

Romain Alexandre  
Cécile Camillieri  
Fabien Foerster  
Jérôme Rancati

7 février 2014

# Sensor simulation framework

Supervisor : Sébastien Mosser



# Imagine ...



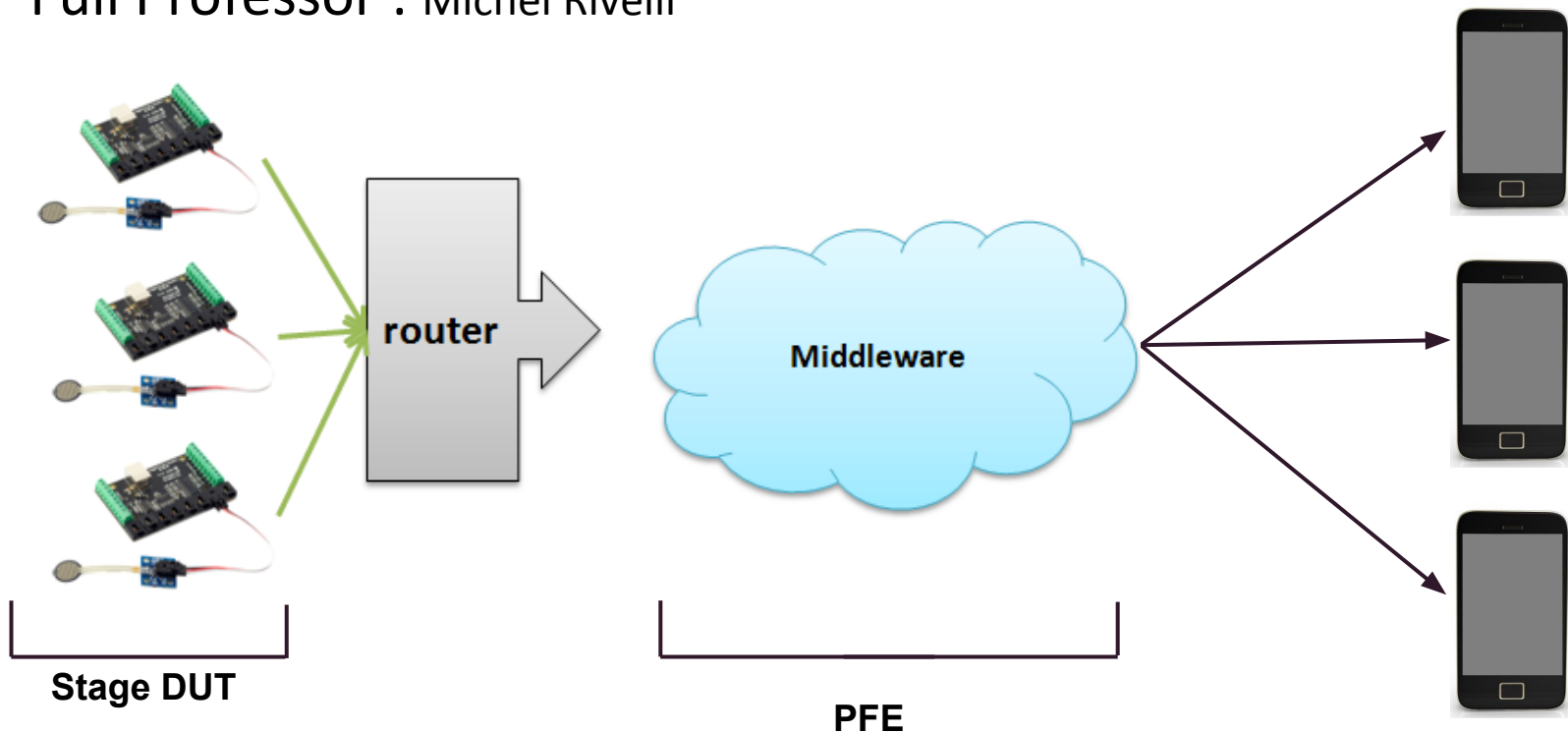
# SmartCampus

SI5 : Cyril Cecchinel, Thomas Di'Meco, Matthieu Jimenez and Laura Martellotto

DUT : Jean Oudot

Associate Professor : Sébastien Mosser

Full Professor : Michel Riveill



Problem

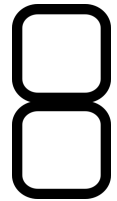
