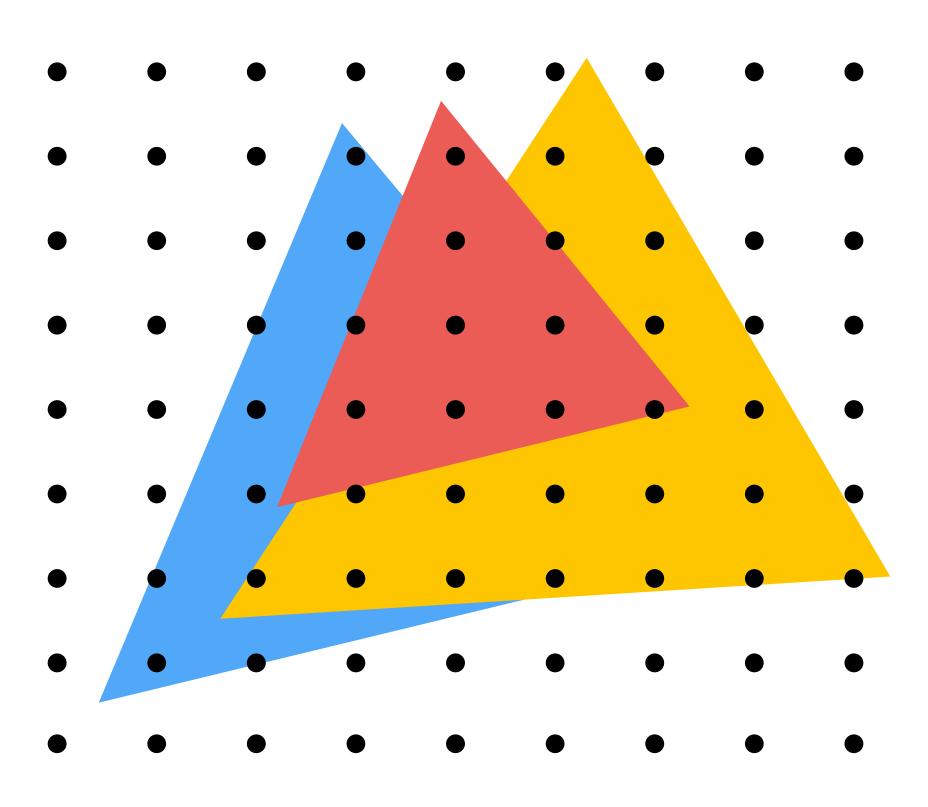
The Rasterization Pipeline

Computer Graphics CMU 15-462/15-662, Fall 2016

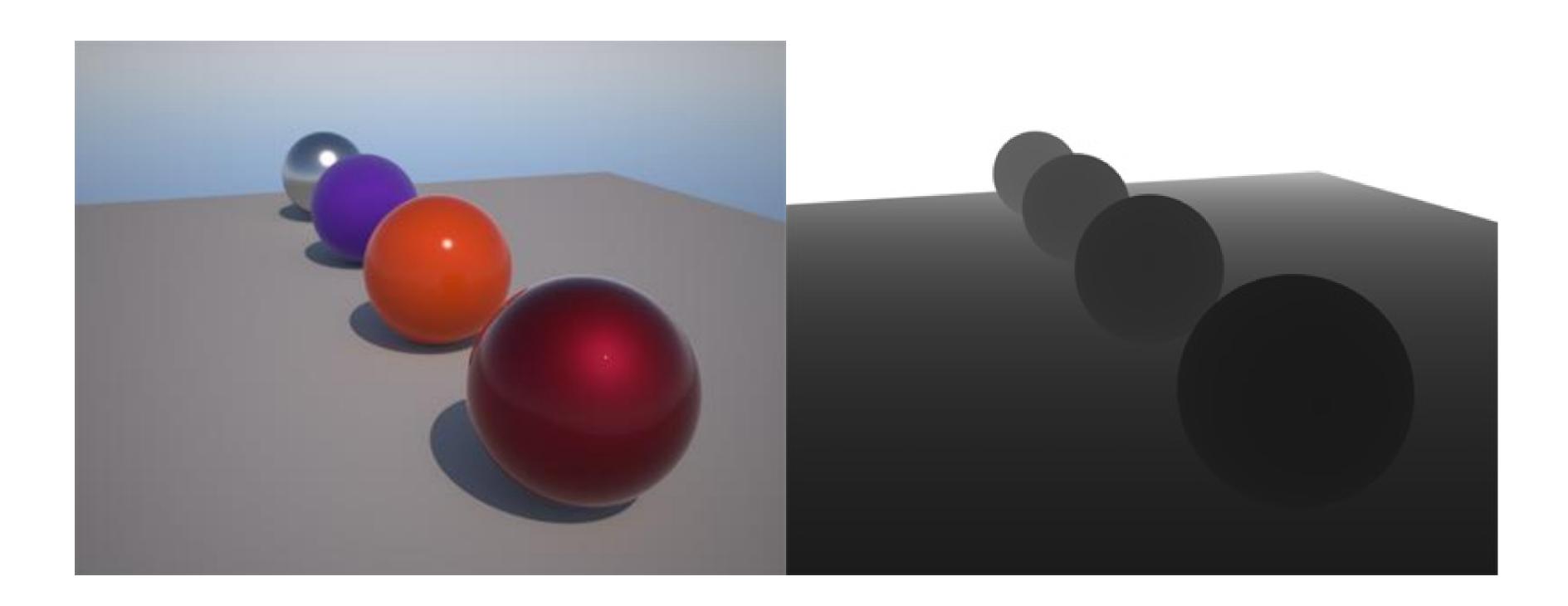
Occlusion

Which triangle is visible at each pixel?



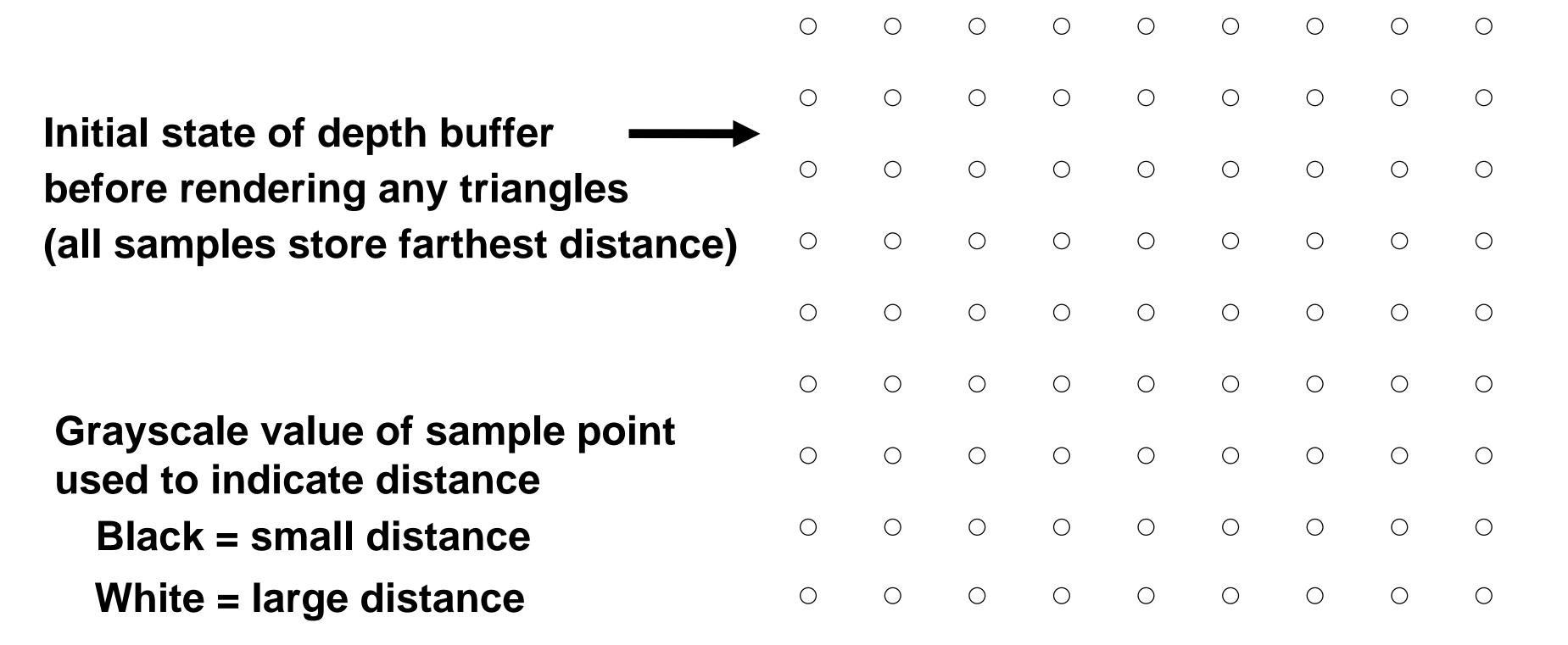
Opaque Triangles

The depth buffer (Z-buffer)

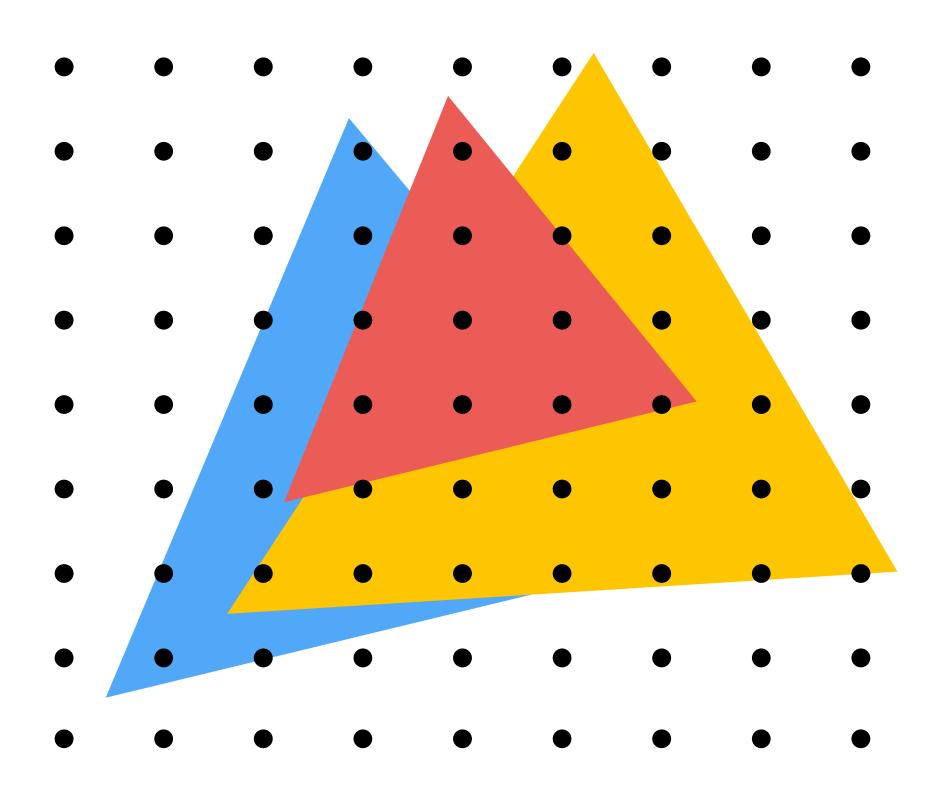


Q: How do we compute the depth of sampled points on a triangle? Interpolate it just like any other attribute that varies linearly over the surface of the triangle.

