QL.	$(A) \rightarrow (B) \rightarrow (C)$
	30
	6 - 0 B
	B
	in list outlet of the F
	A C3 (63)
	B (A) [CODIE]
	C [B] (E3) D [B,G] (E)
	F CE3 C3.
	6 63 1003
	Stack: (A, G, D, B, F,) (A, B, K) (A) Stack
	Visited: (G, D, E, F, A, B, C) A > Set
	cycle: (Gr. 8, 8, 8), (M. B) Set
	result: (F, ED, Gr, C, B, A)) > Stack
	Topological Sort => A,B,C,G,D,EF
/	
0	

```
Algorithm: IsReachableFrom(G, u, v)
  Input: A directed graph G, vertices u, v in G
  Output: TRUE if there is a directed path from u to v in G, false otherwise.
  inlist <- hashMap()
  outlist <- hashMap()
 for (v1,v2) in G do
   inlist.getOrDefault(v1, new list()).add(v2)
   outlist.getOrDefault(v2, new list()).add(v1)
  startinglist <- new Stack()
  startinglist.push(u)
 visited <- new set()
 while !startinglist.isEmpty() do
    p <- startinglist.peek()</pre>
   if(p==v) return true;
   if p in visited then
      startinglist.pop()
    else
     visited.add(p)
     for item in outlist.get(p) then
       if item not in visited then
          startinglist.push(item)
  return false;
Time Complexity: O(m + n)
- for inlist and outlist generation O(m); m is number of edges
- for while loop at worst case we visit all the vertices once O(n); n is the number of
vertices
Space complexity: O(n) + O(n) + O(m) + O(m) -> O(m + n)
- at worst case set will contain all vertices -> O(n); n is the number of vertices
- at worst case stack will contain all vertices -> O(n); n is the number of vertices
- inlist and outlist -> O(m) + O (m)
```

```
private static boolean dfs(int node,List<List<Integer>> adjList, Set<Integer> visited,
Set<Integer> path,List<Integer> result){
  if(path.contains(node)) return false; // cycle detected
  if(visited.contains(node)) return true; // no need to visit anymore
  List<Integer> dependencies = adjList.get(node);
  path.add(node);
  for(int dep: dependencies){
    if(!dfs(dep,adjList,visited,path,result)){
      return false;
   }
  }
  path.remove(node);
  visited.add(node);
  result.add(node);
  return true;
}
public static int[] findOrder(int numCourses, int[][] prerequisites) {
  List<List<Integer>> adjList = new ArrayList<>();
  // initialize in list and out list/adjacency list
  for(int i=0;i<numCourses;i++){</pre>
    adjList.add(new ArrayList<>());
 }
  // adjacency list
  for(int[] pre: prerequisites){
    adjList.get(pre[0]).add(pre[1]);
```

```
Set<Integer> visited = new HashSet<>();
Set<Integer> currentPath = new HashSet<>();
List<Integer> result = new ArrayList<>(numCourses);

for{int i=0;i<numCourses;i++){
    if(!dfs(i,adjList,visited,currentPath,result)){
        return new int[]{}; // cycle detected not possible to take all courses
    };
}

if(visited.size() != numCourses){
    // cannot take all courses
    return new int[]{};
}

return result.stream().mapToInt(Integer::intValue).toArray();
}
```

Q4.

```
class Solution {
  public boolean dfs(int node,List<List<Integer>> adjList, Set<Integer> visited,
  Set<Integer> cycle){
  if(cycle.contains(node)) return false;

  if(visited.contains(node)) return true;

  cycle.add(node);
  for(int n: adjList.get(node)){
   if(!dfs(n,adjList,visited,cycle)){
    return false;
  }
  }
  cycle.remove(node);
```

```
visited.add(node);
return true;
}
public boolean canFinish(int numCourses, int[][] prerequisites) {
List<List<Integer>> adjList = new ArrayList();
for(int i=0;i<numCourses;i++){</pre>
adjList.add(i,new ArrayList());
}
for(int[] pre: prerequisites){
adjList.get(pre[0]).add(pre[1]);
}
Set<Integer> visited = new HashSet();
Set<Integer> cycle = new HashSet();
for(int i=0;i<numCourses;i++){
if(!dfs(i,adjList,visited,cycle)){
return false; // cycle detected
}
}
return true;
}
}
```