Use of probabilistic graphical methods for online map validation

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The need of map validation



Safety is a core feature that autonomous-driving vehicles (ADVs) aim for

Sensors that rely on different physical phenomena are often fused together

Attempt to reduce the probability of missing safety-relevant elements of the environment

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Sensors that rely on different physical phenomena are often fused together

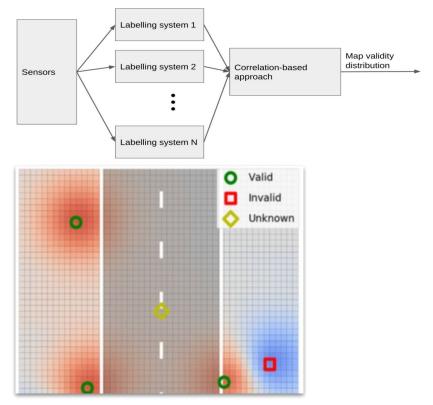
Attempt to reduce the probability of missing safety-relevant elements of the environment

Maps are sensors whose

- field of view (FOV) is not affected by traffic conditions
- measurements have unknown and potentially extensive latency, e.g., days, or weeks

Proposed probabilistic framework

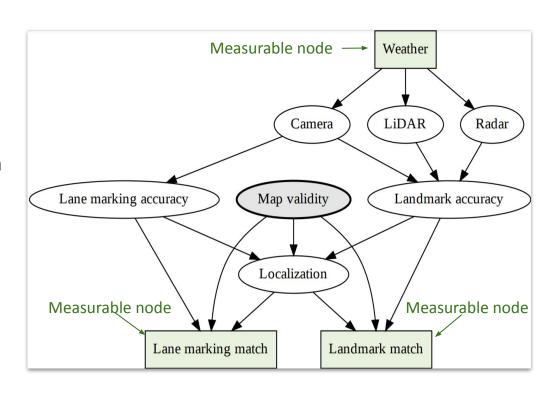
- The vehicle is equipped with multiple sensors
- Each sensor observes parts of the road
- Different algorithms fused data from the sensors and provide an estimation of the map validity on certain areas
- We call these algorithms labelling systems
- A correlation-based approach fuses the results from the different algorithms¹



¹Correlation-Based Approach to Online Map Validation, Fabris et al., MaVRoC 2020

A labelling system based on probabilistic graphical model

- Nodes represent random variables
- Edges represent direct influences between random variables
- Information coming from heterogeneous sources can be fused in a common probabilistic framework
- Efficient encoding of high-dimensional distributions¹
- Nodes can be measurable, or hidden
 - Weather, Lane marking match, and Landmark match are measurable nodes



