

# Connecting the HPC and the Quantum Community: A Tutorial on High-Performance Software for Quantum Computing

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<https://www.cda.cit.tum.de/research/quantum/>

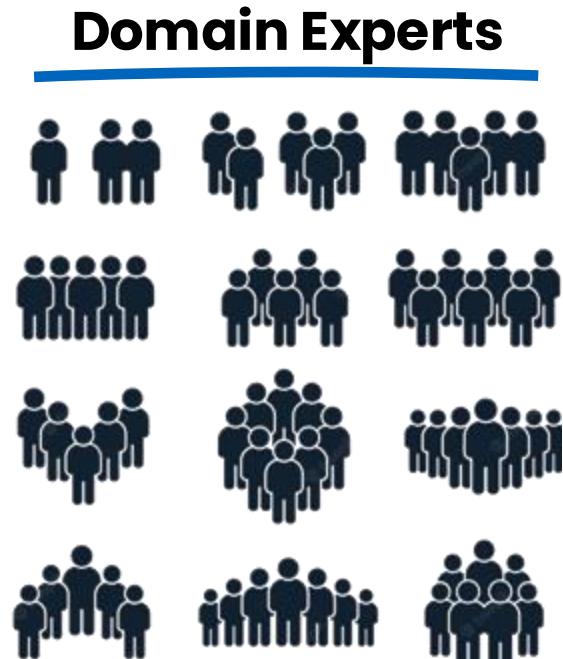




Munich  
Quantum  
Valley



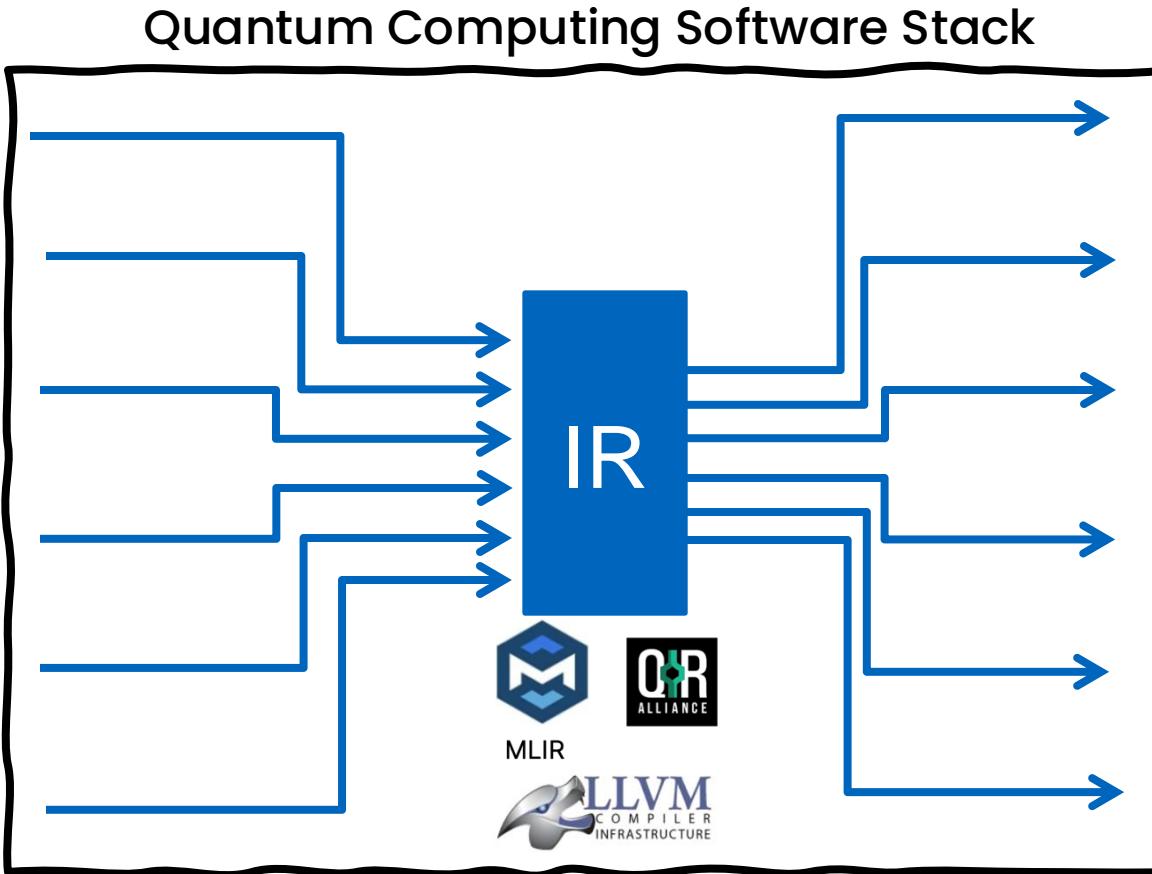
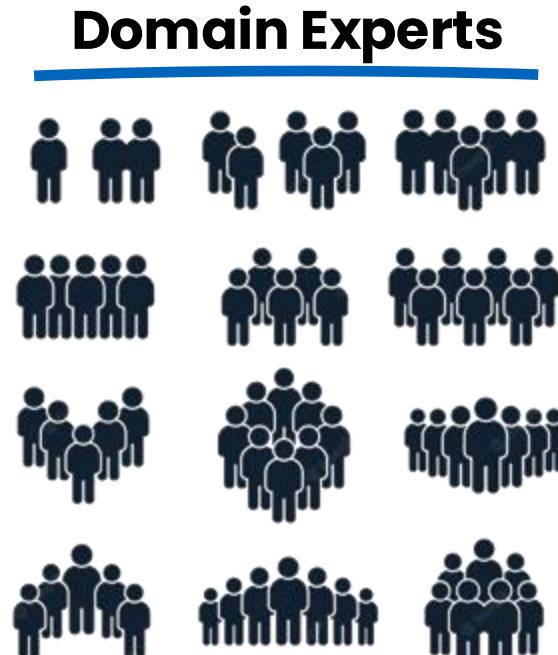
# The Big Picture



## Quantum Devices

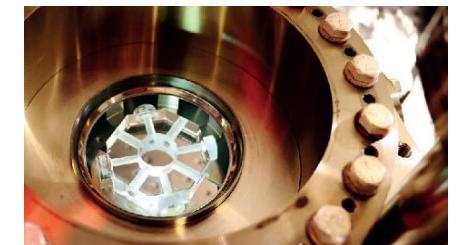
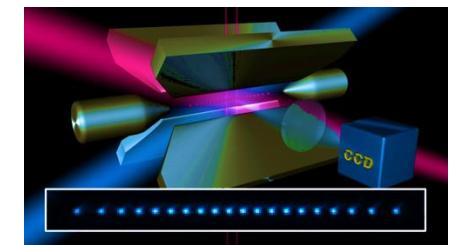


# The Big Picture



## Quantum Devices

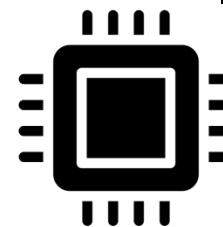
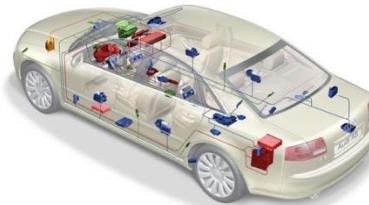
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# Chair for Design Automation

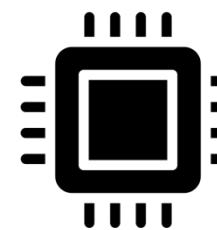
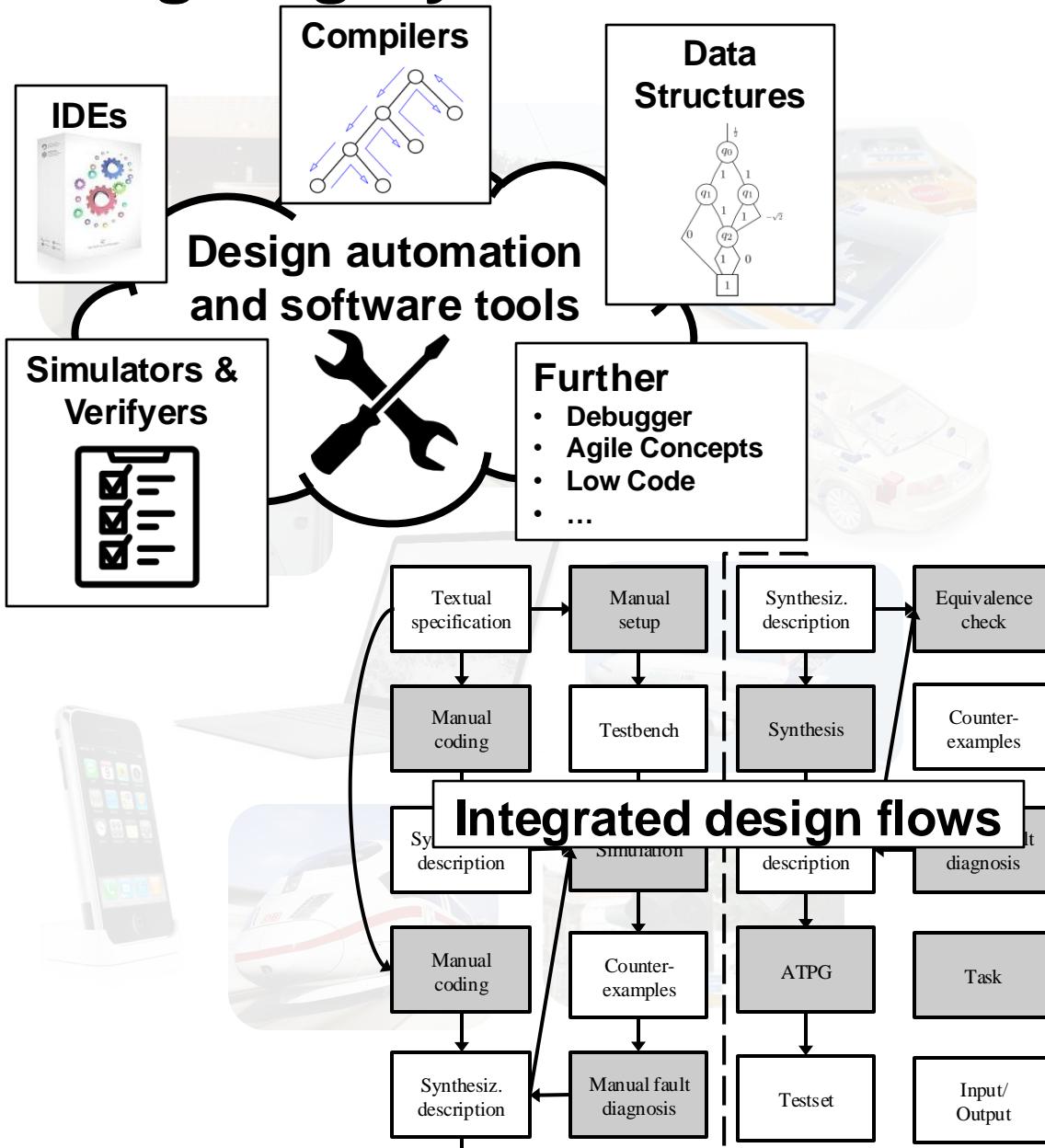


# Designing Systems



- Classical Systems
  - Are enormously **complex**

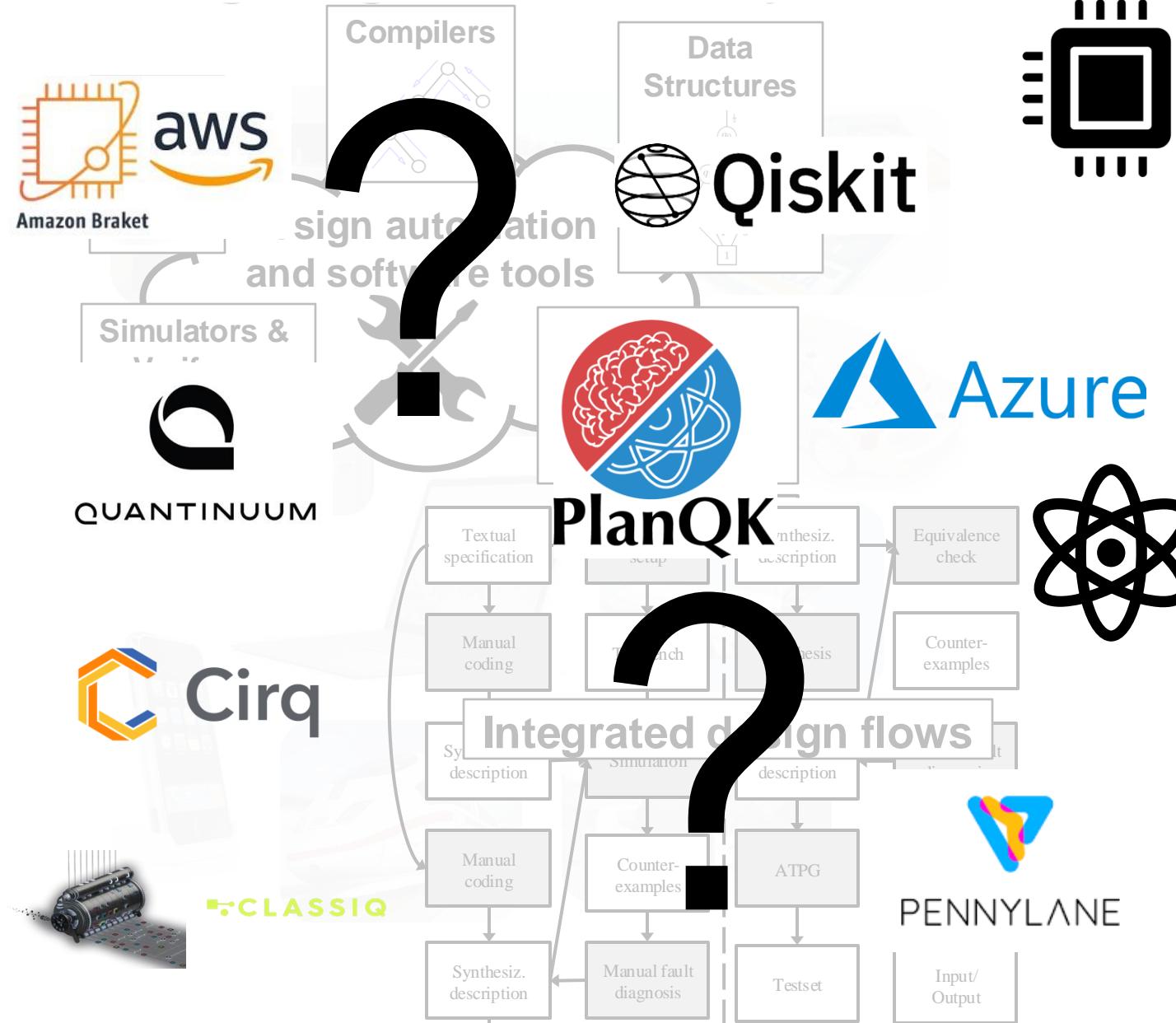
# Designing Systems



## Classical Systems

- Are enormously **complex**
- Rely on efficient and scalable **design automation methods and software**
- Integrated into powerful **design flows**
- Have been developed and optimized **over the past decades**

# Designing Quantum Systems



## ■ Classical Systems

- Are enormously **complex**
- Rely on efficient and scalable **design automation methods and software**
- Integrated into powerful **design flows**
- Have been developed and optimized **over the past decades**

## ■ Quantum Systems

- Similar tasks (simulation, compilation, etc.), but **substantially different** paradigm
- **Initial solutions** are available
- **Do not** fully exploit the decades of experiences in **design automation**

We may end up in a situation where we have quantum computers but no methods to use them

# The Munich Quantum Toolkit (MQT)

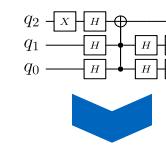
## Application

- Workflow from classical problem to quantum solution
- Automated encoding, execution & decoding



## Compilation

- Automatic device selection
- Compiler optimization
- Technology-specific compilation
- Reversible synthesis



## Application



## Simulation



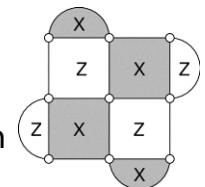
## Compilation



## Verification

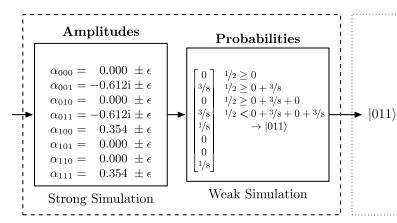


## Error Correction



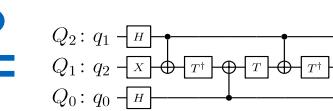
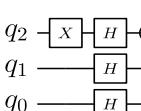
## Simulation

- Classical simulation of quantum circuits based on decision diagrams
- Includes sampling, noise-aware simulation, Hybrid Schrödinger Feynman approaches, approximation strategies, expectation value computations, etc.



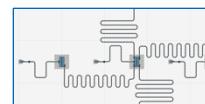
## Verification

- Equivalence checking
- Verifying compilation results



## Hardware

- Application specific physical design for superconducting platform



## Data Structures & Core Methods

- Efficient data structures
- Dedicated core methods (optimal and heuristic)
- Based on C++ and Python



Decision  
Diagrams



Tensor  
Networks



ZX-Calculus



SAT/SMT  
Solvers



Machine  
Learning



Heuristics

## Check it out!



# MQT Repositories



All tools are available as [open-source](#) repositories on GitHub under the MIT license

<https://mqt.readthedocs.io>

R. Wille et al. The MQT Handbook:  
A Summary of Design Automation Tools and Software for Quantum Computing.  
In *IEEE International Conference on Quantum Software (QSW)*. 2024

# Agenda

- First Session (13:30 – 15:00)
  - Intro to quantum computing
  - Classical simulation of quantum circuits
  - Hands-on
- Second Session (15:30 – 17:00)
  - Compilation of quantum circuits
  - Hands-on
  - Verification of quantum circuits
  - Hands-on
  - Conclusion & Wrap-Up

# Classical Computing



# Classical Computing

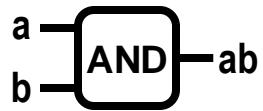
ASM

```
mov r0, #1
mov r1, #1
l:
add r2, r0, r1
str r2, [r3]
add r3, #4
mov r0, r1
mov r1, r2
b l
```

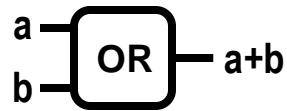
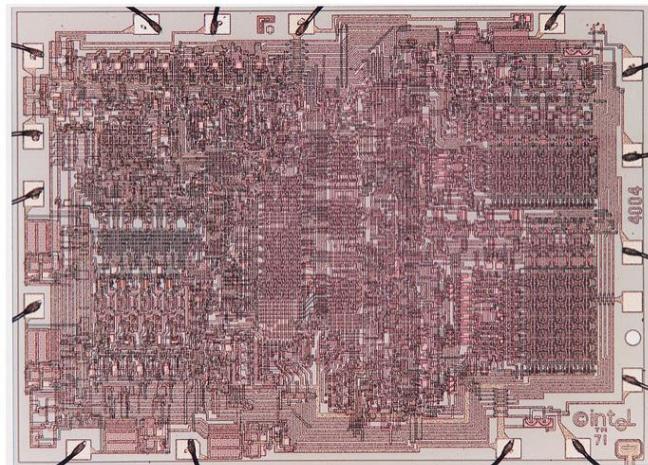
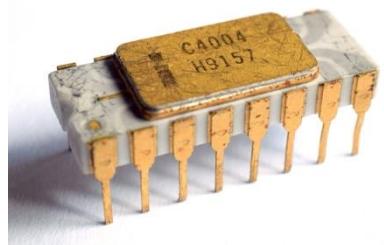


1110  
0110  
0001  
1001

# Classical Computing



1971  
Intel® 4004



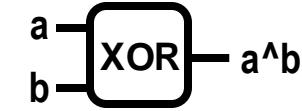
2300 — Number of Transistors — Billions

16 — Number of Pins — 1700

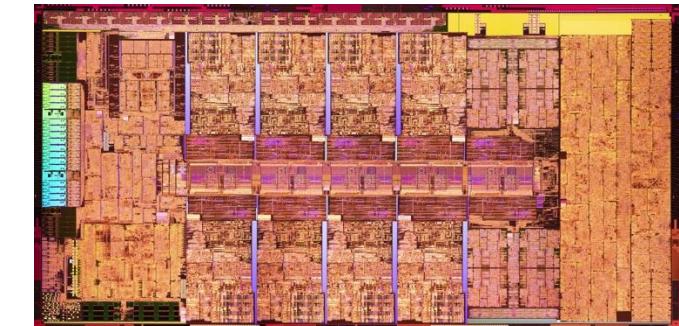
750 kHz — Frequency — 5.2 GHz

4-bit — Instruction Set — 64-bit

1 — Number of Cores — 16



2021  
12<sup>th</sup> Generation Intel® Core™



HOW? Design Automation!