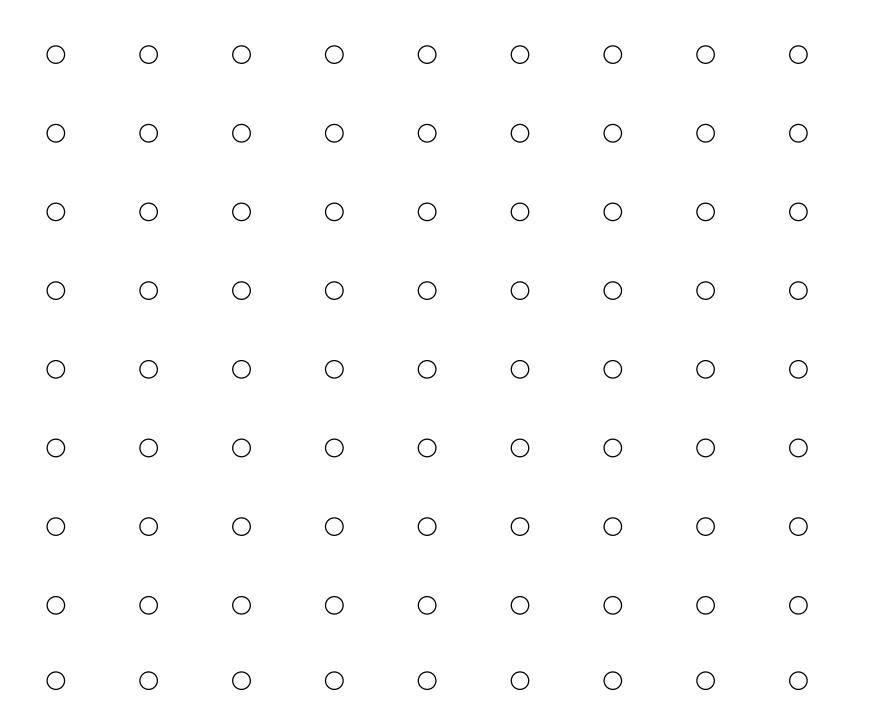
For each coverage sample point, depth-buffer stores depth of closest triangle at this sample point that has been processed by the renderer so far.



Example: rendering three opaque triangles



Processing yellow triangle: depth = 0.5



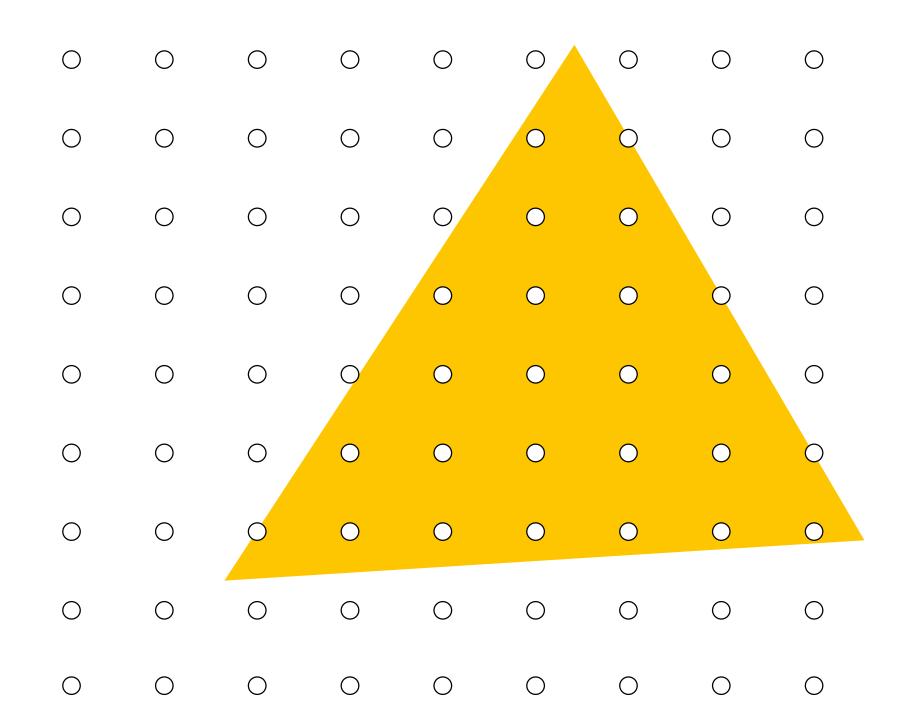
Color buffer contents

Grayscale value of sample point used to indicate distance

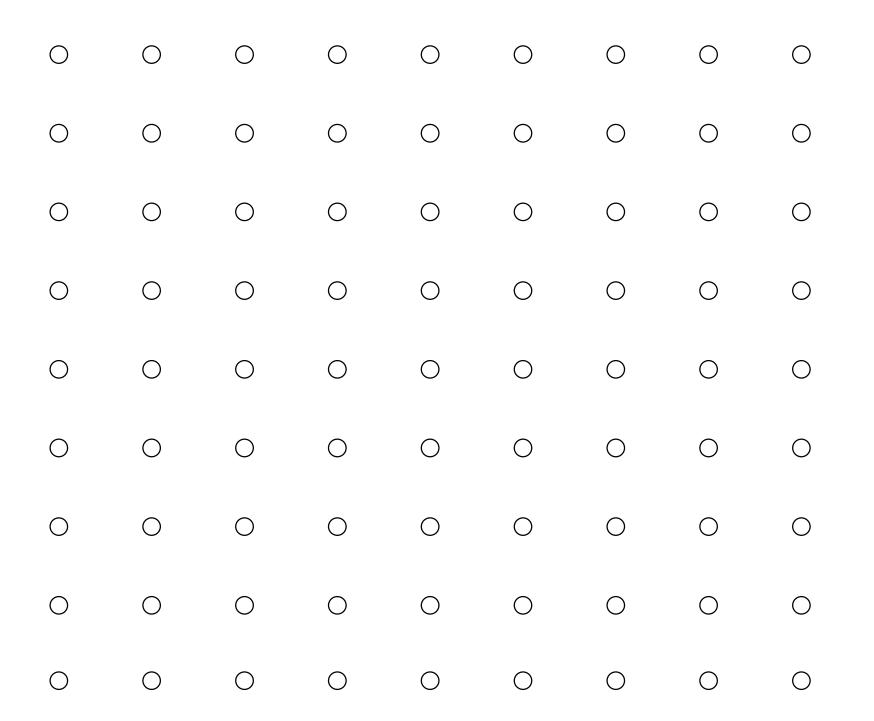
White = large distance

Black = small distance

Red = sample passed depth test



Processing yellow triangle: depth = 0.5



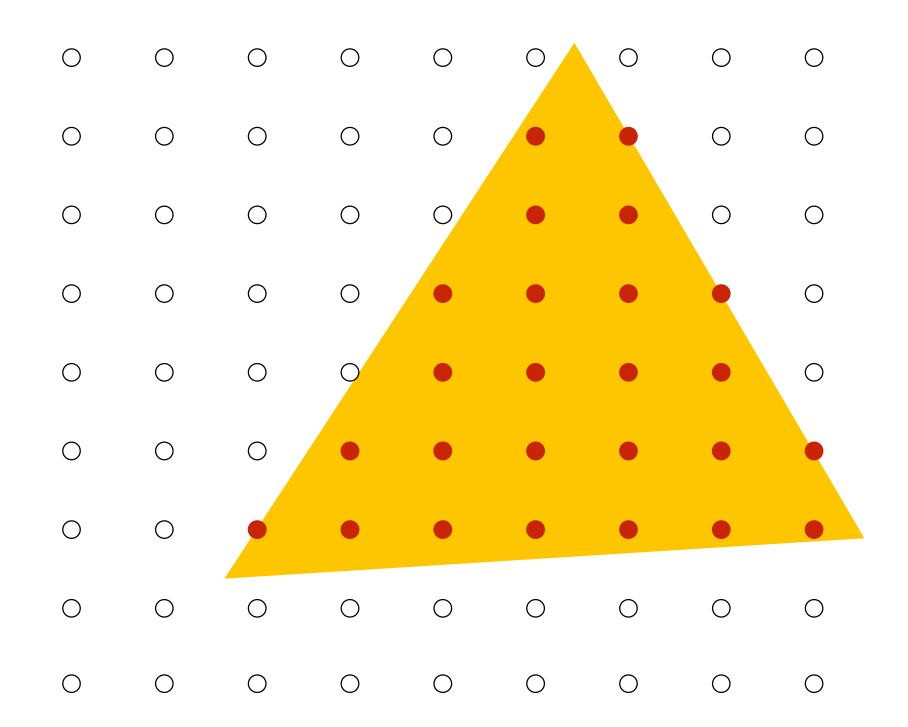
Color buffer contents

Grayscale value of sample point used to indicate distance

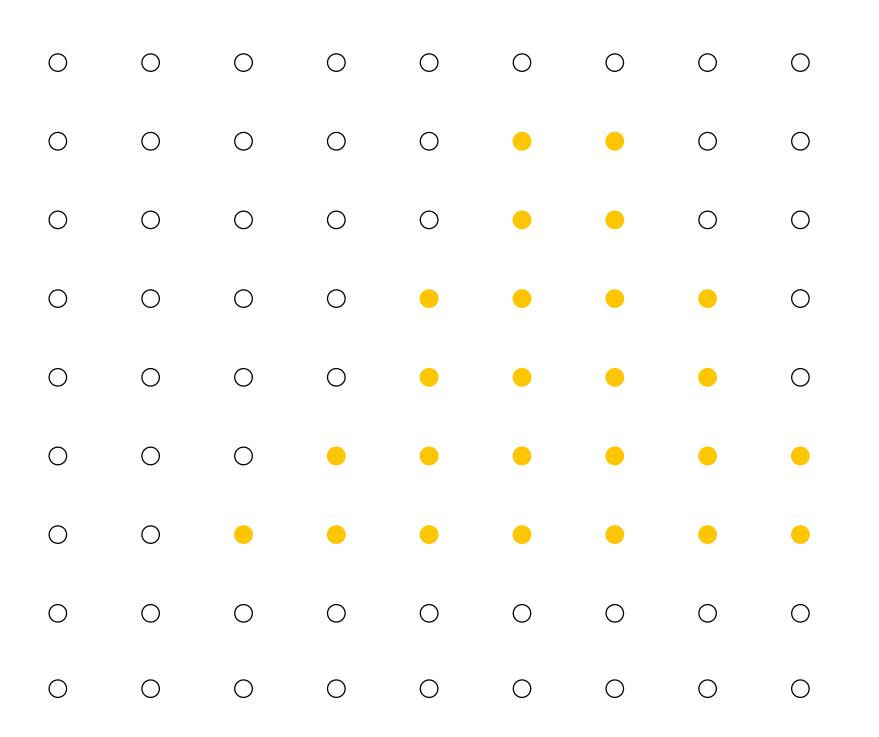
White = large distance

Black = small distance

Red = sample passed depth test



After processing yellow triangle:



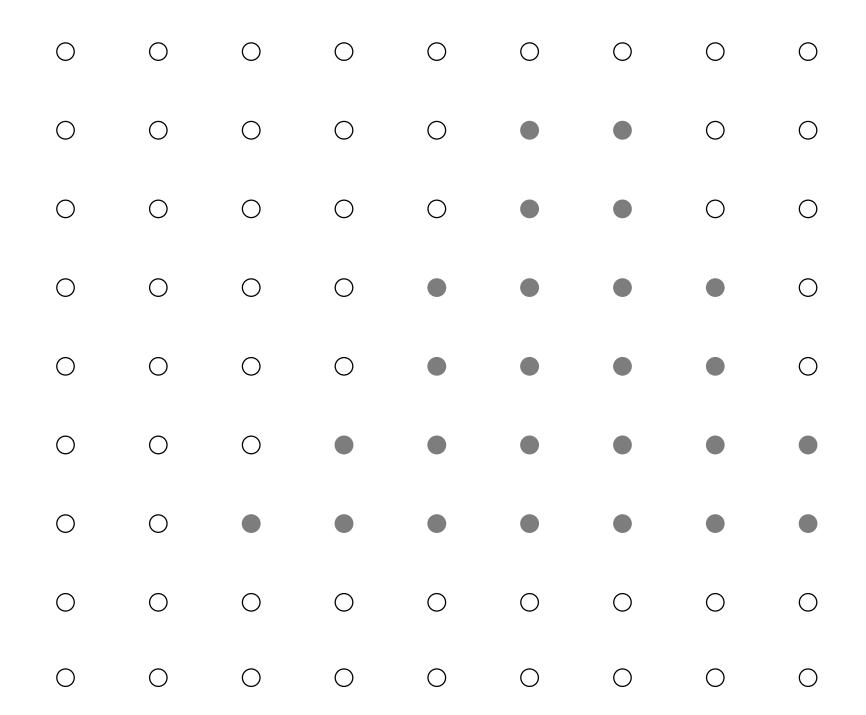
Color buffer contents

Grayscale value of sample point used to indicate distance

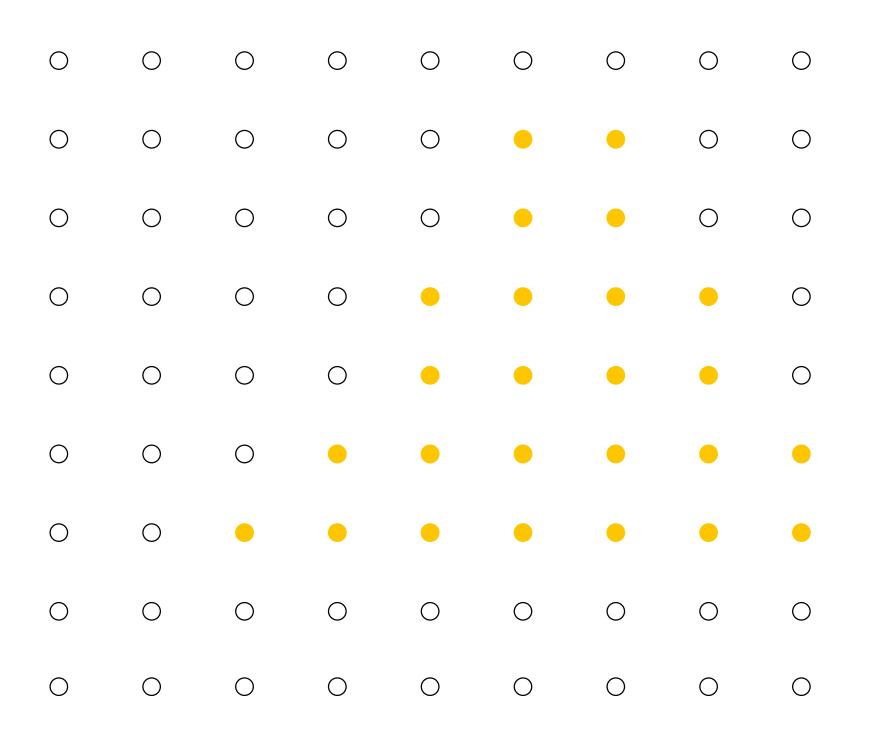
White = large distance

Black = small distance

Red = sample passed depth test



Processing blue triangle: depth = 0.75



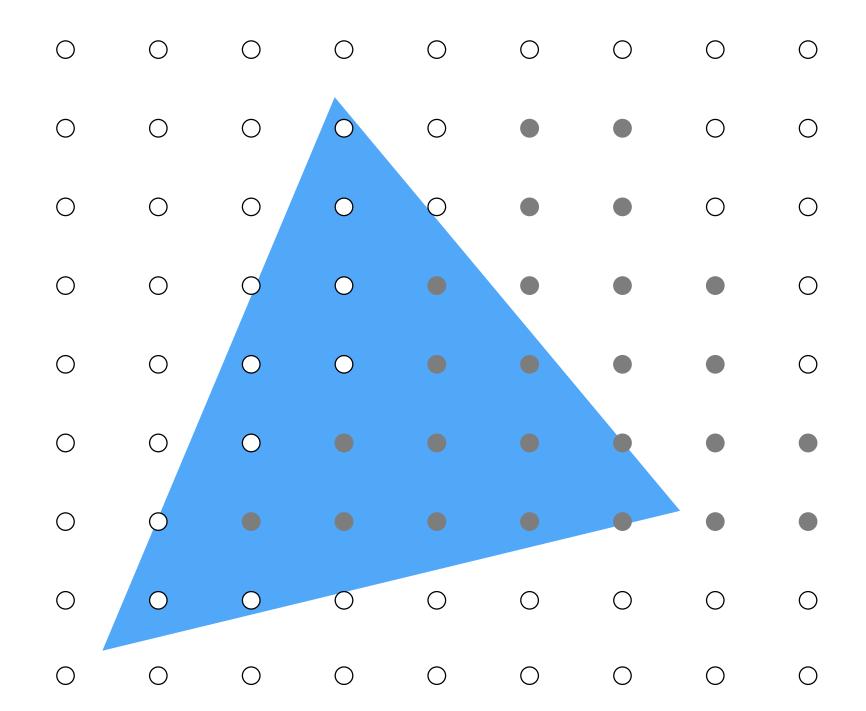
Color buffer contents

Grayscale value of sample point used to indicate distance

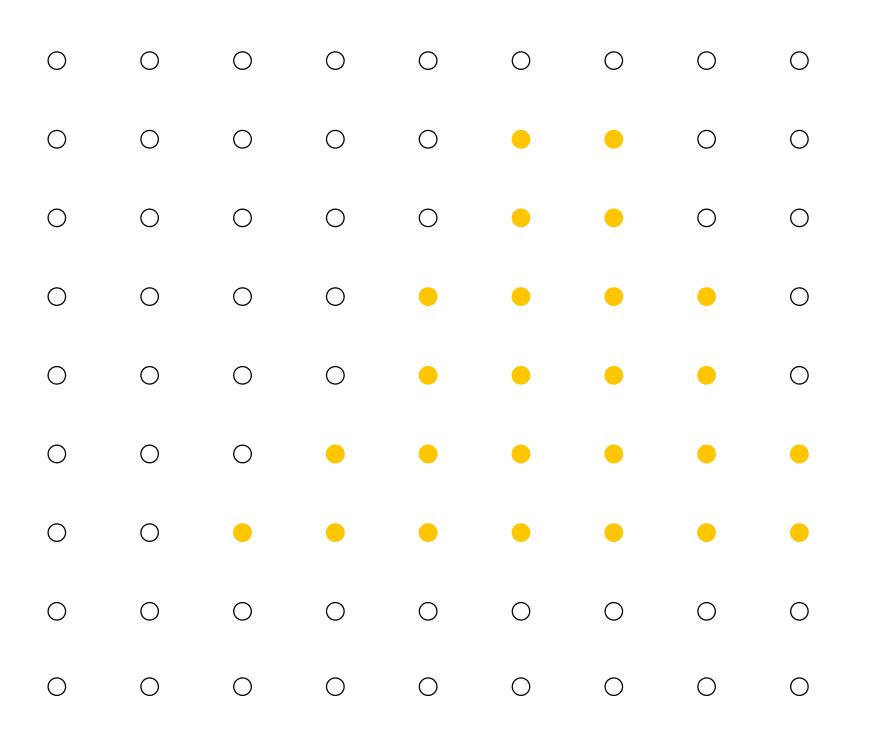
White = large distance

Black = small distance

Red = sample passed depth test



Processing blue triangle: depth = 0.75



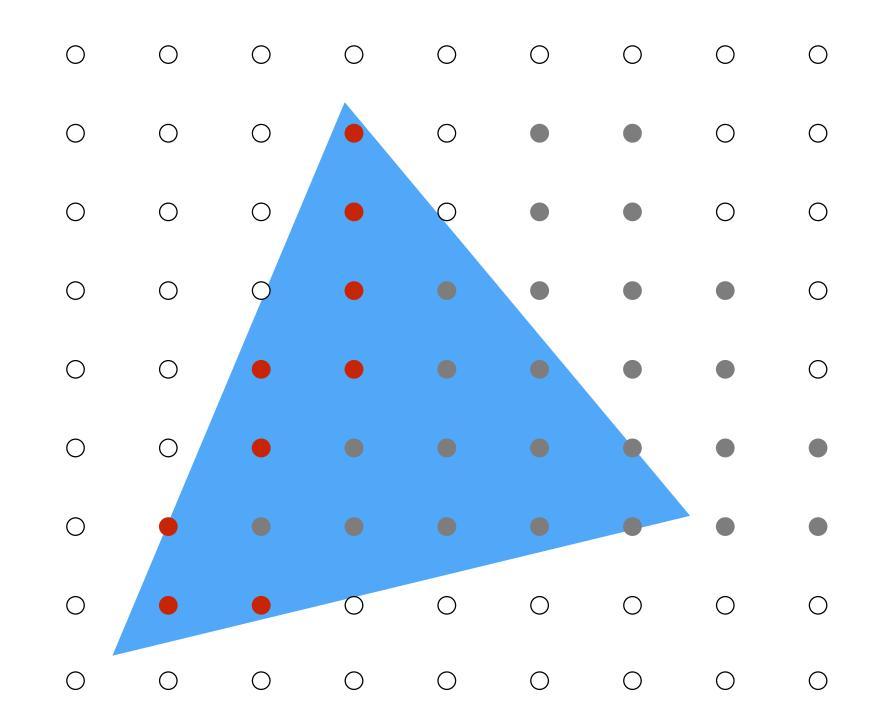
Color buffer contents

Grayscale value of sample point used to indicate distance

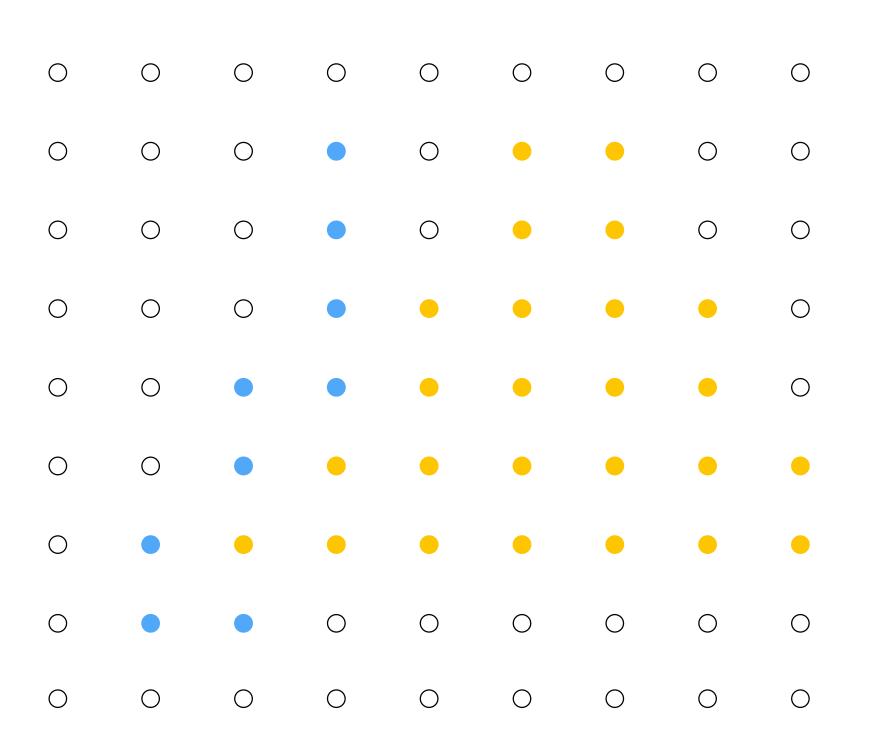
White = large distance

Black = small distance

Red = sample passed depth test



After processing blue triangle:



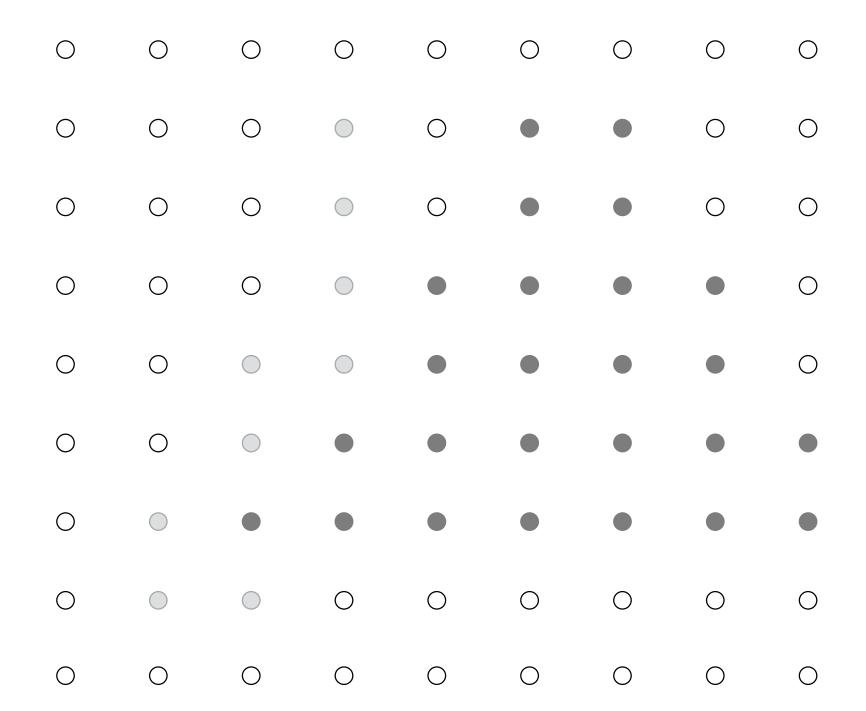
Color buffer contents

Grayscale value of sample point used to indicate distance

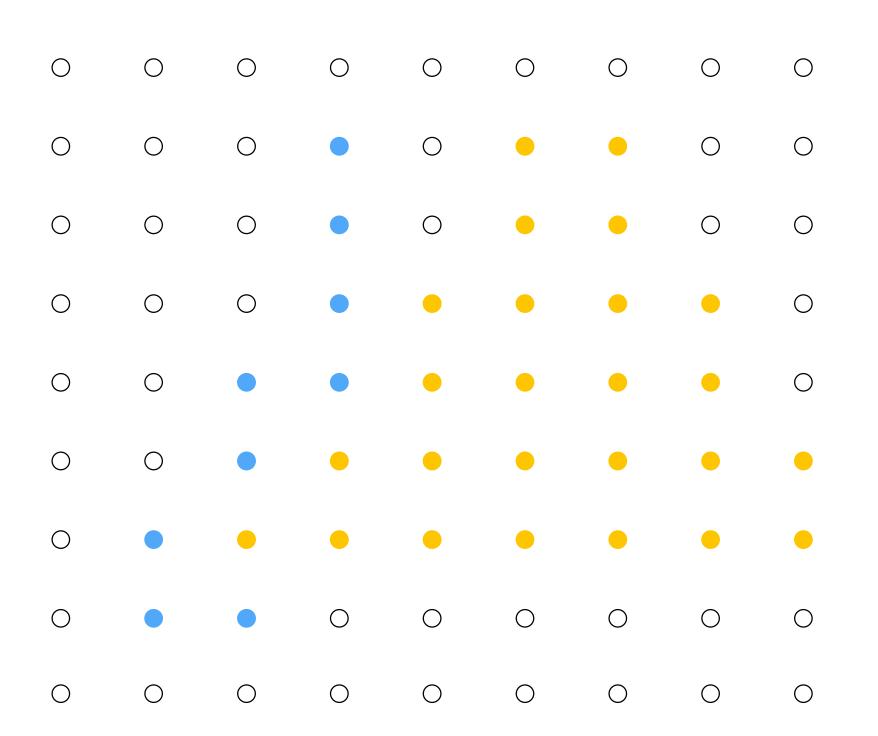
White = large distance

Black = small distance

Red = sample passed depth test



Processing red triangle: depth = 0.25



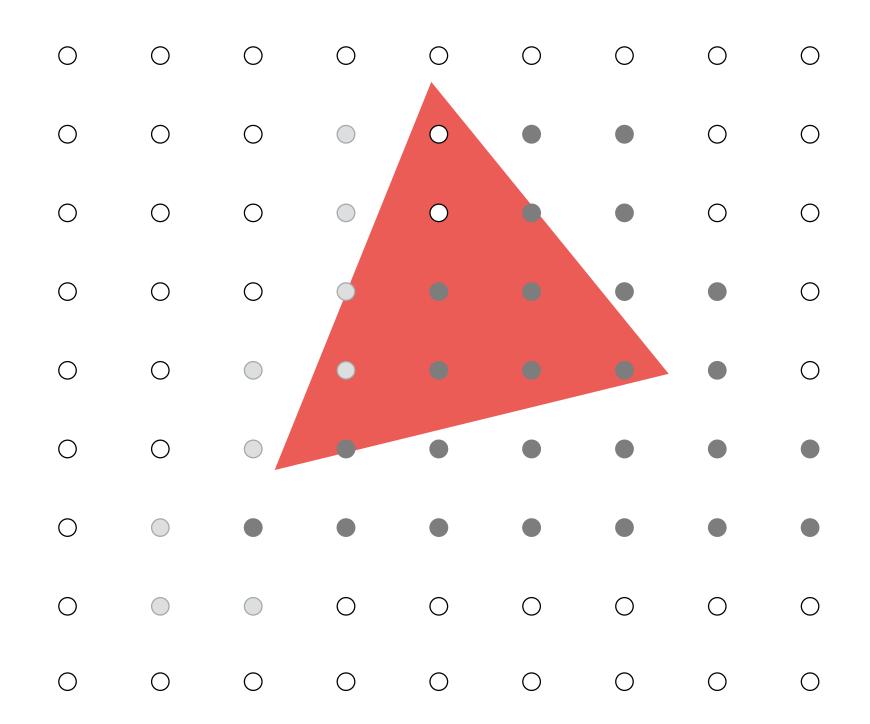
Color buffer contents

Grayscale value of sample point used to indicate distance

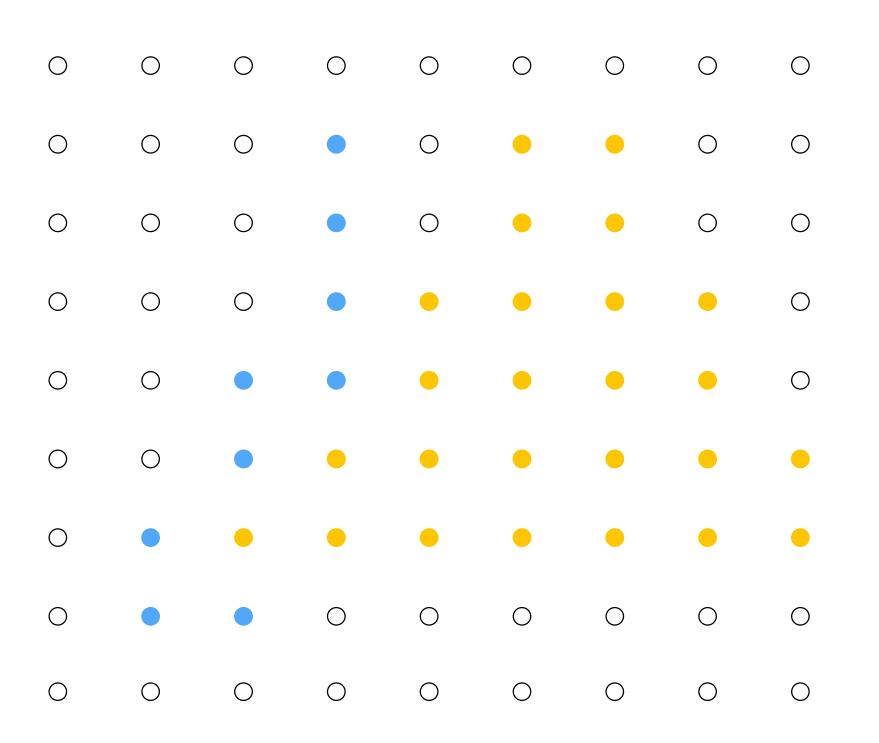
White = large distance

Black = small distance

Red = sample passed depth test



Processing red triangle: depth = 0.25



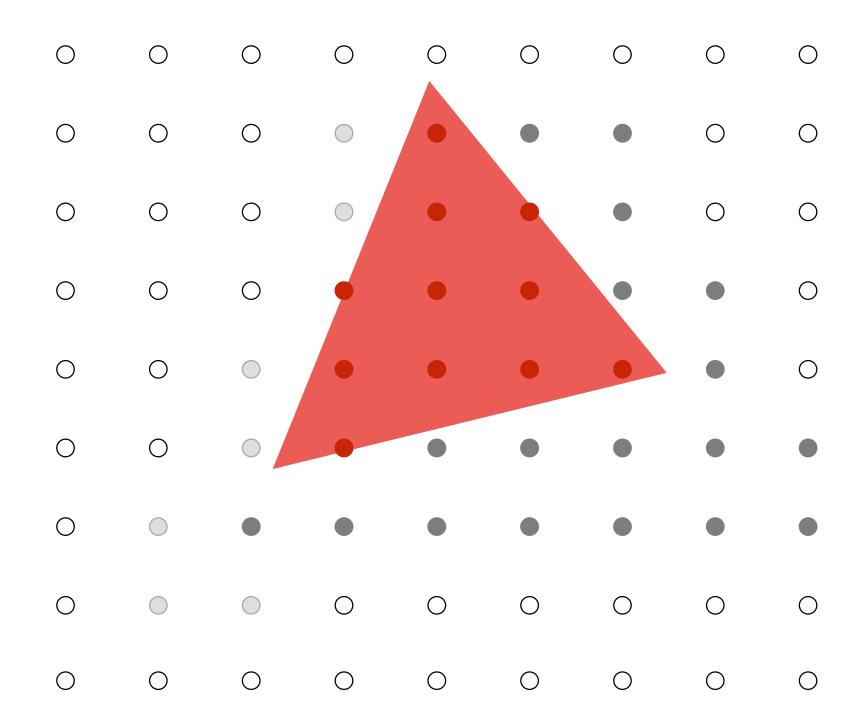
Color buffer contents

Grayscale value of sample point used to indicate distance

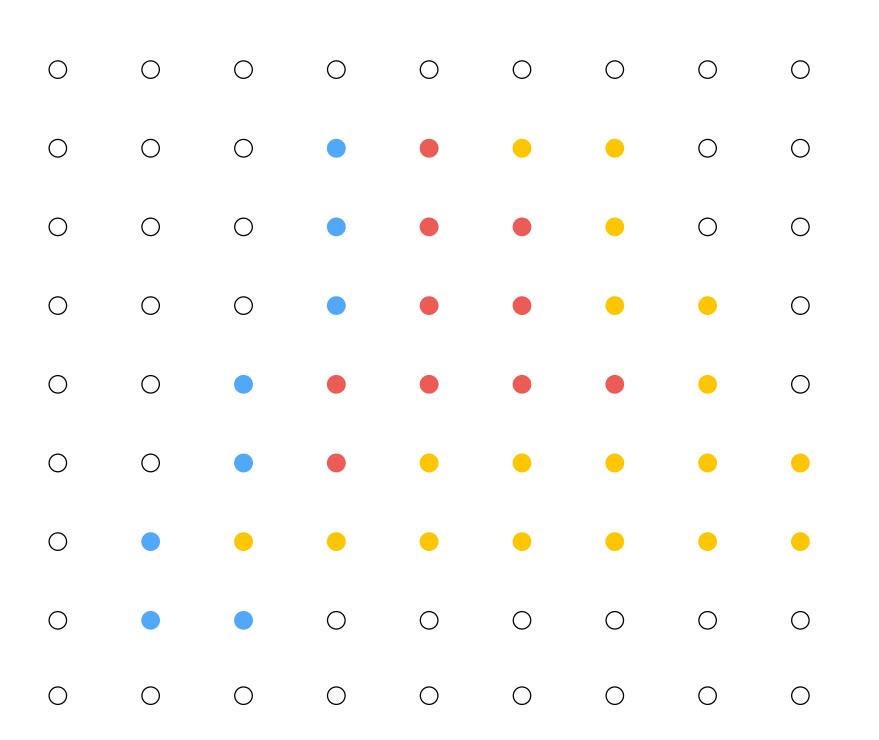
White = large distance

Black = small distance

Red = sample passed depth test



After processing red triangle:



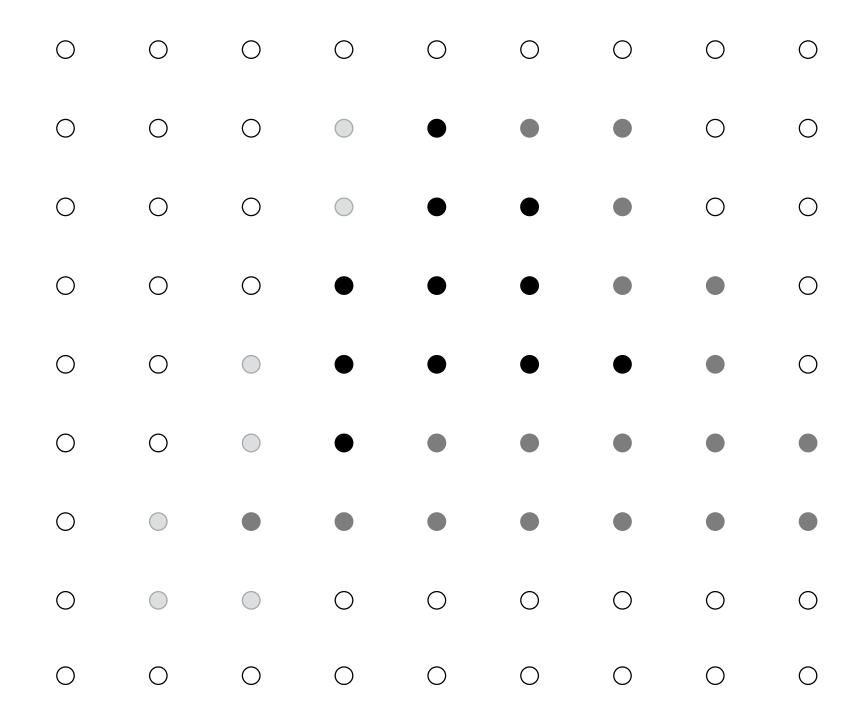
Color buffer contents

Grayscale value of sample point used to indicate distance

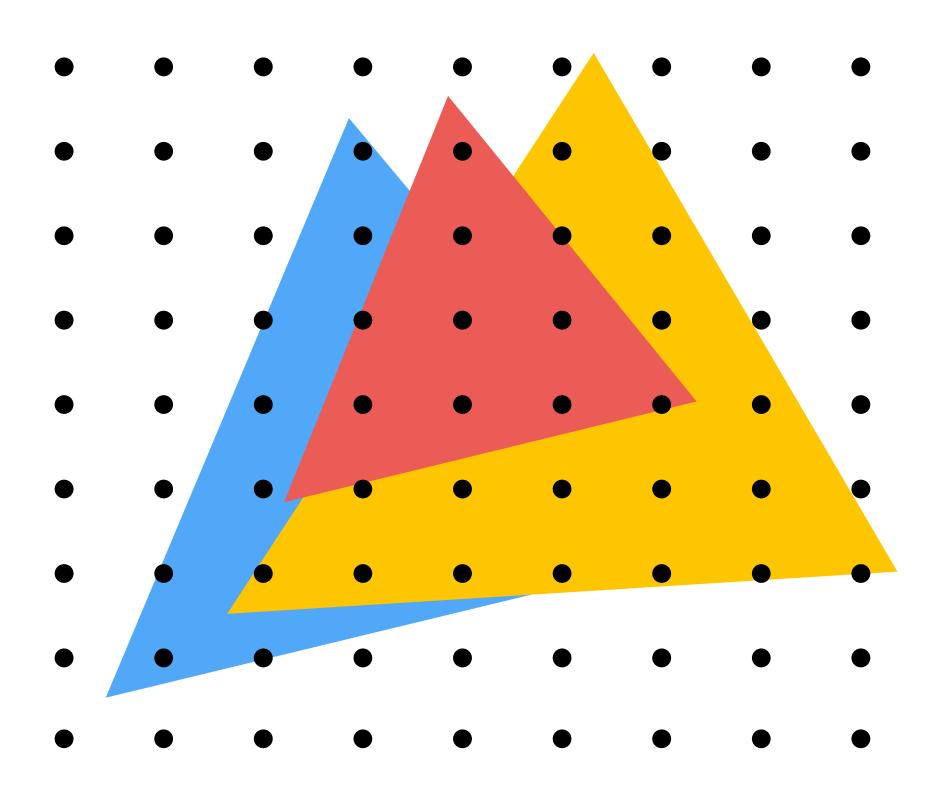
White = large distance

Black = small distance

Red = sample passed depth test



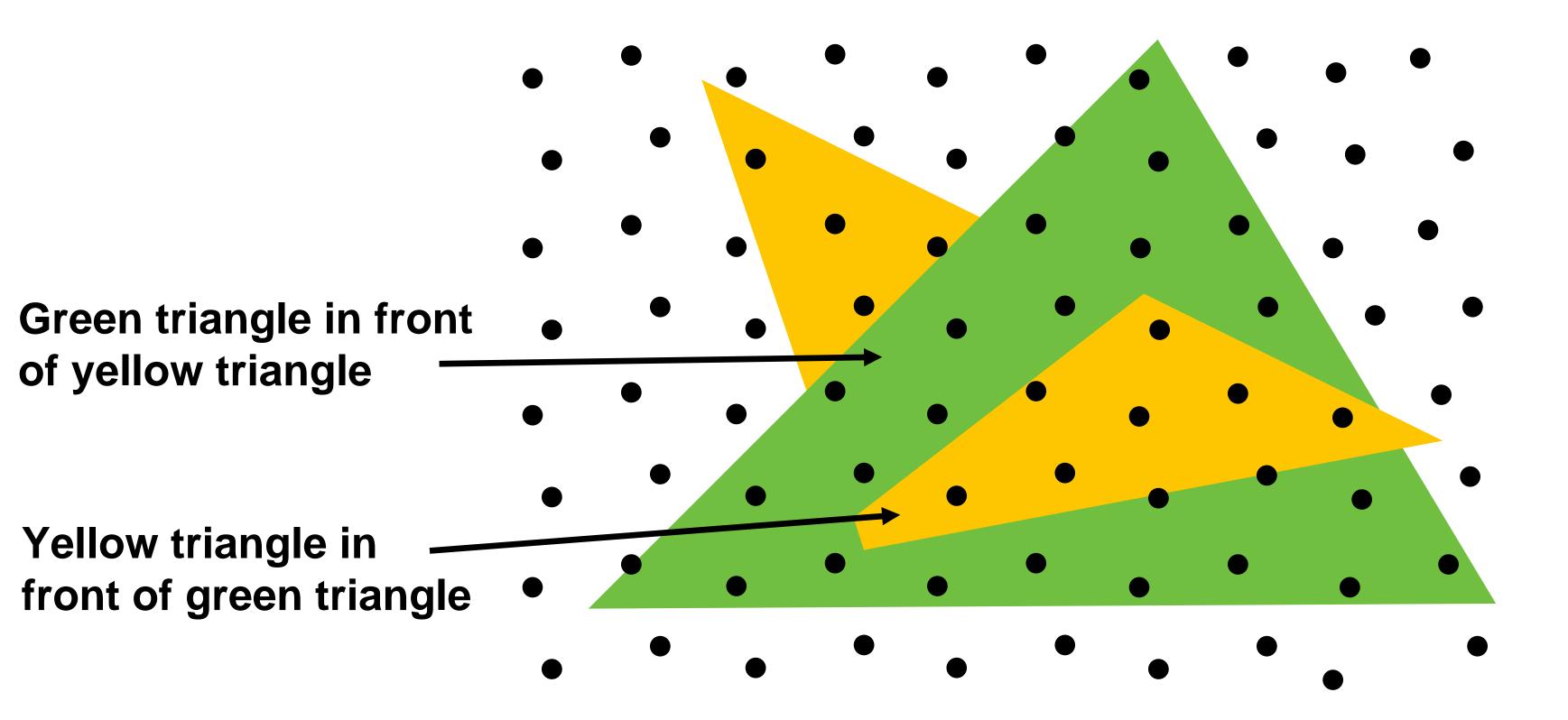
Example: rendering three opaque triangles



Does the depth-buffer algorithm handle interpenetrating surfaces?

Of course!

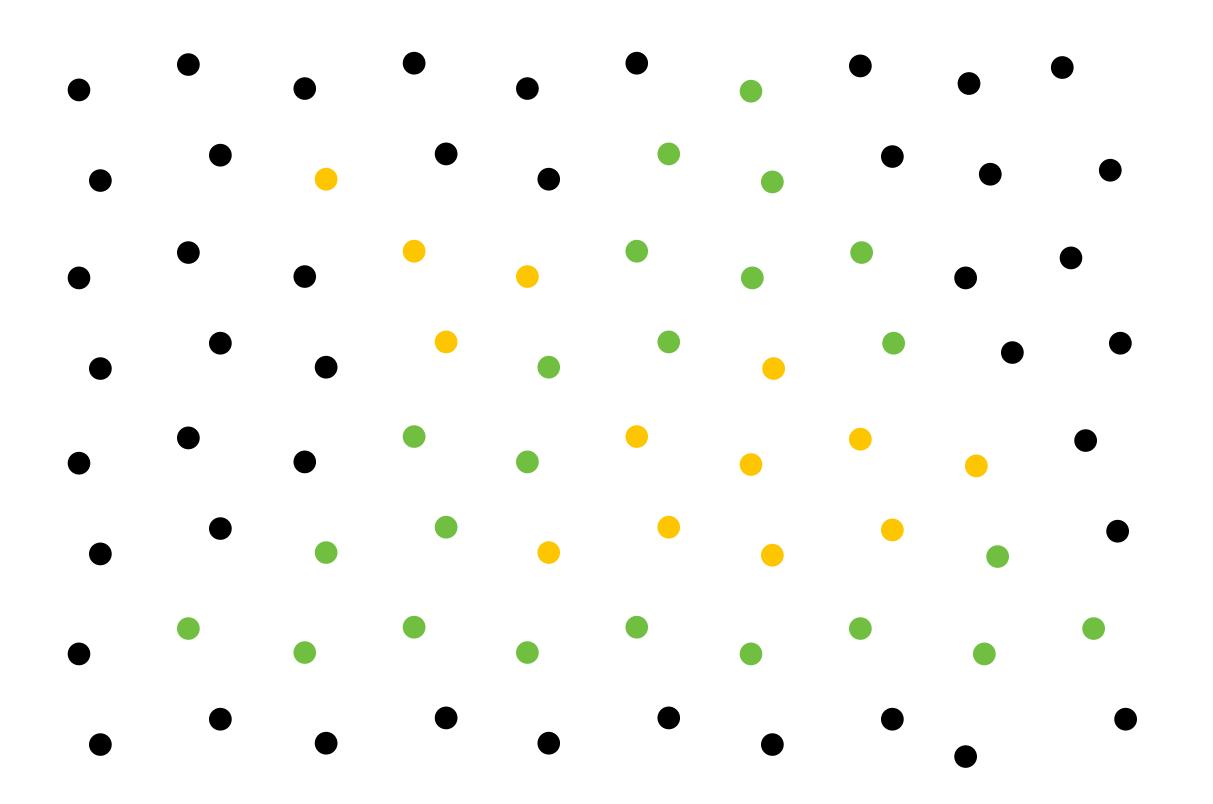
Occlusion test is based on depth of triangles at a given sample point. The relative depth of triangles may be different at different sample points.



