# APPENDICES BOOKLET

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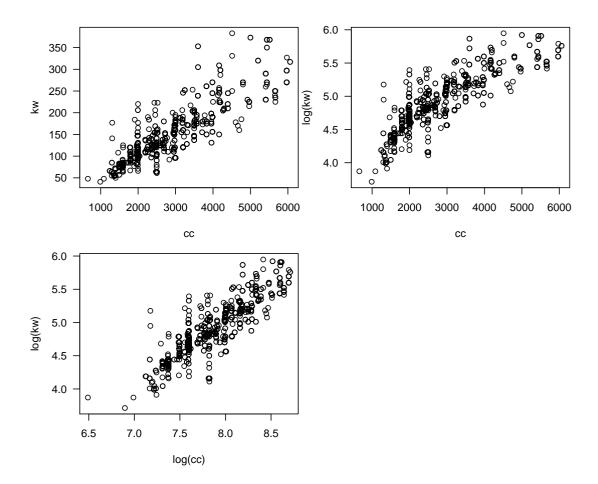
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#### NZ Car Data

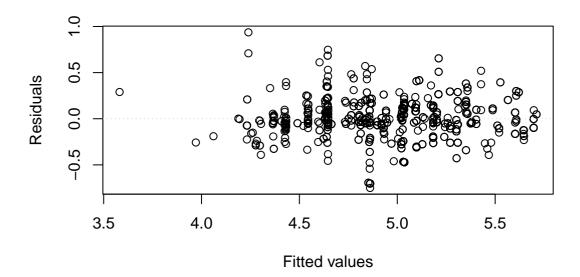
The New Zealand Automobile Association (AA) publish various data about models of car on their website. Although there are many variables available, here it is of interest to determine the relationship between the power output of the cars and the size of their engines.

The variables in the data set are

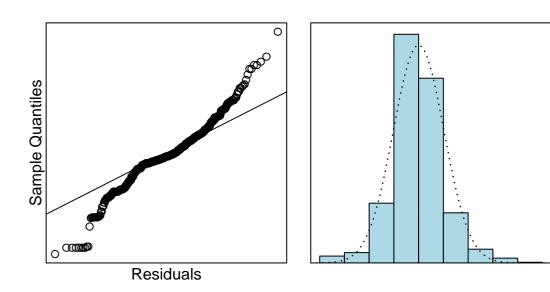
- kw The power output of the car measured in kilowatts (kW)
- cc The engine size measured in cubic centimetres (cm<sup>3</sup>)



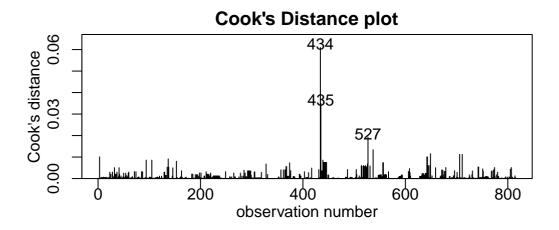
- > nzcars.fit = lm(log(kw) ~ log(cc), data = nzcars.df)
- > eovcheck(nzcars.fit)



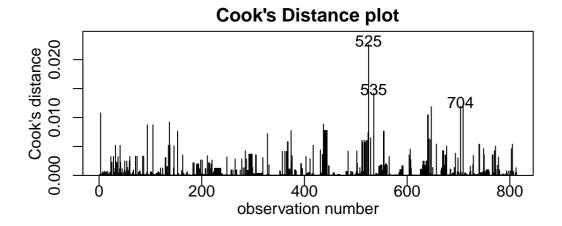
> normcheck(nzcars.fit, main = "", xlab = "Residuals")



