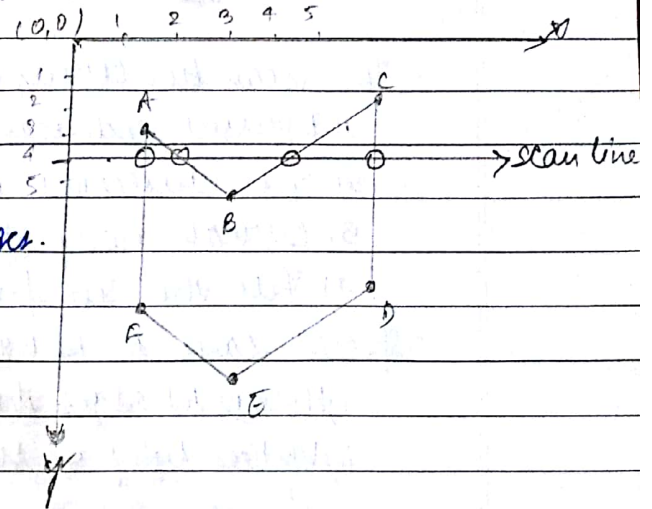


Scan line fill algorithm

- Solid filling of polygonal areas
- For each scan line crossing a polygon, the area-fill algorithm locates the intersection points of the scanline with the polygon edges.
- These intersection points are then sorted from left to right, and the corresponding frame-buffer pos^{ns} b/w each intersection pair are set to the specified fill colour.

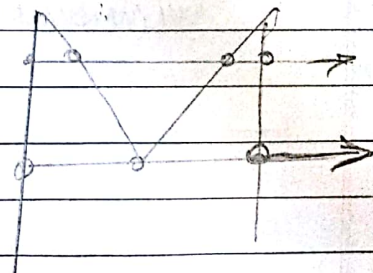
- Scan line intersection with polygon vertices needs special handling
 - intersects two polygon edges.



- The corresponding edges either same side of the scan line or opposite side of it.

- Identify these vertices by traversing the polygon boundary in clockwise or anti-clockwise manner

- observing the relative changes in y -direcⁿ
- y -value increases or decreases monotonically
 - count single
- otherwise, count twice



- Graphics algorithms take advantage of the coherence of a scene.
- Properties of one part of the scene is somewhat related to other part of the scene.
- Involves in incremental calc^{ns}, applied along a scan line or successive scan lines.
- To determine edge intersection, incremental coordinate calc^{ns}.

- slope of the line remains constant from one scan line to the other

- $m = (y_{k+1} - y_k) / (x_{k+1} - x_k)$; changes in y-coordinates: $y_{k+1} - y_k = 1$

- x-coordinate can also be determined: $x_{k+1} - x_k = 1/m$

• The x-value of k^{th} scan line of slope $m \Rightarrow x_k = x_0 + \frac{k}{m}$

• The increment in x-value is $1/m$, $m = \frac{dy}{dx}$ $x_{k+1} = x_k + \frac{\Delta x}{\Delta y}$

• The scan line conversion algorithm works as follows:

1) Intersect each scanline with all edges.

2) Sort intersections in x.

3) Calculate parity of intersections to determine in/out.

4) Fill the 'in' pixels.

• Special cases to be handled:

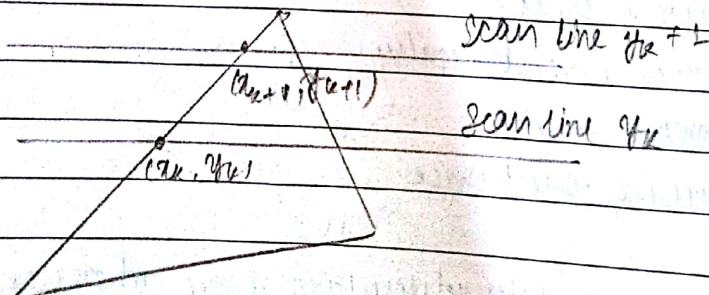
i) Horizontal edges should be excluded.

ii) Vertices lying on scanlines handled by shortening of edges

• Coherence b/w scanlines tells us that

• Edges that intersect ~~scan~~ scanline y are like to intersect $y+1$

• x-changes predictably from scanline y to $y+1$ (incremental calculation possible)



Edge table

→ corresponding to y_{min}

#	Edge	$1/m$	y_{min}	x	y_{max}
0	A(2,7) B(4,12)	$2/5$	7	2	12
1	B(4,12) C(8,15)	$4/3$	12	4	15
2	C(8,15) D(16,9)	$-8/6$	9	16	15
3	D(16,9) E(11,5)	$5/4$	5	11	9
4	E(11,5) F(8,7)	$-3/2$	5	11	7
5	F(8,7) G(5,5)	$3/2$	5	5	7
6	G(5,5) A(2,7)	$-3/2$	5	5	7

Edge number 0

#	Edge	$1/m$	y_{min}	x	y_{max}
0	A(2,7) B(4,12)	$2/5 = 0.4$	7	2	11

Scan line

x -intersection

$$y = 7$$

$$2$$

$$y = 8$$

$$2 + 0.4 = 2.4 \sim 2$$

$$y = 9$$

$$2.4 + 0.4 = 2.8 \sim 3$$

$$y = 10$$

$$2.8 + 0.4 = 3.2 \sim 3$$

$$y = 11$$

$$3.2 + 0.4 = 3.6 \sim 4$$

Scan & line fill algo: AEL (active edge list)

Process the scan lines from top to bottom to construct active edge table during scan conversion.

Maintain an active edge list for the current scan line. When the current scan line reaches the lower/higher endpoint of an edge it becomes active.

When the current scan line moves from above the upper/below the lower endpoint the edge becomes inactive. Use iterative coherence calculations to obtain edge intersections quickly.

AEL is a linked list of active edges on the current scanline y .