**NO  
SENSORS**

# Objectives

## Framework

Data simulation

Simulation running



Standard Library



SmartCampus application



# Challenges



# Data simulation

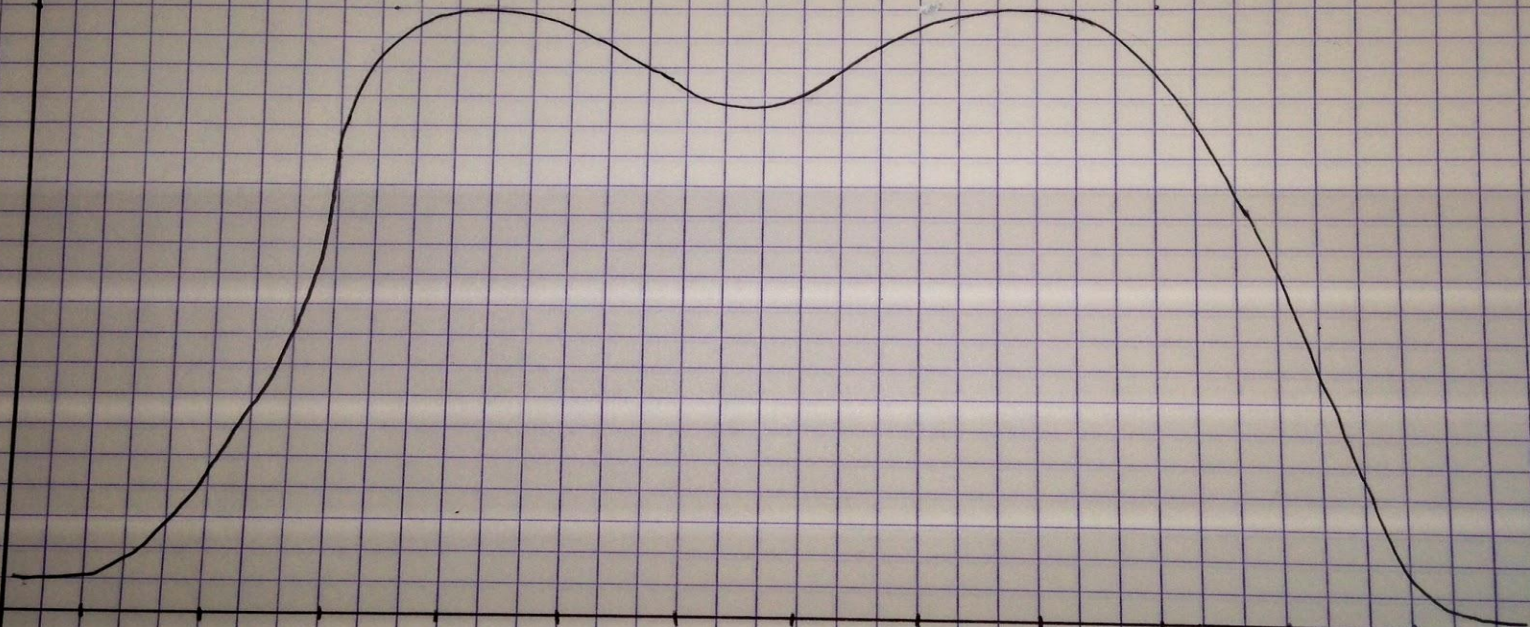
pourcentage  
d'occupation  
(%)

Courbe d'occupation du  
parking en fonction du temps

100

7 8 9 10 11 12 13 14 15 16 17 18

Temps  
(heure)





# Data simulation

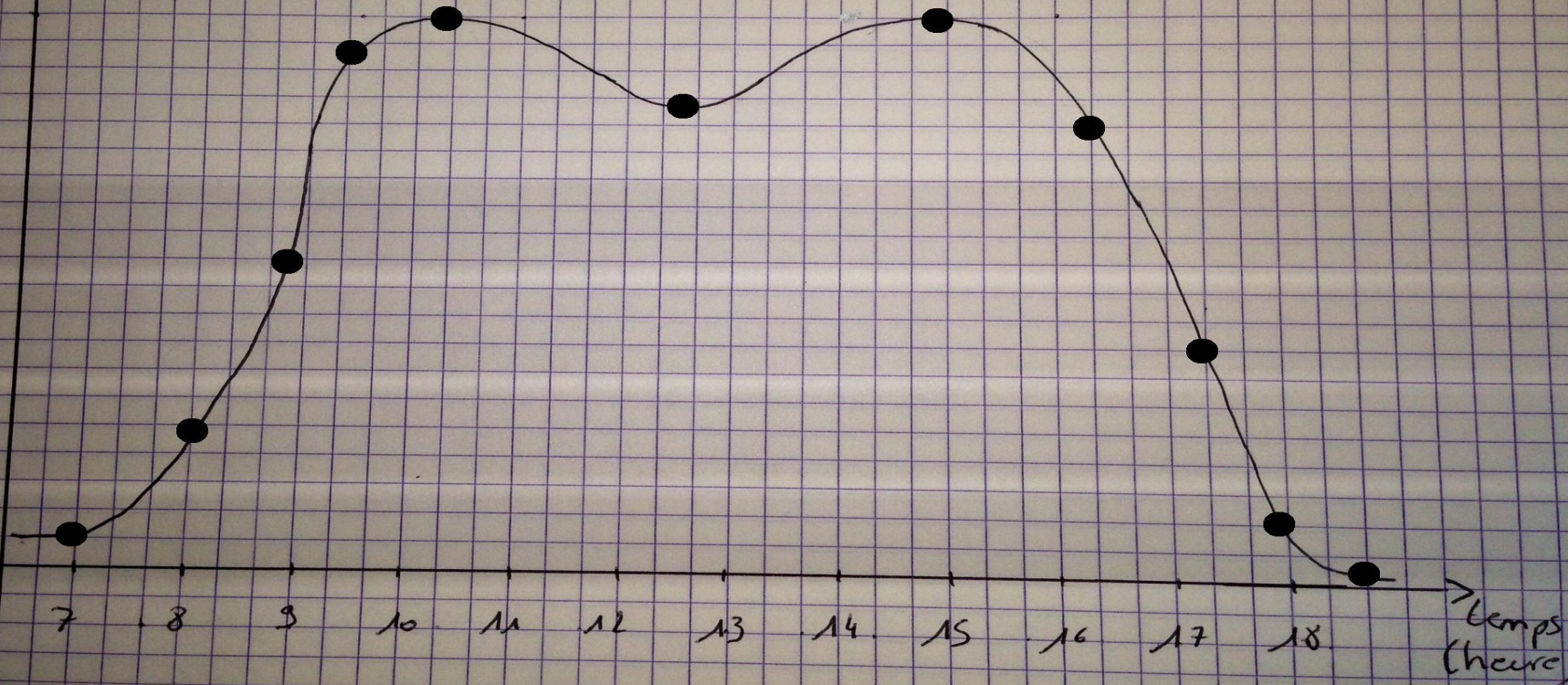
pourcentage  
d'occupation  
(%)

