

seqmod

elpinal

1. External language

Module identifiers	X
Signature identifiers	X_s
Value identifiers	X_v
Type identifiers	X_t

Let δ range over $\{s, v, t\}$.

$$\begin{aligned} K &::= \Omega \mid \Omega \rightarrow K \\ T &::= P_t \mid \text{pack } S \mid \alpha \mid \lambda\alpha.T \mid TT \mid T \rightarrow T \mid \text{unit} \mid T \& T \mid T + T \\ E &::= P_v \mid \text{pack } M : S \mid x \mid \lambda x.E \mid () \mid (E, E) \mid \iota_1 E \mid \iota_2 E \\ &\quad \mid E E \mid \text{case}(E, ().E) \mid \pi_1 E \mid \pi_2 E \mid \text{case}(E, \iota_1 x.E \mid \iota_2 x.E) \\ P_\delta &::= X_\delta \mid M.X_\delta \\ P_m &::= M \end{aligned}$$
$$\begin{aligned} M &::= X \mid \{B\} \mid M.X \mid \lambda X:S.M \mid X X \mid X :> S \mid \text{unpack } E : S \\ B &::= \text{val } X_v = E \mid \text{type } X_t = T \mid \text{module } X = M \mid \text{signature } X_s = S \\ &\quad \mid \text{include } M \mid \varepsilon \mid B;B \\ S &::= P_s \mid \{D\} \mid (X : S) \rightarrow S \mid (X : S) \Rightarrow S \mid S \text{ where type } \bar{X}.X_t = T \\ &\quad \mid S \text{ where val } \bar{X}.X_v = P_v \mid S \text{ where module } \bar{X}.X = P_m \mid \text{like } P_m \\ D &::= \text{val } X_v : \forall \bar{\alpha}.T \mid \text{val } X_v = P_v \mid \text{type } X_t = T \mid \text{type } X_t : K \mid \text{module } X : S \\ &\quad \mid \text{module } X = P_m \mid \text{signature } X_s = S \mid \text{include } S \mid \varepsilon \mid D;D \end{aligned}$$

1.1. Semantic signatures

$$\begin{aligned}
\Sigma &::= [= \pi : \forall \bar{\alpha}. \tau] \mid [= \tau : \kappa] \mid [= \Xi] \mid \{\overline{l : \Sigma}\} \mid \forall \bar{\alpha}. \Sigma \rightarrow_{\mathbf{I}} \Xi \mid \forall \bar{\alpha}. \Sigma \rightarrow_{\mathbf{P}} \Sigma \\
\Xi &::= \exists \bar{\alpha}. \Sigma \\
\varphi &::= \mathbf{I} \mid \mathbf{P} \\
\pi &::= \alpha \mid \pi \bar{\tau}
\end{aligned}$$

2. Internal language

In addition to the constructs of L_{ML}^N , we use \otimes -records to represent structures.

$$\begin{aligned}
v &::= \dots \mid \{l_i = v_i\}_i \\
k^+ &::= \dots \mid \mu \{l_i = x\}_i . c
\end{aligned}$$