Does the depth-buffer algorithm handle interpenetrating surfaces?

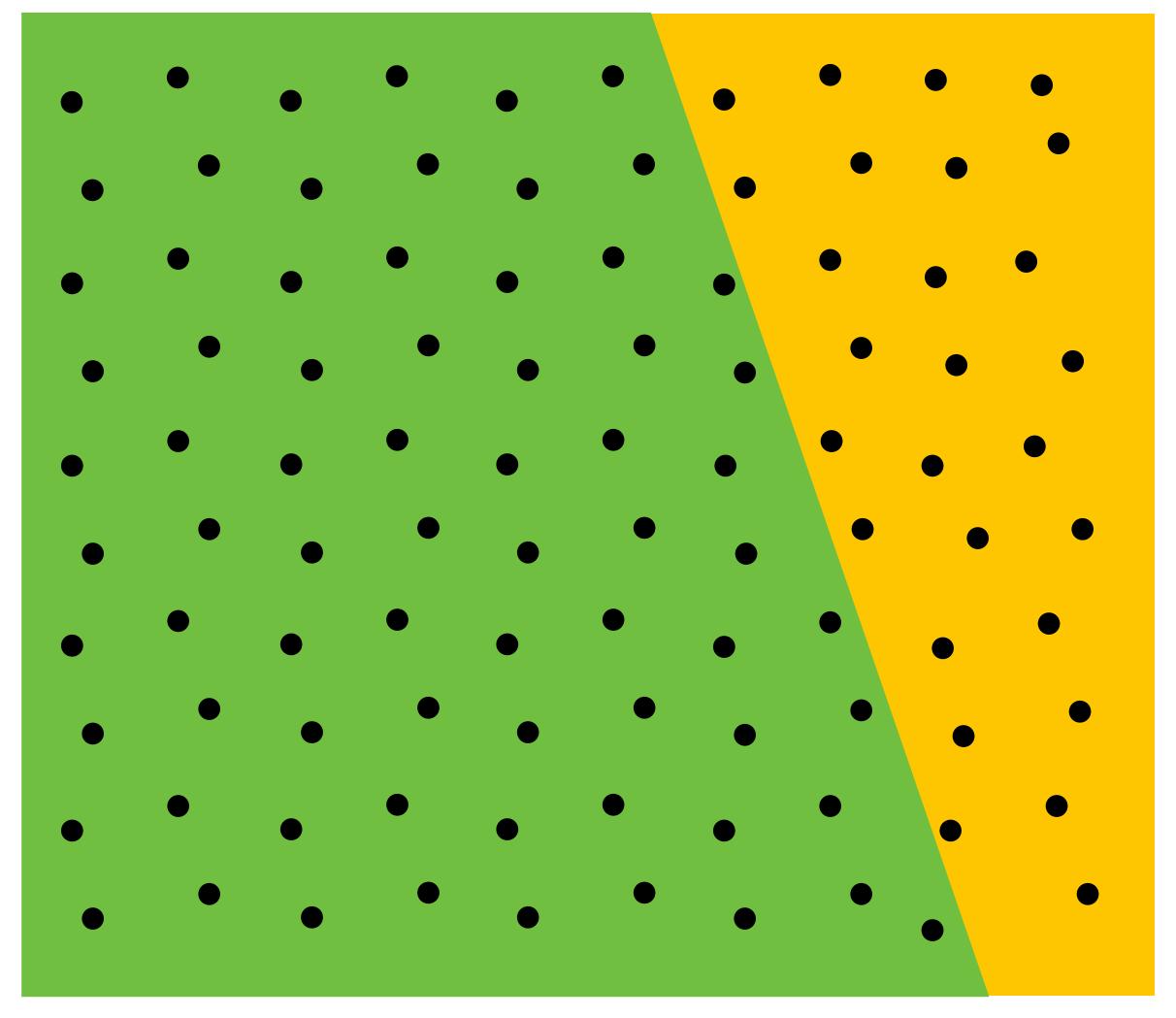
Of course!

Occlusion test is based on depth of triangles at a given sample point. The relative depth of triangles may be different at different sample points.



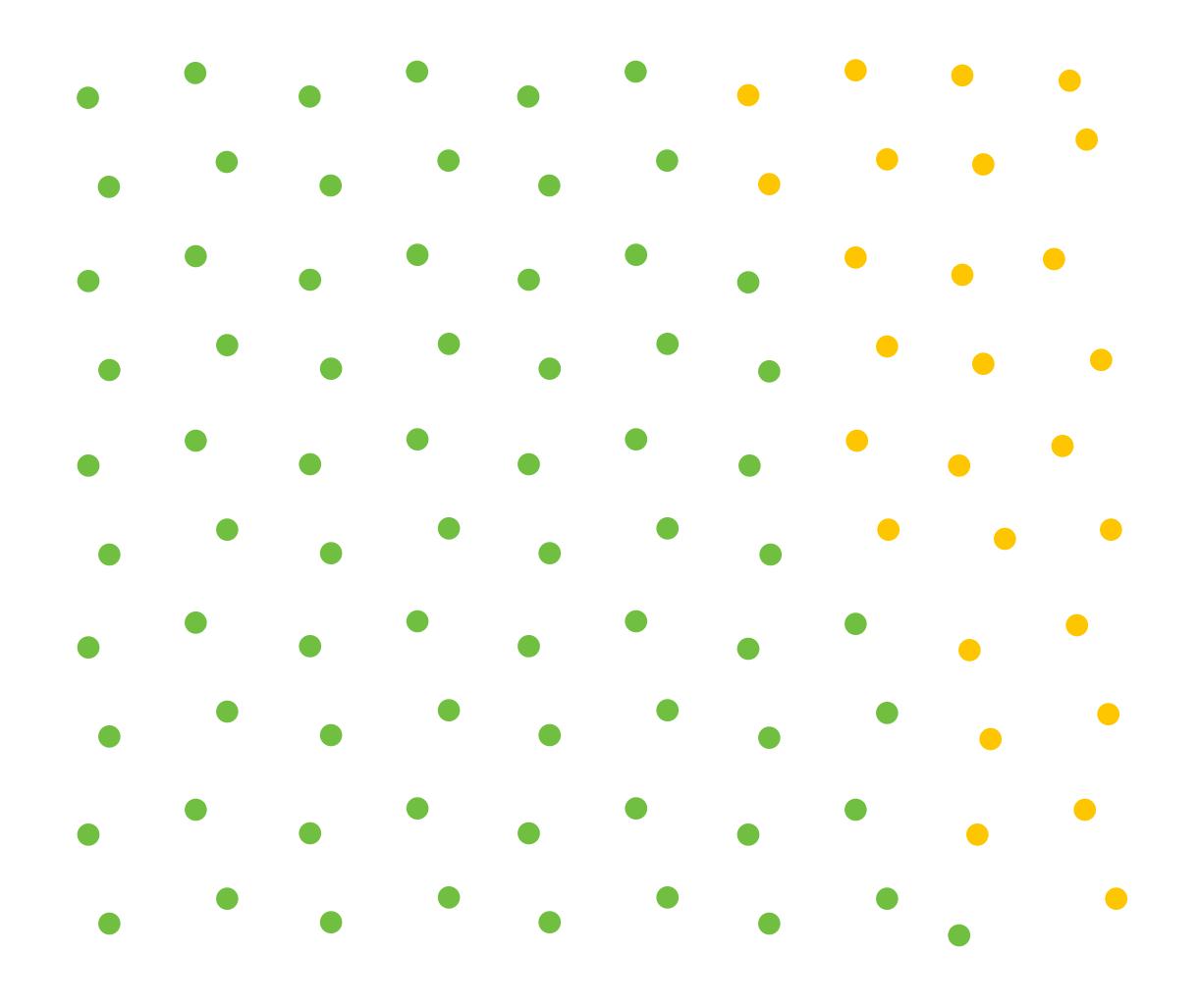
Does it work with super sampling?

Of course! Occlusion test is per sample, not per pixel!

