

# Planck, inflation and the future of inflationary constraints

Consistency of Cosmological Datasets: Evidence for new Physics?

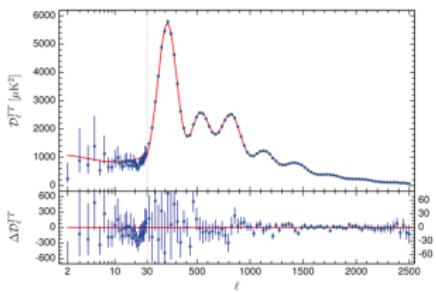
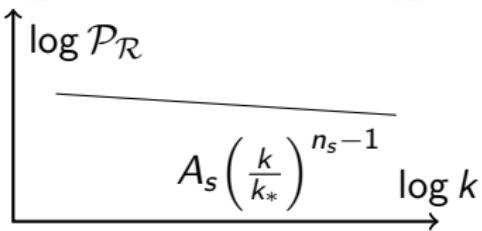
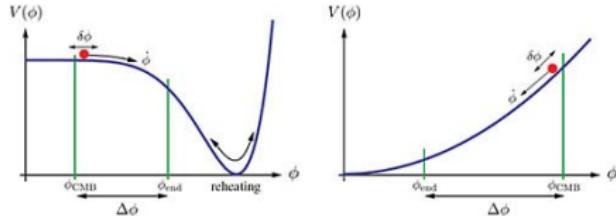
Will Handley

wh260@cam.ac.uk

Astrophysics Group  
Cavendish Laboratory  
University of Cambridge

1<sup>st</sup> June 2018

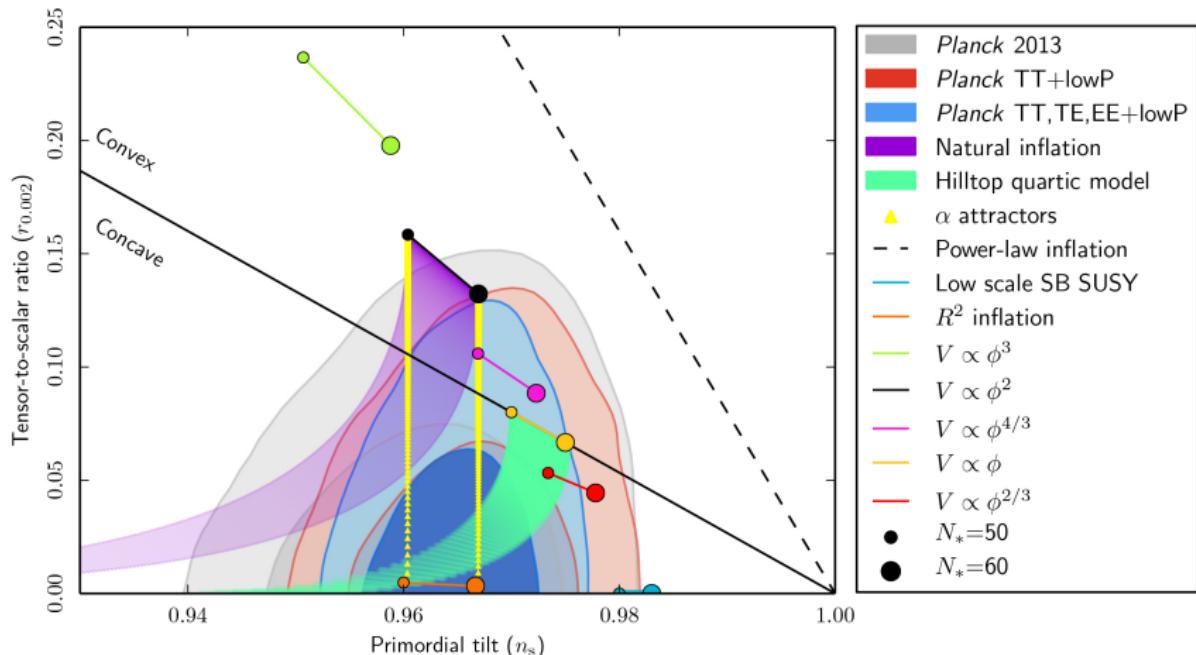
# The pipeline from inflation to the CMB

