## USING THE ONCOTREE PACKAGE

## ANIKO SZABO, KENNETH BOUCHER AND LISA PAPPAS

ABSTRACT. This paper shows a short example of building and exploring oncogenetic trees using the Oncotree package. A detailed description of the theory of oncogenetic trees can be found in

- Desper, R.; Jiang, F.; Kallioniemi, O.; Moch, H.; Papadimitriou, C. and Schäffer, A. A. "Inferring tree models for oncogenesis from comparative genome hybridization data." *Journal of Computational Biology*, 1999, 6, 37-51.
- Szabo, A. and Boucher, K. "Estimating an oncogenetic tree when false negatives and positives are present."
   *Mathematical Biosciences*, 2002, 176, 219-236.
- Szabo, A. and Boucher, K. "Oncogenetic trees" in *Handbook of cancer models with applications* Tan, Hanin (ed.) World Scientific, 2008.

A short introduction is given in doc/Oncotree.pdf.

We start by loading a dataset. The package contains an example dataset:

```
> library(Oncotree)
> data(ov.cgh)
> str(ov.cgh)
'data.frame': 87 obs. of 7 variables:
$ 8q+: int 0 0 1 1 0 1 1 0 0 1 ...
$ 3q+: int 0 0 1 0 0 1 1 1 0 0 ...
$ 5q-: int 0 0 1 0 0 1 1 1 0 1 ...
$ 4q-: int 0 1 1 0 0 1 1 0 0 1 ...
$ 8p-: int 0 0 0 0 0 0 1 1 ...
$ 1q+: int 1 1 0 0 0 0 0 0 1 ...
```

Based on these data, we construct the oncogenetic tree using the default  $\ell_2$ -distance error function to estimate the false-positive and false-negative error rates.

```
> ov.tree <- oncotree.fit(ov.cgh)</pre>
```

\$ Xp-: int 0 0 0 0 0 0 1 0 1 1 ...

The fitted tree can be examined several ways: printing it produces a quick summary, but the result of plotting is easier to interpret (the plots are shown in Figure 1).

## > ov.tree

We can compare the observed and fitted marginal occurrence frequencies of the mutations (the distance between these two was minimized for the error-rate estimation). The plot is shown in Figure 2.

```
> print(obs <- colMeans(ov.tree$data))
    Root 8q+ 3q+ 5q- 4q- 8p- 1q+ Xp-
1.00000000 0.7011494 0.5517241 0.5287356 0.5057471 0.4712644 0.4367816 0.4252874
> print(est <- marginal.distr(ov.tree, with.errors=TRUE))</pre>
```

2 A. SZABO

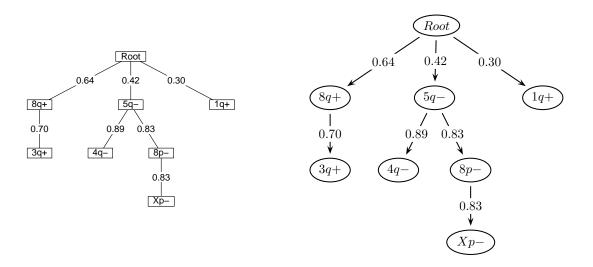


FIGURE 1. Fitted oncogenetic tree for the ov.cgh data set.

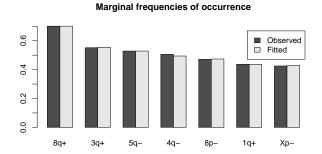
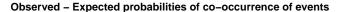


FIGURE 2. Observed and fitted frequencies of occurrence of each event.

In addition to the marginal frequencies, it is possible to estimate the entire joint distribution generated by the tree:

```
dd <- distribution.oncotree(ov.tree, with.errors=TRUE)</pre>
           head(dd)
  Root 8q+ 3q+ 5q- 4q- 8p- 1q+ Xp-
                                               Prob
          0
              0
                                    0 0.029222901
     1
                   0
                       0
                           0
                                0
1
2
     1
          1
              0
                       0
                                    0 0.027992097
3
          0
                  0
                       0
                                    0 0.009202964
     1
              1
4
     1
          1
              1
                  0
                       0
                                    0 0.062160896
5
          0
              0
                   1
                                    0 0.008323722
     1
              0
                                    0 0.007973145
```



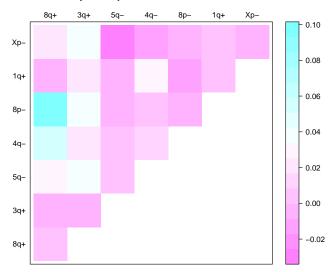


FIGURE 3. Goodness-of-fit plot: difference between observed and expected probabilities of two events being observed.

