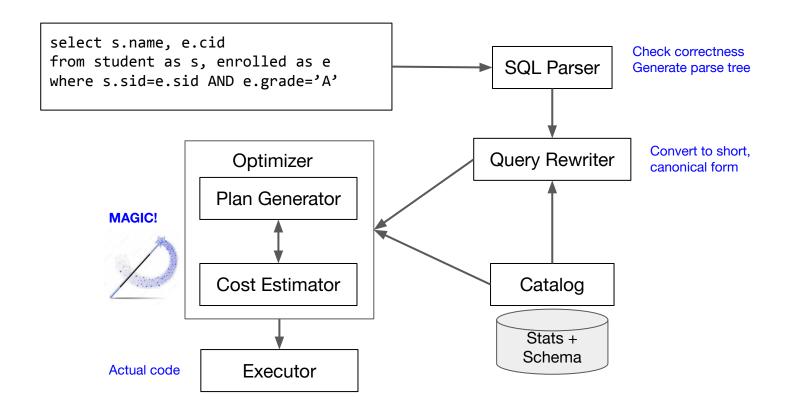
Database Systems

Lab 8

Today

- Recap
- Query Planning and Optimization

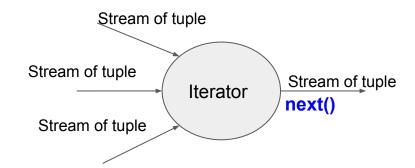
Query Life Cycle

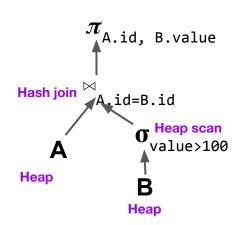


Execution Model

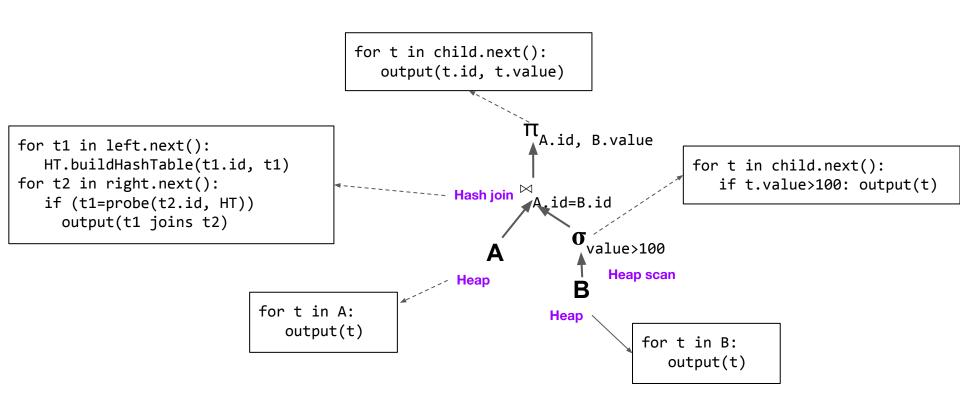
Iterator Model

- Everything in the plan is an Iterator
 - Operators are iterators
 - Tables/files are iterator (HeapFile, BTreeFile)
- An iterator:
 - Like Java Iterator, has a next() method
- Upstream operator calls next() of its children





Iteration Model



Materialization Model

```
output=[]
                                    for t in child.output():
                                       output.add(t.id, t.value)
                                    return output
                                                          A.id, B.value
output=[]
for t1 in left.output():
                                                                             output=[]
   HT.buildHashTable(t1.id,t1)
                                                                             for t in child.output():
                                                Hash join <sup>⋈</sup>
for t2 in right.output():
                                                          A.id=B.id
                                                                                if t.value>100:
   if (t1=probe(t2.id, HT))
                                                                                    output.add(t)
     output.add(t1 joins t2)
                                                                             return output
                                                                value>100
return output
                                                                  Heap scan
                                                 Heap
                                                            Heap
                            output=[]
                            for t in A:
                                                                       output=[]
                                output.add(t)
                                                                       for t in B:
                            return output
                                                                          output.add(t)
                                                                       return output
```

Equivalence Rules

Select and Join are commutative

Join are associative

Select distributes over Join

Project cascades

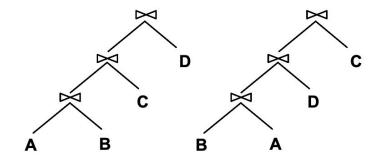
- E, E' are relational expressions
- E, E' are logically equivalent:
 - o If for all database instances D, E(D) = E'(D)

