

LambdaJS quick reference

Marek Materzok

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1 Syntax

$e ::= x \mid l \mid e(e, \dots) \mid \mathbf{func}(x, \dots) e \mid \mathbf{une} \mid e \mathbf{bine} \mid e; e \mid e;; e \mid$
 $\mathbf{let}(x = e) e \mid \mathbf{rec}(x = e) e \mid \mathbf{if}(e) e \mathbf{else} e \mid$
 $\mathbf{label} i : e \mid \mathbf{break} i e \mid \mathbf{throw} e \mid \mathbf{try} e \mathbf{catch}(x) e \mid \mathbf{try} e \mathbf{finally} e \mid$
 $e[e\langle pa \rangle] \mid e[e\langle pa \rangle = e] \mid e[\mathbf{delete} e] \mid e[\langle oa \rangle] \mid e[\langle oa \rangle = e] \mid$
 $\{[oa : e, \dots] s : pe, \dots\}$
 $pe ::= \{\mathbf{value} : e, \mathbf{writable} : e, \mathbf{enumerable} : e, \mathbf{configurable} : e\} \mid$
 $\{\mathbf{getter} : e, \mathbf{setter} : e, \mathbf{enumerable} : e, \mathbf{configurable} : e\}$
 $l ::= b \mid n \mid s \mid \mathbf{undef} \mid \mathbf{null} \mid \mathbf{empty}$
 $b ::= \mathbf{true} \mid \mathbf{false}$
 $n ::= \text{IEEE floating-point numbers}$
 $s ::= \text{UTF-16 encoded strings}$
 $un ::= \mathbf{typeof} \mid \mathbf{strlen} \mid \mathbf{is-primitive} \mid \mathbf{is-closure} \mid \dots$
 $bin ::= + \mid - \mid * \mid / \mid \% \mid < \mid == \mid === \mid \mathbf{has-own-property} \mid$
 $+_s \mid <_s \mid \dots$
 $pa ::= \mathbf{value} \mid \mathbf{writable} \mid \mathbf{getter} \mid \mathbf{setter} \mid \mathbf{enumerable} \mid \mathbf{configurable}$
 $oa ::= \mathbf{proto} \mid \mathbf{class} \mid \mathbf{extensible} \mid \mathbf{code} \mid \dots$

2 Semantics

Presented in big-step style; the formalized pretty-big-step semantics in Coq can be obtained from it. Abort-handling rules (for throws and breaks) are not presented.

$v ::= l \mid (\Delta; x, \dots, x; e) \mid ptr$
 $r ::= v \mid \mathbf{throw} v \mid \mathbf{break} i v$
 $ptr ::= \text{heap pointers}$
 $o ::= \{[\mathbf{proto} : v, \mathbf{class} : s, \mathbf{extensible} : b, \mathbf{code} : v, \dots] s : p, \dots\}$
 $p ::= \{\mathbf{value} : v, \mathbf{writable} : v, \mathbf{enumerable} : b, \mathbf{configurable} : b\} \mid$
 $\{\mathbf{getter} : v, \mathbf{setter} : v, \mathbf{enumerable} : b, \mathbf{configurable} : b\}$

$v + \mathbf{empty} = v$
 $v + v' = v' \quad v' \neq \mathbf{empty}$
 $v + \mathbf{throw} v' = \mathbf{throw} v$
 $v + \mathbf{break} i v' = \mathbf{break} i (v + v')$