Using the overall joint distribution, it is straightforward to obtain marginal joint distributions (2- or higher way) if needed (the plot is shown in Figure 3).

```
#estimated probabilities of 2 events
   print(est2way <- t(data.matrix(dd[2:8])) %*% diag(dd$Prob) %*% data.matrix(dd[2:8]))</pre>
                                        4q-
                                                             1q+
                    3q+
                              5q-
                                                  8p-
8q+ 0.7011494 0.4834457 0.3707227 0.3465855 0.3320996 0.3062492 0.3005693
3q+ 0.4834457 0.5550202 0.2934589 0.2743523 0.2628855 0.2424226 0.2379265
5q- 0.3707227 0.2934589 0.5287356 0.3884206 0.3683135 0.2309420 0.3245477
4q- 0.3465855 0.2743523 0.3884206 0.4943105 0.3393380 0.2159057 0.2992688
8p- 0.3320996 0.2628855 0.3683135 0.3393380 0.4736503 0.2068817 0.3130649
1q+ 0.3062492 0.2424226 0.2309420 0.2159057 0.2068817 0.4367816 0.1872399
Xp- 0.3005693 0.2379265 0.3245477 0.2992688 0.3130649 0.1872399 0.4286807
    #observed probabilities of 2 events
   print(obs2way <- t(ov.tree$data[,-1]) %*% ov.tree$data[,-1]/nrow(ov.tree$data))</pre>
                                                             1q+
          8q+
                    3q+
                              5q-
                                        4q-
                                                   8p-
8q+ 0.7011494 0.4827586 0.4022989 0.4022989 0.4252874 0.2988506 0.3218391
3q+ 0.4827586 0.5517241 0.3333333 0.2988506 0.2988506 0.2643678 0.2758621
5q- 0.4022989 0.3333333 0.5287356 0.3908046 0.3678161 0.2298851 0.2988506
4q- 0.4022989 0.2988506 0.3908046 0.5057471 0.3448276 0.2413793 0.2873563
8p- 0.4252874 0.2988506 0.3678161 0.3448276 0.4712644 0.1954023 0.3103448
1q+ 0.2988506 0.2643678 0.2298851 0.2413793 0.1954023 0.4367816 0.1954023
Xp- 0.3218391 0.2758621 0.2988506 0.2873563 0.3103448 0.1954023 0.4252874
>
    oe.diff <- obs2way-est2way
    oe.diff[lower.tri(oe.diff)] <- NA #clear half of symmetric matrix for plotting
>
>
   require(lattice) #the plot is in Figure 3
    levelplot(oe.diff, xlab="", ylab="", scales=list(x=list(alternating=2), tck=0),
                    main="Observed - Expected probabilities of co-occurrence of events")
```

Another way to evaluate goodness-of-fit is through bootstrap resampling of the data. Two approaches are implemented: a paramteric bootstrap that assumes that the model is correct and a non-parametric bootstrap. The plot is shown in Figure 4.

A. SZABO 4

```
>
    set.seed(43636)
    ov.boot <- bootstrap.oncotree(ov.tree, type="nonparam", R=1000)</pre>
>
    ov.boot
Out of the 1000 replicates there are 309 unique trees with frequencies from 83 down to 1
The bootstrap process found the original tree 83 times
    opar \leftarrow par(mfrow=c(3,2))
                                  #the plot is in Figure 4
>
```

plot(ov.boot, minfreq=45) >

par(opar)

The non-parametric bootstrap gives an estimate of the reconstruction confidence: the original tree was obtained 83 times out of 1000 resamples, so the estimated confidence is 8.3%.

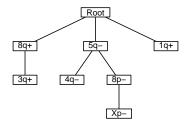
We can look at the frequency of edge occurrences in the bootstrapped trees:

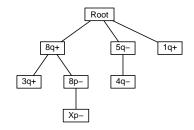
## ov.boot\$parent.freq

Child

Parent	Root	8q+	3q+	5q-	4q-	8p-	1q+	Xp-
	1000	0	0	0	0	0	0	0
Root	0	997	69	519	225	4	807	67
8q+	0	0	929	89	162	409	24	7
3q+	0	2	0	44	0	0	94	42
5q-	0	1	2	0	522	399	9	169
4q-	0	0	0	275	0	143	50	116
8p-	0	0	0	70	84	0	4	599
1q+	0	0	0	0	4	0	0	0
Xp-	0	0	0	3	3	45	12	0

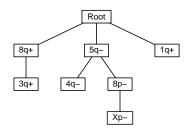
It is clear that some edges are really stable: Root  $\rightarrow 8q+$ ,  $8q+ \rightarrow 3q+$ , root  $\rightarrow 1q+$ , all with confidence > 80%, while other edges are less stable (for example, 8p- is the child of 8q+ about as often as of 5q-).

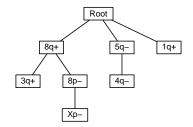




Original Tree

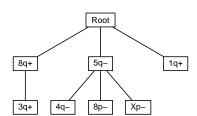
Tree based on most frequent parent





Observed Frequency = 83

Observed Frequency = 63



Observed Frequency = 49

FIGURE 4. The most frequently occurring bootstrap trees.