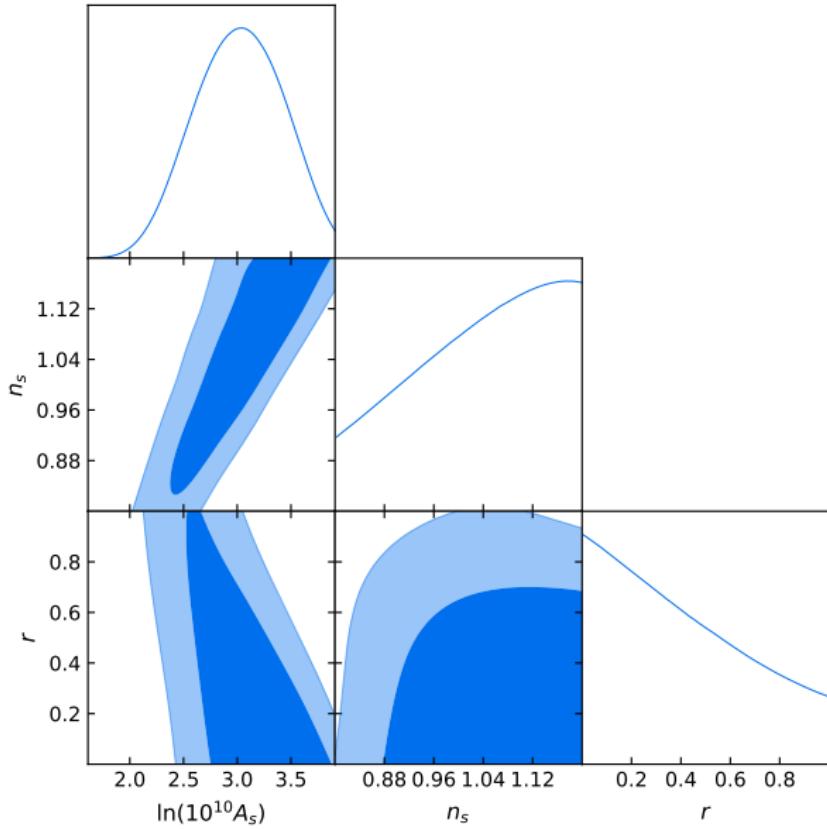


- ▶ Inflationary model
- ▶ Primordial power spectrum  $\mathcal{P}_R$
- ▶  $(A_s, n_s, r)$
- ▶ Boltzmann solver & line-of-site projection
- ▶  $(\Omega_b h^2, \Omega_c h^2, \theta_*, \tau)$
- ▶ CMB power spectrum  $C_\ell$

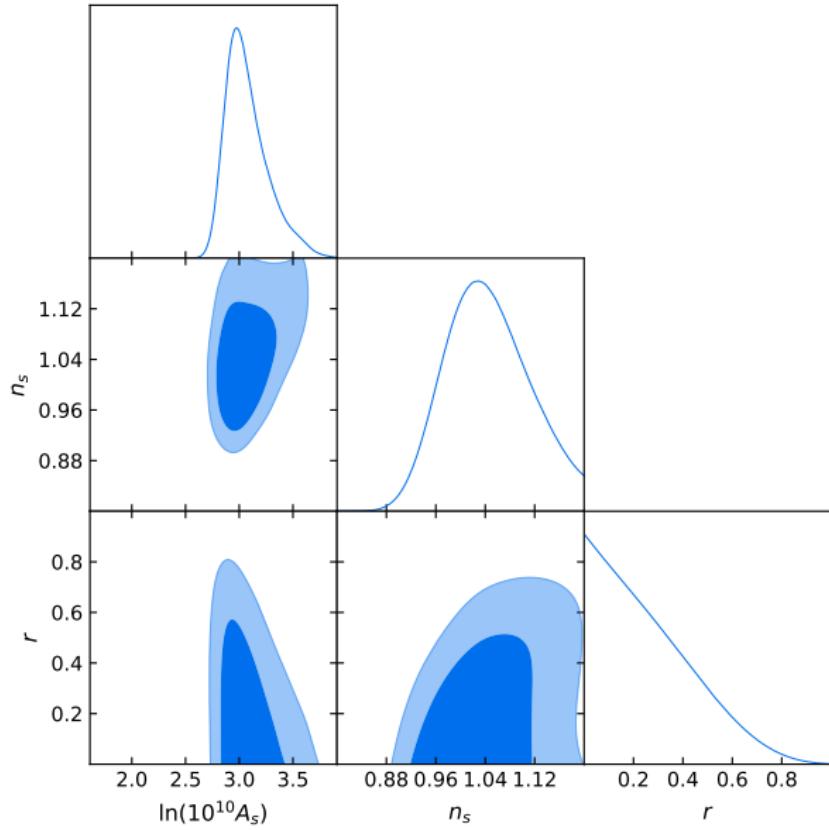
# Constraining inflation (Planck 2015)