#### > cooks20x(nzcars.fit)



```
> nzcars.df[434:435,]
     make model doors
                         СС
                            kw manual
                                        auto
434 Mazda
            RX8
                    2 1308 177
                                 61995
                                        <NA>
435 Mazda
            RX8
                    2 1308 141
                                    NA 61995
> nzcars1.fit = lm(log(kw)~log(cc),
                   data = nzcars.df[-c(434,435), ])
> cooks20x(nzcars1.fit)
```



```
> summary(nzcars.fit)
Call:
lm(formula = log(kw) ~ log(cc), data = nzcars.df)
Residuals:
    Min
             1Q Median
                            3Q
                                   Max
-0.75009 -0.07331 -0.00998 0.10614 0.93675
Coefficients:
          Estimate Std. Error t value Pr(>|t|)
0.96010 0.01916 50.10 <2e-16 ***
log(cc)
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 0.2051 on 813 degrees of freedom
Multiple R-squared: 0.7553, Adjusted R-squared: 0.755
F-statistic: 2510 on 1 and 813 DF, p-value: < 2.2e-16
> summary(nzcars1.fit)
Call:
lm(formula = log(kw) \sim log(cc), data = nzcars.df[-c(434, 435),
   ])
Residuals:
    Min
             1Q
                 Median
                            3Q
                                   Max
-0.74728 -0.06717 -0.00918 0.10694 0.75313
Coefficients:
          Estimate Std. Error t value Pr(>|t|)
log(cc) 0.97060 0.01888 51.41 <2e-16 ***
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
Residual standard error: 0.2011 on 811 degrees of freedom
Multiple R-squared: 0.7652, Adjusted R-squared: 0.7649
```

```
F-statistic: 2643 on 1 and 811 DF, p-value: < 2.2e-16
> confint(nzcars.fit)
                2.5 % 97.5 %
(Intercept) -2.9479738 -2.3531209
log(cc) 0.9224856 0.9977227
> exp(confint(nzcars.fit))
                2.5 %
                       97.5 %
(Intercept) 0.05244587 0.09507199
log(cc) 2.51553523 2.71209843
> confint(nzcars1.fit)
                2.5 % 97.5 %
(Intercept) -3.0284991 -2.442401
log(cc) 0.9335391 1.007653
> exp(confint(nzcars1.fit))
                2.5 %
                       97.5 %
(Intercept) 0.04838821 0.08695183
log(cc) 2.54349505 2.73916420
```

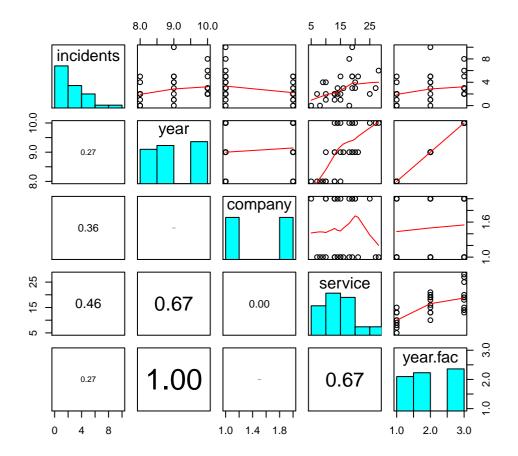
## **Hull Damage Data**

This question refers to data that come from a study investigating a particular type of minor damage caused by waves to the forward sections of ships' hulls. In total, 30 randomly selected ships were inspected for hull damage, and the number of damage incidents were recorded from each. Hull construction engineers are interested in determining if the design of the hull is related to the number of observed damage incidents. Hull designs vary across manufacturers, and potentially improve from year to year. Also, we might expect more damage incidents for ships that have been in service for longer periods of time.

The variables in the data set are

```
The number of damage incidents detected on the ship's hull
 incidents
             The year of construction: 8 for 2008, 9 for 2009, and 10 for 2010
 vear
             The company that constructed the ship; either A or B
 company
 service
             The number of months the ship was in service
> ship.df <- within(ship.df, {</pre>
      year.fac = as.factor(year)
+ })
> summary(ship.df$incidents)
   Min. 1st Qu.
                  Median
                             Mean 3rd Qu.
                                               Max.
           2.000
                    2.500
                             3.067
                                             10.000
  0.000
                                     4.000
> summary(ship.df$year.fac)
 8 9 10
 9 10 11
> summary(ship.df$company)
 A B
15 15
> summary(ship.df$service)
   Min. 1st Qu.
                  Median
                             Mean 3rd Qu.
                                               Max.
           13.00
                    15.00
   5.00
                             15.53
                                     19.00
                                              28.00
```

