

4-lattice-graphics

April 1, 2024

1 4. Lattice graphics

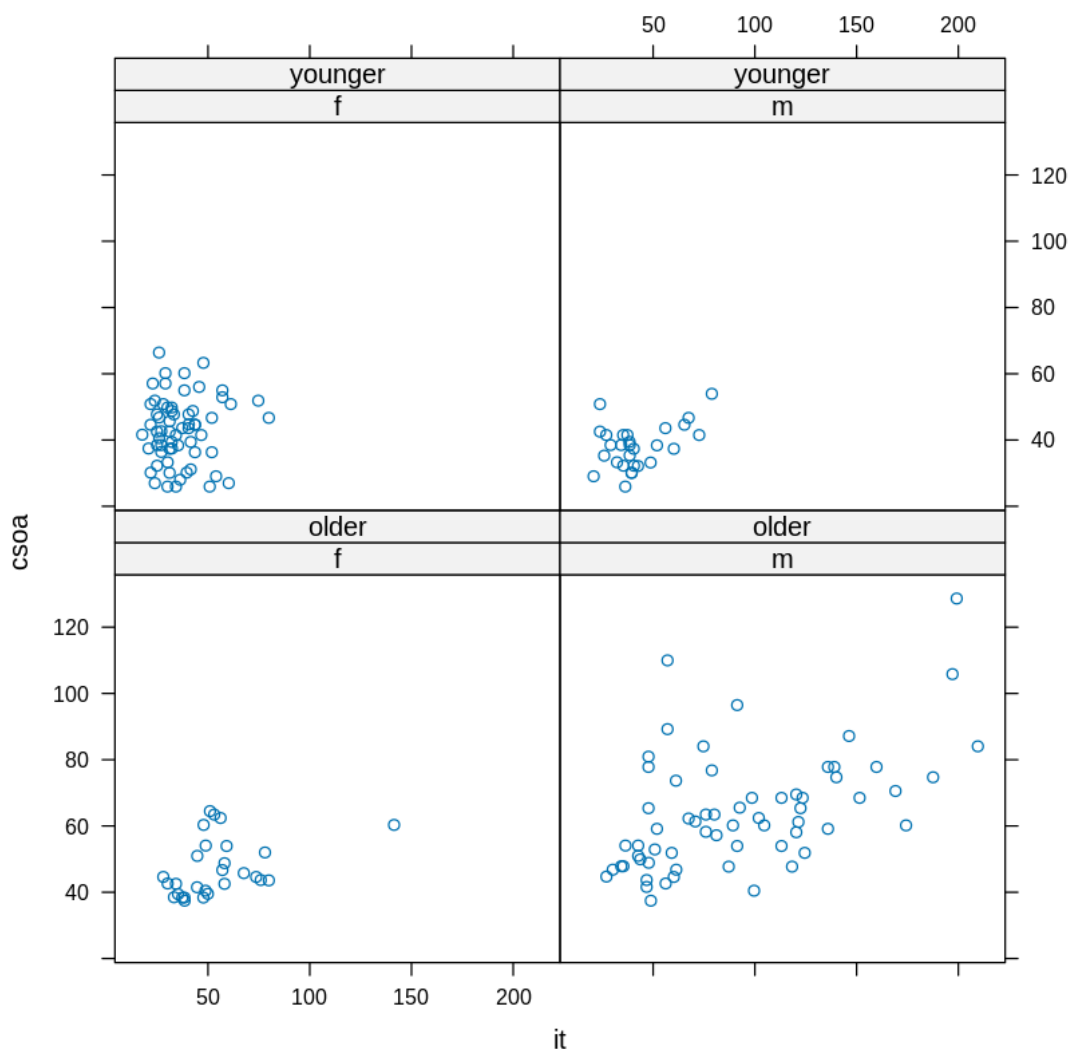
Lattice plots provide a way to visually represent data where the layout on the page reflects important aspects of the data's structure. They offer similar capabilities to the S-PLUS trellis library. The lattice package builds on top of the grid package. To utilize lattice graphics, both packages need to be installed. If lattice is installed, the grid package will be loaded automatically. The older `coplot()` function in the base package shares some capabilities with `xyplot()`, but it's limited to handling only two conditioning factors or variables at a time.

1.1 4.1 Examples that Present Panels of Scatterplots – Using `xyplot()`

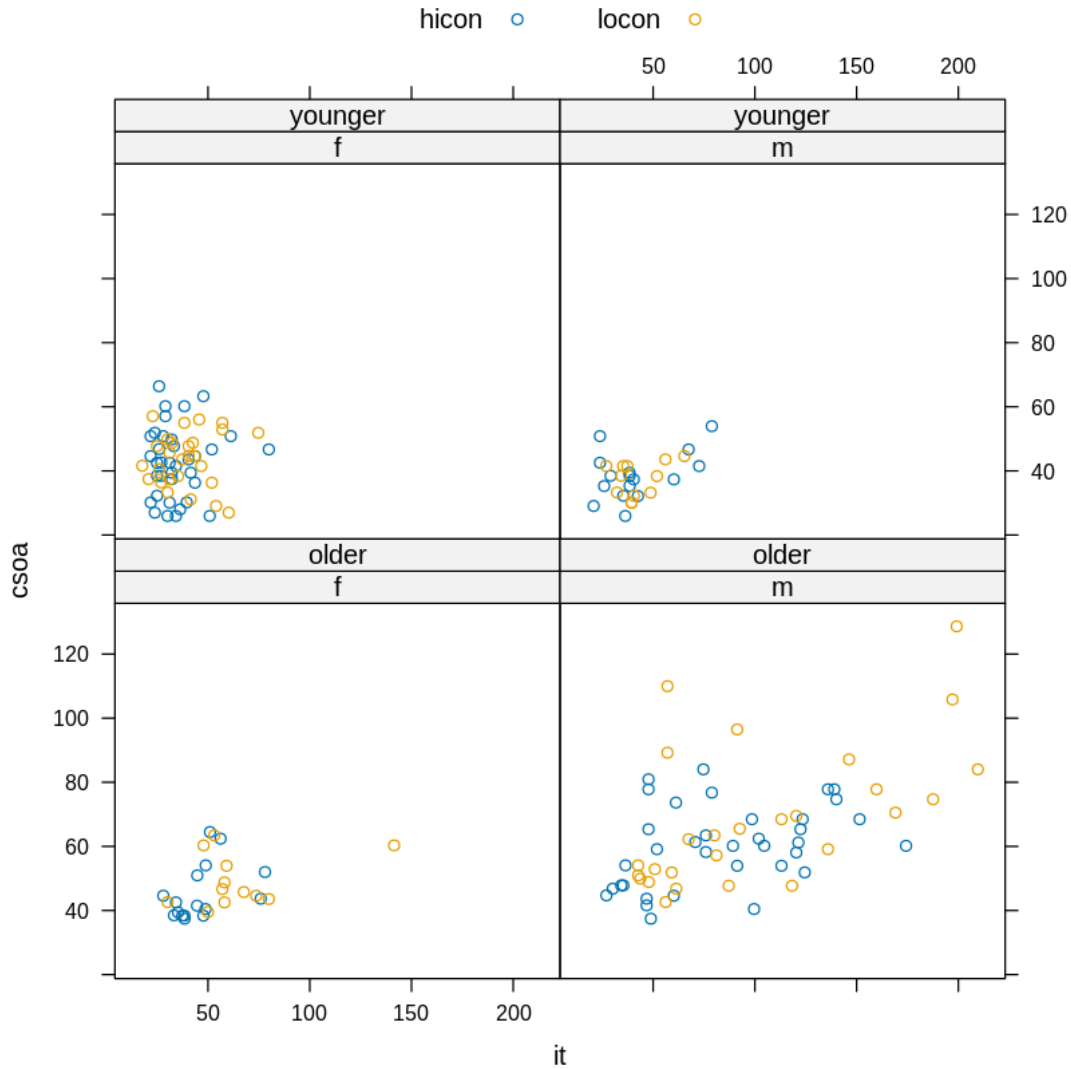
- The main function for creating scatterplot panels is called `xyplot()`.
- We'll use the dataset "tinting" to demonstrate `xyplot()`, which explores the effects of car window tinting on visual performance.
- The dataset includes variables like `csoa` (time to recognize a target), `it` (inspection time), and `age`.
- Factors like `tint` (level of tinting) and `target` (contrast) are also included, along with `sex` and `age group`.
- The dataset aims to understand visual recognition tasks through car windows.
- Figure 14 depicts the type of graph produced by `xyplot()`, with different symbols representing different contrasts.

Figure 14: `csoa` versus `it`, for each combination of females/males and elderly/young. The two targets (low, + = high contrast) are shown with different symbols

```
[9]: library(lattice)
      tinting <- read.csv("/content/tinting.csv")
      xyplot(csoa ~ it | sex * agegp, data = tinting) # Simple use of xyplot()
```

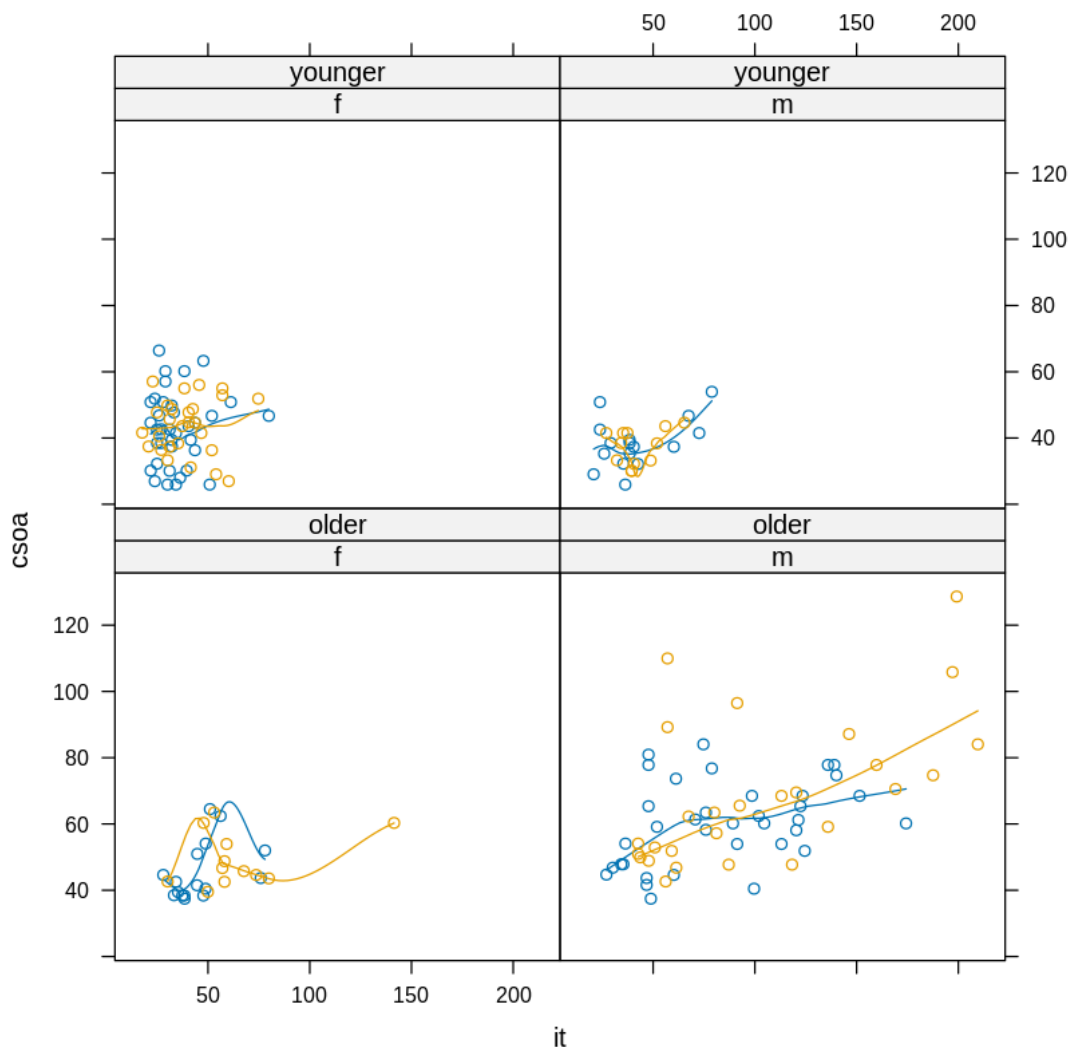


```
[10]: #The two different symbols distinguish between low contrast and high contrast ↵
      ↪ targets.
xyplot(csoa~it|sex*agegp, data=tinting,
       groups=target, auto.key=list(columns=2))
```



