### APPLICATION OF FOURIER SERIES

LAB # 09



#### **CSE301L Signals & Systems Lab**

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Class Section: **B** 

"On my honor, as a student of University of Engineering and Technology, I have neither given nor received unauthorized assistance on this academic work."

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## Lab Objectives:

Objectives of this lab are as follows:

- Power of Continuous & Discrete time Signals
- Application of Fourier Series
- Synthesis of Square Wave
- Synthesis of Triangular Wave

### **Task # 1:**

Calculate the power of discrete-time cosine signal with period 20, defined over interval 0:19 using the following formula:

$$P = \frac{1}{N} \sum_{n=1}^{N-1} |x[n]|^2$$

## **Problem Analysis:**

Choose a cosine signal and put the values in the above formula to find the power of the signal and plot the signal.

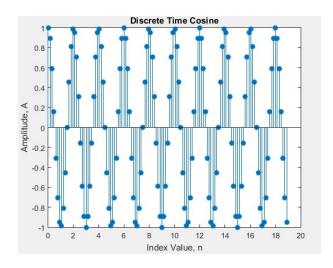
## Code:

```
\begin{array}{lll} n=0.0.15:19; & \% \ time \ duration \ of \ given \ signal; \\ x=\cos(2^*pi^*n/2); & \\ stem(n, x, 'filled'); & \% \ plot \ signal \\ xlabel('Index \ Value, n'); & \\ ylabel('Amplitude, A'); & \\ title('Discrete \ Time \ Cosine'); & \\ abs\_x\_2 = abs(x).^2; & \% \ Absolute \ square \ of \ signal \\ N=20; & \% \ length \ of \ interval \\ delta\_n=0.25; & \% \ interval \ duration \\ px=sum(abs\_x\_2)^*delta\_n/N & \end{array}
```

### **Result:**

Power of the signal, px = 0.4775

## **Output:**



## **Task # 2:**

Analyze the effect of Adding 1st to 17th harmonics and the effect of Adding 1st to 27th harmonics in above example.

### Code:

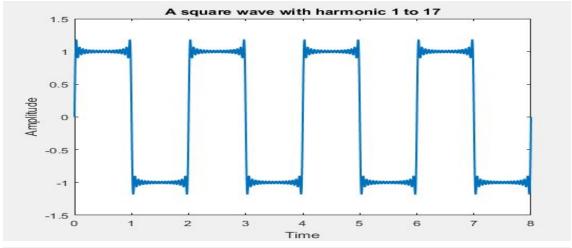
#### 1st to 17th Harmonic:

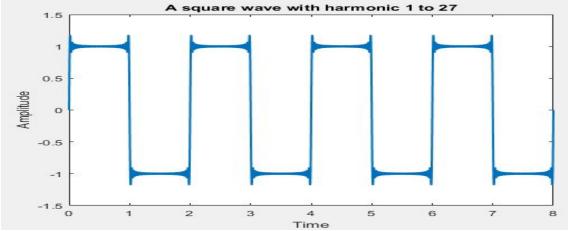
```
clc
clear all
close all
ff=0.5;
fs=1000;
t=0:1/fs:8;
A=4/pi;
har1=A*sin(2*pi*ff*t);
for k=3:2:34
  A=4/(pi*k);
  har2=A*sin(2*pi*ff*t*k);
  har1=har1+har2;
end
plot(t,har1,'linewidth',1.5);
title('A square wave with harmonic 1 to 17');
xlabel('Time');
ylabel('Amplitude');
```

#### 1st to 27th Harmonic:

```
clc
clear all
close all
ff=0.5;
fs=1000;
t=0:1/fs:8;
A=4/pi;
har1=A*sin(2*pi*ff*t);
for k=3:2:55
  A=4/(pi*k);
  har2=A*sin(2*pi*ff*t*k);
  har1=har1+har2;
end
plot(t,har1,'linewidth',1.5);
title('A square wave with harmonic 1 to 27');
xlabel('Time');
ylabel('Amplitude');
```

# **Output:**





## **Task # 3:**

Write a program that plots the signal s(t).

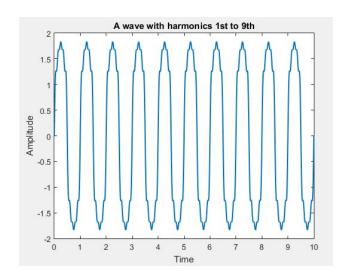
$$s(t) = \sum_{n=1}^{N} \frac{\sin(2\pi nt)}{n}$$
 where n = 1, 3, 5, 7, 9 and N = 9 or 
$$s(t) = \sin(2\pi t) + \frac{\sin(6\pi t)}{3} + \frac{\sin(10\pi t)}{5} + \frac{\sin(14\pi t)}{7} + \frac{\sin(18\pi t)}{9}$$

## **Problem Analysis:**

Take the sum of the given sine signal for different values of n and plot the resultant signal.

## Code:

## **Output:**



## **Task # 4:**

Generate a triangular wave with N=11.

## **Code:**

```
clc clear all close all t=0:0.01:0.25; ff=25; x1=(-8/(pi^2))*exp(i*(2*pi*ff*t)); for k=3:2:21 fh=ff*k; x=(-8/(pi^2*k^2))*exp(i*(2*pi*fh*t)); y=x1+x; end plot(t,real(y),'linewidth',3); title('Triangular Wave with N=11'); ylabel('Amplitude'); xlabel('Time'); grid;
```

# **Output:**