¹ Probabilistic Graphical Models: Principles and Techniques, Koller and Friedman

Example of prior and conditional distributions

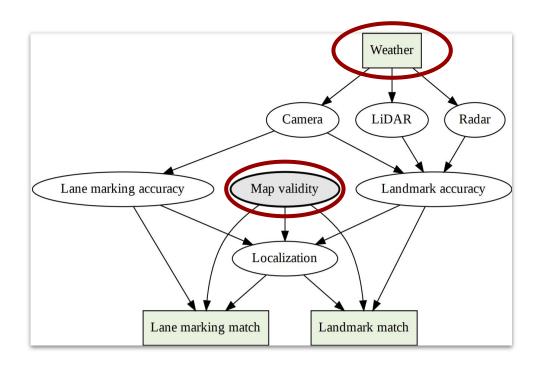
Prior distributions

Weather

Value	Probability		
Cooperative	0.5		
Non-cooperative	0.5		

Map validity

Value	Probability		
Valid	0.8		
Invalid	0.2		



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Prior distributions

Weather

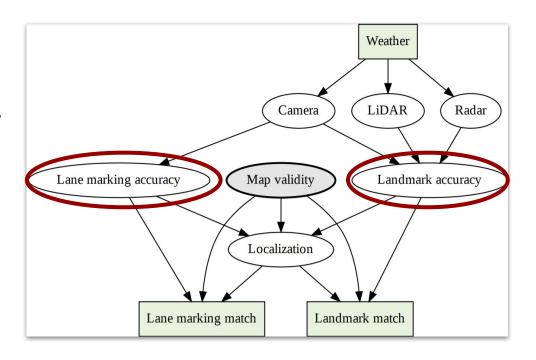
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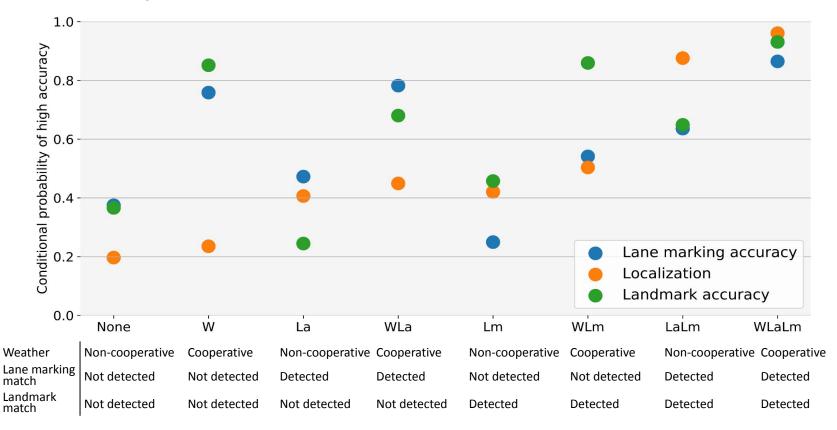
Conditional probabilities of high accuracy

Variable	Camera	RaDAR	Lidar	Probability
Lane marking	nominal	-	-	0.85
	degraded	-	-	0.3
	nominal	nominal	nominal	0.95
	degraded	nominal	nominal	0.8
	nominal	degraded	nominal	0.8
Landmark	degraded	degraded	nominal	0.4
	nominal	nominal	degraded	0.7
	degraded	nominal	degraded	0.4
	nominal	degraded	degraded	0.5
	degraded	degraded	degraded	0.01

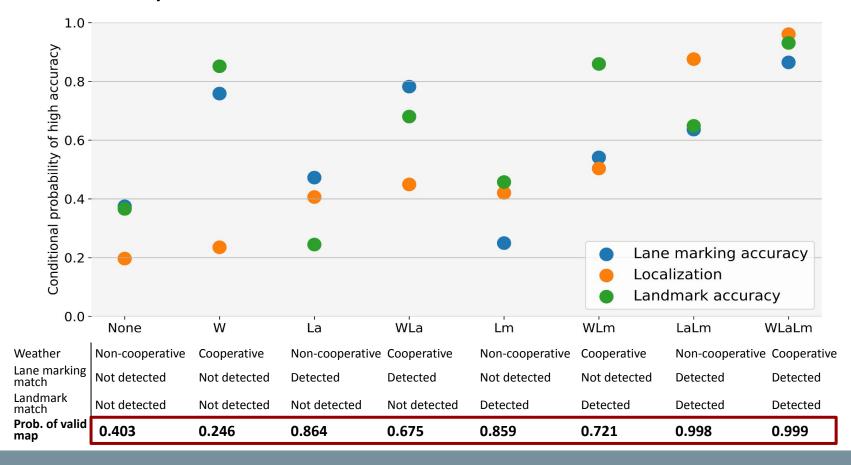


All other distributions available in code at https://github.com/lparolin/mavroc 2021

Posterior probabilities for different measured values

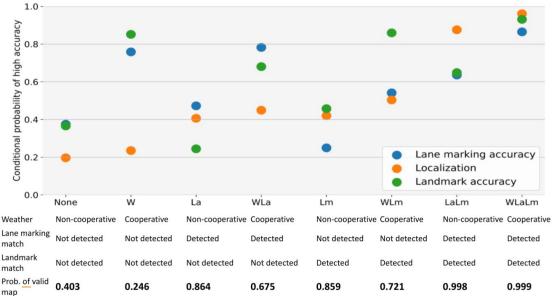


Posterior probabilities for different measured values



Defining a map classifier

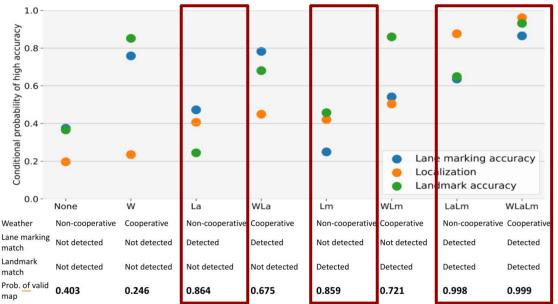
- A classifier maps measured values onto the set {Valid, Invalid}
- We focus on a classifier that depends on the posterior distribution of map valid only
 - \circ A map is valid if the posterior distribution of map valid is larger than the threshold λ