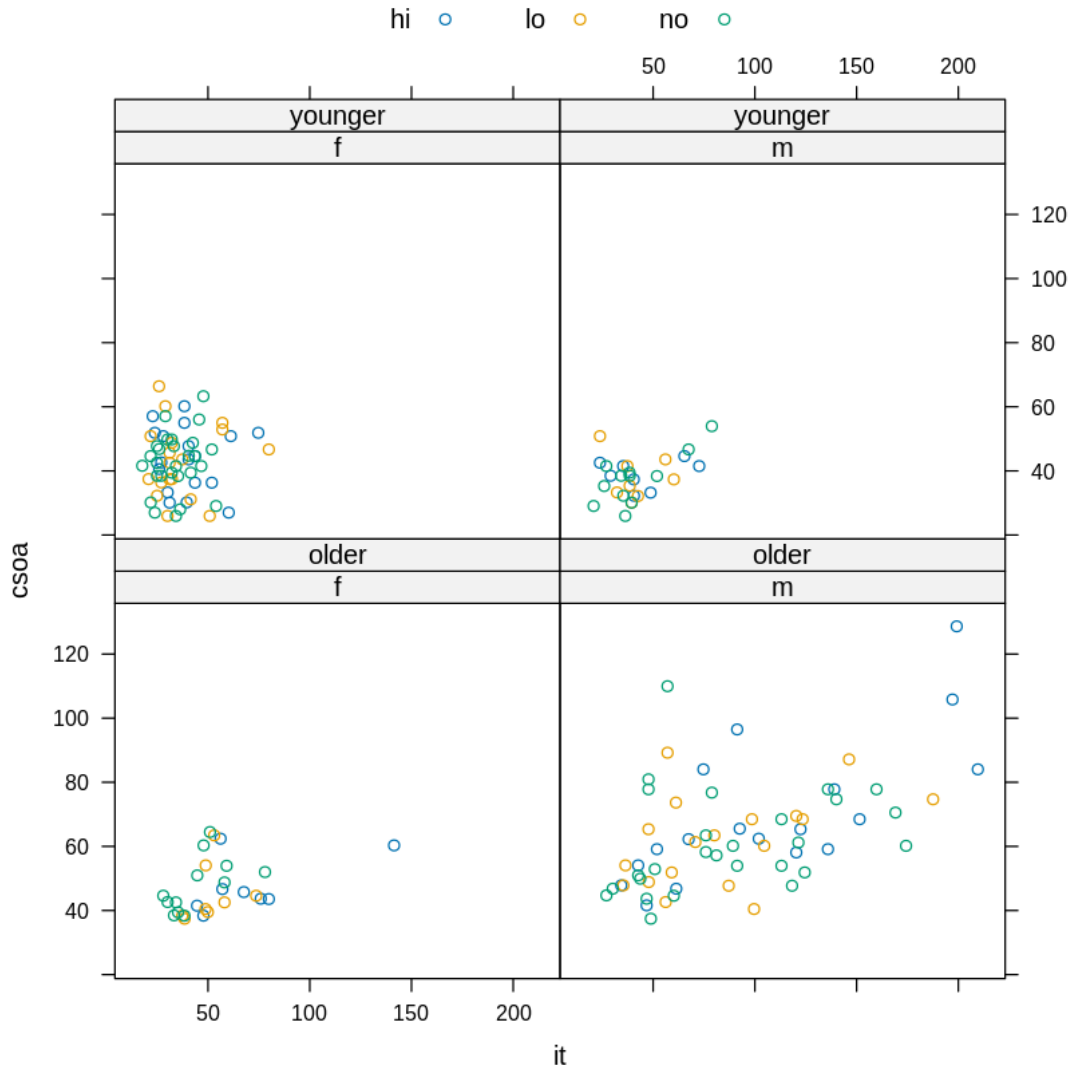
A notable observation is that exceptionally high values for both *csoa* and *it* are only observed among elderly males. It's clear that the extended response times for some elderly males are associated, as anticipated, with the low-contrast target. To illustrate this relationship, smooth curves are separately fitted to the data for the two target types.

```
[11]: xyplot(csoa ~ it | sex * agegp, data = tinting, panel = panel.superpose,
          groups = target, type = c("p", "smooth"))
```



The association between csoa and it appears to be consistent across both contrast levels. In the end, a plot (Figure 15) is created using various symbols (in black and white) to represent different levels of tinting. The highest response times are observed for the high level of tinting.

```
[12]: xyplot(csoa~it|sex*agegp, data=tinting, groups=tint,
auto.key=list(columns=3))
```



1.2 4.2 Some further examples of lattice plots

These are given with a minimum of explanation.

4.2.1 Plotting columns in parallel

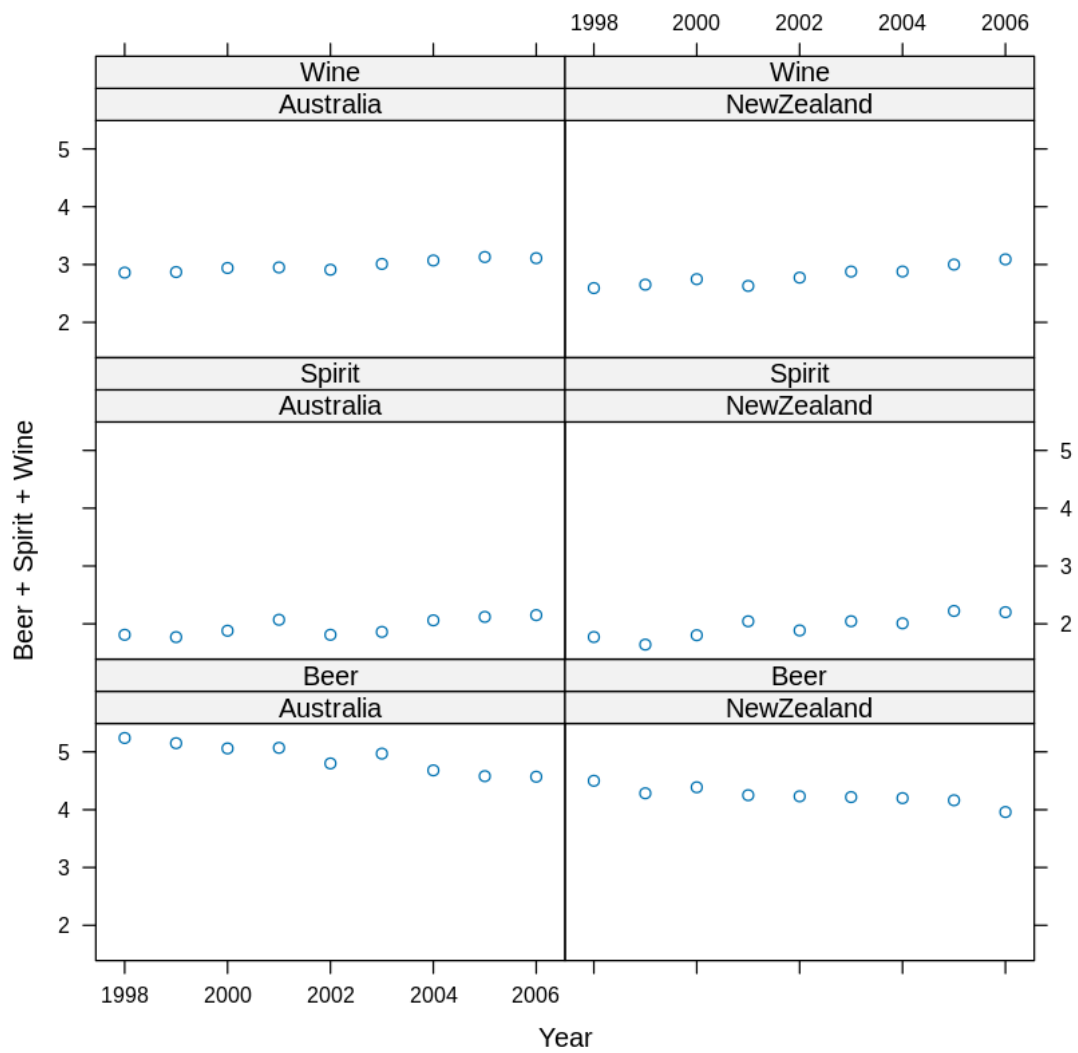
Use the parameter `outer` to control whether the columns appear on the same or separate panels. If on the same panel, it is desirable to use `auto.key` to give a simple key. The following use the dataset `grog` from the `DAAGxtras` package:

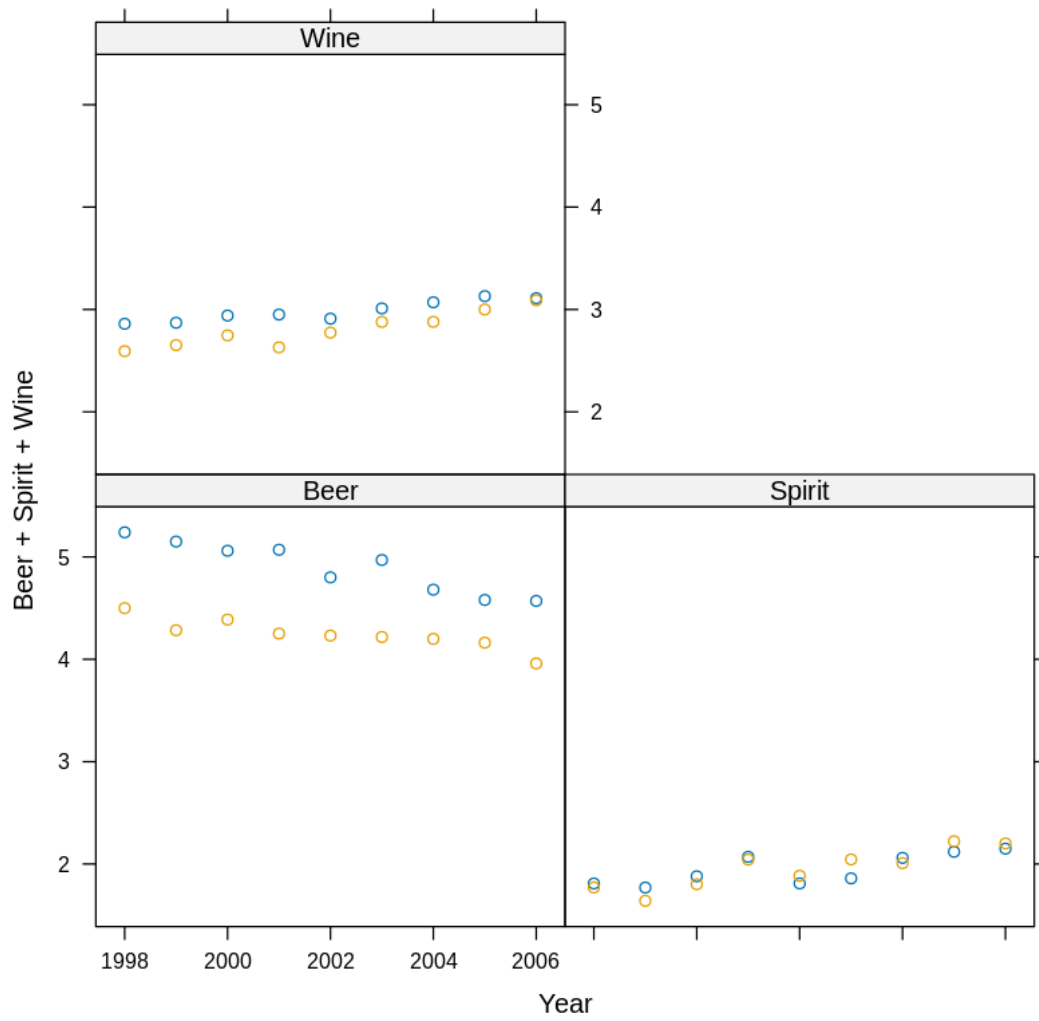
```
[14]: grog <- read.csv("/content/grog.csv")
      grog
      xyplot(Beer + Spirit + Wine ~ Year | Country, outer = TRUE, data = grog)
      xyplot(Beer + Spirit + Wine ~ Year, groups = Country, outer = TRUE, data = grog)
```

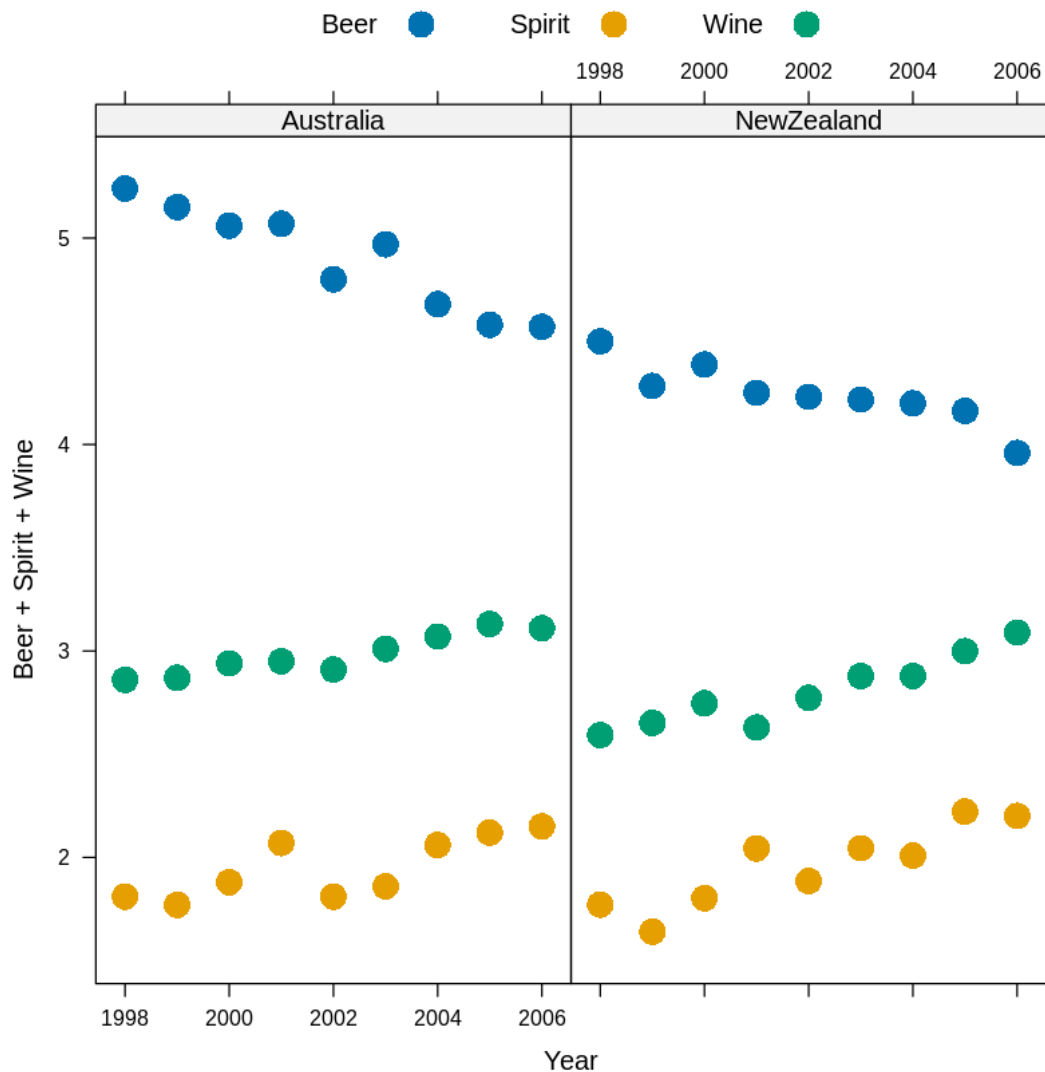
```
xyplot(Beer + Spirit + Wine ~ Year | Country, outer = FALSE, data = grog, auto.
  ↪key = list(columns = 3),
  par.settings = simpleTheme(pch = 16, cex = 2))
```

A data.frame: 18 × 6

rownames <int>	Beer <dbl>	Wine <dbl>	Spirit <dbl>	Country <chr>	Year <int>
1	5.240000	2.860000	1.810000	Australia	1998
2	5.150000	2.870000	1.770000	Australia	1999
3	5.060000	2.940000	1.880000	Australia	2000
4	5.070000	2.950000	2.070000	Australia	2001
5	4.800000	2.910000	1.810000	Australia	2002
6	4.970000	3.010000	1.860000	Australia	2003
7	4.680000	3.070000	2.060000	Australia	2004
8	4.580000	3.130000	2.120000	Australia	2005
9	4.570000	3.110000	2.150000	Australia	2006
10	4.499955	2.592596	1.771449	NewZealand	1998
11	4.283794	2.651694	1.640512	NewZealand	1999
12	4.387809	2.746680	1.802511	NewZealand	2000
13	4.250764	2.629687	2.043550	NewZealand	2001
14	4.231346	2.773365	1.885289	NewZealand	2002
15	4.217866	2.878332	2.044802	NewZealand	2003
16	4.199607	2.879048	2.008345	NewZealand	2004
17	4.162326	2.999341	2.222333	NewZealand	2005
18	3.959409	3.089423	2.201168	NewZealand	2006





