

$$f[T\_ , RH\_ ] := \text{Log}[(RH / 100) * \text{Exp}[(b - T / d) * (T / (c + T))]]$$

$$\text{Tdp}[T\_ , RH\_ ] := (c * f[T, RH]) / (b - f[T, RH])$$

$$\text{Tdp}[T, RH]$$

$$\frac{c \text{ Log} \left[ \frac{1}{100} e^{\frac{T \left( b - \frac{T}{d} \right)}{c+T}} RH \right]}{b - \text{Log} \left[ \frac{1}{100} e^{\frac{T \left( b - \frac{T}{d} \right)}{c+T}} RH \right]}$$

$$b - \text{Log} \left[ \frac{1}{100} e^{\frac{T \left( b - \frac{T}{d} \right)}{c+T}} RH \right]$$

This represents the Arden Buck equation, relating the relative humidity to the dew point at a certain ambient temperature T [[http://en.wikipedia.org/wiki/Dew\\_point](http://en.wikipedia.org/wiki/Dew_point)].

$$b = 18.678$$

$$c = 257.14$$

$$d = 234.5$$

$$18.678$$

$$257.14$$

$$234.5$$

The units of parameters b and c are degrees Celcius. Hence, we can obtain the relationship between relative humidity and dew point at an ambient temperature as

$$\text{Tdp20}[RH\_ ] := \text{Tdp}[20, RH]$$

$$\text{Tdp20}[RH]$$

$$\frac{257.14 \text{ Log}[0.0382576 RH]}{18.678 - \text{Log}[0.0382576 RH]}$$

$$18.678 - \text{Log}[0.0382576 RH]$$

$$RH[\text{Tdp}\_] := \text{InverseFunction}[\text{Tdp20}][\text{Tdp}]$$

$$RH[\text{Tdp}]$$

$$e^{\frac{1.56811 \times 10^{19} + 4.10013 \times 10^{17} \text{ Tdp}}{4.80511 \times 10^{18} + 1.86867 \times 10^{16} \text{ Tdp}}}$$