Courbe d'occupation du  
parking en fonction du temps

100

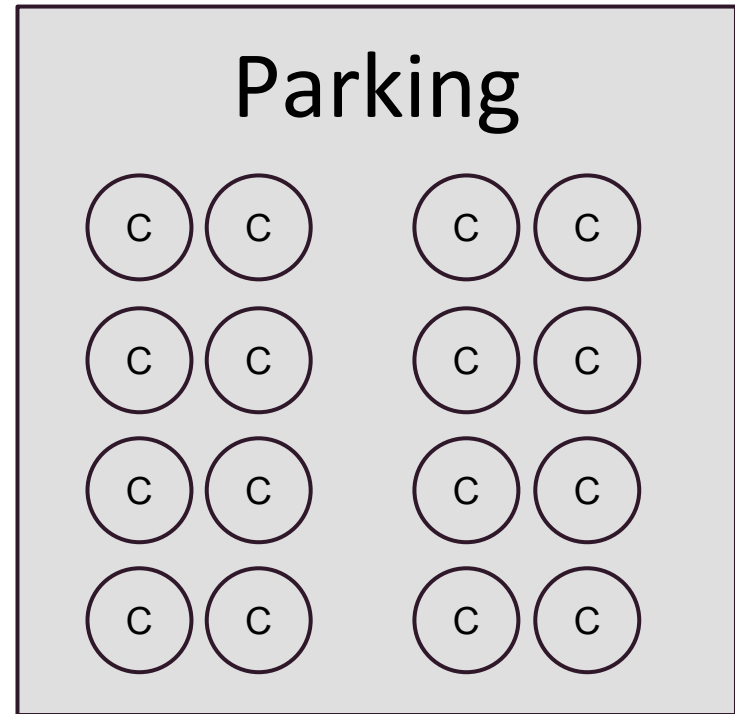
7 8 9 10 11 12 13 14 15 16 17 18

Temps (heure)





# Concurrency



# Advanced data simulation

send their information to a central database, or they distribute them via wireless communications. According to their web page, their sensors are close to being brought into market.

In [2] we concentrate on the dissemination of parking place occupancy information via multi-hop vehicular ad hoc communication, i. e., the second of the three issues mentioned in the introduction. We have used the dissemination protocol presented in that paper for the evaluation of our prediction model.

## III. THE ALGORITHM

In this section, we introduce our algorithm for the prediction of future parking place occupancy, and we show how it can be implemented in a vehicular ad hoc network. Our approach is based on results from queueing theory and applied stochastics. We model a parking lot as a queue and use a Markov chain to describe it. Since vehicles can park or leave at arbitrary times, we use a continuous-time model [7], [8].

### A. Dissemination of Parking Lot Information

In our approach, five values for each parking lot are distributed in the network, namely timestamp, total capacity of the parking lot, number of parking places that are currently occupied, and finally, two rates: *the arrival rate* of vehicles, and the *parking rate*. The parking rate is the inverse of the average time for which a vehicle stays on its parking lot before

In the theory of continuous-time Markov chains, the concept of the  $Q$ -matrix is used in order to be able to calculate the transition probabilities for all  $t \in \mathbb{R}_0^+$ . The transition rate  $q_{ij}$  from state  $i$  to state  $j$  is defined as the right-hand derivative of  $p_{ij}(t)$  at  $t = 0$ :

$$\forall i \neq j : q_{ij} := \lim_{t \searrow 0} \frac{p_{ij}(t)}{t}.$$

By conservation of probability, the probability of staying in a certain state  $i$  decreases with rate

$$q_{ii} = - \sum_{j \neq i} q_{ij}.$$

The  $Q$ -matrix is then defined by  $Q = (q_{ij})$ ; its dimension is  $(m + 1) \times (m + 1)$ .

If the parameter of the arrival Poisson process is denoted by  $\lambda$ , and  $\mu$  is the parking rate, this results in a  $Q$ -matrix with the following tri-diagonal pattern:

$$Q = \begin{pmatrix} -\lambda & \lambda & & & \\ \mu & -(\lambda + \mu) & \lambda & & \\ & 2\mu & -(\lambda + 2\mu) & \lambda & \\ \dots & \dots & \dots & \dots & \dots \\ & & (m-1)\mu & -(\lambda + (m-1)\mu) & \lambda \\ & & & m\mu & -m\mu \end{pmatrix}$$

The corresponding Markov chain is depicted in Figure 2.