# Classical Computing

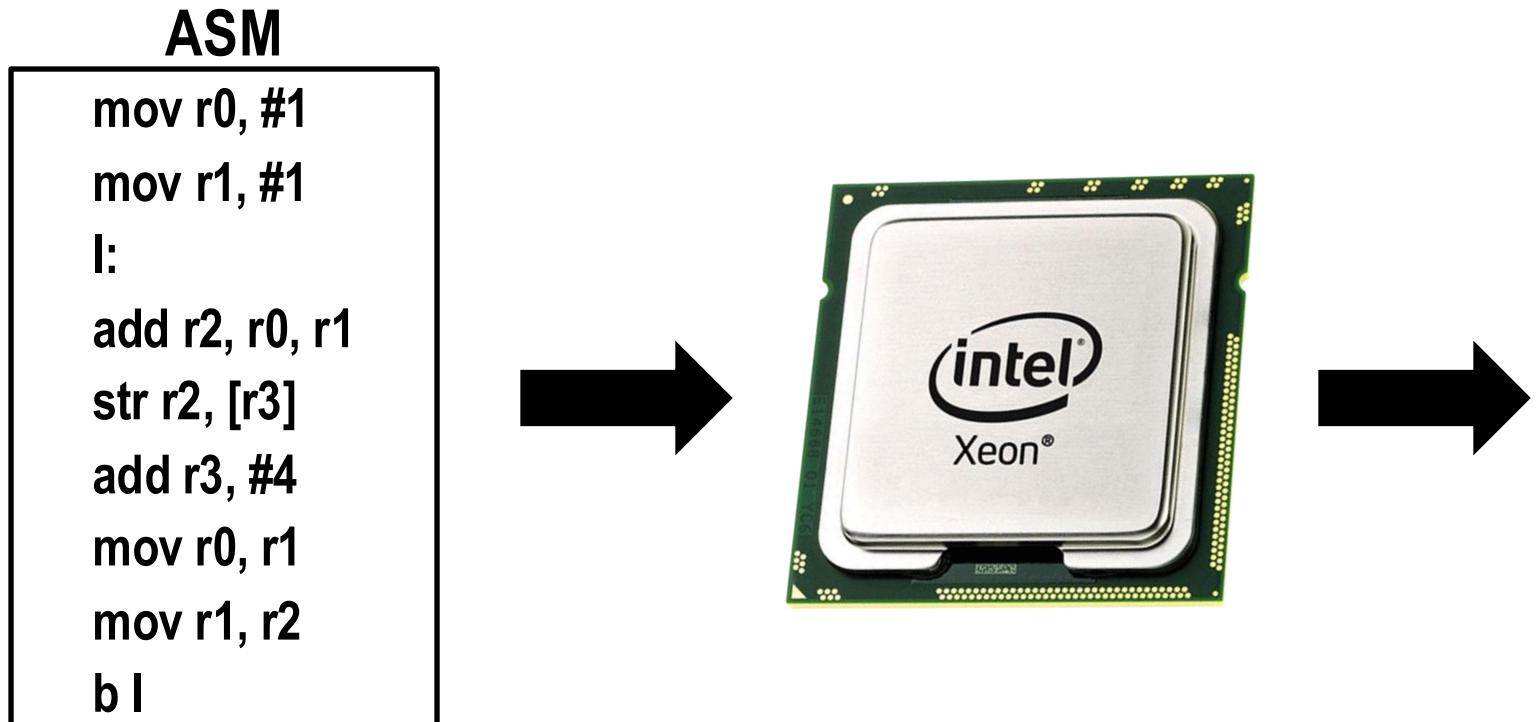
ASM

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str r2, [r3]
add r3, #4
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mov r1, r2
b l
```



1110  
0110  
0001  
1001

# Quantum Computing



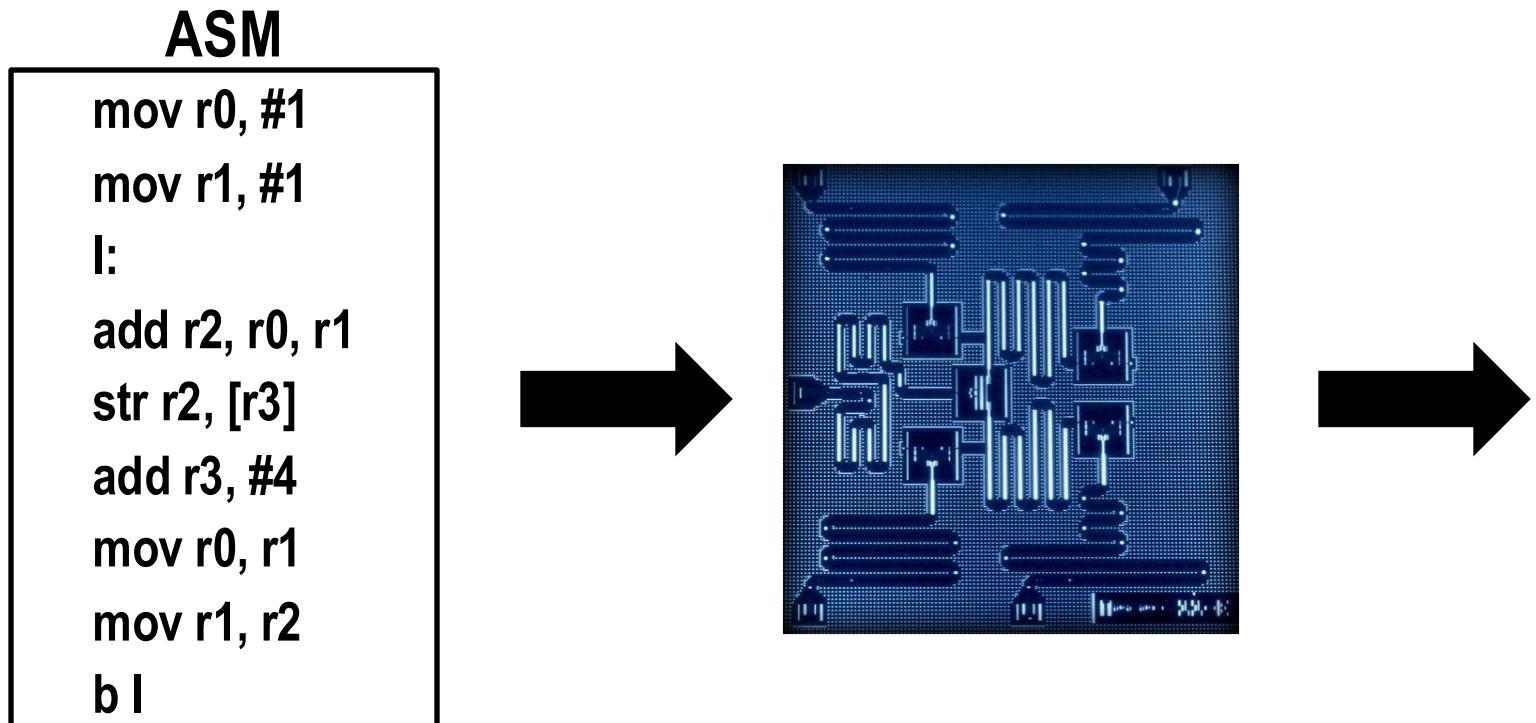
1110

0110

0001

1001

# Quantum Computing

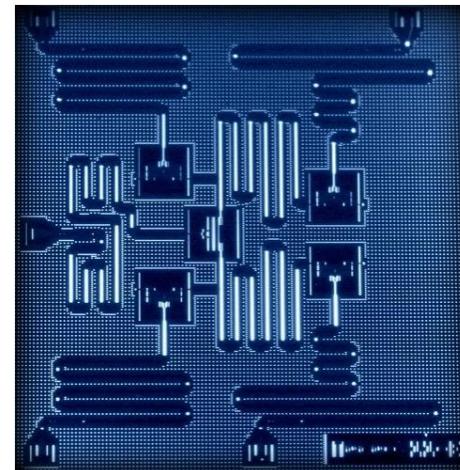


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# Quantum Computing

**QASM**

```
OPENQASM 2.0;  
include "qelib1.inc";  
  
