

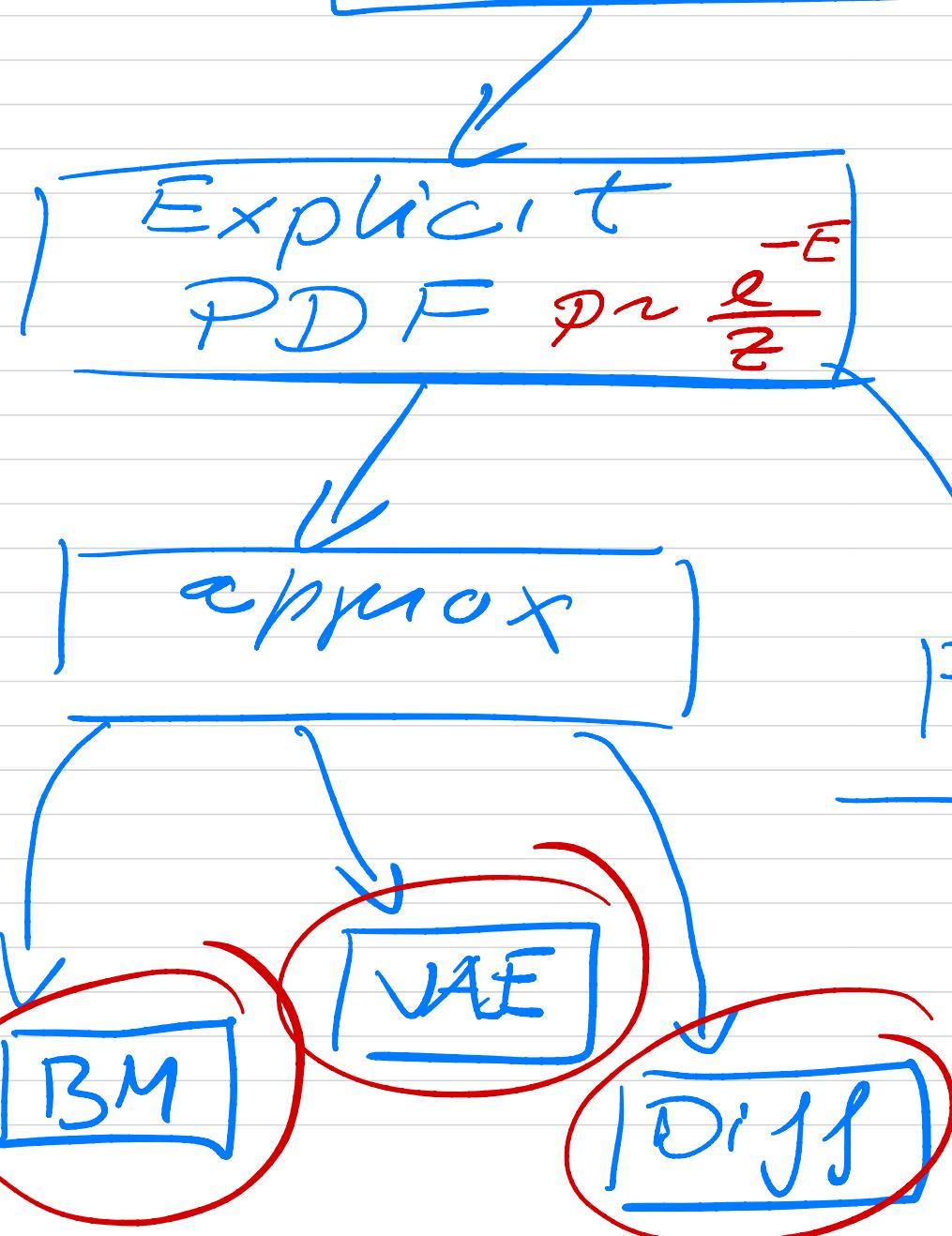
FYS5429/9429,
lecture May 15

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Discriminative methods

- NN
- CNN
- RNN + LSTM
- Autoencoders

Generative methods



We want

$$P_E(x) = \int_{h \in H} dh P_E(x, h)$$

$\tilde{x} \sim P_E(x)$ marginal
probability

$$\hat{e} = \arg \max_e P_E(x)$$

$$P_E(x, h) = P_E(x|h) P_E(h)$$

VAE

Latent
spaces

$$\frac{1}{P(h|x)}$$

$$\frac{1}{\sum_{h=1}^H P_G(h)}$$

$$h \leq X$$

$$P(h|x) \sim q_d(h|x)$$

X-space

Dataset

$$\tilde{x} \sim p(x)$$

Decoder
 $P_E(x|h)$

$$P_E(x) = \sum_h P_E(x|h) \times P_E(h)$$

A typical setting for G and D is a simple NN

G (architecture)

- input-layer, with a 100-dim vector sampled from a Gaussian distribution. Latent space, $H \subseteq X$
- Different dense layer
- Reshape layer (784)

D and its architecture

- initial layer receives input
(MNIST $\underbrace{28 \times 28}_{784}$)
- hidden layers (reduce dim.)
- last layer has one unit with a sigmoid with 0 or 1
 - 0 = fake
 - 1 = real image

Kullback-Leibler divergence

$$D_{KL}(P \parallel Q) = \int_{x \in D} P(x) \log \frac{P(x)}{Q(x)} dx$$

$$D_{KL}(P \parallel Q) = 0 \quad \text{if } P(x) = Q(x)$$

$$\text{E}_{x \sim P(x)} \left[\log \frac{P(x)}{Q(x)} \right]$$

Jensen-Shannon (JS)

$$D_{JS}(P||Q) =$$

$$\frac{1}{2} D_{KL}\left(P \parallel \frac{P+Q}{2}\right) +$$

$$\frac{1}{2} D_{KL}\left(Q \parallel \frac{P+Q}{2}\right)$$

$$D_{KL}(P||Q) = \int p(x) \underbrace{\log \frac{p(x)}{q(x)}}_{\text{KL term}} dx$$