Cardinality Estimation

- The system maintains statistics for each table
 - Inside the catalog (see STATISTICS table)
 - Updated frequently
- Important statistics per relation R
 - N(R): number of tuples
 - V(A,R): number of distinct tuples for attribute A
 - A_{Max}, A_{Min}: max/min value of attribute A
 - o Etc.
- Uniform and independence
- Histogram: better
- Sampling

Selinger Algorithm

- Selinger dynamic algorithm
 - Only consider left-deep plans
 - Still n! Plans
- Idea: best plan to join A,B,C is the best of
 - Best plan to join {A,B}, then join C
 - Best plan to join {A,C}, then join B
 - Best plan to join {B,C}, then join A
- Principle of optimality:
 - Best overall plan consists of best sub-plans



Search Algorithm

- Pass 1: find best plans for accessing each relation
- Pass 2: find best plans to join any 2 relations
- Pass 3: find best plans to join any 3 relations
- ...
- Each pass i:
 - Join best plans at pass i-1 with one more relation

Consider relation **People(salary, name, department)**, and the following relational algebra expression:

$$\pi_{\text{name}}(\sigma_{\text{salary}>100}(\pi_{\text{name,salary}}(\text{People})))$$

Which of the following expression is equivalent to the above?

- 1. $\pi_{\text{name}}(\sigma_{\text{salary}>100}(\text{People}))$
- 2. $\pi_{\text{name}}(\sigma_{\text{salary}>100}(\pi_{\text{salary}}(\text{People})))$
- 3. $\sigma_{\text{salary}>100}(\pi_{\text{name,salary}}(\text{People}))$
- 4. $\sigma_{\text{salary}>100}(\pi_{\text{name}}(\pi_{\text{name},\text{salary}}(\text{People})))$
- 5. $\pi_{\text{name}}(\sigma_{\text{salary}>100}(\pi_{\text{name}}(\pi_{\text{salary}}(\text{People}))))$

Consider two relation X(A,B) and Y(B,C) with the following statistics:

- N(X) = 200, V(A,X) = 100, V(B,X) = 20
- N(Y) = 1000, V(B,Y) = 10, V(C,Y) = 1000
- $A_{min} = 0, A_{max} = 100$

Assume that all values of B that appears Y also appear in X.

[Q1] Estimate the number of tuples of $\sigma_{A=10}(X)$

[Q2] Estimate the number of tuples of X ⋈ Y

[Q3] Estimate $V(A, X \bowtie Y)$

Consider the following relations:

Sailors(sid, sname, rating, age)

Reserves(sid, bid, day)

Reserves:

- Each tuple is 40 bytes long, 100 tuples per page, 1000 pages.
- There are 100 boats (each equally likely)

Sailors:

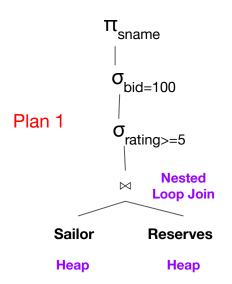
- Each tuple is 50 bytes long, 80 tuples per page, 500 pages.
- Assume there are 10 different ratings (1..10, each equally likely)

Buffer size = 5

π_{sname}
|
σ_{bid=100}
|
σ_{rating>=5}
|

Sailor Reserves

[Q0] What does the query on the right return?



Consider the following relations:

Sailors(sid, sname, rating, age)

Reserves(sid, bid, day)

Reserves:

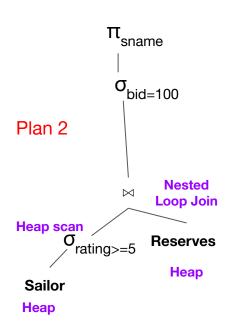
- Each tuple is 40 bytes long, 100 tuples per page, 1000 pages.
- There are 100 boats (each equally likely)

Sailors:

- Each tuple is 50 bytes long, 80 tuples per page, 500 pages.
- Assume there are 10 different ratings (1..10, each equally likely)

Buffer size = 5

[Q1] What is the cost of Plan 1? Assuming iteration model



Consider the following relations:

Sailors(sid, sname, rating, age)

Reserves(sid, bid, day)

Reserves:

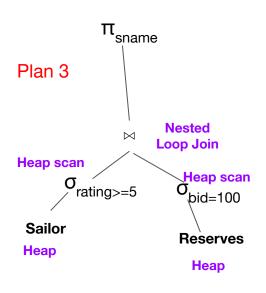
- Each tuple is 40 bytes long, 100 tuples per page, 1000 pages.
- There are 100 boats (each equally likely)

Sailors:

- Each tuple is 50 bytes long, 80 tuples per page, 500 pages.
- Assume there are 10 different ratings (1..10, each equally likely)

Buffer size = 5

[Q2] What is the cost of Plan 2? Assuming iteration model



Consider the following relations:

Sailors(sid, sname, rating, age)

Reserves(sid, bid, day)

Reserves:

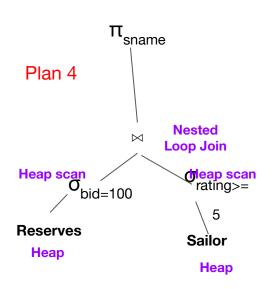
- Each tuple is 40 bytes long, 100 tuples per page, 1000 pages.
- There are 100 boats (each equally likely)

Sailors:

- Each tuple is 50 bytes long, 80 tuples per page, 500 pages.
- Assume there are 10 different ratings (1..10, each equally likely)

Buffer size = 5

[Q3] What is the cost of Plan 3? Assuming iteration model



Consider the following relations:

Sailors(sid, sname, rating, age)

Reserves(sid, bid, day)

Reserves:

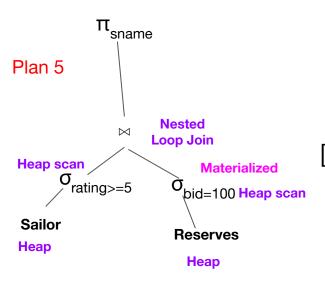
- Each tuple is 40 bytes long, 100 tuples per page, 1000 pages.
- There are 100 boats (each equally likely)

Sailors:

- Each tuple is 50 bytes long, 80 tuples per page, 500 pages.
- Assume there are 10 different ratings (1..10, each equally likely)

Buffer size = 5

[Q4] What is the cost of Plan 4? Assuming iteration model



Consider the following relations:

Sailors(sid, sname, rating, age)

Reserves(sid, bid, day)

Reserves:

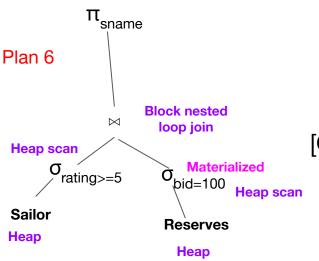
- Each tuple is 40 bytes long, 100 tuples per page, 1000 pages.
- There are 100 boats (each equally likely)

Sailors:

- Each tuple is 50 bytes long, 80 tuples per page, 500 pages.
- Assume there are 10 different ratings (1..10, each equally likely)

Buffer size = 5

[Q5] What is the cost of Plan 5?



Consider the following relations:

Sailors(sid, sname, rating, age)

Reserves(sid, bid, day)

Reserves:

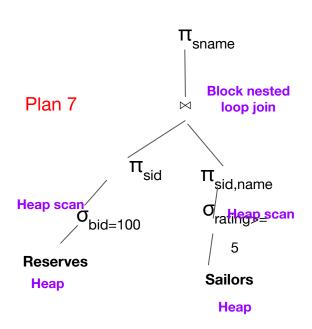
- Each tuple is 40 bytes long, 100 tuples per page, 1000 pages.
- There are 100 boats (each equally likely)

Sailors:

- Each tuple is 50 bytes long, 80 tuples per page, 500 pages.
- Assume there are 10 different ratings (1..10, each equally likely)

Buffer size = 5

[Q6] What is the cost of Plan 6?



Consider the following relations:

Sailors(sid, sname, rating, age)

Reserves(sid, bid, day)

Reserves:

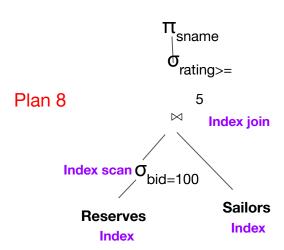
- Each tuple is 40 bytes long, 100 tuples per page, 1000 pages.
- There are 100 boats (each equally likely)

Sailors:

- Each tuple is 50 bytes long, 80 tuples per page, 500 pages.
- Assume there are 10 different ratings (1..10, each equally likely)

Buffer size = 5

[Q7] What is the cost of Plan 7? Assuming sid's size is 4 bytes



Consider the following relations:

Sailors(sid, sname, rating, age)

Reserves(sid, bid, day)

Reserves:

- Each tuple is 40 bytes long, 100 tuples per page, 1000 pages.
- There are 100 boats (each equally likely)

Sailors:

- Each tuple is 50 bytes long, 80 tuples per page, 500 pages.
- Assume there are 10 different ratings (1..10, each equally likely)

Buffer size = 5

Index join X ⋈ Y:

For each tuple in X
Scan for match in Y using Y's index

[Q8] Suppose Reserves has a **clustered B+-tree index on bid**, Sailor has an **unclustered B+-tree index on sid**. Both indices are in memory. What is the cost for Plan 8?