qreg q[3];  
creg c[3];  
h q[2];  
cx q[2], q[1];  
cx q[2], q[0];  
measure q[2] -> c[2];
```

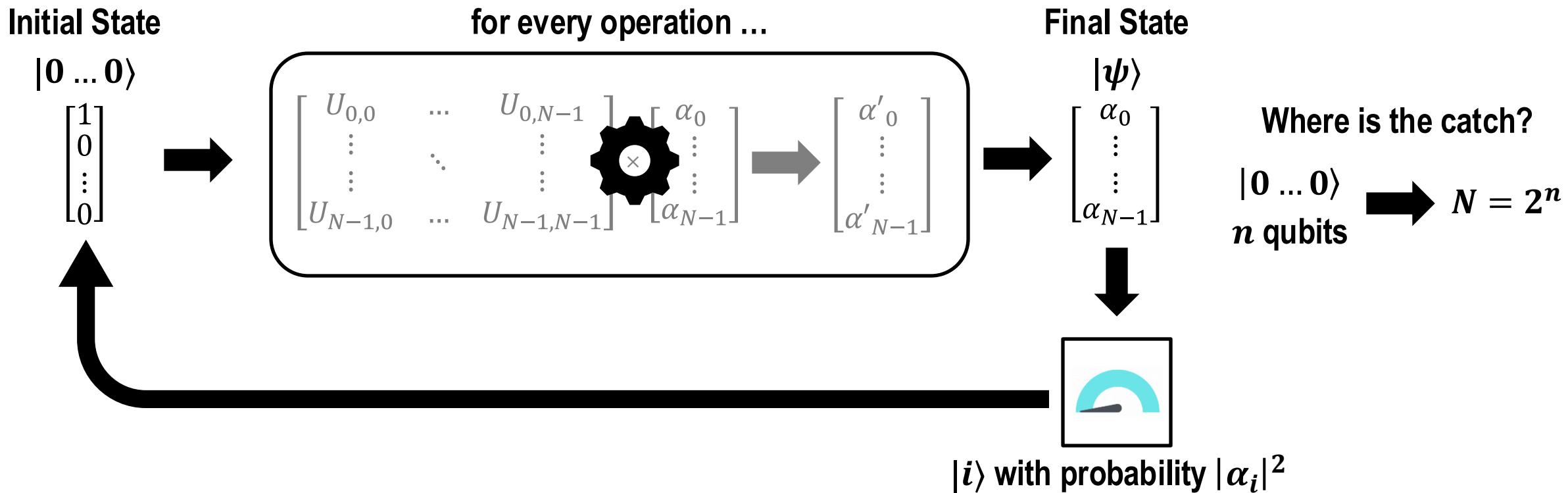


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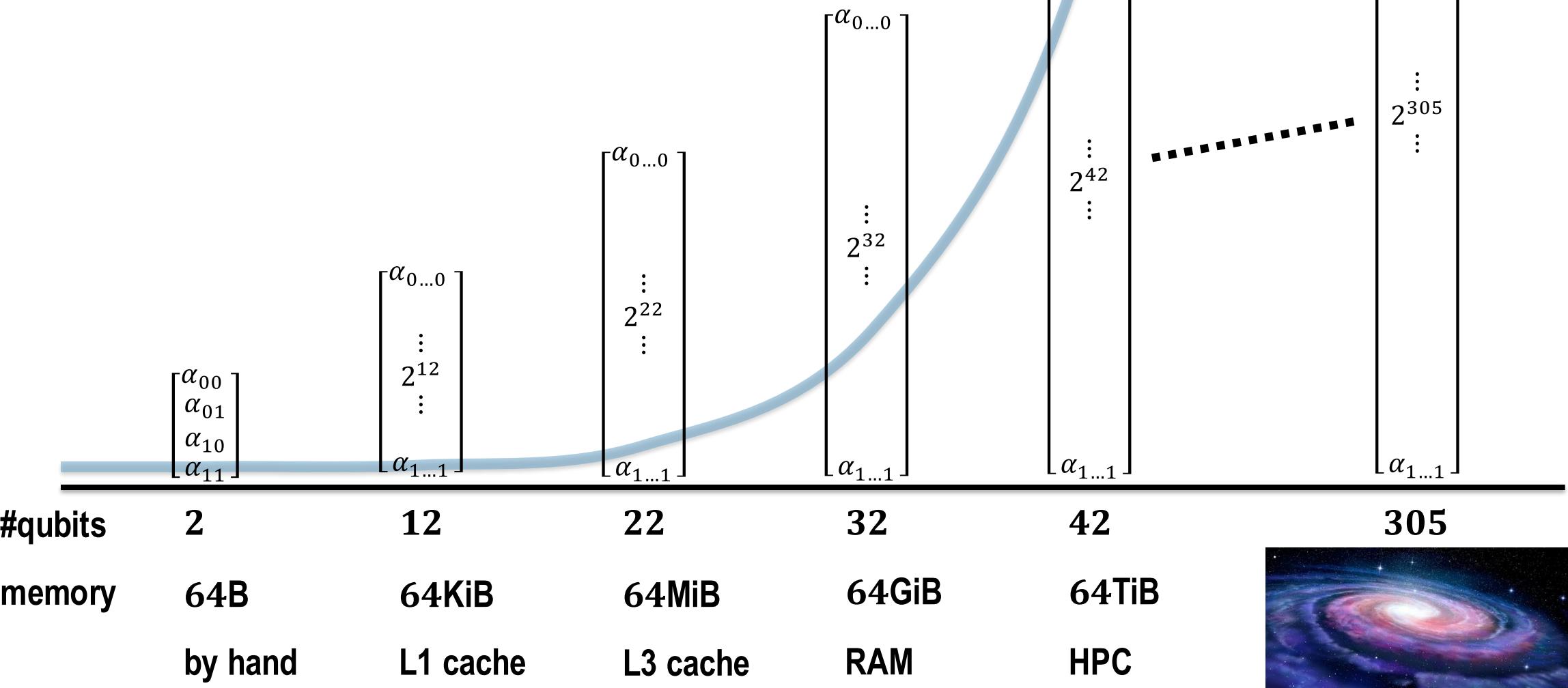
# Quantum Computing

<b>Quantum Operation</b>	<b>Quantum State</b>	<b>Evolved Quantum State</b>
$\begin{bmatrix} U_{0,0} & \dots & U_{0,N-1} \\ \vdots & \ddots & \vdots \\ \vdots & & \vdots \\ U_{N-1,0} & \dots & U_{N-1,N-1} \end{bmatrix}$	$\times \begin{bmatrix} \alpha_0 \\ \vdots \\ \alpha_{N-1} \end{bmatrix}$	$\rightarrow \begin{bmatrix} \alpha'_0 \\ \vdots \\ \alpha'_{N-1} \end{bmatrix}$
$U_{i,j} \in \mathbb{C}$	$\alpha_i \in \mathbb{C}$	
$U^\dagger U = I$	$\sum  \alpha_i ^2 = 1$	

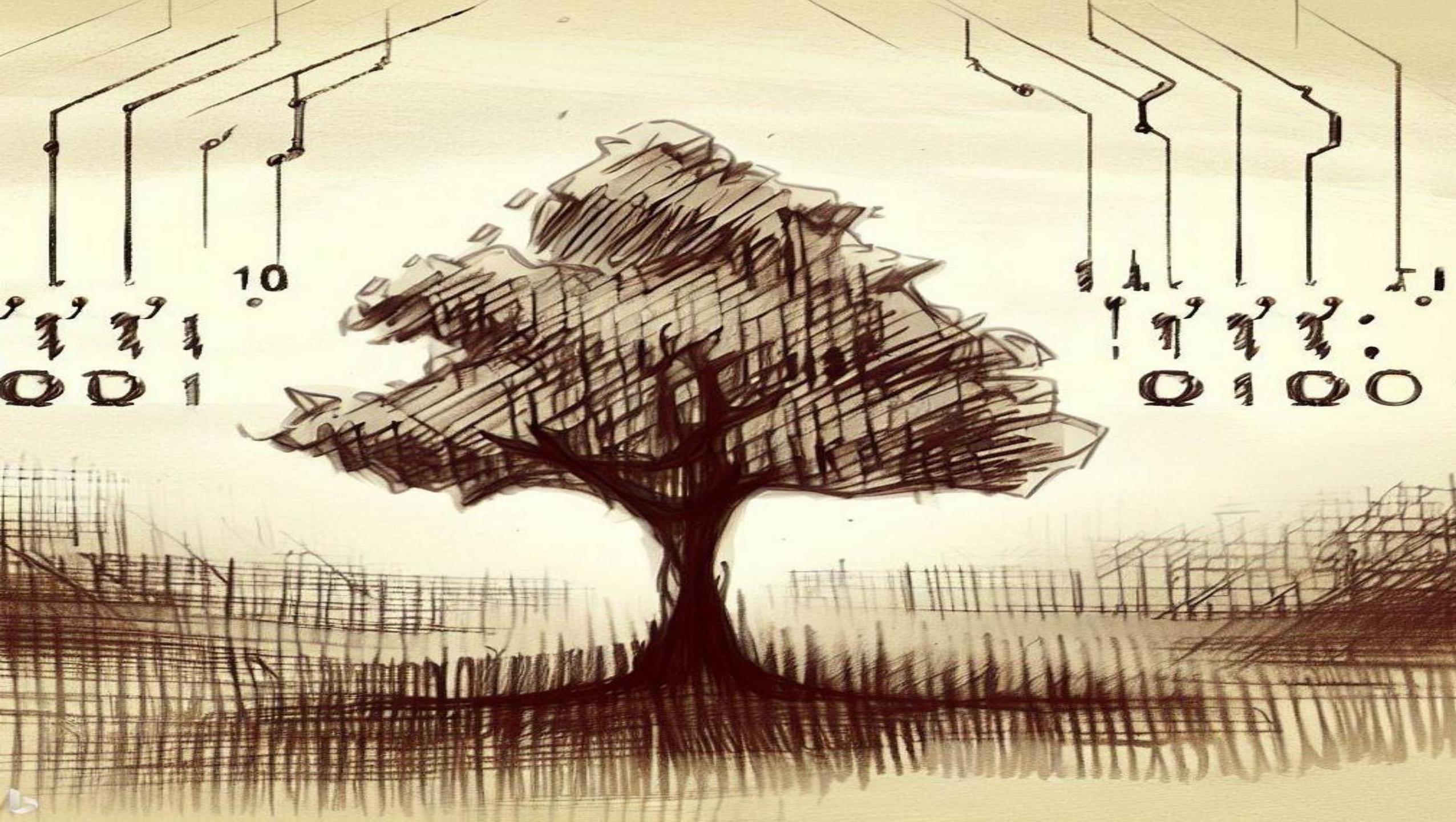
# Quantum Computing



# Complexity



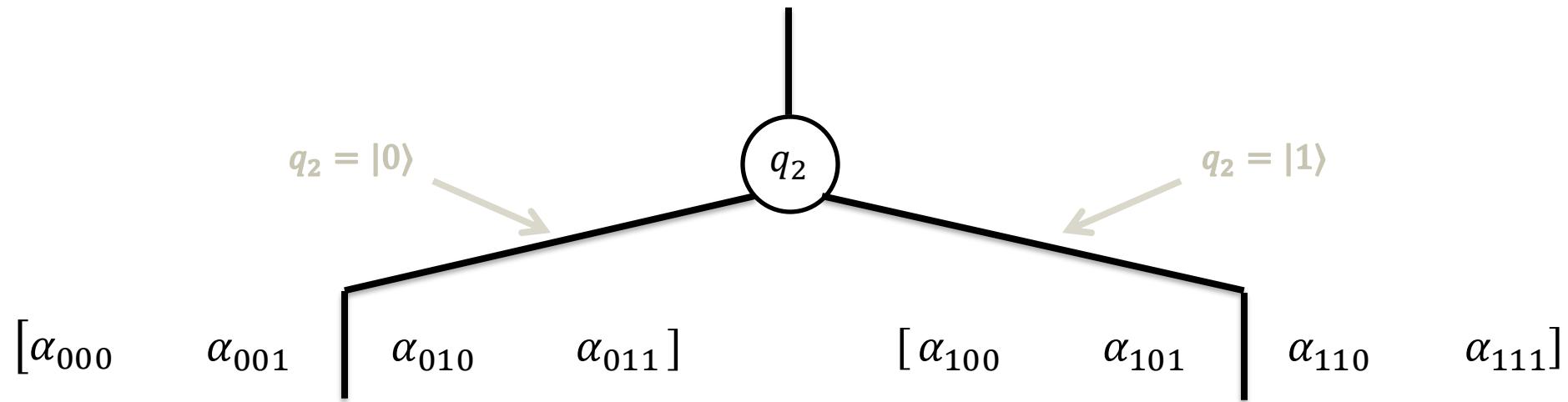
HOW? Design Automation!



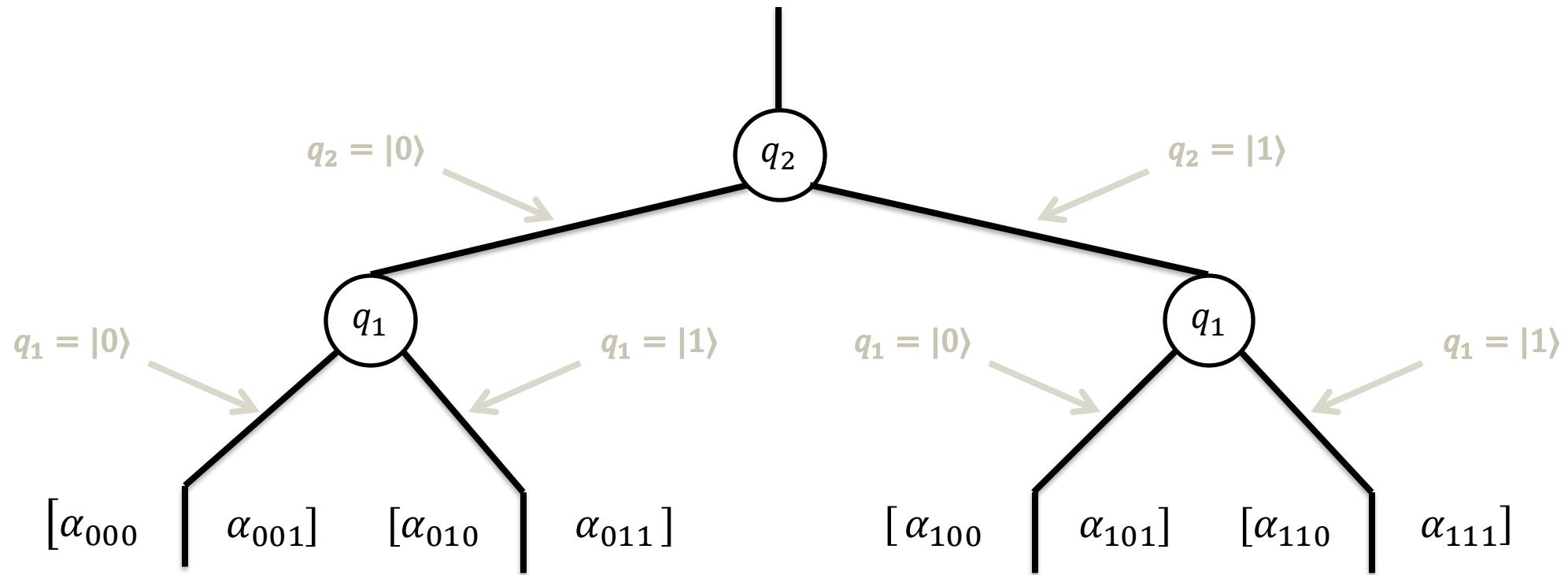
# Structure

$$[\alpha_{000} \quad \alpha_{001} \quad \alpha_{010} \quad \alpha_{011} \quad | \quad \alpha_{100} \quad \alpha_{101} \quad \alpha_{110} \quad \alpha_{111}]$$

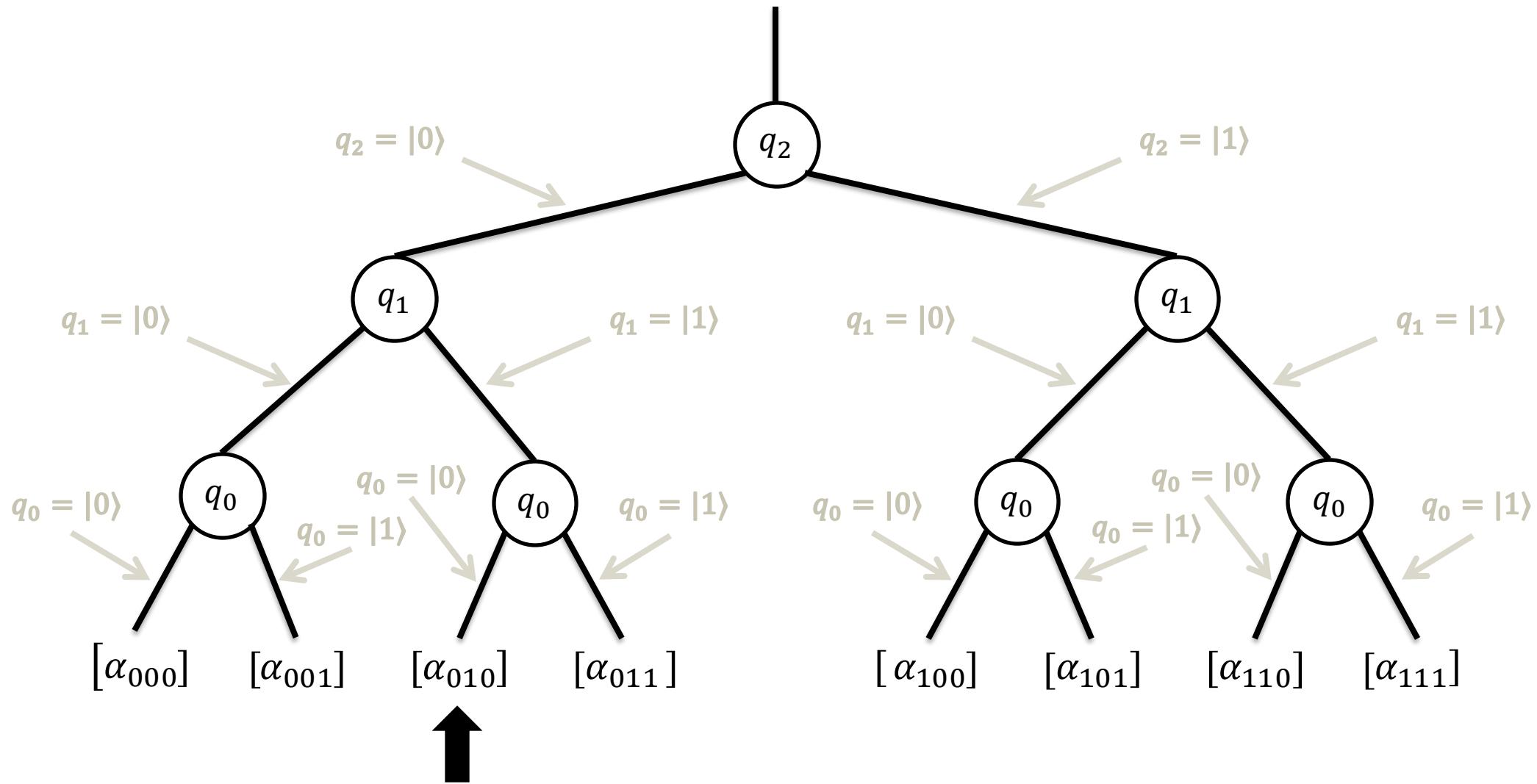
# Structure



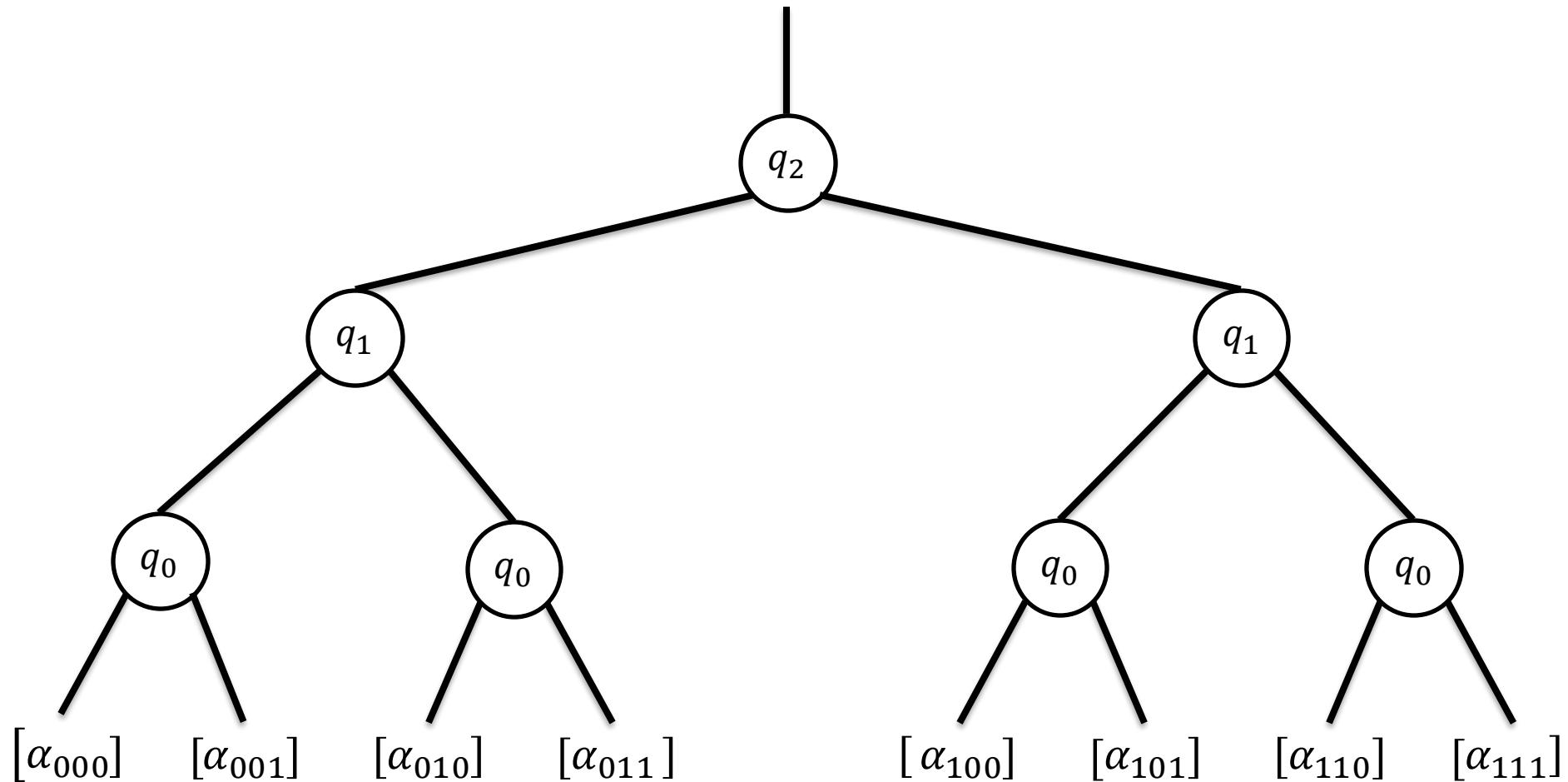
# Structure



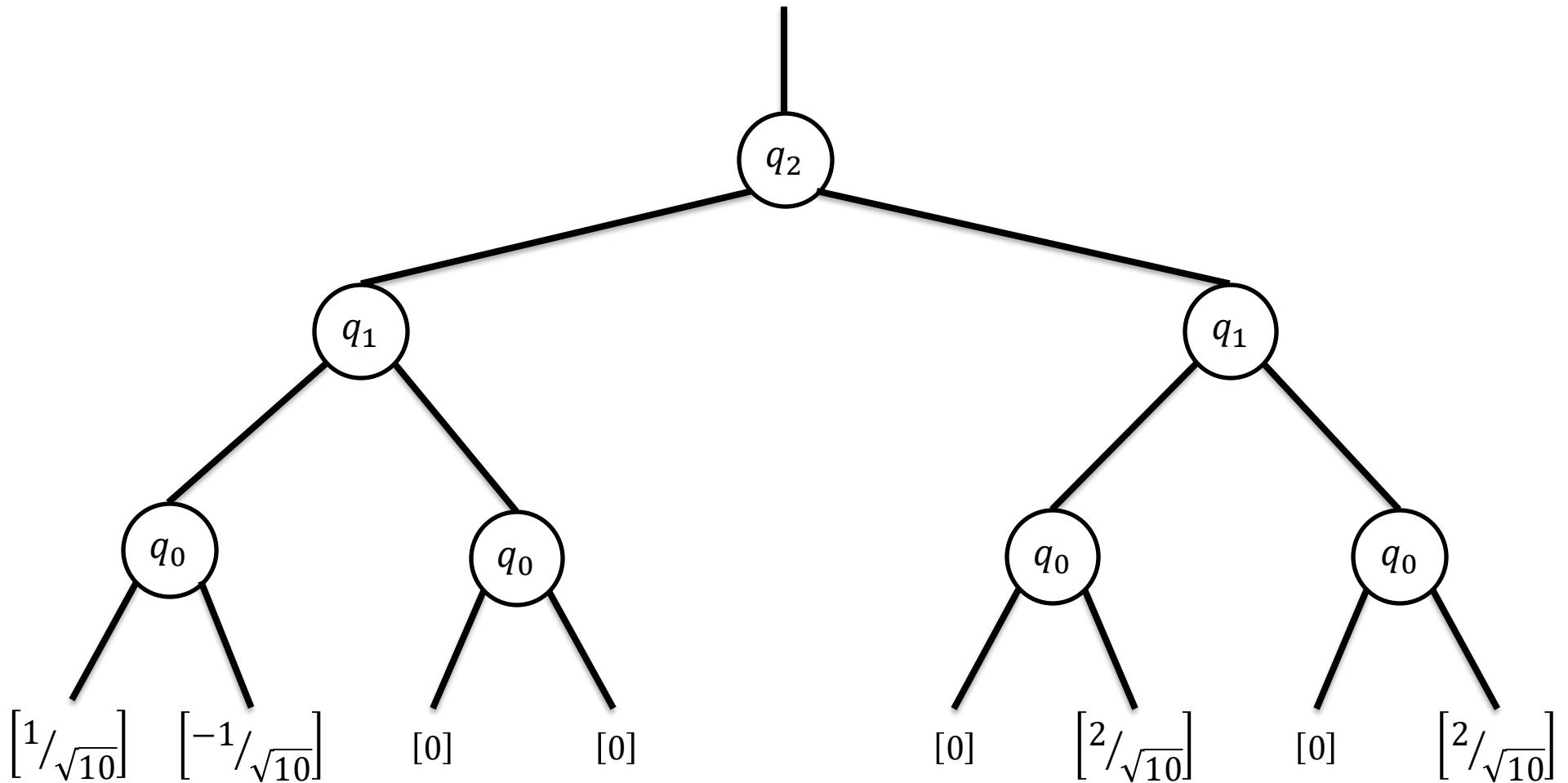
# Structure



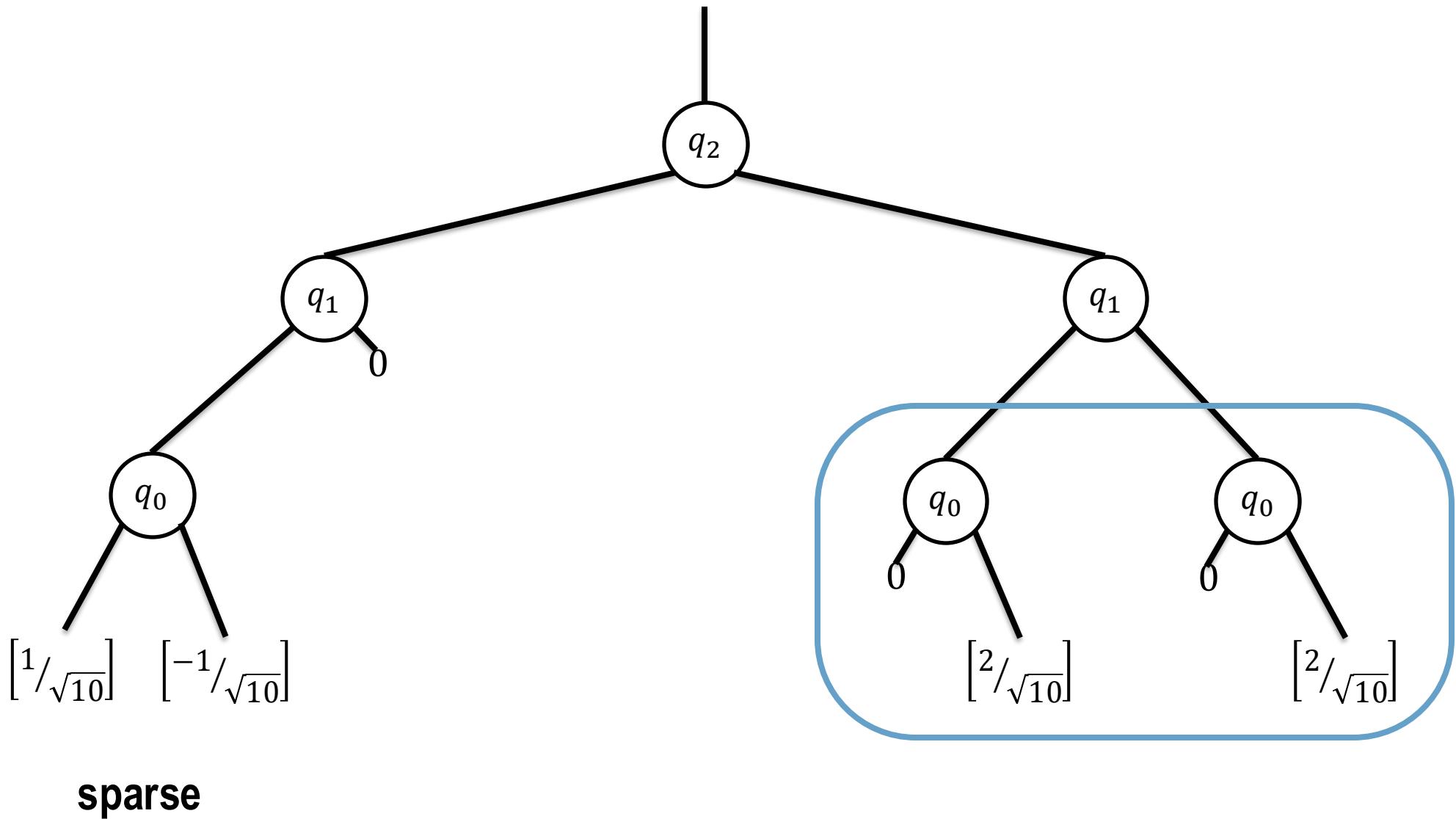
# Structure + Redundancy



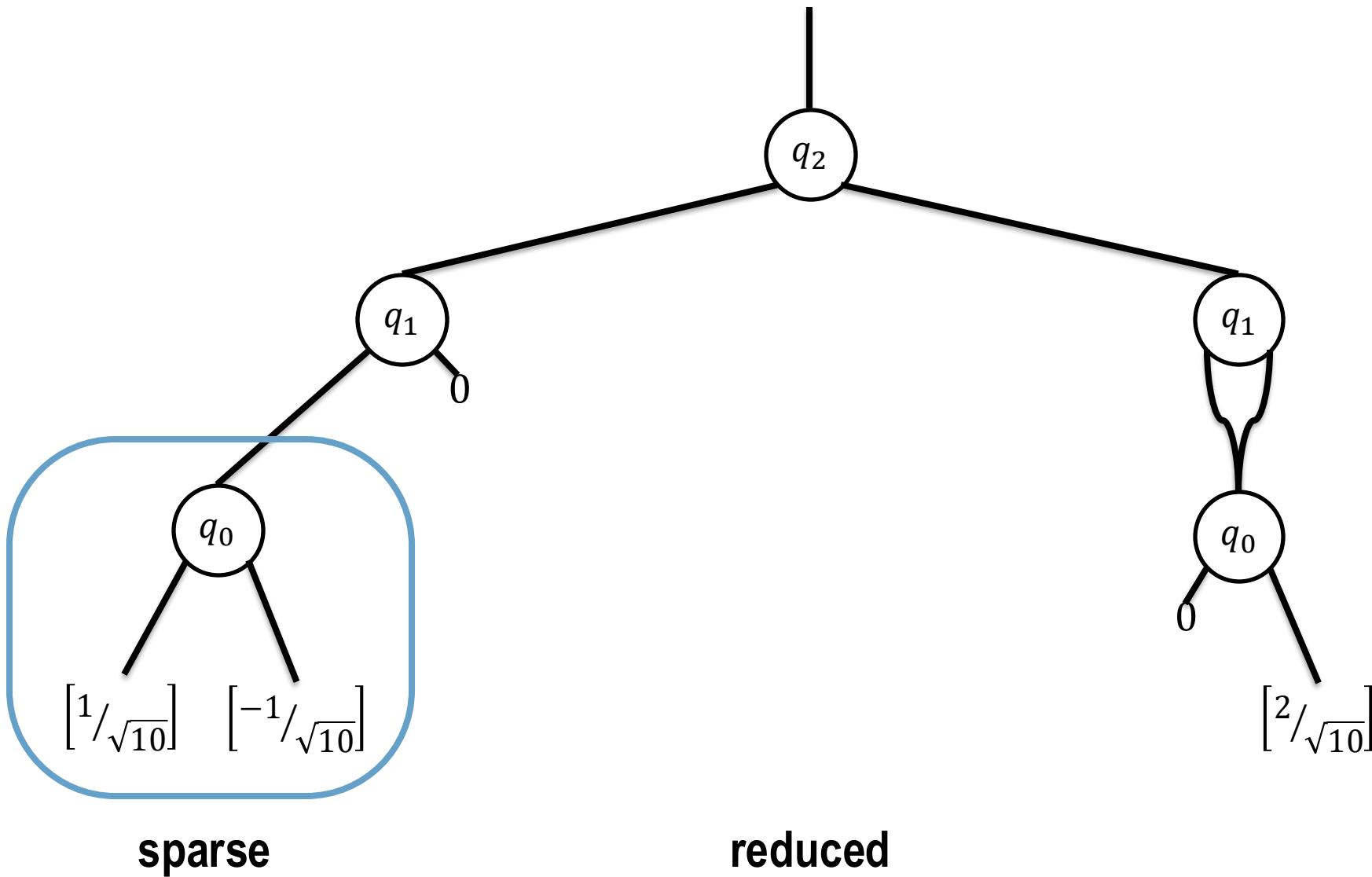
# Structure + Redundancy



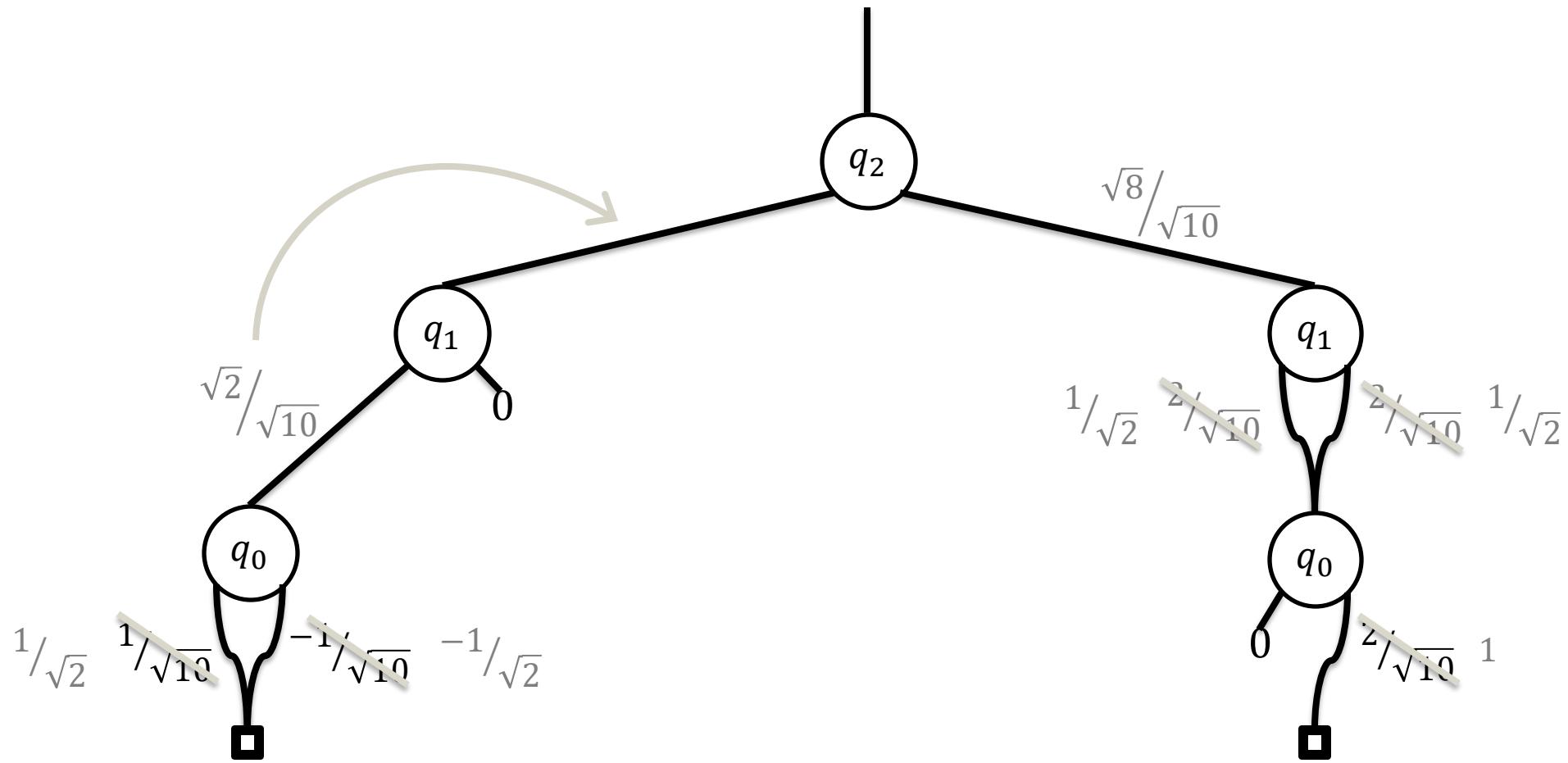