### > pairs20x(ship.df)



> ship1.fit <- glm(incidents ~ company + service + year.fac,
+ family = "poisson", data = ship.df)</pre>

```
> anova(ship1.fit, test = "Chisq")
Analysis of Deviance Table
Model: poisson, link: log
Response: incidents
Terms added sequentially (first to last)
        Df Deviance Resid. Df Resid. Dev Pr(>Chi)
NULL
                         29
                                50.195
                         28
                              43.861 0.01185 *
company 1 6.3339
service 1 9.4511
                         27
                              34.410 0.00211 **
year.fac 2 0.8783
                         25
                              33.532 0.64459
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
> summary(ship1.fit)
Call:
glm(formula = incidents ~ company + service + year.fac, family = "poisson",
   data = ship.df)
Deviance Residuals:
    Min
              10
                   Median
                                         Max
                                 3Q
-2.35927 -0.70150 -0.09147 0.45431 1.99681
Coefficients:
           Estimate Std. Error z value Pr(>|z|)
(Intercept) 0.38336 0.35939 1.067 0.2861
                    0.21857 -2.398 0.0165 *
companyB
          -0.52422
service
          0.04931 0.02396 2.058 0.0396 *
                    0.32885 0.842 0.3999
year.fac9 0.27684
year.fac10 0.13834 0.38027 0.364 0.7160
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
(Dispersion parameter for poisson family taken to be 1)
   Null deviance: 50.195 on 29 degrees of freedom
Residual deviance: 33.532 on 25 degrees of freedom
AIC: 123.49
Number of Fisher Scoring iterations: 5
> ship1.fit$deviance
[1] 33.5321
> ship1.fit$df.residual
[1] 25
> 1 - pchisq(ship1.fit$deviance, ship1.fit$df.residual)
[1] 0.1182934
> ship2.fit <- glm(incidents ~ company + service,
                  family = "poisson", data = ship.df)
> summary(ship2.fit)
Call:
glm(formula = incidents ~ company + service, family = "poisson",
   data = ship.df)
Deviance Residuals:
                   Median 3Q
    Min
               1Q
                                           Max
-2.23706 -0.70999 -0.04805 0.58199 2.28167
Coefficients:
           Estimate Std. Error z value Pr(>|z|)
(Intercept) 0.44937 0.33636 1.336 0.18156
companyB -0.51125 0.21658 -2.361 0.01825 *
service 0.05439 0.01747 3.114 0.00185 **
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

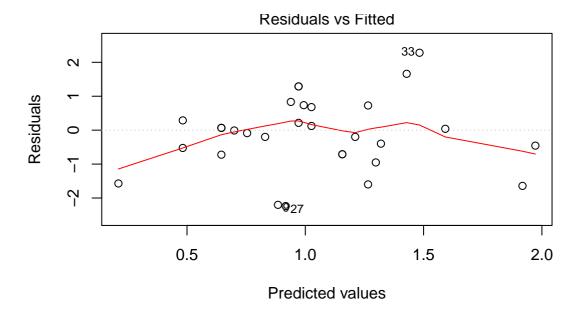
(Dispersion parameter for poisson family taken to be 1)

Null deviance: 50.195 on 29 degrees of freedom Residual deviance: 34.410 on 27 degrees of freedom

AIC: 120.37

Number of Fisher Scoring iterations: 5
> 1 - pchisq(ship2.fit\$deviance, ship2.fit\$df.residual)
[1] 0.1544394

> plot(ship2.fit, which = 1)



> confint(ship2.fit)

Waiting for profiling to be done...

2.5 % 97.5 % (Intercept) -0.23128811 1.08940658 companyB -0.94508880 -0.09286586 service 0.01990593 0.08849989

> exp(confint(ship2.fit))

Waiting for profiling to be done...

- > ## For twelve-month change in service.
- > exp(12 \* confint(ship2.fit)[3, ])

Waiting for profiling to be done...

2.5 % 97.5 % 1.269815 2.892146

# For Part (g) Only

```
> ship3.fit <- glm(incidents ~ company + year.fac,</pre>
                 family = "poisson", data = ship.df)
> summary(ship3.fit)
Call:
glm(formula = incidents ~ company + year.fac, family = "poisson",
   data = ship.df)
Deviance Residuals:
            1Q Median
   Min
                             3Q
                                    Max
-2.2483 -0.7988 -0.3150 0.5687 2.2444
Coefficients:
          Estimate Std. Error z value Pr(>|z|)
(Intercept) 0.9080 0.2452 3.704 0.000213 ***
companyB
          -0.5708
                     0.2166 -2.636 0.008392 **
           year.fac9
year.fac10 0.6285 0.2857 2.200 0.027789 *
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
(Dispersion parameter for poisson family taken to be 1)
   Null deviance: 50.195 on 29 degrees of freedom
Residual deviance: 37.809 on 26 degrees of freedom
AIC: 125.76
Number of Fisher Scoring iterations: 5
```

> anova(ship3.fit, test = "Chisq")
Analysis of Deviance Table

Model: poisson, link: log

Response: incidents

Terms added sequentially (first to last)

Df Deviance Resid. Df Resid. Dev Pr(>Chi)

NULL 29 50.195

company 1 6.3339 28 43.861 0.01185 \*
year.fac 2 6.0522 26 37.809 0.04850 \*

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.05 '.' 0.1 ' ' 1

# Beer Quality Data

Researchers were interested in determining whether or not the price of beer affected its perceived quality. In total, 60 people were given identical bottles of beer to try. They were split into two groups of 30: one group was told that the beer was cheap, and the other group was told that the beer was expensive. Each person then rated the beer as either 'good' or 'poor'.

The data are shown below.

		Quality	
		Poor	$\operatorname{Good}$
Price	Low	24	36
	High	12	48

> beer.table

quality.poor quality.good
price.low 24 36
price.high 12 48
> chisq.test(beer.table)

Pearson's Chi-squared test with Yates' continuity correction

data: beer.table
X-squared = 4.8016, df = 1, p-value = 0.02843