

RECURSION

GDB

BINARY SEARCH TREES

Problem Solving with Computers-II

The image shows the C++ logo in a large, blue, 3D-style font. Below the logo is a snippet of C++ code in a monospaced font, with some words highlighted in color (purple for include, blue for using, green for main, and yellow for the string).

```
#include <iostream>  
using namespace std;  
  
int main(){  
    cout<<"Hola Facebook\n";  
    return 0;  
}
```

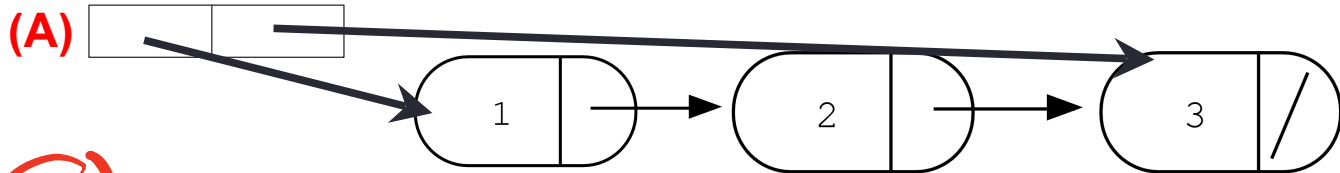
Concept Question

```
LinkedList::~~LinkedList(){  
    delete head;  
}
```

```
class Node {  
    public:  
        int info;  
        Node *next;  
};
```

Which of the following objects are deleted when the destructor of Linked-list is called?

head tail



(B): only the first node

(C): A and B

(D): All the nodes of the linked list

(E): A and D

Concept question

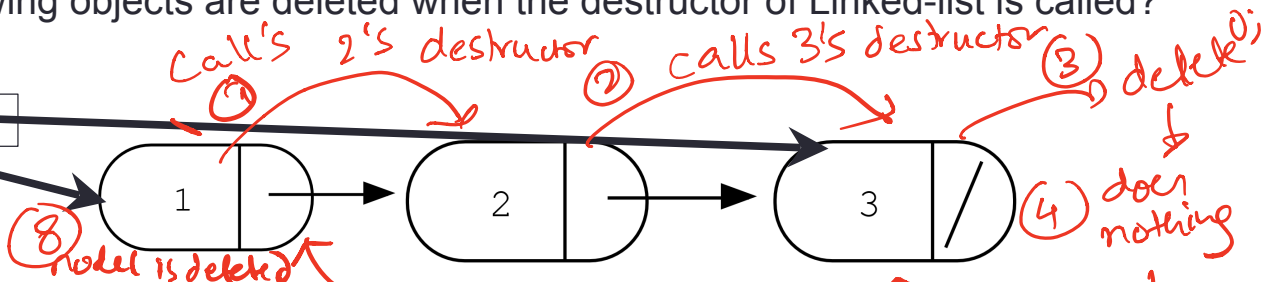
```
LinkedList::~~LinkedList(){  
    delete head; This calls the  
                  destructor of Node for node 1  
}
```

```
Node::~~Node(){  
    delete next;  
}
```

Which of the following objects are deleted when the destructor of Linked-list is called?

head tail

(A) 



(B): All the nodes in the linked-list

(C): A and B

(D): Program crashes with a segmentation fault

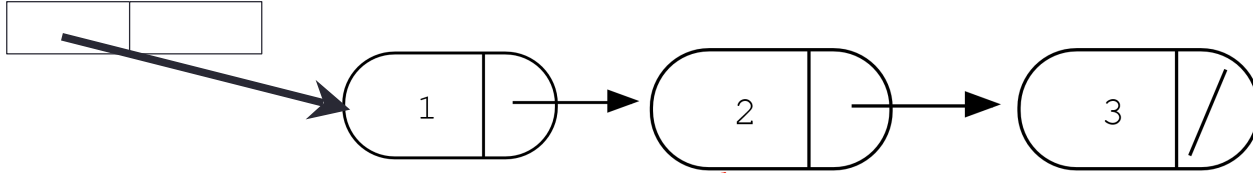
(E): None of the above

node 2 is deleted
node 3 is deleted
destructor of 3 completes execution

```
LinkedList::~~LinkedList(){  
    delete head;  
}
```

```
Node::~~Node(){  
    delete next;  
}
```

