Cosmology from HSC Y1 Weak Lensing with Combined Higher-Order Statistics and **Simulation-based Inference** Camila P. Novaes^{1,2,3} * Leander Thiele^{2,3}, † Joaquin Armijo^{2,3}, Sihao Cheng^{4,5}, Jessica A. Cowell^{2,3,6},

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studied in the context of baryonic feedback [16]. inference. In Section V we show the robustness of o work, we use the MFs, PM, and PDF of the Subagainst systematic effects. Our results are presented i r Suprime-Cam (HSC) first-year (HSC Y1) data, and VI, and we conclude in Section VII. abination with the angular power spectrum (PS), to the cosmological parameters Ω_m , the total matter

by randomly selecting observer positions in the simpox, providing a set of quasi-independent realizations of the simulation. This set of simulations is hereafter simulations. This set of simulations is hereafter simulations. The set of simulations is hereafter simulations are simulations. The set of simulations is hereafter simulations are simulations as
$$V_0(\nu_t) = \frac{1}{4\pi} \int_{\Sigma} d\Omega$$
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quantities are given by Ref. [49, 50]

 $V_1(\nu_t) = \frac{1}{2} \int_{-\infty}^{\infty} dl$

of (Ω_m, S_8) values, a total of 50 realizations are con-

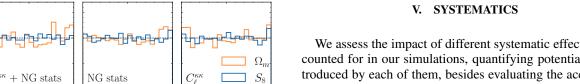
$(C_{\ell}^{\kappa\kappa}, \mathrm{MFs}_{\nu}, \mathrm{PM}_{\nu}, \mathrm{PDF}_{\nu})$ of length 118 for an i then performed over the compressed data. redshift z, and length 354 when combining all three bins. The training is performed for each cosmologic eter at a time, so that an NN learns the relation betwe

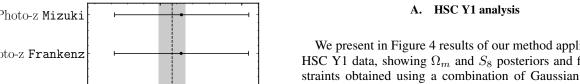
 $\theta = \{\Omega_m\}$, and X and $\theta = \{S_8\}$, separately.

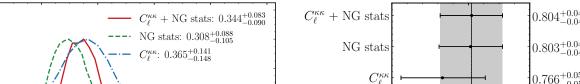
as much information as possible. The posterior esti-

A. Neural network and data compression

on to allow the NN to efficiently map them in terms ployed to infer the posterior distribution for each cosr gets (cosmological parameters). As a common beparameter. ne NN tends to predict values close to the mean of neters range, as doing so artificially reduces the loss B. Parameter inference [25, 63, 67].









ale cuts applied to $C_{\ell}^{\kappa\kappa}$, intended to minimize the imtext: Numpy [81], Astropy¹⁰ a community-develo Python package for Astronomy [82, 83], Matplot 1 stematics. This suggests that most of the information is also captured by the NG statistics, besides the ex-IPython [85], Scipy [86], scikit-learn G information they are capable of extracting from TensorFlow [88]. This research used computing ergence fields. In particular, using each statistic inat Kavli IPMU. This research used resources at the

statistics stage: Finally, we apply our SBI pipeline (MFs+PM+PDF) and their combination with he HSC Y1 data, using both the NG statistics only finding good agreement (within 1σ) with the s vious results.

rmstrong, J. Bosch, R. Murata, F. Lanusse, A. Leauthaud, gaussianity in planck cmb maps, Journal of Cosmolog The first-year shear catalog of the subaru hyper suprimetroparticle Physics **2015** (09), 064. subaru strategic program survey, Publications of the Astro-[42] C. Novaes, A. Bernui, G. Marques, and I. Ferreira, I. cal Society of Japan **70**, S25 (2018). vses of planck maps with minkowski functionals, Mo anaka, J. Coupon, B.-C. Hsieh, S. Mineo, A. J. Nishizawa, tices of the Royal Astronomical Society 461, 1363 (2 eagle, H. Furusawa, S. Miyazaki, and H. Murayama, Pho-[43] Y. Akrami, M. Ashdown, J. Aumont, C. Baccigalupi,

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