CS 598 PSL

Project 1

xxxx (email)

Objective

The goals of this project were threefold:

- 1. Read in and preprocess training data from the Ames housing dataset
- 2. Fit several models on the preprocessed training data
- 3. Read in and preprocess test data, then use the fitted models to predict sale prices

Three different types of models were offered as choices for #2 above: linear regression models, tree models, and generalized additive models. For the purposes of this project, the two models chosen were a linear model with Elastic Net penalty, and a tree-based gradient boosting model.

Implementation Details

Preprocessing

1. Fix known bad data

As discussed on Piazza (@224 (https://piazza.com/class/kdf6l5f8bb78j?cid=224)), there are some missing and bad values for the Garage_Yr_Blt variable. Missing values were be replaced with 0 s, and the one obviously incorrect value 2207 was changed to 2007.

2. Winsorize/clip variables

Bsmt_Unf_SF, BsmtFin_SF_2, Enclosed_Porch, First_Flr_SF, Garage_Area, Gr_Liv_Area, Lot_Area, Lot_Frontage, Mas_Vnr_Area, Misc_Val, Open_Porch_SF, Screen_Porch, Second_Flr_SF, Three_season_porch, Total_Bsmt_SF, Wood_Deck_SF

3. Apply categorical datatypes

4. Drop near-homogeneous variables

Alley, Bsmt_Half_Bath, Central_Air, Condition_2, Electrical, Functional, Garage_Cond, Heating, Kitchen_AbvGr, Land_Slope, Latitude, Low_Qual_Fin_SF, Misc_Feature, Misc_Val, Paved_Drive, Pool_Area, Pool_QC, Roof_Matl, Screen_Porch, Street, Three_season_porch, Utilities

5. Split sale price and remove identifier

6. Test data shape matched to training dataframe

Models

1. Linear with Elastic Net penalty

For the linear model, the sklearn.linear_model.ElasticNetCV estimator was used. The only relevant modeling parameters specified were:

parameter value		note		
I1_ratio1	[0.1, 0.3, 0.5, 0.6, 0.7, 0.8, 0.9, 0.95, 0.99, 1]	Arbitrarily chosen values, getting closer when approaching 1 (Ridge)		
normalize	True			
CV	10			

The estimator defined its own alphas sequence, and chose an α value by cross-validation, which typically resulted in something on the order of ~1e-5. Unlike the glmnet package in R which offers a choice between α_{min} and α_{1se} , the Python sklearn estimators do not (directly) provide this as a parameter, and always use α_{min} . Although it is possible to identify the α_{1se} , during this project α_{min} was used for convenience.

2. Tree-based gradient boosting

For the tree-based model, the xgboost.XGBRegressor estimator was used. Hyperparameter tuning was done in a separate file (not included), roughly following the procedure described https://www.analyticsvidhya.com/blog/2016/03/complete-guide-parameter-tuning-xgboost-with-codes-python/). Typically, hyperparameters would not be hardcoded, but in this case it was acceptable in order to reduce computation time when evaluating submitted code (see Piazza @644 (https://piazza.com/class/kdf6l5f8bb78j?cid=644)). Resulting parameters (tuned in **bold**):

parameter	value	note
objective	reg:squarederror	
eta	0.01	
n_estimators	3997	
max_depth	3	Seems shallow but produces adequate results
min_child_weight	6	
gamma	0.0	. 4 3
subsample	1.0	Stuent should add a description on the description of those
colsample_bytree	1.0	etuent show on the
reg_alpha	~0.063	Stuent Sho on the description of those meaning of those meaning of the description of the
reg_lambda	~3.98	meaning
		meaning parameters

Performance

Runtime and accuracy

Data was collected by running/timing the submitted <code>mymain.py</code> file and evaluating predictions from the resulting files; 10-split loop was done using a separate Jupyter notebook for convenience (not included). Splits were specified using the provided <code>project1_testIDs.dat</code> file. For both estimators, the <code>n_job</code> parameter was set to -1 to use all available CPU cores. Accuracy table and timings below:

split#	time	linear RMSE	tree RMSE	
0	18.27s	0.120	0.120	

split# time		linear RMSE	tree RMSE		
1	14.88s	0.122	0.121		
2	18.60s	0.114	0.114		
3	17.97s	0.129	0.118		
4	15.21s	0.115	0.111		
5	16.67s	0.130	0.127		
6	18.65s	0.131	0.130		
7	14.72s	0.124	0.122		
8	17.64s	0.130	0.127		
9	16.43s	0.123	0.118		

Platform

All code was run on a Windows 7 64-bit PC, with an Intel i5-3570K @3.4GHz, 8192MB RAM, and a GPU which did not support XGBoost GPU algorithms. Python module versions were: Python 3.8.6, jupyterlab 2.2.6, numpy 1.17.3, pandas 1.1.2, sklearn 0.0, and xgboost 1.2.0.

Conclusion

A minimal amount of preprocessing is *required* for both models due to their incompatibility with certain data, specifically missing data (NaN) and nominal variables. Even starting out by *just dropping nominal variables* and correcting missing data (i.e. no targeted preprocessing), both models (untuned) were already producing reasonably approximate predictions ((U) columns below). More intentional and thorough preprocessing ((P) columns below) based on observations of the data seems to have a much bigger impact on the performance of the linear model. The untuned tree-based model still sees some benefit from said preprocessing, but less so. Finally, hyperparameter tuning for XGBoost also produced some gains ((H) column below), but the actual tuning took some time to carry out. Thorough tuning may not always be worth the time investment.

split#	Linear (U)	Tree (U)	Linear (P)	Tree (P)	Linear Δ	Tree Δ	Tree (H)	Tree (H) Δ
0	0.207	0.156	0.120	0.126	-42%	-19%	0.120	-5%
1	0.179	0.158	0.122	0.134	-32%	-15%	0.121	-10%
2	0.171	0.152	0.114	0.130	-33%	-14%	0.114	-12%
3	0.202	0.152	0.129	0.132	-36%	-13%	0.118	-11%
4	0.162	0.142	0.115	0.119	-29%	-16%	0.111	-7%
5	0.215	0.170	0.130	0.126	-40%	-26%	0.127	1%
6	0.192	0.169	0.131	0.145	-32%	-14%	0.130	-10%
7	0.183	0.155	0.124	0.128	-32%	-17%	0.122	-5%
8	0.211	0.160	0.130	0.135	-38%	-16%	0.127	-6%
9	0.175	0.157	0.123	0.129	-30%	-18%	0.118	-9%

It seems most important to focus efforts on exploring data and targeting easy preprocessing steps. That said, establishing an automated hyperparameter tuning procedure would enable unattended tuning for XGBoost. In fact, one interesting observation is that almost all of the preprocessing steps taken for this project seems like they could've been done without supervision; it doesn't require human judgement to identify variables that are nearly-homogeneous (for drop), skewed right (for clipping), or to apply well-defined discrete levels to ordinal variables. It might be an interesting exercise to repeat this project without directly specifying the individual preprocessing steps, though one immediate problem with that would be the extraction of the discrete levels for ordinal variables from source materials.