head tail

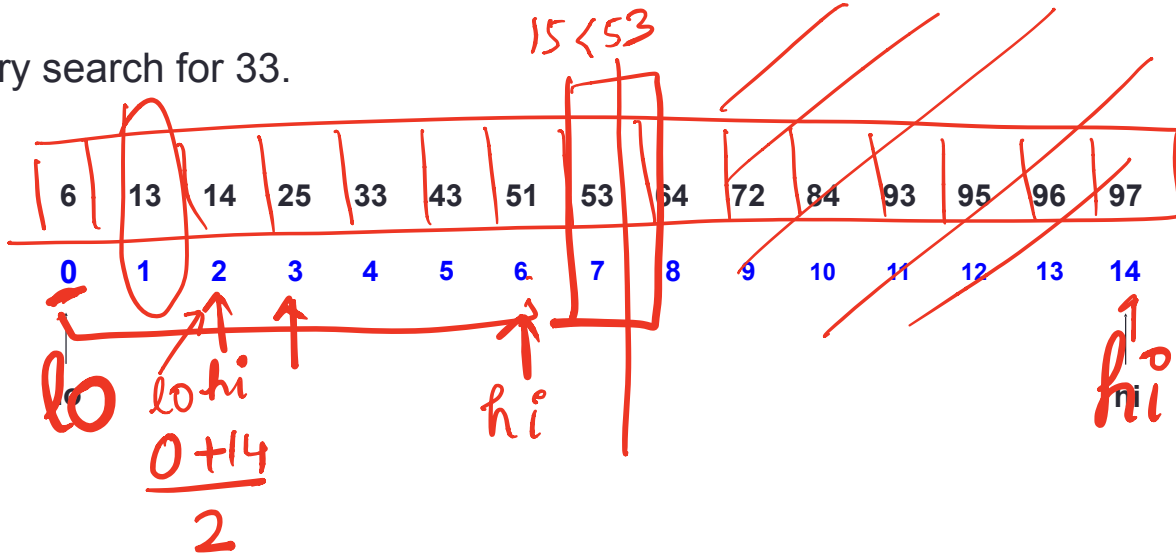


If you only want to delete node 2, first isolate it, (set its next pointer to null) then call delete.

what happens if we say delete P;
→ Part of the chain starting at node 2 is deleted

Binary Search

- Binary search. Given value and sorted array $a[]$, find index i such that $a[i] = \text{value}$, or report that no such index exists.
- Invariant. Algorithm maintains $a[\text{lo}] \leq \text{value} \leq a[\text{hi}]$.
- Ex. Binary search for 33.



GDB: GNU Debugger

- To use gdb, compile with the -g flag
- Setting breakpoints (b)
- Running programs that take arguments within gdb (r arguments)
- Continue execution until breakpoint is reached (c)
- Stepping into functions with step (s)
- Stepping over functions with next (n)
- Re-running a program (r)
- Examining local variables (info locals)
- Printing the value of variables with print (p)
- Quitting gdb (q)
- Debugging segfaults with backtrace (bt)

Demo debugging using gdb.