# Structure + Redundancy



# Structure + Redundancy



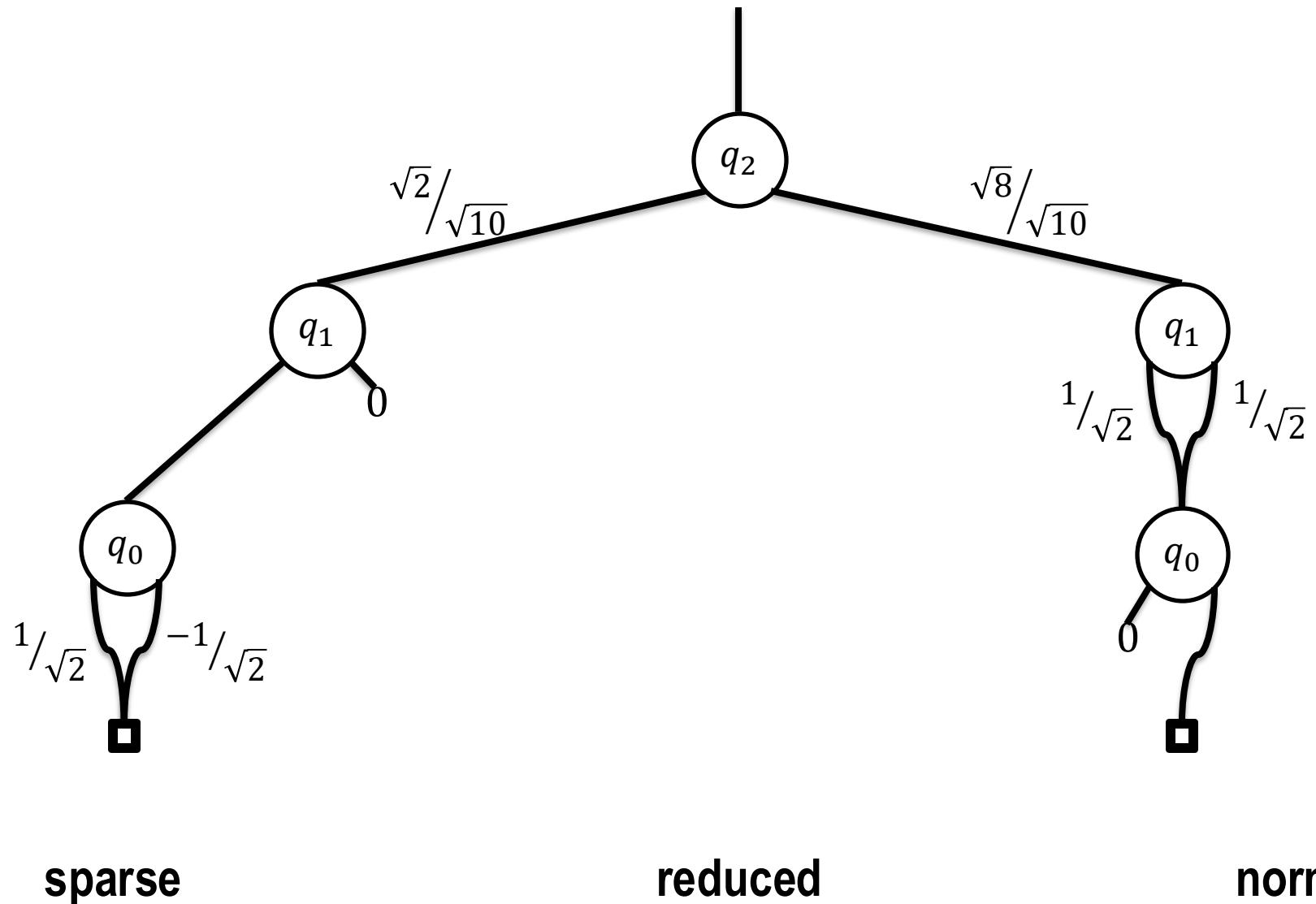
# Structure + Redundancy



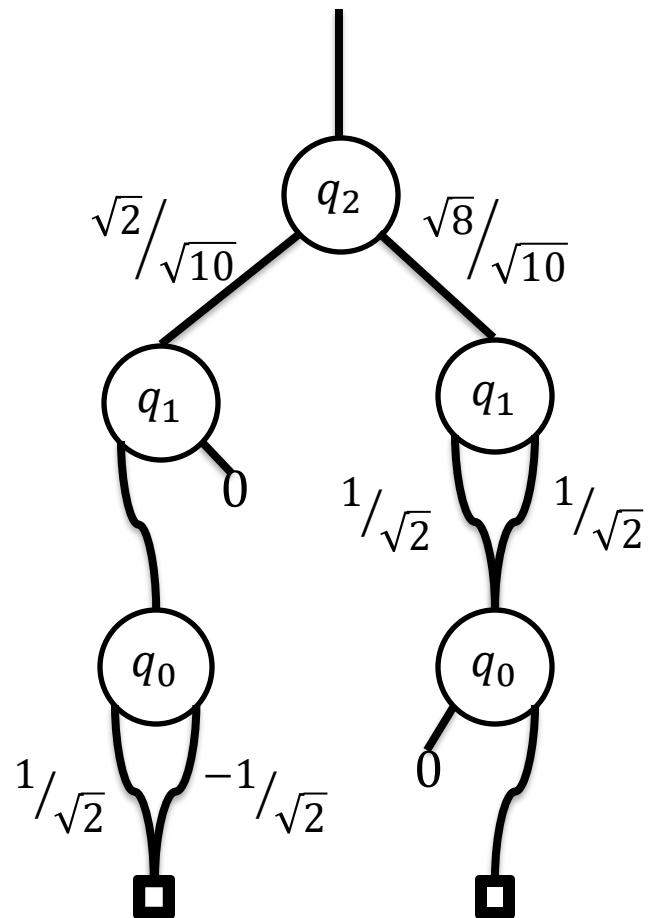
**sparse**

**reduced**

# Structure + Redundancy = Decision Diagrams



# Structure + Redundancy = Decision Diagrams



sparse

reduced

normalized

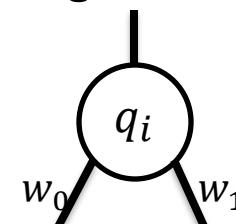
## Matrices

$$\begin{bmatrix} U_{00} & | & U_{10} \\ \hline U_{01} & + & U_{11} \end{bmatrix}$$

## Multiplication

$$\begin{bmatrix} U_{00} & | & U_{10} \\ \hline U_{01} & + & U_{11} \end{bmatrix} \times \begin{bmatrix} \alpha_{0\dots} \\ \vdash \\ \alpha_{1\dots} \end{bmatrix} = \begin{bmatrix} U_{00}\alpha_{0\dots} + U_{10}\alpha_{1\dots} \\ \vdash \\ U_{01}\alpha_{0\dots} + U_{11}\alpha_{1\dots} \end{bmatrix}$$

## Sampling



$$P(q_i = |0\rangle) = |w_0|^2$$

$$P(q_i = |1\rangle) = |w_1|^2$$

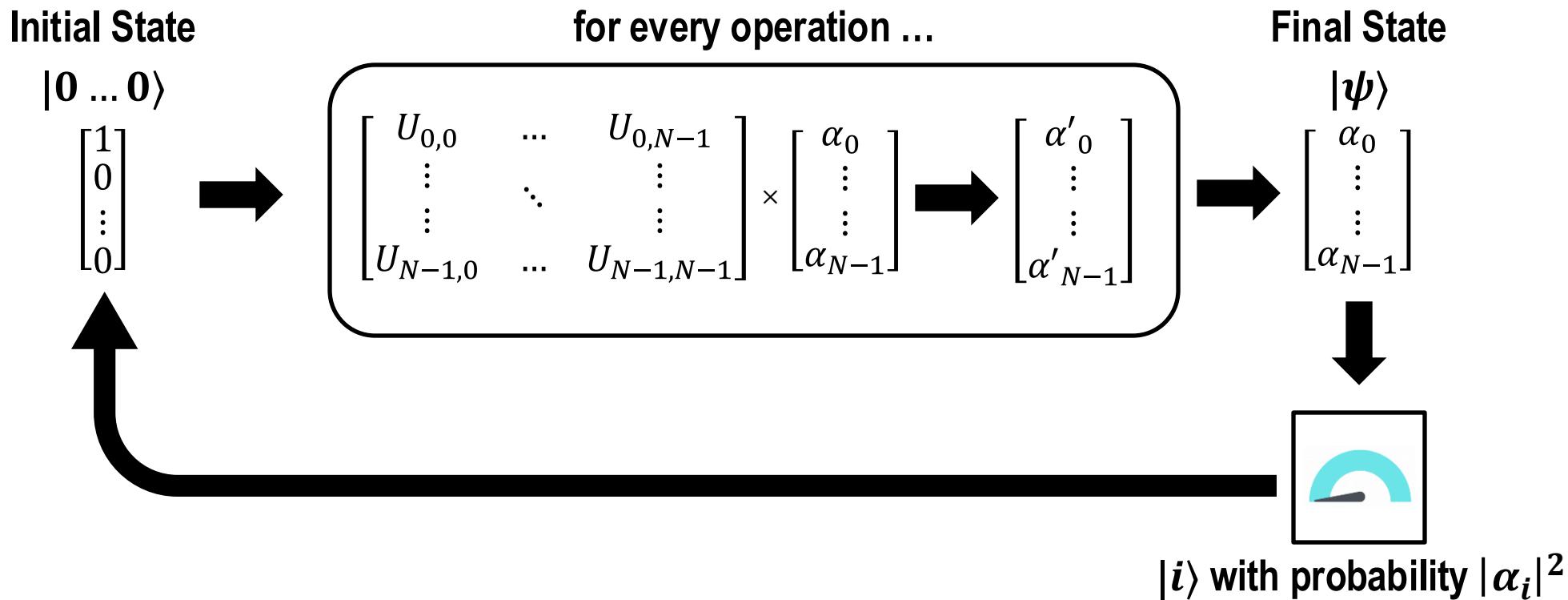


mqt-core



R. Wille, S. Hillmich, and L. Burgholzer.  
Decision Diagrams for Quantum Computing.  
In Design Automation of Quantum Computers. Springer, 2023

# Classical Simulation of Quantum Circuits



# MQT DDVis - A Web-based GUI for Exploring DDs

**Feel Free to Follow Along**

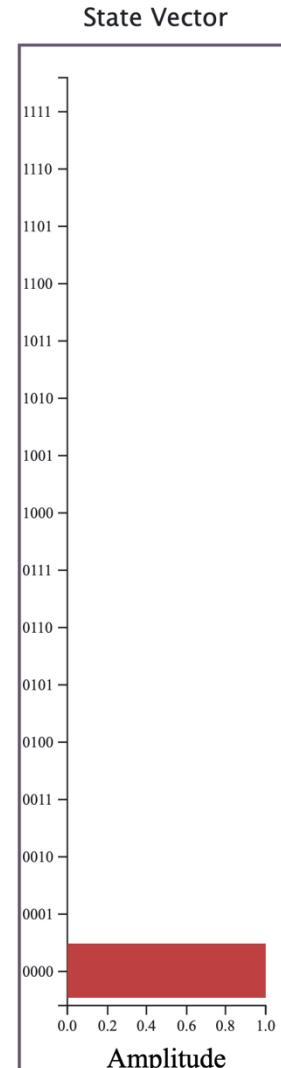
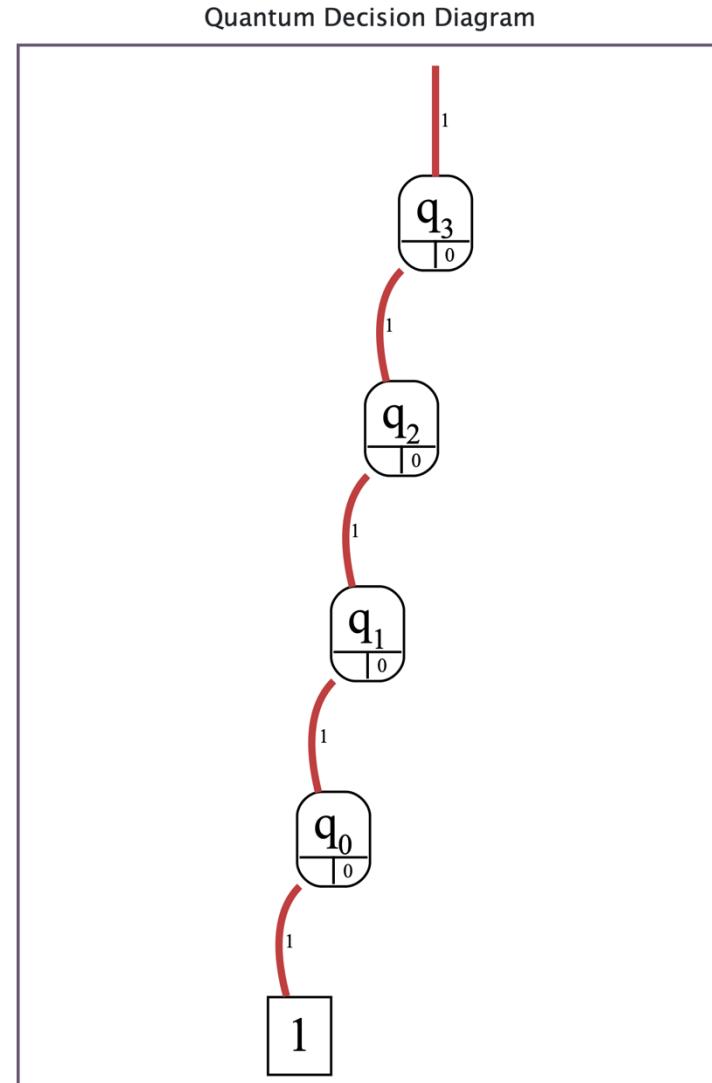
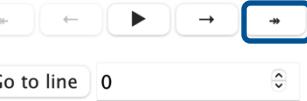
- Go to the website below
- Select the “Simulation” tab
- Choose the “Grover (4 qubits)” example



Algorithm