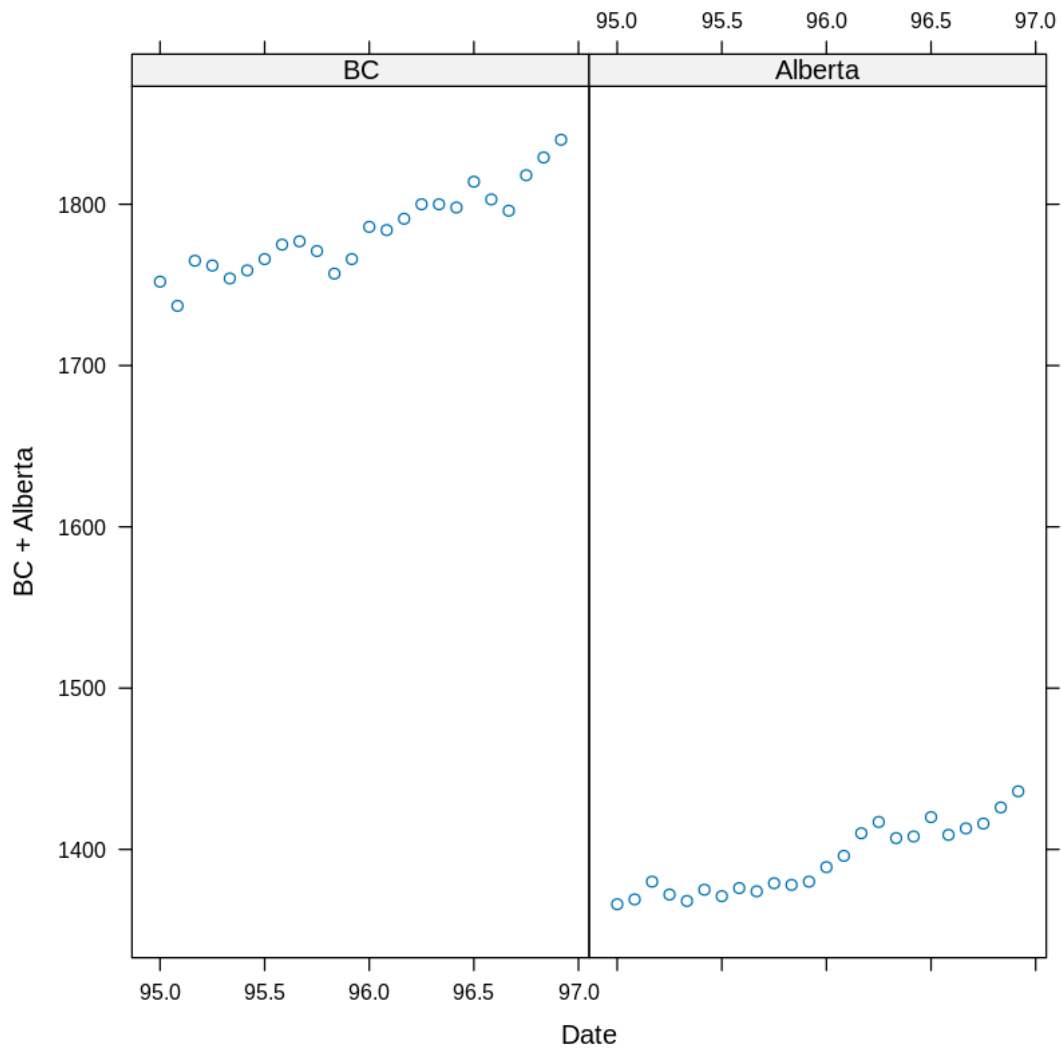


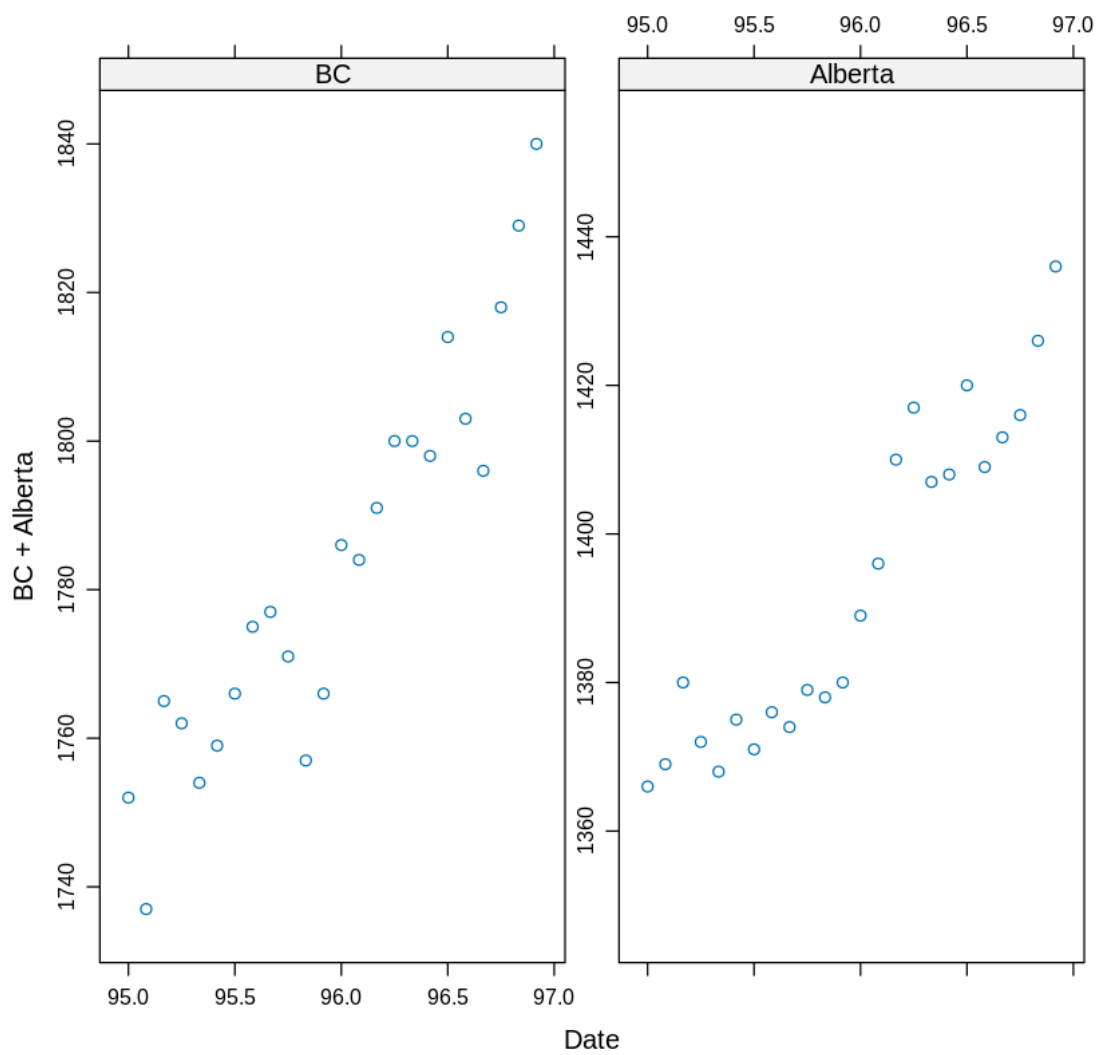
In the final plot, note the use of `simpleTheme()` as a simple mechanism for controlling common parameter settings. Use of the parameter `par.settings` makes the change for the current plot only. Use `trellis.par.set()` to make the changes for the duration of the current device, unless reset.

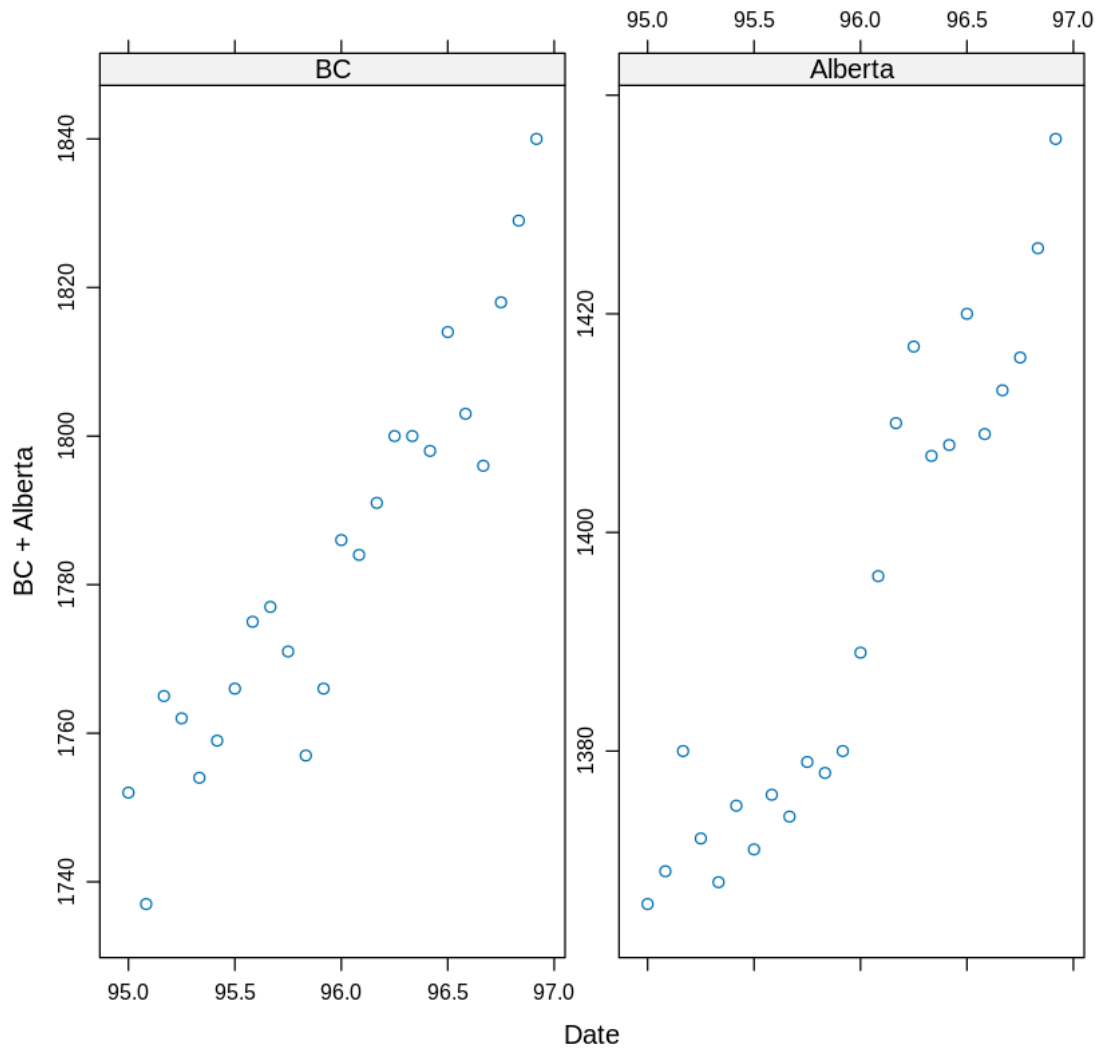
4.2.2 Fixed, sliced and free scales

```
[16]: #library(DAAG)
## scale="fixed"
jobs <- read.csv("/content/jobs.csv")
xyplot(BC+Alberta ~ Date, data=jobs, outer=TRUE)
## scale="sliced" - different slices of same scale
xyplot(BC+Alberta ~ Date, data=jobs, outer=TRUE,
  scales=list(y=list(relation="sliced"))) )
## scale="free" - independent scales
```

```
xyplot(BC+Alberta ~ Date, data=jobs, outer=TRUE,
scales=list(y=list(relation="free"))) )
```







1.3 4.3 An incomplete list of lattice Functions

`splom(~ data.frame) # Scatterplot matrix`
`bwplot(factor ~ numeric , . .) # Box and whisker plot`
`qqnorm(numeric , . .) # normal probability plots`
`dotplot(factor ~ numeric , . .) # 1-dim. Display stripplot`
`factor ~ numeric , . .) # 1-dim. Display barchart`
`character ~ numeric , . .) histogram(~ numeric , . .) densityplot(~ numeric , . .) # Smoothed version of histogram`
`qqmath(numeric ~ numeric , . .) # QQ plot`
`splom(~ dataframe, . .) # Scatterplot matrix`
`parallel(~ dataframe, . .) # Parallel coordinate plots`
`cloud(numeric ~ numeric * numeric, . .) # 3-D plot`
`contourplot(numeric ~ numeric * numeric, . .) # Contour plot`
`levelplot(numeric ~ numeric * numeric, . .) # Variation on a contour plot`

In each instance, conditioning variables can be added. In most cases, a groups parameter can be specified, i.e., the plot is repeated for the groupings within the one panel.

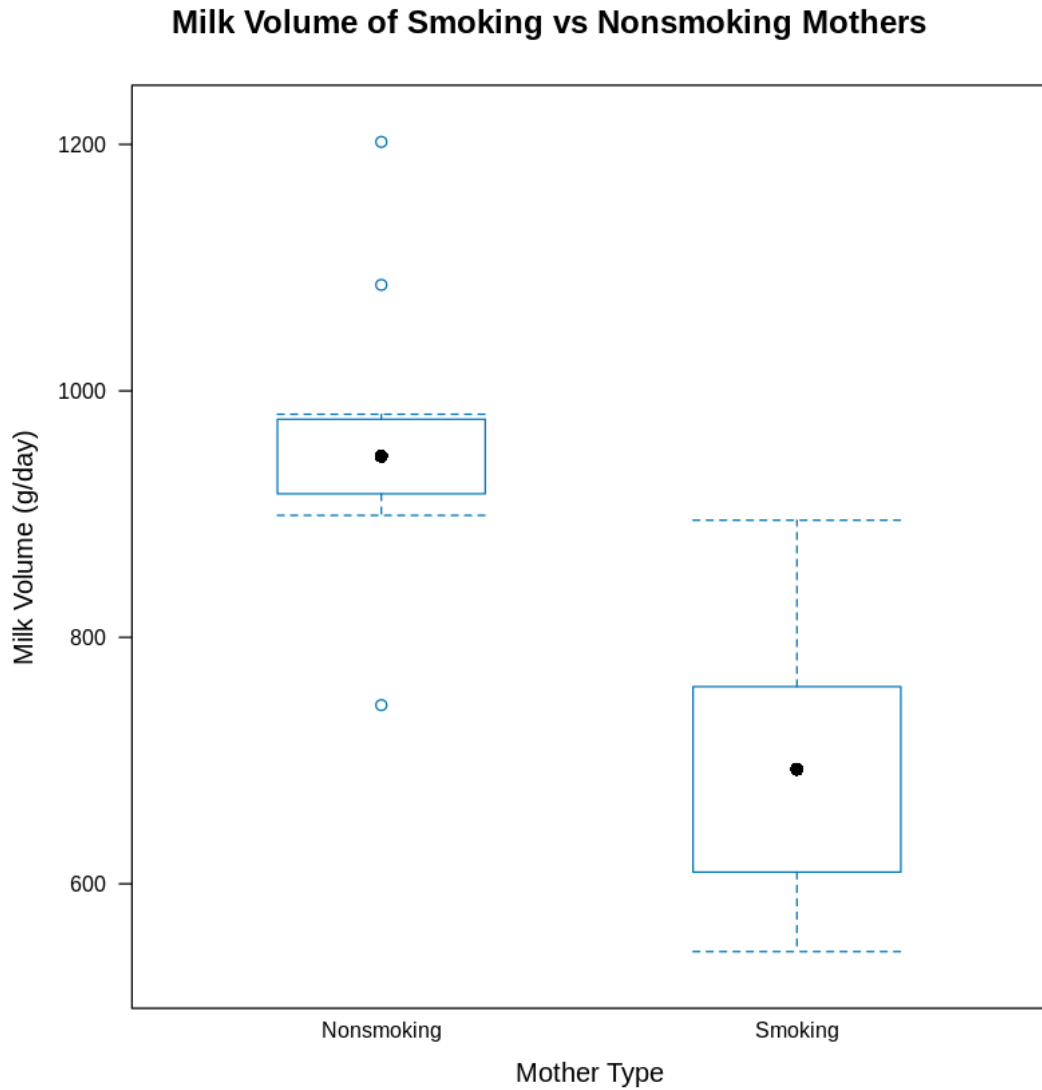
1.4 4.4 Exercises

1. The following data gives milk volume (g/day) for smoking and nonsmoking mothers²⁵: Smoking Mothers: 621, 793, 593, 545, 753, 655, 895, 767, 714, 598, 693 Nonsmoking Mothers: 947, 945, 1086, 1202, 973, 981, 930, 745, 903, 899, 961 Present the data (i) in side by side boxplots (use `bwplot()`); (ii) using a dotplot form of display (use `dotplot()`)

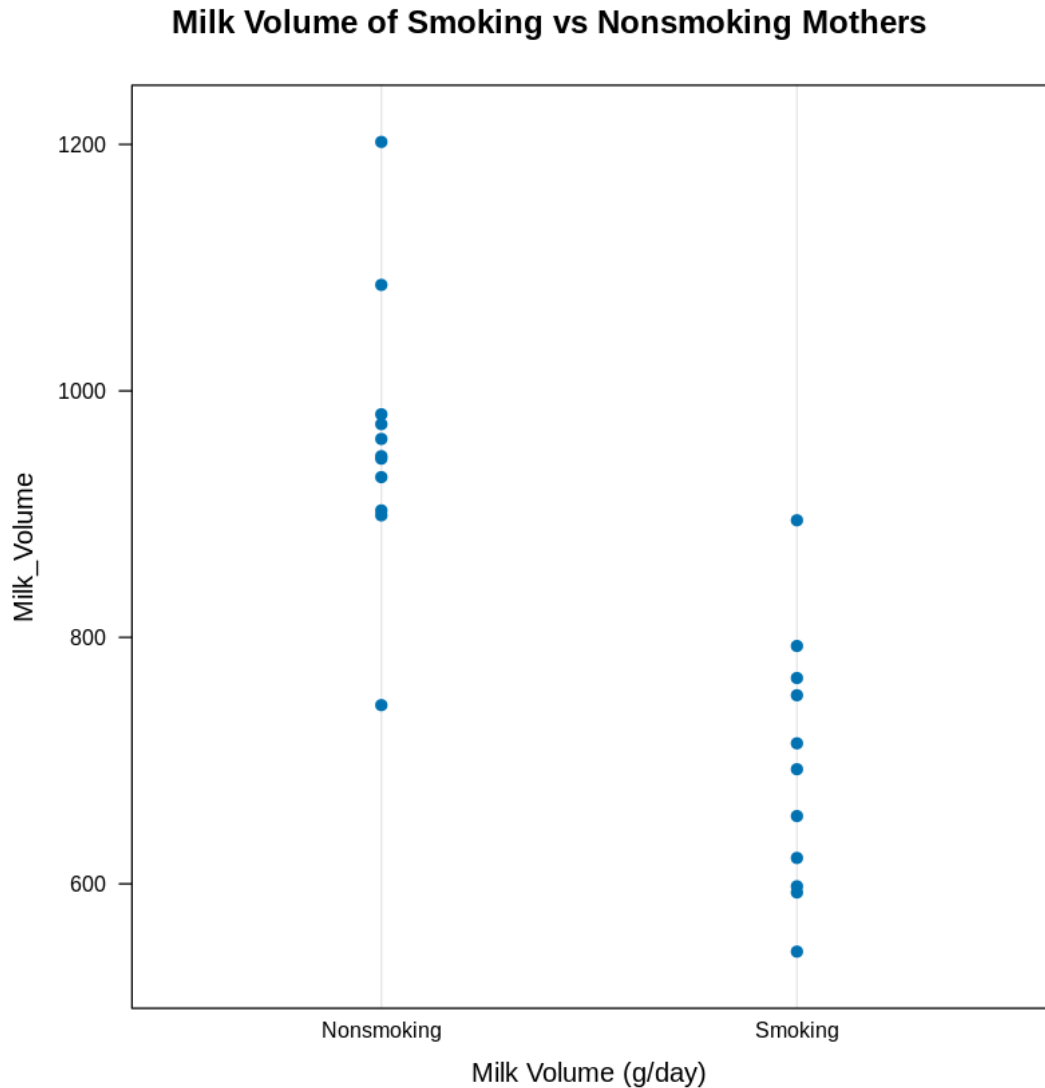
```
[19]: # Smoking and nonsmoking mothers' milk volume data
smoking_mothers <- c(621, 793, 593, 545, 753, 655, 895, 767, 714, 598, 693)
nonsmoking_mothers <- c(947, 945, 1086, 1202, 973, 981, 930, 745, 903, 899, 961)

# Combine the data into a single data frame
mothers_data <- data.frame(
  Milk_Volume = c(smoking_mothers, nonsmoking_mothers),
  Mother_Type = rep(c("Smoking", "Nonsmoking"), each = length(smoking_mothers))
)

# Side by side boxplots
bwplot(Milk_Volume ~ Mother_Type, data = mothers_data,
       xlab = "Mother Type", ylab = "Milk Volume (g/day)", main = "Milk Volume_
of Smoking vs Nonsmoking Mothers")
```



```
[20]: # Dotplot
dotplot(Milk_Volume ~ Mother_Type, data = mothers_data, type = "p", pch = 19,
        main = "Milk Volume of Smoking vs Nonsmoking Mothers", xlab = "Milk_
        ↪Volume (g/day)")
```

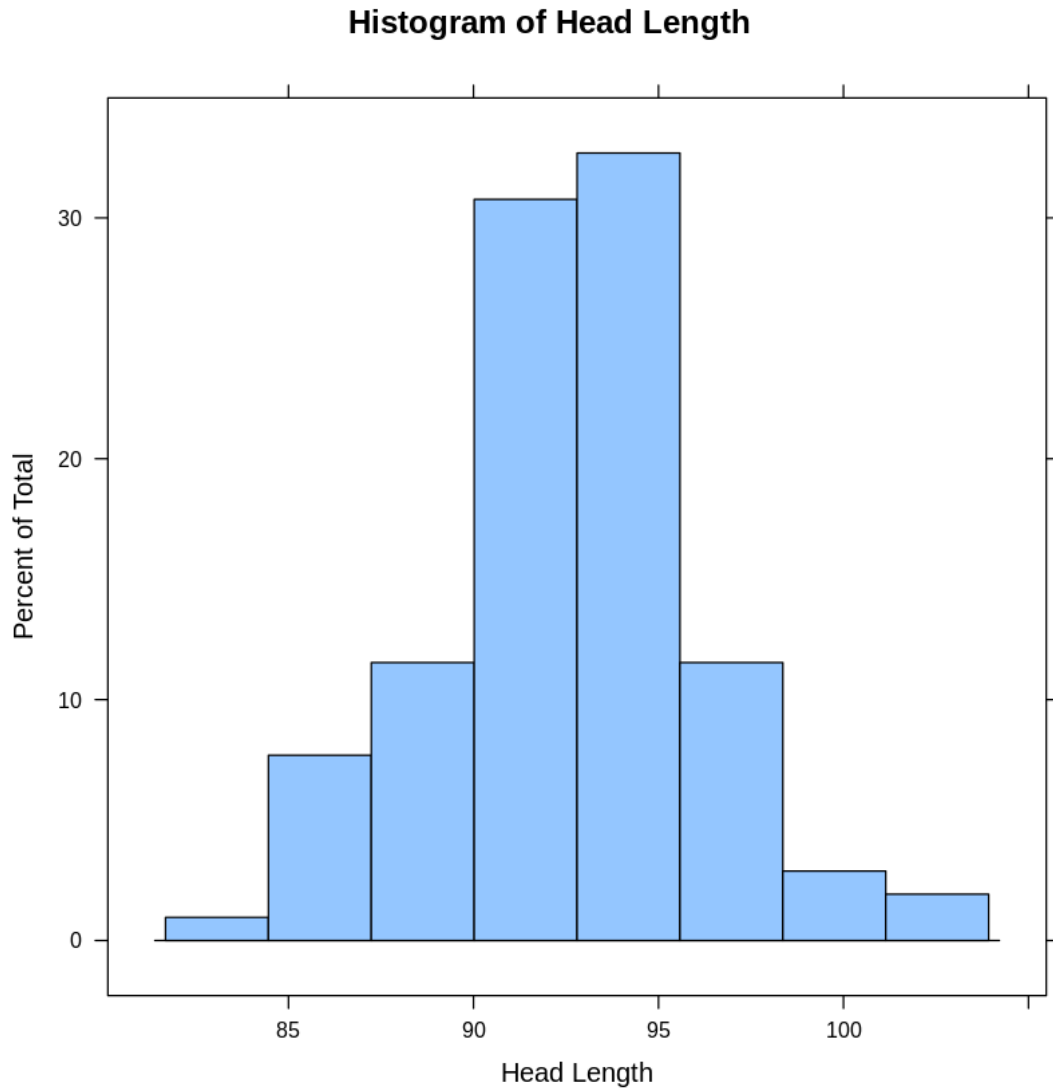


2. For the possum data set, generate the following plots:

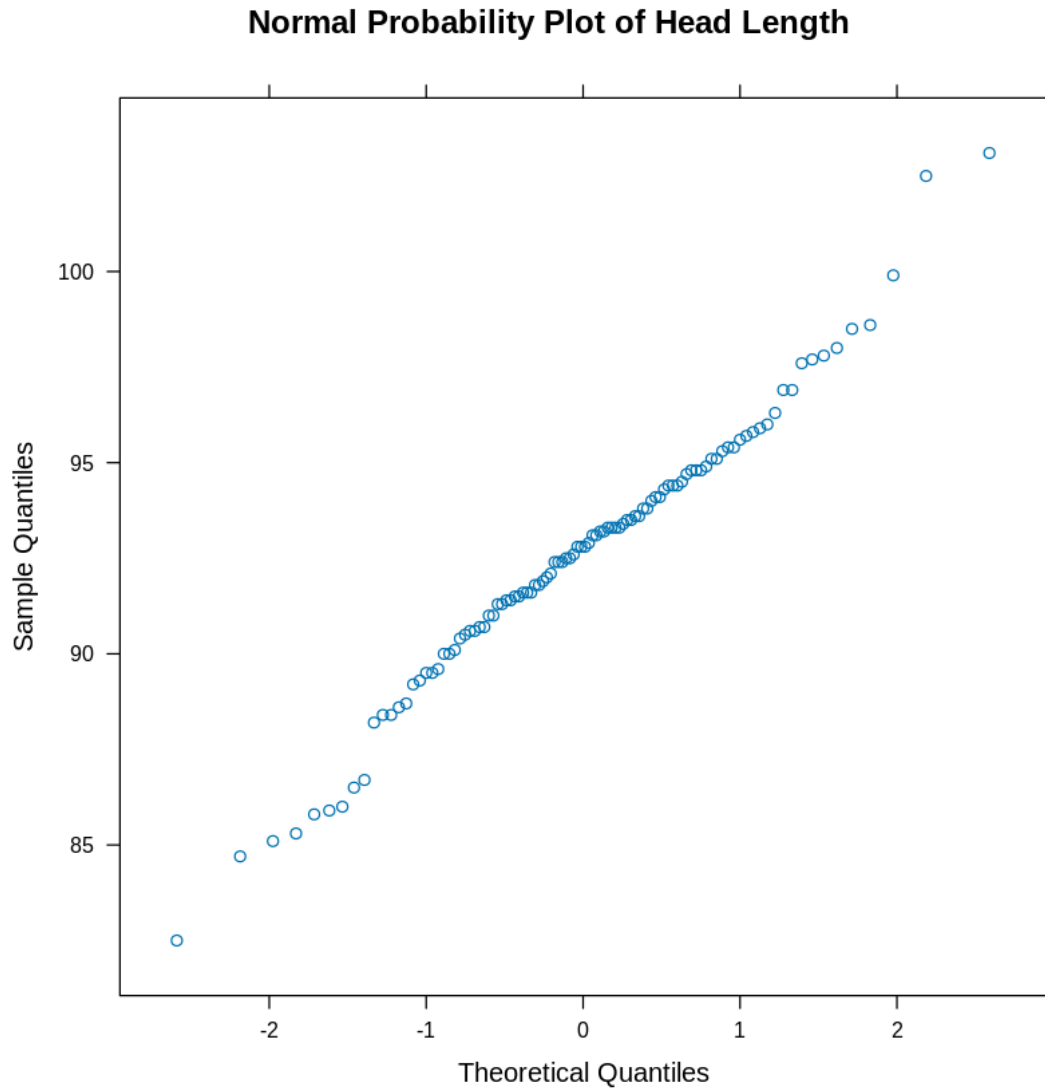
- histograms of `hdlngth` – use `histogram()`;
- normal probability plots of `hdlngth` – use `qqmath()`;
- density plots of `hdlngth` – use `densityplot()`. Investigate the effect of varying the density bandwidth (`bw`).

```
[21]: possum <- read.csv("/content/possum.csv")

# Histogram of hdlngth
histogram(~ hdlngth, data = possum, xlab = "Head Length", main = "Histogram of Head Length")
```

