

Asynchronous Counter :

1. Count up, down :

→ For count up :

$M = 8 \rightarrow 8$ states, count $0-1-2-3-4-5-6-7$

$$2^n \geq M \rightarrow 2^n \geq 8 \Rightarrow n = 3$$

So, we need at least 3 - FFs for these given values

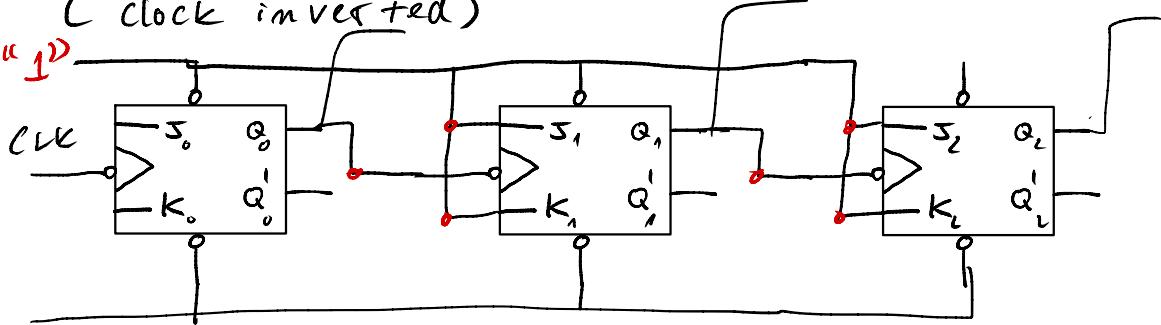
↳ Build state sequence for a 3-bit binary counter:

Clock Pulse	Q_2	Q_1	Q_0
Initially	0	0	0
1	0	0	1
2	0	1	0
3	0	1	1
4	1	0	0
5	1	0	1
6	1	1	0
7	1	1	1
8 (recycles)	0	0	0

(Neutral State)

* Trong trường hợp này, TTTG - TTD

⇒ Q được nối vào CLK để stem lên
(clock inverted)



Có nghĩa là, nếu hỏi stem xuống, thì Q' được nối vào CLK

Ex: Count φ , $M = 5$, J-K FF

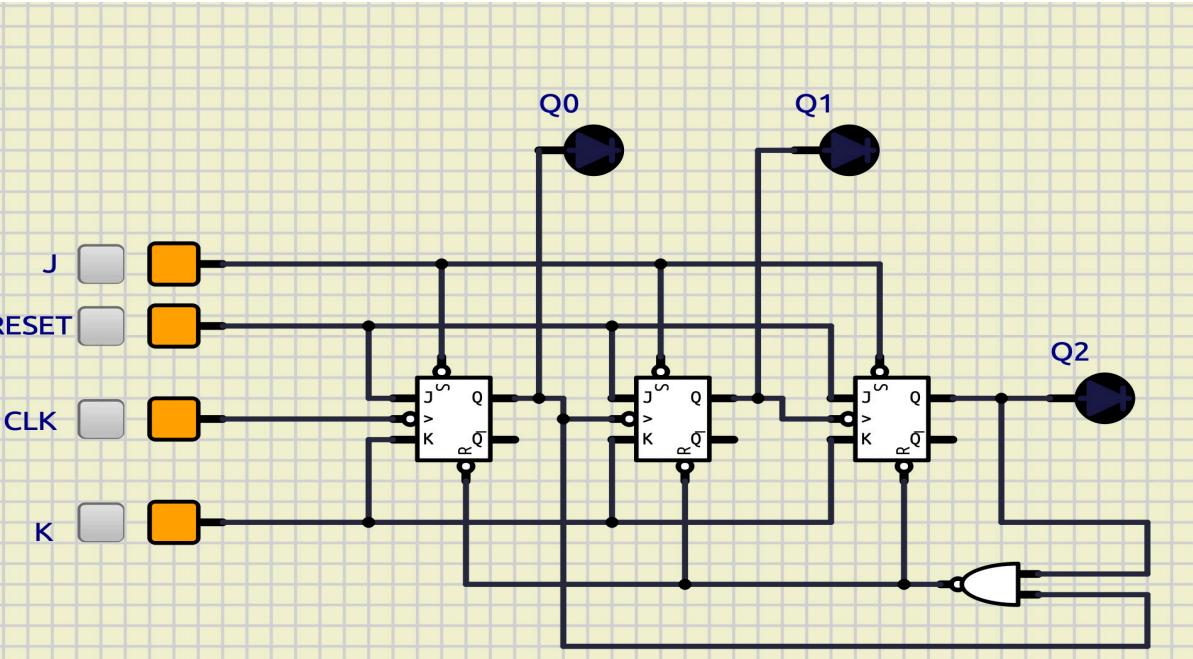
$M = 5 \rightarrow 5$ states count, count 0-1-2-3-4