```
gate oracle q0, q1, q2, flag {  
    mcphase(pi) q0, q1, q2, flag;  
}  
  
gate diffusion q0, q1, q2 {  
    h q0; h q1; h q2;  
    x q0; x q1; x q2;  
    h q2;  
    ccx q0, q1, q2;  
    h q2;  
    x q2; x q1; x q0;  
    h q2; h q1; h q0;  
}  
  
qreg q[3];  
qreg flag[1];  
creg c[3];  
  
1 h q;  
2 x flag;  
3 barrier q;  
  
4 oracle q[0], q[1], q[2], flag;  
5 diffusion q[0], q[1], q[2];  
6 barrier q;  
7 oracle q[0], q[1], q[2], flag;  
8 diffusion q[0], q[1], q[2];  
  
9 measure q -> c;
```

Go to line 0



# MQT DDVis - A Web-based GUI for Exploring DDs

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- Select the “Simulation” tab
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Algorithm

```

gate oracle q0, q1, q2, flag {
    mcphase(pi) q0, q1, q2, flag;
}

gate diffusion q0, q1, q2 {
    h q0; h q1; h q2;
    x q0; x q1; x q2;
    h q2;
    ccx q0, q1, q2;
    h q2;
    x q2; x q1; x q0;
    h q2; h q1; h q0;
}

qreg q[3];
qreg flag[1];
creg c[3];

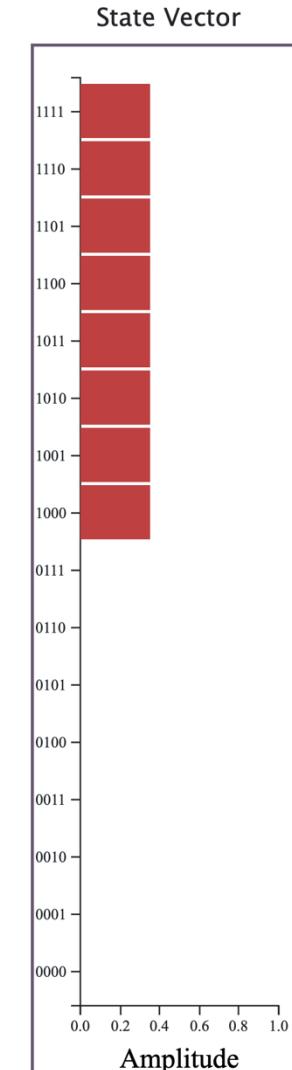
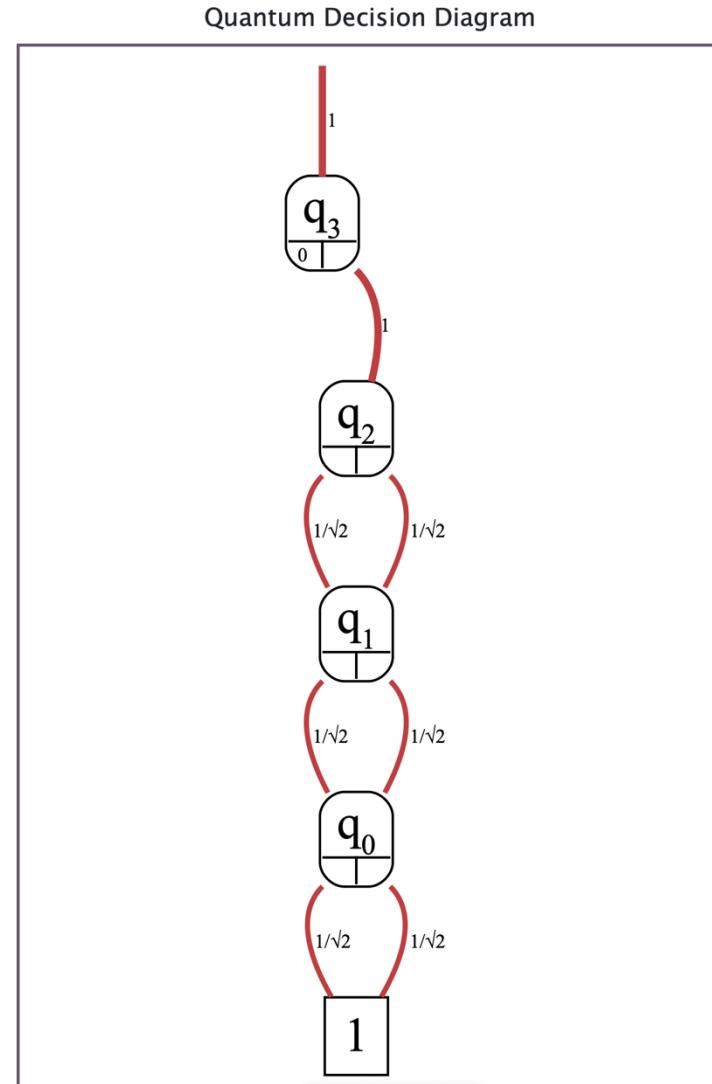
1 h q;
2 x flag;
3 barrier q;

4 oracle q[0], q[1], q[2], flag;
5 diffusion q[0], q[1], q[2];
6 barrier q;
7 oracle q[0], q[1], q[2], flag;
8 diffusion q[0], q[1], q[2];

9 measure q -> c;

```

Go to line 0



# MQT DDVis - A Web-based GUI for Exploring DDs

**Feel Free to Follow Along**

- Go to the website below
- Select the “Simulation” tab
- Choose the “Grover (4 qubits)” example



Algorithm

```

gate oracle q0, q1, q2, flag {
    mcphase(pi) q0, q1, q2, flag;
}

gate diffusion q0, q1, q2 {
    h q0; h q1; h q2;
    x q0; x q1; x q2;
    h q2;
    ccx q0, q1, q2;
    h q2;
    x q2; x q1; x q0;
    h q2; h q1; h q0;
}

qreg q[3];
qreg flag[1];
creg c[3];

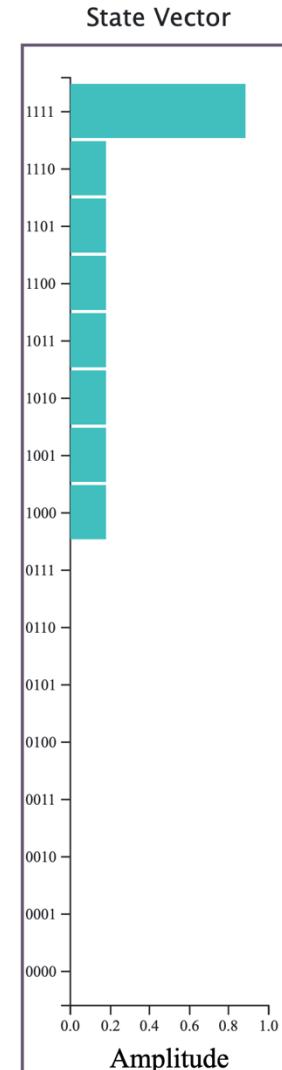
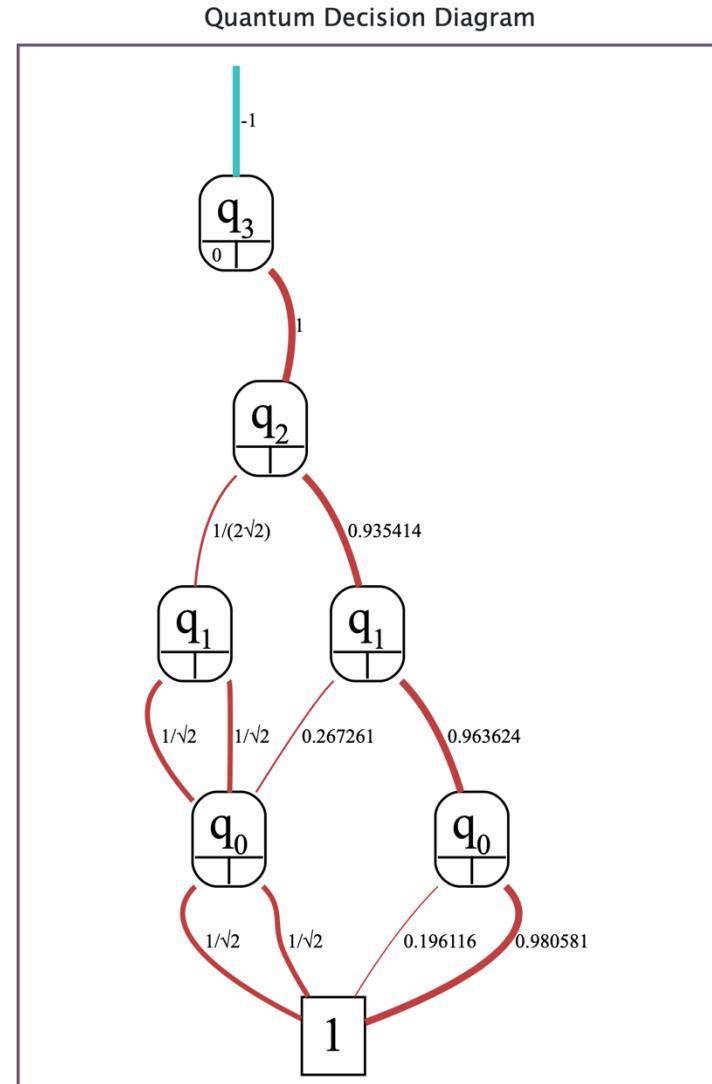
1 h q;
2 x flag;
3 barrier q;

4 oracle q[0], q[1], q[2], flag;
5 diffusion q[0], q[1], q[2];
6 barrier q;
7 oracle q[0], q[1], q[2], flag;
8 diffusion q[0], q[1], q[2];

9 measure q -> c;

```

Go to line 0



# MQT DDVis - A Web-based GUI for Exploring DDs

**Feel Free to Follow Along**

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- Select the “Simulation” tab
- Choose the “Grover (4 qubits)” example



Algorithm

```

gate oracle q0, q1, q2, flag {
    mcphase(pi) q0, q1, q2, flag;
}

gate diffusion q0, q1, q2 {
    h q0; h q1; h q2;
    x q0; x q1; x q2;
    h q2;
    ccx q0, q1, q2;
    h q2;
    x q2; x q1; x q0;
    h q2; h q1; h q0;
}

qreg q[3];
qreg flag[1];
creg c[3];

1 h q;
2 x flag;
3 barrier q;

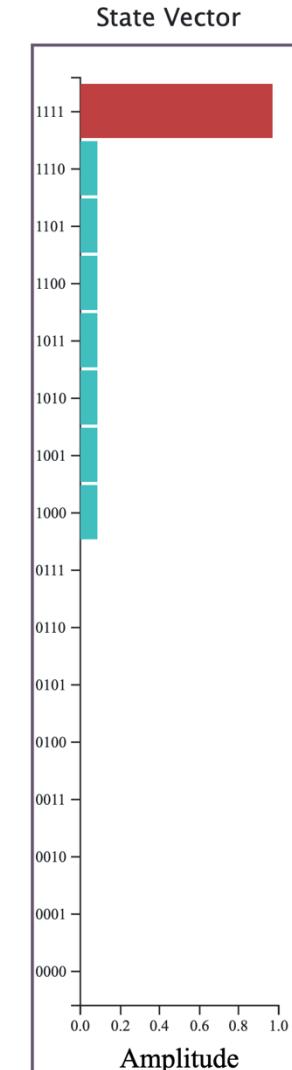
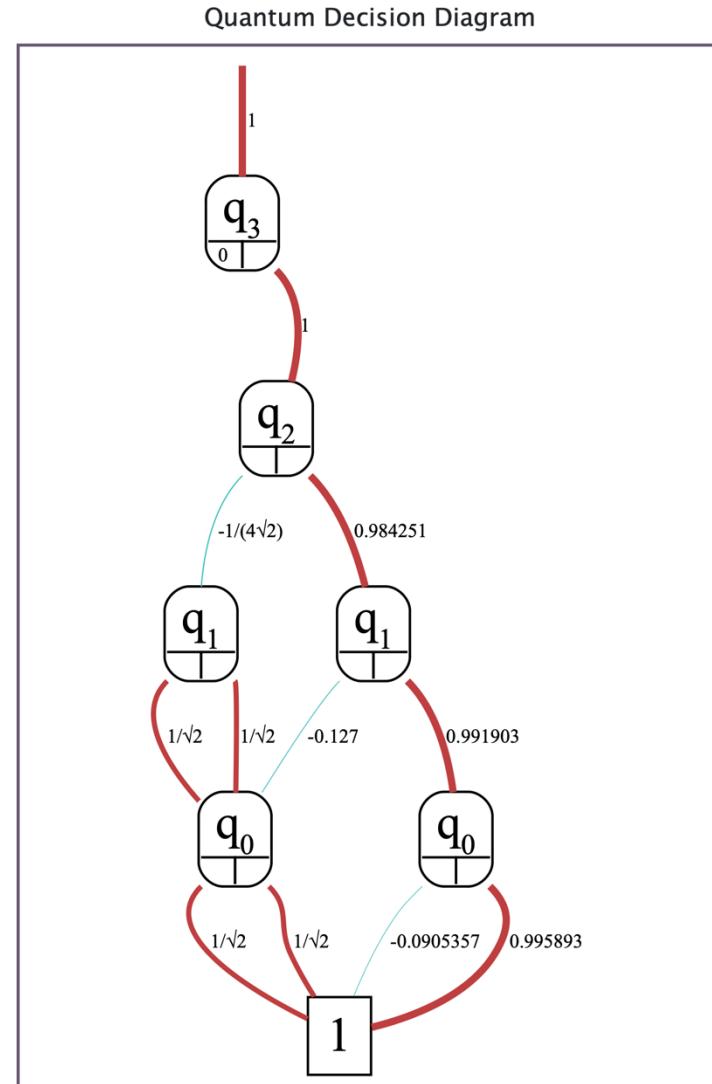
4 oracle q[0], q[1], q[2], flag;
5 diffusion q[0], q[1], q[2];
6 barrier q;
7 oracle q[0], q[1], q[2], flag;
8 diffusion q[0], q[1], q[2];

9 measure q -> c;

```

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Go to line 0 ↴ ↴



# MQT DDSIM

<https://github.com/cda-tum/mqt-ddsim> or simply `pip install mqt.ddsim`



hybrid\_sim.py

```
from qiskit import *
from mqt.ddsim import DDSIMProvider

q = QuantumRegister(4, 'q')
circ = QuantumCircuit(q)
circ.h(q)
circ.cz(q[0], q[2])
circ.cz(q[3], q[1])
print(circ.draw())