# Replaying data

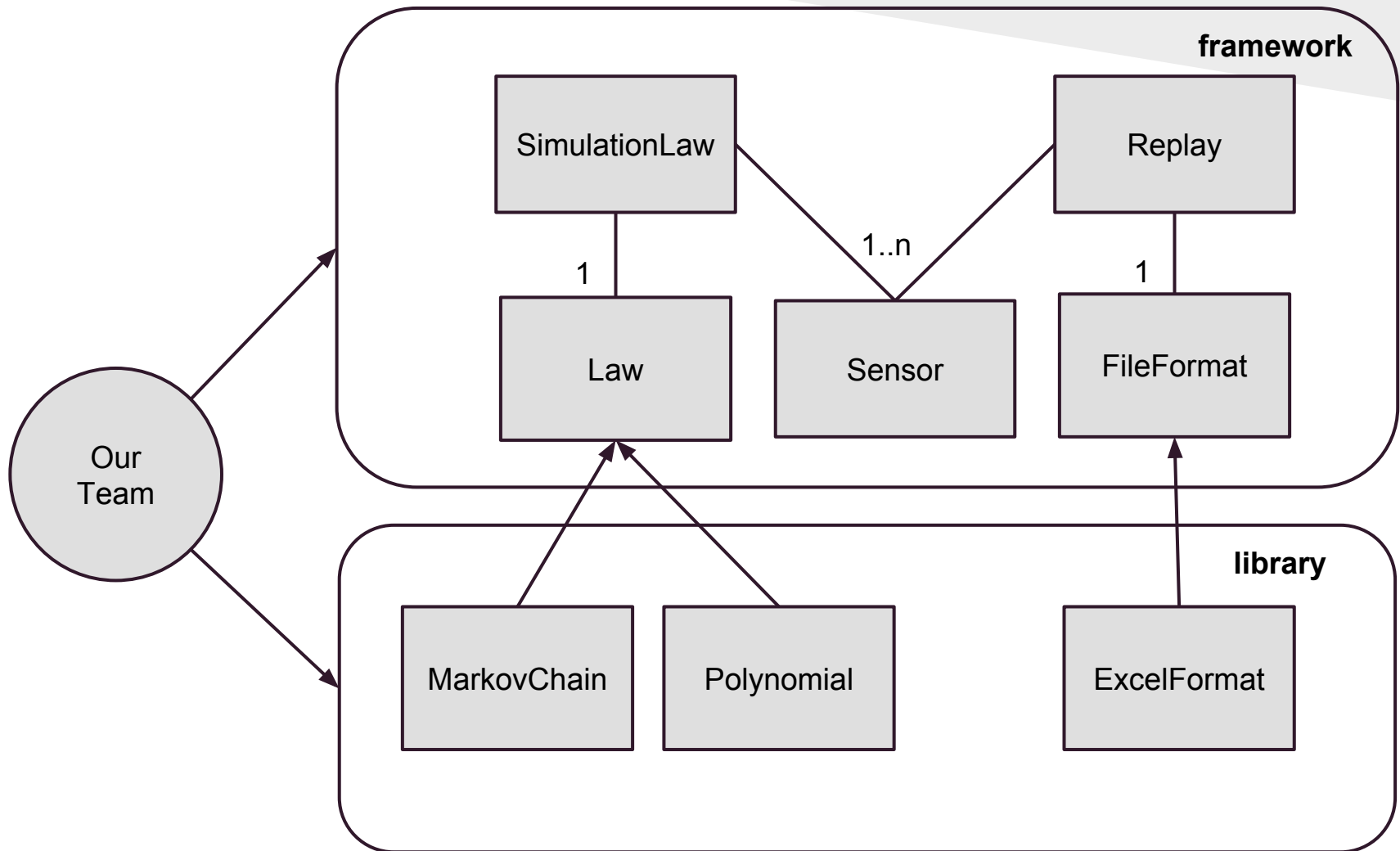
	A	B	C	D	E	F	G	H
1	date	timestamp	conductivite	debit	niveau	NH4	O2	pH
2	01/17/2011	1	237,759995	351	1,778	4	11,88	7,9548
3	01/17/2011	2	267,679993	351,4	1,696	3	11,34	8,4126
4	01/17/2011	5	98,839996	351,4	4,872	2	11,718	7,308
5	01/17/2011	6					11,88	7,9548
6	01/17/2011	7					11,34	8,4126
7	01/17/2011	8						7,308
8	01/17/2011	11						7,9548
9	01/17/2011	12					11,34	8,4126
10	01/17/2011	13					11,718	
11	01/17/2011	14					11,88	
12	01/17/2011	17					11,34	8,4126
13	01/17/2011	23					11,718	7,308