$\overline{\text{abort}(\mathbf{throw} v)}$

$\overline{\text{abort}(\mathbf{break} i v)}$

$$\begin{array}{c}
\frac{}{\Delta; \Phi; l \Downarrow \Phi; l} \quad \frac{}{\Delta; \Phi; x \Downarrow \Phi; \Delta(x)} \quad \frac{}{\Delta; \Phi; \mathbf{func}(x_1, \dots, x_n) e \Downarrow \Phi; (\Delta; x_1, \dots, x_n; e)} \\
\frac{\Delta; \Phi; e \Downarrow \Phi_0; (\Delta'; x_1, \dots, x_n; e') \quad \forall i, \Delta; \Phi_{i-1}; e_i \Downarrow \Phi_i; v_i \quad \Delta'(x_1, \dots, x_n = v_1, \dots, v_n); \Phi_n; e' \Downarrow \Phi'; r}{\Delta; \Phi; e(e_1, \dots, e_n) \Downarrow \Phi'; r} \\
\frac{\Delta; \Phi; e \Downarrow \Phi'; v \quad un(\Phi', v) = v'}{\Delta; \Phi; une \Downarrow \Phi'; v'} \quad \frac{\Delta; \Phi; e_1 \Downarrow \Phi'; v_1 \quad \Delta; \Phi'; e_1 \Downarrow \Phi''; v_2 \quad bin(\Phi'', v_1, v_2) = v}{\Delta; \Phi; e_1 bin e_2 \Downarrow \Phi''; v} \\
\frac{\Delta; \Phi; e_1 \Downarrow \Phi'; v \quad \Delta; \Phi'; e_2 \Downarrow \Phi''; r}{\Delta; \Phi; e_1; e_2 \Downarrow \Phi''; r} \quad \frac{\Delta; \Phi; e_1 \Downarrow \Phi'; v \quad \Delta; \Phi'; e_2 \Downarrow \Phi''; r \quad r' = v + r}{\Delta; \Phi; e_1; e_2 \Downarrow \Phi''; r'} \\
\frac{\Delta; \Phi; e_1 \Downarrow \Phi'; v \quad \Delta(x = v); \Phi'; e_2 \Downarrow \Phi''; r}{\Delta; \Phi; \mathbf{let}(x = e_1) e_2 \Downarrow \Phi''; r} \quad \frac{\Delta' = \Delta(x = (\Delta'; x_1, \dots, x_n; e)) \quad \Delta'; \Phi; e' \Downarrow \Phi'; r}{\Delta; \Phi; \mathbf{rec}(x = \mathbf{func}(x_1, \dots, x_n) e) e' \Downarrow \Phi'; r} \\
\frac{\Delta; \Phi; e \Downarrow \Phi'; \mathbf{true} \quad \Delta; \Phi'; e_1 \Downarrow \Phi''; r}{\Delta; \Phi; \mathbf{if}(e) e_1 \mathbf{else} e_2 \Downarrow \Phi''; r} \quad \frac{\Delta; \Phi; e \Downarrow \Phi'; \mathbf{false} \quad \Delta; \Phi'; e_2 \Downarrow \Phi''; r}{\Delta; \Phi; \mathbf{if}(e) e_1 \mathbf{else} e_2 \Downarrow \Phi''; r} \\
\frac{\Delta; \Phi; e \Downarrow \Phi'; \mathbf{break} i v}{\Delta; \Phi; \mathbf{label} i : e \Downarrow \Phi'; v} \quad \frac{\Delta; \Phi; e \Downarrow \Phi'; r \quad \forall v, r \neq \mathbf{break} i v}{\Delta; \Phi; \mathbf{label} i : e \Downarrow \Phi'; r} \quad \frac{\Delta; \Phi; e \Downarrow \Phi'; v}{\Delta; \Phi; \mathbf{break} i e \Downarrow \Phi'; \mathbf{break} i v} \\
\frac{\Delta; \Phi; e \Downarrow \Phi'; v}{\Delta; \Phi; \mathbf{throw} e \Downarrow \Phi'; \mathbf{throw} v} \quad \frac{\Delta; \Phi; e_1 \Downarrow \Phi'; r \quad \forall v, r \neq \mathbf{throw} v}{\Delta; \Phi; \mathbf{try} e_1 \mathbf{catch}(x) e_2 \Downarrow \Phi'; r} \\
\frac{\Delta; \Phi; e_1 \Downarrow \Phi'; r \quad \Delta; \Phi'; e_2 \Downarrow \Phi''; v}{\Delta; \Phi; \mathbf{try} e_1 \mathbf{finally} e_2 \Downarrow \Phi''; r} \quad \frac{\Delta; \Phi; e_1 \Downarrow \Phi'; r \quad \Delta; \Phi'; e_2 \Downarrow \Phi''; r' \quad \mathbf{abort}(r')}{\Delta; \Phi; \mathbf{try} e_1 \mathbf{finally} e_2 \Downarrow \Phi''; r'}
\end{array}$$