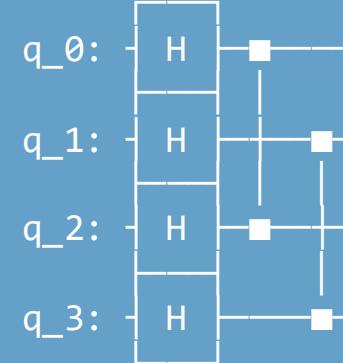
provider = DDSIMProvider()
backend = provider.get_backend('hybrid_statevector_simulator')
job = backend.run(circ, mode='amplitude') # or mode='dd'

print(job.result().get_statevector(circ))
```



Terminal

```
$ python3 hybrid_sim.py
```



```
[ 0.25+0.j  0.25+0.j  0.25+0.j  0.25+0.j
 0.25+0.j -0.25+0.j  0.25+0.j -0.25+0.j
 0.25+0.j  0.25+0.j -0.25+0.j -0.25+0.j
 0.25+0.j -0.25+0.j -0.25+0.j  0.25+0.j]
```



*“... allowed to perform simulations **within 20 min** where the **state-of-the-art** decision diagram simulator **did not finish within a whole day**.”*

142 ★ on GitHub, 308k Downloads from PyPI

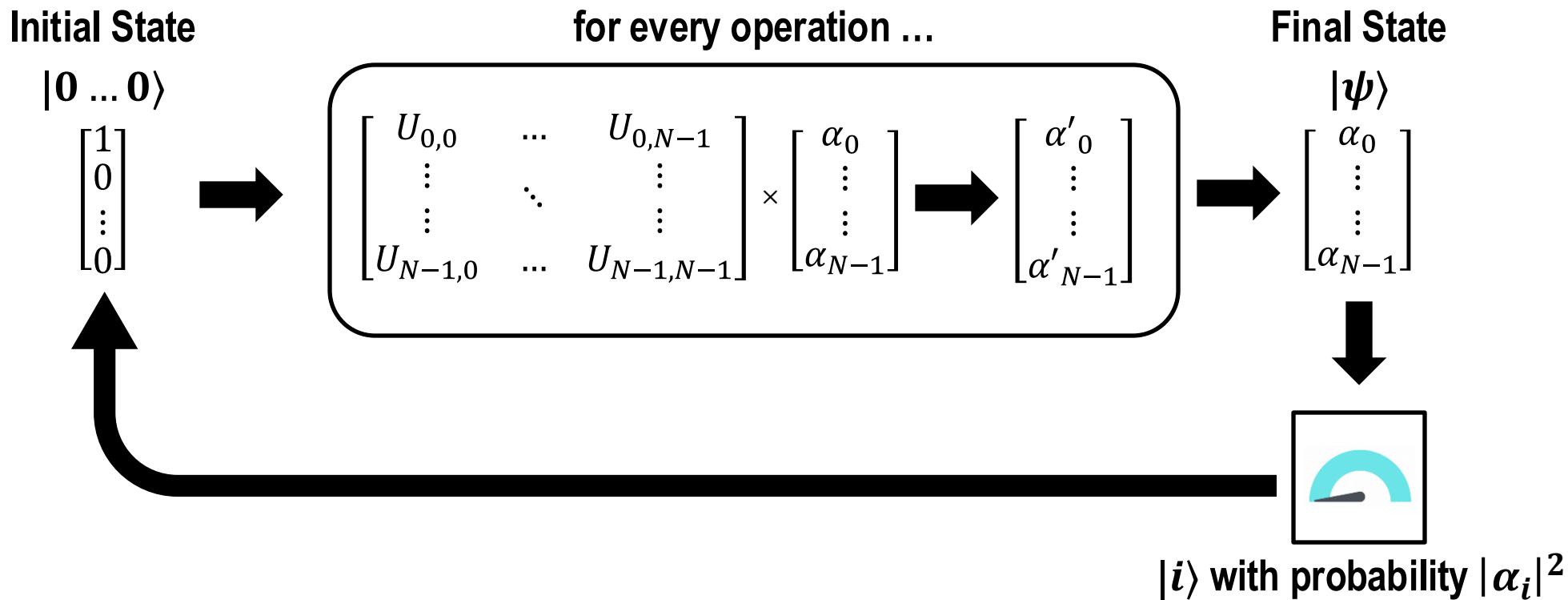
# Practical Part I: Simulation

# Tutorial Setup

- Clone the repository: **<https://github.com/cda-tum/mqt>**
  - `git clone https://github.com/cda-tum/mqt`
  - `cd mqt`
- Check out the **tutorial-SC24** branch
  - `git switch tutorial-SC24`
- Follow the README in the **tutorial** folder
  - `cd tutorial`



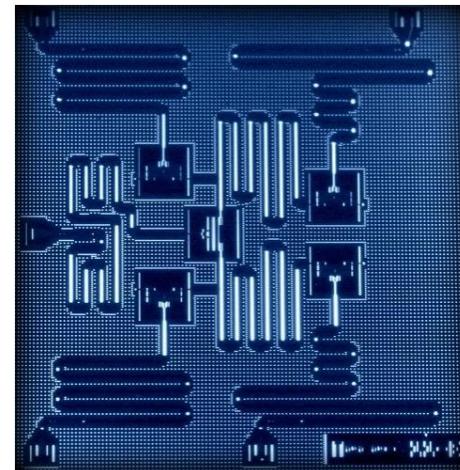
# Quantum Computing



# Quantum Computing

**QASM**

```
OPENQASM 2.0;  
include "qelib1.inc";  
  
qreg q[3];  
creg c[3];  
h q[2];  
cx q[2], q[1];  
cx q[2], q[0];  
measure q[2] -> c[2];
```



1110  
0110  
0001  
1001

# Classical Computing

ASM

```
mov r0, #1
mov r1, #1
l:
add r2, r0, r1
str r2, [r3]
add r3, #4
mov r0, r1
mov r1, r2
b l
```



1110  
0110  
0001  
1001

# Classical Computing

C++

```
int i = 1;  
int j = 1;  
while (true) {  
    *val++ = i + j;  
    j = i + (i = j);  
}
```

Compiler  


gcc  
clang  
icc

ASM

```
mov r0, #1  
mov r1, #1  
l:  
add r2, r0, r1  
str r2, [r3]  
add r3, #4  
mov r0, r1  
mov r1, r2  
b l
```



1110  
0110  
0001  
1001

# Quantum Computing

Python

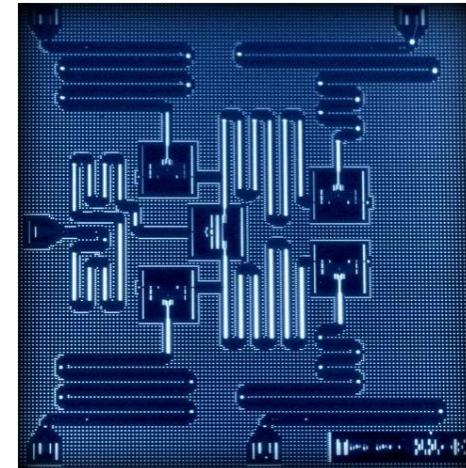
```
from qiskit import QuantumCircuit  
  
qc = QuantumCircuit(3, 3)  
qc.h(2)  
qc.cx(2, 1)  
qc.cx(2, 0)  
qc.measure(2, 2)
```

Compiler →

qiskit  
tket  
...

QASM

```
OPENQASM 2.0;  
include "qelib1.inc";  
  
qreg q[3];  
creg c[3];  
h q[2];  
cx q[2], q[1];  
swap q[2], q[1];  
cx q[1], q[0];  
measure q[1] -> c[2];
```



1110

0110

0001

1001

# Compilation of Quantum Circuits

 Conceptional algorithm

 Limited Gate Set

 Synthesis

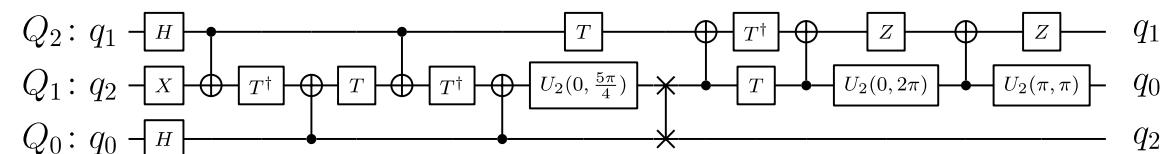
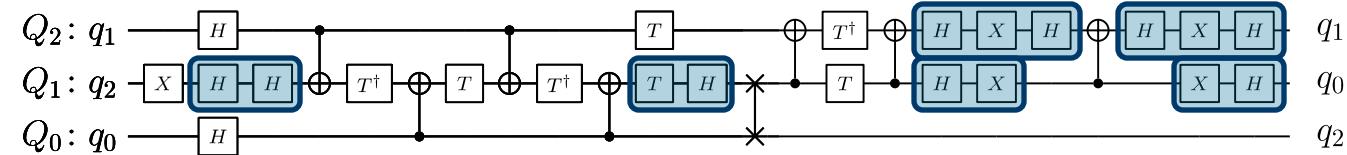
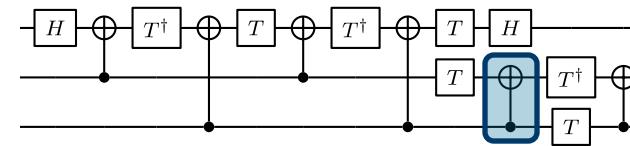
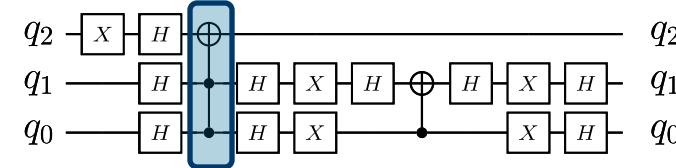
 Limited Connectivity

 Mapping

 Limited Fidelity and Coherence

 Optimizations

 Actual Realization



# Compilation of Quantum Circuits

 Conceptional algorithm

 Limited Gate Set

 Synthesis

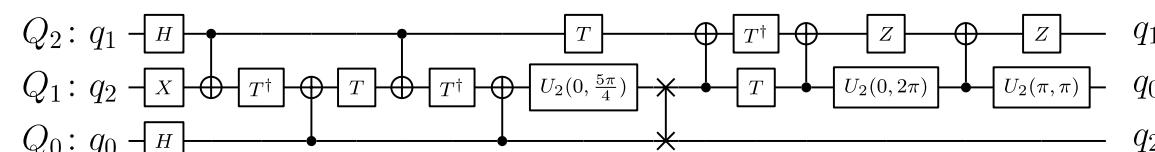
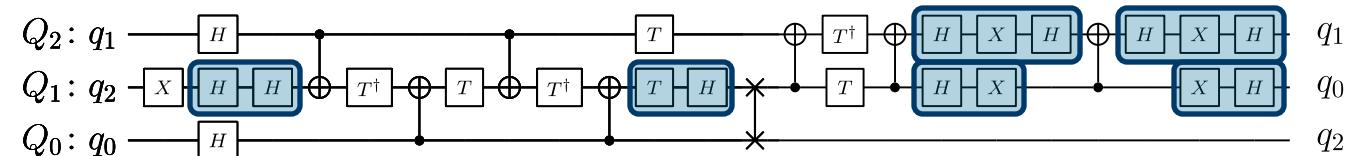
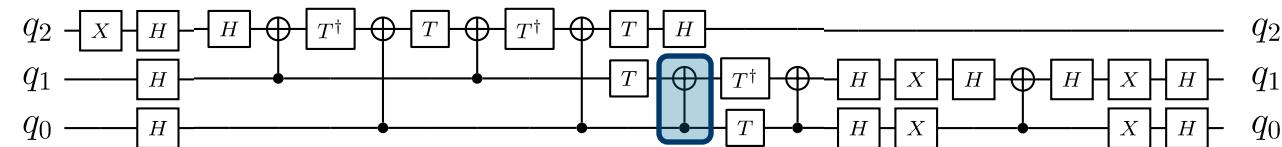
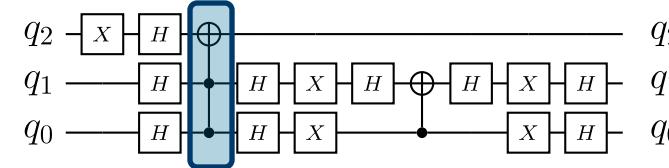
 Limited Connectivity

 Mapping

 Limited Fidelity and Coherence

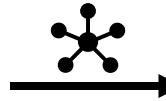
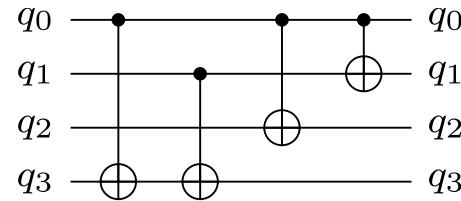
 Optimizations

 Actual Realization



# Mapping of Quantum Circuits

 Decomposed Circuit

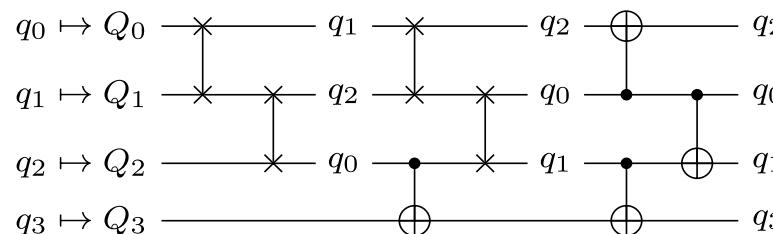


Target Device

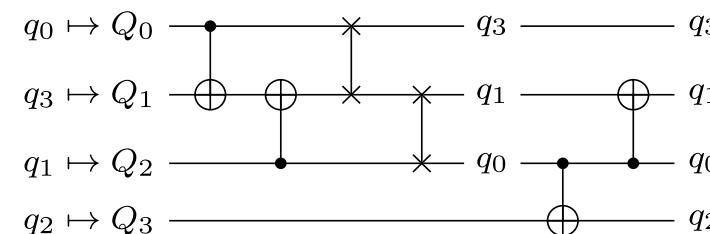


- Different approaches for mapping offer trade-off between runtime vs quality of result

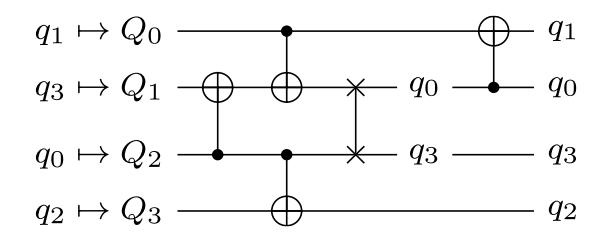
Naive Approach



Heuristic Approach



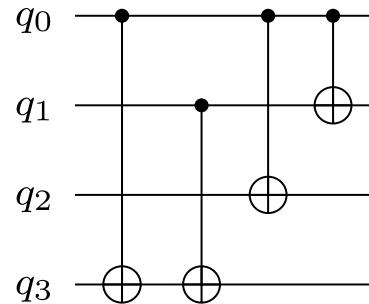
Optimal Approach



Finding an optimal solution is NP-complete!

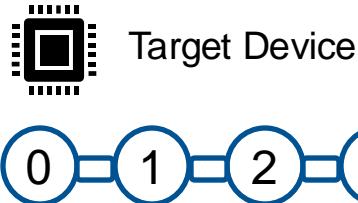
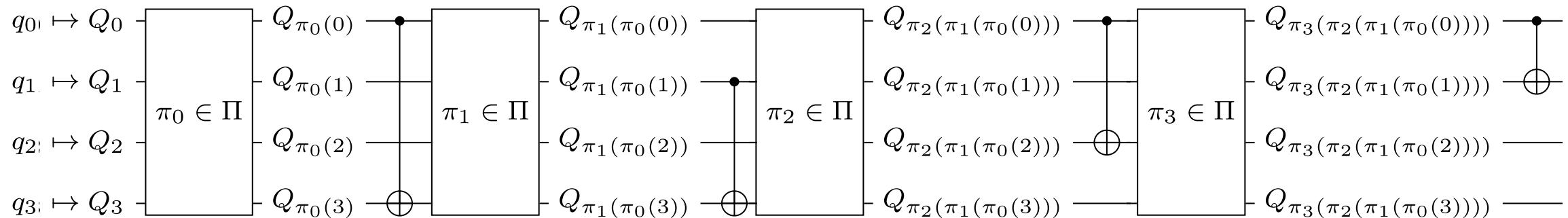
# Optimal Mapping of Quantum Circuits

- Different Objectives: gate-count, depth, fidelity



# Optimal Mapping of Quantum Circuits

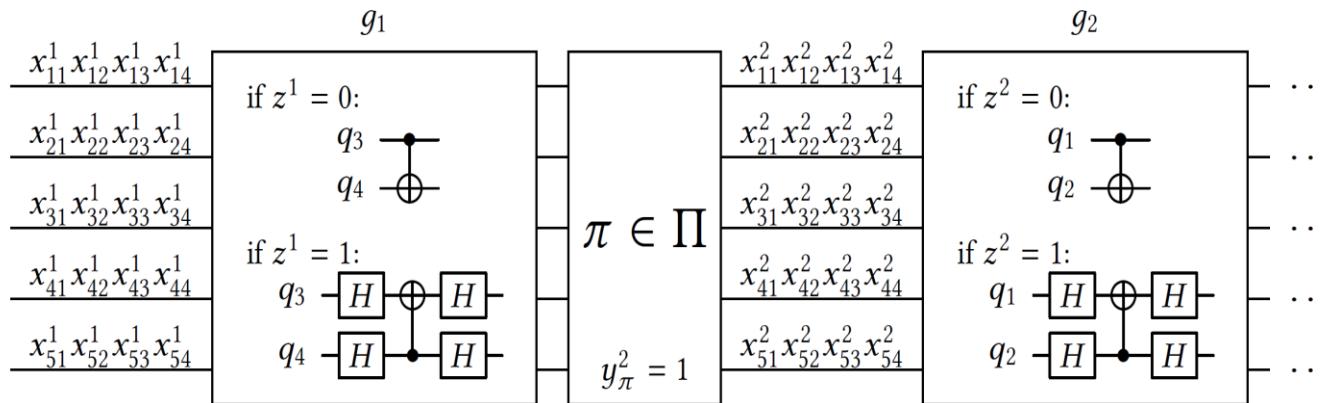
- Different Objectives: gate-count, depth, fidelity



- Valid mapping makes every gate executable
- Permutations are eventually realized as sequences of swaps
- Goal: minimize the number of swaps

# Optimal Mapping of Quantum Circuits

## Symbolic Encoding and Powerful Reasoning Engines



$$\begin{aligned} & \bigwedge_{k=1}^{|G|} \left( \bigwedge_{j=1}^n \left( \sum_{i=1}^m x_{ij}^k = 1 \right) \wedge \bigwedge_{i=1}^m \left( \sum_{j=1}^n x_{ij}^k \leq 1 \right) \right) \\ & g_k = CNOT_{T_k(q_c, q_t) \in G} \left( \bigvee_{(p_i, p_j) \in CM} (x_{ic}^k \wedge x_{jt}^k) \vee (x_{it}^k \wedge x_{jc}^k) \right) \\ & \bigwedge_{k=2}^{|G|} \left( \bigwedge_{\pi \in \Pi} \left( \bigwedge_{i=1}^m \bigwedge_{j=1}^n (x_{ij}^{k-1} = x_{\pi(i)j}^k) \right) \Leftrightarrow y_\pi^k \right) \\ & \mathcal{F} = \sum_{k=2}^{|G|} \sum_{\pi \in \Pi} (7 \cdot \text{swaps}(\pi) y_\pi^k) + \sum_{k=1}^{|G|} (4 \cdot z^k) \end{aligned}$$



Target Device



- Valid mapping makes every gate executable
- Permutations are eventually realized as sequences of swaps
- Goal: minimize the number of swaps



R. Wille, L. Burgholzer, and A. Zulehner.

Mapping Quantum Circuits to IBM QX Architectures Using the Minimal Number of SWAP and H Operations.  
In Design Automation Conference (DAC). 2019.

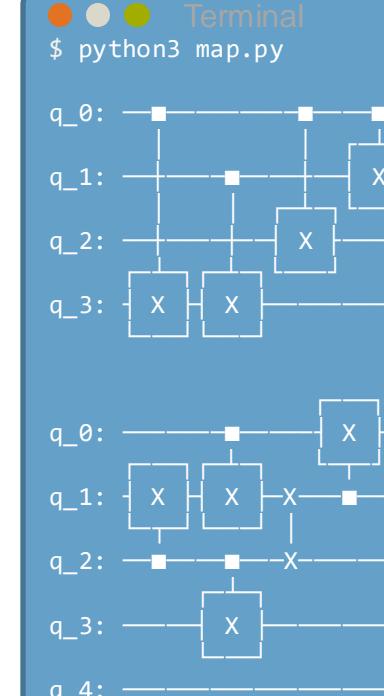
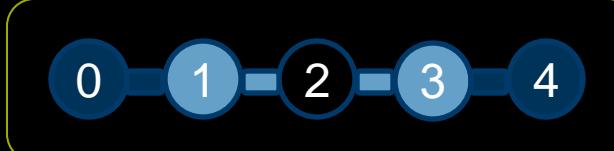
<https://github.com/cda-tum/mqt-qmap> or simply `pip install mqt.qmap`