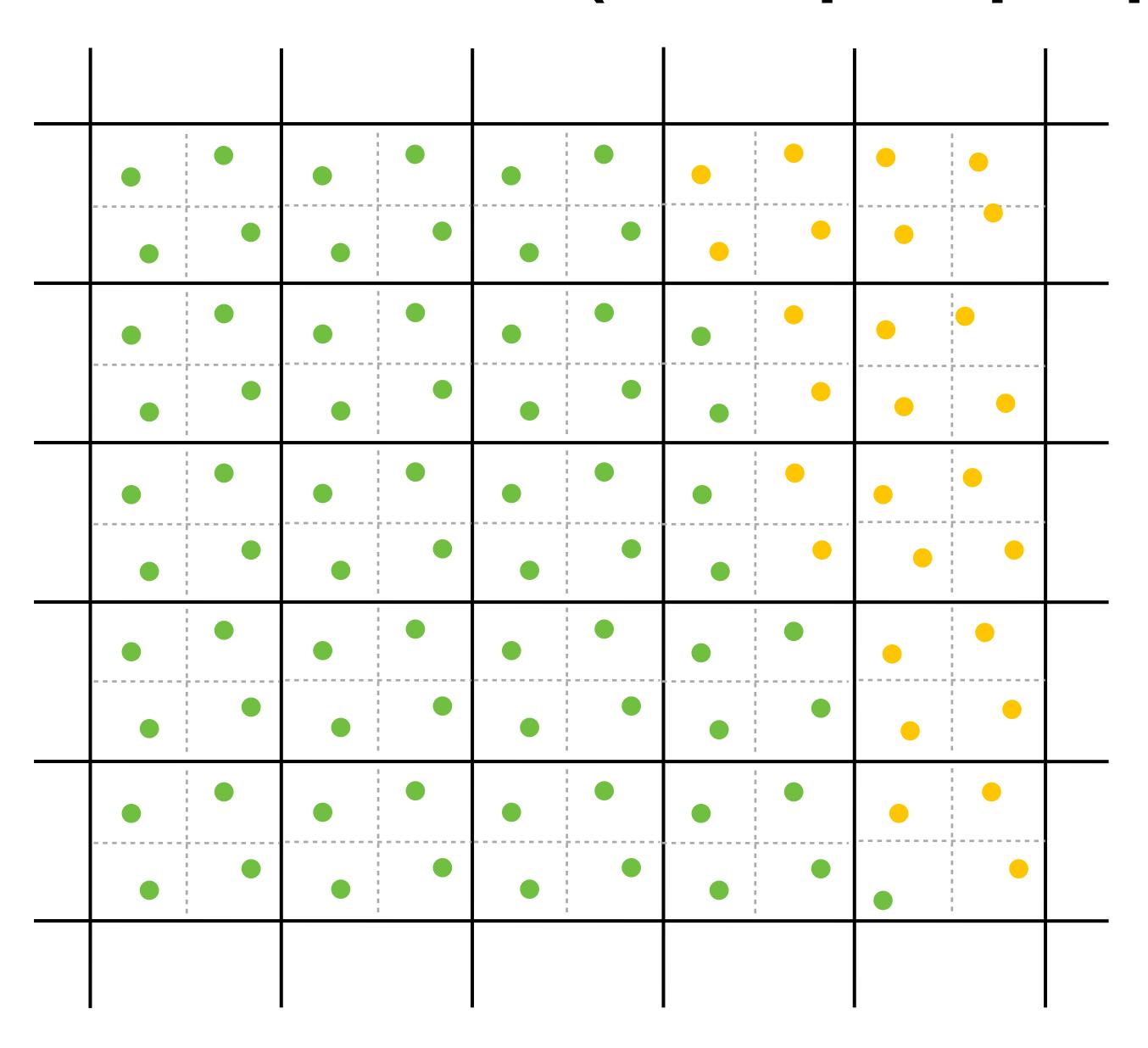


This example: green triangle occludes yellow triangle

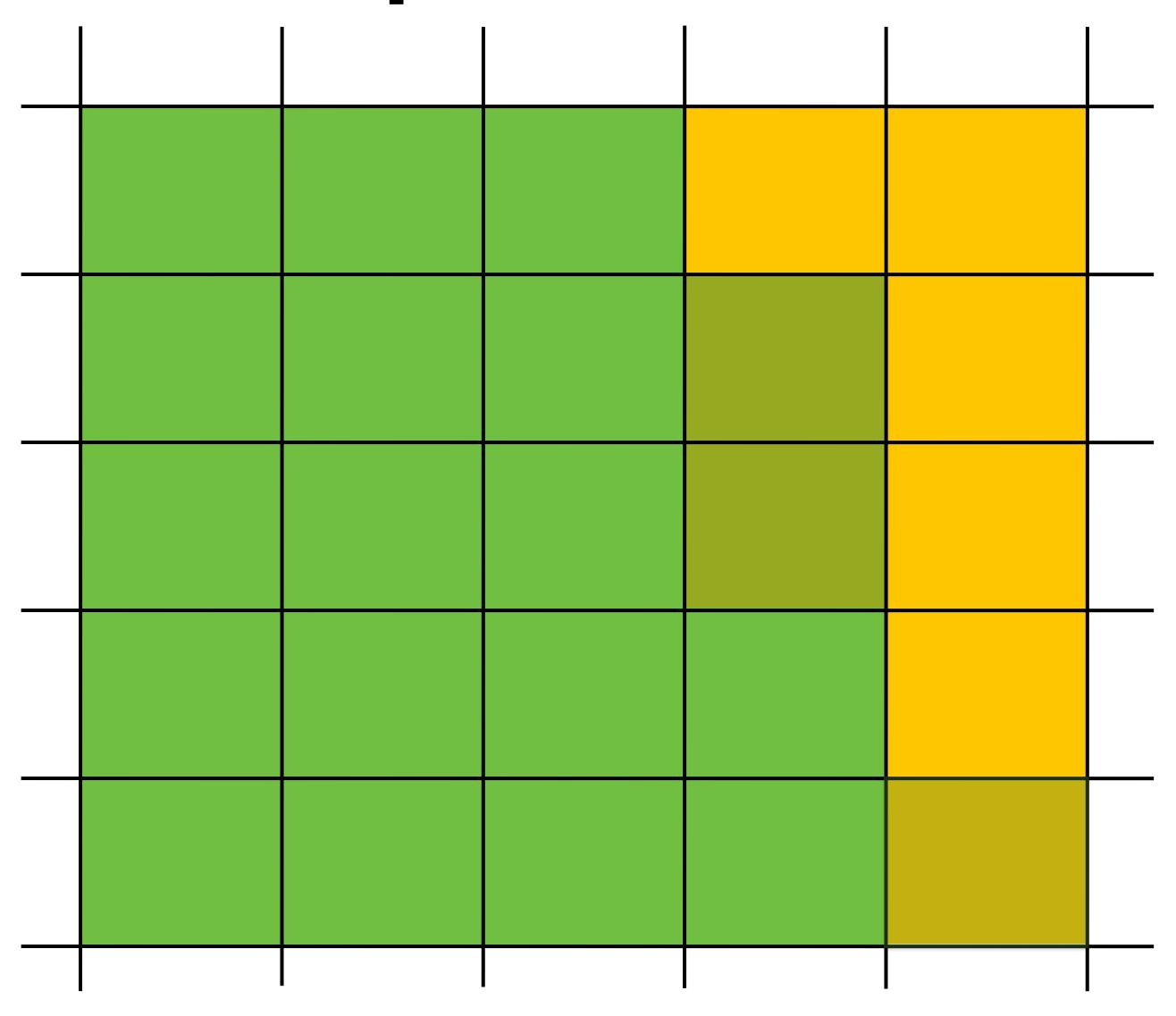
Color buffer contents



Color buffer contents (4 samples per pixel)



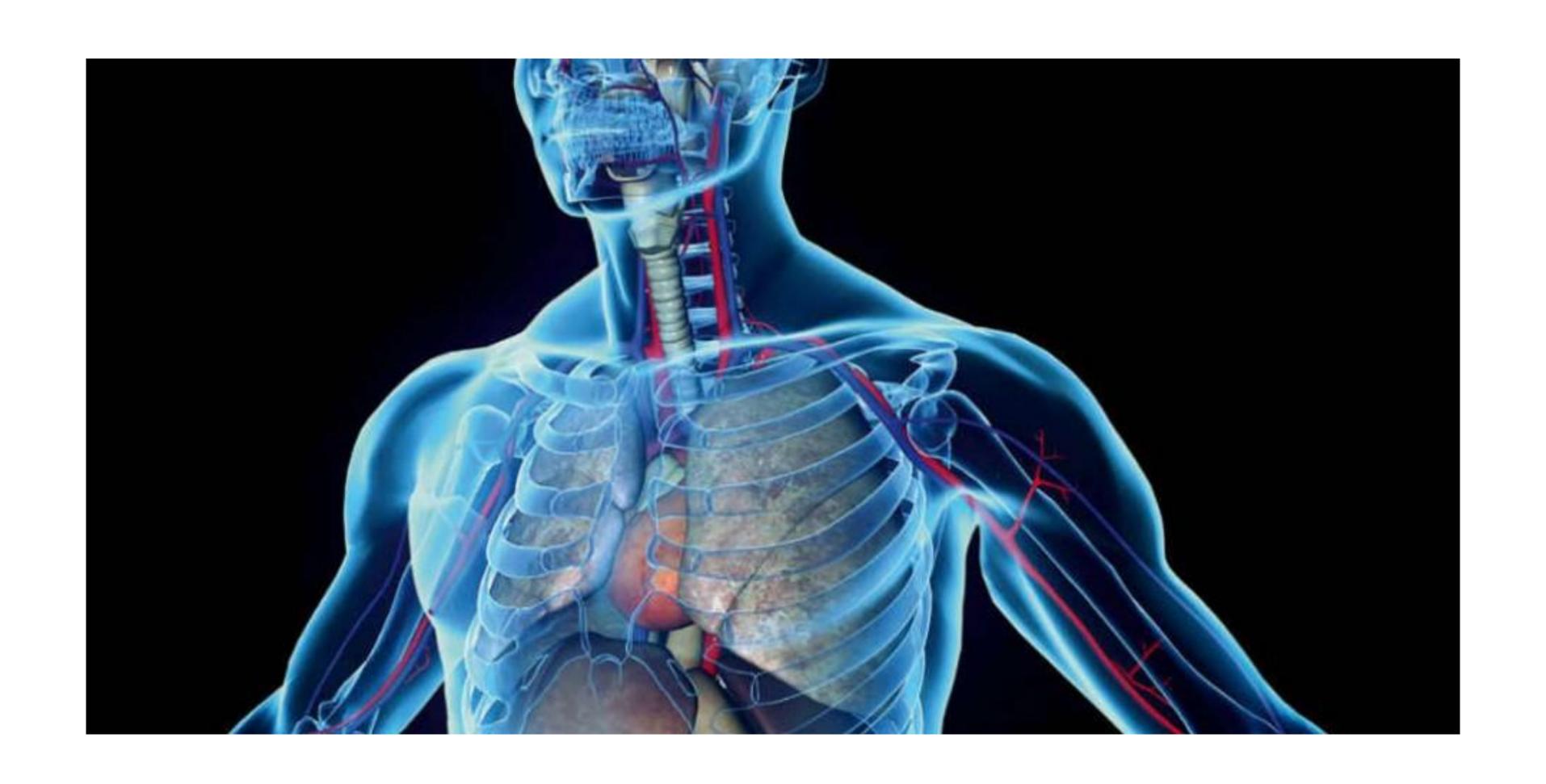
Final resampled result



Note anti-aliasing of edge due to filtering of green and yellow samples.

Summary: occlusion using a depth buffer

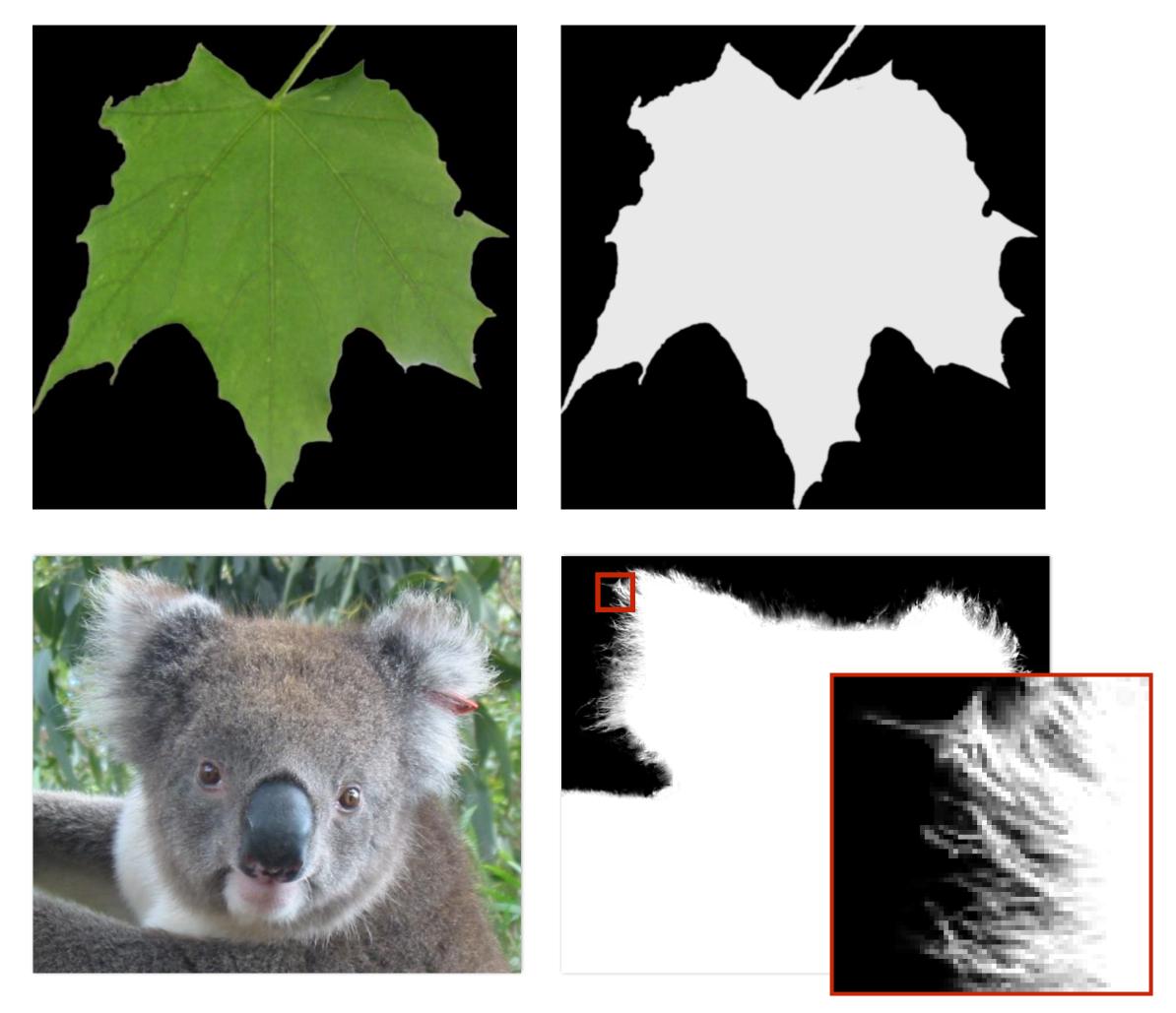
- Store one depth value per coverage sample (not per pixel!)
- Constant space per sample
 - Implication: constant space for depth buffer
- Constant time occlusion test per covered sample
 - Read-modify write of depth buffer if "pass" depth test
 - Just a read if "fail"
- Not specific to triangles: only requires that surface depth can be evaluated at a screen sample point
- Range of depth values is limited. That's why the near and far planes are used in defining the view frustum!



