# **Database Systems: The Complete Book**

## **▼**□Chapter 22

### **▼**□Section 1

### **▼**□1

- □a 25%
- □b 0%
- □c33%
- □d 40%
- □e 50%
- □f{milk, beer}
   {milk, pepsi}
   {beer, pepsi}
- □g {milk, beer}
- □h {pepsi} => milk
  has confidence 75%

## **▼**□Section 2

□1 F<sub>1</sub> = {milk, coke, beer, pepsi, juice}
 F<sub>2</sub> = {milk, beer}, {milk, pepsi}, {beer, pepsi}
 F<sub>3</sub> = { }

#### **▼**□2

- $\Box$ a a[n], where n = i<sub>1</sub> + n\*i<sub>2</sub> + 2\*n\*i<sub>3</sub> + 3\*n\*i<sub>4</sub> + ...
- □b n²
- $\Box$ c Hash the tuple (i<sub>1</sub>, i<sub>2</sub>, ..., i<sub>n</sub>) to locate the entry to store the count.
- □d pn

#### **▼**□3

- $\Box$ a (1/10)(sb) + (1/100)(sb)
- $\Box$ b  $(1/10)^{2(sb)}$  +  $(1/1000)^{(sb)}$  +  $(1/10000)^{(sb)}$

#### **▼**□4

- $\Box$ a (1/10)(sb) + (1/100)(sb)
- $\Box$ b (1/10)<sup>2(sb)</sup> + (1/1000)<sup>(sb)</sup> + (1/10000)<sup>(sb)</sup>

#### **▼**□5

- $\Box$ a  $(1/10)^{2(sb)} + (1/1000)^{(sb)} + (1/10000)^{(sb)}$
- $\Box$ b  $(1/1000)^{(sb)} + (1/10000)^{(sb)} + (1/10000000)^{(sb)} + (1/1000000)^{(sb)}$

#### $\mathbf{V} \square 6$

- a Map: Each processor counts all local items.
  Reduce: Each processor is assigned to count a single item.
- □b Map: Each processor counts all local items.

Reduce: Each processor is assigned to count pairs for a bucket.

# **▼**□Section 3

•  $\Box 1 \{1, 2, 3, 4, 5\} \{1, 6, 7\} \Rightarrow 2/7$  $\{1, 6, 7\} \{2, 4, 6, 8\} \Rightarrow 1/6$  $\{1, 2, 3, 4, 5\} \{2, 4, 6, 8\} \Rightarrow 1/7$ 

• □2 'abc '

'bc d'

'c de'

' def'

'def '

'ef g'

'f gh'

'ghi'

### **▼**□3

- $\Box$ a{3, 3, 9}
- $\Box$ b{2, 5, 0}
- $\Box c\{2, 7, 4\}$

	Estimated	Jaccard similarity
{a,b}	1/5	1/6
{b,c}	1/5	2/5
{a,c}	0	1/5

### **▼**□4

- □a{3, 6, 3}
- $\Box$ b $\{7, 5, 5\}$
- $\Box c\{7, 5, 5\}$

	Similarity	Jaccard similarity
{a, b}	0	1/5
{b, c}	1	2/5
{a, c}	0	1/5

• 🗆

## **▼**□5

•  $\Box$ a Map: Compute minhash for each row.

Reduce: Process results locally.

• 🗆 b Map: Each processor computer minhash-so-far. Do until all data has been processed.

### **▼**□Section 4

# **▼**□1

- □a 890,000
- □b 70%
- □c30%

# **▼**□2

b	r	s
24	1	1
12	2	.97
8	3	.67
6	4	.32
4	6	.06
3	8	.01
2	12	0
1	24	0

• □a

b	r	s
24	1	.03
12	2	.24
8	3	.44
6	4	.57
4	6	.73
3	8	.82
2	12	.90
1	24	.97

• □b

**▼**□Section 5

**▼**□1

	Α	В	С	D
В	4	3	5	4
С	4	8	3	2
D	5	6	5	
E	7	8		
F	5			

• □a

	Α	В	С	D
В	3	2	3	3
B C	2	4	3	1
D	4	5	3	
E	5	5		
F	5			

- □b
- $\Box 21$ . d(x,y) >= 0 for all x,y summation of positive numbers are always postive

2. 
$$d(x,y) = 0$$
 if  $x=y$  if  $(x,y) = 0$ , then every  $xi - yi = 0 \Rightarrow xi = yi$ 

3. 
$$d(x,y) = d(y,x)$$
  
|x-y| = |y-x|

4. 
$$d(x,y) \le d(x,z) + d(z,y)$$

$$(|x_1-y_1|^r+...+|x_n-y_n|^r)^{1/r} <= (|x_1-z_1|^r+...+|x_n-z_n|^r)^{1/r}+(|z_1-y_1|^r+...+|z_n-y_n|^r)^{1/r}$$

Let 
$$z_n = y_n + a_n$$
.

$$(|x_1 - y_1|^r + ... + |x_n - y_n|^r)^{1/r} \le (|x_1 - y_1 - a_1|^r + ... + |x_n - y_n - a_n|^r)^{1/r} + ...$$

Notice that 
$$|x_i - y_i|^r < |x_i - y_i - a_i|^r$$

Therefore, 4 is true.

	Α	В	С	DF	Е
E	5.39	5.10	3.00	2.55	
DF	4.53	5.70	3.54		
С	2.83	2.24			
В	3.00				
Α					

	Α	ВС	DF	E
E	5.39	4.03	2.55	
DF	4.53	4.61		
ВС	2.69			
Α				

	Α	BC	DFE
DFE	4.71	4.30	
ВС	2.69		
Α			

• □a

Clusters: {ABC, DFE}

	Α	BF	С	D	Е
E	5.39	5.10	3.00	3.16	
D	4.12	5.66	3.61		
С	2.83	3.61			
BF	4.00				
Α					

	Α	BFD	С	Е
Е	5.39	5.10	3.00	
С	2.83	3.61		
BFD	4.12			
Α				

	AE	BFD	С
С	3.61	3.61	
BFD	5.10		
AE			

• □b

Clusters: {BFDAE, C}

	Α	В	С	D	Е	F
F	5	5	3	1	2	
E	5	5	3	3		
D	4	4	3			
С	2	2				
В	3					
Α						

	AE	В	С	D	F
F	5	5	3	1	
D	4	4	3		
С	3	2			
В	5				
AE					

	AEB	C	D	F
F	5	3	1	
D	4	3		
С	3			
AEB				

	AEBF	C	D
D	4	3	
С	3		
AEBF			

• **□**4

Clusters: {AEBFC, D}

# **▼**□5

- □aB, F, A
- □b C, F, A
- □6 N = 4

 $SUM_i = (6, 12)$ 

 $SUMSQ_i = (14, 46)$ 

# **▼**□7

- □a 2.12
- □b3.20