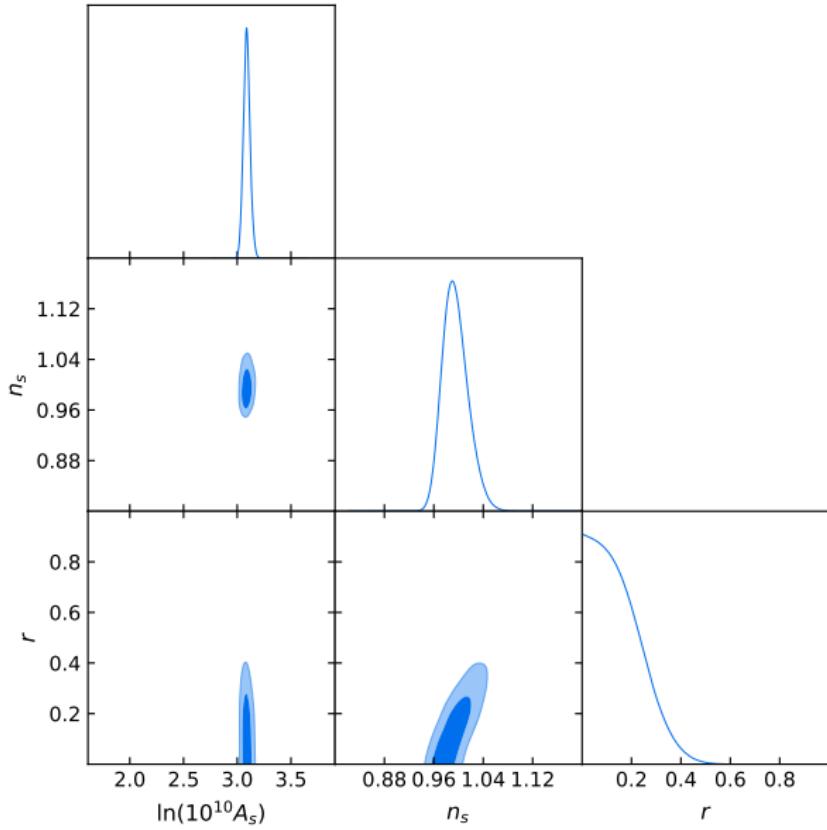
Linking theorists and observers



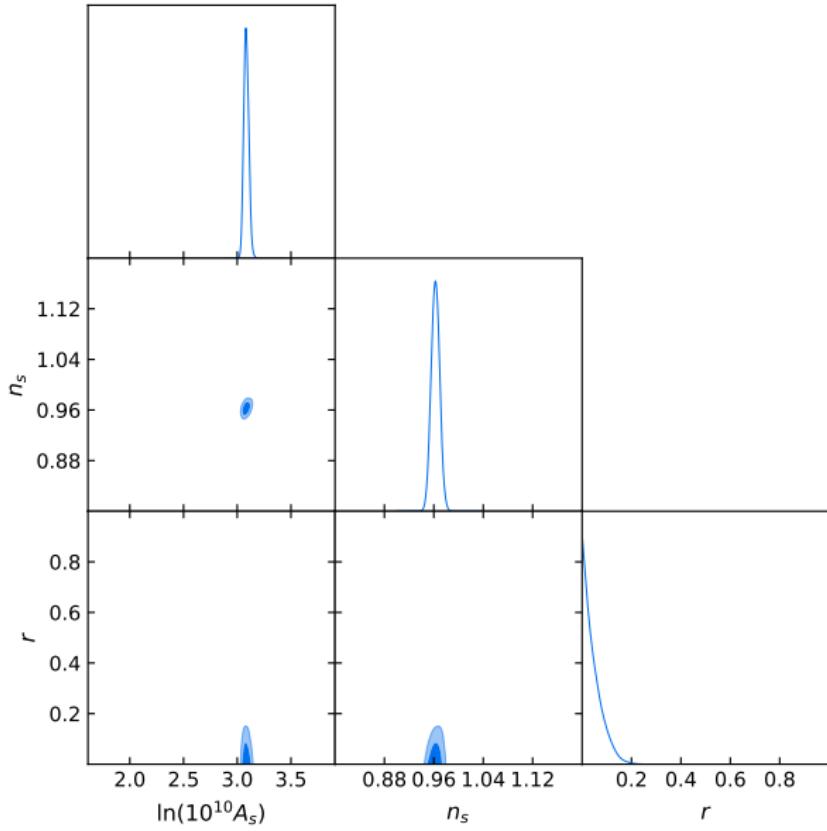


# COBE, MAXIMA, BOOMERANG, VSA, DASI, CBI