```
● ● ● Terminal
map.py
from qiskit import *
from qiskit.providers.fake_provider import GenericBackendV2
from mqt import qmap

q = QuantumRegister(4, 'q')
circ = QuantumCircuit(q)
circ.cx(q[0], q[3])
circ.cx(q[1], q[3])
circ.cx(q[0], q[2])
circ.cx(q[0], q[1])
print(circ.draw())

arch = GenericBackendV2(num_qubits=5, coupling_map=
[[0, 1], [1, 0], [1, 2], [2, 1], [2, 3], [3, 2], [3, 4], [4, 3]])
m_circ, results = qmap.compile(circ, arch=arch, method='exact')

print(m_circ.draw())
```

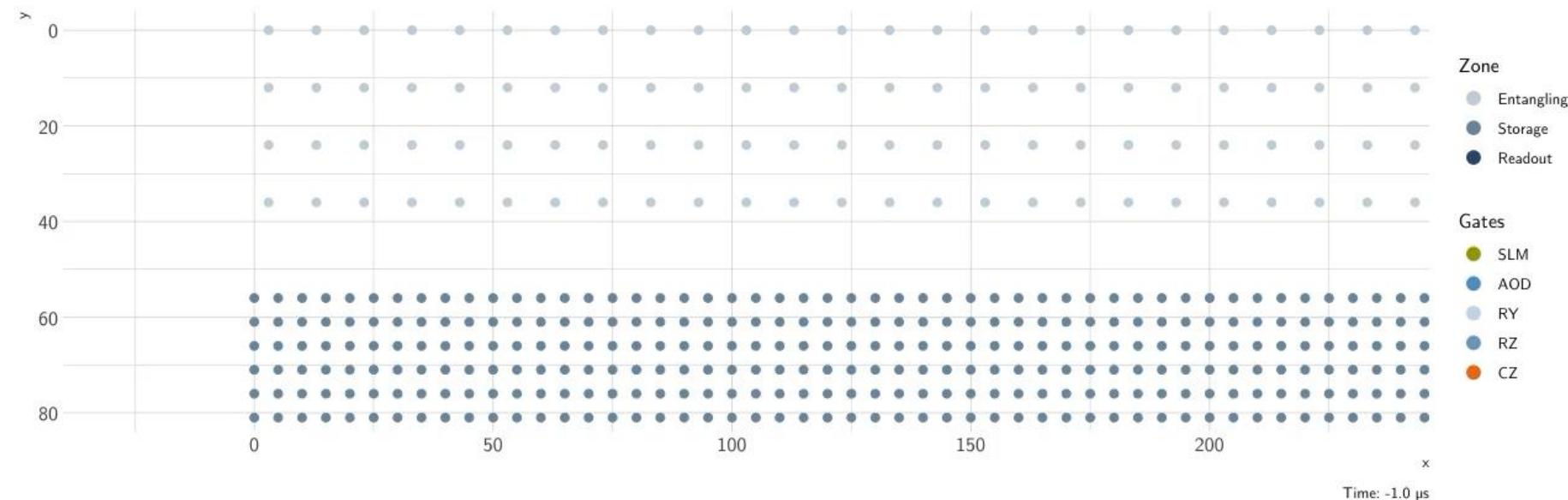


“... one of the **first optimal solutions** to the problem of mapping quantum circuits to architectures with limited connectivity ... showed that **circuits mapped by Qiskit** required **twice as many additional gates** as necessary.”



## Practical Part II: Compilation

# Compilation for Zoned Neutral Atom Architectures



# Quantum Computing

Python

```
from qiskit import
```

```
Quantu
```

```
qc =
```

```
Quantu
```

```
qc.h(2)
```

```
qc.cx(2,
```

```
qc.cx(2, 0)
```

```
qc.measure(2, 2)
```

QASM

```
OPENQASM 2.0;
```

“...a significant fraction of these bugs (**39.9%**) are quantum-specific... bugs occur particularly often in components that **represent, compile, and optimize** quantum programming abstractions.”

Paltenghi, M. and Pradel, M., “Bugs in Quantum Computing Platforms: An Empirical Study”, *arXiv: 2110.14560*, 2021.

```
swap q[2], q[1];  
cx q[1], q[0];  
measure q[1] -> c[2];
```



How do you verify that the resulting circuit still realizes the originally intended functionality?

1110

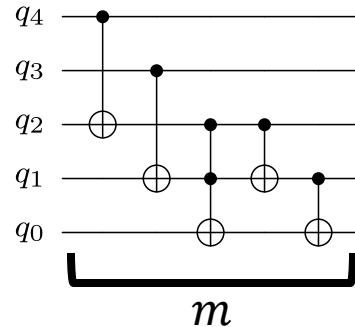
0110

0001

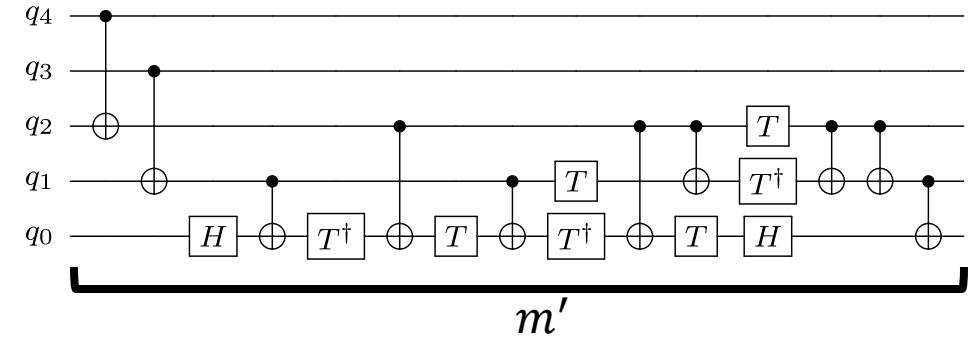
1001

# Verification of Quantum Circuits

 Conceptional algorithm  $G$

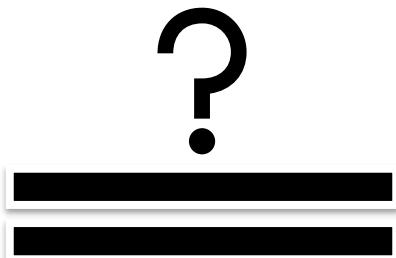


 Actual Realization  $G'$



How do you verify that the resulting circuit still realizes the originally intended functionality?

$$[U_m \left[ \begin{matrix} U \\ \vdots \\ U \end{matrix} \right] U_0]$$

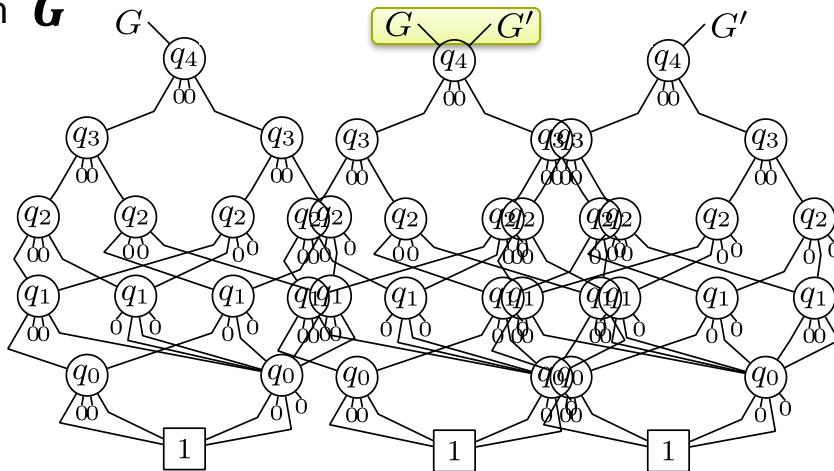
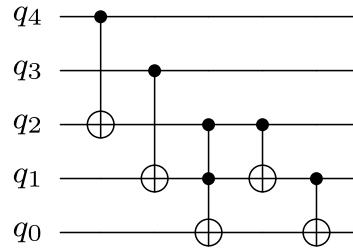


$$[U'_m \left[ \begin{matrix} U \\ \vdots \\ U \end{matrix} \right] U'_0]$$

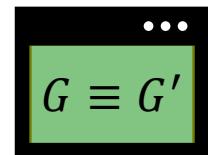
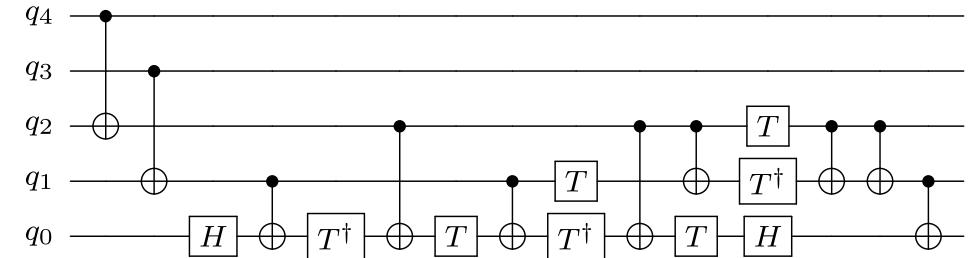
# Verification of Quantum Circuits



Conceptional algorithm  $G$



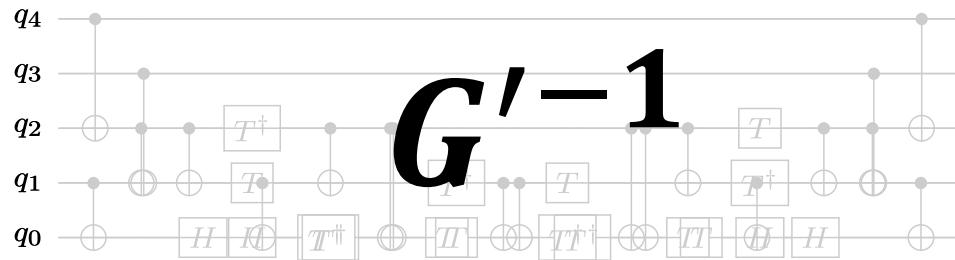
Actual Realization  $G'$



Construction of two large DDs!

# Verification of Quantum Circuits

- If  $G \equiv G'$ , then  $G'^{-1} \cdot G \equiv I$
  - $G'^{-1}$  easy due to reversibility



U U



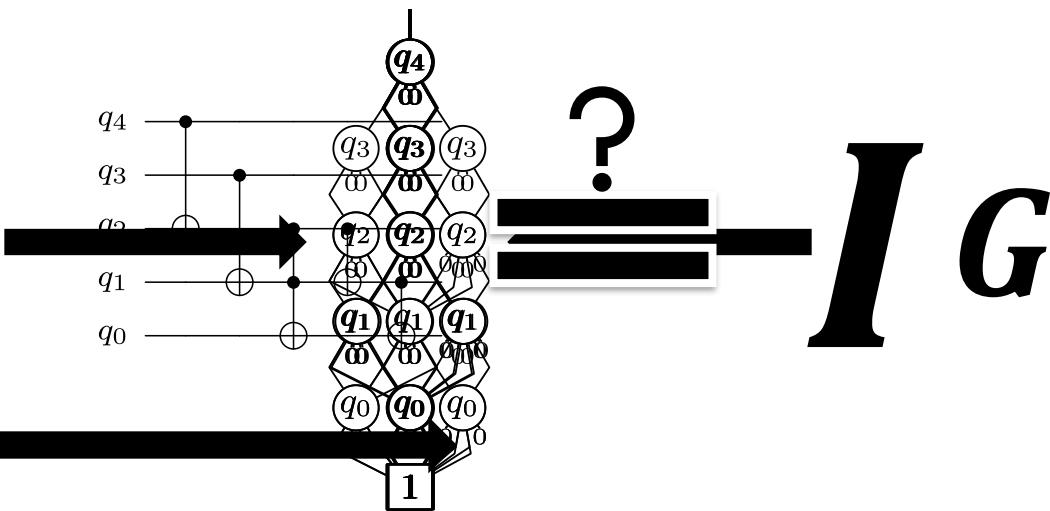
# Strategies?



# Complete DD for $G'^{-1}$

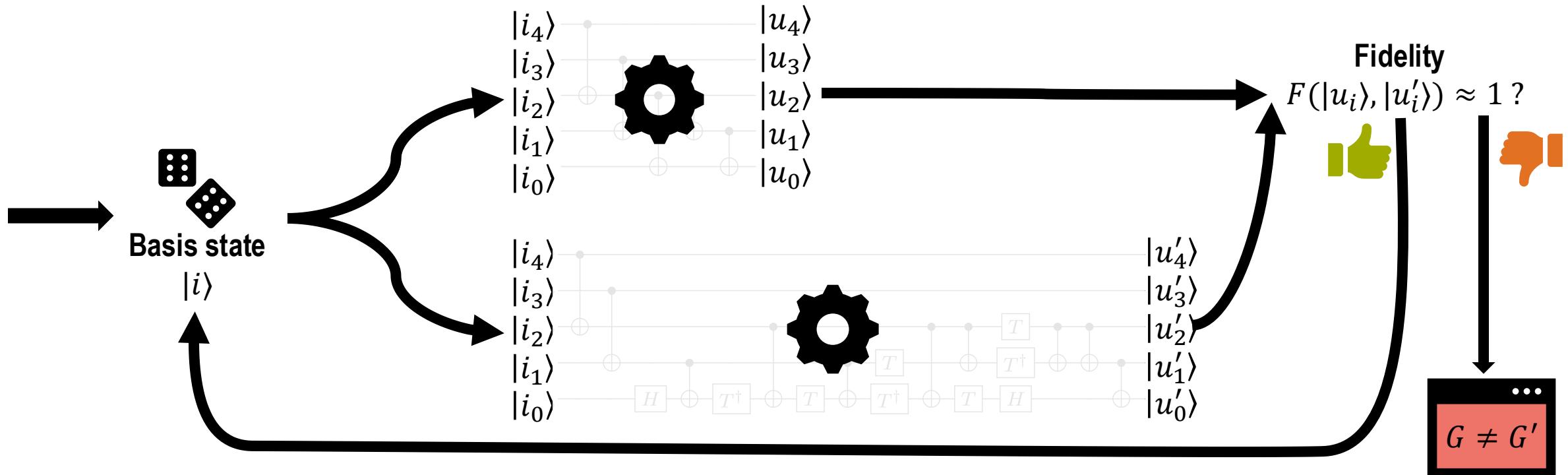


Exploit knowledge about relation between  $G$  and  $G'$



# Efficient verification of compilation results

# Verification of Quantum Circuits



 How likely is ?



Reversibility reduces masking effects drastically

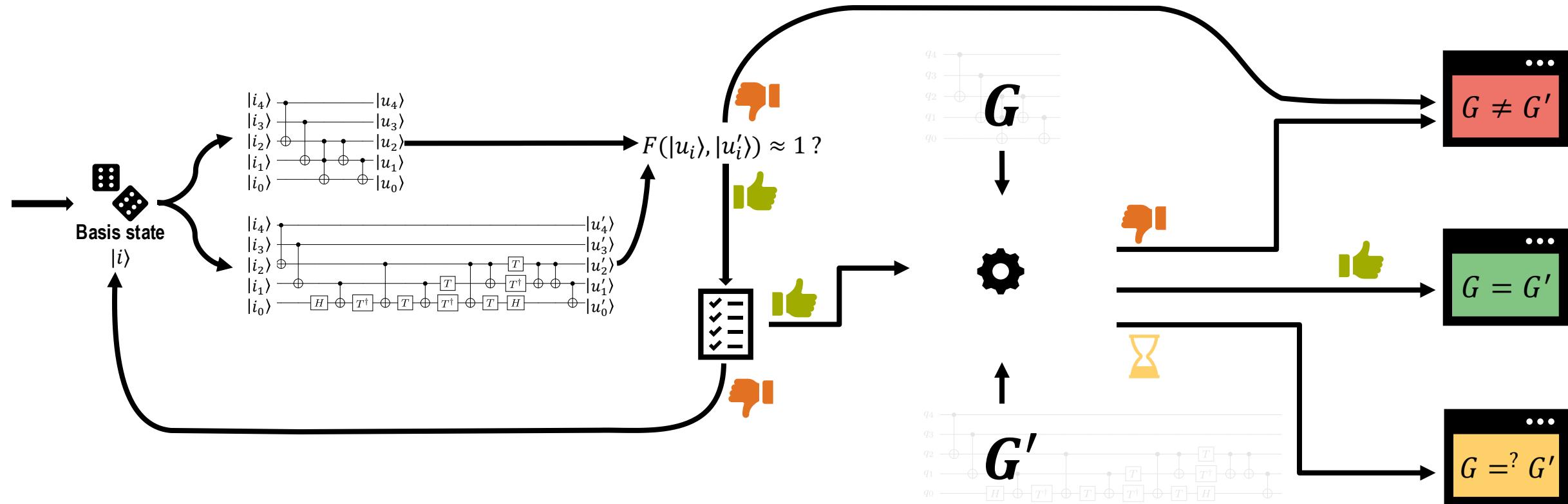


Slightest changes frequently affect entire functionality

 L. Burgholzer and R. Wille. The Power of Simulation for Equivalence Checking in Quantum Computing. In Design Automation Conference (DAC), 2020

 L. Burgholzer, R. Kueng, and R. Wille. Random Stimuli Generation for the Verification of Quantum Circuits. In Asia and South Pacific Design Automation Conference (ASP-DAC), 2021

# Verification of Quantum Circuits



Simulations provide a highly probable estimate even when reference methods yield no conclusive answer!



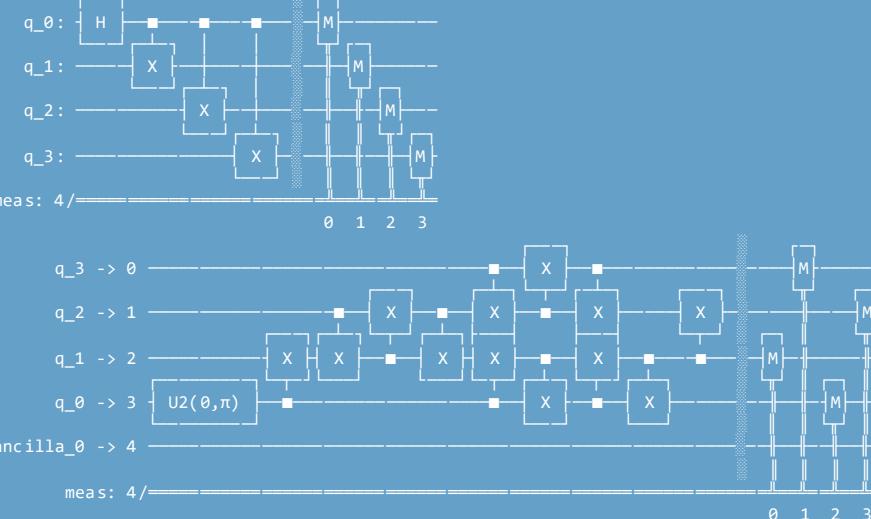
L. Burgholzer and R. Wille. Advanced Equivalence Checking for Quantum Circuits.

IEEE Transactions on Computer Aided Design of Integrated Circuits and Systems (TCAD), 2021

# MQT QCEC

[github.com/cda-tum/mqt-qcec](https://github.com/cda-tum/mqt-qcec) or simply `pip install mqt.qcec`