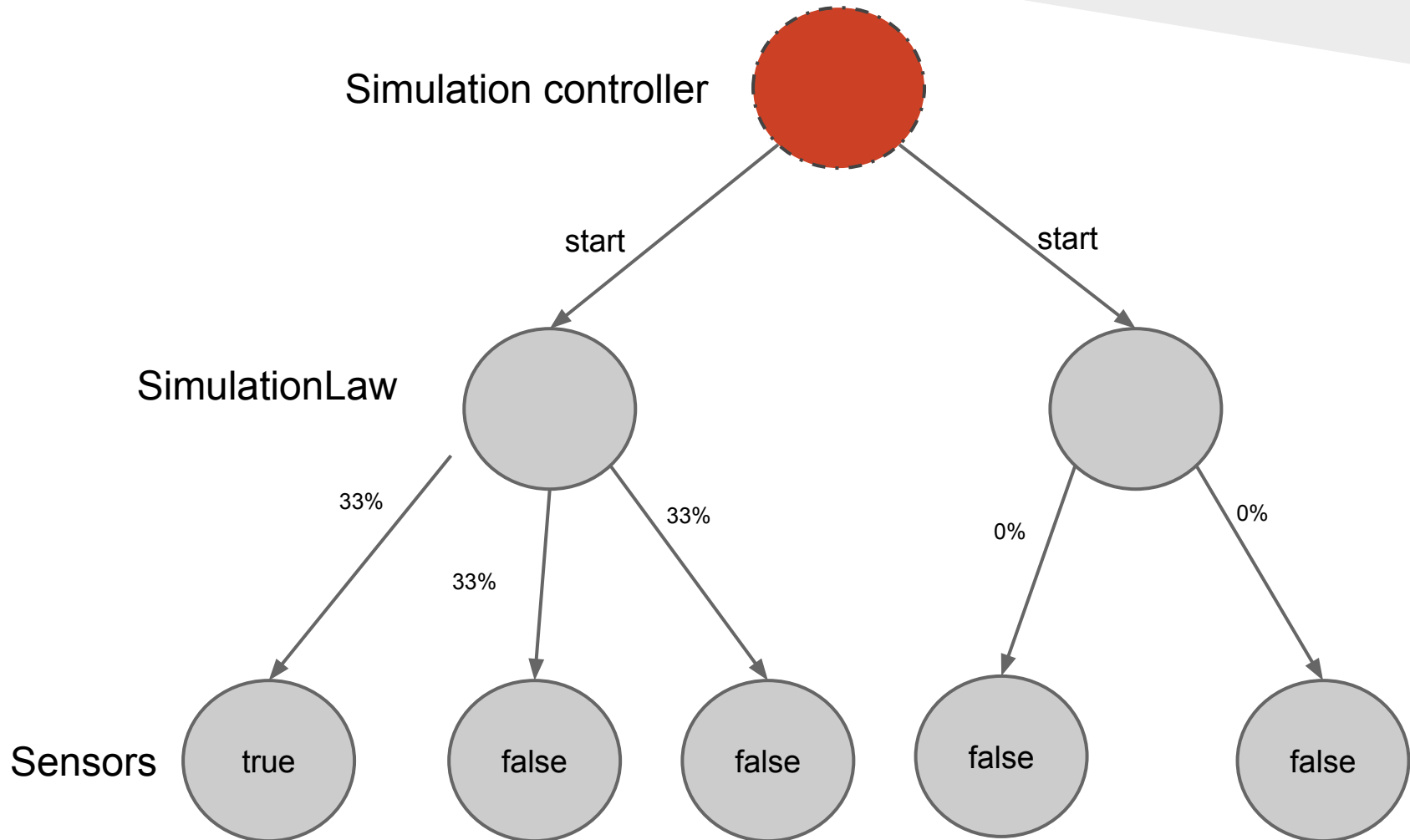


# Contributions

# What we did

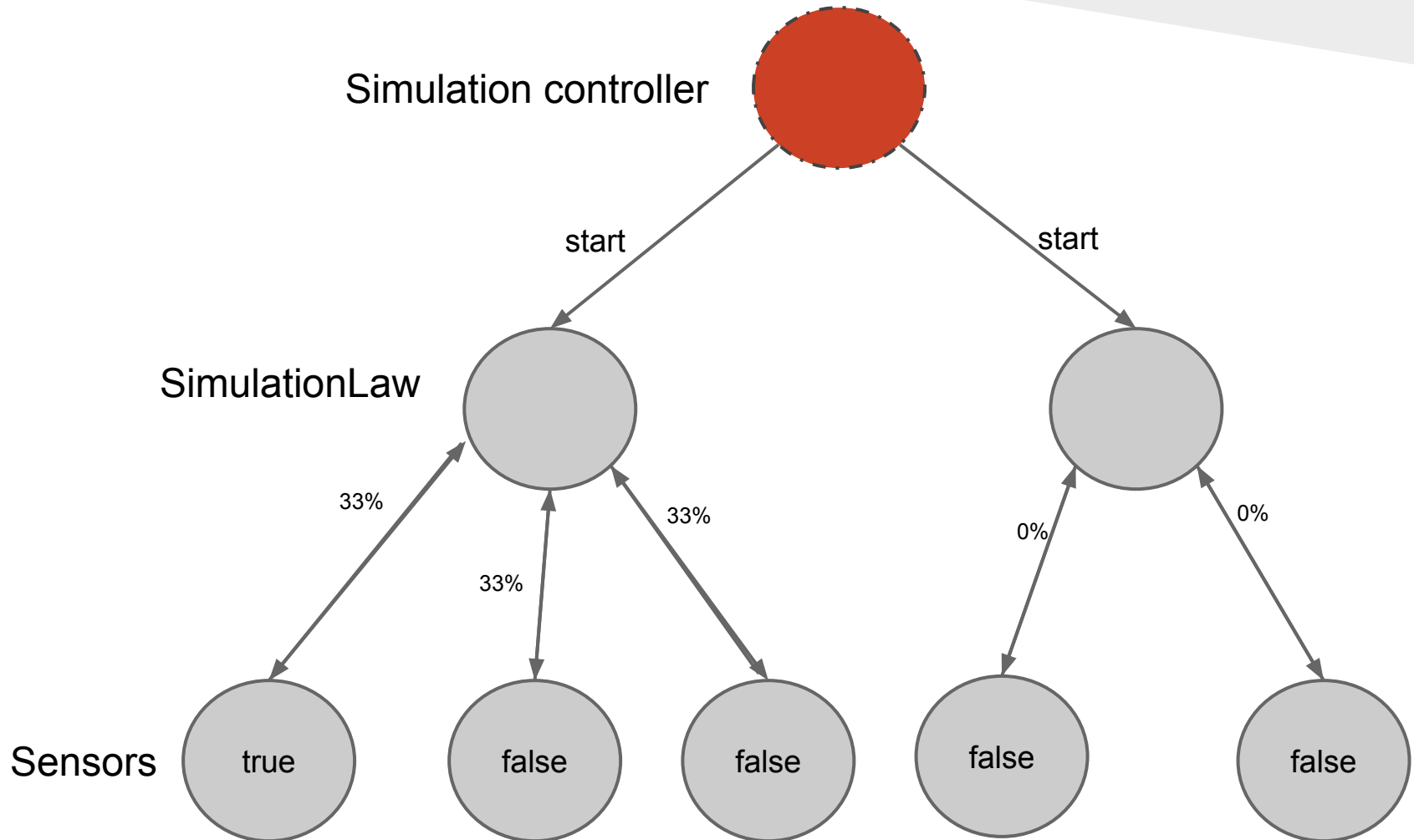


# Concurrency : Akka



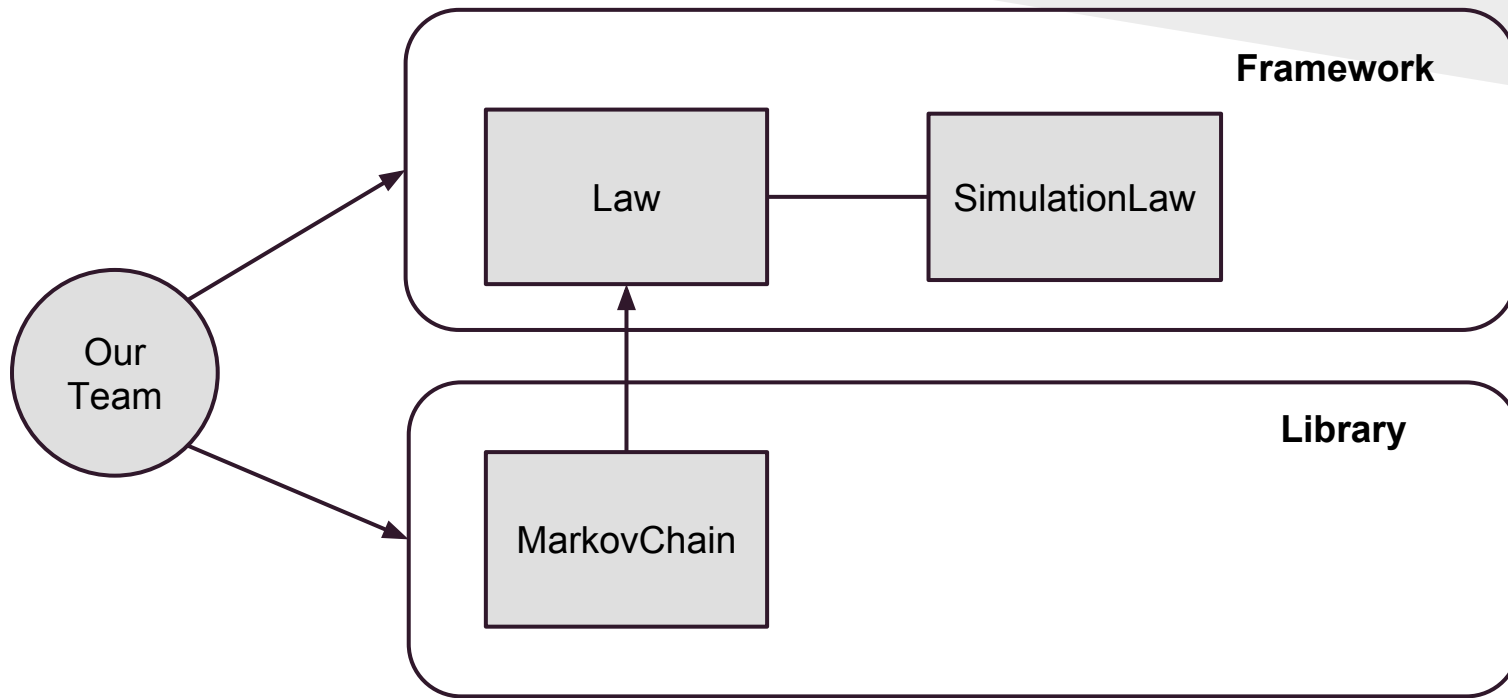


# Concurrency : Akka



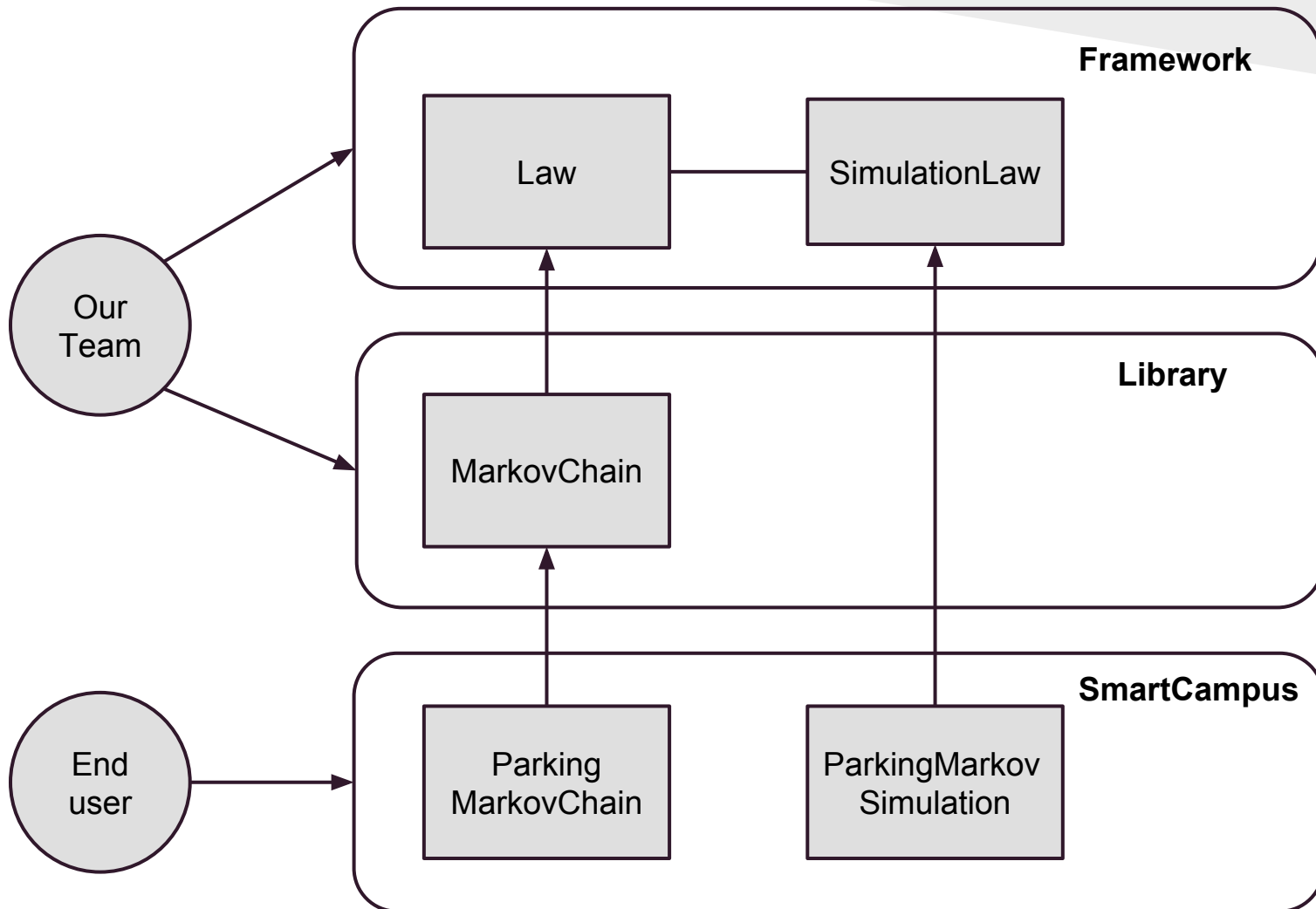
How to use it ?

# Implementing our parking case





# Implementing our parking case



# Implementing our parking case

## Setup

```
git clone https://login@atlas.polytech.unice.fr/stash/scm/psiqje/private  
cd private  
mvn install
```

## Law definition

$$\begin{pmatrix} -\lambda & \lambda & & & \\ \mu & -(\lambda + \mu) & & & \\ & 2\mu & -(\lambda + 2\mu) & & \\ & & \lambda & & \\ \hdashline & & & & \\ & & & & \\ & & (m-1)\mu & -(\lambda + (m-1)\mu) & \lambda \\ & & m\mu & & -m\mu \end{pmatrix}$$

```
public class ParkingMarkovLaw extends MarkovChain {  
    public Double evaluate(Integer[] t) {... return p; }  
}
```

## SimulationLaw definition

```
public class ParkingMarkovSimulation extends SimulationLaw<Integer, Double, Boolean> {  
    protected Integer[] computeValue() {... return t; }  
}
```

Is used to evaluate the law.

# Running a simulation

## Simulator creation

Start sim = new StartImpl();

```
sim    .createSimulation("Parking1", ParkingMarkovSimulation.class)

      .withSensors(100, new RateToBooleanChangeSensorTransformation())

      .withLaw(new ParkingMarkovLaw(...))

      .createSimulation("Parking2", ParkingPolynomialSimulation.class)

      .withSensors(50, new RateToBooleanSensorTransformation())

      .withLaw(new PolynomialLaw(...))
```