But what about semi-transparent objects?

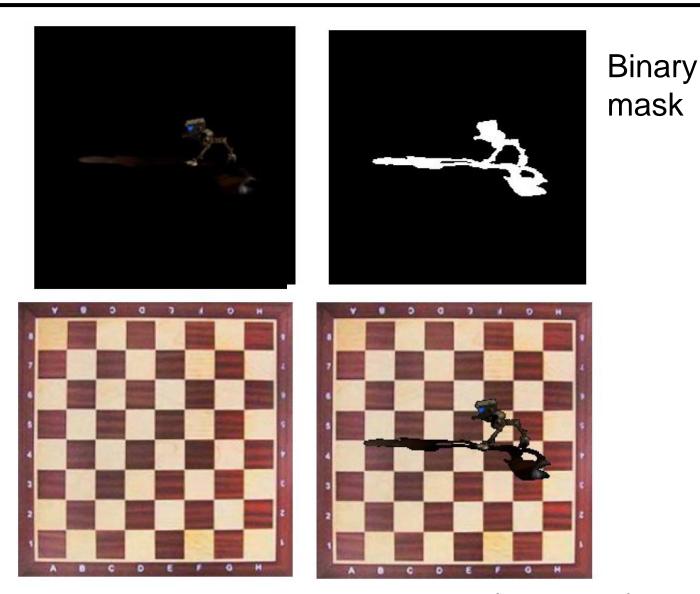
Compositing

Alpha: additional channel of image (rgba)



 α of foreground object

Just replacing pixels rarely works



Problems: boundries & transparency (shadows)

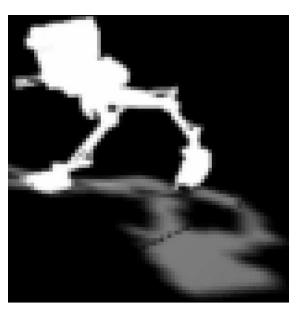
Alpha Blending

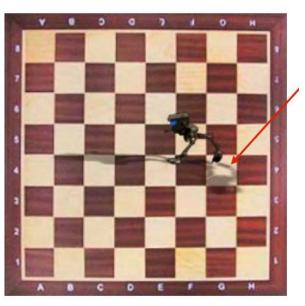




$$I_{comp} = \alpha I_{fg} + (1-\alpha)I_{bg}$$

alpha mask



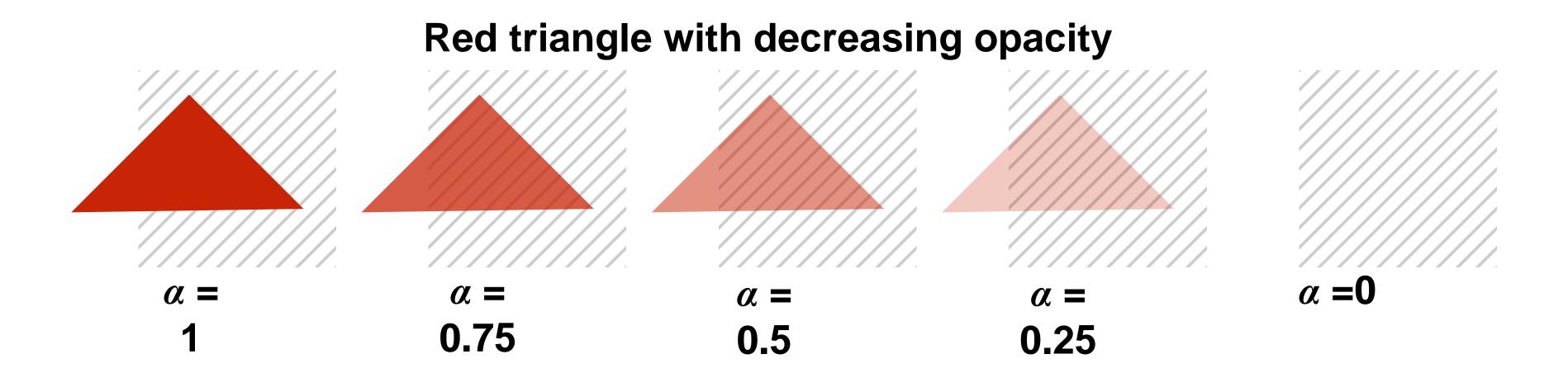


shadow

Representing opacity as alpha

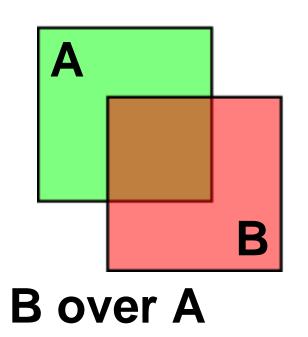
Alpha describes the opacity of an object

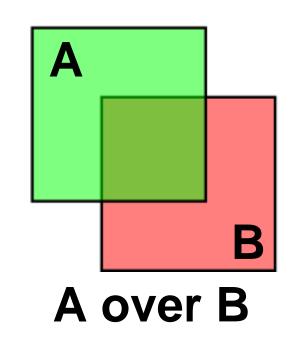
- Fully opaque surface: $\alpha = 1$
- 50% transparent surface: α = 0.5
- Fully transparent surface: $\alpha = 0$



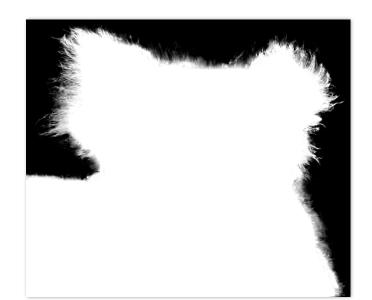
"Over" operator

Composite image B with opacity $\alpha_{\rm B}$ over image A with opacity $\alpha_{\rm A}$





A over B != B over A "Over" is not commutative









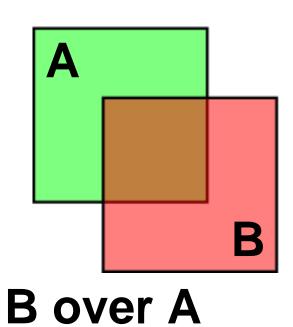
Koala over NYC CMU 15-462/662, Fall 2016

"Over" operator

Composite image B with opacity $\alpha_{\rm B}$ over image A with opacity $\alpha_{\rm A}$

$$A = \begin{bmatrix} A_r & A_g & A_b \end{bmatrix}^T$$

$$B = \begin{bmatrix} B_r & B_g & B_b \end{bmatrix}^T$$



Appearance of semitransparent A

Composited color:

$$C = \alpha_B B + (1 - \alpha_B) \alpha_A A$$
 Appearance of Semi-transparent B What B lets through

A over B != B over A "Over" is not commutative

What is α c?

$$\alpha_C = \alpha_B + (1 - \alpha_B)\alpha_A$$

"Over" operator

Composite image B with opacity $\alpha_{\rm B}$ over image A with opacity $\alpha_{\rm A}$

First attempt:

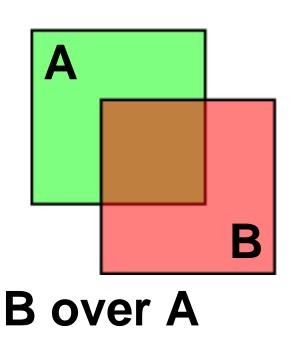
$$A = \begin{bmatrix} A_r & A_g & A_b \end{bmatrix}^T$$

$$B = \begin{bmatrix} B_r & B_g & B_b \end{bmatrix}^T$$

$$C = \alpha_B B + (1 - \alpha_B)\alpha_A A \longleftarrow$$

$$\alpha_C = \alpha_B + (1 - \alpha_B)\alpha_A$$

two multiplies, one add (referring to vector ops on colors)



Premultiplied alpha (equivalent):

$$A' = \begin{bmatrix} \alpha_A A_r & \alpha_A A_g & \alpha_A A_b & \alpha_A \end{bmatrix}^T$$

$$B' = \begin{bmatrix} \alpha_B B_r & \alpha_B B_g & \alpha_B B_b & \alpha_B \end{bmatrix}^T$$

$$C' = B + (1 - \alpha_B)A \qquad \qquad \qquad \text{one multiply, one add}$$

Color buffer update: semi-transparent surfaces

Color buffer values and tri_color are represented with premultiplied alpha

```
over(c1, c2) {
  return c1 + (1-c1.a) * c2;
}

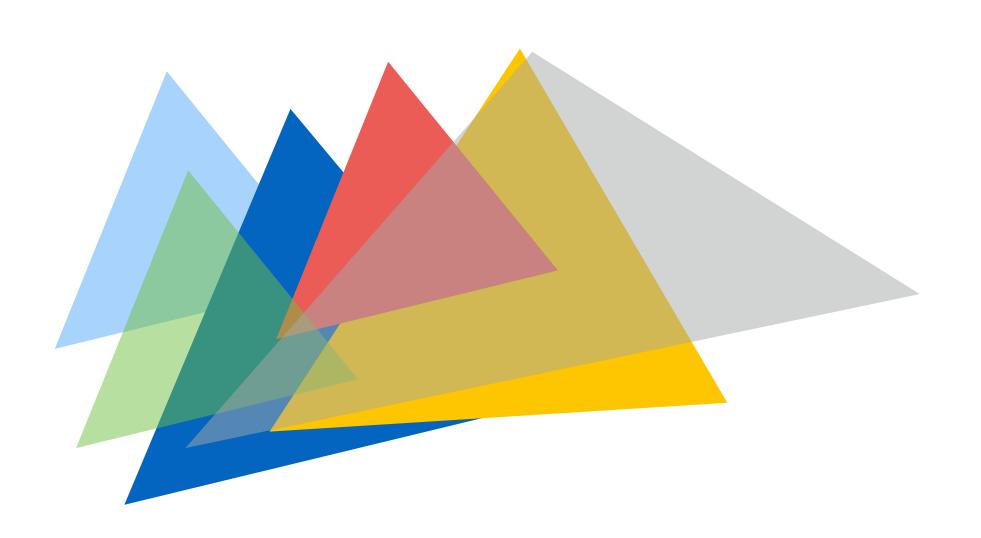
update_color_buffer(tri_d, tri_color, x, y) {
  if (pass_depth_test(tri_d, zbuffer[x][y]) {
     // update color buffer
     // Note: no depth buffer update
     color[x][y] = over(tri_color, color[x][y]);
}
```

Q: What is the assumption made by this implementation? Triangles must be rendered in back to front order!

Rendering a mixture of opaque and transparent triangles

Step 1: render opaque surfaces using depth-buffered occlusion (If pass depth test passed, triangle overwrites value in color buffer at sample)

Step 2: disable depth buffer update, render semi-transparent surfaces in back-to-front order. If depth test passed, triangle is composited OVER contents of color buffer at sample



Putting it all together



Unreal Engine Kite Demo (Epic Games 2015)

Summary

- Occlusion resolved independently at each screen sample using the depth buffer
- Alpha compositing for semi-transparent surfaces
 - Premultiplied alpha forms simply repeated composition
 - "Over" compositing operations is not commutative: requires triangles to be processed in back-to-front (or front-to-back) order
- Graphics pipeline:
 - Structures rendering computation as a sequence of operations performed on vertices, primitives (e.g., triangles), fragments, and screen samples
 - Behavior of parts of the pipeline is application-defined using shader programs.
 - Pipeline operations implemented by highly optimized parallel processors and fixed-function hardware (GPUs)