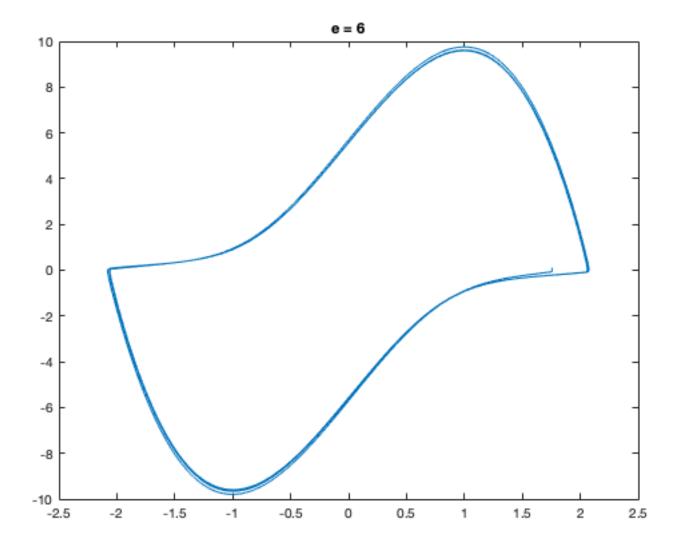
Contents

- E = 6
- \blacksquare E = 8.53
- E = 10
- Characterize

```
%Tyler Matthews
%System Simluation Midterm P3
close; clc; close all;
```

E = 6

```
T = 0.0001;
t = 0:T:250;
N = length(t);
fx1 = zeros(1,N);
fx2 = zeros(1,N);
fx3 = zeros(1,N);
x1 = zeros(1,N);
x2 = zeros(1,N);
x3 = zeros(1,N);
e = 6;
w = 2*pi/10;
for k = 1:N-1
    u = 1.2*\cos(w*t(k));
    fx1(k+1) = x2(k+1);
    fx2(k+1) = e*(1-x1(k+1)^2)*x2(k+1)-x1(k+1) + u;
    fx3(k+1) = w^2*u;
    x1(k+2) = x1(k+1) + (T/2)*(3*fx1(k+1) - fx1(k));
    x2(k+2) = x2(k+1) + (T/2)*(3*fx2(k+1) - fx2(k));
    x3(k+2) = x3(k+1) + (T/2)*(3*fx3(k+1) - fx3(k));
end
figure
plot(x1(10000:N),x2(10000:N)) %Remove Transient
title('e = 6')
disp('')
```

