# Ahern-Dissertation-AppendixD

November 22, 2015

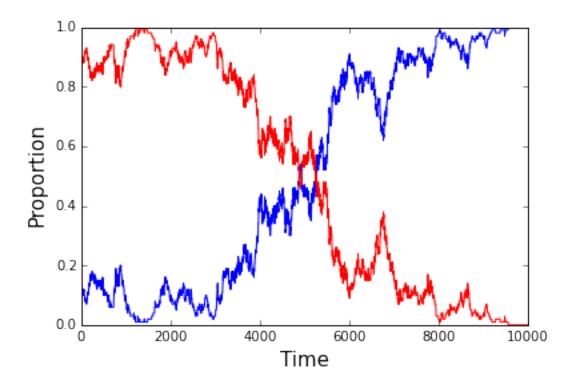
#### Moran model 1

```
In [3]: import numpy as np
        import matplotlib.pyplot as plt
        %matplotlib inline
In [69]: def flip(n, k, s, u):
             """Flip a three sided coin to determine movement"""
             # Probabilities of moving up or down
             p_down = (n-k)*k/(n*((1+s)*k + n - k))
             p_up = (1+s)*k*(n-k)/(n*((1+s)*k + n - k))
             if u < p_down: # p_down
                 return -1
             elif u < p_down + p_up: # p_up
                 return 1
             else:
                 return 0
         def moran(n, k0, t, s):
             # Create vector to store population counts
             pop = np.empty(t)
             pop[0] = k0
             # Sample random uniform variable
             flips = np.random.rand(t,)
             for i in range(1,t):
                 pop[i] = pop[i-1] + flip(n, pop[i-1], s, flips[i,])
             return pop
In [8]: # Population size
       N = 100
        # Number of individuals replaced
       t = 10000
```

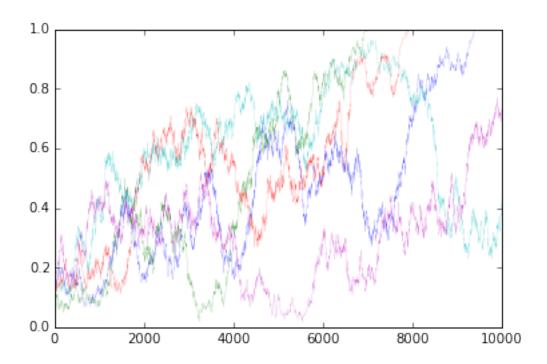
### Drift that looks like selection

```
In [4]: drift = []
        for i in range(100000):
            np.random.seed(i)
            test = moran(N, 10, 10000, 0)
            if test[-1] > .95*N and test[t/2] < .5*N and test[t/4] < test[t/2] and test[3*t/4] > test[t/2]
                drift.append(i)
```

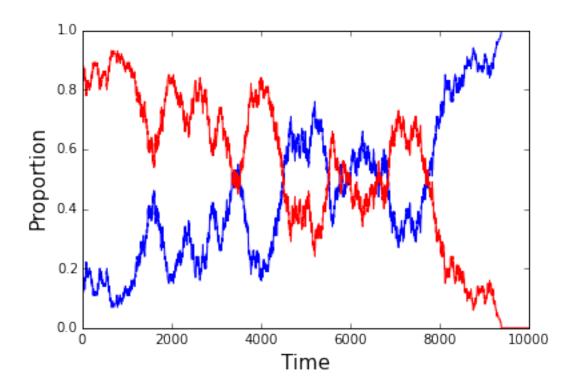
```
In [63]: np.random.seed(99917)
    test = moran(N, 10, t, 0)/float(N)
    plt.plot(test, 'b')
    plt.plot(1 - test, 'r')
    plt.xlabel('Time', fontsize=15)
    plt.ylabel('Proportion', fontsize=15)
    plt.savefig("drift-selection.png", format='png', dpi=600)
    plt.ylim(0,1)
    plt.show()
```



