

# TDT4120 Fall 2018

Henry S. Sjoen

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## Contents

1	Algorithm Design			
	1.1	Divide and Conquer	2	
2	Loose Recurrences			
	2.1	The Master-Theorem	4	
	2.2	Recursion Trees	•	
	2.3	Variable-switching	•	
3	Sorting Algorithms			
	3.1	Mergesort		
		Quicksort		
4	Coc	de example overview	2	

# 1 Algorithm Design

## 1.1 Divide and Conquer

Divide and Conquer is an Algorithm design paradigm based on multi-branch recursion. A divide and conquer algorithm works by recursively breaking down a problem into two or more sub-problems of the same or related type, until these become simple enough to be solved directly. The solutions to the sub-problems are then combined to give a solution to the original problem.

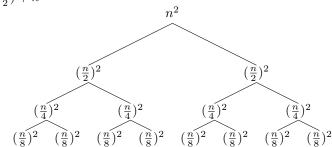
## 2 Loose Recurrences

### 2.1 The Master-Theorem

Generic form  $T(n) = aT(\frac{n}{b}) + f(n)$ 

#### 2.2**Recursion Trees**

 $T(n) = 4T(\frac{n}{2}) + n^2$ 



This is supposed to be a tree...

 $n^2$ 

 $-(n/2)^2$ 

 $--(n/4)^2$ 

 $--(n/4)^2$ 

 $--(n/4)^2$ 

 $--(n/4)^2$ 

 $-(n/2)^2$ 

 $--(n/4)^2$ 

 $--(n/4)^2$ 

 $--(n/4)^2$ 

 $--(n/4)^2$ 

 $-(n/2)^2$ 

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 $--(n/4)^2$ 

 $--(n/4)^2$ 

 $--(n/4)^2$ 

 $-(n/2)^2$  $--(n/4)^2$ 

 $--(n/4)^2$ 

 $--(n/4)^2$ 

 $--(n/4)^2$ 

#### 2.3Variable-switching

$$T(n) = 2T(\sqrt{n}) + \log n$$

#### 3 Sorting Algorithms

#### Mergesort 3.1

 $\theta(n \log n)$ 

## 3.2 Quicksort

Howto:

```
Listing 1: Julia example

function traverse_recursive_max(node, start_value)
    highest_value = start_value
    if (node.value > highest_value)
        highest_value = node.value
    end
    if node.next == nothing
        return highest_value
    end
    traverse_recursive_max(node.next, highest_value)
end

traverse_recursive_max(node.next, highest_value)
```

# 4 Code example overview

# Listings