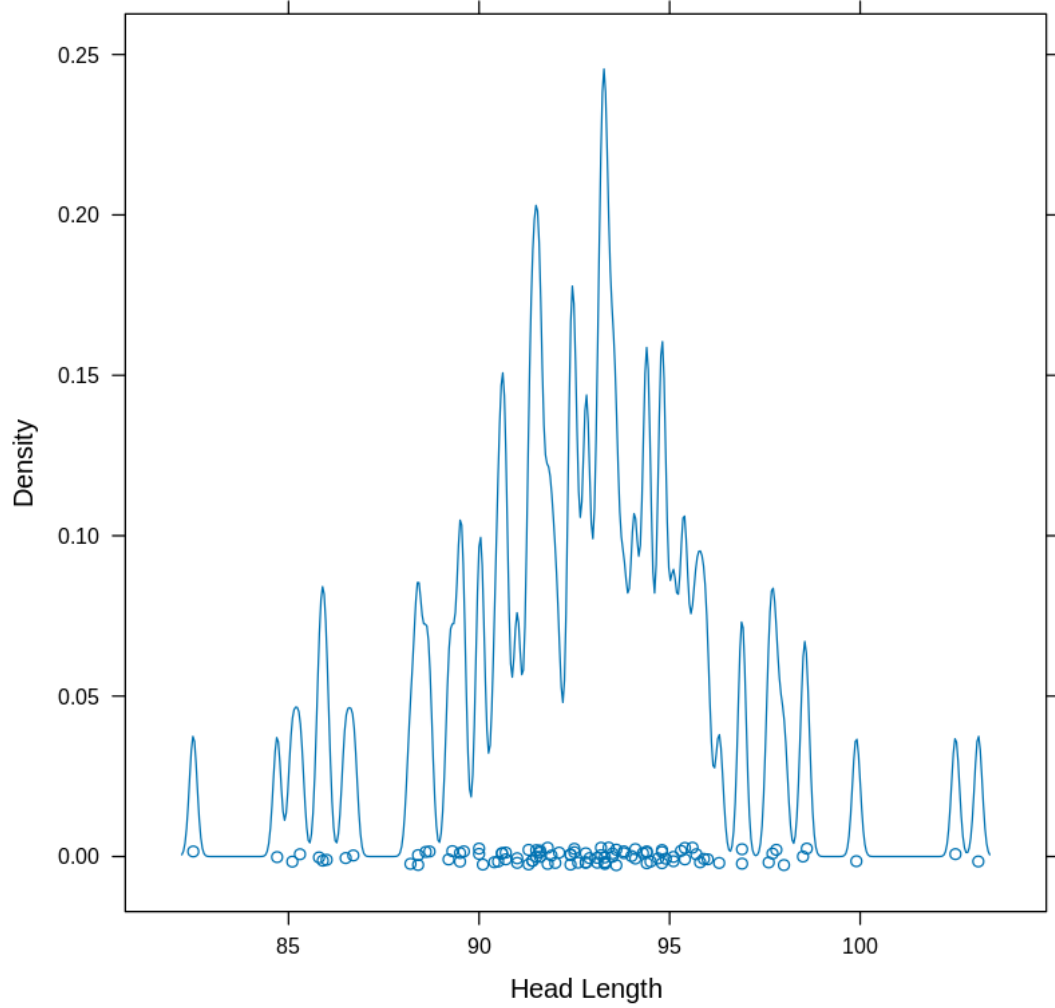


```
[22]: # Normal probability plot of hdlngth
qqmath(~ hdlngth, data = possum, distribution = qnorm,
       xlab = "Theoretical Quantiles", ylab = "Sample Quantiles",
       main = "Normal Probability Plot of Head Length")
```

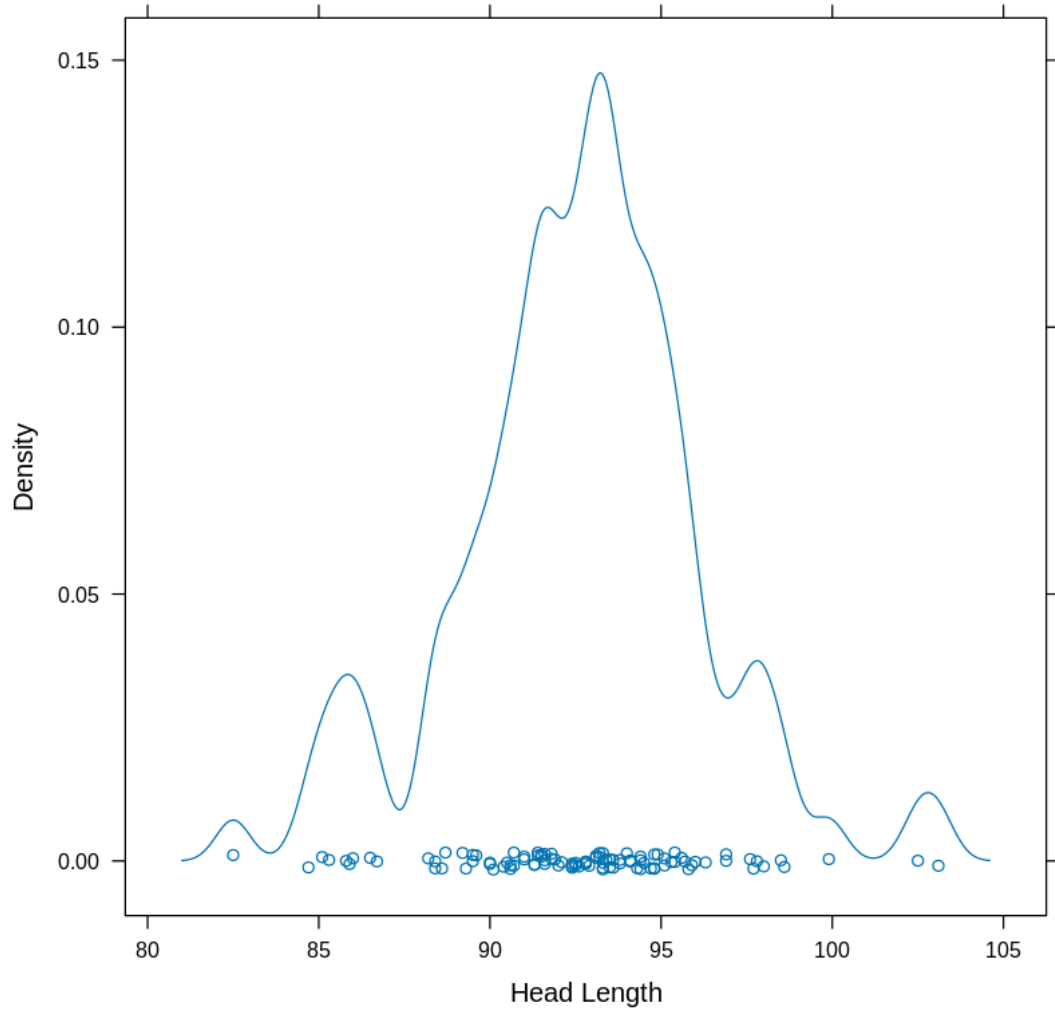



```
[25]: # Density plot of hdlngth with varying bandwidth (bw)
par(mfrow = c(2, 2)) # Set up a 2x2 plotting layout
for (bw in c(0.1, 0.5, 1, 2)) {
  plot <- densityplot(~ hdlngth, data = possum, bw = bw,
                      xlab = "Head Length", main = paste("Density Plot with",
↪Bandwidth =", bw))
  print(plot) # Print each plot explicitly
}
```

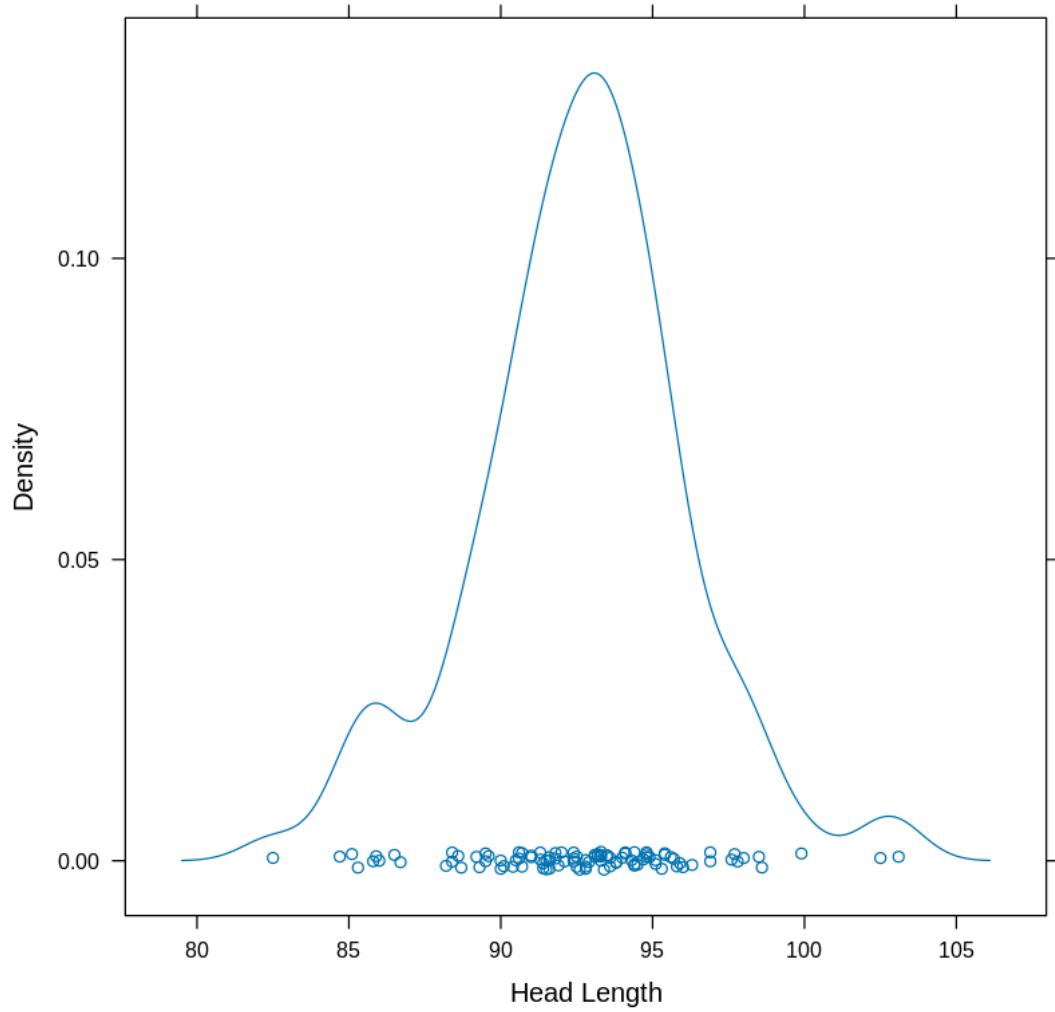
Density Plot with Bandwidth = 0.1

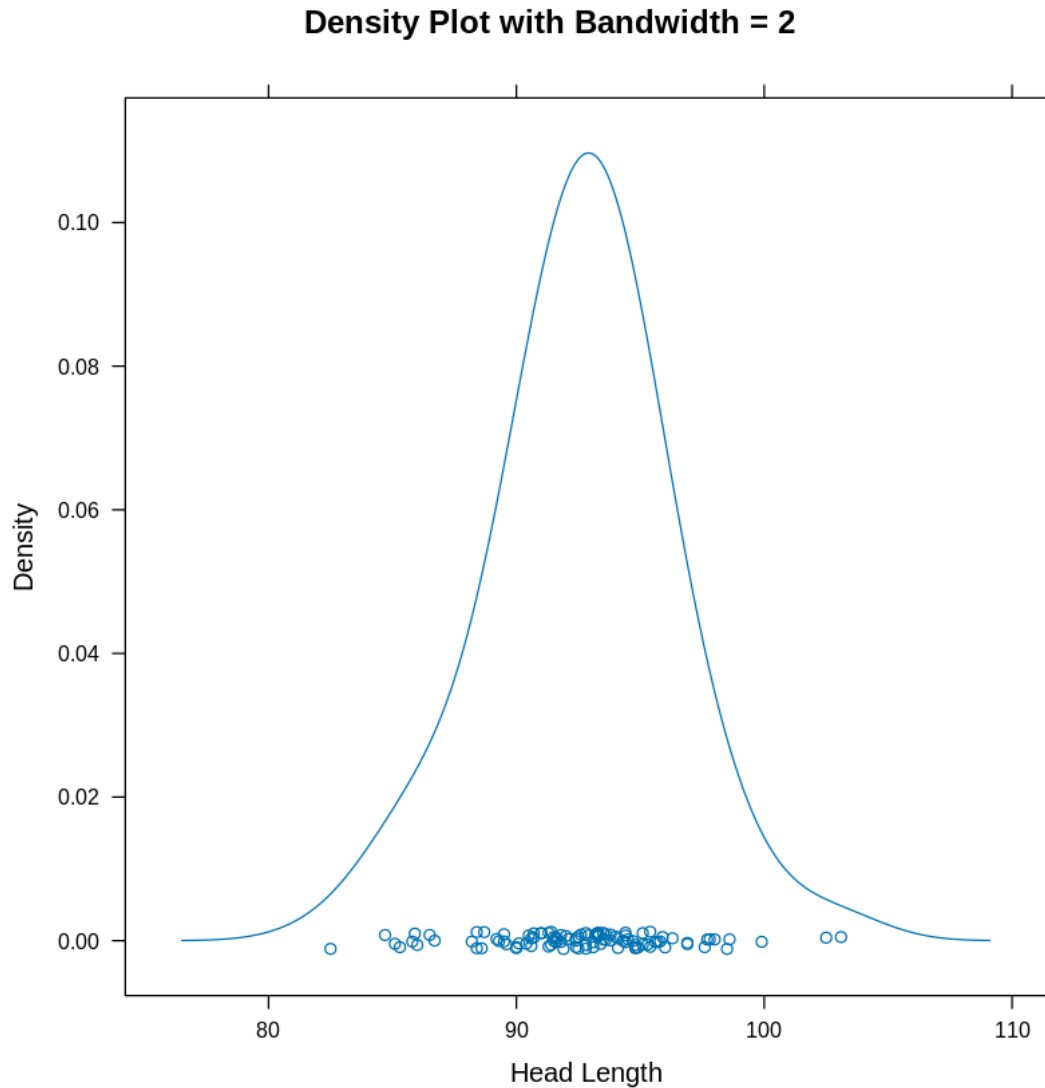


Density Plot with Bandwidth = 0.5



Density Plot with Bandwidth = 1



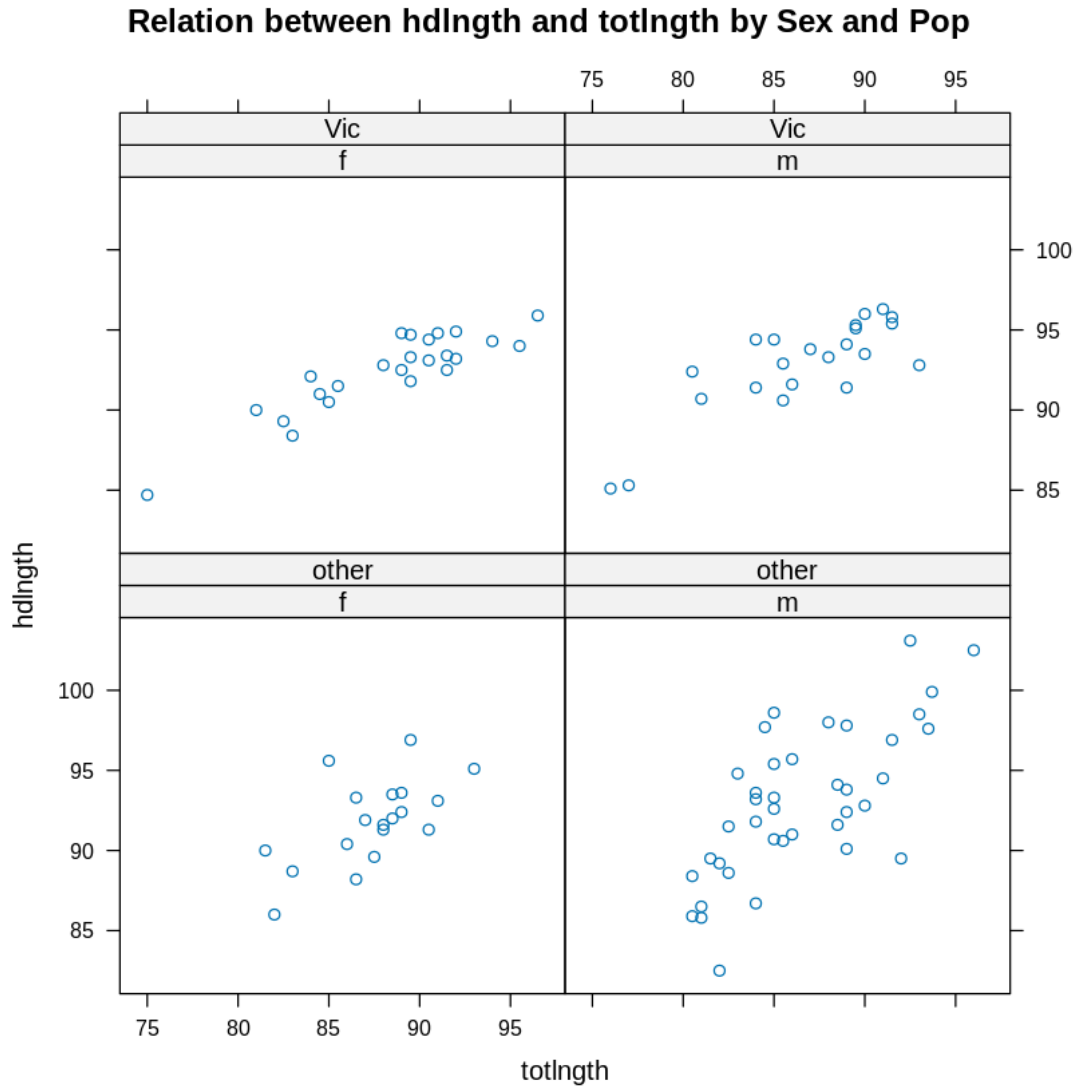


12. The following exercises relate to the data frame `possum` that accompanies these notes:

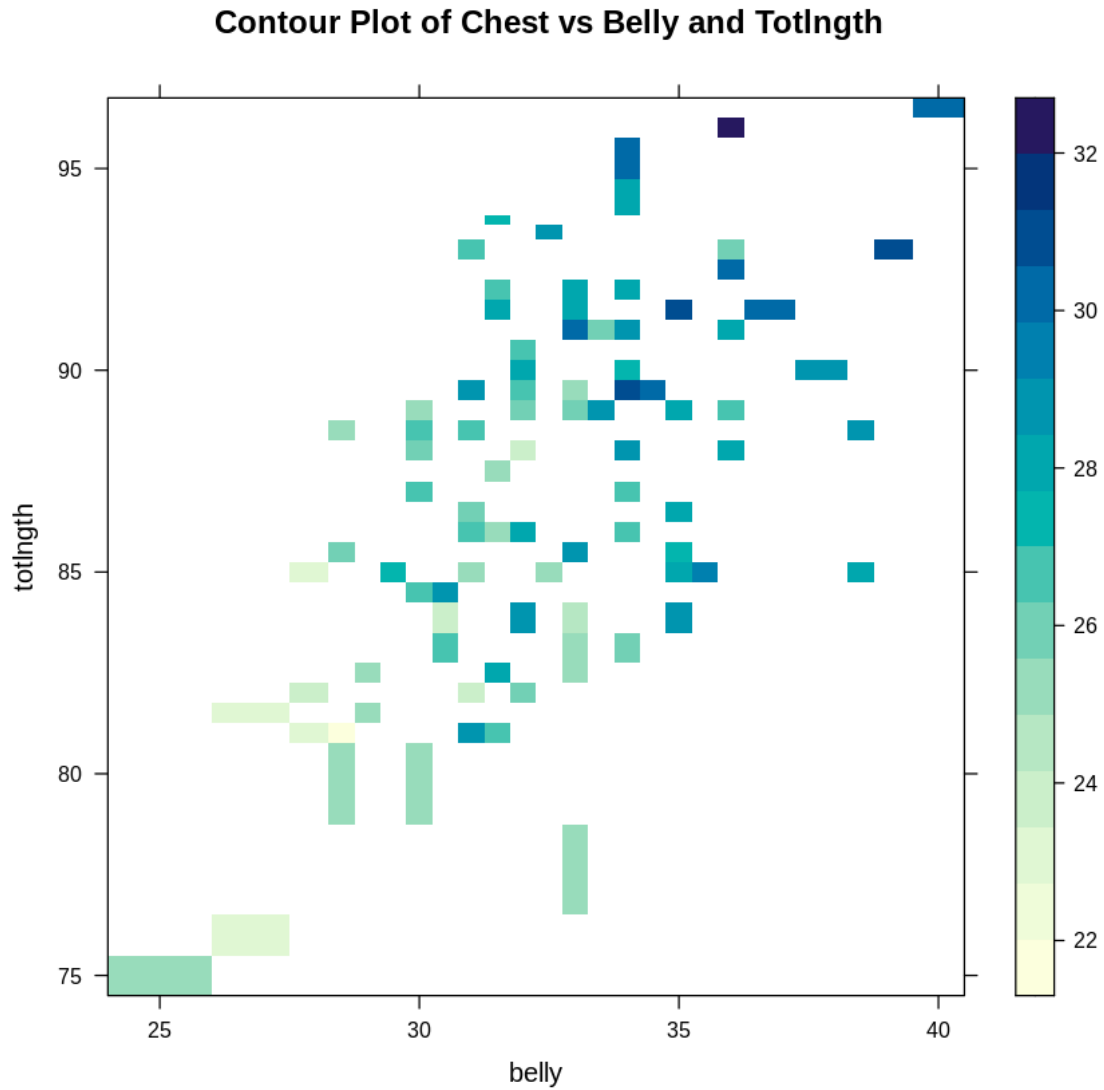
- (a) Using the `xyplot` function, explore the relation between `hdlngth` and `totlngth`, taking into account `sex` and `Pop`.
- (b) Construct a contour plot of `chest` versus `belly` and `totlngth` – use `levelplot()` or `contourplot()`.
- (c) Construct box and whisker plots for `hdlngth`, using `site` as a factor.
- (d) Use `qqmath()` to construct normal probability plots for `hdlngth`, for each separate level of `sex` and `Pop`. Is there evidence that the distribution of `hdlngth` varies with the level of these other factors

```
[26]: library(lattice)
```