Create a parking with 100 sensors following our Markov law

Another parking with 50 sensors following a different law



# Running a simulation

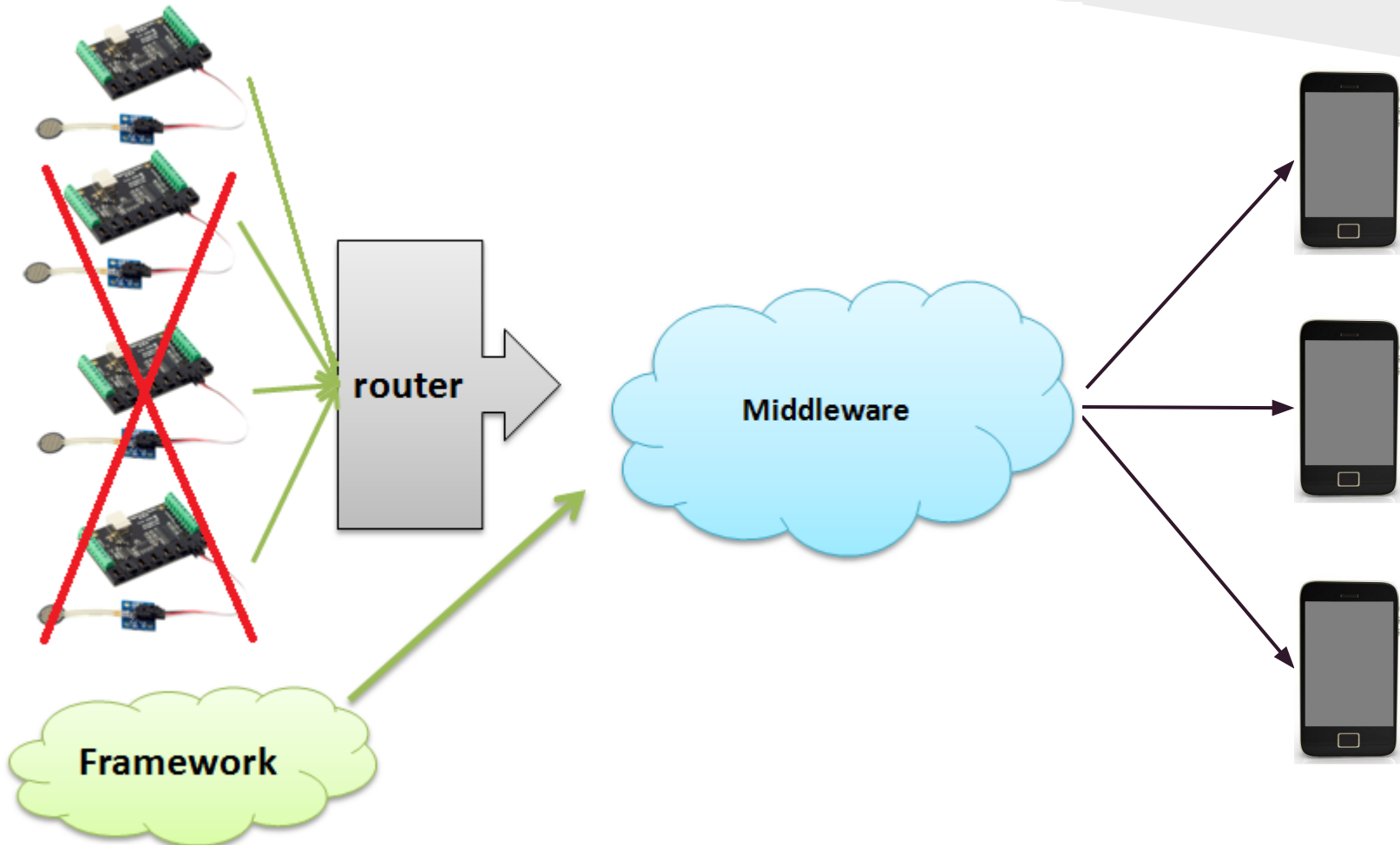
## Set parameters and launch simulation

```
sim    .setOutput("http://localhost:8080/collector/value")  
  
      .startAt("2014-02-07 11:25:00")  
  
      .duration(Duration.create(2, TimeUnit.MINUTES))  
  
      .frequency(Duration.create(5, TimeUnit.SECONDS))  
  
      .simulateReal();
```

Set the url we will send the values to.

The simulation will last 2 minutes, with the sensors sending values every 5 seconds.

# Demonstration



# Conclusions

# Results

## Framework

Simulation modeling

→ mathematical modeling



Simulation running



Standard Library



SmartCampus application



# Results

## Framework

Simulation modeling

→ mathematical modeling

→ replay



Simulation running



Standard Library



SmartCampus application





# The Future

NEXT EXIT 

# Towards a smart campus



MinD



# And more...



# Questions ?

# References

## Pictures :

[kentnguyen.com](http://kentnguyen.com)

[ajence.com](http://ajence.com)

[visitluxembourg.com](http://visitluxembourg.com)

## Research documents :

"Predicting Parking Lot Occupancy in Vehicular Ad Hoc Networks" by Murat Caliskan, Andreas Barthels, Bjorn Scheuermann and Martin Mauve,  
65th IEEE Vehicular Technology Conference, Dublin, Ireland, April 2007.





# ParkingMarkovLaw

```
public class ParkingMarkvLaw extends MarkovChain {
    public ParkingMarkovLaw(final int nbPlaces, final double arrivalFreq,
        final double averageParkingTime) {
        super(nbPlaces + 1);
        for (int i = 0; i < this.size; i++) {
            for (int j = 0; j < this.size; j++) {
                if (i == j) {
                    this.transition[i][i] = -((i * averageParkingTime) + arrivalFreq);
                }
                else if (j == (i + 1)) {
                    this.transition[i][j] = arrivalFreq;
                }
                else if (j == (i - 1)) {
                    this.transition[i][j] = i * averageParkingTime;
                }
            }
        }
        this.transition[nbPlaces][nbPlaces] = -(nbPlaces * averageParkingTime);
    }
    protected Double evaluate(final Integer... x) throws Exception {
        return super.evaluate(x);
    }
}
```

# ParkingMarkovSimulation

```
public class ParkingMarkovSimulation extends SimulationLaw<Integer, Double, Boolean> {  
    @Override  
    protected Integer[] computeValue() {  
        int i = 0;  
        for (boolean b : this.values) {  
            if (b) {  
                i++;  
            }  
        }  
        Integer[] t = { i, i };  
        return t;  
    }  
  
    @Override  
    protected void onComplete() {  
        int nbPlacesOccupied = 0;  
        for (Boolean b : this.values) {  
            if (b) {  
                nbPlacesOccupied++;  
            }  
        }  
        this.sendValue("occupation", ((nbPlacesOccupied * 100) / this.values.size()) + "%");  
    }  
}
```

# SuezExcelFormator

```
public class SuezExcelFormator extends ExcelFormator{  
    private final SimpleDateFormat sdf = new SimpleDateFormat("MM/dd/yyyy");  
    public SuezExcelFormator(){  
        super(3,new String[]{"A","B"},2);  
    }  
}
```

@Override

```
protected long transform(String[] columns) throws ParseException{  
    long timestamp = 0 ;  
    timestamp = sdf.parse(columns[0]).getTime();  
    int hoursToMilli = Integer.valueOf(columns[1])*1000;  
    timestamp += hoursToMilli;  
    return timestamp;  
}  
}
```