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Actgaben Eigenschatten von Funktionen 1
 a) punktsymm. × = 0
                                      Y5 =0
 b.) punktsymm. x_{\nu_1} = 0 y_{\nu_2} = 0

c.) achseus ymm. x_{\nu_3} = -\frac{\sqrt{27}}{2} x_{\nu_2} = 0 x_{\nu_3} = \frac{\sqrt{27}}{2} y_{s} = 0
 d.) punktsymm. * = -2 + = 0 + = 2 /s = 0
2)a)p(x): DB: xER + - 0
      g'(x) : DB : x \in \mathbb{R}, \quad x = 0
   b.) f(x): f(x) = f(-x) + f(-x) = -\frac{4x}{x^2+7}
                ((x) + ((x) =) beine Achseus ymmetrie
          -\ell(x) = \frac{-4x}{x^2+1} = 2\ell(-x) = -\ell(x)
3.) DB: xER, Sy (0/2) => punktsymm.
     0 = 2 + 2 \sin(0.5.31) = 2 + 2 \sin(\frac{3}{2}11)
                                                                  11 11
     0=2-2.1=0
4.) DB: x \in \mathbb{R}  x_{k} = 0  = \frac{20x}{(x^{2}+3)^{2}} - (x) = \frac{-20x}{(x^{2}+3)^{2}} = punktsymm.
    lim P(x)=0 =) Y=0
5.) DB : + \in \mathbb{R}, + \neq \frac{13}{2}
x_{\nu_1} = 3
x_{\nu_2} = \frac{3}{2}
x_{\nu_1} = 3
x_{\nu_2} = 3
     P(-x) = \frac{(-x)^2 - 9}{(-x)^2 - \frac{9}{4}} \qquad P(-x) = \frac{x^2 - 9}{x^2 - \frac{9}{4}}
      f(-x) = f(x) \Rightarrow achsensymmetrisch
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6.) $DB: \times \in \mathbb{R}, \times \neq 1$ NSI: $O = \times^2 + 3 \times - \times$ $\times_1 = -2, \quad \times_2 = 0$

leine waagerechte tsymptote

senkrechte As ymptote: x = 1

schrage Asymptole: