

# CSCI596 Assignment 5: Visualizing Simulations

## Due: October 26 (Fri), 2018

### Part I: Molecular Dynamics Animation

Animate molecular dynamics (MD) simulation, choosing either of the following two options.

**Option 1:** Combine `md.c` and `atomv.c` to write a C/OpenGL program for *in situ* animation of simulation, following the lecture note on “*Visualizing Molecular Dynamics III—Animation*”.

**Option 2:** Use the VMD software (<http://www.ks.uiuc.edu/Research/vmd>) to post-process simulation data, following the lecture note on “*VMD Animation of Molecular Dynamics*”. (For the simulation, use `1md.c` instead of `md.c` for a better speed.)

**Assignment:** Demonstrate its execution on your laptop to me during the office hours.

### Part II: Visualizing an Electronic Wave Function

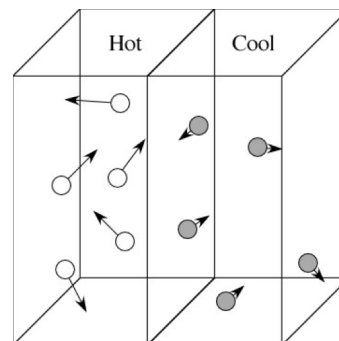
Visualize the wave function of a photo-excited hole (*i.e.*, absence of an electron) in the Gaussian-cube file, <http://cacs.usc.edu/education/cs596/src/viz/MoSe2-hole.cube>, as an isosurface, following the lecture note on “*VMD Animation of Molecular Dynamics*”.

**Assignment:** Demonstrate its execution on your laptop to me during the office hours.

### Final-Project Ideas

You may extend this assignment to your final project by adding additional features such as:

- > Color-coding the atoms with their kinetic-energy values. (A nice visual demonstration of thermal equilibration may be obtained by initializing half the MD box at a high temperature and the other half at a low temperature and observing how these temperatures will equilibrate.)
- > Color-coding the atoms by mapping their 3D velocities to points in the RGB color cube.
- > Animate parallel MD code, `pmd.c`,<sup>1,2</sup> or your own application.
- > How can you visualize (*e.g.*, color-code) the  $3 \times 3$  stress tensor,<sup>3-6</sup>



$$\sigma_i^{\alpha\beta} = \frac{N}{\Omega} \left( v_i^\alpha v_i^\beta + \frac{1}{2} \sum_{j(\neq i)} r_{ij}^\alpha r_{ij}^\beta \left( -\frac{1}{r} \frac{du}{dr} \right)_{r=r_{ij}} \right) \quad (\alpha, \beta = x, y, z) ,$$

of the  $i$ -th atom ( $i = 0, \dots, N-1$ ), where  $N$  is the total number of atoms,  $\Omega = L_x L_y L_z$  is the volume of the simulation box,  $r_{ij}^\alpha$  is the  $\alpha$ -th component of the vector  $\vec{r}_{ij} = \vec{r}_i - \vec{r}_j$ , and  $u(r)$  is the Lennard-Jones potential function?

## References

1. A. Sharma, *et al.*, “Immersive and interactive exploration of billion-atom systems,” *Presence: Teleoperators Virtual Env.* **12**, 85 (2003).
2. C. Zhang, *et al.*, “ParaViz: a spatially decomposed parallel visualization algorithm using hierarchical visibility ordering,” *Int’l J. Comput. Sci.* **1**, 407 (2007).
3. L. Hesselink, *et al.*, “Research issues in vector and tensor field visualization,” *IEEE Comput. Graphics Appl.* **14**, 76 (1993).
4. W. Ribarsky, *et al.*, “Glyphmaker: creating customized visualizations of complex data,” *IEEE Computer* **27**(7), 57 (1994).
5. A. Sigfridsson, *et al.*, “Tensor field visualisation using adaptive filtering of noise fields combined with glyph rendering,” *IEEE Visualization 2002* (IEEE, 2002) p. 371.
6. C. Zhang, *et al.*, “Glyph-based comparative visualization for diffusion tensor fields,” *IEEE T. Vis. Comput. Graphics* **22**, 797 (2016).