

Complete Beginner For loop-2



Structure of for loop :

for(initialisation; condition check; update) {

// statement & loop work

}

int i=1;
for(;; i<=4; i++) {
| SOP(i);
}

→

for(0, , 0) {
SOP("hello");
}

int i=1;
for(i) {
SOP(i);
}
}
└ compile time
Error.
} → generate infinite time

NOTE: We can skip any of three part

i.e. initialisation, condition check & update.

important → semicolon (;) must be present.

Problem: First digit , last digit

↳ Given N, print first digit and last digit of a Number.

last digit

Ex

N = 74328

first digit = 7

int ld = N % 10;

last digit = 8

int fd = 0; Before loop

[print all digits]

first

digit = fd

N

7432

743

74

7

0

condition check
N > 0

true.

true

true

true.

true

[false] → Break point of loop.

loop work
N % 10

fd = 8

fd = 2

fd = 3

fd = 4

fd = 7

update-
N = N / 10

7432

742

74

7

0

value of fd after the loop?

$$\boxed{fd = 7}$$

code.

```
int N = sum.nextInt();
int ld = N % 10;
int fd = 0;
for( ; N > 0 ; N = N / 10) {
    fd = N % 10; OR fd = N
}
}
```

Number of factors:

print all the factors of a number?

Definition of factor: factor of number N will be any

number that completely divides N.

$N \% i = 0$ that means 'i' is
factor of 'N'

$N = 24 \rightarrow 1, 2, 3, 4, 6, 8, 12, 24$

$N = 48 \rightarrow 1, 2, 3, 4, 6, 8, 12, 16, 24, 48$

\Rightarrow { smallest factor of any Num^b = 1 Range of [1, N]
 largest factor = N }

Any number greater than N, can be factor] x .

↓

conclusion

initialise	$i = 1;$
condition	$i \leq N$
update	$i = i + 1$ OR $i++$
loop work	\rightarrow check if ' i ' is factor or not \Rightarrow
	$N \% i == 0$
	i is factor of N .

```

int N = scm.nextInt();
for( int i=1; i<=N; i++ ) {
    if ( N% i == 0 ) {
        sop(i);
    }
}

```

what happens if
 $i = 0$

Problem: Prime Numbers

Definition of prime Number: A number which is divisible by 1 and itself is known as prime Number.

↳ Edge case : $N = 1$

N is divisible by 1
 N is divisible by N



1 is Exception

Correct definition: A positive number for which count of factors is equal to 2 (i.e. 1 and N itself) is called prime Number.

smallest prime Number = 2

<u>N</u>	factor Count	factor.	status
factor Count (\perp)	= 1	\perp	not prime
factor Count (2)	= 2	$\perp, 2$	prime.
factor Count (11)	= 2	$\perp, 11$	prime.
factor Count (0)	= infinite	$N - \{0\}$	prime is define for <u>$N > 1$</u>

$$\text{dividend} = \text{quotient} * \text{divisor} + \text{remainder}$$

$N=0$ → $\begin{cases} N \% 1 = 0 \\ N \% 2 = 0 \\ N \% 3 = 0 \\ \vdots \\ N \% i = 0 \end{cases}$ → that means 2 is factor
Exception " " " 3 " "
" there is infinite number of factor for 0.

$$\underline{\underline{N/i = 0}} \quad i \in \text{Every number}$$

$$0 = q * 0 + 0 \quad \text{Except } \underline{\underline{i=0}}$$

infinite factor

Composite Number: Any number which can be created using primes numbers are called composite Number.

$$\begin{array}{ccc} \xleftarrow{\quad} & \overbrace{2+5}^{\text{prime prime}} & \xrightarrow{\quad} \\ \underline{\underline{N=10}} & & \end{array}$$

$$\begin{array}{ccc} \xleftarrow{\quad} & \overbrace{2 \times 2 \times 3}^{\text{prime prime prime}} & \xrightarrow{\quad} \\ \underline{\underline{N=12}} & & \end{array}$$

$$7 = \overbrace{7}^{\text{prime}} * \overbrace{1}^{\text{prime}}$$

Given a number N , print whether it "prime" or "composite"
or "neither prime nor composite".

Approach: check if no. of factors is equal to '2'
then if it is equal $\rightarrow N \rightarrow$ prime otherwise not.

How to find factor: Try to divide every number from
1 to N . if $N \% i == 0$, i is factor
increas count of factn.

$N > 0$

int $N = \text{scn.nextInt();}$

int factorCount = 0;

for (int $i = 1; i \leq N; i++$) {
 if ($N \% i == 0$) {
 factorCount++;
 }
}

}

if (factorCount == 1) {

 SOP ("Neither prime Nor composite");

} else if (factorCount == 2) {

 SOP ("prime");

} else {

 SOP ("composite");

}

N = 6:

factor Count = 0

true → factor Count ++

i

i <= N

N % i == 0

i++

(1)

true.

factor Count = 1

2

(2)

true.

factor Count = 2

3

(3)

true.

factor Count = 2

4

(4)

true.

—

5

(5)

true.

