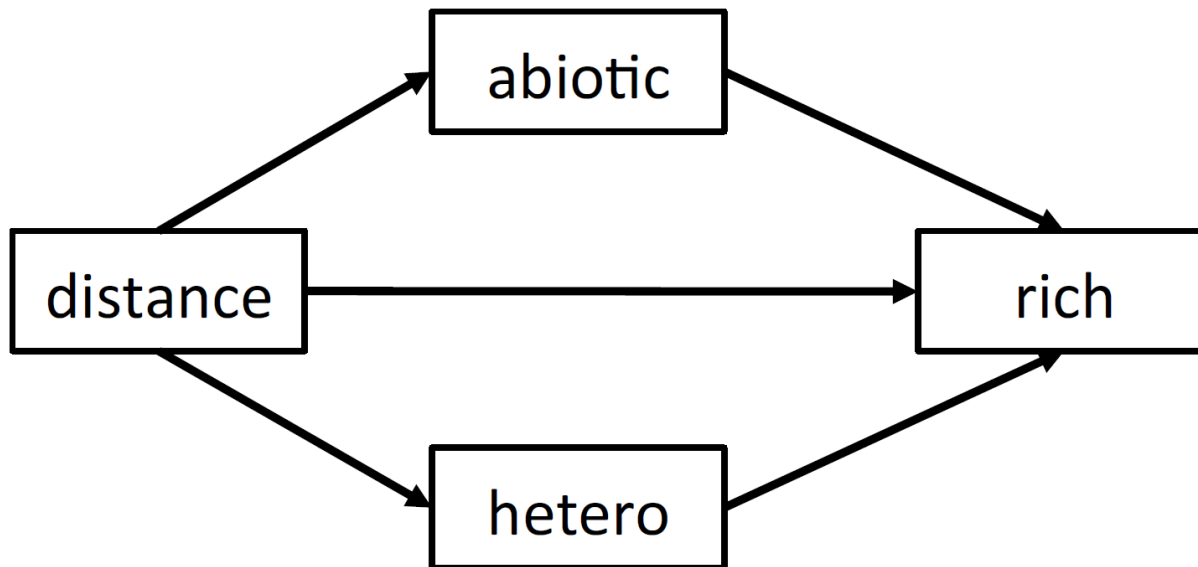
Fig. 2. Hypothetical causal diagram showing a hypothesized graph showing relations between a Driver, two Mediators, and three Responses of interest

Understanding mediation

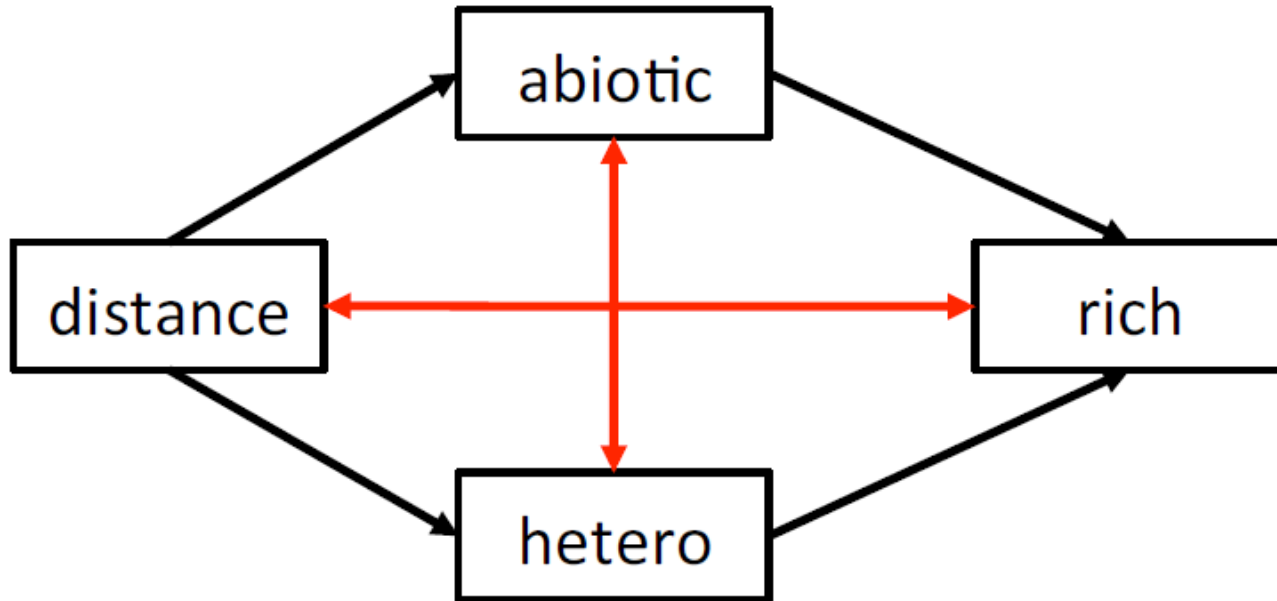


Exercise

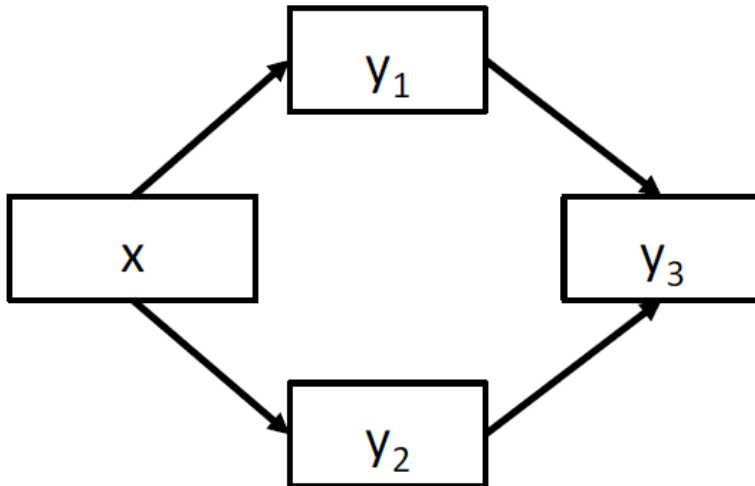
1. Evaluate the following model
2. Fill the standardized coefficients
3. Test for mediation for the richness~distance relationship



Are we missing other paths?

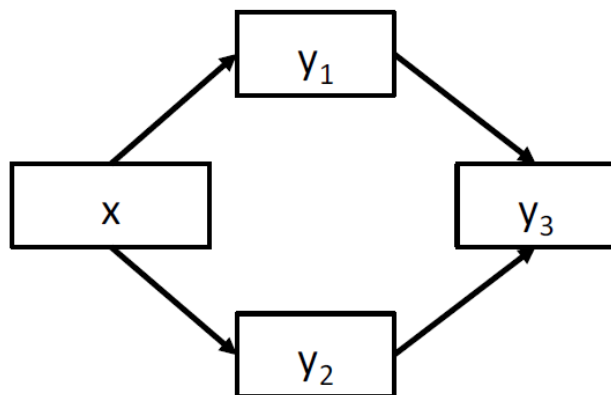


Directed separation or d -separation



Two nodes are d -separated if they are conditionally independent

Which relationships to test: the basis set



The basis set is the smallest possible set of d-separation relationships from a graph.

1. $x \perp y_3 \mid (y_1, y_2)$

2. $y_1 \perp y_2 \mid (x)$