```
● ● ●  
ghz_4.py  
from qiskit import *  
from qiskit.providers.fakeprovider import GenericBackendV2  
from mqt import qcec  
  
circ = QuantumCircuit(4)  
circ.h(0)  
circ.cx(0, 1)  
circ.cx(0, 2)  
circ.cx(0, 3)  
circ.measure_all()  
print(circ.draw())  
  
backend = GenericBackendV2(num_qubits=5, coupling_map=[  
    [0, 1], [1, 0], [1, 2], [2, 1], [2, 3], [3, 2], [3, 4], [4, 3]])  
  
m_circ = transpile(circ, backend=backend, optimization_level=2)  
print(m_circ.draw())  
  
result = qcec.verify_compilation(circ, m_circ, 2)  
print(result.equivalence)
```

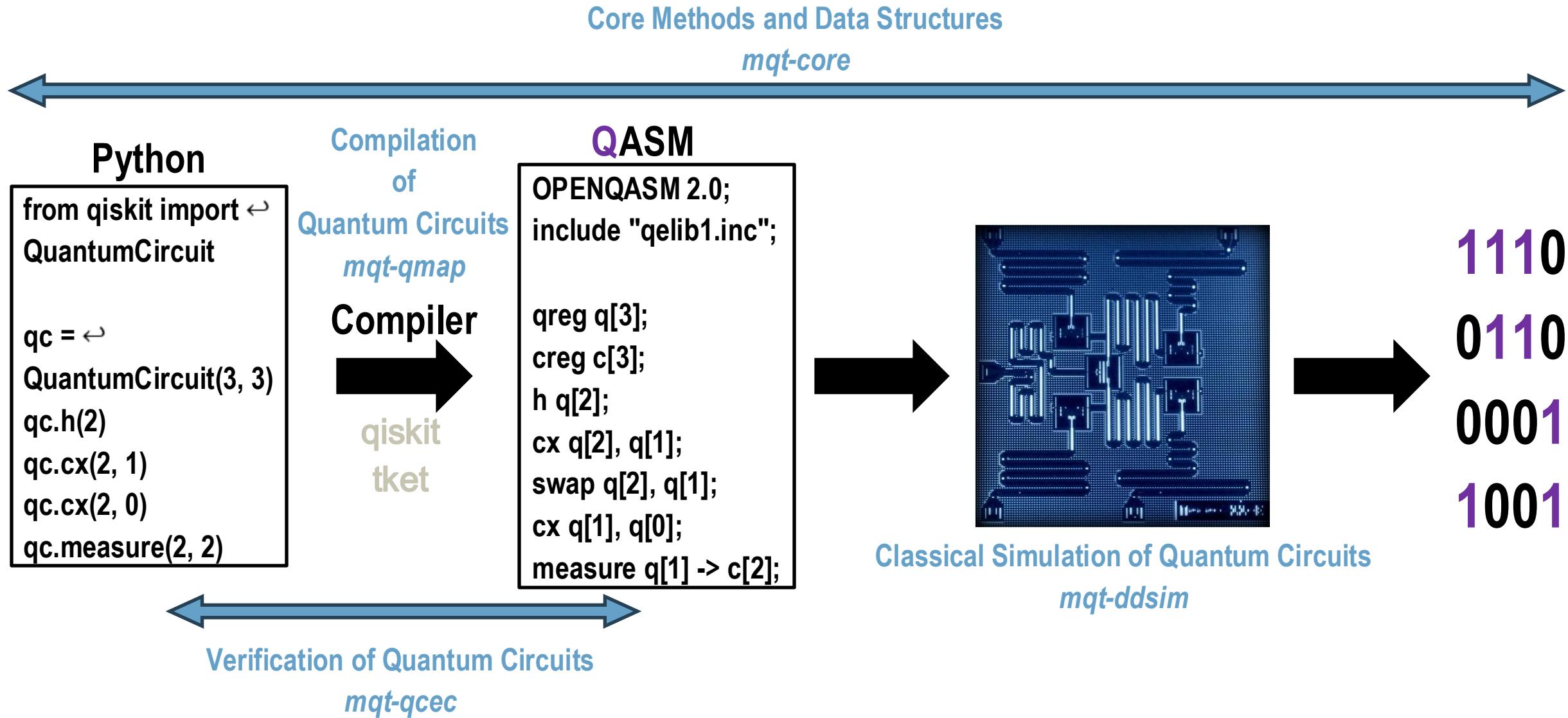
Terminal  
\$ python3 ghz\_4.py  
  
Equivalence.equivalent

“... an important step towards **avoiding a situation** where we have  
**powerful quantum computers**,  
but **no means to design and/or verify** suitable applications for them.”



## Practical Part III: Verification

# Quantum Computing



# The Munich Quantum Toolkit (MQT)



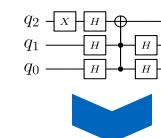
## Application

- Workflow from classical problem to quantum solution
- Automated encoding, execution & decoding



## Compilation

- Automatic device selection
- Compiler optimization
- Technology-specific compilation
- Reversible synthesis



## Application



## Simulation

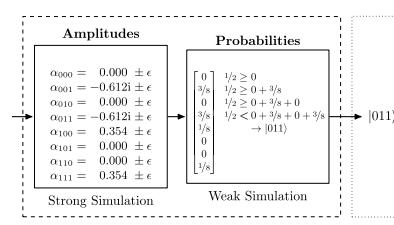


## Compilation



## Simulation

- Classical simulation of quantum circuits based on decision diagrams
- Includes sampling, noise-aware simulation, Hybrid Schrödinger Feynman approaches, approximation strategies, expectation value computations, etc.



## Data Structures & Core Methods

- Efficient data structures
- Dedicated core methods (optimal and heuristic)
- Based on C++ and Python



Decision Diagrams



SAT/SMT Solvers



Tensor Networks



Machine Learning



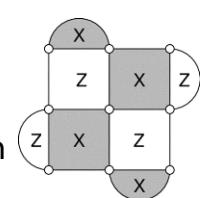
ZX-Calculus



Heuristics

## Error Correction

- Decoding algorithms
- Fault-tolerant state preparation
- Automated code construction and numerical simulations



## Error Correction



## Hardware



## Hardware

- Application specific physical design for superconducting platform



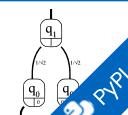
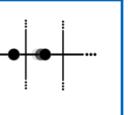
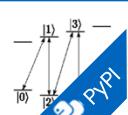
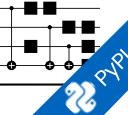
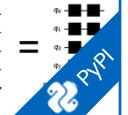
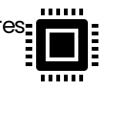
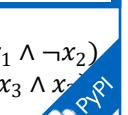
## Check it out!



<https://mqt.readthedocs.io>

# MQT Repositories

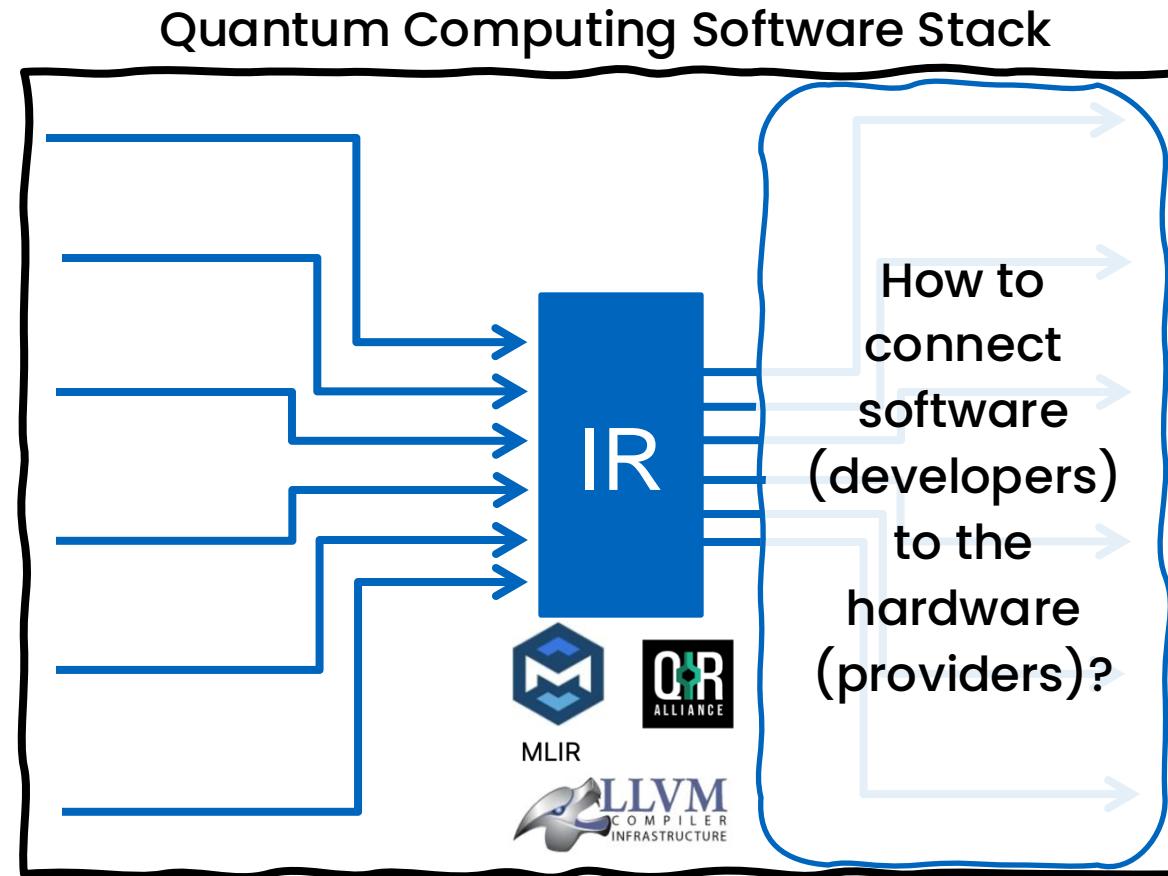
All tools are available as open-source repositories on GitHub under the MIT license

<b>MQT ProblemSolver</b> A Tool for Solving Problems Using Quantum Computing <a href="https://github.com/cda-tum/mqt-problemsolver">github.com/cda-tum/mqt-problemsolver</a>	<b>Application</b>  PyPI
<b>MQT Bench</b> A Quantum Circuit Benchmark Suite <a href="https://www.cda.cit.tum.de/mqtbench">www.cda.cit.tum.de/mqtbench</a> <a href="https://github.com/cda-tum/mqt-bench">github.com/cda-tum/mqt-bench</a>	<b>Application</b>  PyPI
<b>MQT Quantum Auto Optimizer</b> An Automatic Framework for Solving Optimization Problems <a href="https://github.com/cda-tum/mqt-qao">github.com/cda-tum/mqt-qao</a>	<b>Application</b>  PyPI
<b>MQT QUBOMaker</b> A Framework for the Automatic Generation of QUBO Formulations <a href="https://github.com/cda-tum/mqt-qubomaker">github.com/cda-tum/mqt-qubomaker</a>	<b>Application</b>  PyPI
<b>MQT DDSIM</b> A Tool for Classical Quantum Circuit Simulation based on Decision Diagrams <a href="https://github.com/cda-tum/mqt-ddsim">github.com/cda-tum/mqt-ddsim</a>	<b>Simulation</b>  PyPI
<b>MQT Predictor</b> A Tool for Determining Good Quantum Circuit Compilation Options <a href="https://github.com/cda-tum/mqt-predictor">github.com/cda-tum/mqt-predictor</a>	<b>Compilation</b>  PyPI
<b>MQT IonShuttler</b> A Tool for Generating Shuttling Schedules for QCCD Architectures <a href="https://github.com/cda-tum/ion-shuttle">github.com/cda-tum/ion-shuttle</a>	<b>Compilation</b> 
<b>MQT Qudits</b> A Tool for Compiling High-Dimensional Quantum Systems <a href="https://github.com/cda-tum/mqt-qudits">github.com/cda-tum/mqt-qudits</a>	<b>Compilation</b>  PyPI
<b>MQT SyReC</b> A Tool for the Synthesis of Reversible Circuits/Quantum Computing Oracles <a href="https://github.com/cda-tum/mqt-syrec">github.com/cda-tum/mqt-syrec</a>	<b>Compilation</b>  PyPI
<b>MQT QMAP</b> A Tool for Quantum Circuit Mapping And Clifford Circuit Optimization/Synthesis <a href="https://github.com/cda-tum/mqt-qmap">github.com/cda-tum/mqt-qmap</a>	<b>Compilation</b>  PyPI
<b>MQT QCEC</b> A Tool for Quantum Circuit Equivalence Checking <a href="https://github.com/cda-tum/mqt-qcec">github.com/cda-tum/mqt-qcec</a>	<b>Verification</b>  PyPI
<b>MQT DASQA</b> A Tool for Designing Alternative Superconducting Quantum Architectures <a href="https://github.com/cda-tum/mqt-dasqa">github.com/cda-tum/mqt-dasqa</a>	<b>Hardware</b> 
<b>MQT DDVis</b> A Web-Application visualizing Decision Diagrams for Quantum Computing <a href="https://www.cda.cit.tum.de/app/ddvis">www.cda.cit.tum.de/app/ddvis</a>	<b>Data Structures</b> 
<b>MQT Core</b> The Backbone of the MQT Intermediate Representation (IR) Decision Diagram and ZX Package <a href="https://github.com/cda-tum/mqt-core">github.com/cda-tum/mqt-core</a>	<b>Data Structures</b>  PyPI
<b>MQT QuSAT</b> A Tool for Encoding Quantum Computing using Satisfiability Testing (SAT) Techniques <a href="https://github.com/cda-tum/mqt-qusat">github.com/cda-tum/mqt-qusat</a>	<b>Core Methods</b>  PyPI
<b>MQT QECC</b> A Tool for Quantum Error Correcting Codes <a href="https://github.com/cda-tum/mqt-qecc">github.com/cda-tum/mqt-qecc</a>	<b>QECC</b>  PyPI

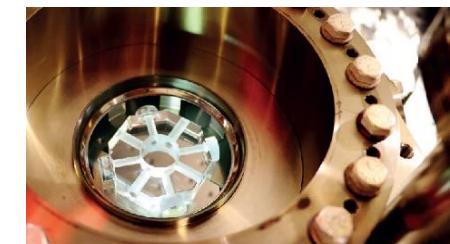
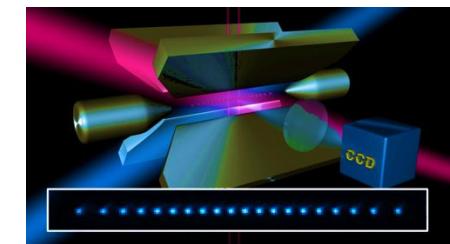
<https://mqt.readthedocs.io>

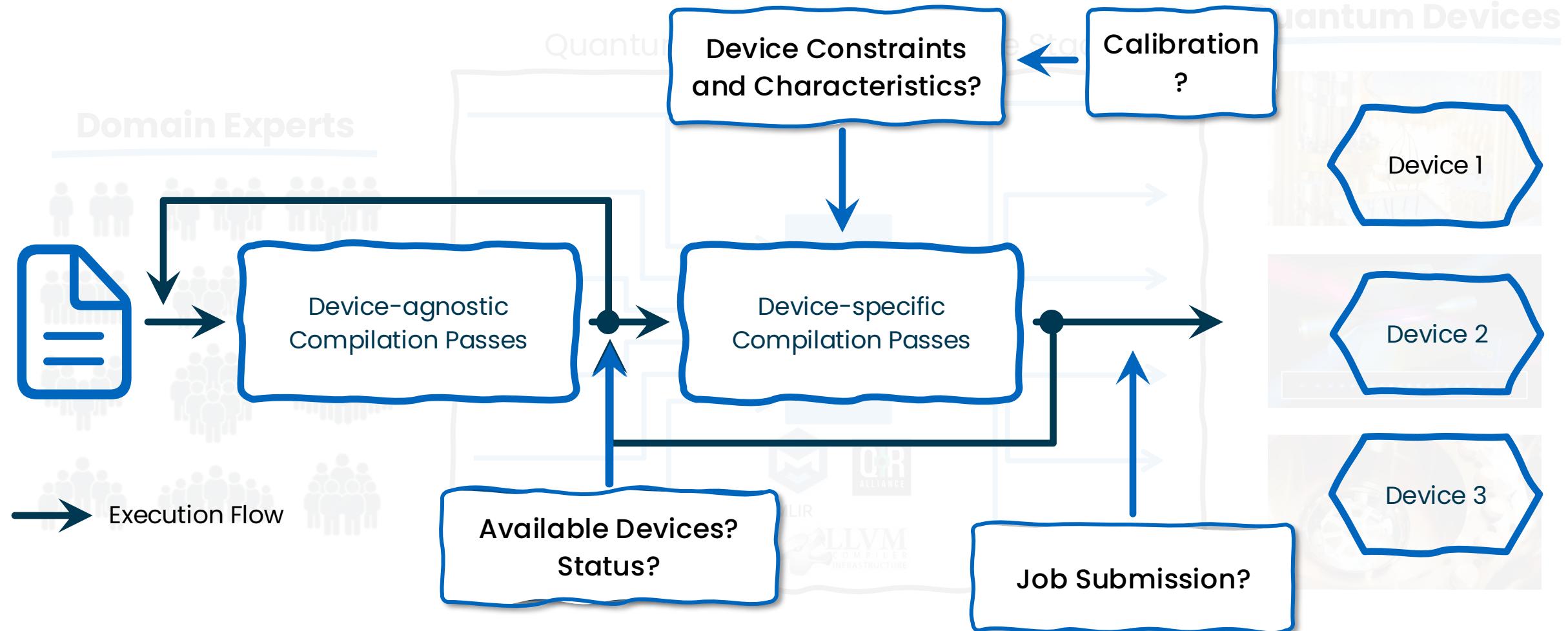
*get involved  
and  
contribute*

# The Big Picture

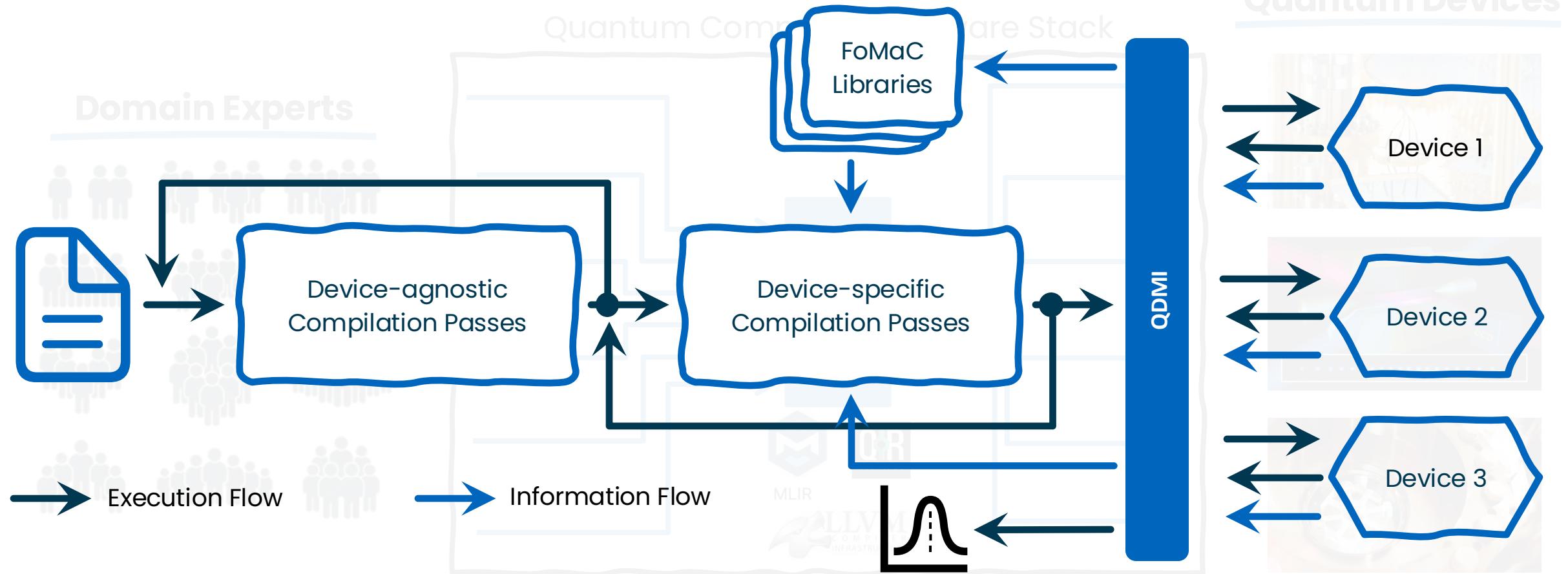


## Quantum Devices



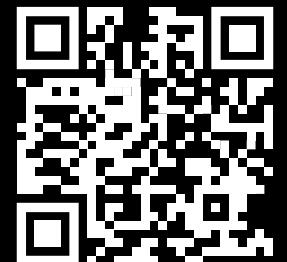


# Software Hardware



[Github.com/Munich-Quantum-Software-Stack/QDMI](https://github.com/Munich-Quantum-Software-Stack/QDMI)





[munichquantum.software](http://munichquantum.software)