

$$\ddot{U}^\rho_{\dagger}=\\ Ua=\langle Ua,Ua\rangle^{1/2}=\langle UU^\dagger a,a\rangle^{1/2}=\langle a,a\rangle=a.$$

$$\overset{n}{\ddot{G}}\\ \overset{X}{G}(X)\\ \overset{X}{G}\\ \overset{X}{G}\\ \overset{X}{G}(X)\\ \overset{X}{G}(X)\\ \overset{X}{G}(X)\\ \overset{X}{S_X}(X)\\ \overset{X}{X}(X)\\ \overset{X}{C}(X)\\ \overset{X}{S_X}(X)\\ \overset{X}{X}\\ /\\ / \cong (\cdot,\times).$$

$$\det(g\cdot)=\\ \det(g)\in\\ /\\ (\cdot,\times)\\ /\\ W\subset\\ V\\ V\\ u,v\in\\ V\\ u^+\\ W^+\\ v^+\\ W^-\\ u^-\\ v^-\in\\ W^-\\ v^-\in\\ W^-\\ u+W=v+W\text{ iff }u-v\in W.$$

$$H\subset\\ G_{any}\\ G\\ a,b\in\\ G\\ {}^aH\\ {}^bH\in\\ {}^{qb}H\\ {}^{ba}H\in\\ H\\ {}^aH={}^bH\\ {}^aH=bH\text{ iff }ab\in H.$$

$$\begin{array}{l} {}^aH=\\ {}^bH\\ \exists h_1,h_2\in\\ H\\ ah_1=\\ bh_2=\\ {}^{qb}h_1h_2\\ H\\ h_2\in\\ H\\ h_1h_2\in\\ H\\ {}^{qb}H\in\\ H\\ {}^{qb}H\in\\ H\\ {}^{qb}H\\ {}^{ba}H\\ {}^aH\in\\ {}^bH\in \end{array}$$