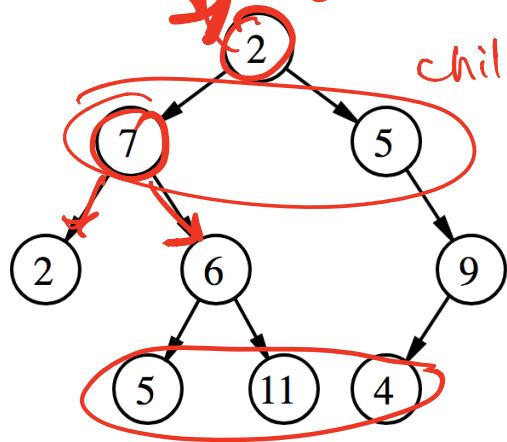
* Refer to the gdb cheat sheet: <https://ucsb-cs24.github.io/m19/lectures/GDB-cheatsheet.pdf>

Trees

root

one field in a larger struct (record)
one piece of data

key hierarchy



A tree has following general properties:

- One node is distinguished as a **root**;
- Every node (exclude a root) is connected by a directed edge *from* exactly one other node;
A direction is: *parent -> children*
- *Leaf node: Node that has no children*

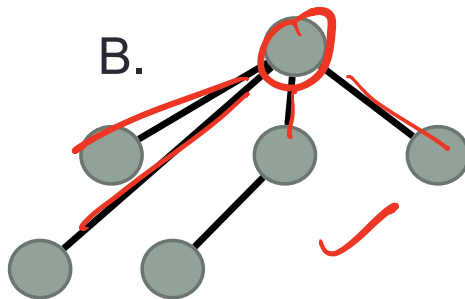
Which of the following is/are a tree?

A.

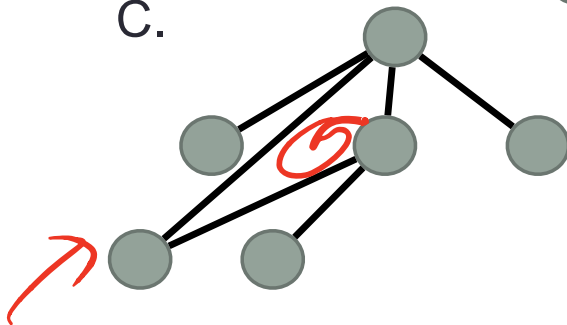


✓
Single node tree

B.



C.



D. A & B

E. All of A-C

Binary Search Trees

- What are the operations supported?

Same as sorted array + fast insert & delete

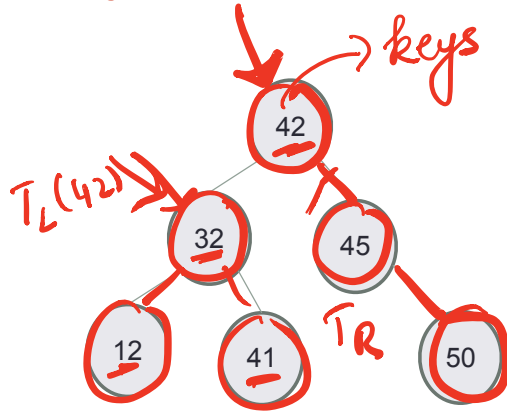
- What are the running times of these operations?

This class we'll build some intuition, formalize next lecture

- How do you implement the BST i.e. operations supported by it?

We'll go over the important operations. This exercise improve your coding skills

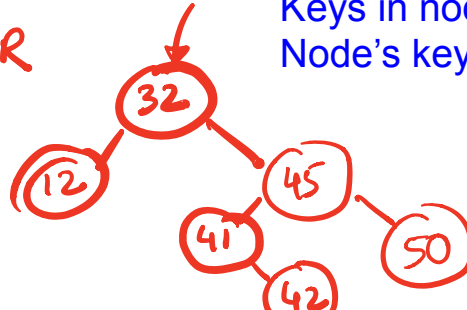
Binary Search Tree – What is it?