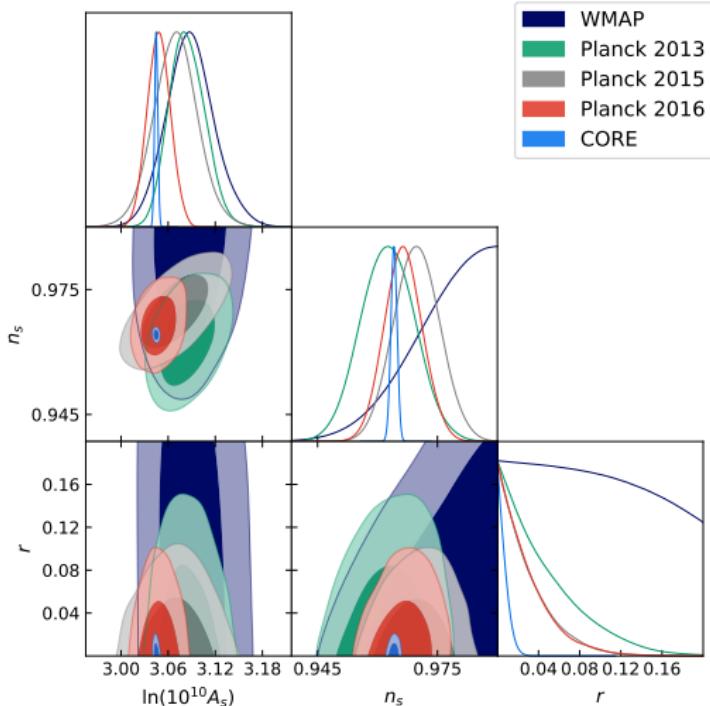




# Planck 2013

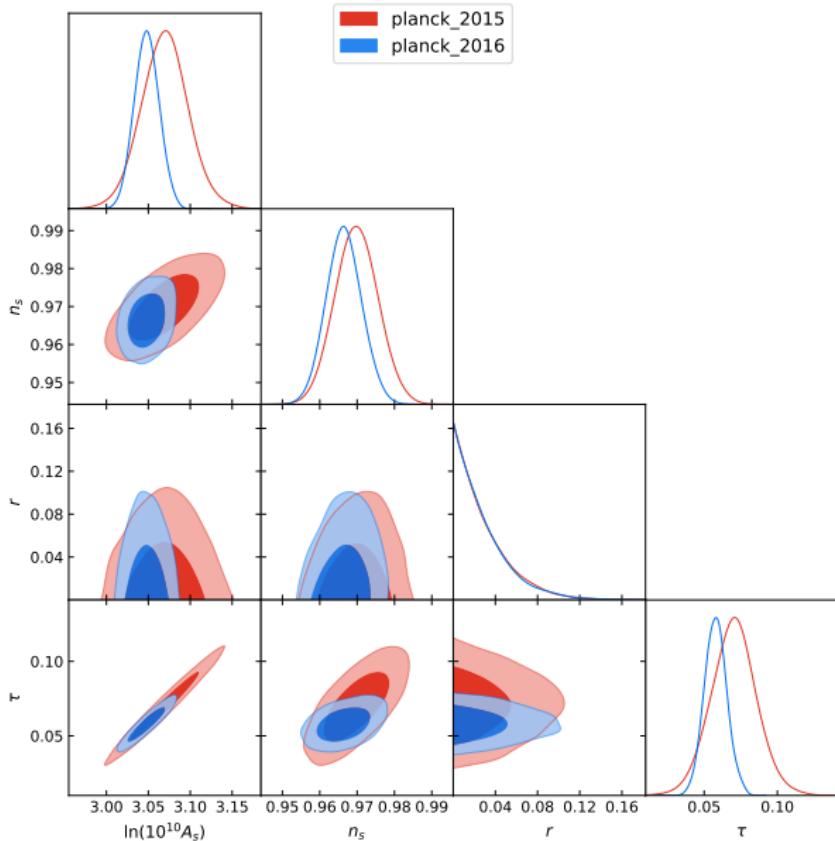


# The Future

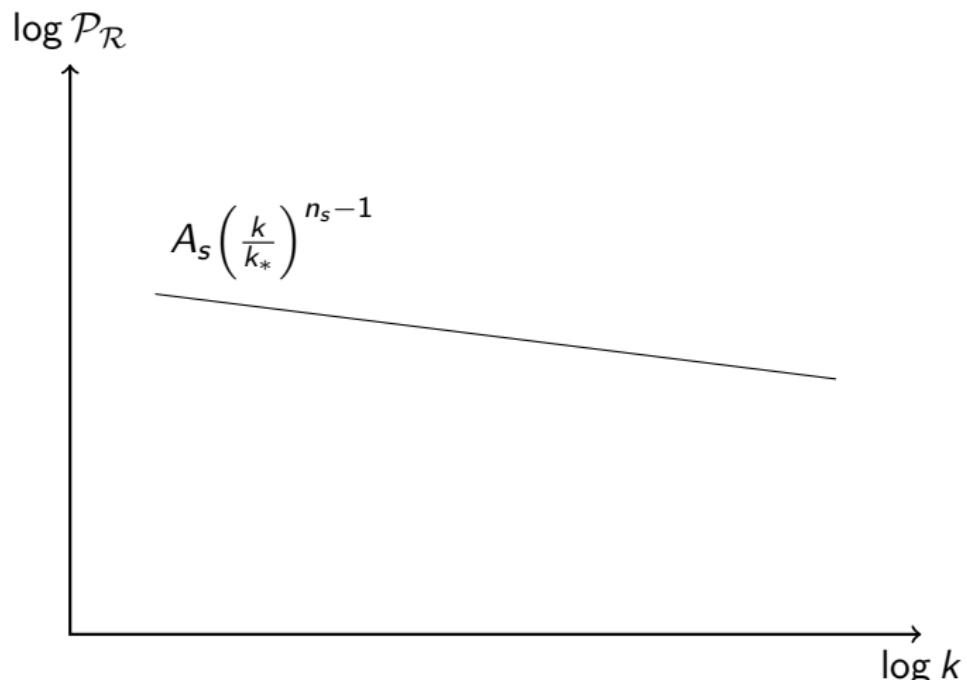


- ▶ Lyth bound:  
 $r > 0.01 \Rightarrow \Delta\phi > M_p$
- ▶ LiteBird:  $r \sim \mathcal{O}(10^{-3})$ ,  
 $r \sim \mathcal{O}(N^{-2})$   $50 < N < 60$
- ▶ Compare specific  
inflationary models.

