(Q1)

Solution:

$$S_{V} = \{-a_{1}b_{1}c_{1}c_{1}\}$$

where a,b,candd are numbers of my choice

between 1 and 9.

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So
$$S_V = \{-1, 4, 7, 2\}$$
 $Z = V^3$ $S_Z = \{-1, 64, 343, 8\}$

Px (-1) = 1/4

$$E[Z] = -1 \times \frac{1}{4} + 64 \times \frac{1}{4} + 343 \times \frac{1}{4} + 8 \times \frac{1}{4}$$

$$P_{x}(-3) = P_{x}(1) = P_{x}(3) = 1/3$$

$$P = \frac{V^2}{R} = \frac{V^2}{\frac{1}{3}} = 2V^2$$

(Q3)

solution:

$$\lambda = \frac{3}{1} = \frac{3}{60} = \frac{1}{20}$$

(i) More than 1 constaner in 30 seconds:

$$X = \frac{1}{10} \times 30 = \frac{3}{2}$$

Name: Shah Raza Reg no: 18 PWCSE1658 $P[N < 1] = \sum_{K=0}^{1} (x)^{K} e^{-x}$ $= \sum_{K=0}^{1} (\frac{3}{2})^{K} e^{-\frac{3}{2}}$ $= \sum_{K=0}^{2} (\frac{3}{2})^{K} e^{-\frac{3}{2}}$ $= \sum_{K=0}^{2} (\frac{3}{2})^{K} e^{-\frac{3}{2}}$ $= 1 e^{-\frac{3}{2}} + \frac{3}{2} e^{-\frac{3}{2}}$ $= 0.223 + \left(\frac{3}{3}\right)(0.223)$ P[N<1]= 0.5575 P[N>1] = 1-0.5575 P[N>1] 0.4425 (ii) less than or equal to 1 collitoner in 2 mins. t= 1205 $X = \frac{1}{20} \times 120 = 6$ $P[N<1] = \sum_{k=0}^{1} \frac{(x)^k}{k!} e^{-x}$ $= \frac{(6)^0}{0!} e^{-6} + \frac{6}{1!} e^{-6}$ $= \frac{(6)^0}{0!} e^{-6} + \frac{6}{1!} e^{-6}$ P[N<] = 0.0025 + 0.1482

(24)

dolutions

Characteristic Function:
$$E[e^{j\omega x}] = \int_{0}^{\infty} \lambda e^{j\omega x} dx$$

$$= \lambda \int_{0}^{\infty} e^{-\lambda x + j\omega x} dx$$

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$$= \lambda \int_{0}^{\infty} e^{-\lambda x} dx$$

First Moment:

$$E[\lambda'] = \frac{1}{j} d \phi \omega (\omega) |_{\omega=0}$$

$$= \frac{1}{j} d \omega (\lambda - j\omega)$$

$$= \frac{1}{j} [(\lambda - j\omega) \frac{d}{d\omega} \lambda - \lambda \frac{d}{d\omega} (\lambda - j\omega)]$$

$$= \frac{1}{j} [(\lambda - j\omega)^{2}]$$

$$= \frac{1}{j} [(\lambda - j\omega)^{2}] \omega = 0$$

Name; Shah Raza

Reg no: 18PWC12158

$$E[x] = \frac{1}{j} \phi'(w)|_{w=0}$$

$$= \frac{1}{j} \left[\frac{\lambda j}{(\lambda - j\omega)^2}\right]_{\omega=0} = \frac{1}{j} \left(\frac{\lambda j}{\lambda^2}\right)$$

$$E[X] = \frac{1}{\lambda}$$

Jecond Moment. (ii)

$$E[X^2] = \phi_X''(\omega)$$

$$= 0 - d \left(\lambda^2 - 2\lambda j \omega - \omega^2 \right) (\lambda j)$$

$$d\omega \qquad (\lambda - j \omega)^4$$

$$= 2\lambda^2 j^2 + 2\lambda j \omega$$

$$= \frac{-2\lambda(\lambda-j\omega)}{(\lambda-j\omega)^{4}}$$

$$= \frac{-2\lambda}{(\lambda-j\omega)^{3}}$$

$$=\frac{-2\lambda}{(\lambda-j\omega)^2}$$

Name: Shah Roza Reg no: 18 PWCSE1608 $E[X^{2}] = \frac{1}{j^{2}} \left(\frac{-2\lambda}{(\lambda - j^{2}\omega)^{3}} \right) |_{\omega=0}$ $=\frac{1}{3^2}\left(-\frac{2\lambda}{\lambda^3}\right)$ $=\frac{1}{-1}\left(\frac{-2\lambda}{\lambda^3}\right)=\frac{2}{\lambda^2}$ F[X2]= 2 (AM) Probability Generating function

 $SV = \{-2, -1, 1, 2\}$ PCTF is only for Non-Negative value and integers. $(7x(Z) = E[Z^*] = \sum_{k=0}^{\infty} P_X(k)Z^k$ $Z = Z^1 \times \frac{1}{4} + Z^2 \times \frac{1}{9}$ $(7x(Z) = \frac{1}{4}(Z^1 + Z^2).$