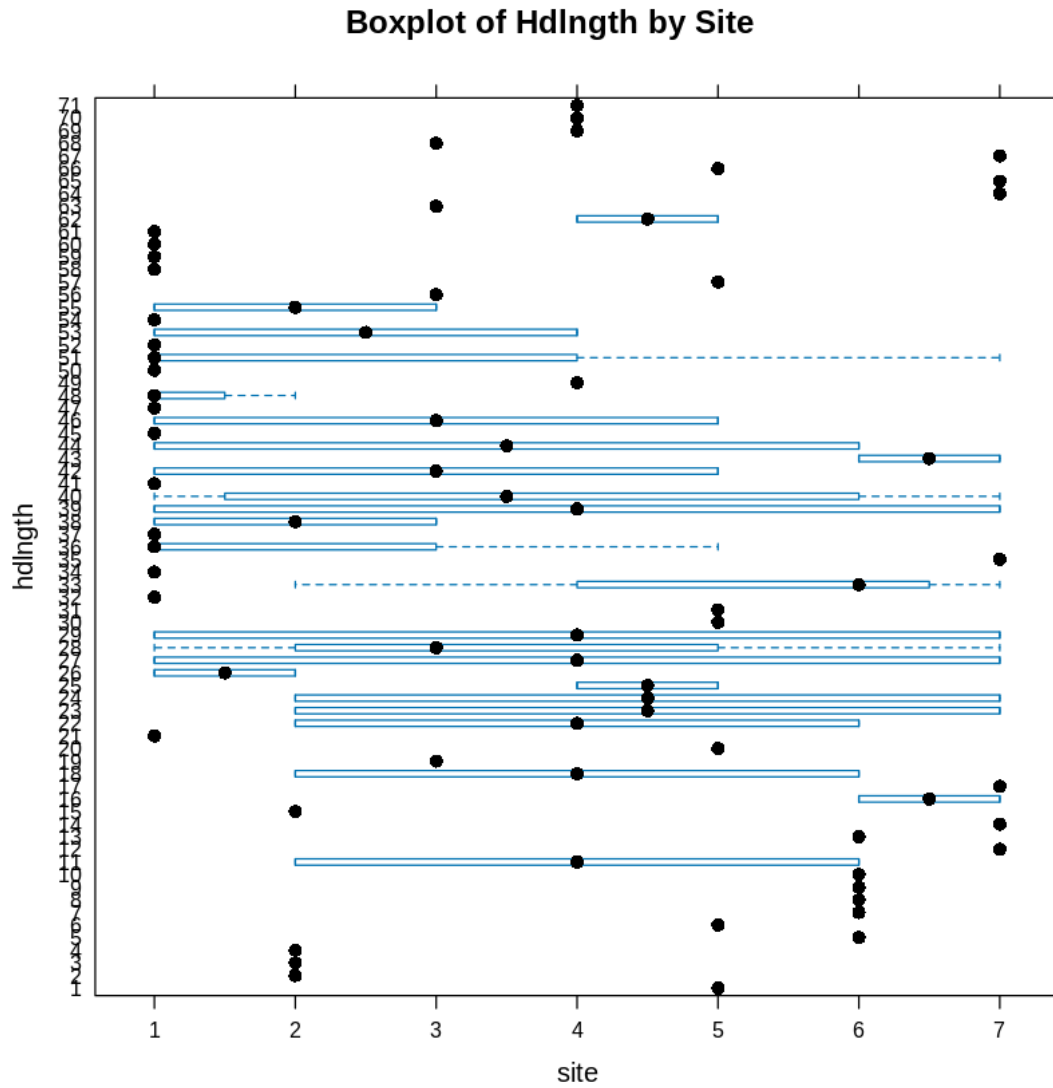
```
# (a) Explore the relation between hdlngth and totlngth, taking into account
  ↳ sex and Pop
xyplot(hdlngth ~ totlngth | sex + Pop, data = possum, main = "Relation between
  ↳ hdlngth and totlngth by Sex and Pop")
```



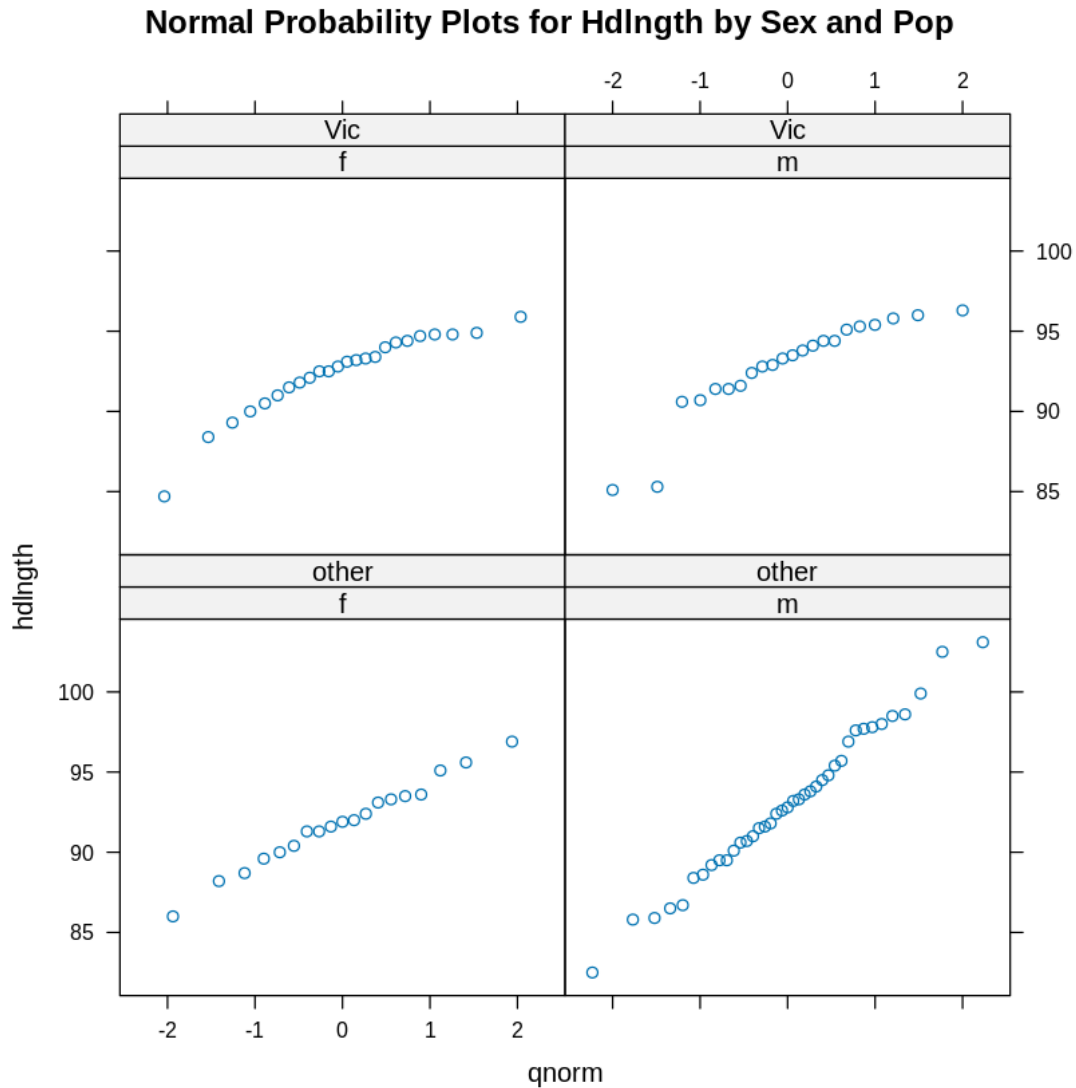
```
[27]: # (b) Construct a contour plot of chest versus belly and totlngth
levelplot(chest ~ belly * totlngth, data = possum, main = "Contour Plot of
  ↳ Chest vs Belly and Totlngth")
```



```
[28]: # (c) Construct box and whisker plots for hdlngth, using site as a factor
      bwplot(hdlngth ~ site, data = possum, main = "Boxplot of Hdlngth by Site")
```



```
[29]: # (d) Use qqmath() to construct normal probability plots for hdlgth, for each
      ↪ separate level of sex and Pop
      qqmath(~ hdlngth | sex + Pop, data = possum, main = "Normal Probability Plots",
      ↪ for Hdlngth by Sex and Pop)
```

13. The frame `airquality` that is in the `datasets` package has columns `Ozone`, `Solar.R`, `Wind`, `Temp`, `Month` and `Day`. Plot `Ozone` against `Solar.R` for each of three temperature ranges, and each of three wind ranges.

```
[30]: # Load the datasets package
library(datasets)

# Load the airquality dataset
airquality <- read.csv("/content/airquality.csv")

# Define temperature ranges
temp_ranges <- cut(airquality$Temp, breaks = 3)
```

```

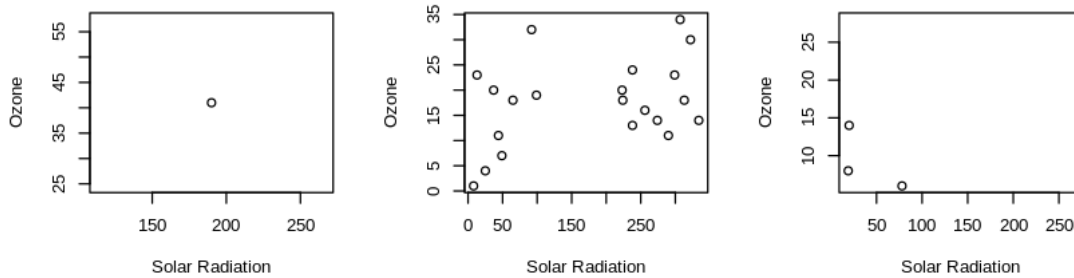
# Define wind ranges
wind_ranges <- cut(airquality$Wind, breaks = 3)

# Create plots for Ozone against Solar.R for each temperature and wind range
par(mfrow = c(3, 3)) # Set up a 3x3 plotting layout

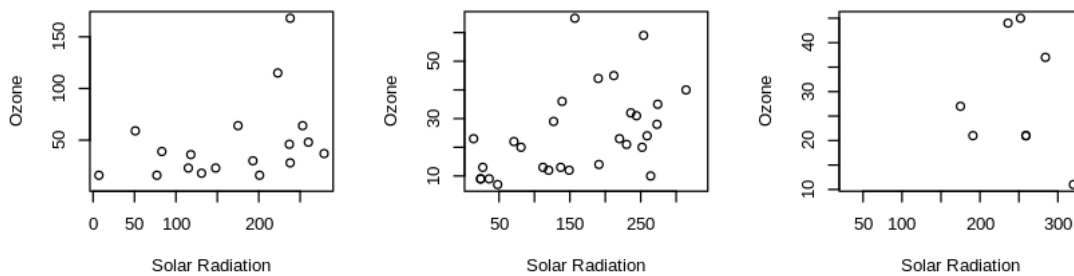
for (temp in levels(temp_ranges)) {
  for (wind in levels(wind_ranges)) {
    subset_data <- airquality[temp_ranges == temp & wind_ranges == wind, ]
    plot(subset_data$Solar.R, subset_data$Ozone,
         xlab = "Solar Radiation", ylab = "Ozone",
         main = paste("Temperature:", temp, "Wind:", wind))
  }
}

```

Temperature: (56,69.7] Wind: (1.68,8. Temperature: (56,69.7] Wind: (8.03,14.4] Temperature: (56,69.7] Wind: (14.4,20.6]



Temperature: (69.7,83.3] Wind: (1.68,8. Temperature: (69.7,83.3] Wind: (8.03,14.4] Temperature: (69.7,83.3] Wind: (14.4,20.6]



Temperature: (83.3,97] Wind: (1.68,8. Temperature: (83.3,97] Wind: (8.03,14.4] Temperature: (83.3,97] Wind: (14.4,20.6]