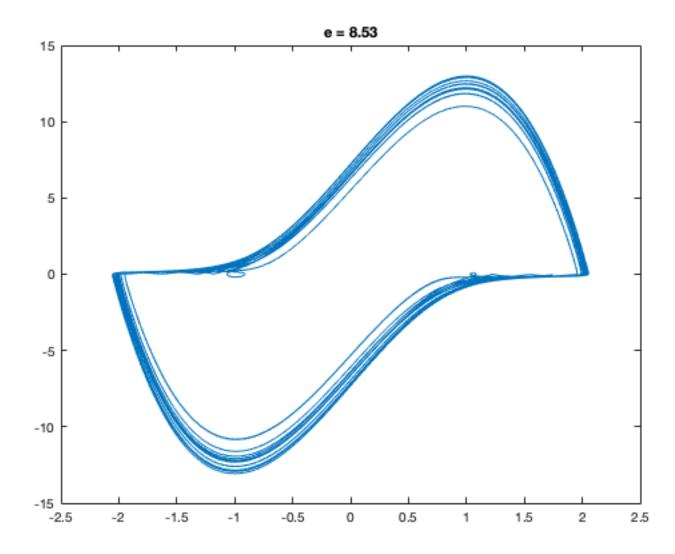


E = 8.53

T = 0.0001;

```
t = 0:T:250;
N = length(t);
fx1 = zeros(1,N);
fx2 = zeros(1,N);
fx3 = zeros(1,N);
x1 = zeros(1,N);
x2 = zeros(1,N);
x3 = zeros(1,N);
e = 8.53;
w = 2*pi/10;
for k = 1:N-1
    u = 1.2*\cos(w*t(k));
    fx1(k+1) = x2(k+1);
    fx2(k+1) = e*(1-x1(k+1)^2)*x2(k+1)-x1(k+1) + u;
    fx3(k+1) = w^2*u;
    x1(k+2) = x1(k+1) + (T/2)*(3*fx1(k+1) - fx1(k));
    x2(k+2) = x2(k+1) + (T/2)*(3*fx2(k+1) - fx2(k));
    x3(k+2) = x3(k+1) + (T/2)*(3*fx3(k+1) - fx3(k));
end
figure
plot(x1(10000:N),x2(10000:N)) %Remove Transient
```

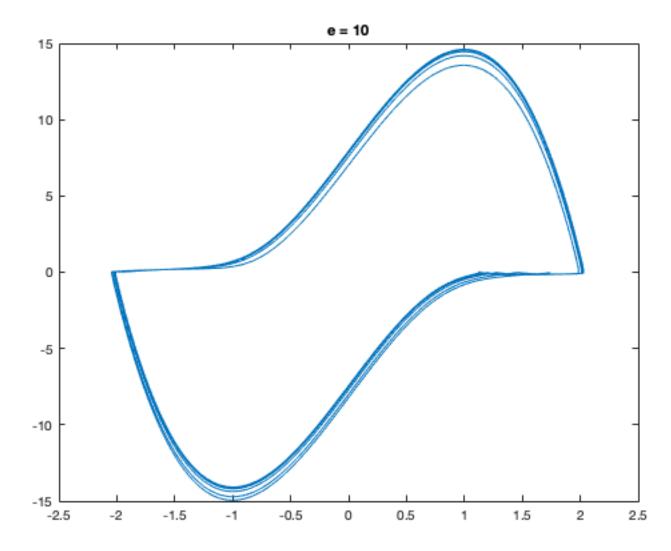
```
title('e = 8.53')
disp('')
```



E = 10

```
T = 0.0001;
t = 0:T:250;
N = length(t);
fx1 = zeros(1,N);
fx2 = zeros(1,N);
fx3 = zeros(1,N);
x1 = zeros(1,N);
x2 = zeros(1,N);
x3 = zeros(1,N);
e = 10;
w = 2*pi/10;
for k = 1:N-1
    u = 1.2*\cos(w*t(k));
    fx1(k+1) = x2(k+1);
    fx2(k+1) = e*(1-x1(k+1)^2)*x2(k+1)-x1(k+1) + u;
    fx3(k+1) = w^2*u;
    x1(k+2) = x1(k+1) + (T/2)*(3*fx1(k+1) - fx1(k));
    x2(k+2) = x2(k+1) + (T/2)*(3*fx2(k+1) - fx2(k));
```

```
x3(k+2) = x3(k+1) + (T/2)*(3*fx3(k+1) - fx3(k));
end
figure
plot(x1(10000:N),x2(10000:N)) %Remove Transient
title('e = 10')
```



Characterize

```
disp('All three plots are oscillatory in nature')
disp('Once reaching the limit cycle they continue on in the same pattern forever')
disp('E=6 is the slowest moving plot, where it only wraps around a few times')
disp('E = 8.53 is the fastest plot, where it wraps around many times. Also, there are multiple spots where it loops around itself')
disp('E=10 is faster than E=6 and slower than E=8.53. It also does not wrap around itself like it does in E=8.53')
```

```
All three plots are oscillatory in nature

Once reaching the limit cycle they continue on in the same pattern forever

E=6 is the slowest moving plot, where it only wraps around a few times

E = 8.53 is the fastest plot, where it wraps around many times. Also, there are multiple spots where it loops around itself

E=10 is faster than E=6 and slower than E=8.53. It also does not wrap around itself like it do es in E=8.53
```