### 1.2 Selection that looks like drift

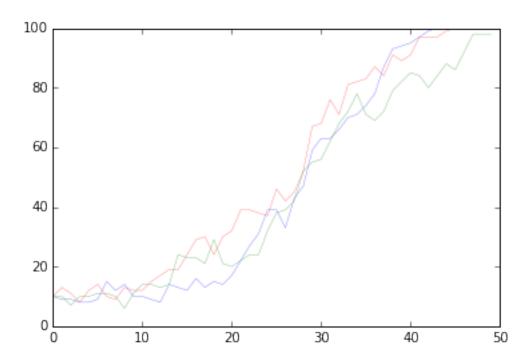


```
In [97]: np.random.seed(9)
    test = moran(N, 10, t, .1)/float(N)
    plt.plot(test, 'b')
    plt.plot(1 - test, 'r')
    plt.ylim(0,1)
    plt.xlabel('Time', fontsize=15)
    plt.ylabel('Proportion', fontsize=15)
    plt.savefig("selection-drift.png", format='png', dpi=600)
    plt.show()
```

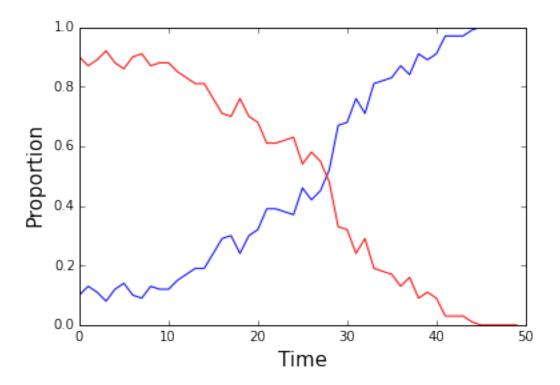


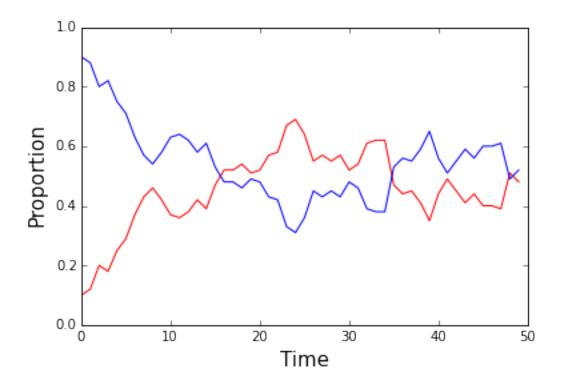
# 2 Wright-Fisher model

```
In [75]: def wright_fisher(n, k0, t, s):
             population = np.empty(t)
             population[0] = k0
             for i in range(1,t):
                 k = population[i-1]
                 prob = k*(1+s)/(k*(1+s) + (n-k))
                 population[i] = np.random.binomial(n, prob)
             return population
In [30]: drift = []
         for i in range(100000):
             np.random.seed(i)
             test = wright_fisher(N, 10, 50, 0)
             if test[-1] > .95*N and test[24] < .5*N and test[12] < test[24] and test[36] > test[24]:
                 drift.append(i)
In [83]: for i in [14881, 37182, 86336]:
             np.random.seed(i)
             test = wright_fisher(100, 10, 50, 0)
             plt.plot(test, linewidth=.2)
             plt.ylim(0,100)
         plt.show()
```



```
In [34]: np.random.seed(86336)
    test = wright_fisher(100, 10, 50, 0)/float(100)
    plt.plot(test, 'b-')
    plt.plot(1-test, 'r-')
    plt.ylim(0,1)
    plt.xlabel('Time', fontsize=15)
    plt.ylabel('Proportion', fontsize=15)
    plt.savefig("wright-fisher-drift-selection.png", format='png', dpi=600)
    plt.show()
```





```
In [9]: embracing = [52/float(80), 58/float(174), 252/float(413), 51/float(290), 14/float(99)]
       postverbal = [1 - item for item in embracing]
In [35]: def rescale(freq):
             Y = np.zeros(len(freq)-1)
             for i in range(len(freq)-1):
                 Y[i] = (freq[i+1] - freq[i])/np.sqrt(2*freq[i]*(1-freq[i])*50)
             return Y
In [41]: rescale(postverbal)
Out[41]: array([ 0.06639137, -0.05872582, 0.08905004, 0.00904851])
In [37]: from scipy.stats import ttest_1samp
In [39]: ttest_1samp(rescale(postverbal), 0)
Out[39]: Ttest_1sampResult(statistic=0.80112643659279636, pvalue=0.48163676461901322)
In [16]: plt.plot(embracing)
         plt.plot(postverbal)
         plt.plot(rescale(postverbal))
         plt.ylim(0,1)
         plt.show()
```