- Each node:
 - stores a key (k)
 - has a pointer to left child, right child and parent (optional)
 - Satisfies the **Search Tree Property**

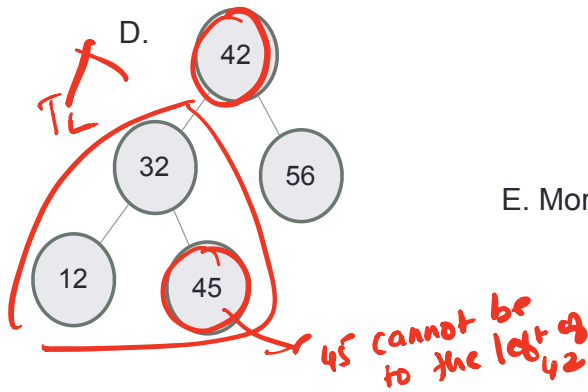
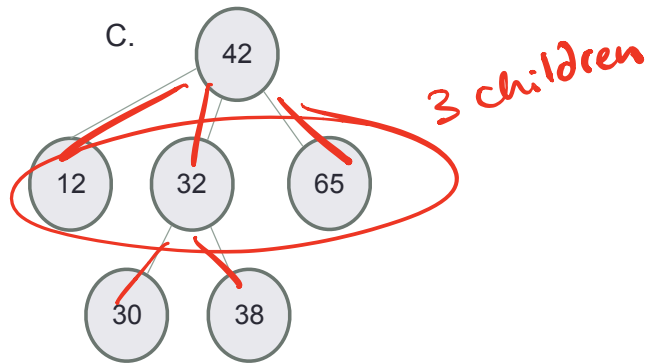
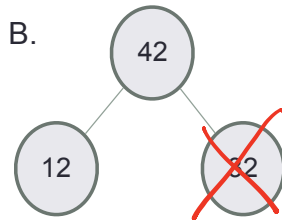
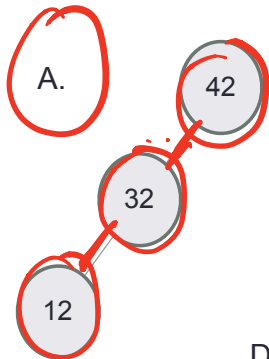
For any node,
 Keys in node's left subtree \leq Node's key
 Node's key $<$ Keys in node's right subtree

$$T_L < 32 < T_R$$



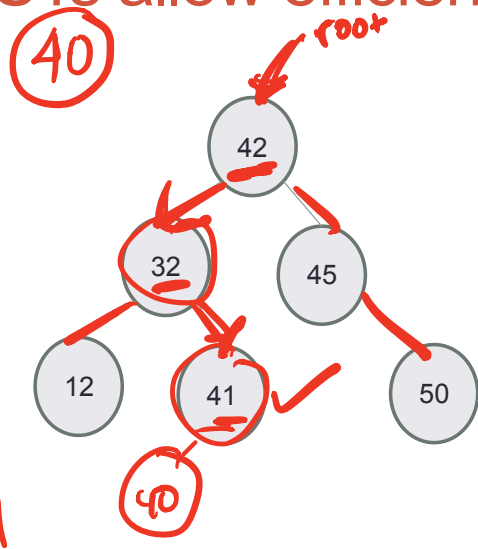
Do the keys have to be integers?

Which of the following is/are a binary search tree?



E. More than one of these

BSTs allow efficient search!



- Start at the root;
- Trace down a path by comparing k with the key of the current node x :
 - If the keys are equal: we have found the key
 - If $k < \text{key}[x]$ search in the left subtree of x
 - If $k > \text{key}[x]$ search in the right subtree of x



Search for 41, then search for 53

A node in a BST

```
class BSTNode {  
  
public:  
    BSTNode* left;  
    BSTNode* right;  
    BSTNode* parent;  
    int const data;  
  
    BSTNode( const int & d ) : data(d) {  
        left = right = parent = 0;  
    }  
};
```

Define the BST ADT

Operations

✓ Search

✓ Insert

✓ Min

✓ Max

Successor

Predecessor

Delete

Print elements in order

given a key, find the next largest key
given a key, find the next smaller value