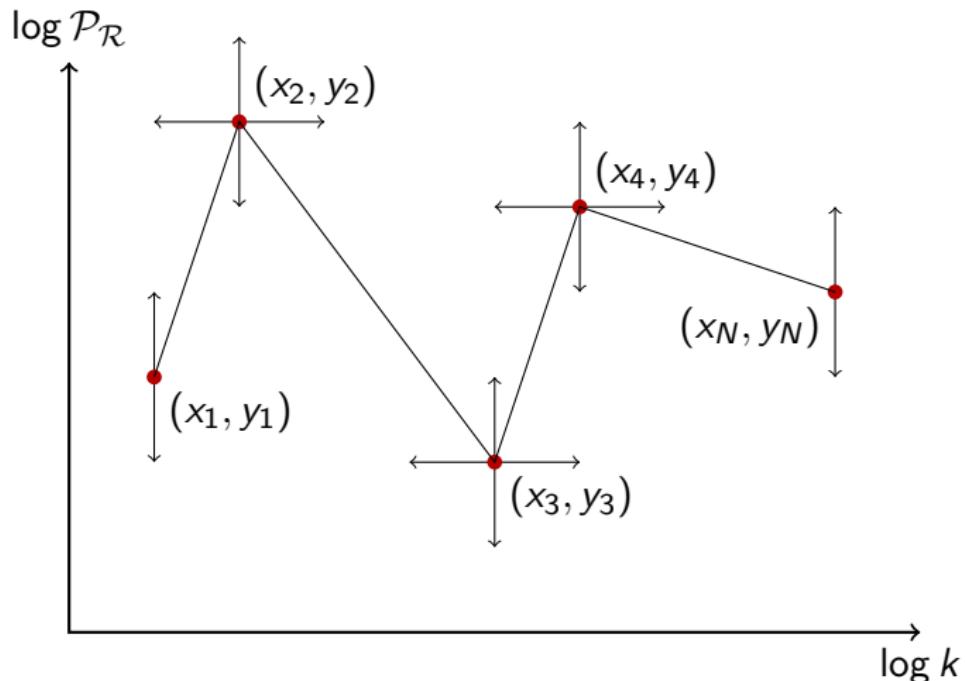
# The importance of $\tau$



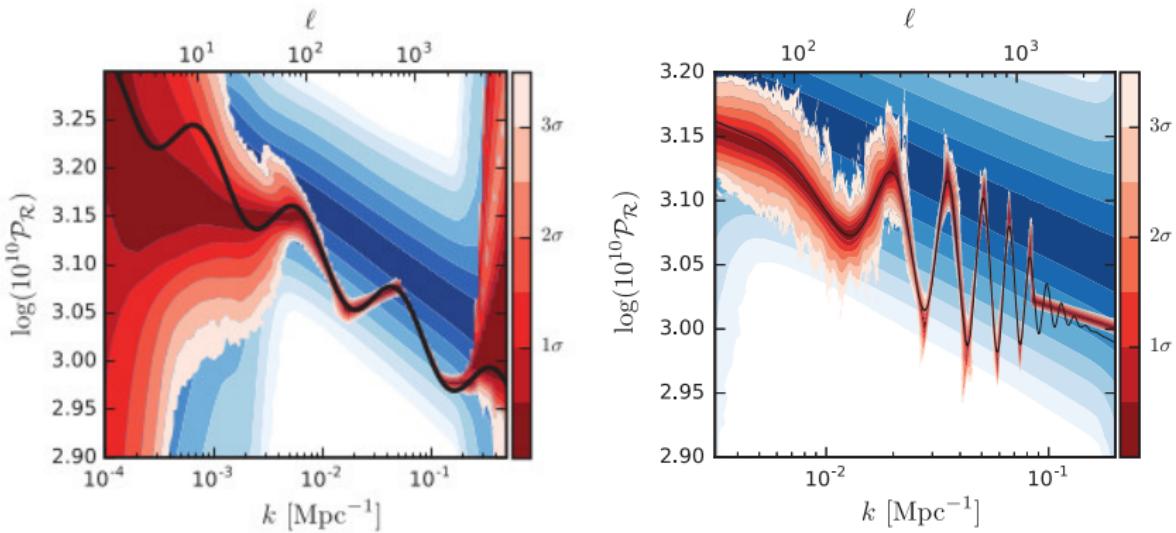
# Primordial power spectrum reconstruction



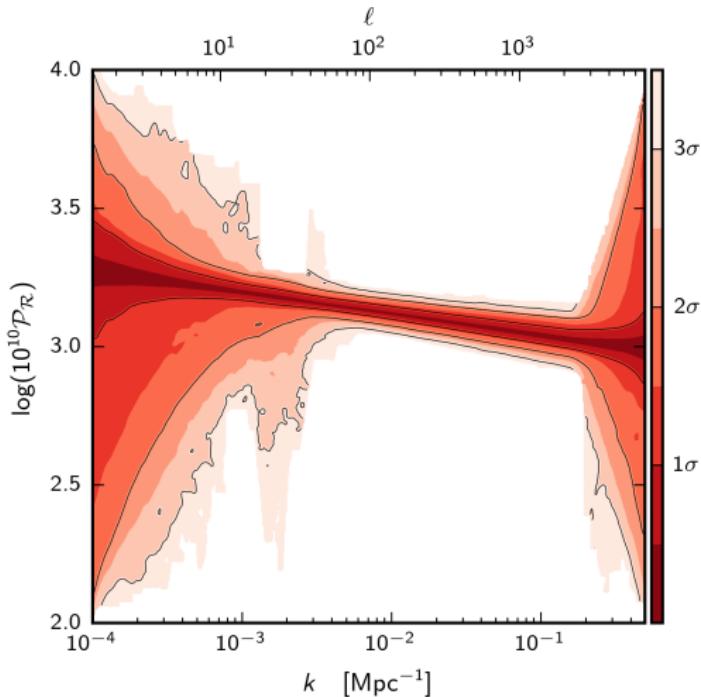
# Primordial power spectrum reconstruction