When $\lambda = 0.2$, then the map is always estimated to be valid

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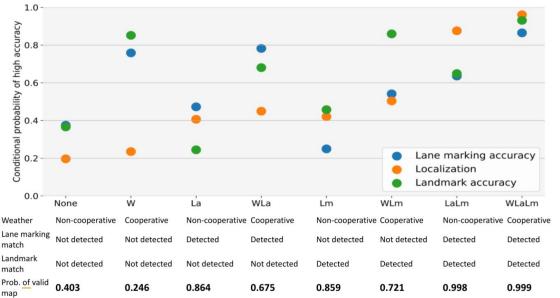


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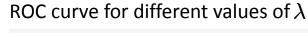
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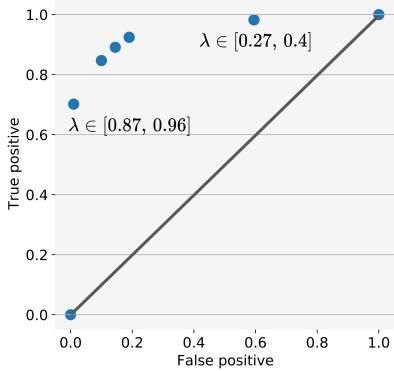
When $\lambda=0.8$, then the map is estimated to be valid only for the highlighted cases

When $\lambda=1.0$, then the map is always estimated to be invalid

The receiver operating characteristic (ROC) curve

- Pairs of True Positive Rate (TPR),
 False Positive Rate (FPR) for different values of λ
 - TPR: Probability of declaring the map valid, when it is
 - FPR: Probability of declaring the map valid, when it is not
- Expected shape for a binary classifier
- The PGM results relatively insensitive towards the choice of the threshold λ





Conclusion and Future Research

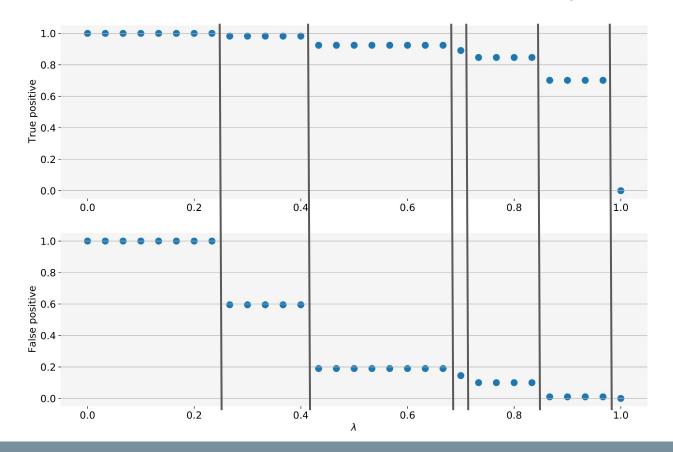
- PGMs can be effectively used for map validation purposes
 - Expert judgment must be used in order to find suitable trade-offs between model complexity and accuracy
- Data from vastly heterogeneous sources can be fused in a common probabilistic framework
 - The network provides the posterior distribution for all variables in the model

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- PGMs can be effectively used for map validation purposes
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- Data from vastly heterogeneous sources can be fused in a common probabilistic framework
 - The network provides the posterior distribution for all variables in the model
- PGMs require fewer data for the tuning of the parameters compared with deep learning techniques
 - Some of these data can be learned from experiments, others may require expert judgment
 - Internal nodes have clear probabilistic meaning
- Comparison against other methods, e.g., based on neural network, still missing

Additional slides

TPR and FPR as function of threshold parameter



TPR and FPR values have jumps due to the discrete nature of the RVs we used in the model