$$\begin{array}{c}
\frac{\Delta; \Phi; e_1 \Downarrow \Phi'; ptr \quad \Delta; \Phi'; e_2 \Downarrow \Phi''; s \quad \Phi''(ptr) = \{[\dots] s : \{pa : v\}, \dots\}}{\Delta; \Phi; e_1 [e_2 \langle pa \rangle] \Downarrow v; \Phi''} \\
\\
\frac{\Delta; \Phi; e_1 \Downarrow \Phi_1; ptr \quad \Delta; \Phi_1; e_2 \Downarrow \Phi_2; s \quad \Delta; \Phi_2; e_3 \Downarrow \Phi_3; v \quad \Phi_3(ptr) = o \quad o = \{[\dots] \dots\} \quad s \text{ not a property in } o}{\Delta; \Phi; e_1 [e_2 \langle pa \rangle = e_3] \Downarrow \Phi'; v} \\
\text{\scriptsize o extensible \quad v is valid pa \quad $\Phi' = \Phi_3(ptr = \{[\dots] s : \text{defaultprop}(pa = v), \dots\})$} \\
\\
\frac{\Delta; \Phi; e_1 \Downarrow \Phi_1; ptr \quad \Delta; \Phi_1; e_2 \Downarrow \Phi_2; s \quad \Delta; \Phi_2; e_3 \Downarrow \Phi_3; v \quad \Phi_3(ptr) = o \quad o = \{[\dots] s : p, \dots\} \quad v \text{ is valid } pa \quad pa \text{ writable in } o \quad \Phi' = \Phi_3(ptr = \{[\dots] s : p(pa = v), \dots\})}{\Delta; \Phi; e_1 [e_2 \langle pa \rangle = e_3] \Downarrow \Phi'; v} \\
\\
\frac{\Delta; \Phi; e_1 \Downarrow \Phi_1; ptr \quad \Delta; \Phi_1; e_2 \Downarrow \Phi_2; s \quad \Phi_2(ptr) = \{[\dots] s : \{\mathbf{configurable} : \mathbf{true}, \dots\}, \dots\} \quad \Phi' = \Phi_2(ptr = \{[\dots] \dots\})}{\Delta; \Phi; e_1 [\mathbf{delete } e_2] \Downarrow v; \Phi'} \\
\\
\frac{\Delta; \Phi; e \Downarrow ptr; \Phi' \quad \Phi'(ptr) = \{[oa : v, \dots] \dots\}}{\Delta; \Phi; e [\langle oa \rangle] \Downarrow v; \Phi'} \\
\\
\frac{\Delta; \Phi; e_1 \Downarrow \Phi_1; ptr \quad \Delta; \Phi_1; e_2 \Downarrow \Phi_2; v \quad \Phi_2(ptr) = o \quad o = \{[oa : v', \dots] \dots\} \quad v \text{ is valid } oa \quad oa \text{ writable in } o \quad \Phi' = \Phi_2(ptr = \{[oa : v, \dots] \dots\})}{\Delta; \Phi; e_1 [\langle oa \rangle = e_2] \Downarrow \Phi'; v} \\
\\
\frac{\forall i, \Delta; \Phi_{i-1}; e_i \Downarrow \Phi_i; v_i \quad v_3 \text{ and } v_4 \text{ are bools}}{\Delta; \Phi_0; \{\mathbf{getter} : e_1, \mathbf{setter} : e_2, \mathbf{enumerable} : e_3, \mathbf{configurable} : e_4\} \Downarrow \Phi_4; \{\mathbf{getter} : v_1, \mathbf{setter} : v_2, \mathbf{enumerable} : v_3, \mathbf{configurable} : v_4\}} \\
\\
\frac{\forall i, \Delta; \Phi_{i-1}; e_i \Downarrow \Phi_i; v_i \quad v_2, v_3 \text{ and } v_4 \text{ are bools}}{\Delta; \Phi_0; \{\mathbf{value} : e_1, \mathbf{writable} : e_2, \mathbf{enumerable} : e_3, \mathbf{configurable} : e_4\} \Downarrow \Phi_4; \{\mathbf{value} : v_1, \mathbf{writable} : v_2, \mathbf{enumerable} : v_3, \mathbf{configurable} : v_4\}} \\
\\
\frac{\forall i, \Delta; \Phi_{i-1}; e_i \Downarrow \Phi_i; v_1 \quad \forall i, \Delta; \Phi_{n+i-1}; pe_i \Downarrow \Phi_{n+i}; p_i \quad oa_1, \dots, oa_n \text{ distinct} \quad s_1, \dots, s_m \text{ distinct} \quad \{\mathbf{proto}, \mathbf{class}, \mathbf{extensible}, \mathbf{code}\} \subseteq \{oa_i : i \in \{1, \dots, n\}\} \quad \forall i, v_i \text{ is valid } oa_i \quad ptr \notin \Phi_{n+m}}{\Delta; \Phi; \{[oa_1 : e_1, \dots, oa_n : e_n] s_1 : pe_1, \dots, s_m : pe_m\} \Downarrow \Phi_{n+m}(ptr = \{[oa_1 : v_1, \dots, oa_n : v_n] s_1 : p_1, \dots, s_m : p_m\}); ptr}
\end{array}$$