—

(6)

(6)

true.

factor Count = 4

7

(7)

False] → Break point of loop

factor Count

if (f. C. == 1) {

f. C. = 4

S.O.P (n. prime . n. comp.);

3 else if (f. C. == 2) {

S.O.P. (prime);

3 else {

S.O.P. (Composit); → composite.

}

Question : check N is prime or not)

N = 24

i

i <= 24

factor Count

when factor count ≥

1

true.

1

we have to
STOP now

2

true.

2

3

true.

3

4

true.

4

5

} wasteage
of
time.

true.

4

6

true.

5

.

.

4

:

!

4

(3)

4,

5,

4,

4,

4,

→ stop here
to save
cpu time.

Is there any construct available in language from

which we can stop the loop

↪ Using 'break' we can stop the loop

```
int fc = 0;
```

break → it will stop

```
for (int i=1; i<=N; i++) {
```

just outer loop.

```
    if (N % i == 0) {
```

```
        fc++;
```

```
}
```

```
    if (fc == 3) {
```

{ S.O.P. (composite) ;

↪ break;

```
}
```

```
    if (fc == 1) {
```

```
        S.O.P. ( n.p.n.c );
```

```
    } else if (fc == 2) {
```

```
        S.O.P. ( composite );
```

```
}
```

int i = 1; skipped ⇒ true
for (①; ②; ③) i = 1.
 if (i == 5) {
 break;
 }
 ④ S.O.P. ("Hello");
 ⑤ i++;

1. → initialisation. → skip.
2. → condition. → skip ≡ true
3. → update → skip.

Condition.	Loop work	update
true.	if check printing	increment
false.	Hello	i = 2
false.	Hello	i = 2.
false	Hello	i = 4. 4 times.
false	Hello	i = 5.

true

↪ Loop will stop because
of break statement.

Problem: Find all the odd numbers.

Point all the odds numbers from 1 to 10.

```

for(int i=1; i<=10; i=i+2) {
    S.O.P(i);
}

if(i%2==0) {
    // i → is even
    // continue;
    S.O.P(i); → print even
}
else {
    // i → is odd
    // continue;
    S.O.P(i); → print odd number
}

```

problem: print all numbers from 1 to 10 except 2 & 8 &.

$N=10 \rightarrow 1 \ 3 \ 4 \ 6 \ 7 \ 8 \ 9 \ 10$

```
for( int i=1; i<=10; i++ ) {
```

if ($i = 2$) {
 break;
 }
 true
 }
 unreachable
 SOP(i);
 i = i + 1; }

if(i != 2) {
SOP(i);
 } i = 3 }
 AND
 issue is clear >x

上
2

1

construct → continue → skip current

```
for( int i=1; i<=10 ; i++ ) {
```

Handwritten pseudocode diagram:

```
if (i == 2 || i == 5) {  
    continue;  
    skip Statement  
    L  
    q.  
}  
SOP(i);
```

The diagram illustrates a loop structure. The condition `i == 2 || i == 5` is highlighted with orange underlines. If the condition is true, the execution continues directly to the label `L`, which is aligned with the label `q.`. If the condition is false, the code block `continue;` is executed. The label `L` is also associated with the label `q.`

$\{ \leq 1^{\circ}$

true
true
true
true
true

The diagram illustrates three types of loop control statements:

- break**: A red curved arrow labeled "break" points from the label "break" at the bottom to the condition part of a `for` loop. The condition part contains the expression `i < 5`. The loop body contains the assignment `i = i + 1`.
- continue**: A red curved arrow labeled "continue" points from the label "continue" at the bottom to the condition part of a `for` loop. The condition part contains the expression `i < 5`. The loop body contains the assignment `i = i + 1` and the label "skip entire".
- exit**: A red curved arrow labeled "exit" points from the label "exit" at the bottom to the condition part of a `for` loop. The condition part contains the expression `i < 5`. The loop body contains the assignment `i = i + 1` and the label "loop work".

NOTE: If "continue" is encountered

skip entire loop work
for current iteration & move for next iteration.

Doubt + Session

for(break →) { stop just outer loop. continue.

for(; ;) {

for(; ;) {

if(town) {

```
if( four ) {
```

break

~~out lot 3~~

Answer

中華書局

1000 QUESTIONS

if () {

→ Continu;

11

Statement 1

Statement 2

1

move

Next

Point all the pointers for 1 to N.

for(int n=1; n<=N; n++) {

{ Number = n → check if '1' is prime or not
 { put the logic to check if n is
 prime or not.

3

convert double into ceil number & floor number?

type casting
double n = 8.77

$$\underline{\text{ceil}}(8.77) = \underline{\text{gnt}}(8.77 + 1) = 9 -$$

$$\underline{\text{floor}}(8.77) = 8 \quad \hookrightarrow \frac{n+1}{n} = 0 \text{ as ceil}$$

int f = (int)n;]|| floor

if (int $\underline{\underline{(8.00+1)}}$ = $\underline{\underline{8(n+1)}}$ = $\underline{\underline{8+1}}$ = 0) {
 n is in Integral form
 ceil = n; } = 8.97

else {

$$\underline{\underline{\text{ceil} = (\text{int})(n+1);}}$$

$$= (8.97 + 1) = 9 \quad ||-$$