

$$\Rightarrow (1) 14 \div d$$

$$d = 433 \% 5 + 3$$

$$= 2 + 3 = 5$$

$$\begin{array}{r} 84 \\ 5 \overline{) 420} \\ \underline{20} \\ 20 \\ \underline{20} \\ 0 \end{array}$$

$$\Rightarrow 14 \div 5$$

non
(a) restoring

Divisor in binary : 0101
Dividend in binary : 11011

n	A	Q	Action
4	00000	1110	initial
4	00001	110	Lshift
4	11100	110	A-M
4	11100	1100	Ro-0
3	11001	100	Lshift
3	11110	1000	A+M
3	11110	0000	Ro-0
2	11101	000	Ro-0 Lshift
2	00010	0000	A+M
2	00010	000	Ro-1
1	00100	001	Lshift
1	11111	001	A-M
1	11111	0010	Ro-0

Final A+M

00100 0010

Remainder = 00100. $\rightarrow 4$
Quotient = 0010 $\rightarrow 2$

(b) restoring

Divisor $\rightarrow 5 \rightarrow 0101$

Dividend $\rightarrow 14 \rightarrow 11011$

n	A	Q	Action
4	00000	1100	initial
4	00001	110	Lshift
4	1100	110	subtract
84	0001	1100	Set Q ₀ and restore A
3	00011	100	Lshift
3	1110	100	subtract
3	0011	1000	Set Q ₀ and restore A
2	0111	000	Lshift
2	00010	000	subtract
2	00010	0001	Set Q ₀
1	00100	001	Lshift
1	1111	001	subtract
1	0100	0010	Set Q ₀ and restore A

Remainder - 0100 $\rightarrow 4$

Quotient - 0010 $\rightarrow 2$

(i) N1

$$S=0$$

$$E^1 = 10000101$$

$$\text{in decimal} = E^1 = 133.$$

$$= 133 - 127 = 6$$

$$\therefore 1.010100 \times 2^6$$

$$10010100 = \text{Binary of no 1}$$

$$\text{Decimal of NO 1} = 84$$

N2

$$S=0$$

$$E^1 = 10000010$$

$$E^1 = 130 \Rightarrow E = 130 - 127 = 3$$

$$= 1.0011 \times 2^3$$

$$= 10011 = \text{Binary of no}$$

$$\text{Decimal} = 9.5$$

~~Decimal~~

$$84 + 9.5 = 93.5$$

$$\text{Binary of } 93.5 = 101101.1$$

$$\Rightarrow 1.0111011 \times 2^6$$

$$E = 6$$

$$E^1 = 127 + 6 = 133$$

$$E^1 = 10000101$$

$$M = 01110110000 \quad S=0$$