

POS tagging (2)

LING 570

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Week 6: 11/04/09

Unit 2 (so far)

- LM
 - Ngram model
 - Smoothing: add-one, GT, backoff, interpolation
- POS tagging
 - N-gram model
 - HMM (I): definition

Outline for today

- Using HMM for n-gram taggers
 - Bigram tagger
 - Trigram tagger
- Smoothing
 - Unseen tag sequences
 - Unknown words

Using HMM for ngram taggers

HMM

- HMM:
 - States: $\{s_1, s_2, \dots, s_N\}$
 - Output symbols: $\{w_1, w_2, \dots, w_m\}$
 - Initial prob: π_i
 - Transition: a_{ij}
 - Emission: b_{jk}
- How to use HMM to build a n-gram tagger?

N-gram POS tagger

$$\operatorname{argmax}_{t_1^n} P(t_1^n | w_1^n)$$

$$\approx \operatorname{argmax}_{t_1^n} \prod_i P(w_i | t_i) P(t_i | t_{i-1}^{i-1})$$

Bigram model: $\prod_i P(w_i | t_i) P(t_i | t_{i-1})$

Trigram model: $\prod_i P(w_i | t_i) P(t_i | t_{i-2}, t_{i-1})$

The bigram tagger

- States: POS tags, BOS, EOS
- Output symbols: words, $\langle s \rangle$, $\langle /s \rangle$
- Initial probability: $\pi(\text{BOS}) = 1$.
- Transition probability: $a_{ij} = P(s_j \mid s_i)$
- Emission probability: $b_{jk} = P(w_k \mid s_j)$

The bigram tagger (cont)

$$O_1^n = w_1^n$$

$$X_1^{n+1} : X_1 = BOS, X_2 = t_1, \dots, X_{n+1} = t_n$$

$$P(O_1^n, X_1^{n+1})$$

$$= \pi(X_1) \prod_{i=1}^n P(O_i | X_{i+1}) P(X_{i+1} | X_i)$$

$$= \pi(BOS) \prod_{i=1}^n P(w_i | t_i) P(t_i | t_{i-1})$$

$$= \prod_{i=1}^n P(w_i | t_i) P(t_i | t_{i-1})$$

The trigram tagger

- States: a tag pair, a tag is a POS tag or BOS or EOS
- Output symbols: words, $\langle s \rangle$, $\langle /s \rangle$
- Initial probability: $\pi(\text{BOS_BOS}) = 1$.
- Transition probability:
$$a_{ij} = P(t_3 | t_1, t_2), \text{ where } s_i = (t_1, t_2), \text{ and } s_j = (t_2, t_3)$$
$$= 0, \text{ where } s_i = (t_1, t_2), \text{ and } s_j = (t_2', t_3), \text{ and } t_2 \neq t_2'$$
- Emission probability:
$$b_{jk} = P(w_k | t), \text{ where } s_j = (t', t) \text{ for any } t'$$

The trigram tagger (cont)

$$O_1^n = w_1^n$$

$$X_1^{n+1} : X_1 = (BOS, BOS), X_2 = (BOS, t_1), \dots, X_{n+1} = (t_{n-1}, t_n)$$

$$P(O_1^n, X_1^{n+1})$$

$$= \pi(X_1) \prod_{i=1}^n P(O_i | X_{i+1}) P(X_{i+1} | X_i)$$

$$= \pi(BOS) \prod_{i=1}^n P(w_i | t_i) P(t_i | t_{i-2}, t_{i-1})$$

$$= \prod_{i=1}^n P(w_i | t_i) P(t_i | t_{i-2}, t_{i-1})$$

Smoothing

Why smoothing?

- To handle unseen tag sequences
→ to smooth the transition prob
- To handle unknown words
→ to smooth the emission prob
- To handle unseen (word, tag) pairs, where both word and tag are known (?)

Handling unseen tag sequences

- Ex: To smooth $P(t_3|t_1, t_2)$ for a trigram tagger.

- How about interpolation?

$$P(t_3 | t_1, t_2) =$$

$$\lambda_1 P(t_3) + \lambda_2 P(t_3|t_2) + \lambda_3 P(t_3|t_1, t_2)$$

How about unknown words?

- Introduce a new output symbol: <unk>
- Estimate $P(<unk> | t)$ for each tag t :
 - Ex: split training data into two sets: create the voc from set1, and estimate $P(<unk>|t)$ from set2.
- Add $P(<unk> | t)$ to the emission prob and renormalize so that $\sum_w P(w|t) = 1$.
 - Ex: Keep $P(<unk>|t)$ the same, and make

$$P_{w \neq <unk>}(w|t) = 1 - P(<unk> | t)$$

Summary so far

- We can use HMM to build ngram taggers.
- The best state sequence corresponds to the best tag sequence.
 - ➔ We can use the Viterbi algorithm to find the best tag sequence.
- Accuracy on PTB:
 - Unigram tagger: 91%
 - Trigram tagger: 95%

Remaining issues

- Viterbi algorithm
 - ➔ Week 7
- Other algorithms
 - ➔ Week 8-9 and ling572
- How to exploit unlabeled data?
 - ➔ semi- and unsupervised learning

Additional slides

Cues for predicting POS tags for unknown words

- Affixes: unforgettable: un-, -able → JJ
- Capitalization: Hyderabad → NNP
- Word shapes: 123,456 → CD
- The previous word: San _ → NNP

How can we take advantage of these cues?

→ Treat them as features

Unsupervised POS tagging

- Unlabeled data
 - ➔ learn word clusters
- What else could be available?
 - A lexicon: all allowed tags for each word
 - ➔ use unambiguous words as anchors
 - A few examples (prototypes): e.g., “book” is a noun, “the” is a determiner