$$2^n \geq 5 \Rightarrow n = 3$$

So, we need at least 3 - FFs for these given values

→ Build state sequence for a 3-bit binary counter:

Clock Pulse	Q_2	Q_1	Q_0
Initially	0	0	0
1	0	0	1
2	0	1	0
3	0	1	1
4	1	0	0
5 (recycles)	1	0	1
	↓	↓	↓
	0	0	0
← (Set to 0)			
- Trig case may, $TTTG > TT$ → lay bit 1			
$Y = \overline{Q_2} + \overline{Q_0} = \overline{Q_2 Q_0}$ (Count up $\rightarrow Q$ not via CLK)			



Ex: Count down, $n=6$, $j-k$ FFS

$M = 5 \rightarrow 5$ states count, count $7 - 6 - 5 - 4 - 3 - 2$

$$2^n > 6 \Rightarrow n = 3$$

So, we need at least 3 - FFs for these given values

↳ Build state sequence for a 3-bit binary counter:

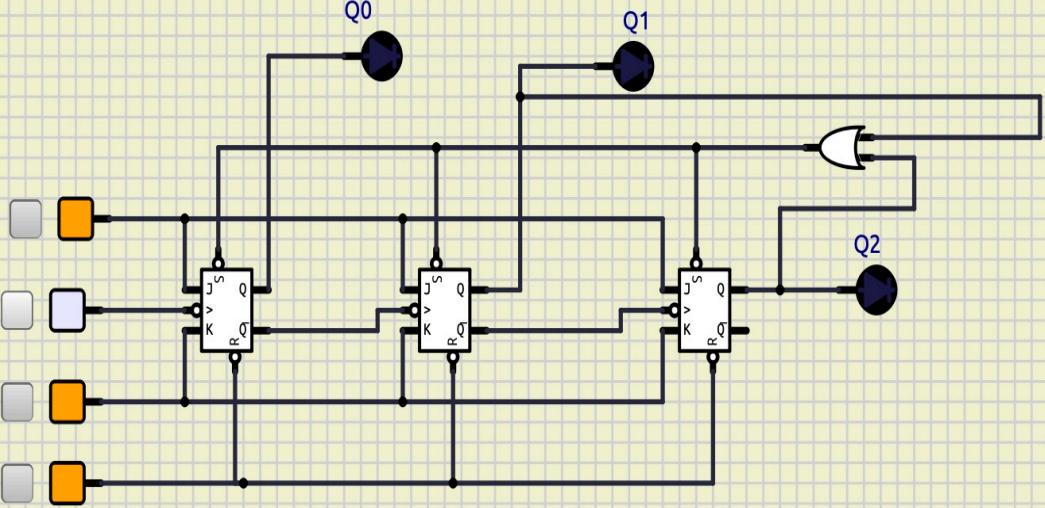
Clock Pulse	Q_2	Q_1	Q_0
Initially	<u>1</u>	<u>1</u>	<u>1</u>
1	<u>1</u>	<u>1</u>	0
2	<u>1</u>	0	<u>1</u>
3	<u>1</u>	0	0
4	0	1	<u>1</u>
5	0	<u>1</u>	0
(recycles)		0 <u>1</u>	1 <u>0</u>

(Neutral State)

- Trong case này, $TTTG < TT$ \Rightarrow lây bit 0

$t = Q_2 + Q_1$, Count down $\rightarrow Q^1$ nối vào CLK

J, K, S nói vào "1")



Synchronous Counter :