# Primordial power spectrum reconstruction with CORE



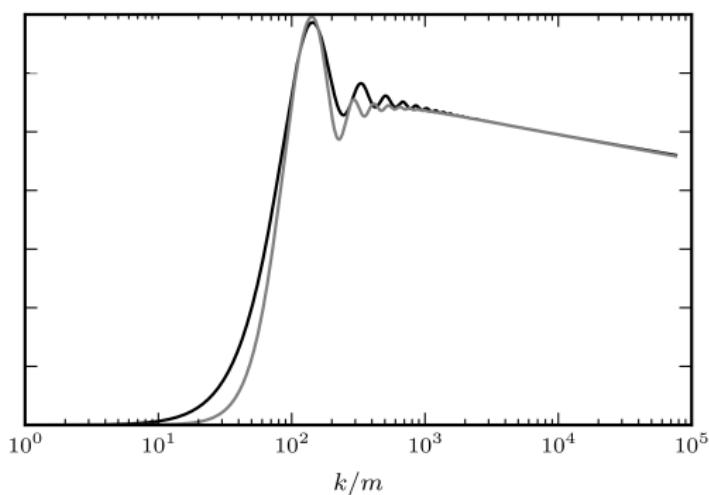
# The future of inflation observation



- ▶  $r \neq 0$  — LiteBird ?
- ▶ better  $\tau \Rightarrow$  feature finding — CORE (CMB Bharat?)
- PICO?
- ▶ Spectral distortions — PRISTINE?
- ▶ Alternative models to relieve tensions?

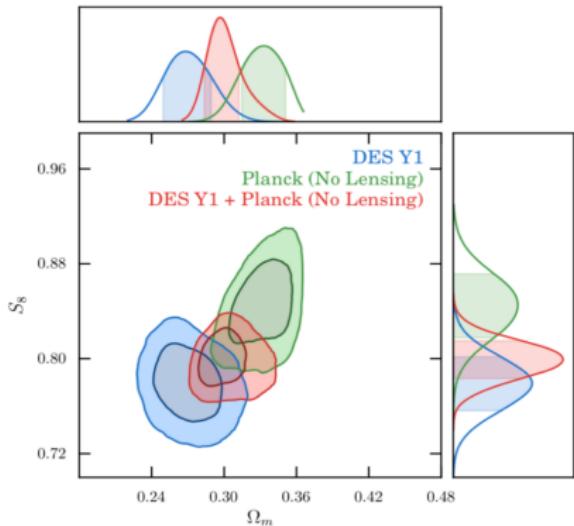
# Alternative models: Kinetic dominance

“Just enough inflation”



- ▶ Only  $\sim \mathcal{O}(60)$  efolds of total inflation
- ▶ Preceded by generic phase of  $\dot{\phi}^2 \gg V(\phi)$
- ▶ Natural mechanism for generating low- $\ell$  suppression
- ▶ Possibility of fitting  $\ell \sim 30$  feature
- ▶ Spatial curvature provides stronger justification.

# The DES Bayes factor



- Contains everything it should, in a dimensionally consistent way:

$$R = \frac{P(D_{pl}, D_{des}|M)}{P(D_{pl}|M)P(D_{des}|M)}$$

- $R \sim 10$  default prior,  $R \sim 0.1$  for narrower prior.

$$R = \frac{P(D_{pl}|D_{des}, M)}{P(D_{pl}|M)} = \frac{P(D_{pl}|M_{OL})}{P(D_{pl}|M_{GPE})}$$

- Represents Bayesian confidence in ability to combine the data
- The fact that there are physically reasonable priors which make  $R < 1$  means that as a Bayesian I am very suspicious of this combination.
- Conditioned on  $\Lambda$ CDM, these data are inconsistent.